

# GAMMA RAY BURSTS

- What triggers them?
- What determines the timescales?
- Beaming and its effects?
- Internal dynamics & radiation properties?
- Environment & its effects?

collaborators:

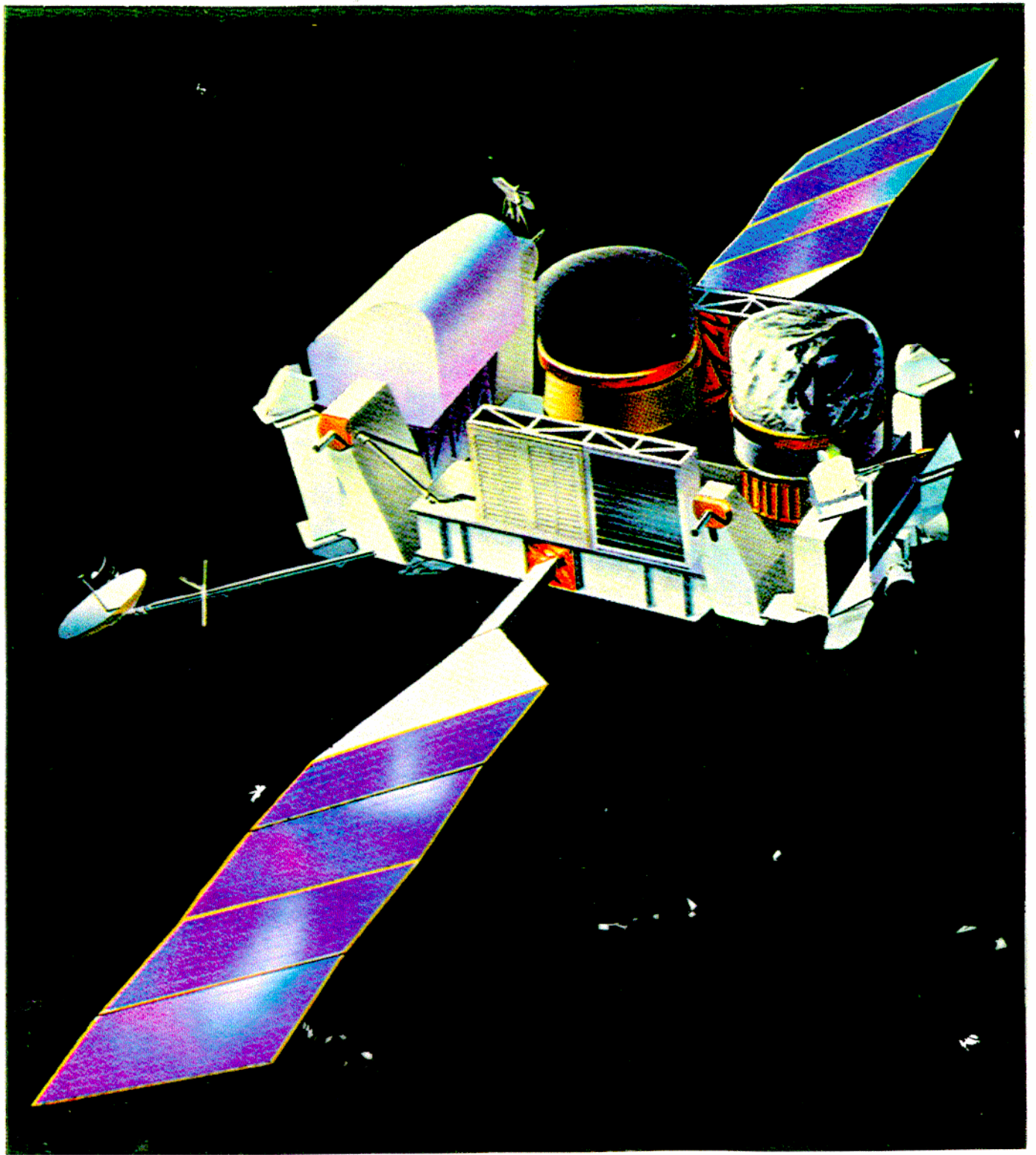
**Martin REES (Univ. Cambridge)**

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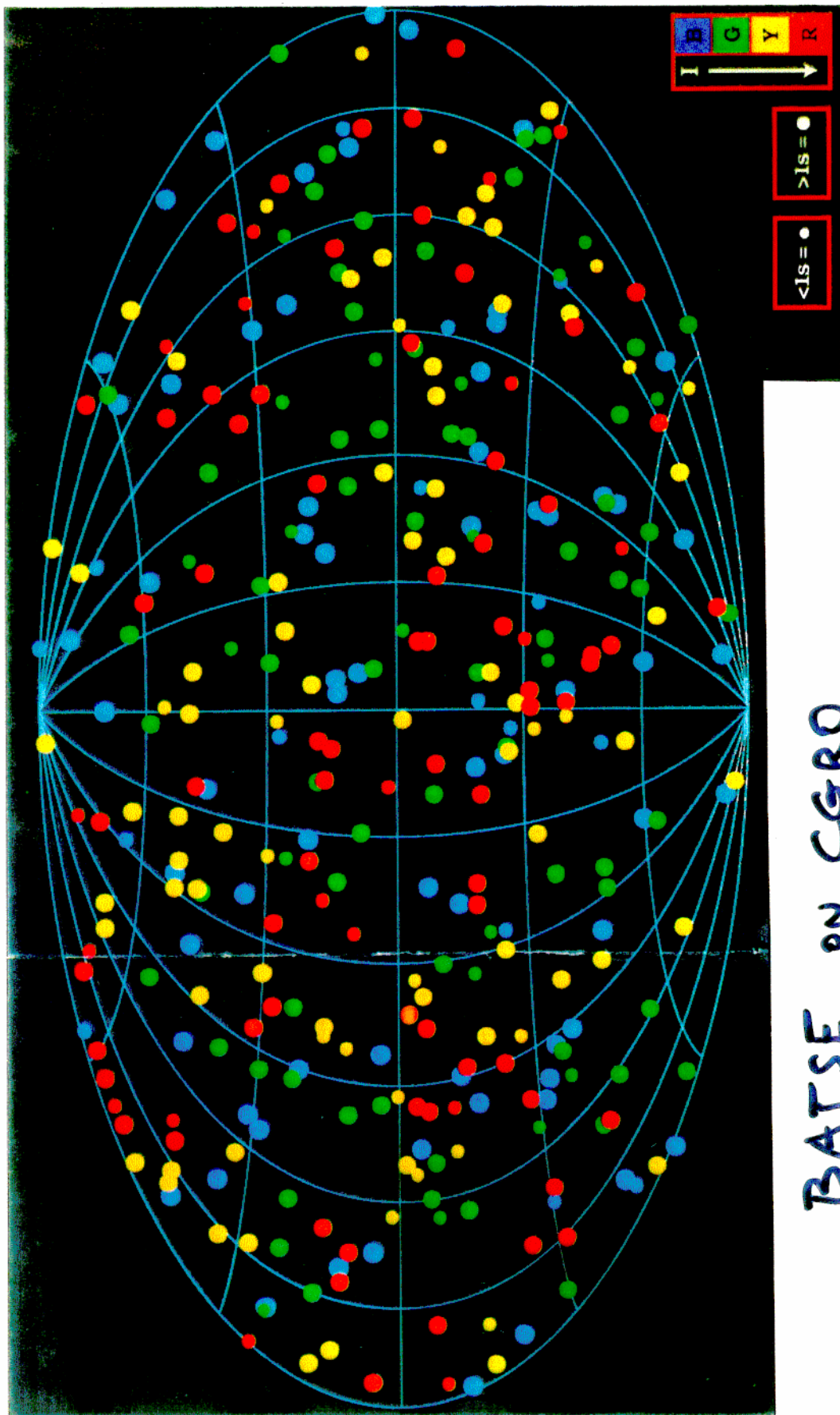
**Ralph WIJERS (Univ. Cambridge)**

and

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CGRO

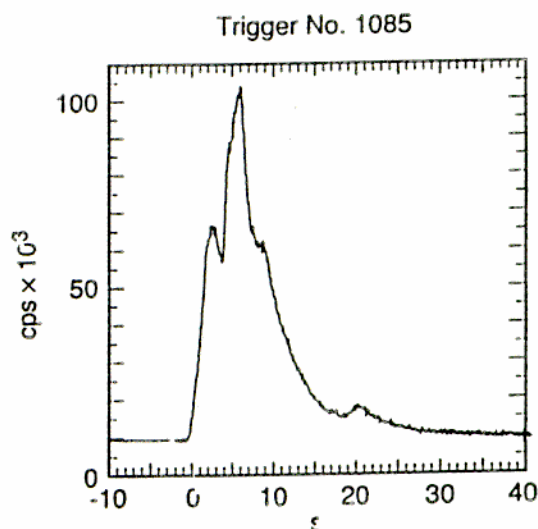
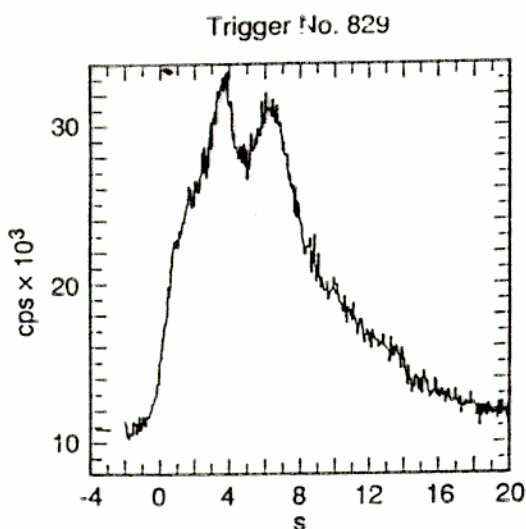


BATSE ON CGRO

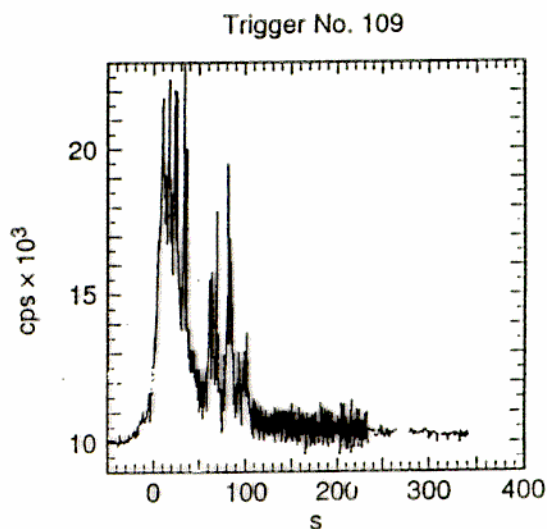
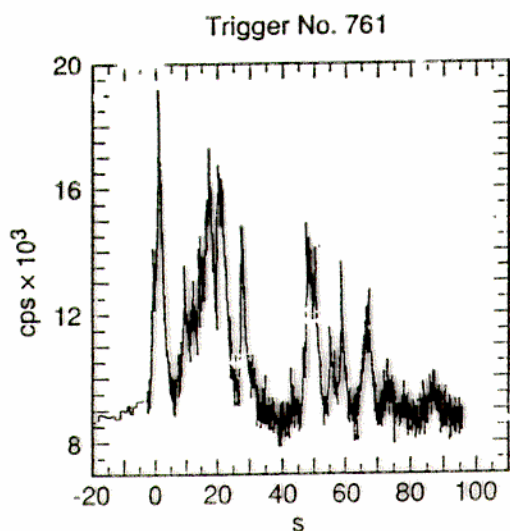
Fishman et al 97

# GRB TIME PROFILES

$\gamma$ -RAY COUNTS



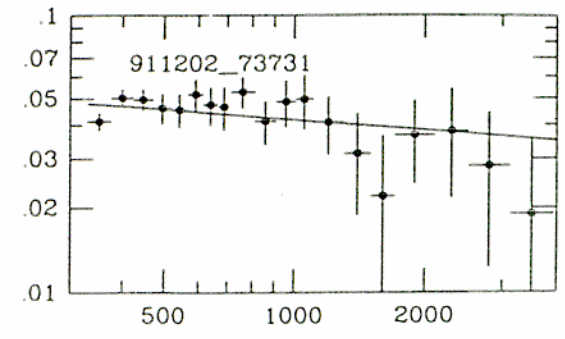
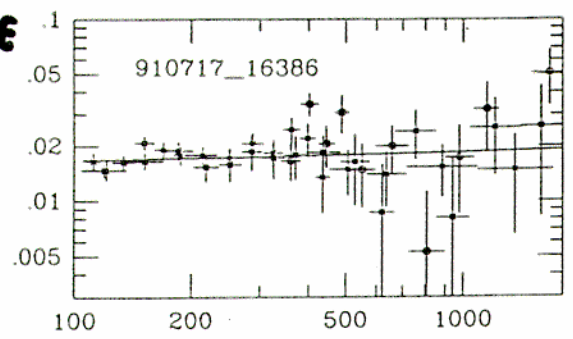
→ time



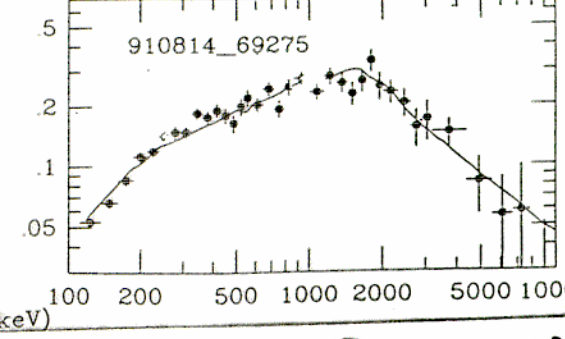
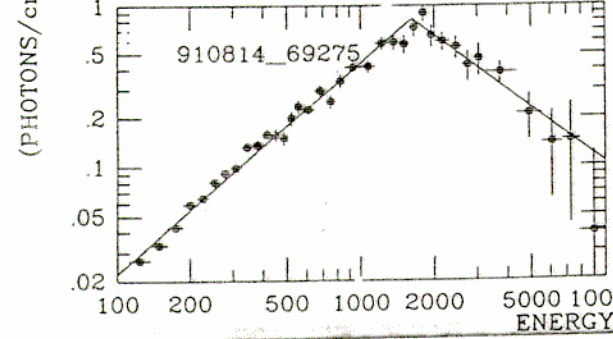
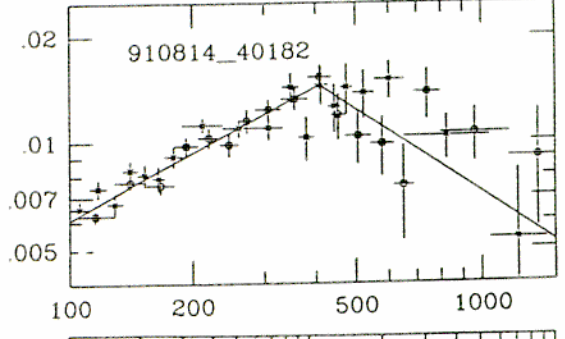
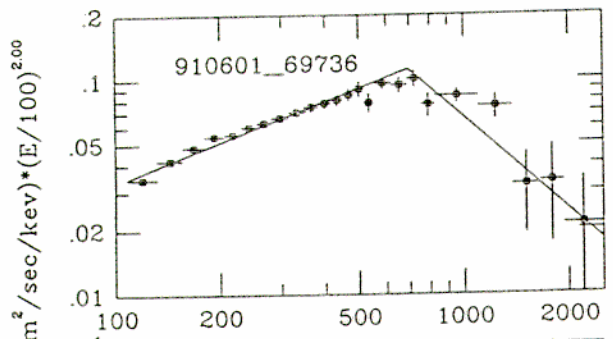
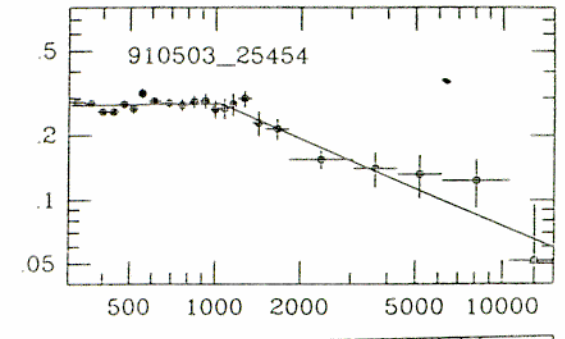
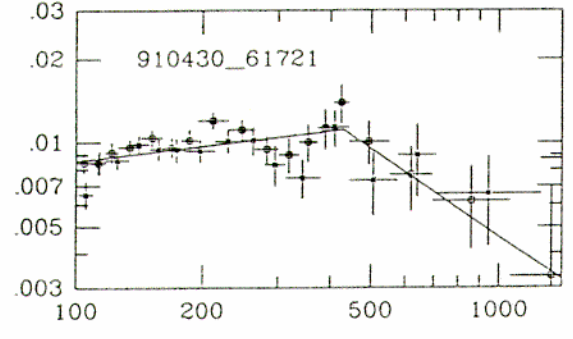
Fishman et al 92

