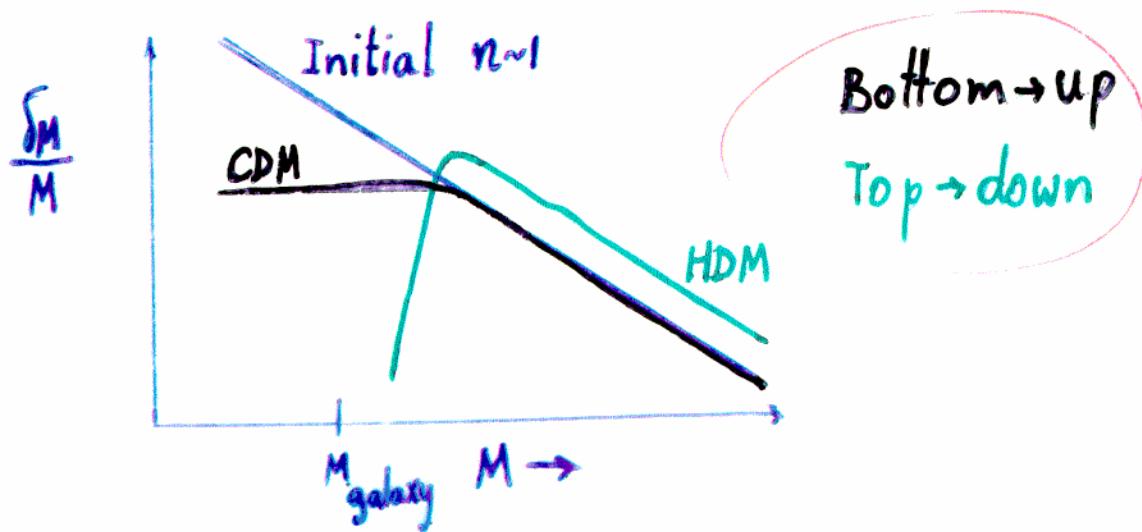
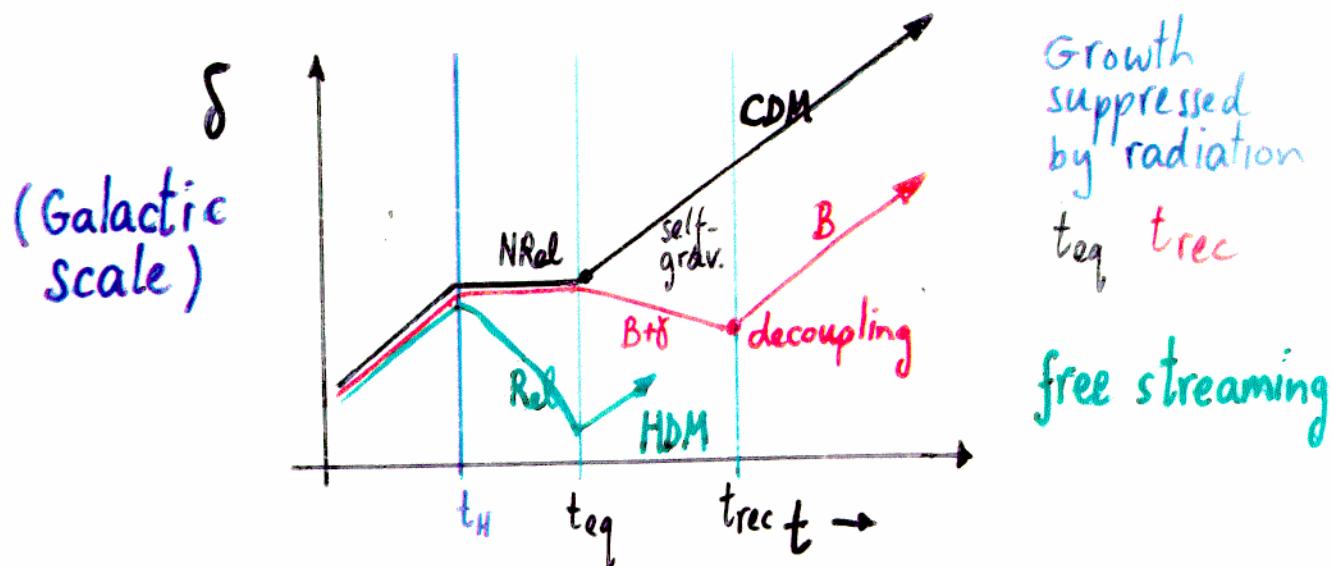
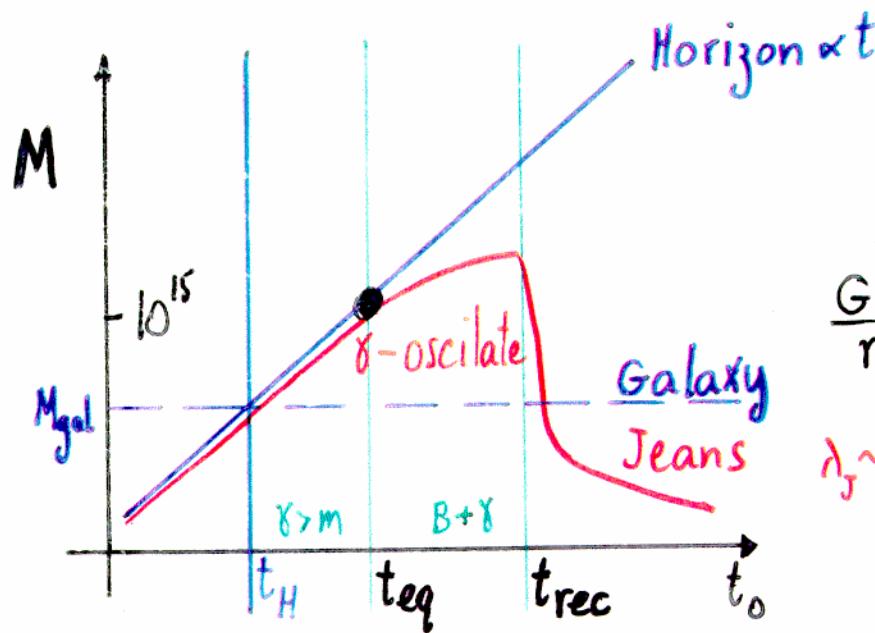


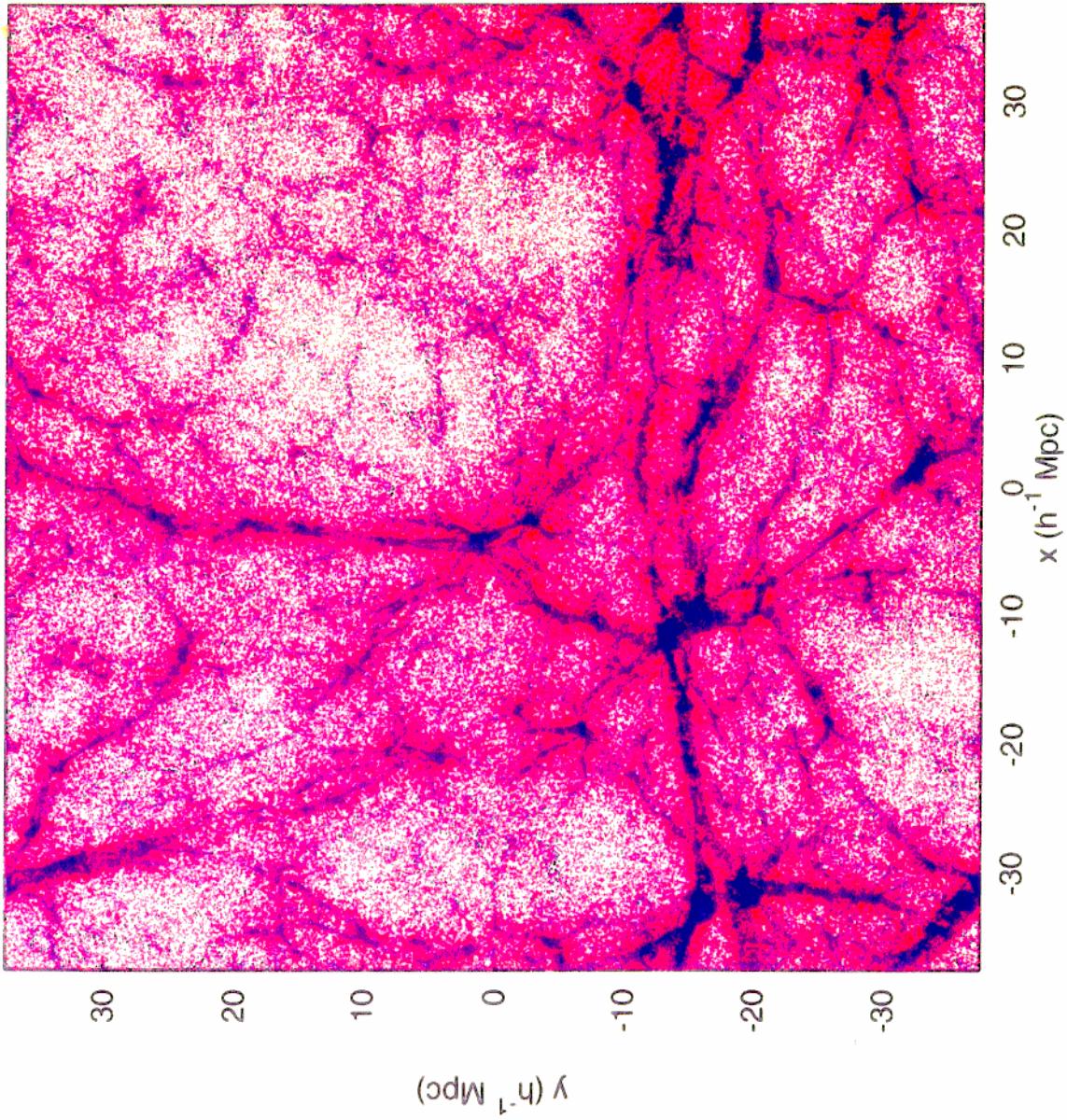
Galaxy Formation



Formation of Structure in the Universe

Filtering by Dark Matter



0.5 h^{-1} Mpc slice of CHDM simulation, $z=0$ 

Gross

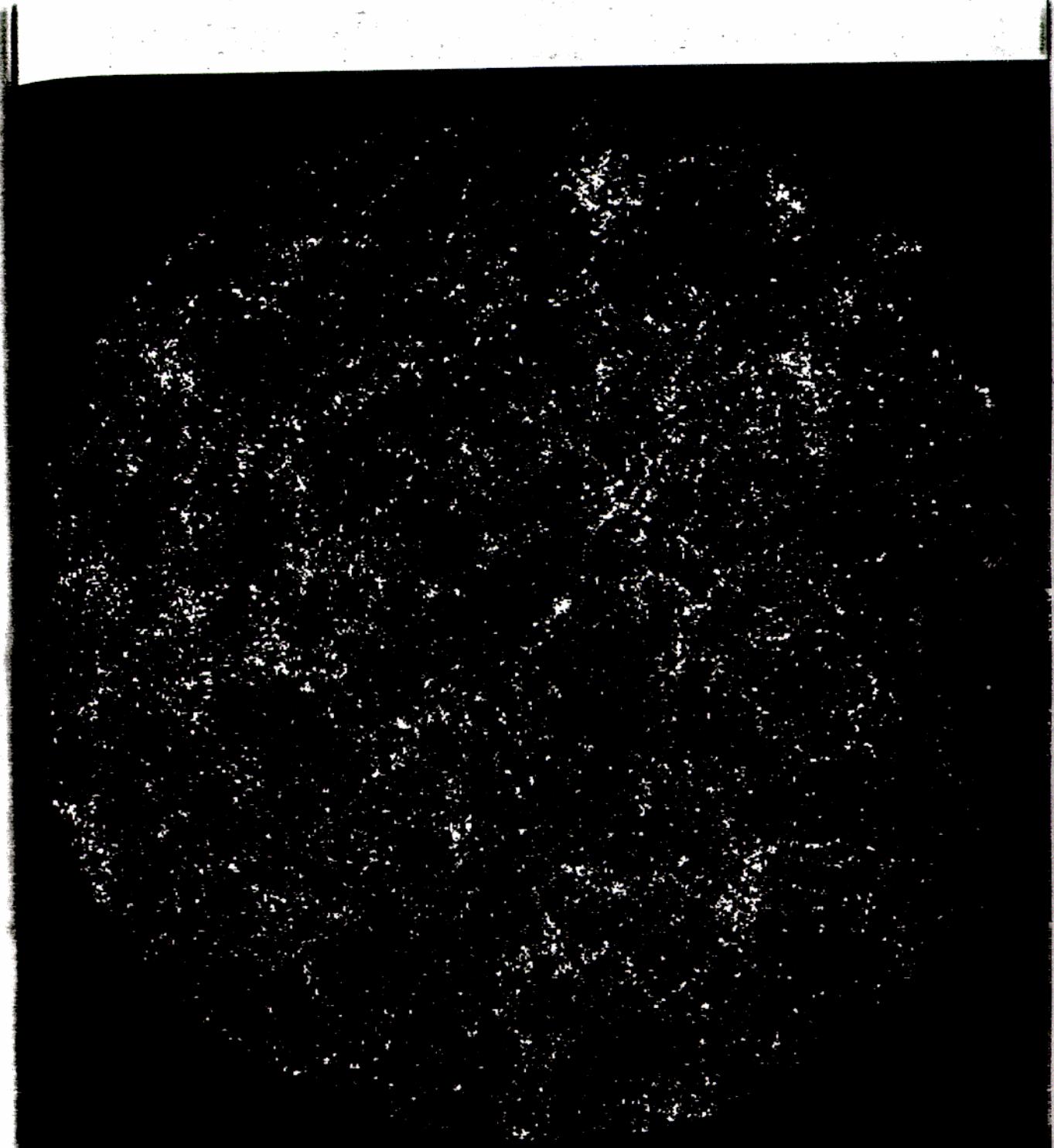


Figure 3.9. The Lick galaxy counts in a circle of radius 50° centered on the north galactic pole (Seldner et al. 1977).

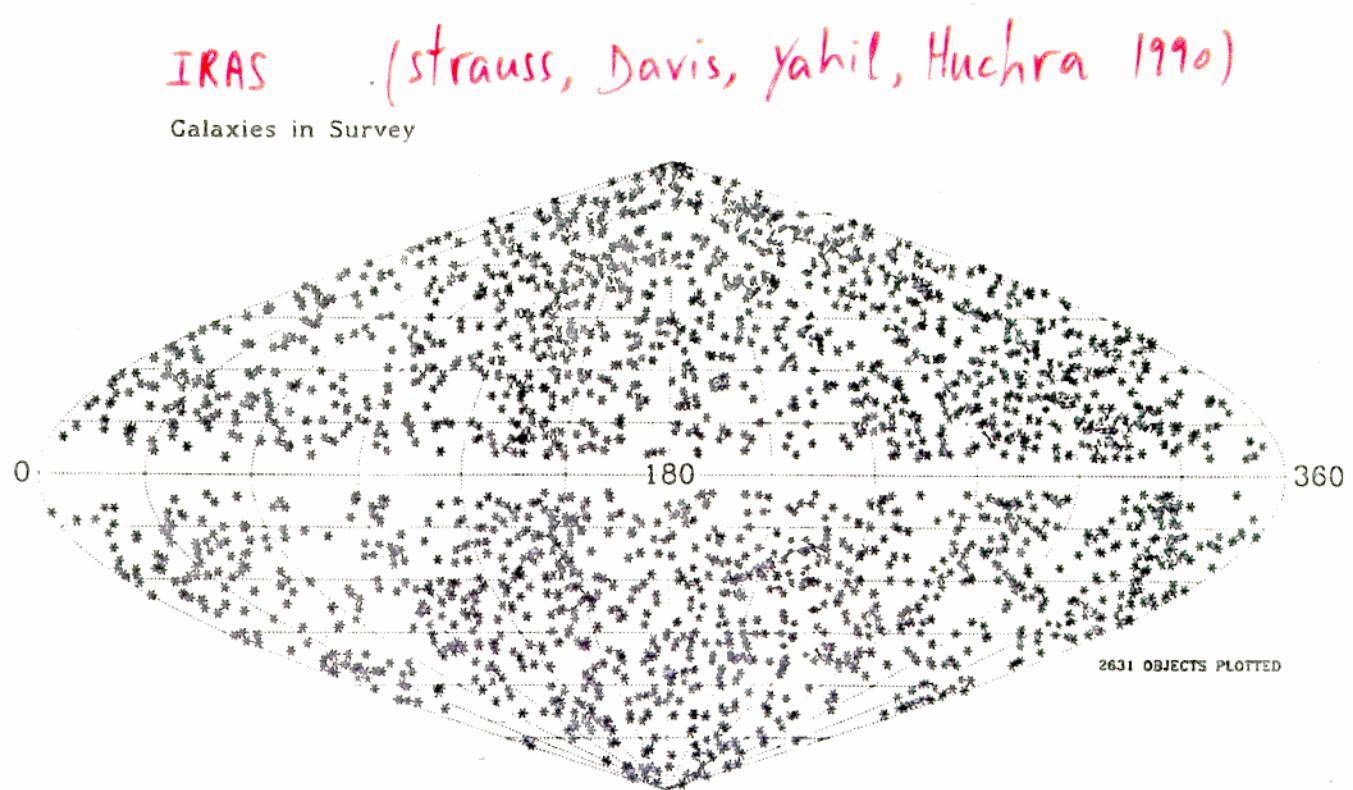


Fig. 16. The sky distribution of galaxies in the sample.

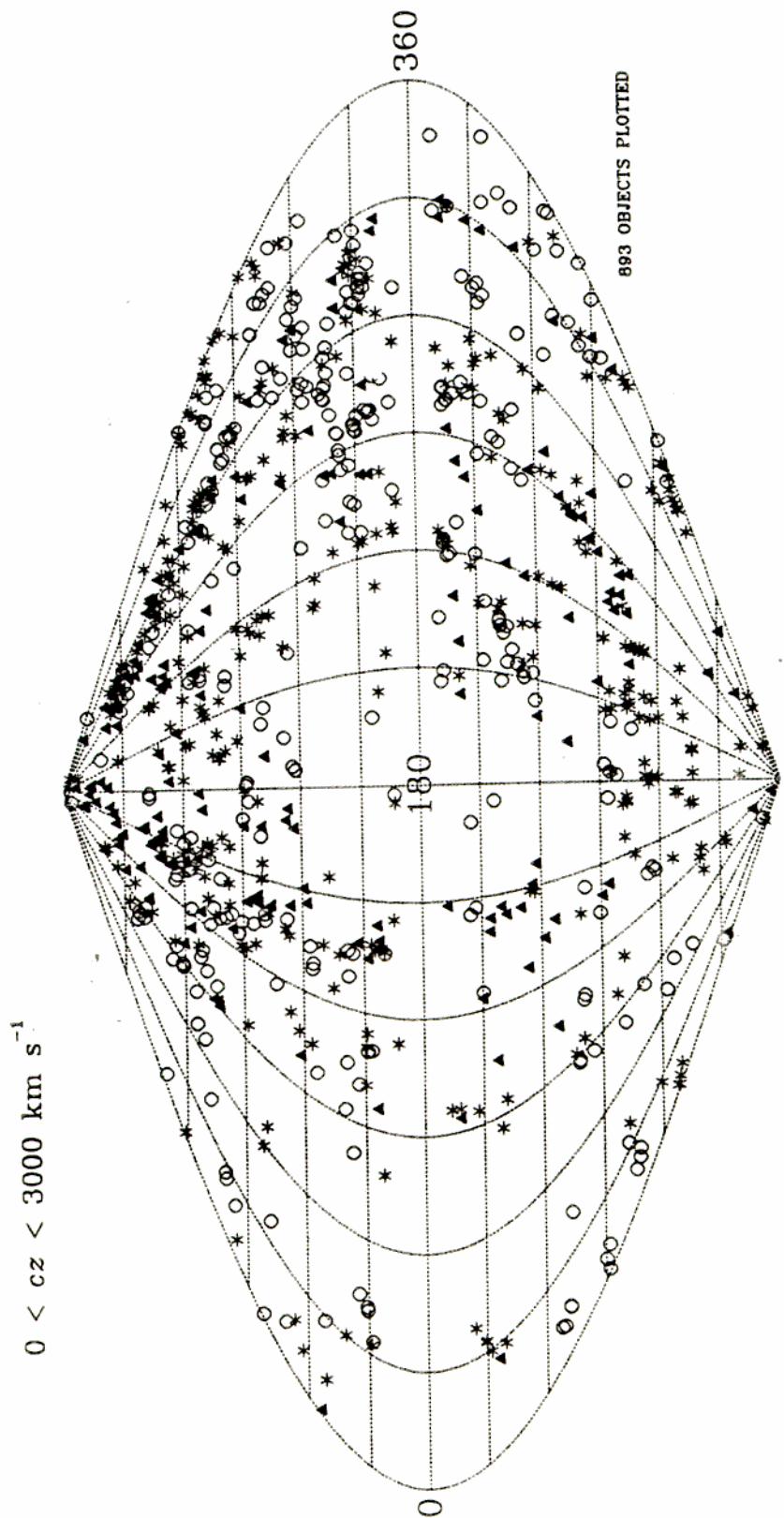


Fig 1a

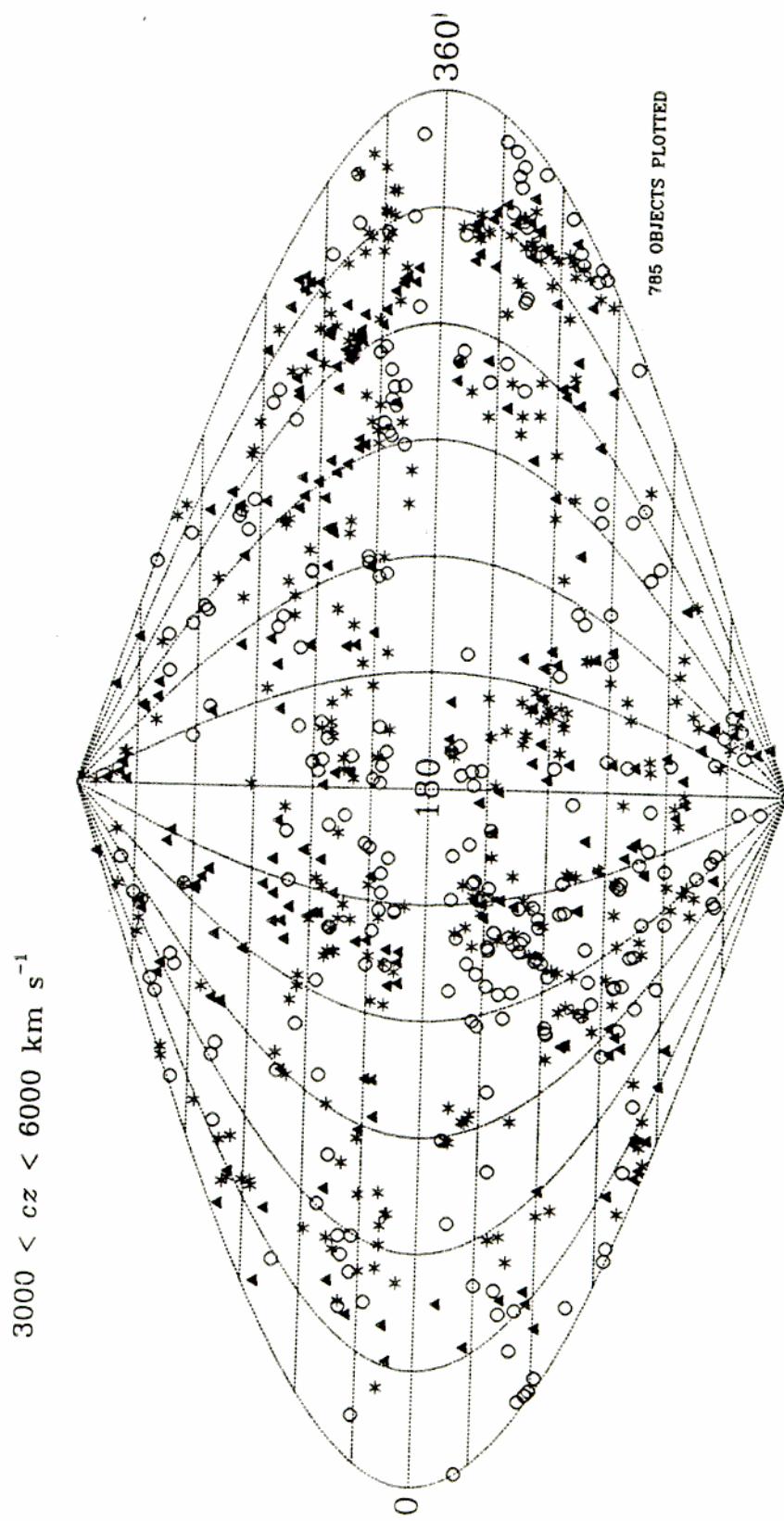
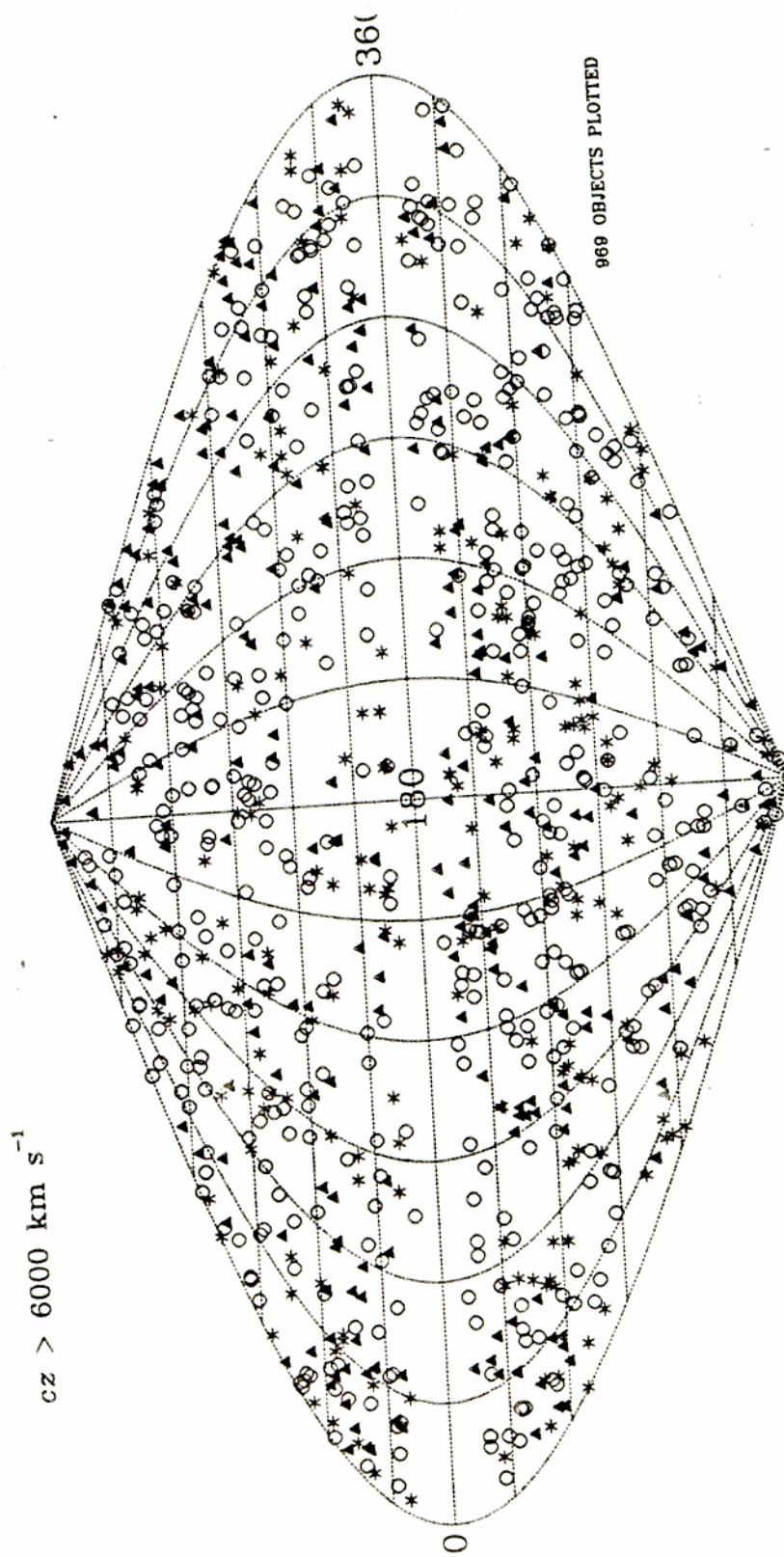