SCHAEFER ET AL. '92

$E^2 N_E$



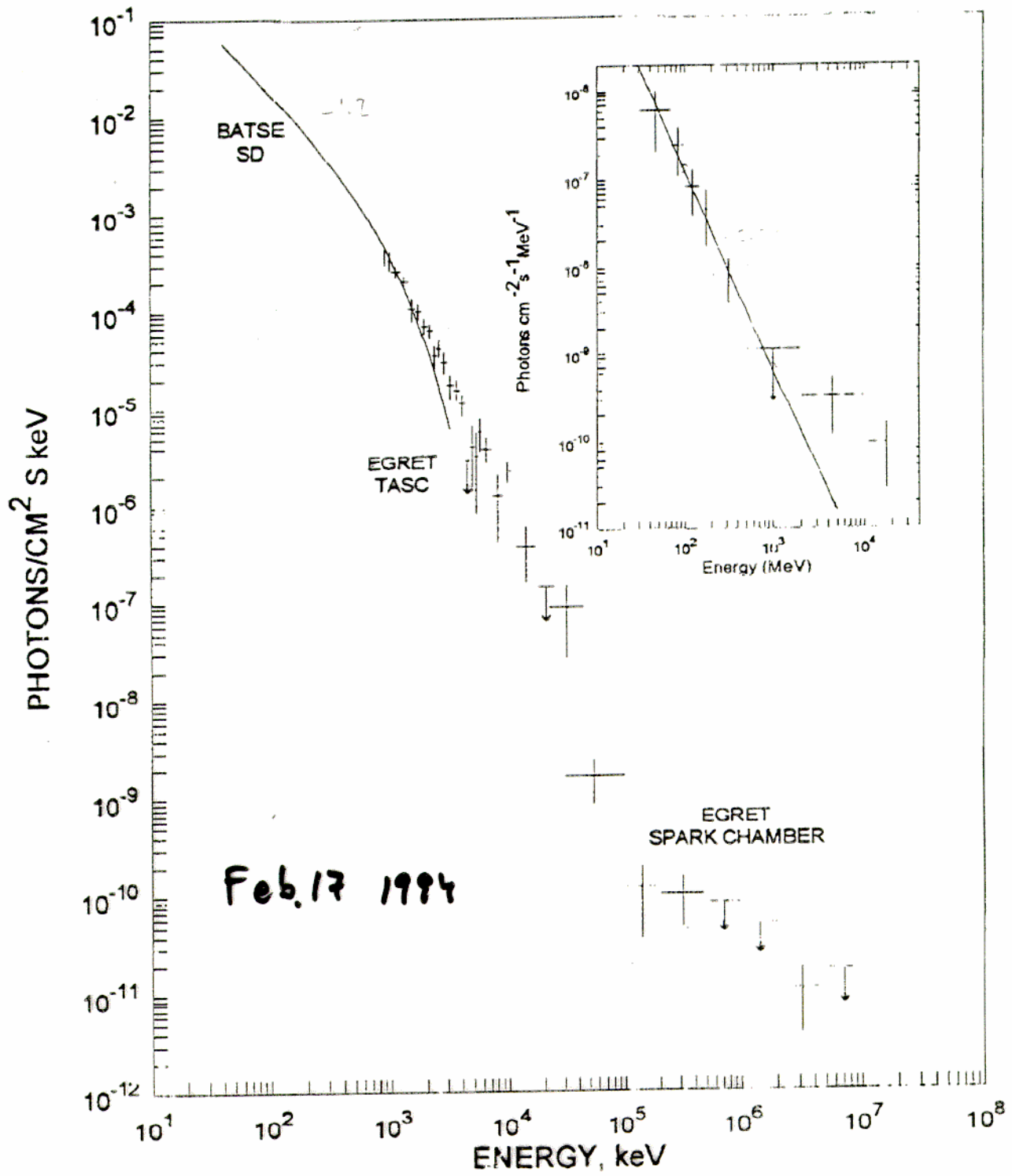
$\sqrt{F_\nu}$



ENERGY (keV)

$E (keV)$





GRB 940217  
 EGRET experiment on CGRO

Hurley et al  
 1994

## COSMOLOGICAL GRB :

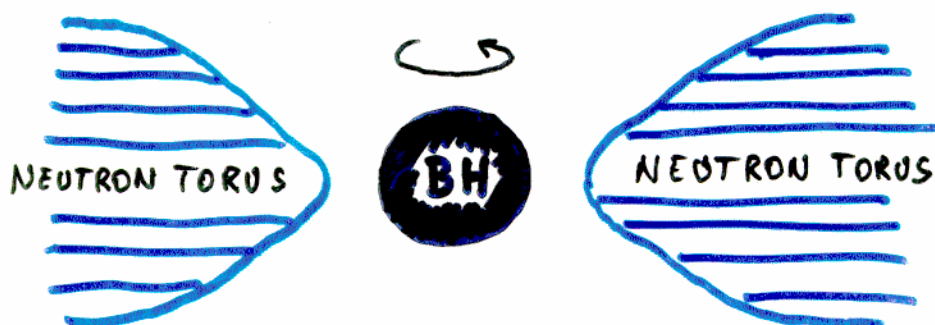
### Basic Numbers

- $z_{970508} \gtrsim 0.83$  ,  $z_{971214} \sim 3.4$ ,  
 $\rightarrow D \sim 10^{28}$  cm -  $10^{29}$  cm
  
- fluence  $F = \int flux dt \sim 10^{-5} - 10^{-6}$  erg  
  
 $\rightarrow$   
 $E_\gamma \sim 10^{51}(\Omega/4\pi)D_{28}^2 F_{-6} - 10^{54}(\Omega/4\pi)D_{29}^2 F_{-5}$  erg  
 $\sim (GM_\odot^2/R_{NS})(\Omega/4\pi)$   
 ( $\sim$  energy release in a supernova)
  
- **Rate**  $\sim 1/\text{day}$  observed at Earth  
 $\rightarrow$  only  $10^{-6}(\Omega/4\pi)^{-1}$  events/yr/galaxy  
 (i.e., could be  $\sim 10^4$  times rarer than supernovae)



## “LIKELIEST” MODEL:

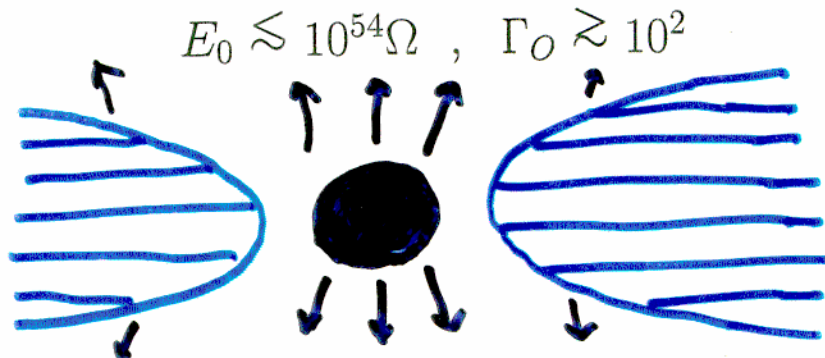
- $2 - 5 M_{\odot}$  **BLACK HOLE**, orbited by  $\approx 0.1 M_{\odot}$  **torus** of neutron star density



Could arise from:

- **NS-NS or NS-BH** mergers  
(known to exist, merger stats.  $\sim$  reliable)
- **Collapse** of rotating **massive** star :  
(failed SN Ib, binary Wolf-Rayet star )
- **He-BH or WD-BH merger**  
(from Red Giant/BH inspiral, common env.)
- **Energy Available:**
  - Orbital/Internal energy of **torus** ( $\lesssim 0.4 M_{torus} c^2$ )
  - Spin energy of **black hole** ( $\lesssim 0.3 M_{hole} c^2$ )  
 $\rightarrow 10^{53} (4\pi/\Omega)$  –  $10^{54} (4\pi/\Omega)$  ergs  
 $\rightarrow 10^{55} - 10^{56}$  erg “isotropized” ( $\Omega = 10^{-2}$ )

## Requirements for a Viable Model



Two Mechanisms might allow high- $\Gamma$  energy escape

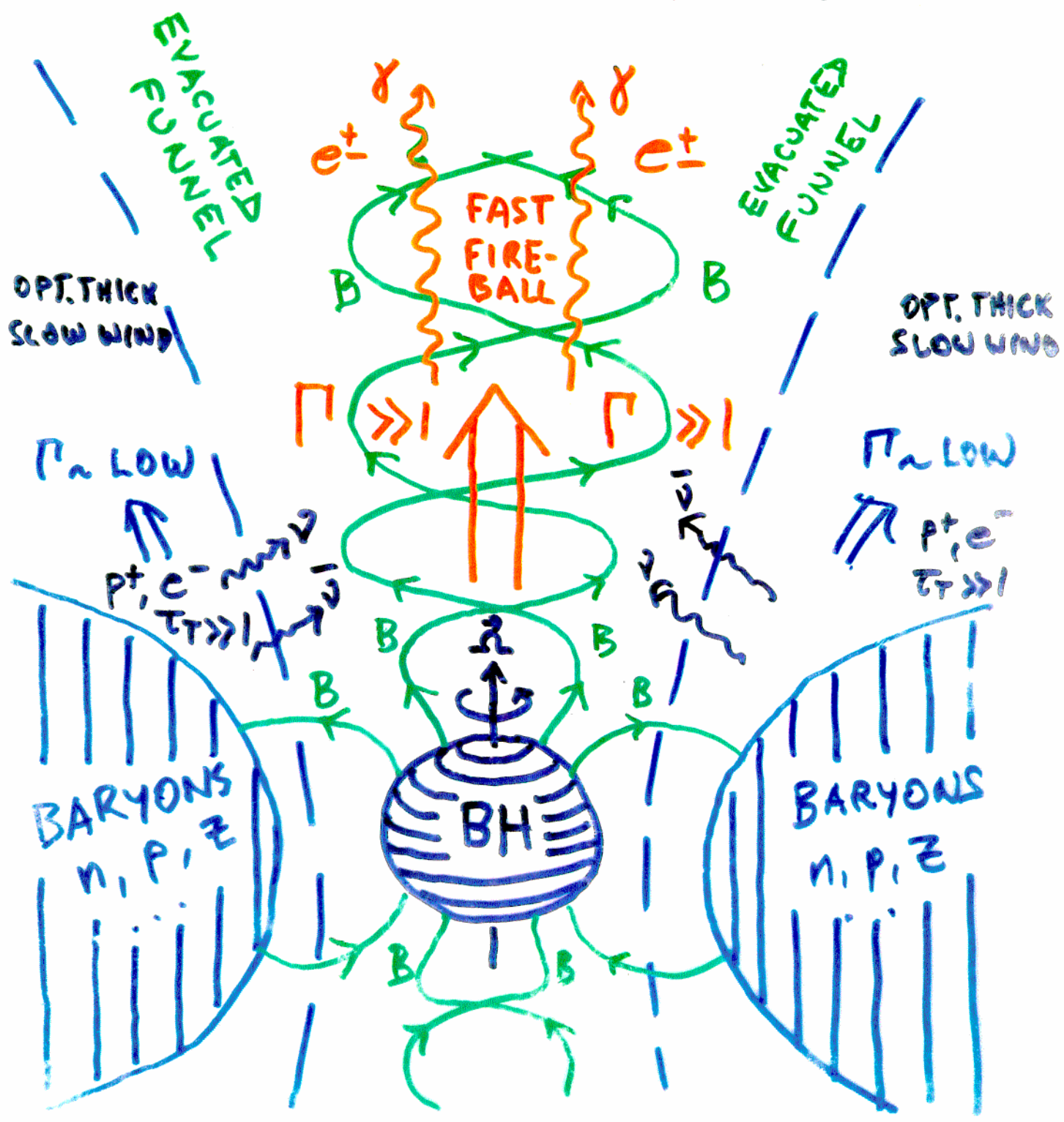
- Thermal Neutrinos:  $\nu\bar{\nu} \rightarrow e^\pm, \gamma$  (Ruffert et al. '97 A&A, 319, 122)  
 but:  $L_{e^\pm} \lesssim 10^{51} (4\pi/\Omega)$  erg
  - Electromagnetic Torques :
    - Field threading **torus** extracts orbital energy (c.f. pulsar winds);
    - Field threading **BH** extracts hole's spin energy (via Blandford-Znajek mechanism)
    - **Luminosity** requires **B** amplifies to  $10^{15}$  G
    - Orbital timescale  $\sim ms$ , but debris must (sometimes) persist for up to  $\sim 10^4$  orbits
    - Outflow is naturally **collimated** (c.f. AGN,  $\Omega \sim 10^{-1} - 10^{-2}$ )  $\rightarrow$  **POYNTING JETS**
- $L_{MHD} \sim L_{e^\pm, \gamma} \sim 10^{54} (4\pi/\Omega)$  erg

Mészáros & Rees '97 ApJL, 482, L29  
 Paczyński '98 ApJL, 494, L45

NS-NS/NS-BH  
WR + COMP  
He-BH } MERGER =>

**BH + DEBRIS TORUS**

Mészáros & Rees 97 ApJL  
Paczynski 98 ApJL  
Fryer, Woosley 98 ApJL



## TIMESCALES: what causes them?

Acceptable models require that torus should not drain into hole too soon (e.g. bar-mode instab, grav. rad., etc). This depends on viscosity, neutrino cooling, convection, magnetic fields, etc

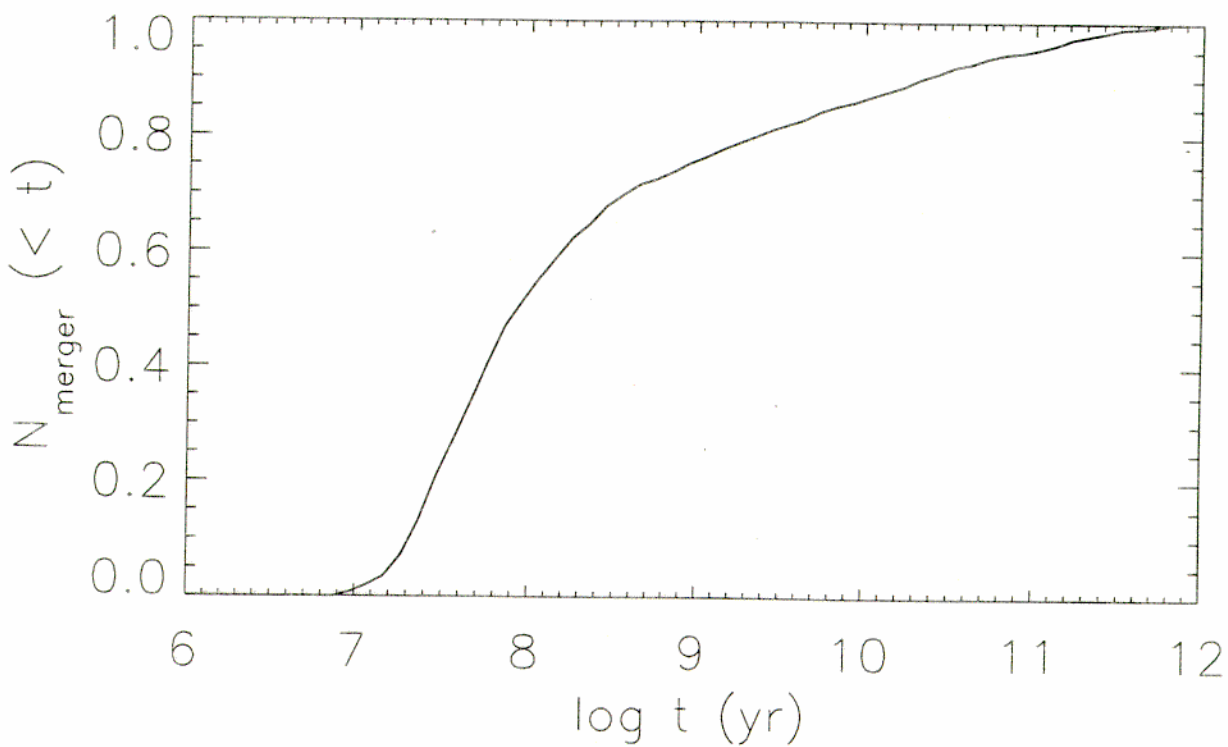
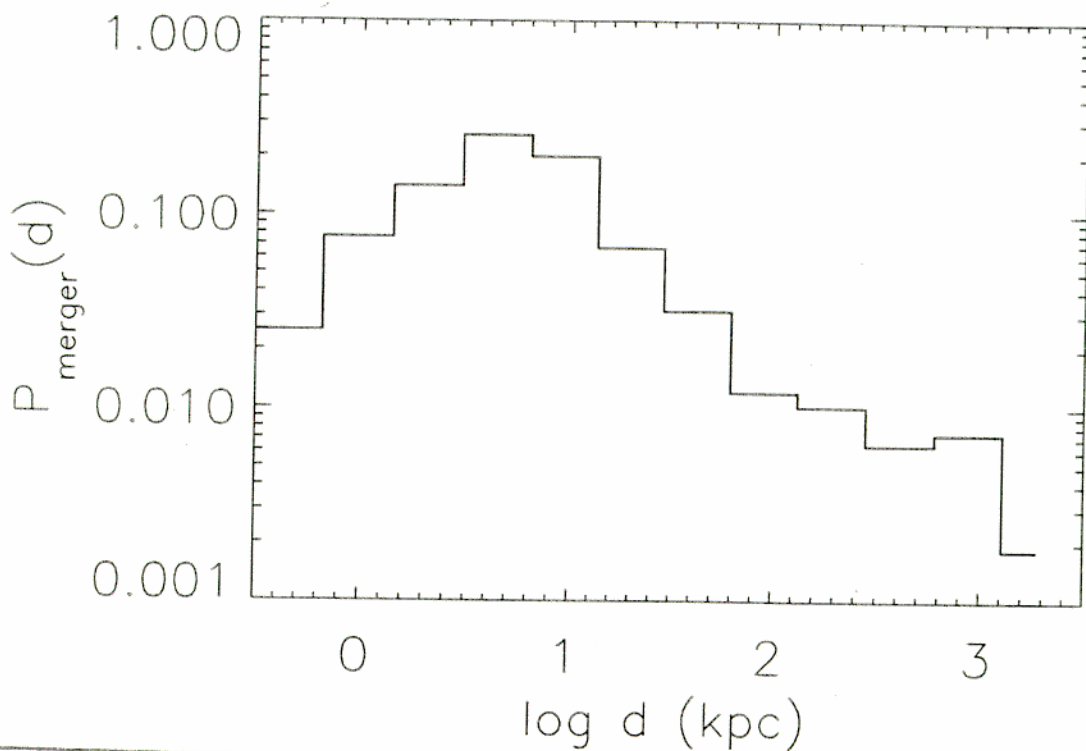
- $B \gtrsim 10^{15}$  G can be generated by convect. instab. in hot torus, which stops after neutrino cooling occurred,  $t \sim 1 - 10$  s
- In cold torus, Balbus-Hawley generates azimuthal fields  $B_\phi \sim 10^{17}$  G (buoyancy limit,  $\rightarrow$  poloidal field  $B_p \sim 10^{15}$  G); builds from seed field  $B \sim 10^{12}$  G in  $10^5$  turns or  $t \sim 16P_{-3}$  s
- After  $B^2$  builds up to some fraction of equipartition,  $\rightarrow$  magnetic viscosity  
 $\alpha \sim B^2 / (4\pi\rho v_s^2) \sim 10^{-1} B_{15}^2 \rho_{13}^{-1} T_9^{-1}$ . For outer radius  $r_{tor} \sim 10^9$  cm, accretion timescale is  
 $t \sim (\alpha\Omega)^{-1} \sim 30 r_9^{3/2} \alpha_{-1}^{-1}$  s.
- Short and long bursts? One possibility: NS-NS  $\rightarrow$  small disk, short burst; while He/WD-BH merger  $\rightarrow$  larger disk, longer burst.