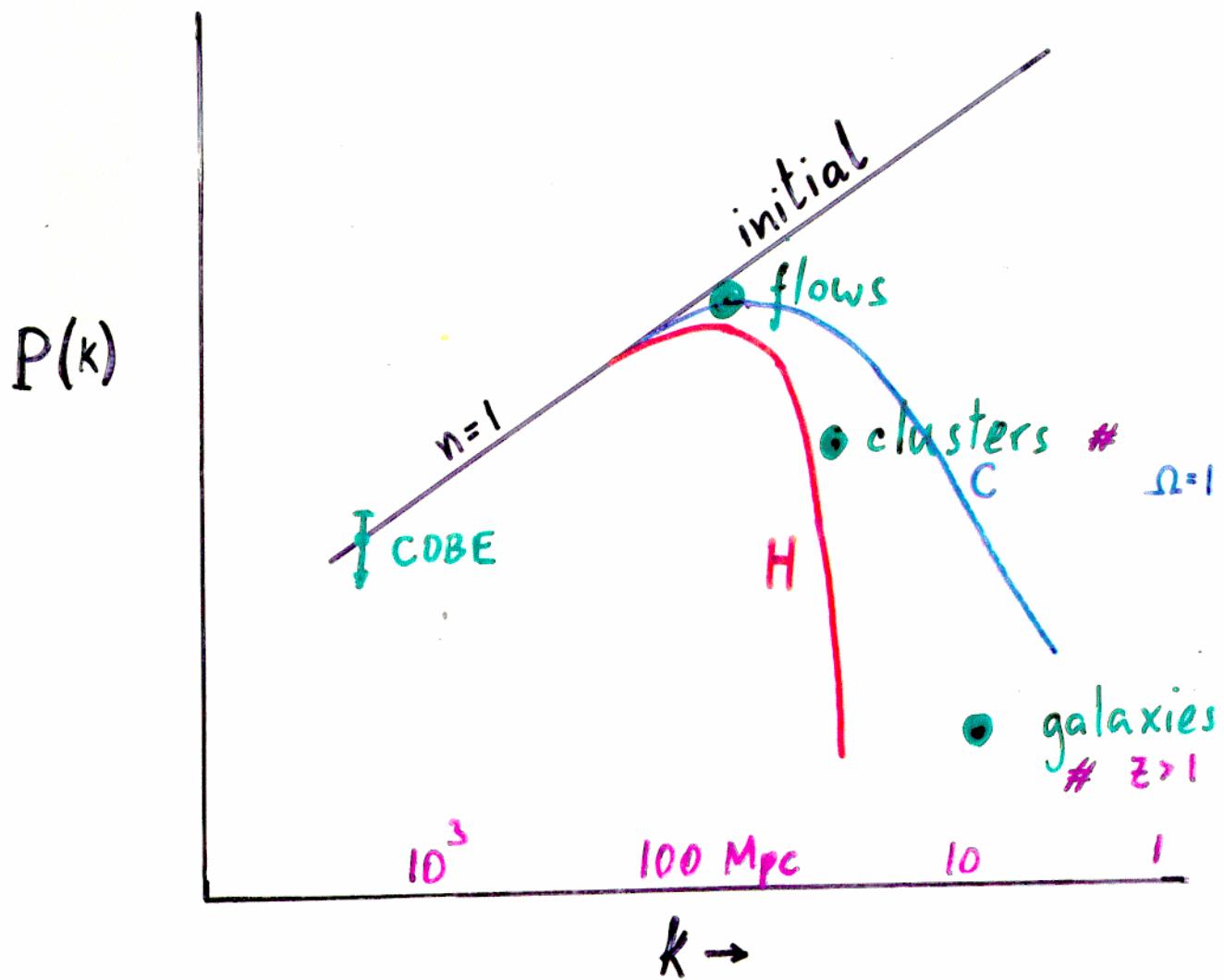
Fig 1b



$v_r > 6000 \text{ km s}^{-1}$

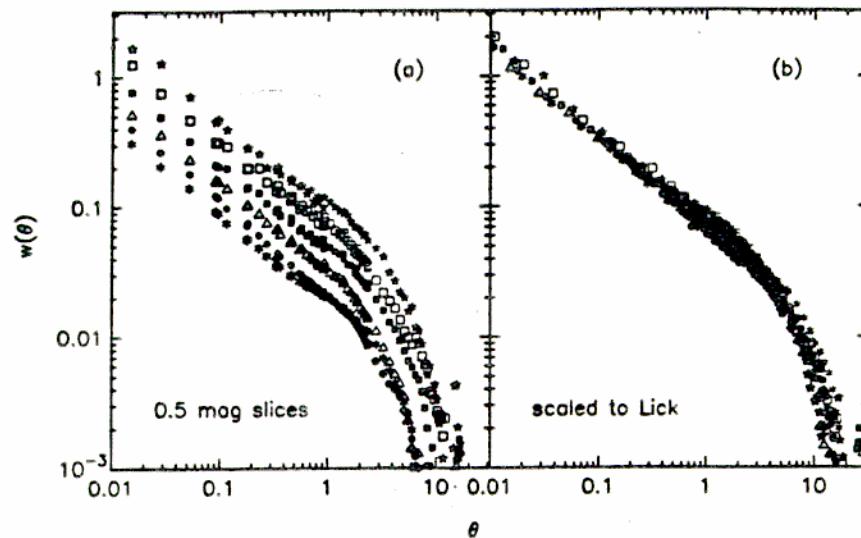
969 OBJECTS PLOTTED

Fig 1c

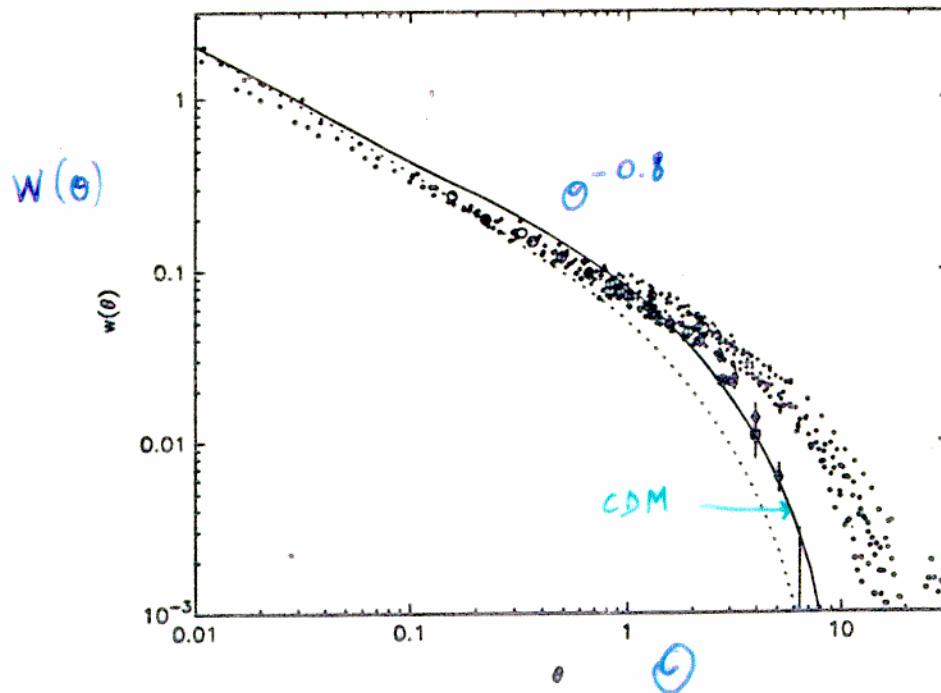
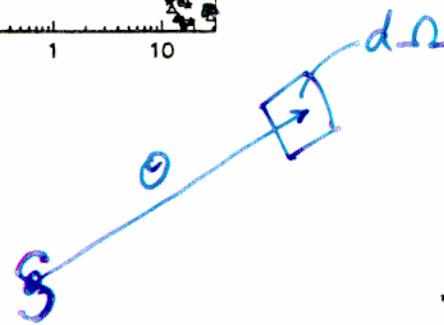


d

~



$$d\Omega \cdot P(\theta) = [1 + w(\theta)] \cdot d\Omega \cdot \sigma$$



APM: Maddox, Efstathiou, Sutherland, Loveday - 95

Mixed models that ~ work

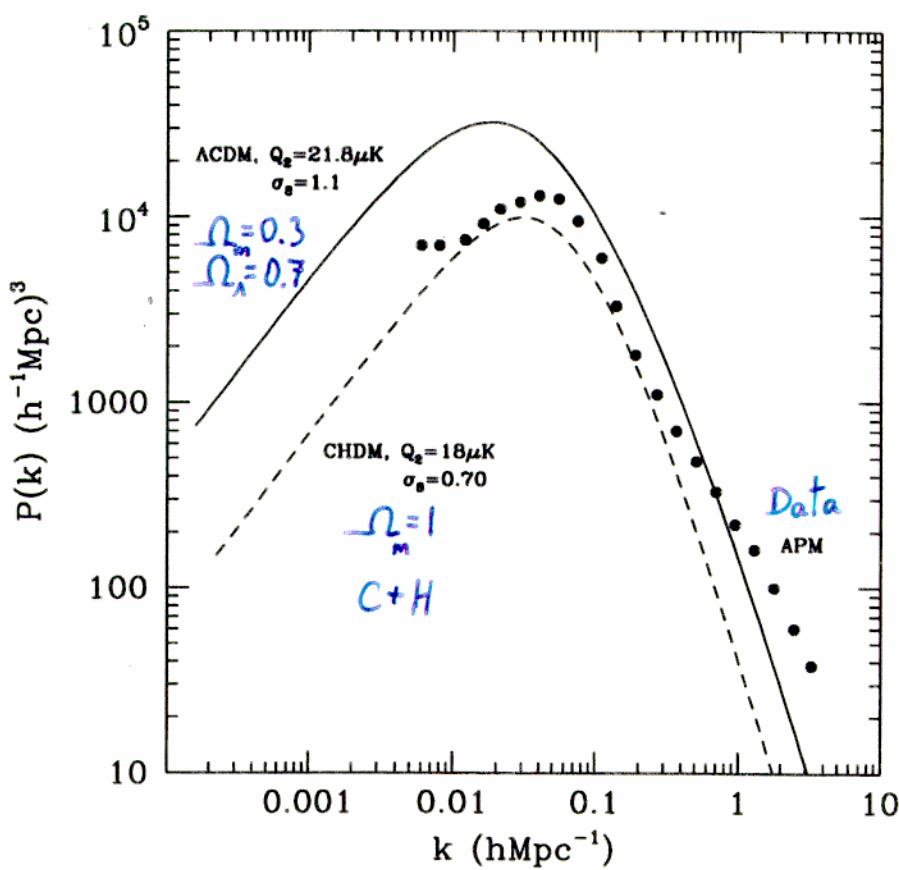
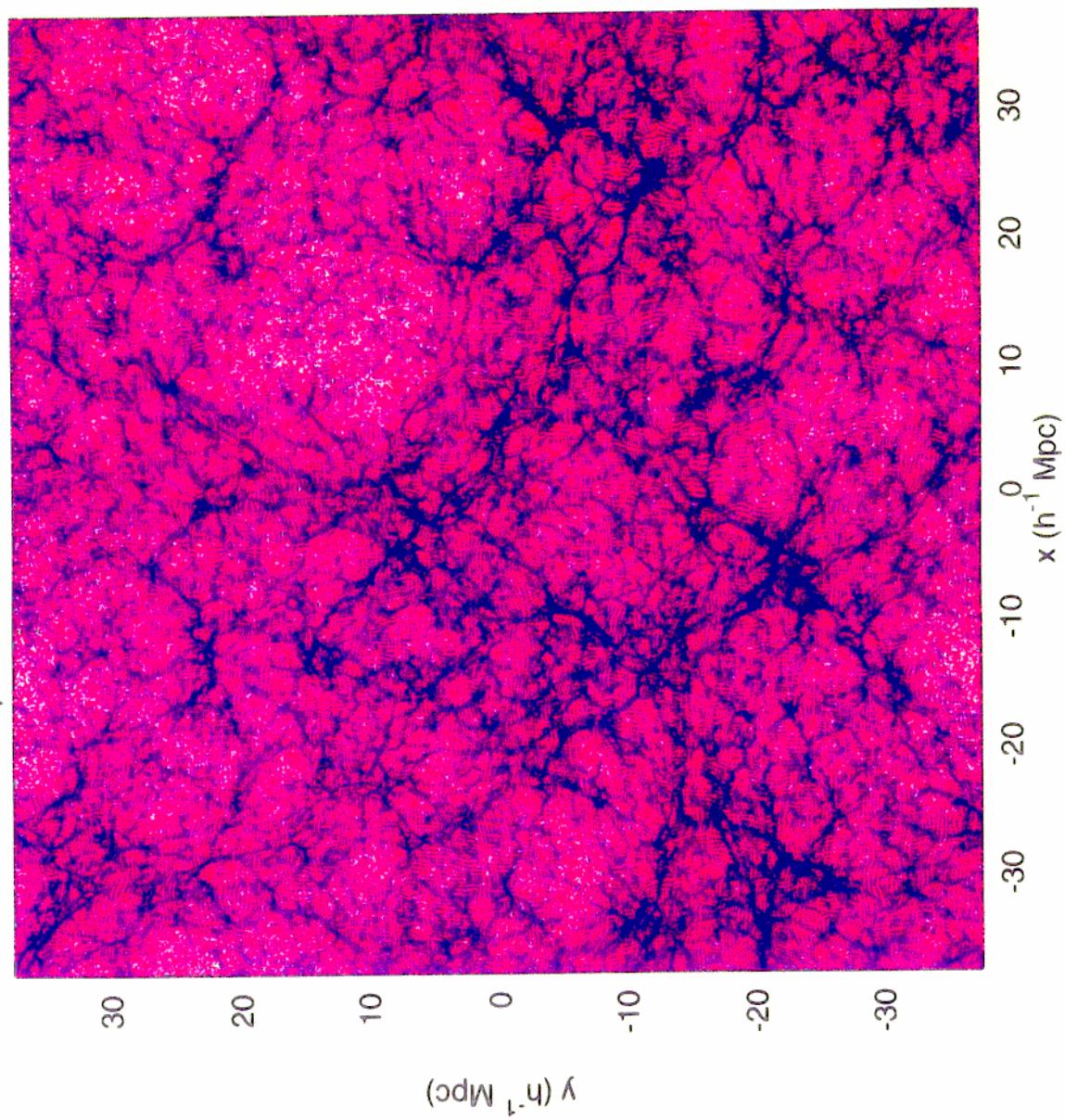
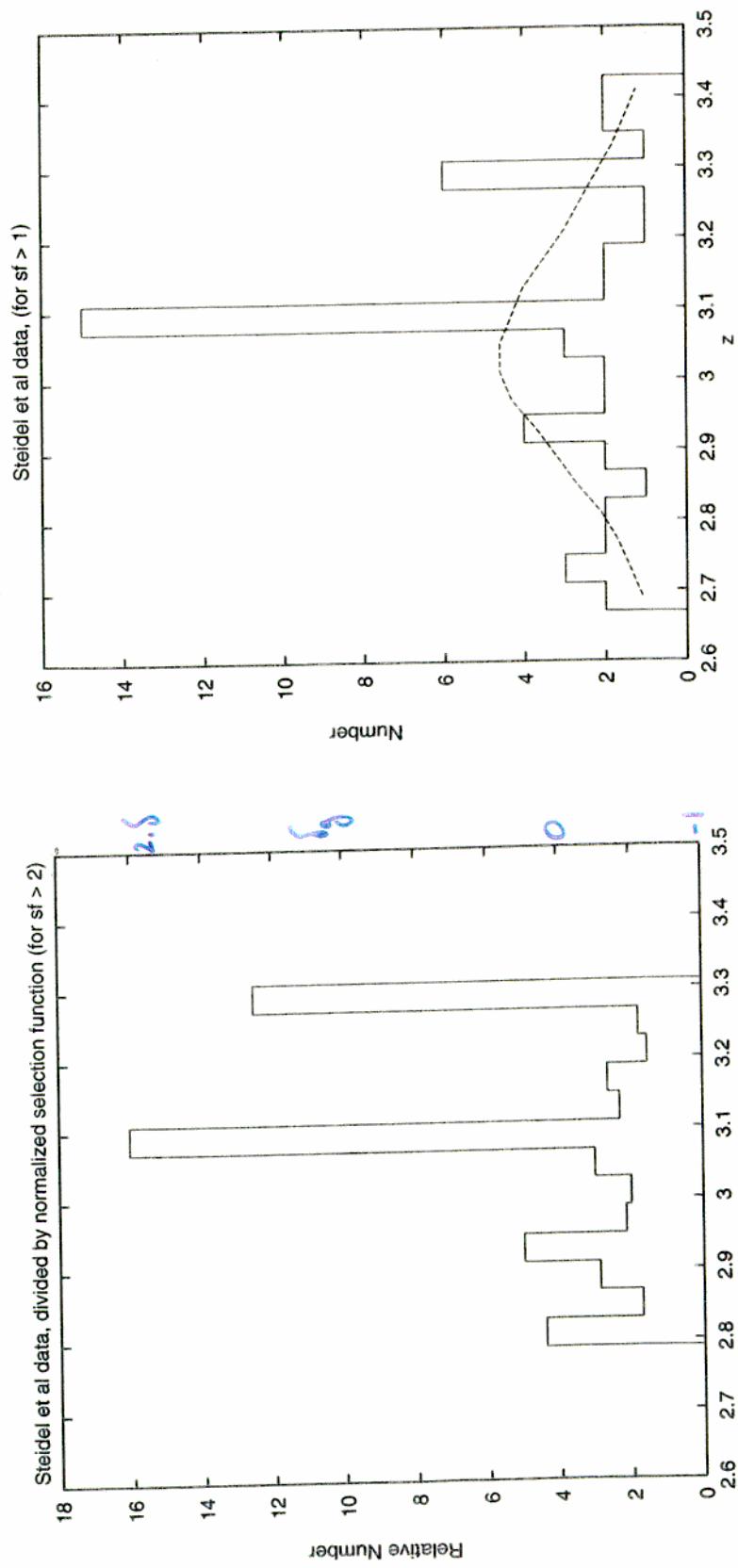
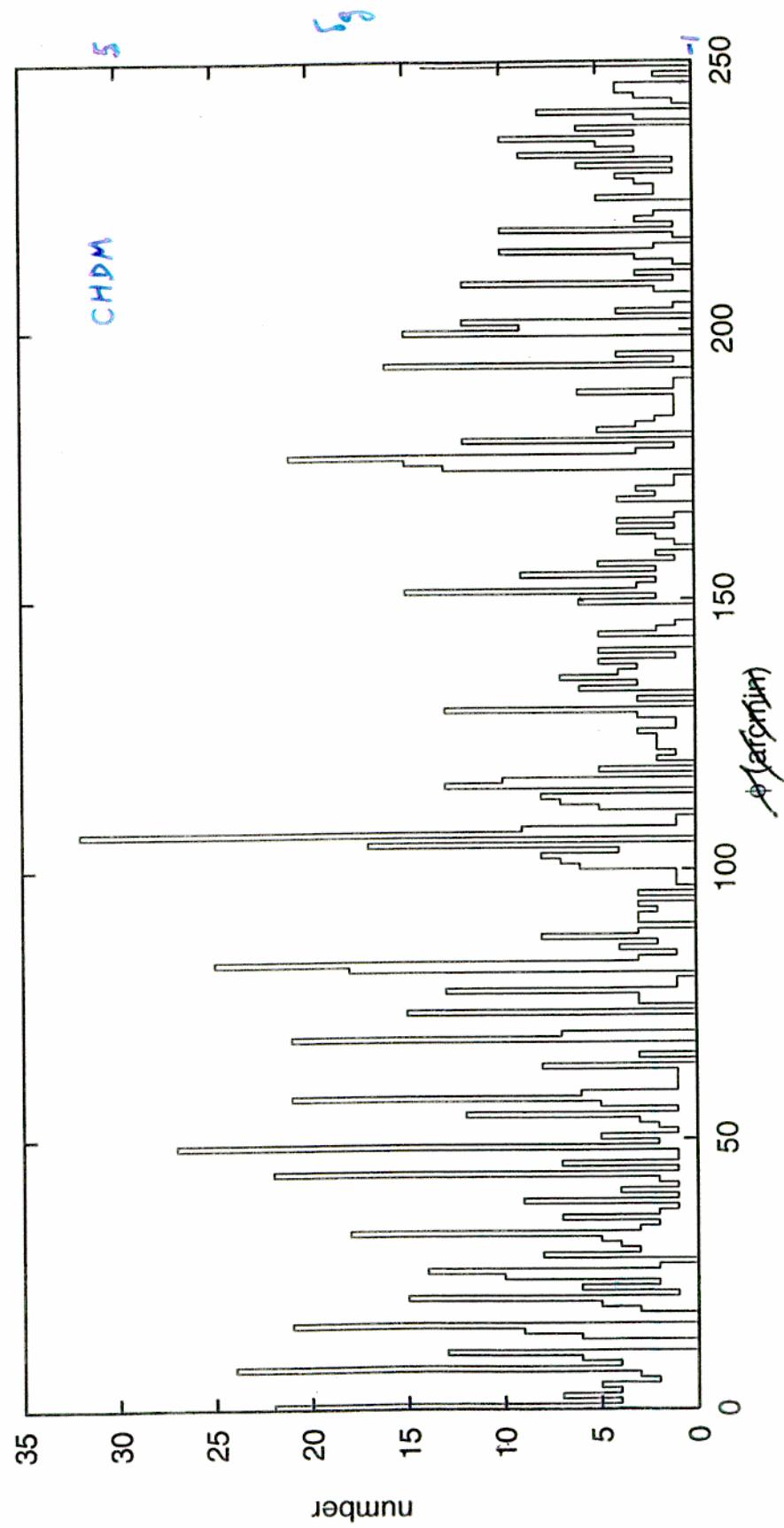


Fig. 1.8. Power spectrum of dark matter for Λ CDM and CHDM models considered here, both normalized to COBE, compared to the APM galaxy real-space power spectrum. (Λ CDM: $\Omega_0 = 0.3$, $\Omega_\Lambda = 0.7$, $h = 0.7$, thus $t_0 = 13.4$ Gy; CHDM: $\Omega = 1$, $\Omega_\nu = 0.2$ in $N_\nu = 2 \nu$ species, $h = 0.5$, thus $t_0 = 13$ Gy; both models fit cluster abundance with no tilt, i.e., $n_p = 1$. (From Primack & Klypin 1996.)

0.5 h^{-1} Mpc slice of CHDM simulation, $z = 2.7$

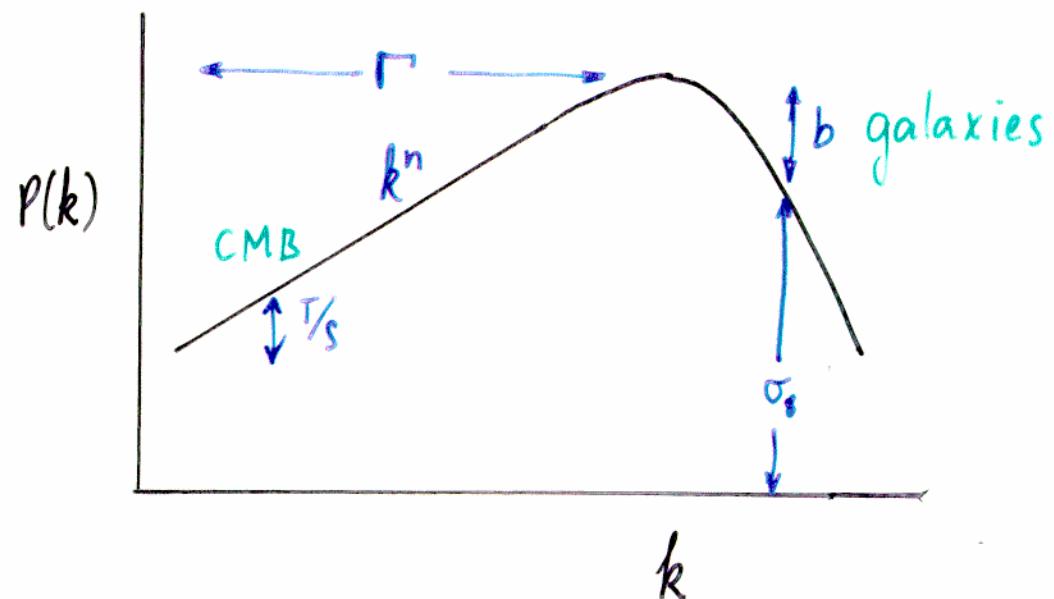






Cosmological Parameters

- Ω_m Ω_Λ H_0 bound/unb.
- $\Omega_{tot} = \Omega_m + \Omega_\Lambda$ $\Omega_k = 1 - \Omega_{tot}$ open/closed
- $q_0 = \frac{1}{2}\Omega_m - \Omega_\Lambda$ deceleration
- $t_0 H_0 = f(\Omega_m, \Omega_\Lambda)$
- $\Omega_m = \Omega_b + \Omega_c + \Omega_\nu + \dots$
- Fluctuations: $n, T/S, \Gamma, \sigma_8, b, \dots$



	Ω	Λ	Ω_γ	Ω_b	n	h	t_0
sCDM	1	0	0	0.01	1	50	
TCDM	1	0	0	0.01	0.8	50	
Λ CDM	0.4	0.6	0	0.01	1	75	
OCDM	0.4	0	0	0.01	1	>75	
CHDM	1	0	0.2	0.01	1	50	
strings+HDM	1	0	1	0.01	1	50	
PIB	0.1	0.9	0	0.01	2	75	

SVD
 (something Very Different)

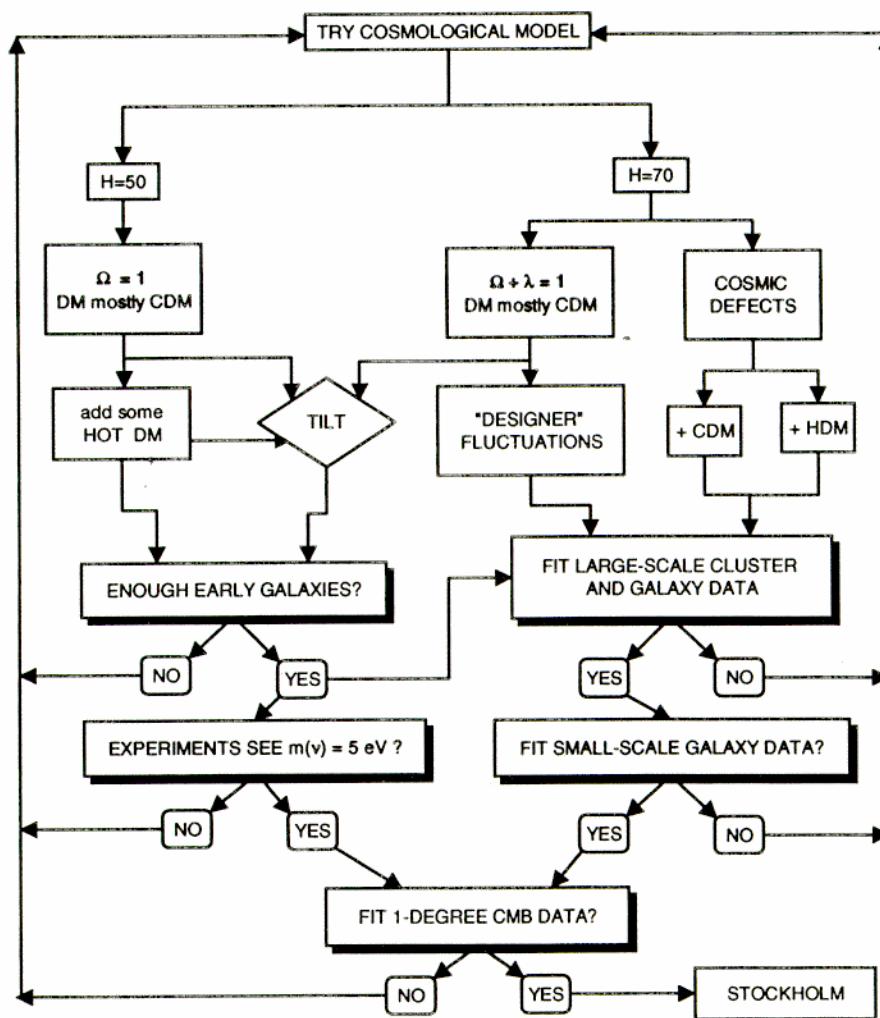
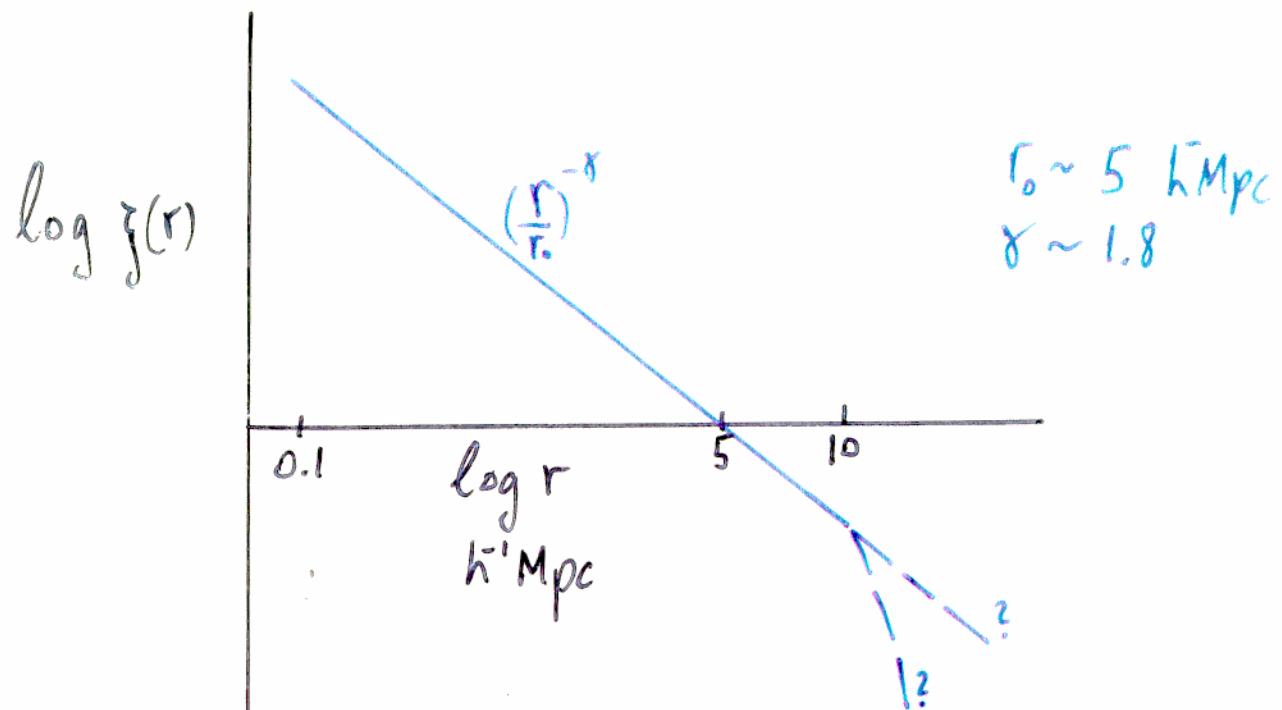


Fig. 1.3. Building a Cosmological Model. (This figure was inspired by similar flow-charts on inventing dark matter candidates, by David Weinberg and friends, and by Rocky Kolb.)

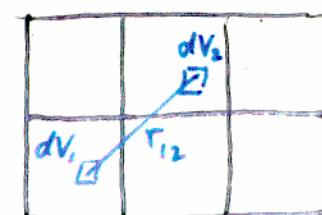
Galaxy-Galaxy correlation Function

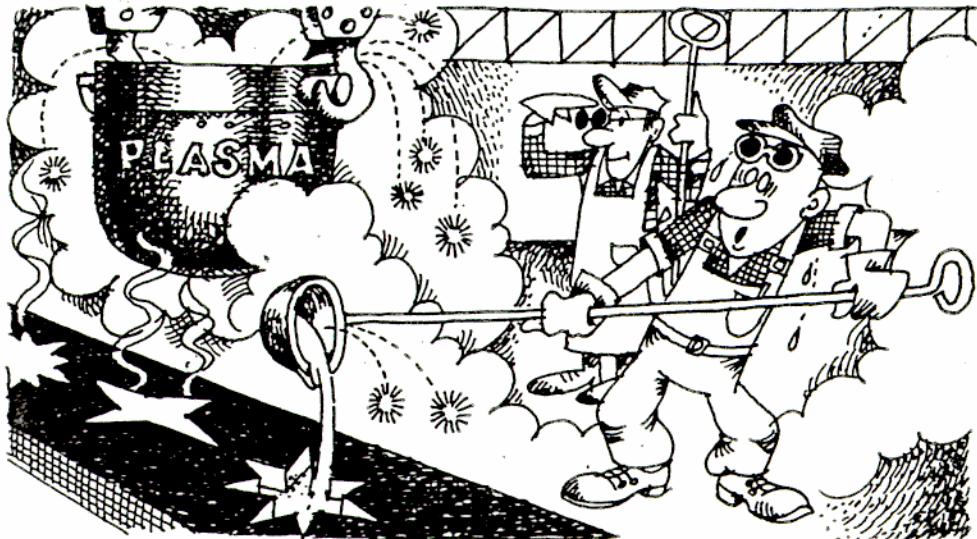
$$P(r) dV = [1 + \xi(r)] n dV$$



Counts in Cells

$$\sigma^2(V) = \frac{1}{V^2} \int_V \xi(r_{12}) dV_1 dV_2$$





3: The hot Universe

Physics of the initial stage of expansion

The preceding chapters introduced the reader to the mechanics of the expansion of the Universe. Actually, mechanics is not the only aspect of interest. A great number of processes took place in the Universe at its early moments. We know that at the instant of the Big Bang, 15 billion years ago, the density of matter in the Universe was tremendously high. Hence, the physical processes at that stage were quite dissimilar to those we observe now. These past processes predetermined the current state of the world and, among other things, contained the possibility for the appearance of life.

The physics of processes at the outset of expansion is the focus of extreme attention. However, are we really able to say anything about these processes? This is a legitimate question since we mean the very first moment of expansion, and that moment was 15 billion years ago.