+ ... others

- More speculative possibilities:
  - a) merger  $\rightarrow$  rotation stabilized massive high-field pulsar burst, after slow-down collapse to BH  $\rightarrow$  2nd burst (?)
  - b) NS merges with NS of unequal mass, larger gains mass  $\rightarrow$  BH+torus burst, smaller loses gradually more mass until below crit. mass  $\rightarrow$  explosive deleptonization  $\rightarrow$  2nd burst (?)
  - c) ...



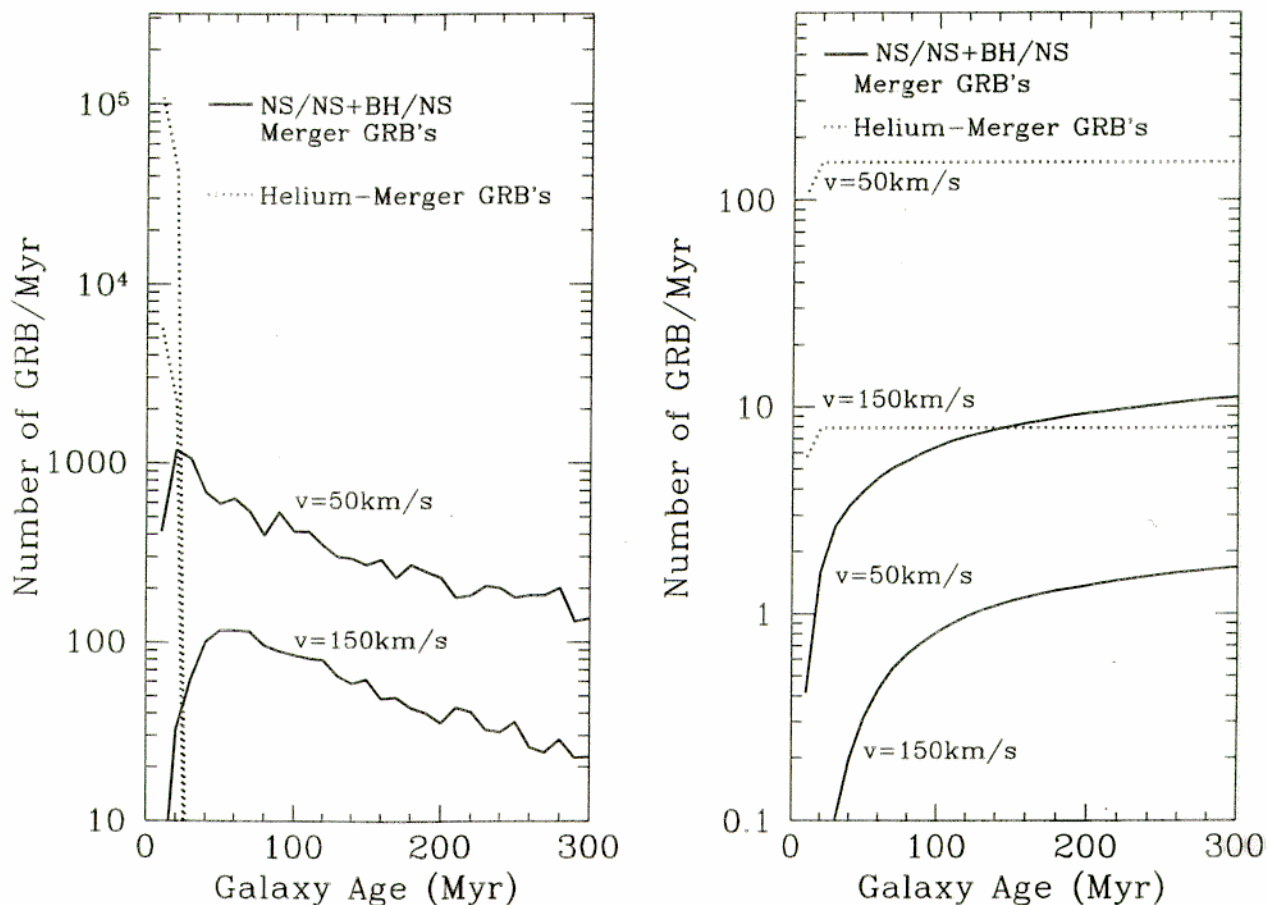
# NS-NS MERGERS



$L^*$  Gal

Bloom & Sigurdsson  
& Poets, 98





He core / BH merger  
 NS-NS + NS-BH merger from ~~burst~~  
 Fryer & Woosley '98

Fig. 1.— (a) The number of gamma-ray bursts vs. age for a single burst of star formation with  $10^8$  supernovae. Gamma-ray bursts continue to occur from mergers of NS/NS and BH/NS binaries long after the initial burst of star formation. Helium merger gamma-ray bursts occur along with the star formation and should not be observed in old stellar populations. (b) The number of gamma-ray bursts produced per Myr vs. age assuming a constant supernova rate of  $0.01 \text{ y}^{-1}$ . The helium merger gamma-ray burst rate quickly reaches a peak and then remains flat.

# GRB TRAVEL PLANS

PROGENITOR	$\bar{v}$ (Kms)	$\tau$ (yr)	$D_{\text{median}}$
NS-NS	100	$10^8$	10 Kpc
BH-NS	10-30	$< 10^7$	$< 10^2 - 3 \times 10^2$ pc
BH-He/WB	100	$10^6$	$10^2$ pc

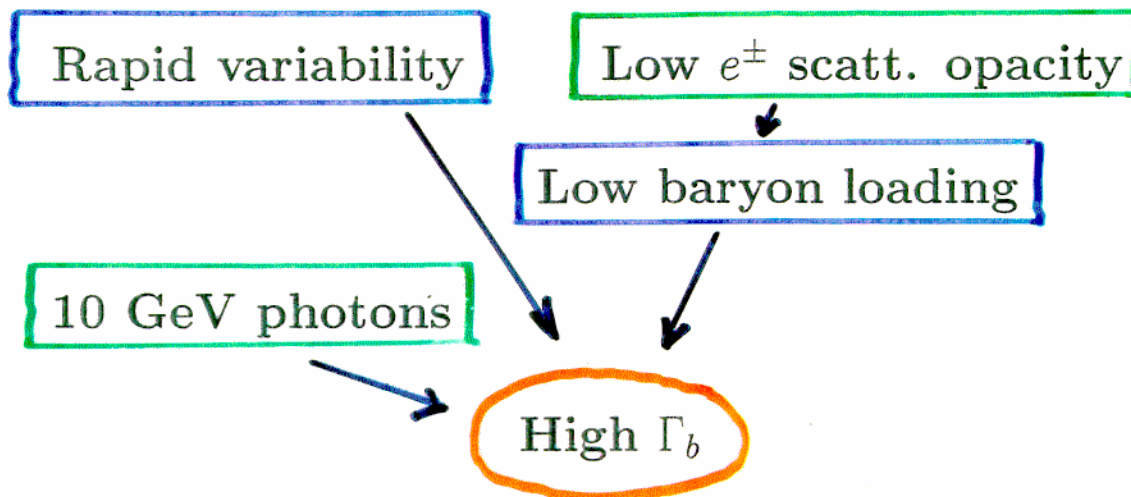
## Constraints from Observations

- $Z_{971214} \sim 3.4 \Rightarrow E_\gamma \sim 10^{53.5}$  erg (if isotropic)  
 → constrain  $\nu\bar{\nu} \rightarrow e^\pm, \gamma$  mechanism in either NS-NS, NS-BH and in hypernovae (He/WD-BH, failed SN Ib, rotating WR coll), since  $E_{e^\pm} \sim 10^{51}(4\pi/\Omega)$  erg (unless  $\frac{\Omega}{4\pi} \lesssim 10^{-3}$ ).
- No constraint on MHD jets from spin energy of BH+torus via BZ mechanism: NS-NS, NS-BH as well as fast-rotating hypernova models are all equally able to produce  $\sim 10^{54}(4\pi/\Omega)$  erg (even without beaming), since hole mass is similar.
- Possible constraint on MHD jets from the rotational energy of torus:
  - NS-NS (fast rot. hole,  $M_d \sim 0.1 M_\odot$ )  
 $E \sim 4 \times 10^{52}(4\pi/\Omega) \rightarrow$  need beaming  $\lesssim 10^{-1}$ ;
  - failed SN Ib (slow rot. hole,  $M_d \sim 1 M_\odot$ ):  
 $E \sim 1.2 \times 10^{53}(4\pi/\Omega) \rightarrow$  need beaming  $\lesssim 1/\text{few}$ ;
  - NS-BH, He/WD-BH, bin WR coll: fast rot hole, disk  $\sim 1 M_\odot$ ,  $E \sim 8 \times 10^{53}(4\pi/\Omega)$   
 $\rightarrow$  no beaming needed

## HOW LARGE IS EMITTING REGION?

- “Trigger” size:  $r_{trigger} \sim ct_{var} \sim 10^7 t_{var,-3} \text{ cm}$
- BUT: black body  $kT \sim 0.5 \text{ MeV}$ ,  $L \sim 10^{52} \text{ erg/s}$   
 → has “photosphere” size  $r_{bb} \sim 3 \times 10^9 \text{ cm}$
- Observed radiation is **non-thermal**, so it must be emitted from **optically thin** region with

$$r_{em} \gg r_{bb} \gg r_{trigger}$$



Variability timescale: smallest of  $\begin{cases} t_{em} \sim r_{em}/(\Gamma_b^2 c); \\ t_{trigger} \sim t_{var} \end{cases}$

Acceptable models require  $\Gamma_b \sim 10^2 - 10^3$   
 $\Rightarrow$  Mass of entrained baryons  $\lesssim 10^{-5} M_\odot E_{51} \Gamma_2^{-1}$

FIREBALL: relativistic gas dominated by  $e^\pm, \gamma$

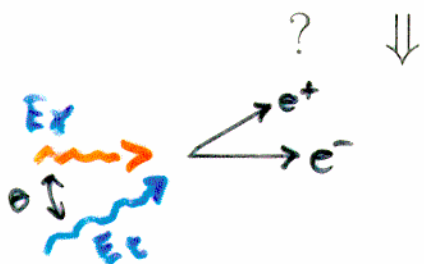
- $E_\gamma \gtrsim 10^{51} \Omega D_{28}^2 F_{-6}$  erg
- $R_o \sim ct_o \sim 10^7 t_{-3}$  cm

$\Downarrow$

- $\tau_{\gamma\gamma} \sim \frac{E_\gamma}{R_o^3 m_e c^2} \sigma_T R_o \gg 1 \Rightarrow e^\pm, \gamma$  fireball
- $L_\gamma \sim E_o/t_o \gg L_{Ed} \Rightarrow$  **expanding** fireball

RELATIVISTIC expansion:

- observe  $h\nu \gtrsim 10$  GeV
- but  $\tau_{\gamma\gamma} > 1 \Rightarrow \gamma\gamma \rightarrow e^+e^-$   
would degrade 10 GeV  $\rightarrow$   $< 0.5$  MeV



$$E_\gamma > \frac{2(m_e c^2)^2}{E_t(1 - \cos \theta)} \sim \frac{4(m_e c^2)^2}{E_t \theta^2}$$

- Relativistic outflow  $\rightarrow \Gamma \gtrsim \theta^{-1} \sim 10^2$  (causality)

$$\text{GRB} \begin{cases} \text{\underline{\gamma-ray burst}} & (10^{-3} - 10^3 \text{ sec}; \\ \text{\underline{X, O, R afterglow}} & (\text{hours} \rightarrow \text{months}) \end{cases}$$

**BOTH** can be understood within context of  
**COSMOLOGICAL FIREBALL SHOCK** model  
 which can arise from the previous mechanisms

**Motivation:**

$$\text{FIREBALL SHOCK} \Leftarrow \begin{cases} \text{cosmological hypothesis} \\ \text{\gamma - ray phenomenology} \\ \text{physical considerations} \end{cases}$$



**Predicted** (before detection) **Afterglows**  
 in fair agreement with observations



## THREE KINEMATIC EFFECTS for $\Gamma \gg 1$ OUTFLOWS

- Internal Shocks in unsteady wind or inhomogeneous fireball

If  $\Gamma$  varies by factor  $\sim 2$  over time  $t_v$ , faster ejecta shell catches up with slower one at

$$r_{is} \sim \langle \Gamma^2 \rangle ct_v \sim 10^{14} t_v \text{ cm}$$

- External Shocks when run into outside medium (e.g. ISM)

Occurs at

$$r_{es} \sim (E_o / \rho_{ext} c^2 \Gamma^2)^{1/3} \sim 5 \times 10^{16} (E_{52} / n_o \Gamma_2^2)^{1/3} \text{ cm}$$

- Aberration

Only material moving within an angle  $\Gamma^{-1}$  of line of sight contributes to what is observed. (Transverse pressure gradients are only effective on angles  $\lesssim \Gamma^{-1}$ .)

Observations currently do not tell us if bursts are highly beamed.

## FIREBALL SHOCKS

1) Observe **non-thermal** power law photon spectra  
 $\Rightarrow$  unlike quasi-thermal, opt. thick fireball sp.

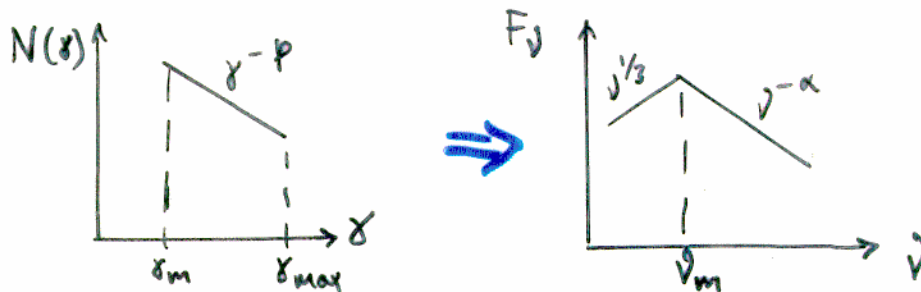
2) **Expansion:**  $\Rightarrow$  Adiabatic cooling  
 $E_{initial} \rightarrow E_{kinetic}$

**1+2**  $\Rightarrow$  Need reconvert  $E_{kin} \rightarrow E_{\gamma}$   
 after optically thin ( $\rightarrow$  nonthermal)

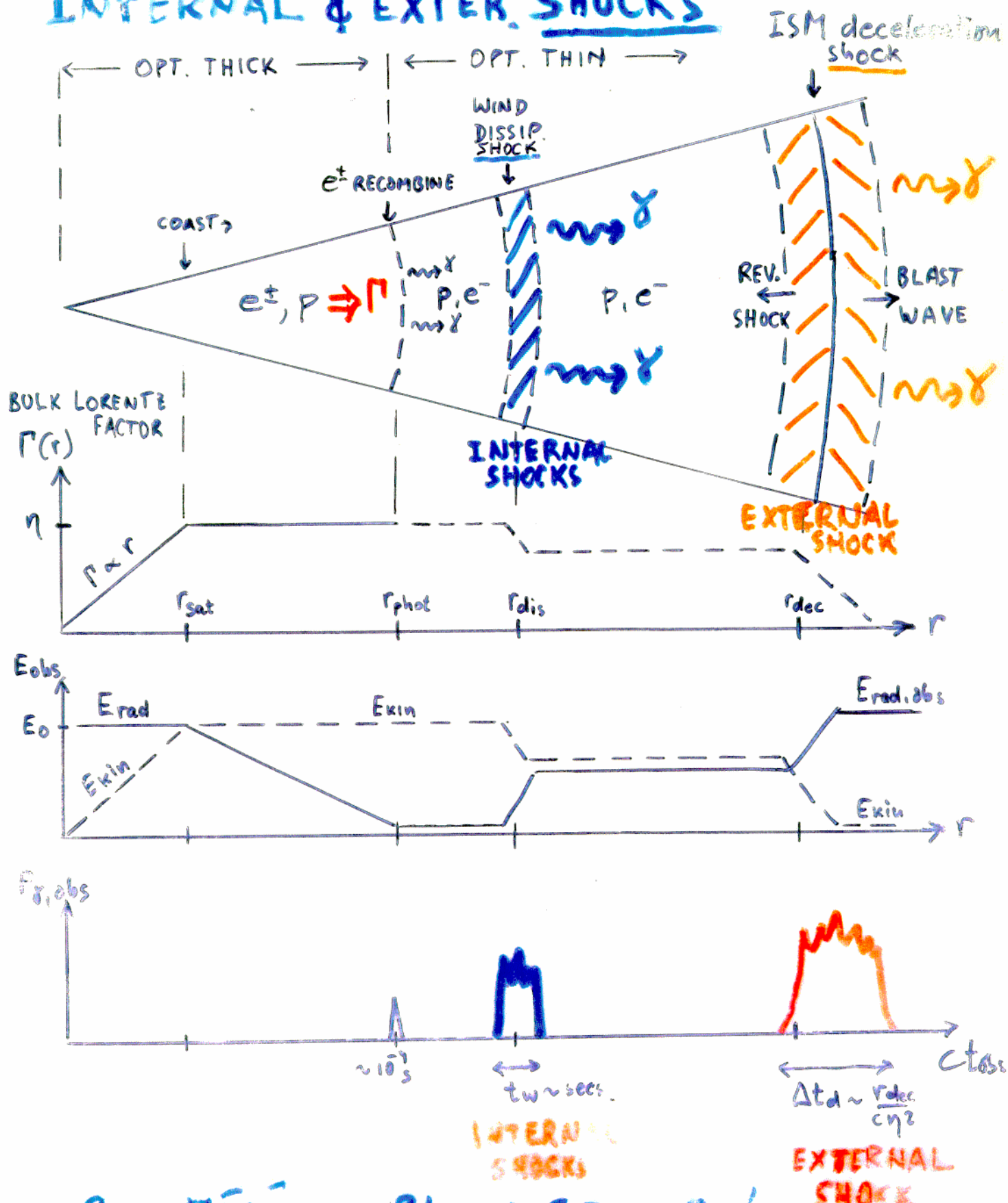
$\Rightarrow$  **SHOCKS in fireball**, after opt. thin stage