In fact, we really *are* able to infer some things.

The point is that the process during the first seconds of the Big Bang had such important consequences for today's Universe and left 'traces' so obvious, that the processes themselves can be reconstructed.

The most important among them were nuclear reactions among elementary particles, occurring at very high particle densities. Such

Dekel & Shaham 1979

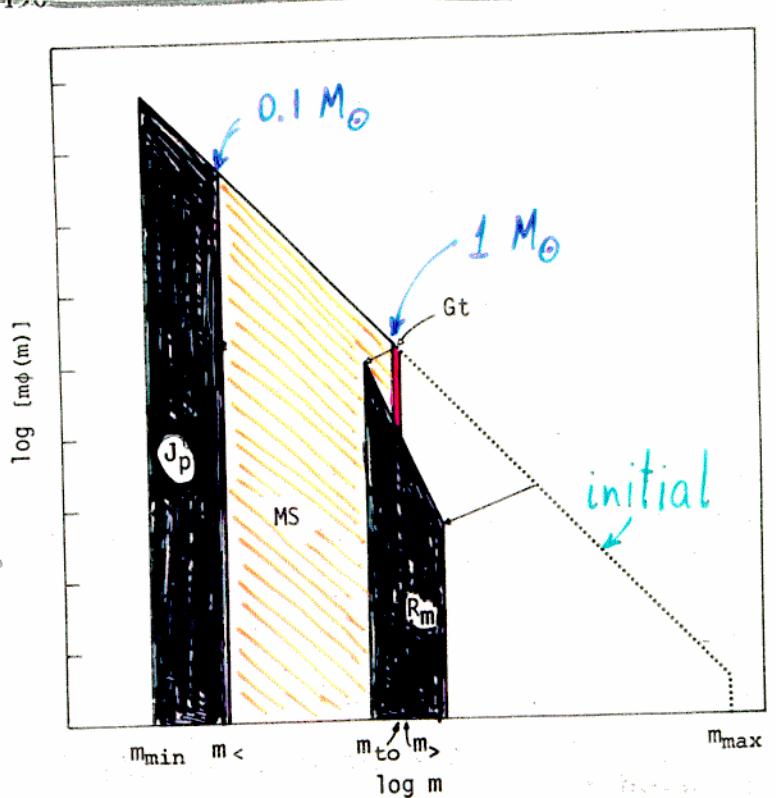
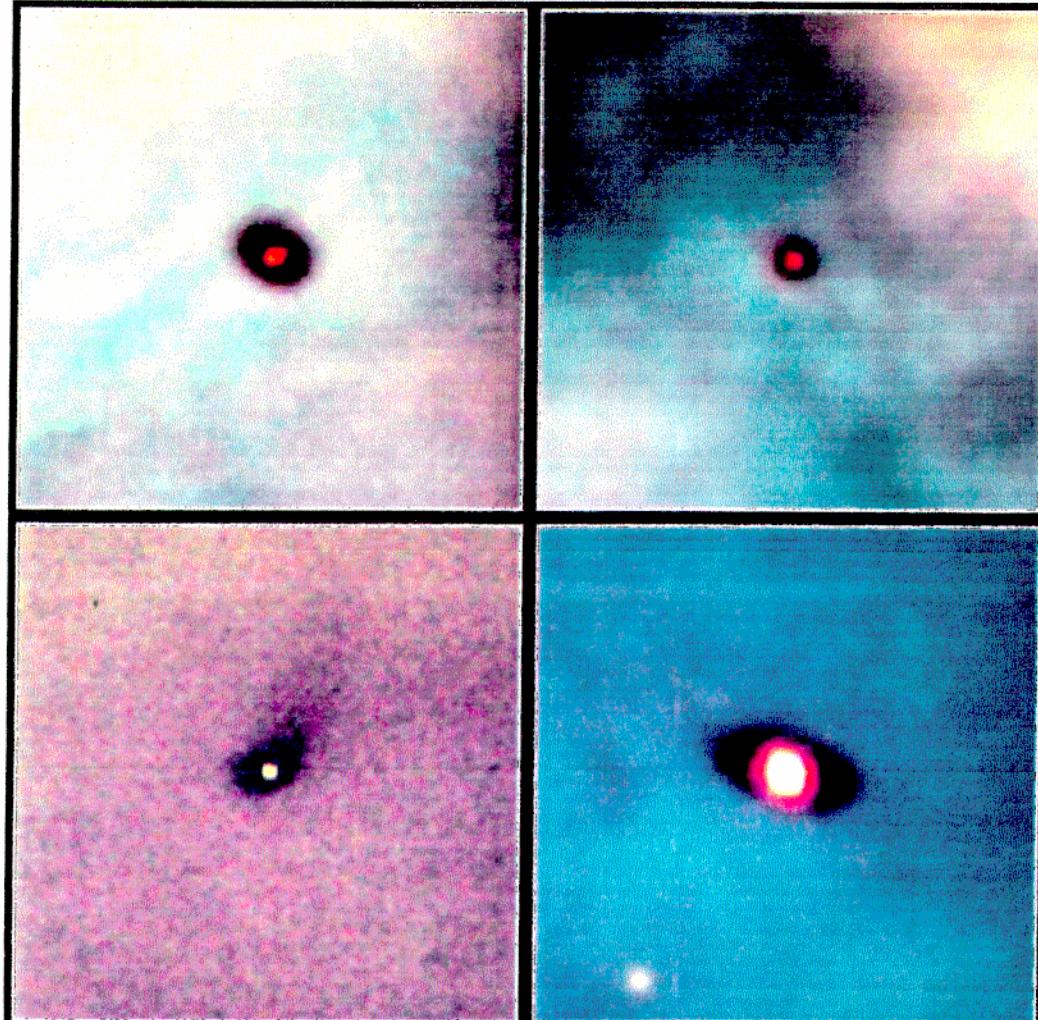


Fig. 3. The model mass function at a given radius, divided into four classes, namely: Jupiters (J_p), main-sequence stars (MS), red giants (G_t) and dead-remnants (R_m). $\phi(m)$ is the number density of stars per unit mass, having the form $\phi(m) \propto m^{-n}$. For the various notations see text. The dashed line correspond to heavy stars of the original population before they have shed their envelope and left as dead remnants. The parameters chosen for this figure are: $n = 3.5$, $m_{\min} = 0.03 M_\odot$, $m_< = 0.08 M_\odot$, $m_{to} = 0.790 M_\odot$, $m_> = 0.805 M_\odot$, and $m_{\max} = 60 M_\odot$. Ordinate divisions represent logarithm differences of unity



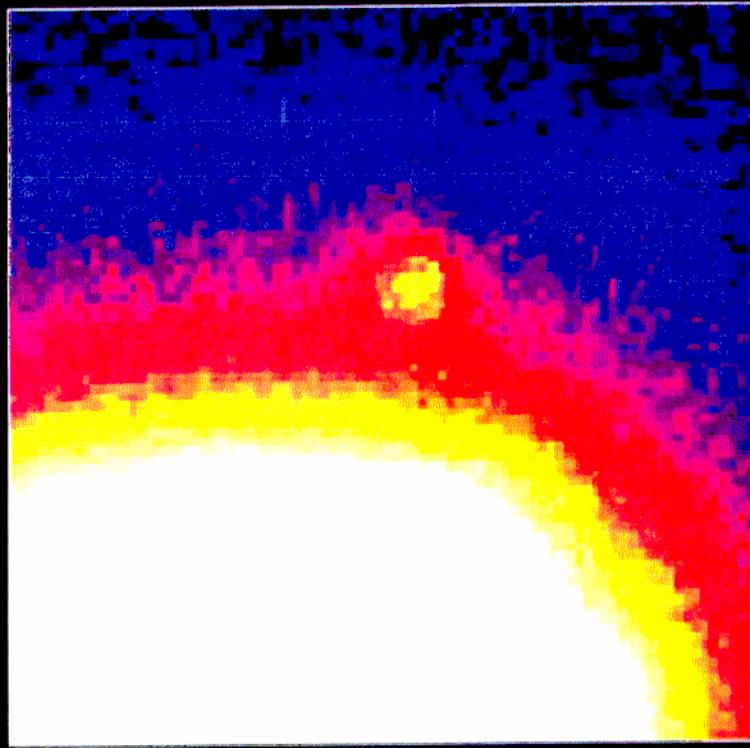
**Protoplanetary Disks
Orion Nebula**

HST • WFPC2

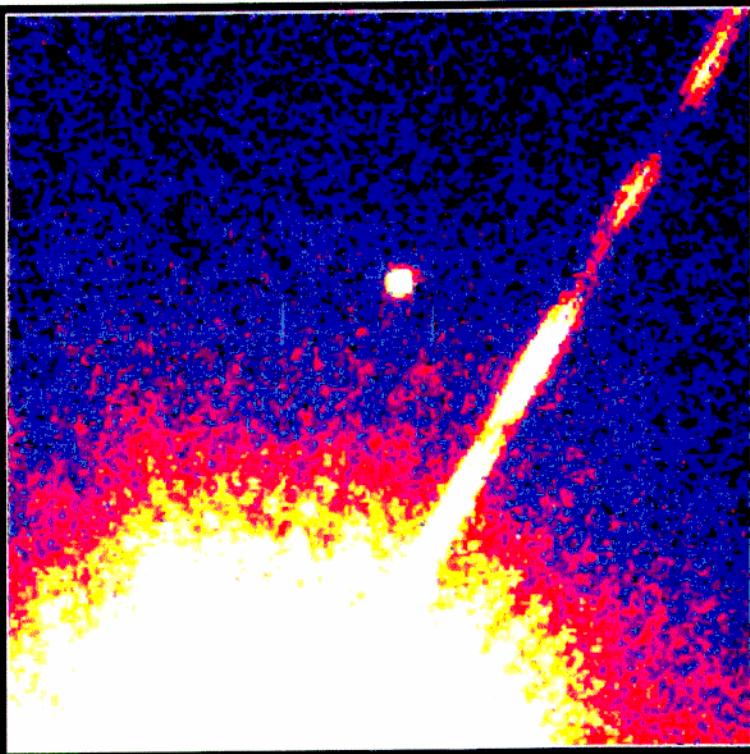
PRC95-45b • ST Scl OPO • November 20, 1995

M. J. McCaughrean (MPIA), C. R. O'Dell (Rice University), NASA

Brown Dwarf Gliese 229B

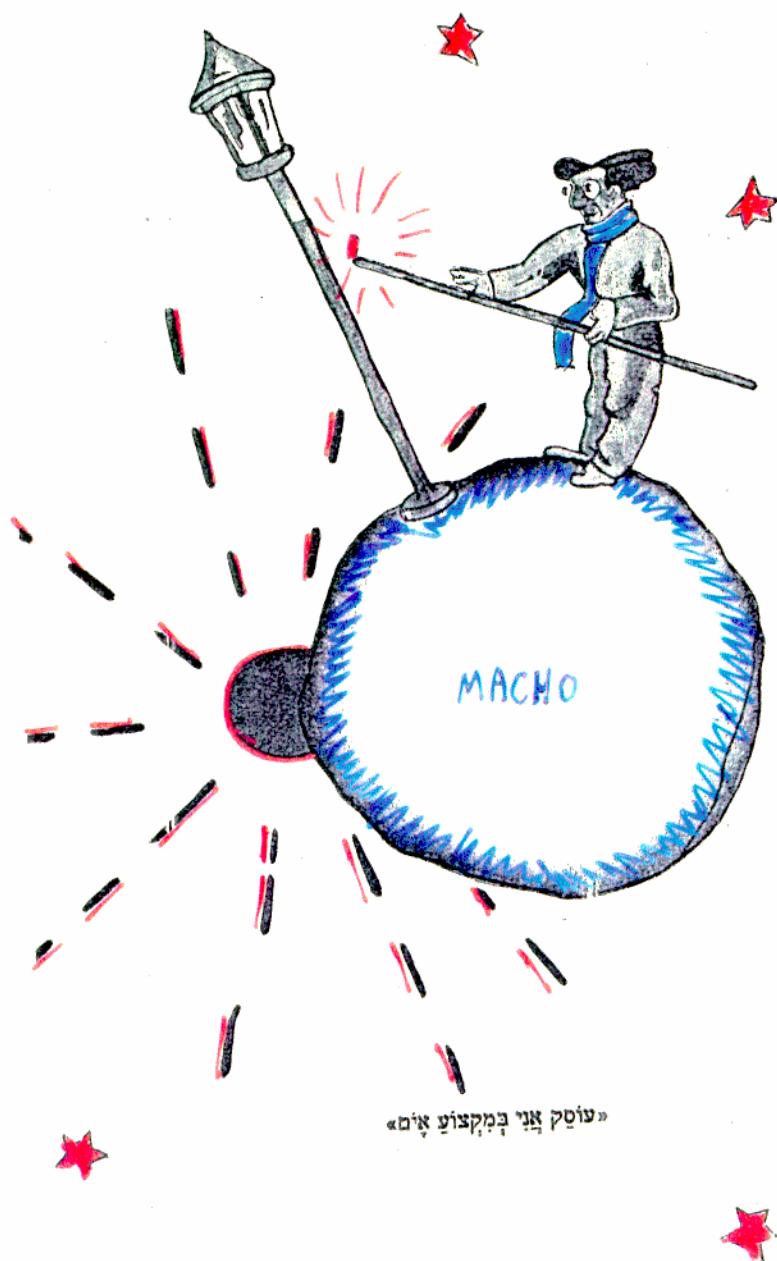


Palomar Observatory
Discovery Image
October 27, 1994



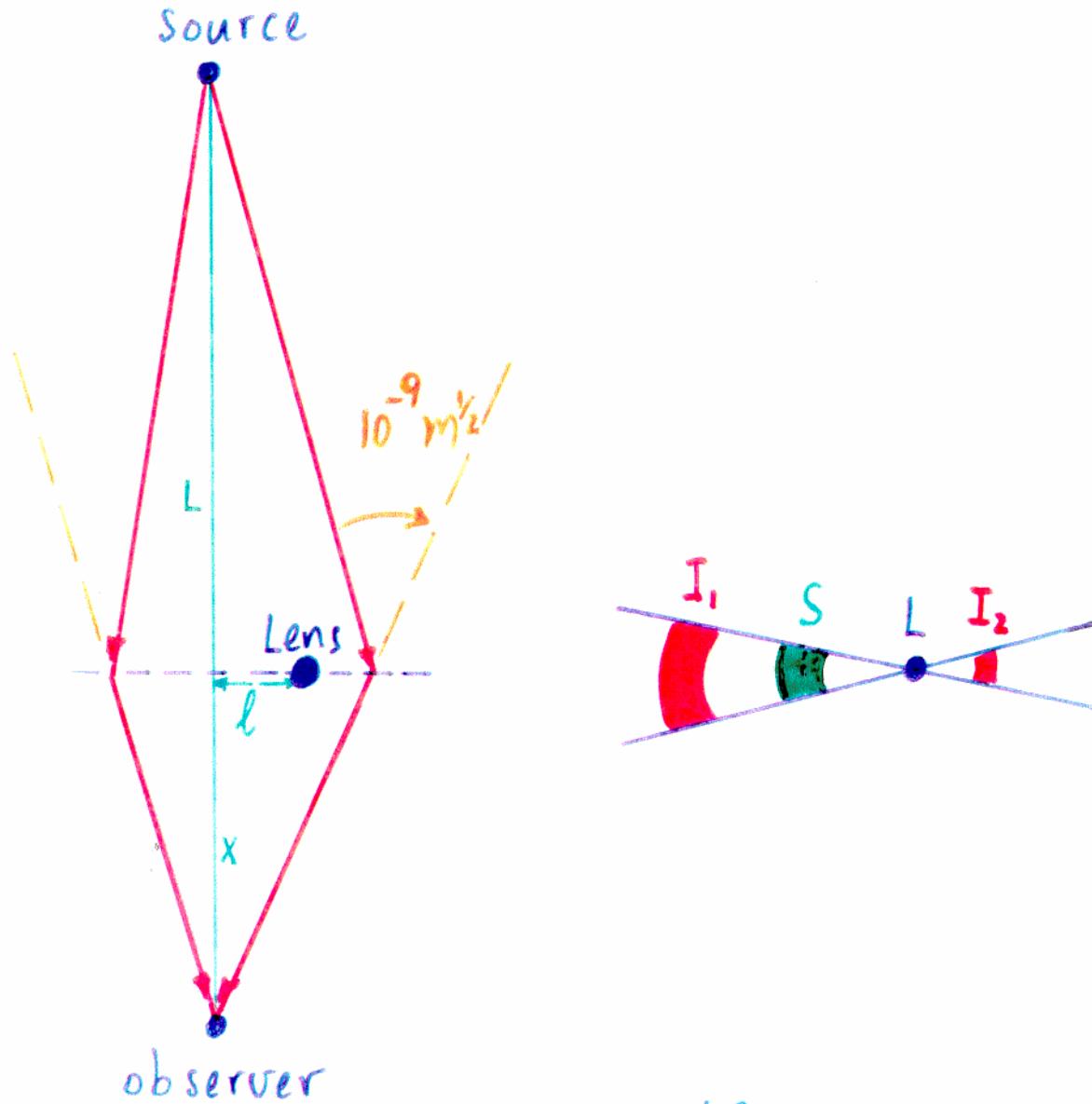
Hubble Space Telescope
Wide Field Planetary Camera 2
November 17, 1995