$\rightarrow$  Natural environment for

- particle acceleration  $N(E) \propto E^{-p}$   
 and (with turbulent B built up in shocks)
- Synchrotron peak  $\nu_m \sim 10^6 B \gamma_{rand}^2 \Gamma$
- Synchr spectrum  $F(\epsilon_{\gamma}) \propto \epsilon_{\gamma}^{1/3} \quad (\nu < \nu_m)$   
 $\propto \epsilon_{\gamma}^{-(p+1)/2} \quad (\nu > \nu_m, A)$   
 $\propto \epsilon_{\gamma}^{-p/2} \quad (\nu > \nu_m, R)$
- IC spectrum : similar, shifted up by  $\gamma_{rand}^2$



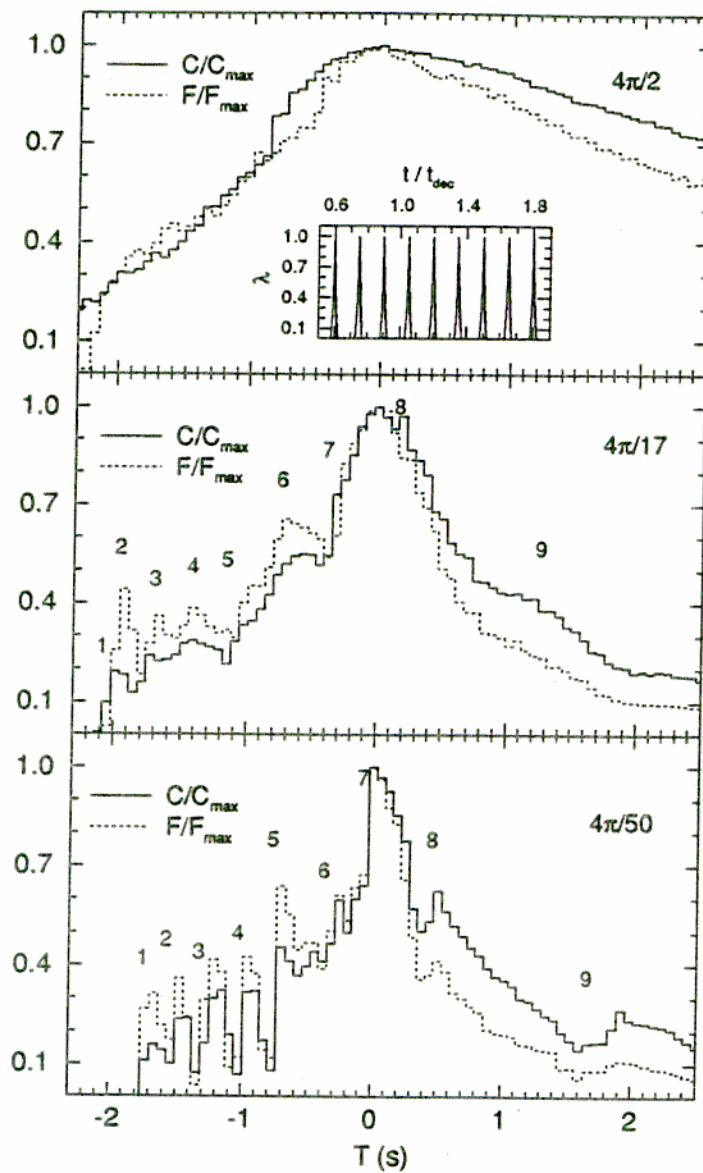
# INTERNAL & EXTER. SHOCKS



Rees, Meszaros 94, Meszaros & Rees 93

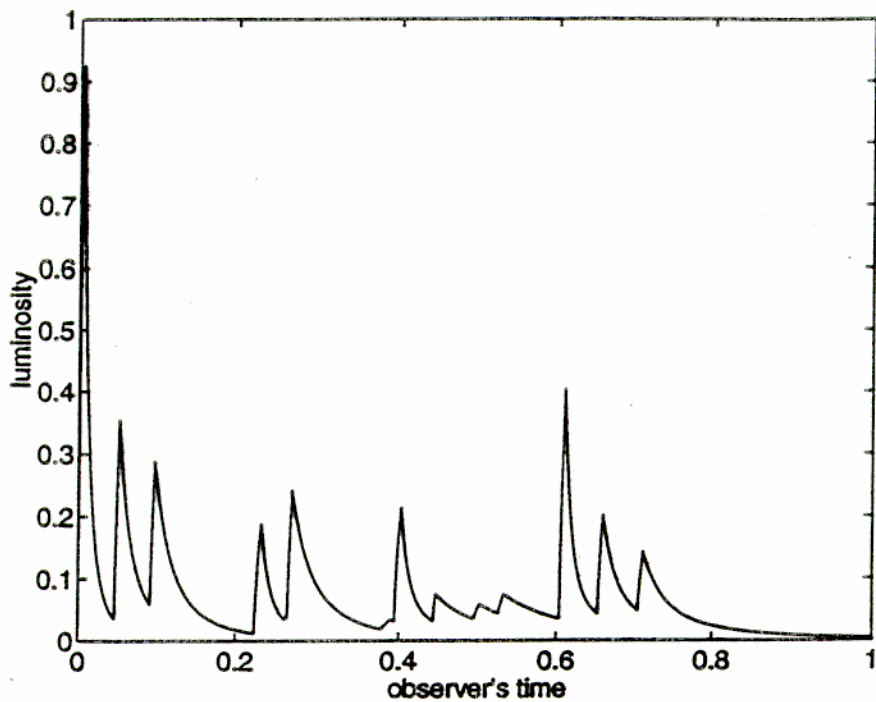
# EXTERNAL SHOCK SIM. LIGHT CURVE

- 30 -

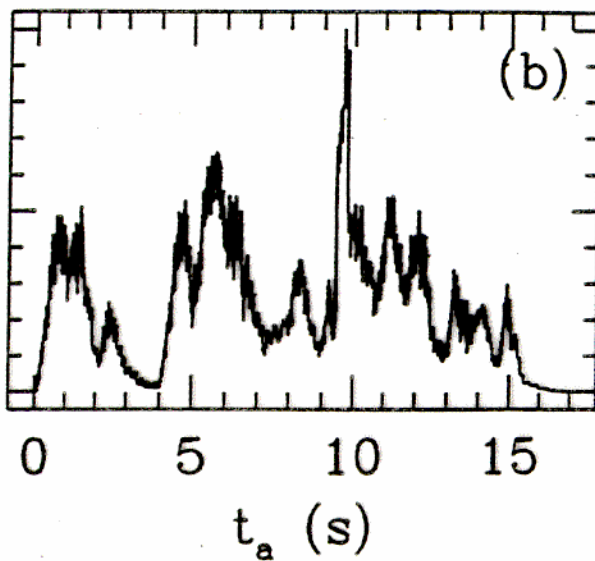


Panaiteescu & Meszaros 97a

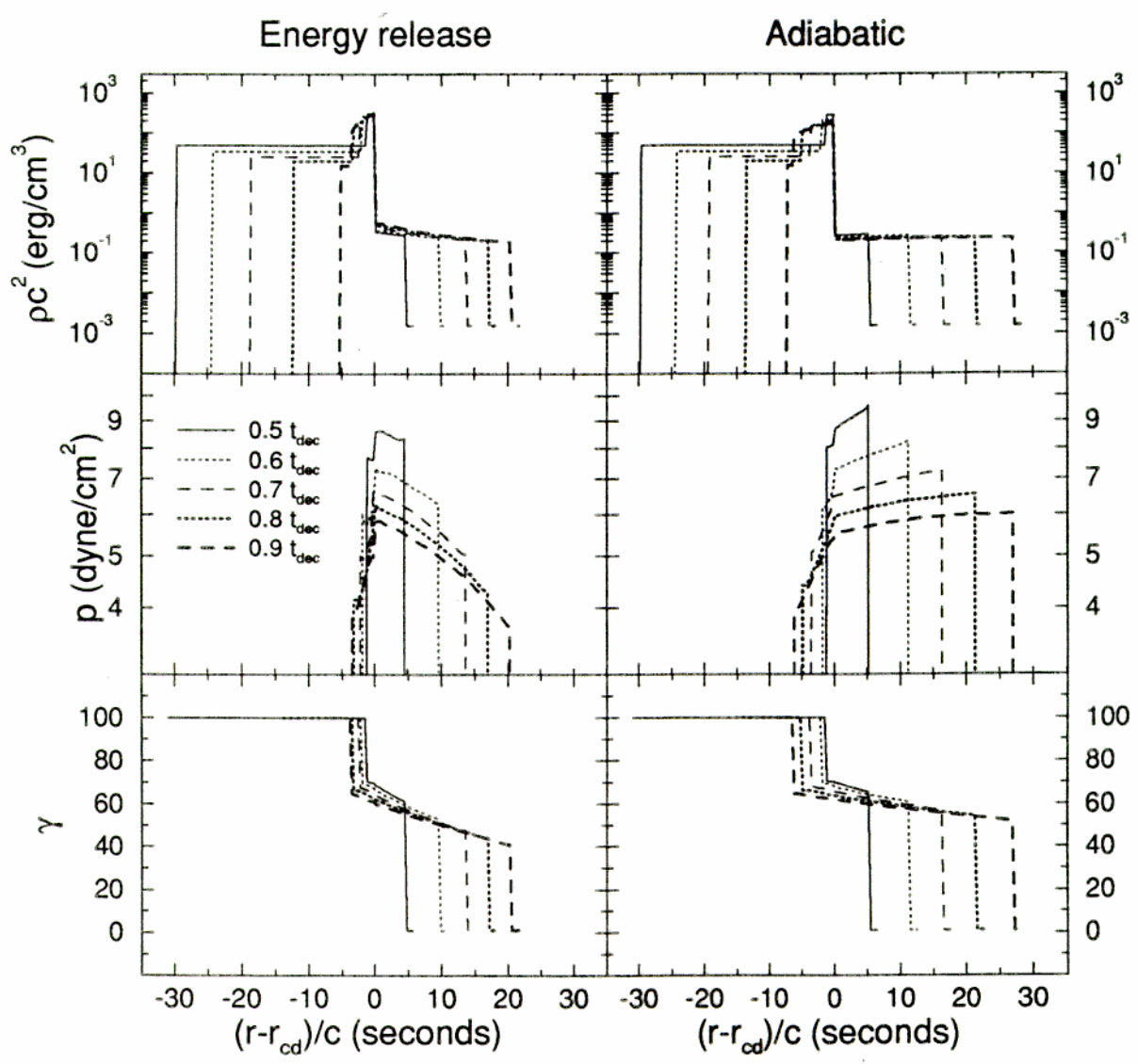
# INTERNAL SHOCK SIM. LIGHT CURVES



Kobayashi, Piran, Sari 97



Daigne & Mochevitch 97



$\eta = 100, E = 10^{51}, n_{\alpha} = 1 \text{ cm}^{-3}$

Figure 1  
 Panaitescu, Wen, Laguna & Meszaros '96



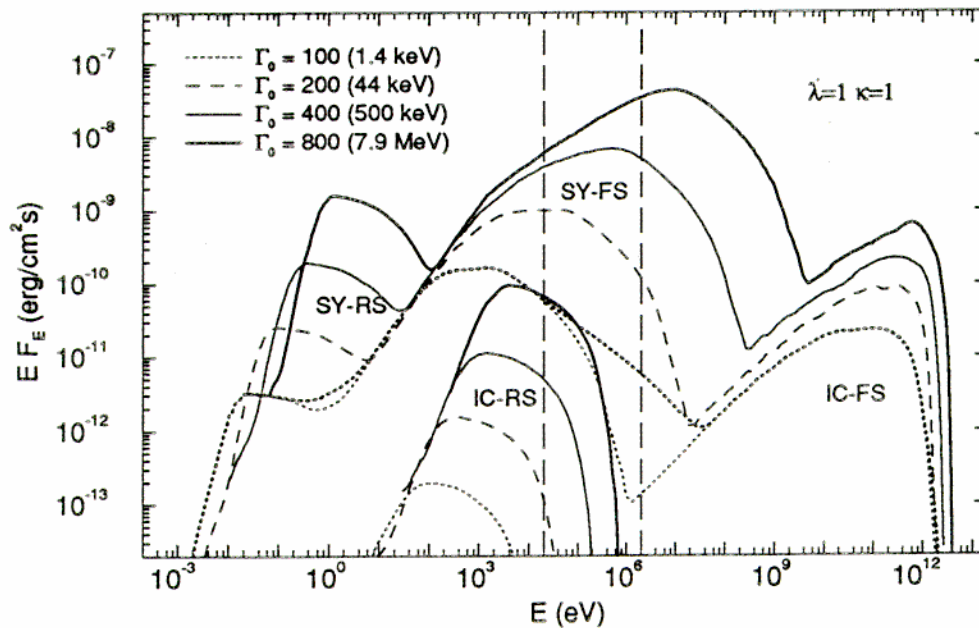


Fig. 1.— SY and IC spectra for  $E_0 = 10^{51}$  ergs,  $n = 1 \text{ cm}^{-3}$ ;  $D = 10^{28}$  cm,  $\lambda_B = 1$ ,  $\kappa = 1$ ,  $\gamma_M/\gamma_m = 10$ ,  $p = 3$ , and different parameters  $\Gamma_0$ . The thick dotted curve is for  $\Gamma_0 = 100$  and  $\gamma_M/\gamma_m = 100$ . Labels indicate the origin of each component: SY = synchrotron, IC = inverse Compton scattering, RS = reverse shock, FS = forward shock.  $E F_E = \nu F_\nu$  is the power per logarithmic energy (or frequency) interval. Vertical dashed lines show the BATSE window. The legend also gives the spectral peak energy  $E_p$  for each parameter  $\Gamma_0$ .