PRC95-48 • ST Sci OPO • November 29, 1995 • T. Nakajima and S. Kulkarni (CalTech), S. Durrance and D. Golimowski (JHU), NASA



«טָפֵק אֲנִי בַמְקֹדֶשׁ אֶתֵם»

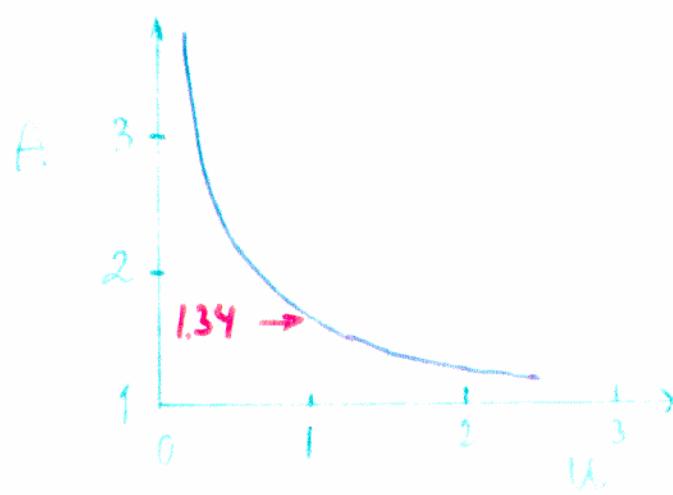
Microlensing → Amplification



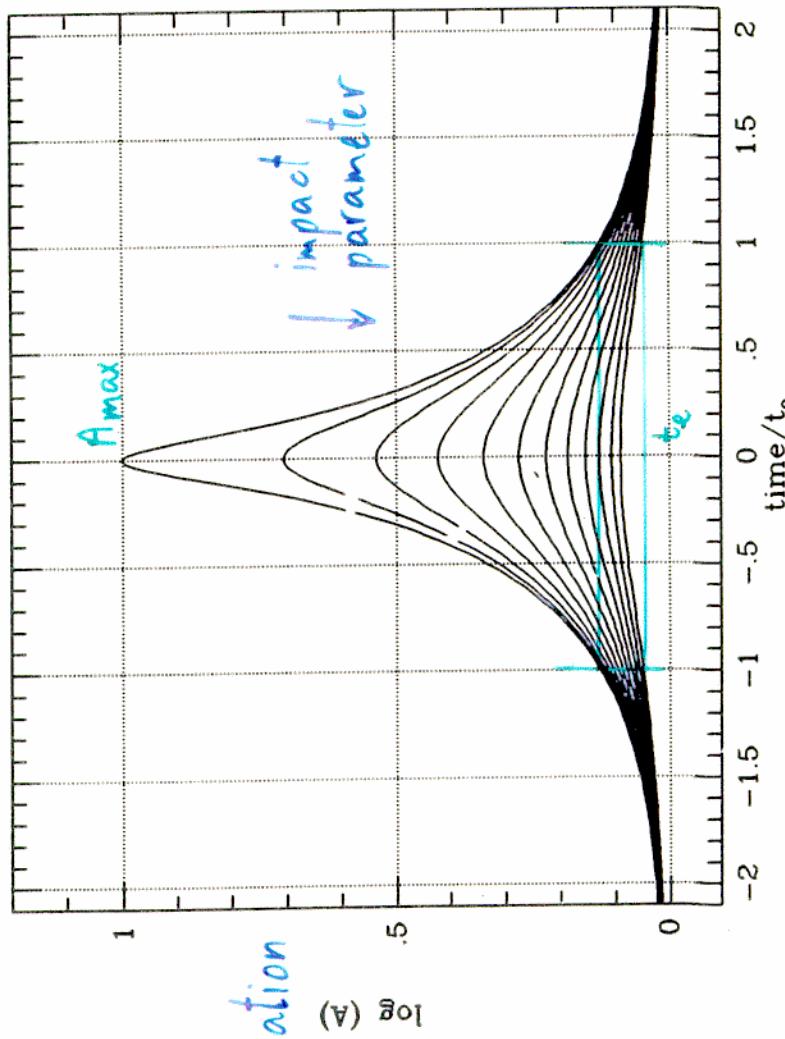
$$R_E^2 = \frac{4G}{C^2} M L \times (1-x)$$

Impact p. $u \equiv \ell/R_E$

$$A = \frac{u^2 + 2}{u(u^2 + 4)^{1/2}}$$

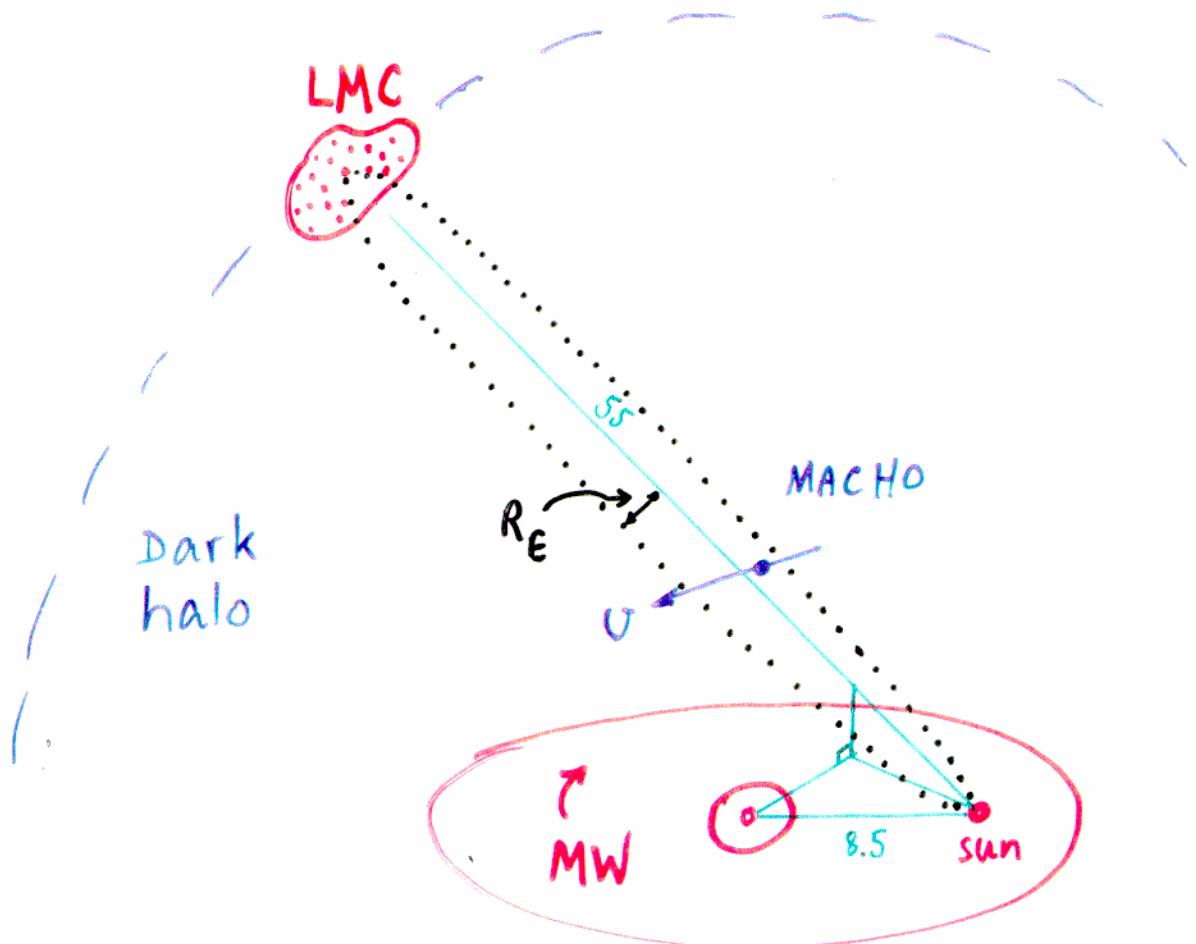


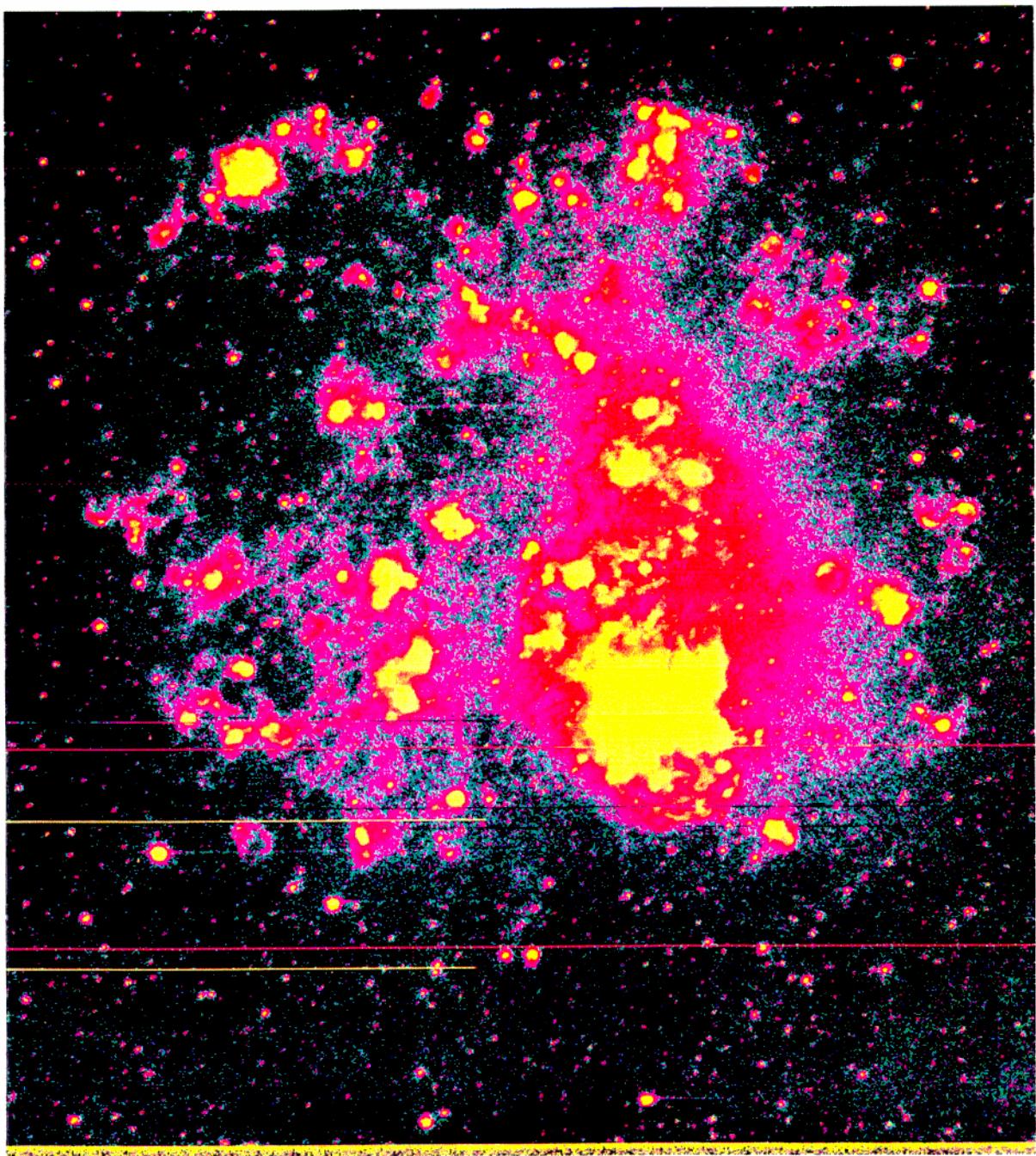
Light Curve $A(t)$



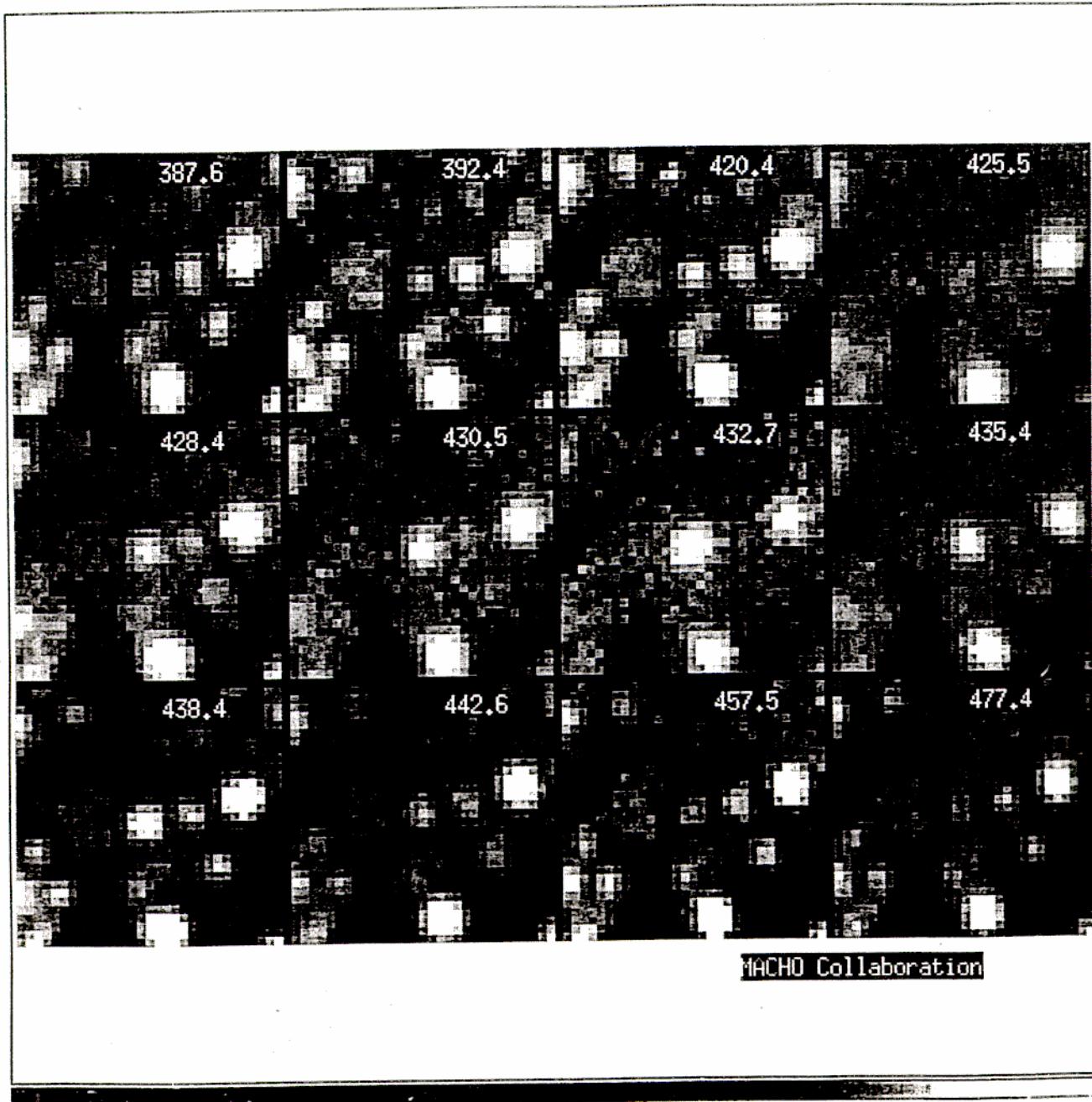
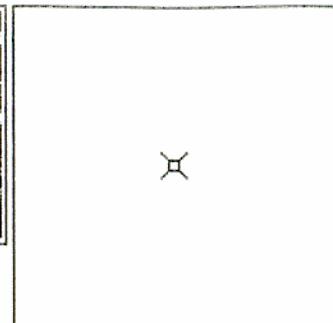
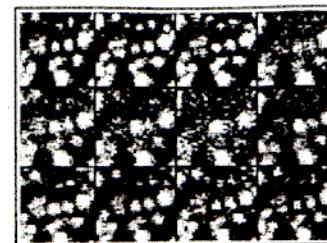
- Symmetric
- Achromatic
- 2 parameters
- distribution
- All types of *

FIG. 2.—Time variation of the amplification due to gravitational microlensing for events with the impact parameter d/R_0 equal $0.1, 0.2, \dots, 1.1, 1.2$. The largest amplitude corresponds to the smallest impact parameter. The unit of time is given as $t_0 \equiv R_0/v$, where R_0 is the radius of ringlike image formed when the source, the lensing mass, and the observer are perfectly aligned (see eq. [2] and [16]) and v is the relative tangential velocity of the lensing object.

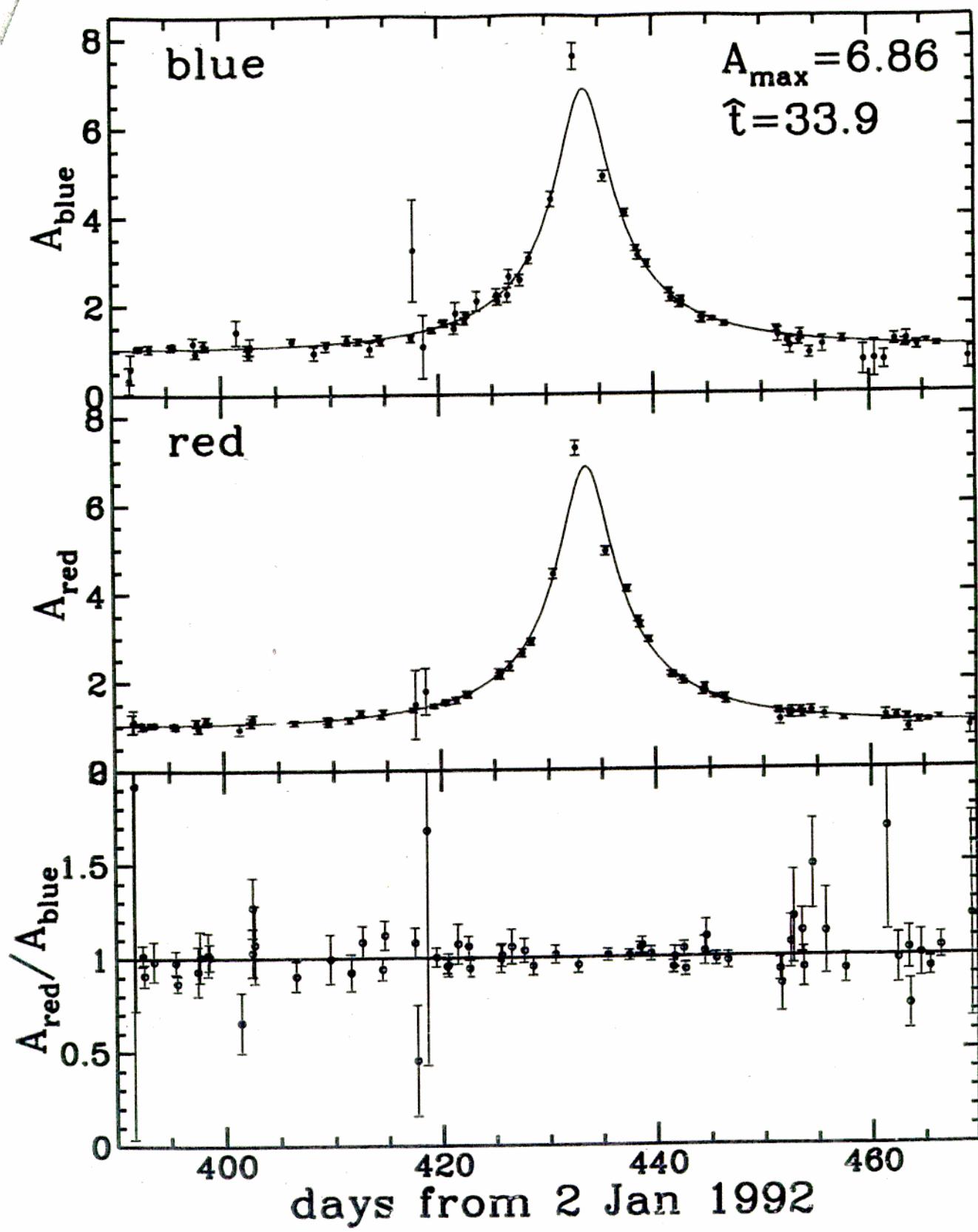
MACHO Experiment



file: test4.fit
dir: /macho21/macho/stuart



Massive Astrophysical Compact Halo Object = MACHO



Expérience de Recherche d'Objets Sombres = EROS

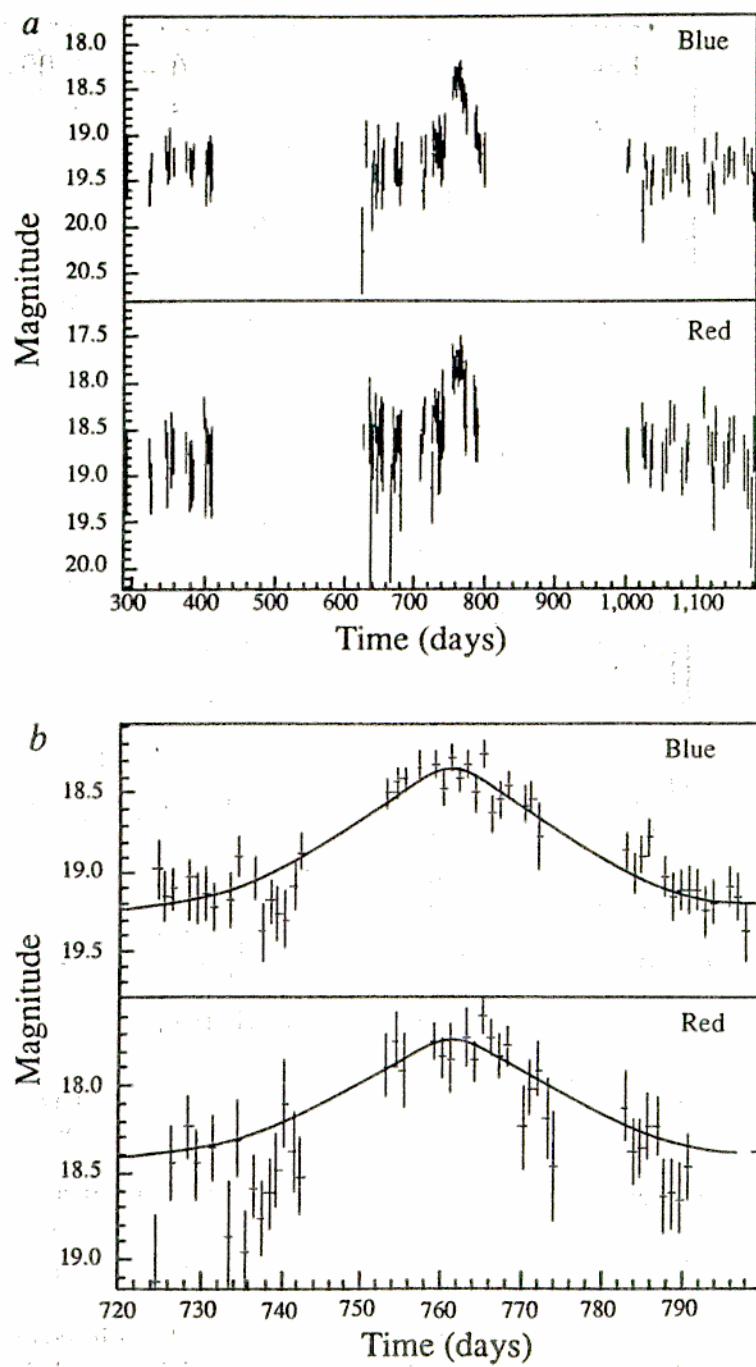


FIG. 1 *a*, The measured magnitudes for candidate 1 as a function of time. The time is counted from 1 January 1990. The error bars correspond to the estimated 1σ errors. *b*, The light-curve of candidate 1 on an expanded scale. The curve shows the best fit for the microlensing hypothesis. The parameters of the best fit are shown in Table 1.

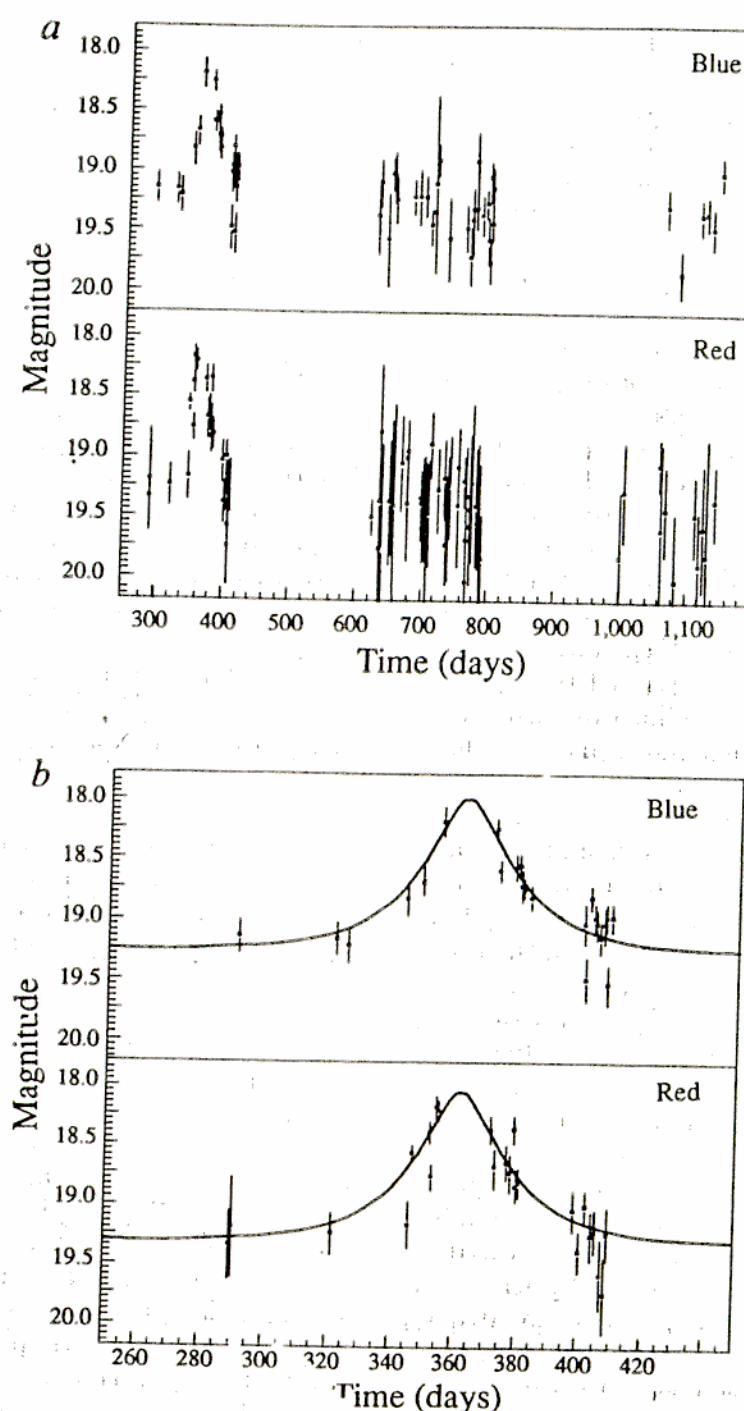


FIG. 2 As Fig. 1, for candidate 2.

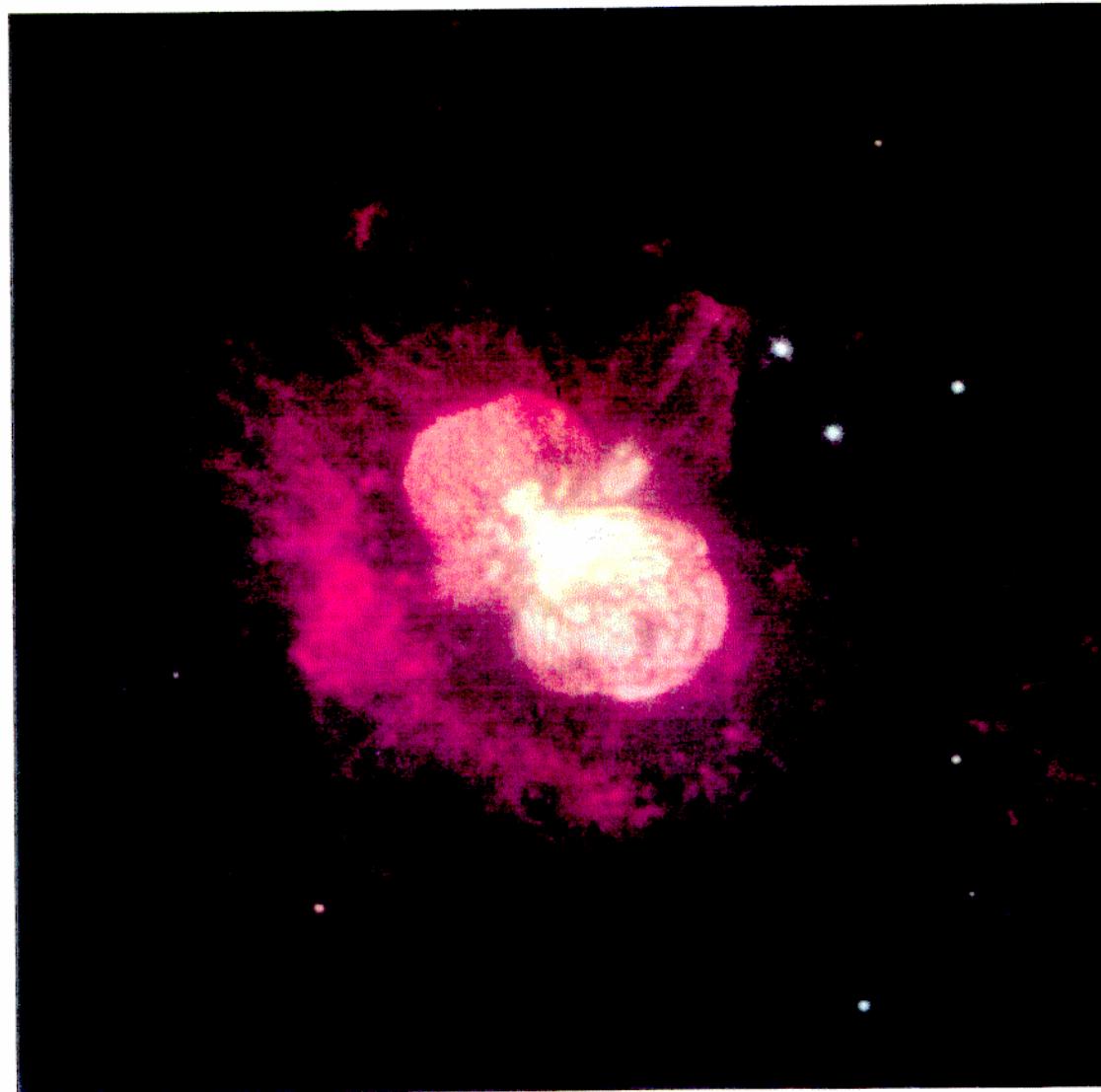
4/91

Two-year MACHO results :