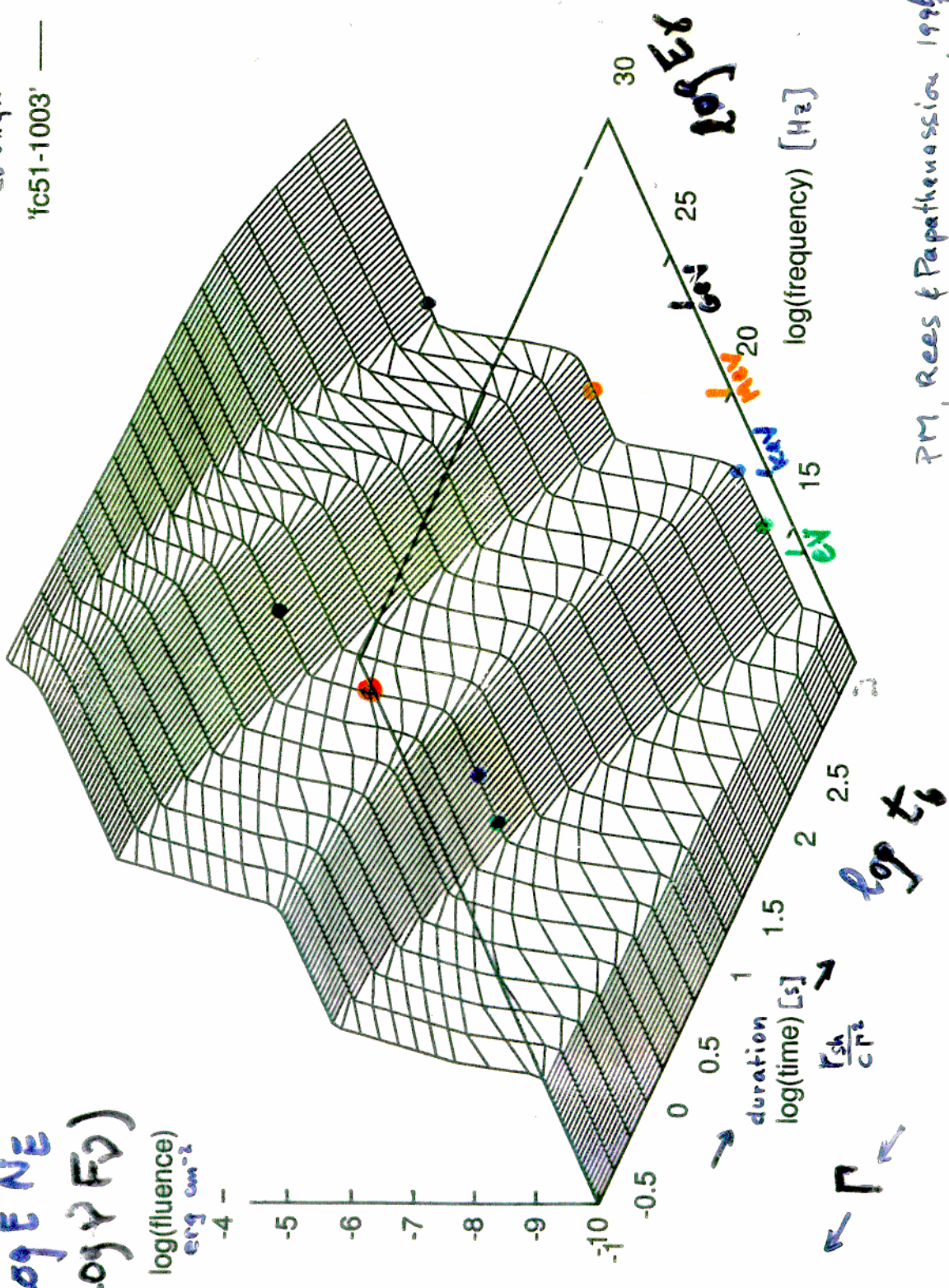
Panaitescu & Meszaros  
'97

# IMPULSIVE - EXT. SHOCK

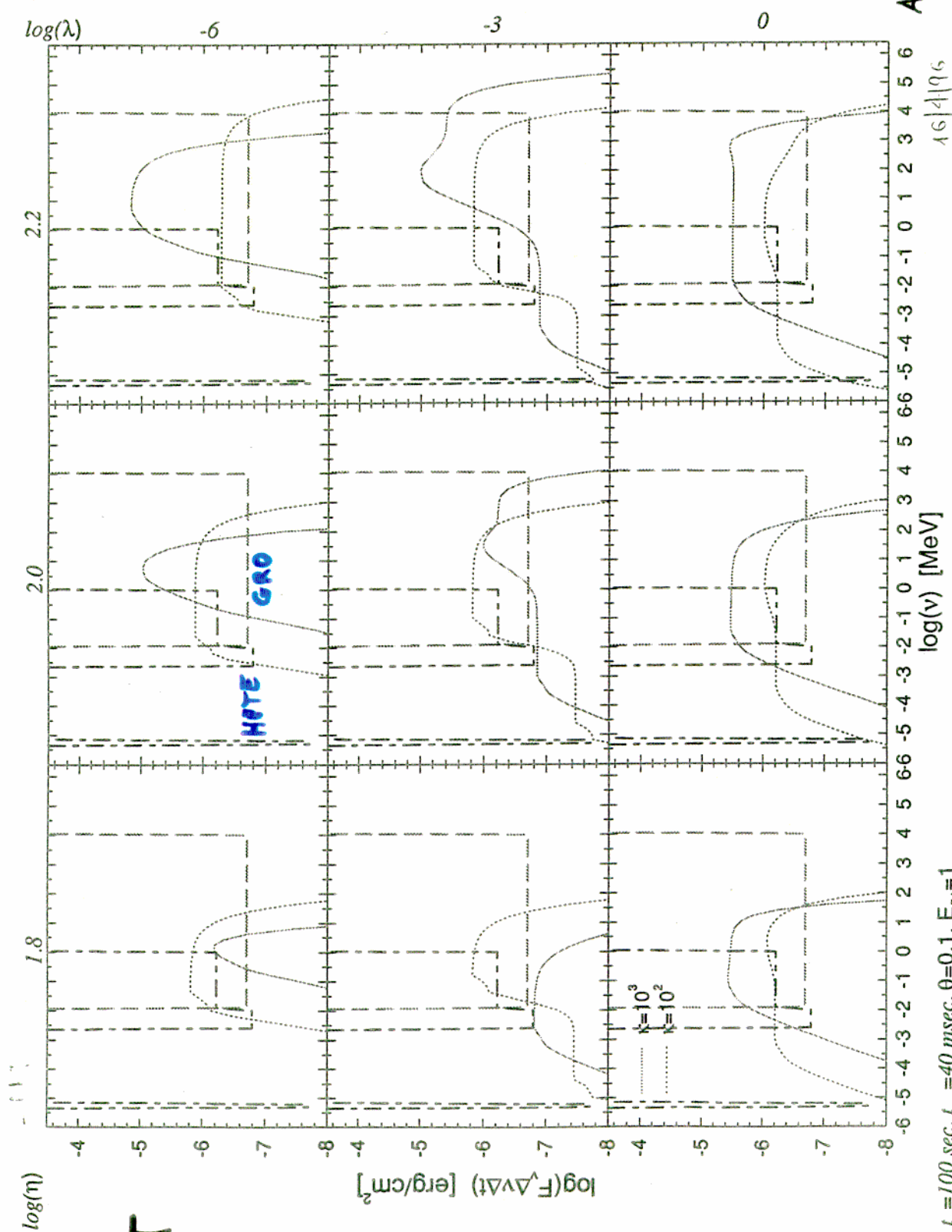
## FC

$\log E^2 NE$   
( $\log \dot{V} F_D$ )

$E_0 \text{ σε } \xi_k$   
'fc51-1003'



PM, Rees & Papathenossiou 1994, Ap.J. 432, 181



INT  
CT

t<sub>w</sub> = 100 sec, t<sub>wor</sub> = 40 msec, θ = 0.1, E<sub>51</sub> = 1

# EXTENDED WIND - INTERNAL SHOCKS

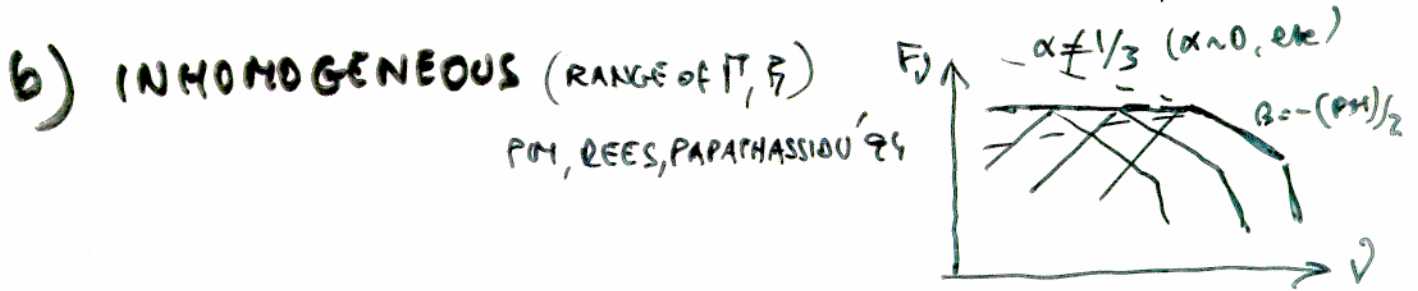
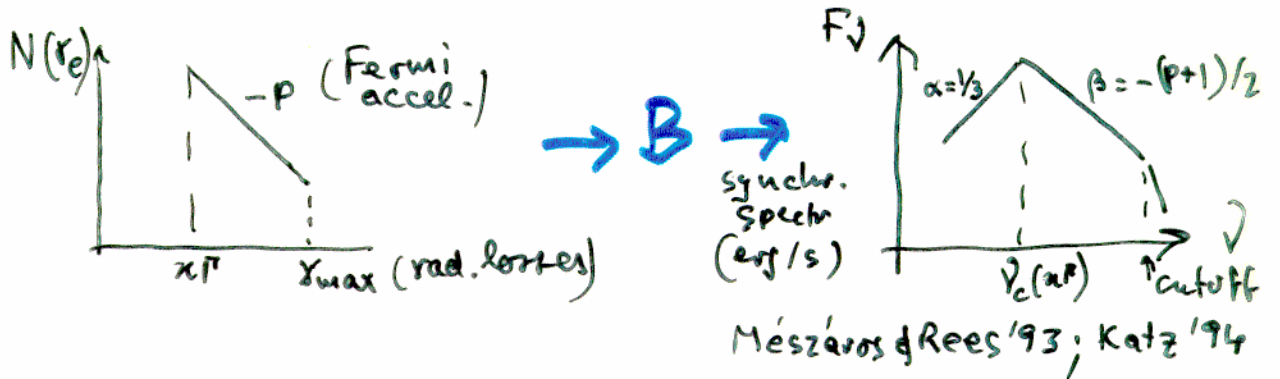
Papathassiou, Mészáros '96

# "SYNCHROTRON SHOCK" MODEL:

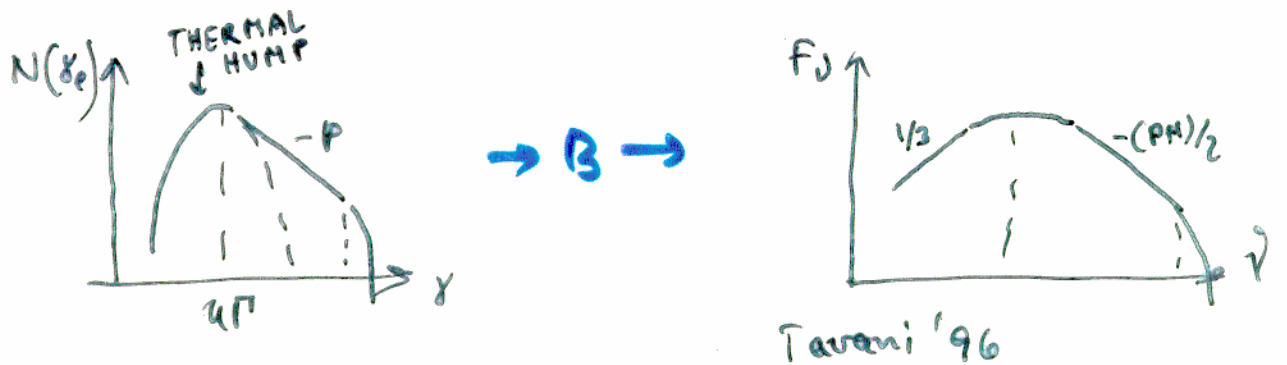
Rees, Meszaros '92

Shock ( $\Gamma$ )  $\Rightarrow \langle \delta_{e, random} \rangle \sim \underbrace{\kappa}_{\geq 1} \Gamma$

## a) ASYMPTOTIC (SINGLE $\Gamma$ , SINGLE $B$ )



## c) FULL DETAILS (McDonald function in Synchr. Spectrum, particular accel. mechanism, ...)

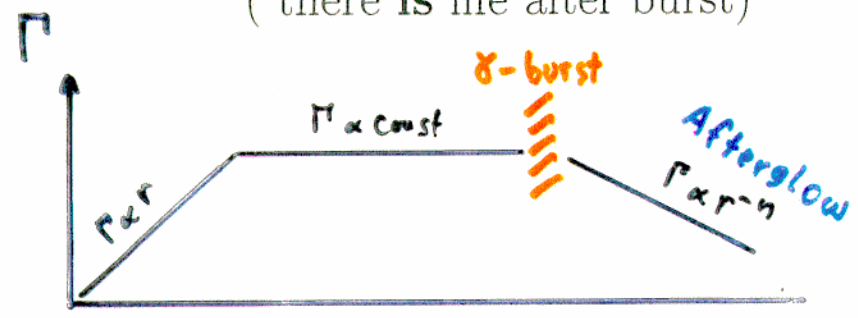


## d) INVERSE COMPTON Component (Meszaros & Rees '93 '94, Papathassiou '94) $\rightarrow$ GeV, etc



# AFTERGLOWS

(there is life after burst)

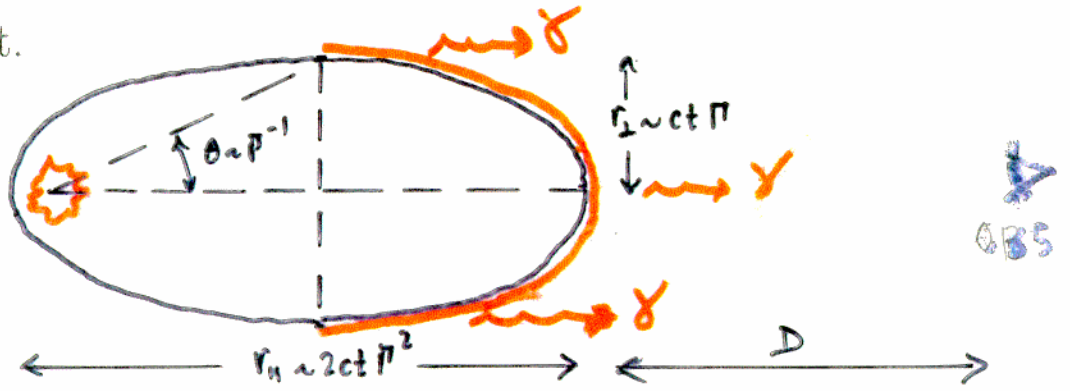


$\rho_{ext} r^3 \Gamma \sim \text{const.} \rightarrow \Gamma \propto r^{-3} \propto t^{-3/7}$  radiative  
 $\rho_{ext} r^3 \Gamma^2 \sim \text{const.} \rightarrow \Gamma \propto r^{-3/2} \propto t^{-3/8}$  adiabatic

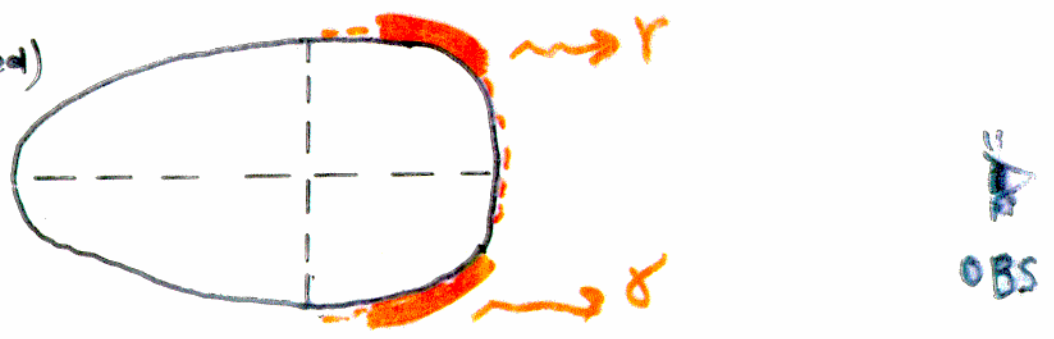
Mészáros, Rees '97, ApJ 476, 232

Equal-t (obs. time) surface:

a)  $\Gamma = \text{const.}$



b)  $\Gamma \propto r^{-n}$   
(decelerated)



THE ASTROPHYSICAL JOURNAL, 476:232-237, 1997 February 10  
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## OPTICAL AND LONG-WAVELENGTH AFTERGLOW FROM GAMMA-RAY BURSTS

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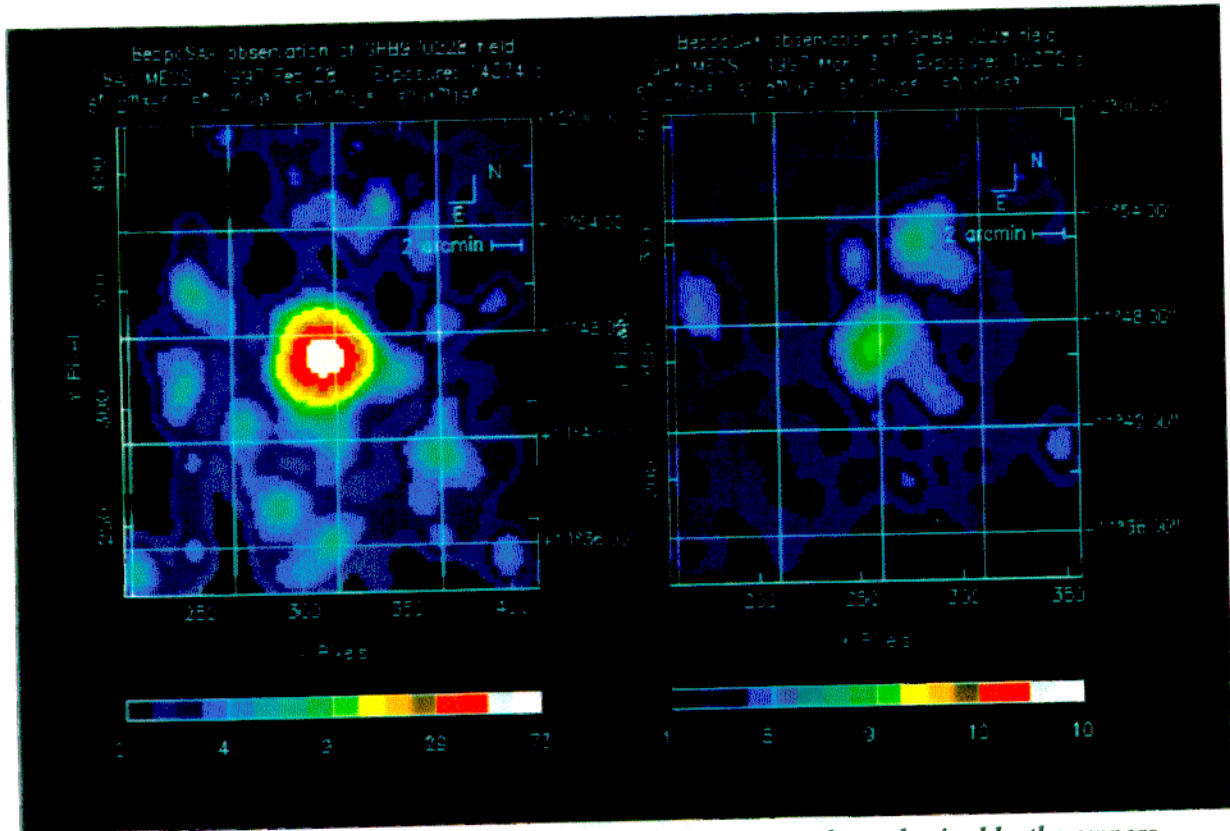
### ABSTRACT

We discuss the evolution of cosmological gamma-ray burst remnants, consisting of the cooling and expanding fireball ejecta together with any swept-up external matter, after the gamma-ray event. We show that significant optical emission is predicted, which should be measurable for timescales of hours after the event, and in some cases radio emission may be expected days to weeks after the event. The flux at optical, X-ray, and other long wavelengths decays as a power of time, and the initial value of the flux or magnitude, as well as the value of the time-decay exponent, should help to distinguish between possible types of dissipative fireball models.

*Subject heading:* gamma rays: bursts

A<sub>p</sub> J 970210 → GRB 970228





*These data are property of BeppoSAX Team. Any use of these must be authorized by the owners.*

The bright source in the field is the new X-ray source

1SAX J0501.7+1146

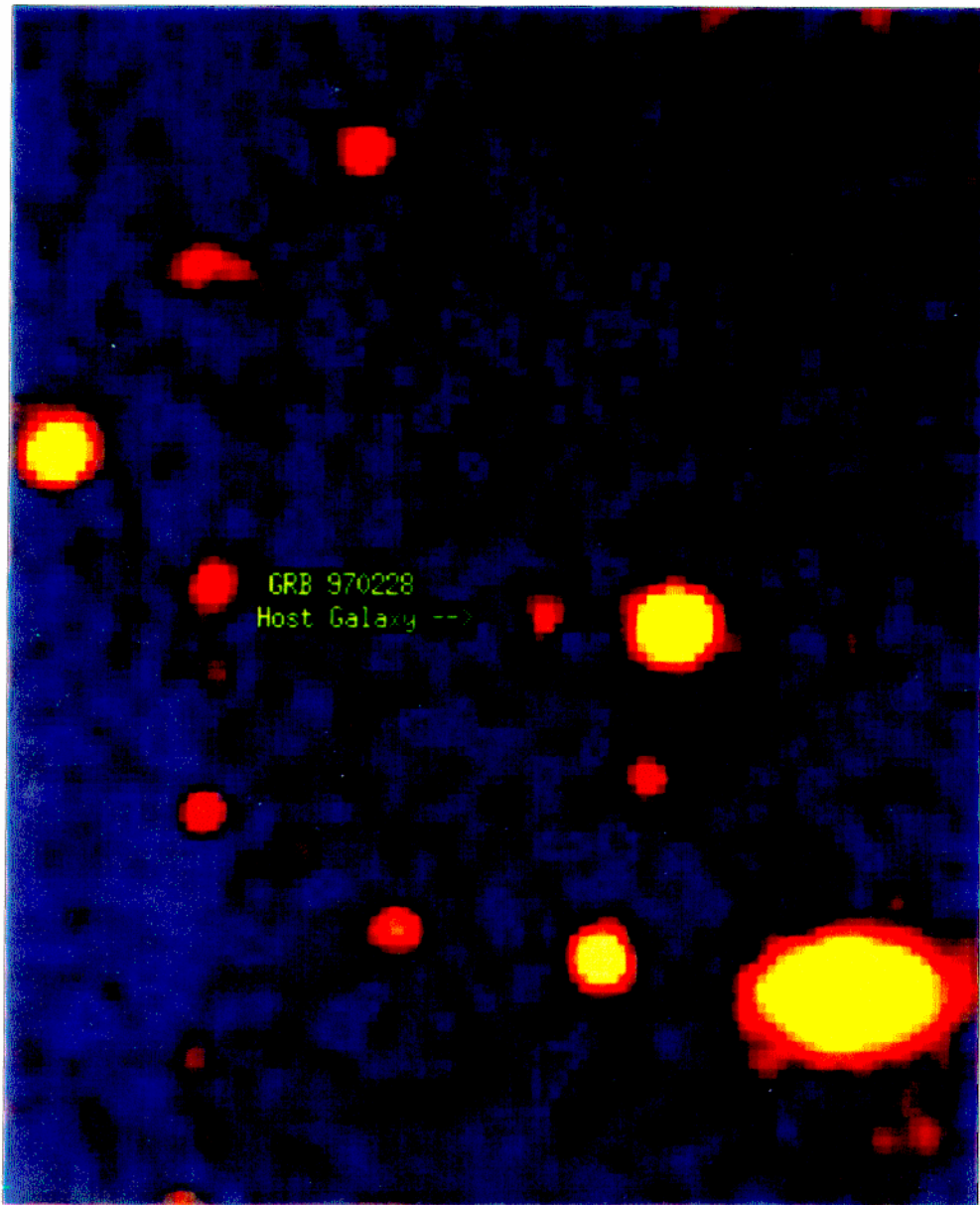
associated with the Gamma Ray Burst GRB 970228 IAUC 6576 .

SAX J0501.7+1146, has been detected by the MECS and LECS at the same position (R.A. = 5h01m44s, Decl. = +11o46'.7, equinox 2000.0; estimated error radius 50"). This position lies at the edge of the reported BeppoSAX WFC error box (IAUC 6572). The source flux is  $(2.8 \pm 0.4) \times 10E-12$  erg cmE-2 sE-1 in the MECS (2-10 keV) and  $(4.0 \pm 0.6) \times 10E-12$  erg cmE-2 sE-1 in the LECS (0.5-10 keV). The field was observed again on Mar. 3.734, and a source was detected at a position consistent with the previous one, but at a flux level lower by a factor of 20.

This page is maintained by Lucio Angelo Antonelli and Fabrizio Fiore,

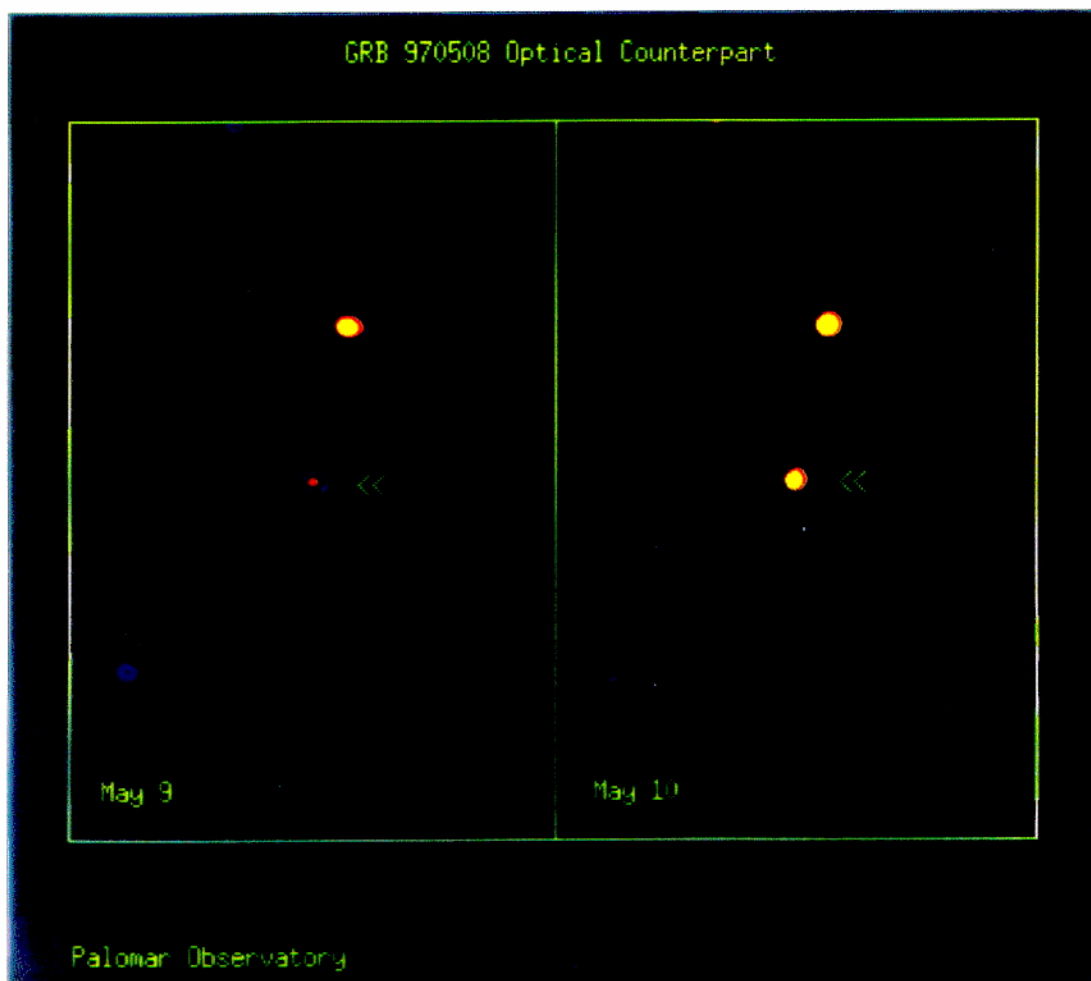
GRB 970228 : BeppoSAX team

FADING X-RAY AFTERGLOW



GRB 970228

Keck : Kulkarni et al  
12 Sept 97  
 $M_R(\text{gal}) \approx 25.8 \pm 0.3$   
( $\approx$  same in March '97)



GRB 970508

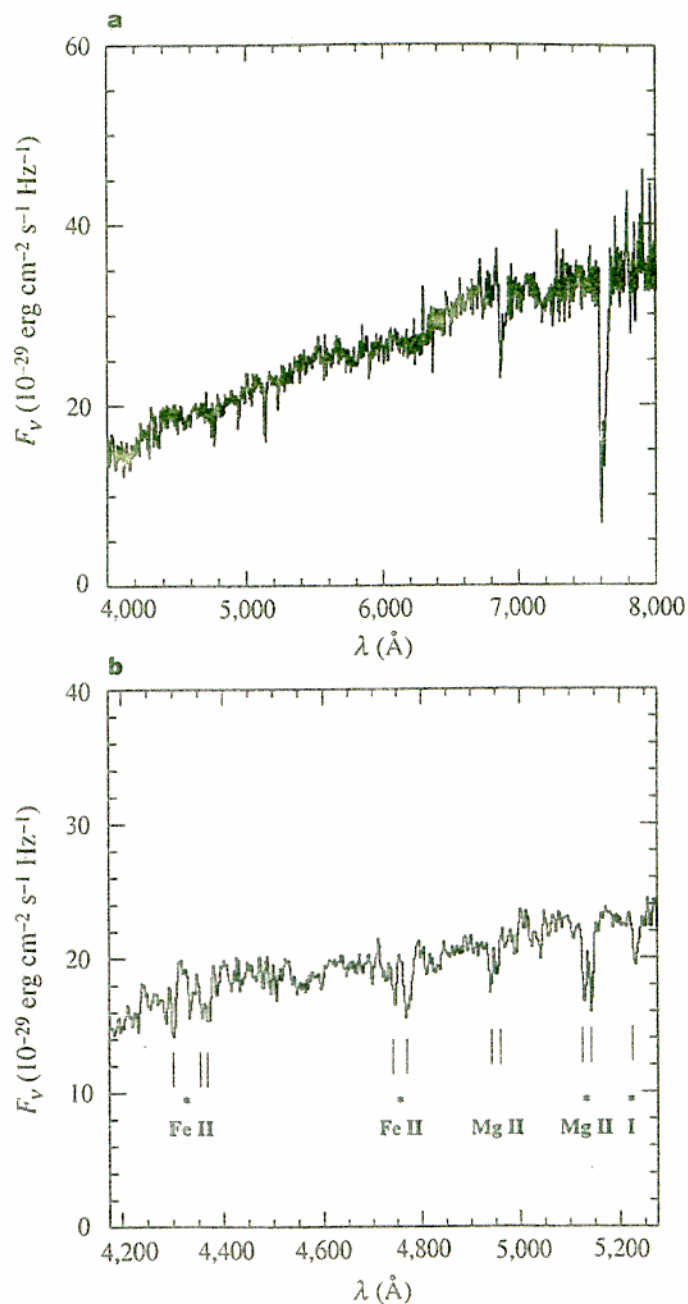
Palomar / GRB team  
200" May 9-10 '97  
Djorgovski et al  
Kulkarni et al

GRB 970508

letters to nature

387, 878

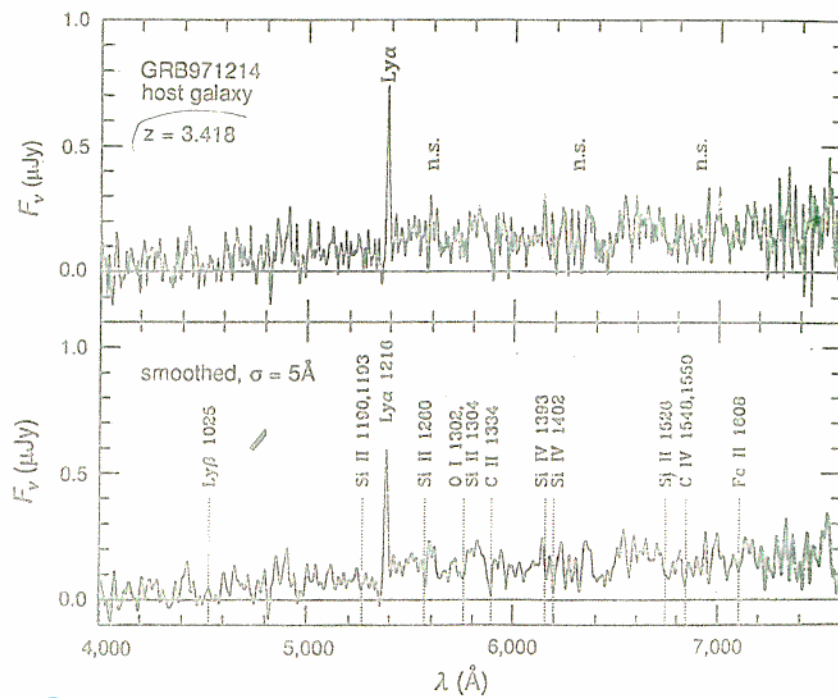
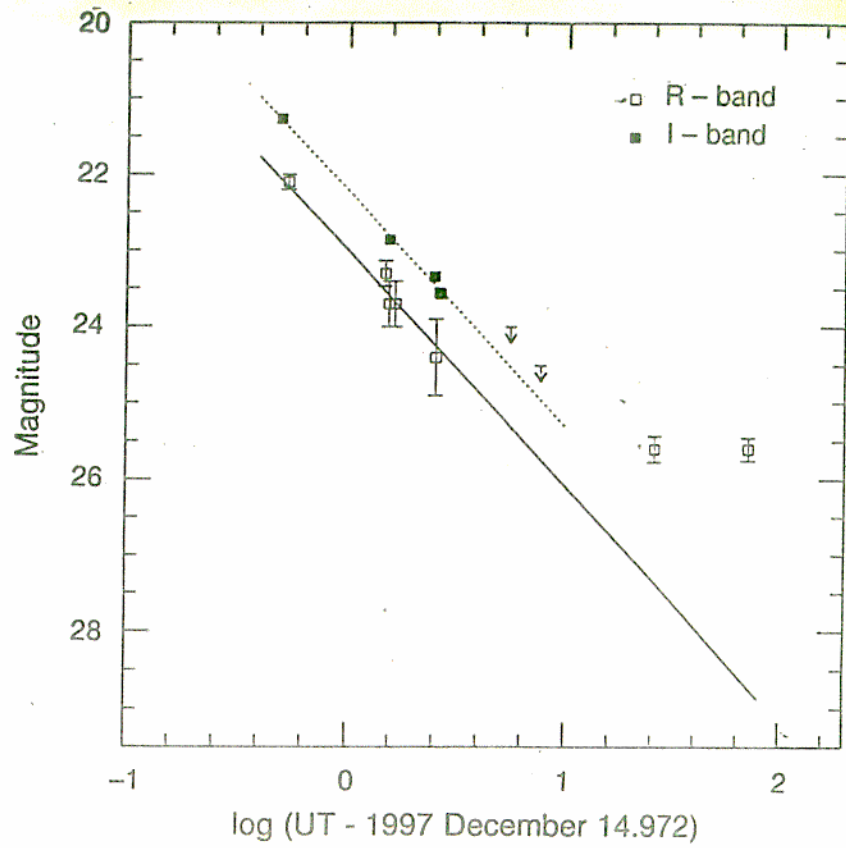
METZGER et al '97



**Figure 1** The spectrum of the optical variable. **a**, Full spectrum; **b**, expansion of a limited region, with strong absorption lines and identifications indicated. The lines marked with an asterisk are identified with an absorption system at redshift  $z = 0.835$ , the others at  $z = 0.767$ . The spectrum has been smoothed with a three-pixel boxcar filter. A few additional weak features (not shown) have also been tentatively identified with the  $z = 0.767$  system.  $F_v$  is the flux density, and  $\lambda$  is the wavelength in Å.

$$0.835 \leq z \leq 2.3$$

DECEMBER 14 14



GRB 971214

$z = 3.418$

Kulkarni et al '98

# GRB 970508 RADIO

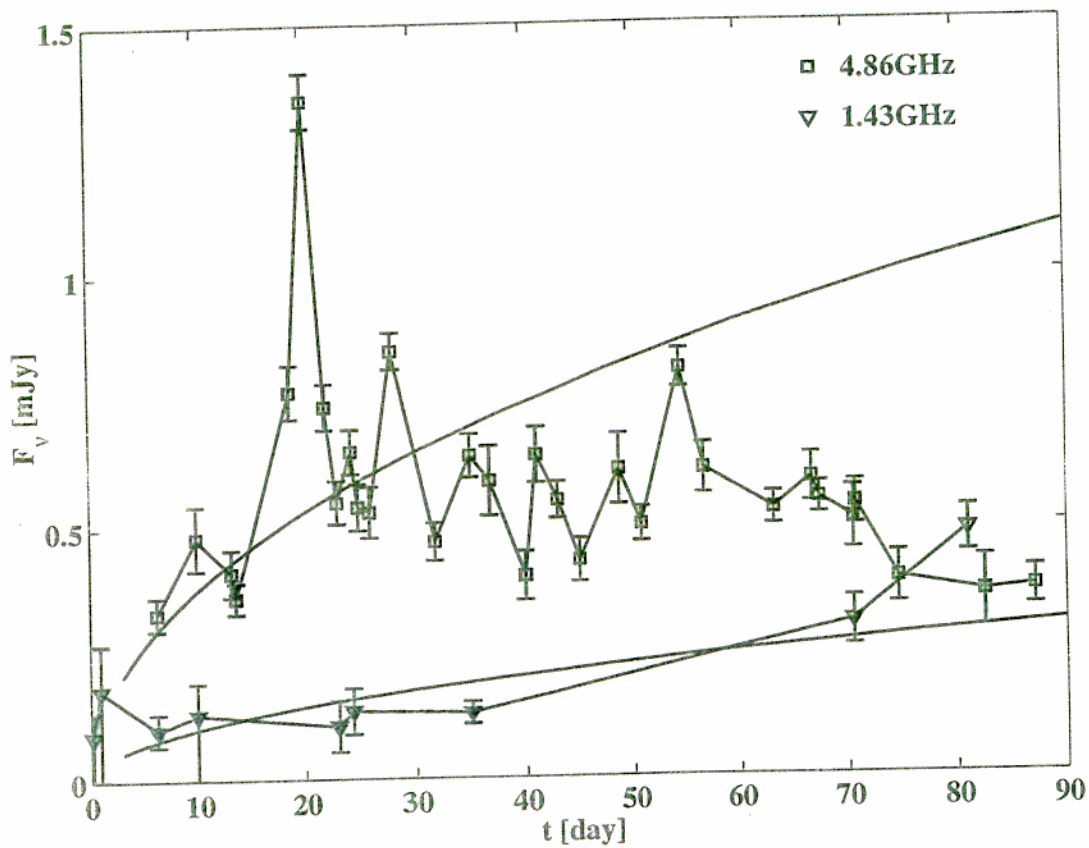


Fig. 1a.— Light curves of the radio afterglow of GRB970508 at 4.86GHz and 1.43GHz, compared with the predictions of the adiabatic fireball model (Waxman 1997b).

Frail et al '97  
Taylor et al '97

Waxman, Kulkarni & Frail '97



## SIMPLEST AFTERGLOW Evolution

- Spherical (or angle-indep. inside  $\Omega_o$ )
- Homogeneous external medium ( $d=0$ )
- Adiabatic evolution (late) ( $A=1, a=1$ )
- Average radiation over "forward face" (no rings, etc)
- Magn. field behind blast is fraction of equip. (turb.)
- Model params ( $p, \kappa + e, \zeta_e, \xi_B, \dots$ ) constant

$$\Gamma \propto t^{-q}, \quad B' \propto \Gamma, \quad \gamma_e \propto \Gamma$$

$$\nu_m \propto \Gamma B' \gamma_e^2 \propto \Gamma^4 \propto t^{-4q}$$

$$F_{\nu_m} \sim (r_{\perp}/D)^2 I'_{\nu_m} \sim (ct\Gamma/D)^2 \Gamma^3 I'_{\nu_m} \propto t^w$$

$$F_{\nu} \propto \nu^{\alpha}; \quad \alpha = 1/3, \quad -(p-1)/2 \quad (\text{synchr})$$

$$F_{\nu_D} \sim F_{\nu_m} (\nu_m/\nu_D)^{\alpha} \sim t^{\delta}$$

$$\boxed{\delta = \delta(\alpha)} = (3/2)\alpha \sim \begin{cases} 1/2 & \nu < \nu_m \\ -1 \text{ to } -1.5 & \nu > \nu_m \end{cases}$$

DECAY SLOPE  
DEP. ON  
SPECTR. SLOPE  
ONLY  
(BUT...)

- Simplest Model Works Surprisingly Well
- **However**, even if general framework of model is **simple**, one expects diversity in the details.

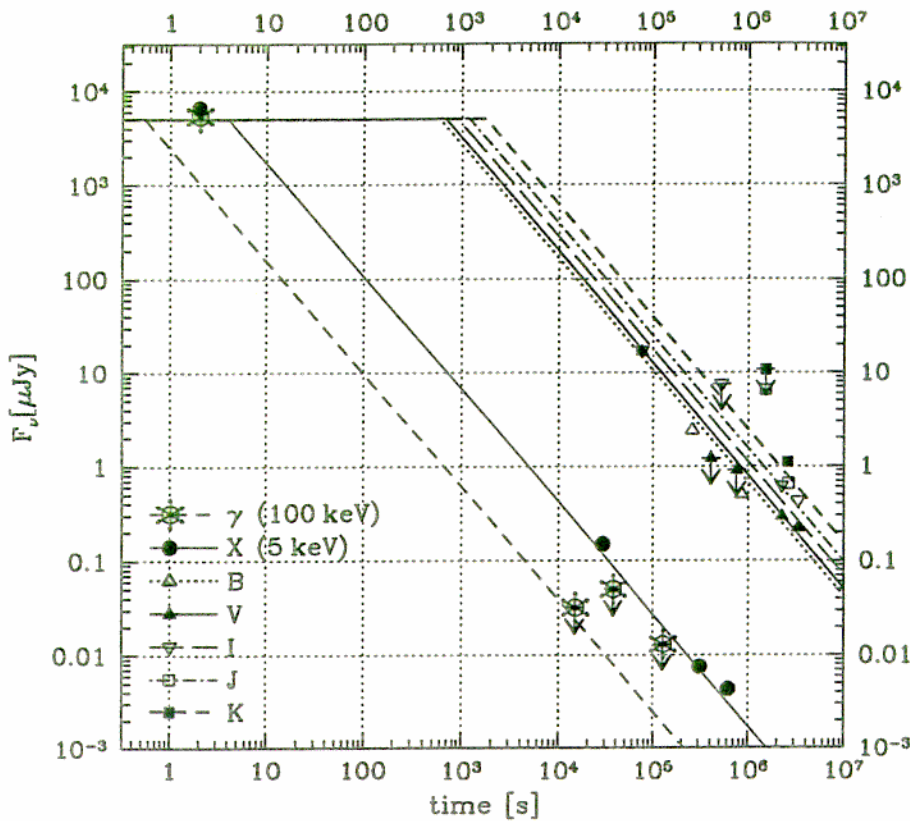


Figure 1. The light curves of GRB 970228 from  $\gamma$  rays to near-infrared. The lines indicate the prediction for a relativistic blast wave with  $\beta' = -0.8$  and  $t_v = 600$ s.

**GRB 97 0228**

Wijers, Rees, Mészáros '97: MNRAS 288, L51 '97  
 (models from Mészáros & Rees '97, ApJ 476, 232)

VIETRI '97; TAVANI '97; WAXMAN '97; KATZ&PIRAN '97  
 GOODMAN '97; SARI '97; PACZYŃSKI '97

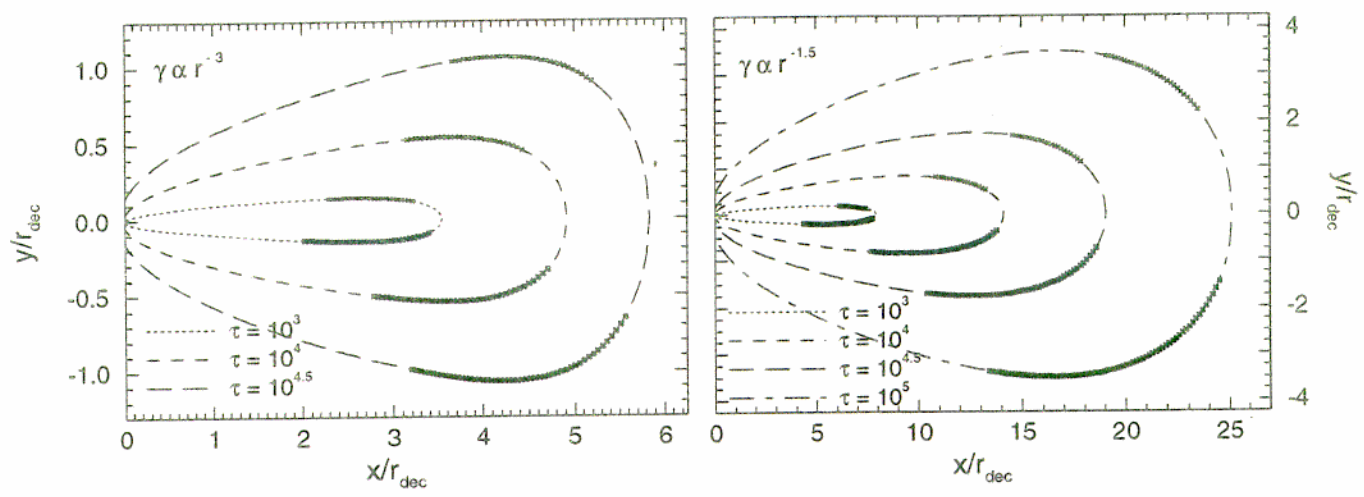
## • Radiative/Dynamic Regimes

- Electrons radiative or adiabatic – could also have most  $e^-$  adiabatic ( $\rightarrow$  dynamics adiabatic?) but “optical”  $e^-$  radiative  $\rightarrow$  sp. slope steepens  $+1/2$
  - May have adiabatic dynamics ( $A=1$ ) but radiative  $e^-$  ( $a=0$ )
  - $T_p \sim T_e$  or  $T_p \gg T_e$  well behind collisionless shocks? (is  $\kappa_e = T_e/T_p = \text{const.}$ ?)
  - $B^2/8\pi \sim \xi_B n_p k T_p$  both in shocks & cooling zone? Is  $\xi_B = \text{const.}$  a good approximation?
  - $F_{\nu_D} \propto t^\delta$  ,  $\delta = \delta(A, a, \alpha)$   
 $\rightarrow$  time decay dep. on more params than  $\alpha$
  - Expect 2nd “cooling” break  $\nu_c$  ( $a = 1 \rightarrow 0$ )
- Mészáros , Rees & Wijers 9709273; Sari, Piran & Narayan 9712005

## • Ring Effects

- $\Gamma$  ,  $B'$  ,  $\nu'_m$  ,  $t'$  vary over “visible surface”  
 $\rightarrow$  limb brightened (gas younger, hotter in ring)
- Ring size : influences self-absorption, scintillation  
 $y_\perp \sim f_\perp \cdot \Gamma_{eff}(t/(1+z)) \cdot c.(t/(1+z))$

Waxman 98; Panaitescu & Mészáros 98; Sari 98



## RINGS IN FIREBALL AFTERGLOWS

$\Gamma$  drops  $\Rightarrow$  Equal  $t$  surfaces no longer ellipsoids!  
 $\rightarrow$  "Pear shaped" Equal Observer time surfaces  
 Emission: Limb-brightened

Panaitescu & Mészáros '97  
 astro-ph/9709284 ApJ (Left) in press

Fig. 1.— Surfaces of equal arrival times, for a homogeneous external medium and a radiative (left) or adiabatic remnant dynamics (right). Each curve is a transverse section through the 3-dimensional equal- $T$  surface, highlighting the regions that radiate 50% (upper half of each curve) and 80% (lower half) of the bolometric flux. Projected on the plane perpendicular to the l.o.s. toward the center of explosion, these regions appear narrower than the projection of the entire radiating surface. The Cartesian coordinates are normalized to  $r_{dec}$ , which for the putative burst parameters in the text is  $\sim 4 \times 10^{16}$  cm, corresponding at a redshift  $z = 1$  ( $H_0 = 75 \text{ km s}^{-1} \text{ Mpc}^{-1}$ ,  $\Omega = 1$ ) to an angular scale  $2.5 \mu\text{as}$ .

(also: Waxman 97; Sari 97)

- INHOMOGENEOUS ENVIRONMENT:

$$\rho_{\text{ext}} \propto r^{-d}$$

$$\rightarrow F_{\nu} \propto t^{\delta}, \quad \delta = \delta(\alpha, d, \dots)$$

- ANISOTROPIC EJECTA ("BEAMING")

$$E \propto \theta^{-j}, \quad \Gamma \propto \theta^{-k}$$

$$\rightarrow F_{\nu} \propto t^{\delta}, \quad \delta = \delta(\alpha, j, k, \dots)$$

(astro-ph/9709273)  
ApJ 499, 301 '98

- NON-UNIFORM INJECTION

$$E \propto r^{1-w}, \quad M \propto r^{-w}$$

$$\rightarrow F_{\nu} \propto t^{\delta}, \quad \delta = \delta(\alpha, w, \dots)$$

(ApJL, 496, L1  
astro-ph/9712252)

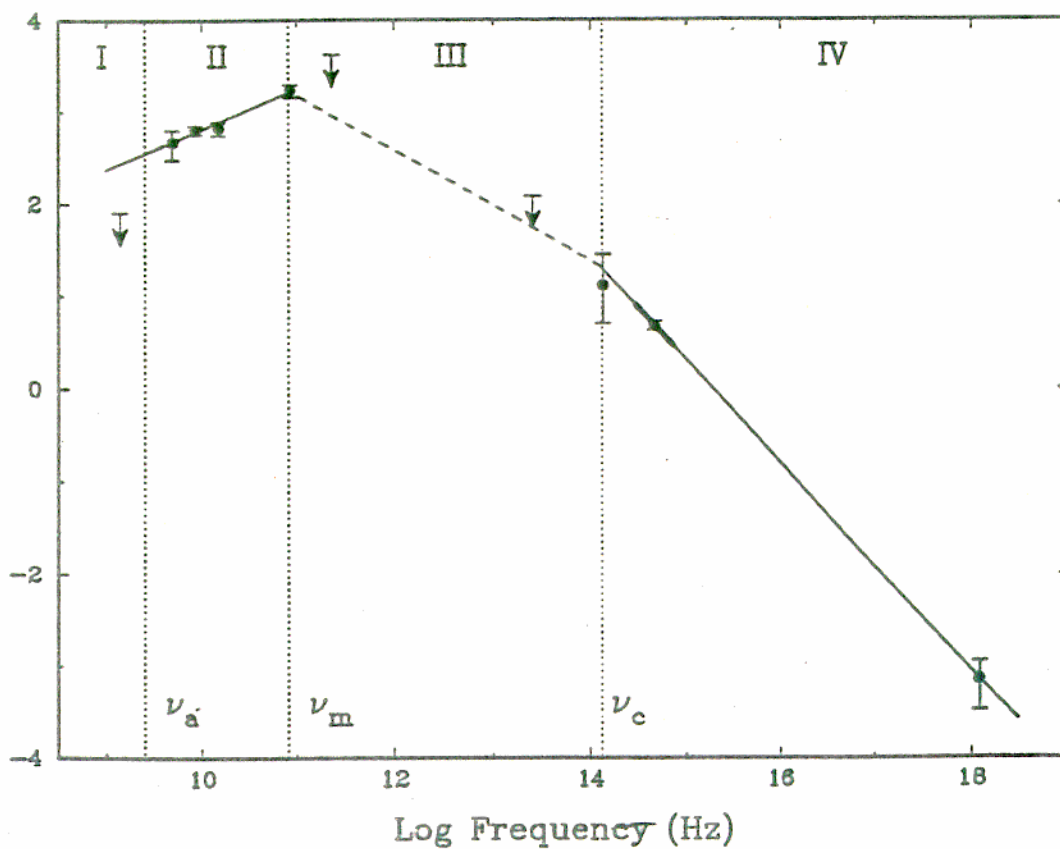


TIME DECAY SLOPE CAN DEPEND ON  
MORE PARAMS., BESIDE SPECTR. SLOPE  $\alpha$ :

$$\delta = \delta(\alpha, d, j, k, w, a, \dots)$$

# GRB 970508

("Snapshot" 12 days after event)



from Wijer, Galama '98



## Fits to Simple Afterglows

- GRB ~~970228~~<sup>508</sup>, 971214 : have  $z$ , and 4 (3) “characteristic” numbers:  $\nu_a, \nu_m, \nu_c$ , and peak flux of afterglow. “Simple” models imply four parameters:  $\mathcal{E}, n, \epsilon_B, \epsilon_e$ , where  $\mathcal{E} = (E/\Omega)$ .  
Four equs. w. four incognitae

(Wijers & Galama, 1998, astro-ph/9805341)

- Solution: ( snapshot fit at  $t = +12$  days )

– GRB 970508,  $z = 0.83$  :

$$\mathcal{E}_{52} = 3.7, n = 0.035, \epsilon_e = 0.13, \epsilon_B = 0.068$$

$$\mathcal{E}_{\gamma 52} = 0.63$$

– GRB 971214,  $z = 3.4$  (no  $\nu_a$ , assume  $\epsilon_B$  same):

$$\mathcal{E}_{52} = 0.68, n = 0.10, \epsilon_e = 0.16, \epsilon_B = 0.068$$

$$\mathcal{E}_{\gamma 52} = 30$$

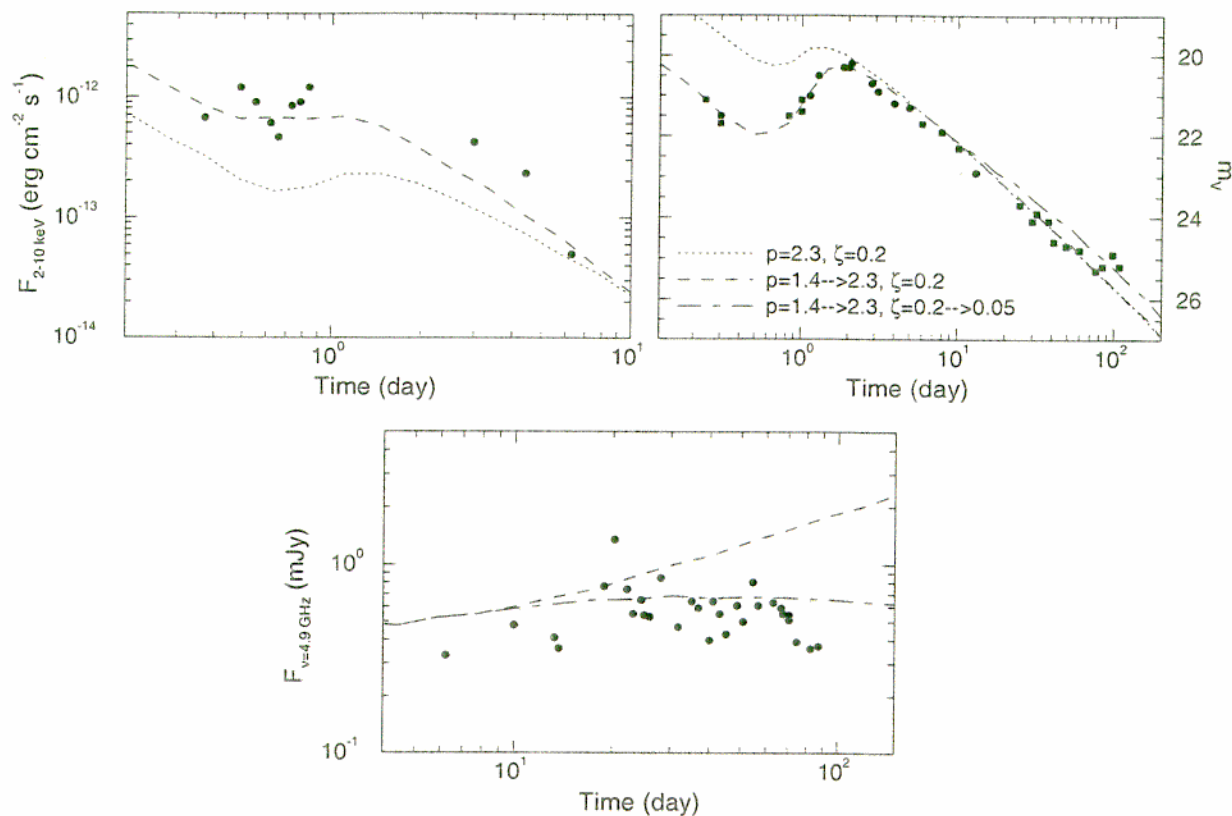
- Note:

–  $\mathcal{E}_{\gamma}/\mathcal{E}$  differs from burst to burst

– external density  $n$  differs between bursts, but more typical of tenuous (“average”) ISM, rather than of dense star-forming region

## NON-UNIFORM INJ./REFRESHED SHOCK

- 17 -



## GRB 970508 time-dependent fit

Fig. 2.— Effect of refreshed shocks in an isotropic fireball, caused by a late energy input which is a power law in the Lorentz factor  $\Gamma_f$  of the ejecta that catches up with the fireball (§2.2). All models have the same initial and injected energies  $E_{0.52} = 0.6, E_{inj} = 3 E_0$ , as well as the same minimum Lorentz factor of the delayed energy input  $\Gamma_m = 11$ . The injection index  $s$  has a large value, leading to an impulsive energy input at  $\Gamma_m$  and to a distinctive step-like brightening of the afterglow. Other parameters are:  $\varepsilon_{mag} = 0.1$ ,  $\varepsilon_{el} = 0.1$ ,  $n_0 = 1$ ,  $\alpha = 0$ ,  $z = 1$ , and an absorption of  $A_V = 0.25$  mag at the source redshift was assumed. The electron index  $p$  and acceleration fraction  $\zeta$  for each model are given in the legend of the optical light curves. They are constant for the model shown with dotted lines,  $p$  changes at the end of the delayed energy input for the dashed and dot-dashed lines models, while  $\zeta$  decreases when the remnant ends the relativistic expansion only for the model shown with a dot-dashed line. Symbols represent the data for the GRB 970508 afterglow.

Panaitescu, Meszaros, Rees 98  
astro-ph/9801258

- Detailed Fits to Afterglows - X,O,R

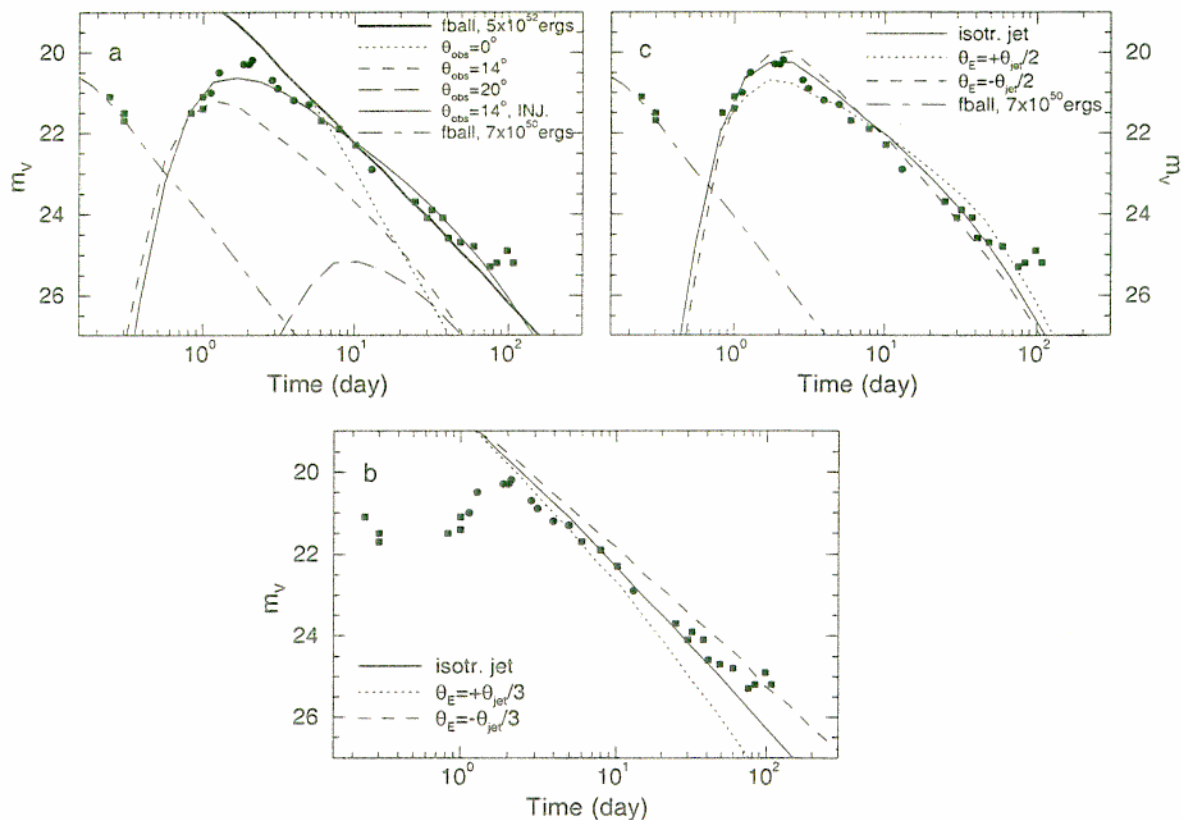
- GRB 970228, 970508, data for  $\gtrsim 150$  days (“prototypes”) → time-dependent fits
- Anisotropic and/or nonuniform injection: expected naturally, is there evidence/need for it?
- Shock (and postshock) parameters  $p$ ,  $\zeta$ ,  $\xi_B$  could be expected to depend on shock strength (time), distance downstream from shock, etc. - do observations warrant/indicate  $p$ ,  $\zeta$ ,  $\xi_B \neq \text{const}$ ?
- Dust absorption at source/gal. affects X,O,R fit?

- Answer: yes, there is evidence for such effects, and fits seem to require them

(Panaitescu, Mészáros & Rees, 1998, ApJ in press, astro-ph/9801258)

# JET + ISOTROPIC / ANISOTROPIC JET

- 18 -



## GRB 970508

Fig. 3.— Optical light-curves from jet-like ejecta, compared to data points for GRB 970508. (a) An outflow which is isotropic within a jet of opening half-angle  $\theta_{jet} = 10^\circ$ , seen at the different angles  $\theta_{obs}$ , for  $E_0 = 3.8 \times 10^{50}$  ergs,  $n_0 = 1$ ,  $\alpha = 0$ ,  $\epsilon_{mag} = 0.1$ ,  $\epsilon_{el} = 0.1$ ,  $p = 2.5$ ,  $\zeta = 1$ ,  $z = 1$ . For comparison, the afterglow from a spherically symmetric remnant with the same parameters, except  $E_0 = 5 \times 10^{52}$  ergs (yielding the same energy density per solid angle), is also shown (solid thick line). A numerical light curve matching the observational data (solid thin line) corresponds to  $\theta_{obs} = 14^\circ$  and energy injection characterized by  $E_{inj} = 1.5 \times 10^{51}$  ergs,  $\Gamma_m = 2$  and  $s = 1.5$ . (b) Effect of an anisotropic angular distribution of energy inside a jet with  $\theta_{jet} = 60^\circ$ ,  $\theta_{obs} = 0^\circ$ ,  $(dE_0/d\Omega)_{axis} = 10^{52}/\pi$  ergs/sr. Other parameters ( $n_0, \alpha; \epsilon_{mag}, \epsilon_{el}, p$ ) are the same as for graph (a). The legend gives the angular scale  $\theta_E$  (see text). (c) The same jet as in (a) seen at  $\theta_{obs} = 14^\circ$ , but with different energy per solid angle distributions. All jets have the same energy  $E_0 = 1.5 \times 10^{51}$  ergs, isotropically distributed (solid line), exponentially decreasing toward the jet edge (dotted line) or exponentially increasing toward the edge (dashed line). Also shown in graphs (a) and (c) with dot-dashed lines is the contribution from an ejecta which is isotropic everywhere outside of the jet with opening angle  $\theta_{jet} = 10^\circ$  and orientation  $\theta_{obs} = 14^\circ$ . The isotropic component has an energy  $7 \times 10^{50}$  ergs (other parameters are as for [a]) and can account for the early ( $T \lesssim 1$  day) afterglow emission.

astro-ph/9801258

Panaitescu, Mészáros, Rees 98

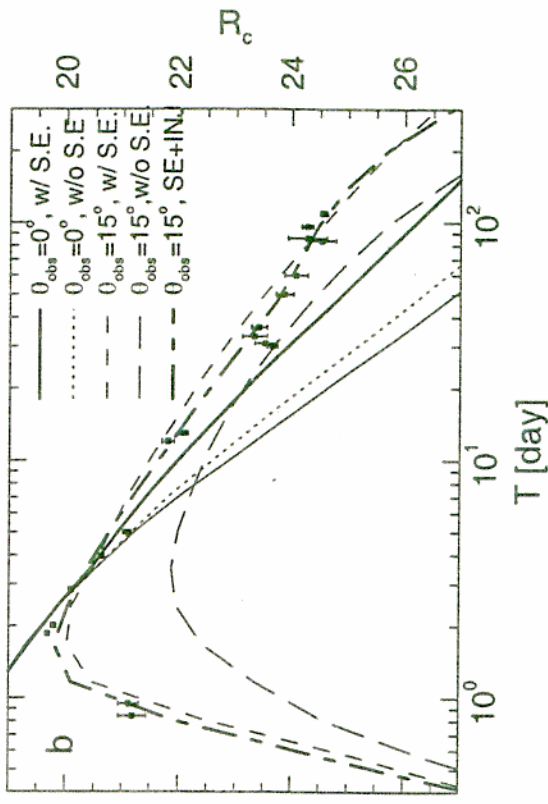
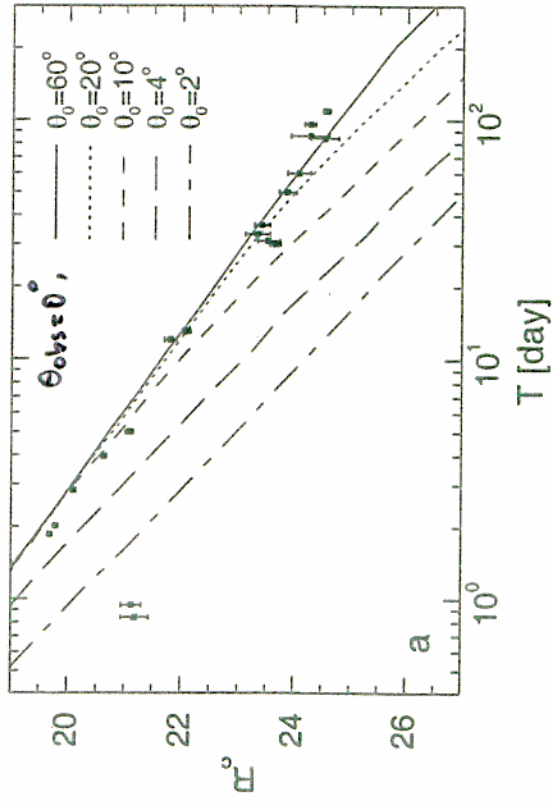
# JETS (BEAMING)

Does sideways expansion lead to faster decay of Light curve?

A: **NO**, if leads to a slower decay

because a) Sweep up more matter, larger E.M.

b) surface curved, light from edges is "younger, brighter" and arrives later than "older, cooler" light from center, → "refills" the light curve



Panaitescu & Meszaros  
astro-ph/9806016



# SPECTRAL FEATURES IN AFTERGLOWS

## \* BLAST WAVE

$t \sim 10^5 t_5$  s (1 dy),  $\Gamma \sim 7$ ,  $\Sigma_p \sim 10^{17} \text{ cm}^{-2}$   
 cooled postshock ejecta (if good e-p coupling)

### → EDGES

blueshifted  
 $\Delta v/v \sim \Delta r/r \sim 0.3$

$$\left\{ \begin{array}{l} \tau_z \sim 0.8 x_z z^{-2} \Sigma_{17} \propto t_5^{-3/8} \\ h\nu_z \sim \begin{bmatrix} 0.1 \\ 0.4 \\ \cancel{9.2} \\ 64 \end{bmatrix} (1+z)^{-1} t_5^{-3/8} \text{ keV} \end{array} \right. \left\{ \begin{array}{l} \text{H} \\ \text{He} \\ \text{Fe} \end{array} \right.$$

## \* ISM OF HOST

Neutral gas outside  $R_{in} \sim 60 E_{52}^{4/9} n_0^{-1/6} \text{ pc}$

### → EDGES

non-blueshifted  
 un broadened

$$\left\{ \begin{array}{l} \tau_z \sim 8 \times 10^2 x_z z^{-2} \Sigma_{n20} \\ h\nu_z \sim 13.6 (1+z)^{-1} \text{ eV} \quad (\text{H}) \\ \sim 9.2 (1+z)^{-1} \text{ keV} \quad (\text{Fe}) \end{array} \right.$$

### → H $\alpha$ , K $\alpha$ ABS. LINES

$$W_D/v \sim 10^{-2} x_z^{1/2} \Sigma_{n20}^{1/2}$$

## \* HYPERNOVA

:→ DIAGNOSTIC

e.g. if  $M_e \sim 1 M_\odot$  envelope,  $r_e \sim 3 \times 10^{15} \text{ cm}$  ( $\tau_T \sim 1$ )

→ H $\alpha$ , K $\alpha$  EMISSION LINES,  $W_D/v \sim 10^{-2}$

or if  $M_e > 1 M_\odot$ ,  $\tau_T \gg 1$

→ REFLECTION SPECTRUM with Ly EDGE, K-EDGE

(Mészáros & Rees '98)  
 astro-ph/9806183)



- Are there constraints on beaming?

- Afterglow obs of 970508 and 971214 give constraints only on  $E/\Omega$ , not on  $\Omega$ . For example,  $E_\gamma$  could be beamed into  $10^{-2}$ , while X/O/R blast wave could be beamed into  $10^{-1}$

Wijers & Galama astro-ph/9805341

- Lack of late down-turn in light curve of 970508 does **not** constrain beaming: contrary to simple expectations, when  $\Gamma < \Omega^{-1}$  the light curve does not get dimmer.

Panaitescu & Mészáros , astro-ph/9806016

- Late down-turn expected if  $\Gamma \lesssim 2$ ; but this could occur as late as 6 months to 1 year in a medium whose density decreases with distance, or where the fireball is anisotropic, or where the fireball has late injection.

Panaitescu & Mészáros , ApJ in press, astro-ph/9711339

- – Only  $\nu\bar{\nu}$  is constrained.
- NS-NS is not constrained
- beaming is not constrained

## OPEN QUESTIONS

- Binary merger or single/binary star collapse?  
(binary kicks  $\rightarrow$  some remain in host, others not)
- Environment? Binary (less dense on avg.), single  
(more dense)
- Need  $\lesssim 10^{53}\Omega$  ergs: is  $\Omega \sim 10^{-2}$  plausible? Yes for  
 $\gamma$ -rays, less so for afterglow- but  $\Omega_\gamma \neq \Omega_{after}$  possible  
( $\gamma$ -rays are beamed but energy is not)
- Effect of dust abs. on X-spectrum and lack of O?  
Or lack of O due to fast or steepening decay? Or to  
decrease in external density?
- Why no R counterparts to most X afterglows?  
Related to environment and/or type of host?

# KEY FUTURE EXPERIMENTS

- HETE-2 : TAKE OVER FROM B-SAX  
GET 10-20 POSITIONS/YR  
FOR QUICK GROUND FOLLOW-UP
- MIDEX : MULTI-WAVELENGTH FOLLOW-UP  
TRIGGER  $< t \lesssim$  (DAYS)  
GET  $\approx$  100 POSITIONS/YR
- GLAST : EXPLORE GeV + RANGE  
TEST ACCELERATION PHYSICS