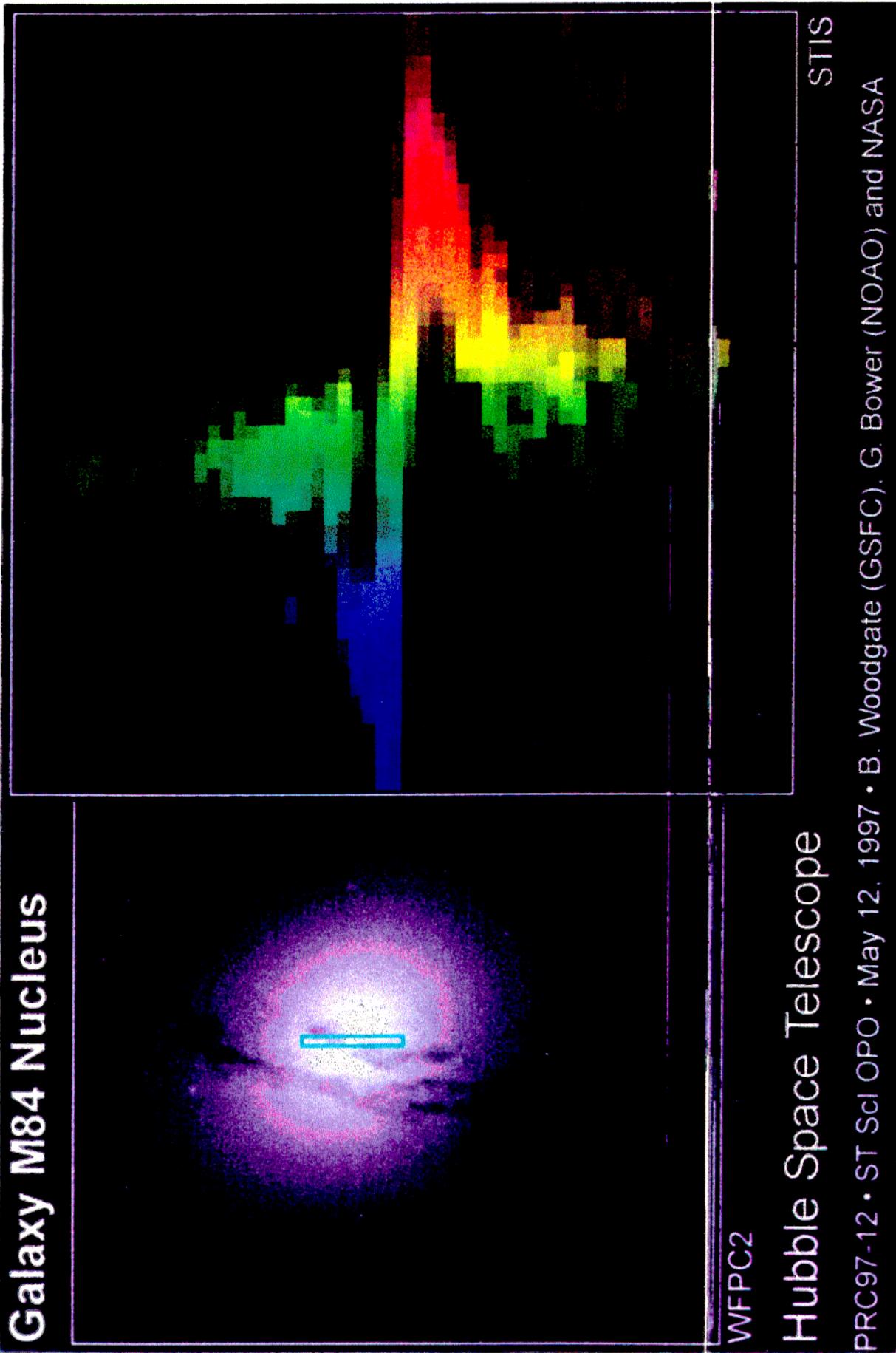
6-8 events in halo towards LMC

$$m \sim 0.3 \pm 0.2$$

$$\text{fraction} \sim \underline{\underline{0.5 \pm 0.2}}$$







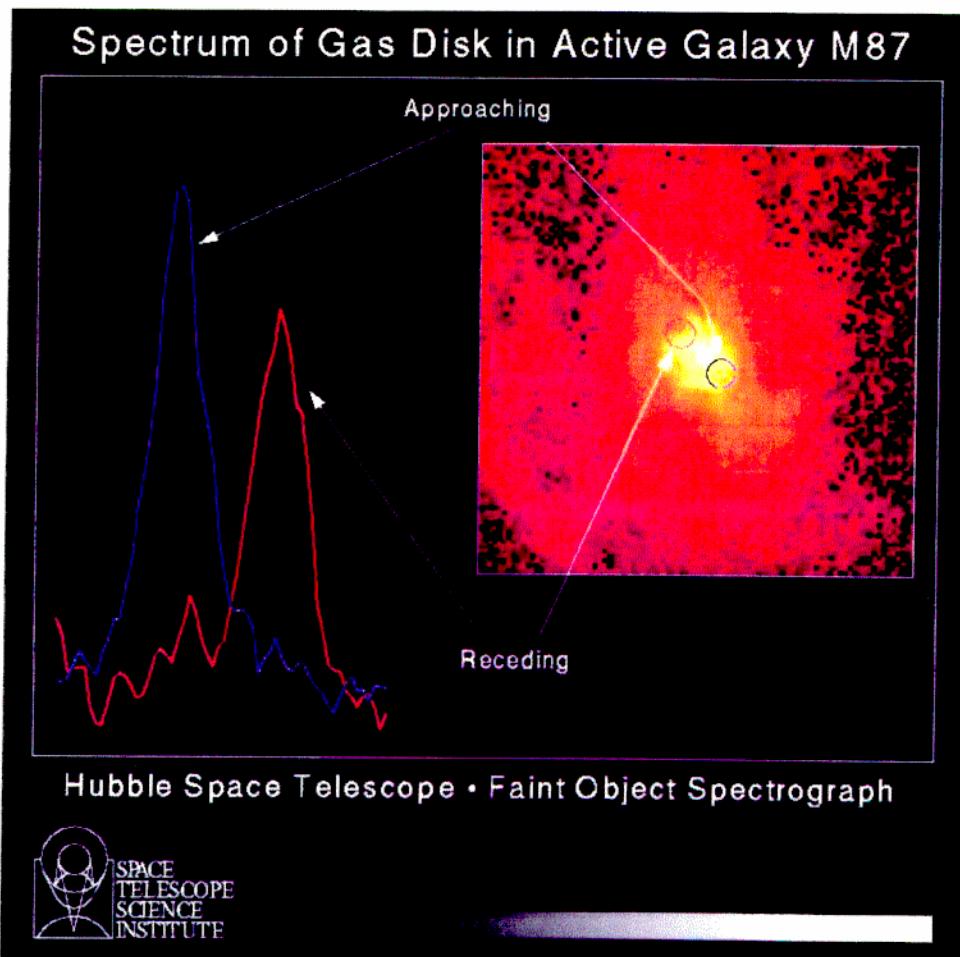


Table 1.3. *Dark Matter Candidates*

axion	Weakly Interacting Massive Particles	COLD	
SUSY LSP neutralino			
technibaryon			
pseudo Higgs			
:	Massive Astrophysical Compact Halo Objects	DARK	
shadow matter			
topological relics			
non-top. solitons			
Primordial BH		MATTER	
jupiters			
brown dwarfs	Massive Astrophysical Compact Halo Objects		
white dwarfs			
neutron stars			
stellar BH			
massive BH			
neutrinos ν_e ν_μ ν_τ (ν_s ?)	HOT DARK MATTER	HOT DARK MATTER	
majorons?			
gravitino	WARM DM	WARM DM	
right-handed ν			
decaying dark matter			
:	VOLATILE DM	VOLATILE DM	

Table 1.4. *Supersymmetry*

A hypothetical symmetry between boson and fermion fields and interactions

Spin	Matter (fermions)	Forces (bosons)	Hypothetical Superpartners	Spin
2		graviton	gravitino	3/2
1		photon, W^\pm, Z^0 gluons	<u>photino</u> , <u>winos</u> , <u>zino</u> , gluinos	1/2
1/2	quarks u,d,... leptons e, ν_e, \dots		squarks $\tilde{u}, \tilde{d}, \dots$ sleptons $\tilde{e}, \tilde{\nu}_e, \dots$	0
0		Higgs bosons axion	<u>Higgsinos</u> <u>axinos</u>	1/2

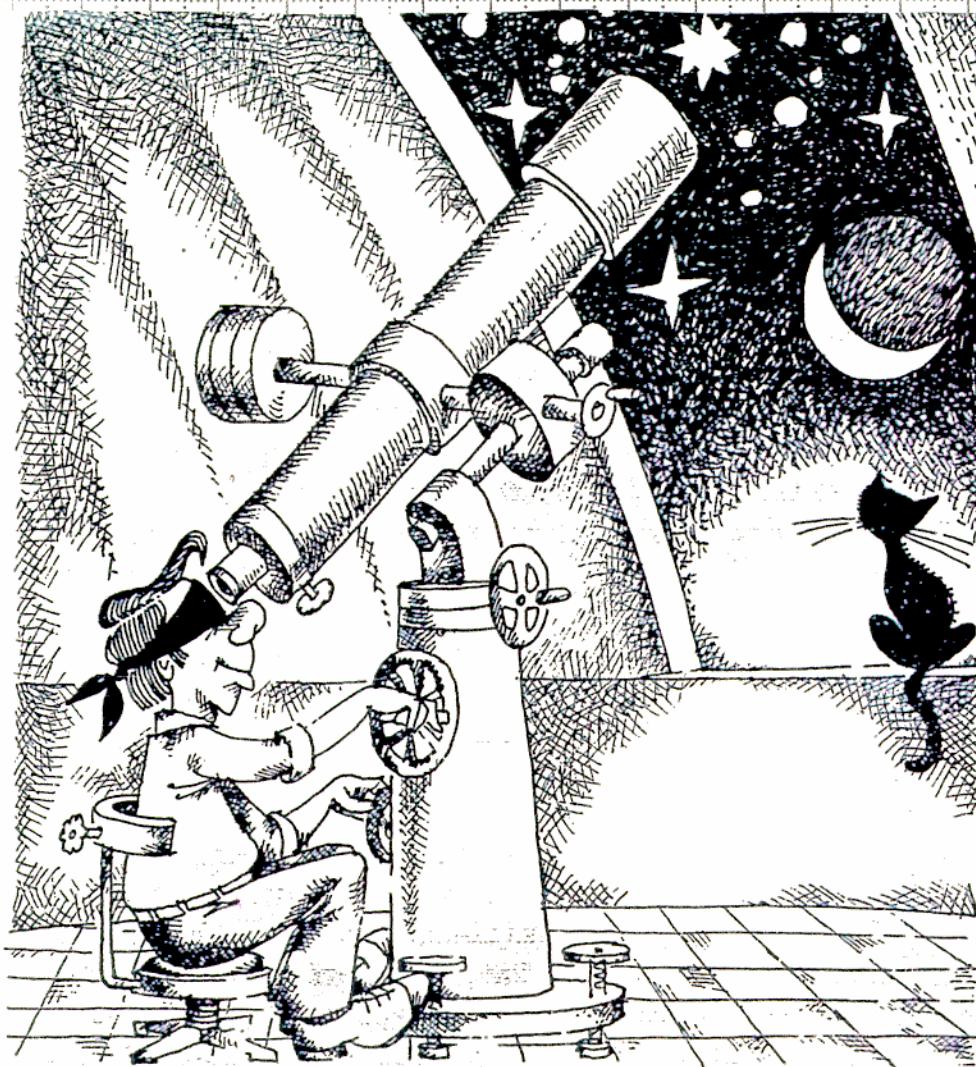
Note: Supersymmetric cold dark matter candidate particles are underlined.

COSMOLOGICAL PARAMETERS

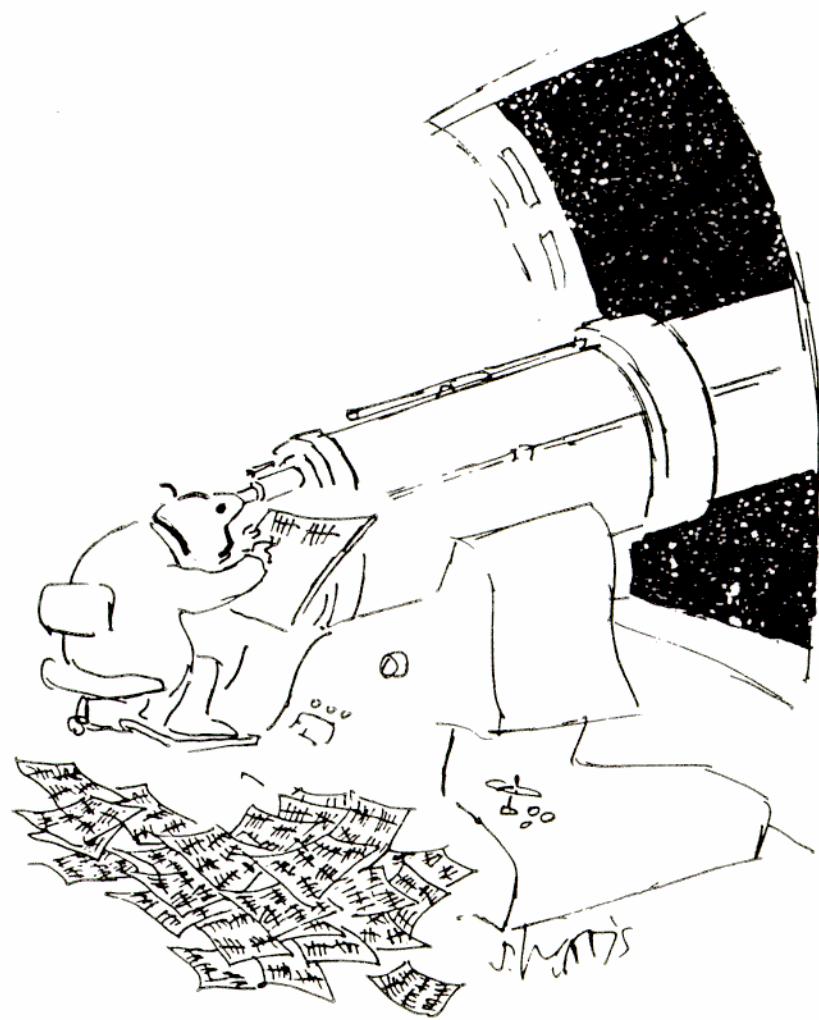
FROM COSMIC FLOWS

Avishai Dekel

- Reconstruction from v_{pec}
- Ω cosmology
- $P_k = C_\ell$ $\Omega, n, \sigma_8, \Omega_b$ fluctuations
- $\beta \equiv \Omega^{0.6} / b$ mass/light
- H Hubble bubble



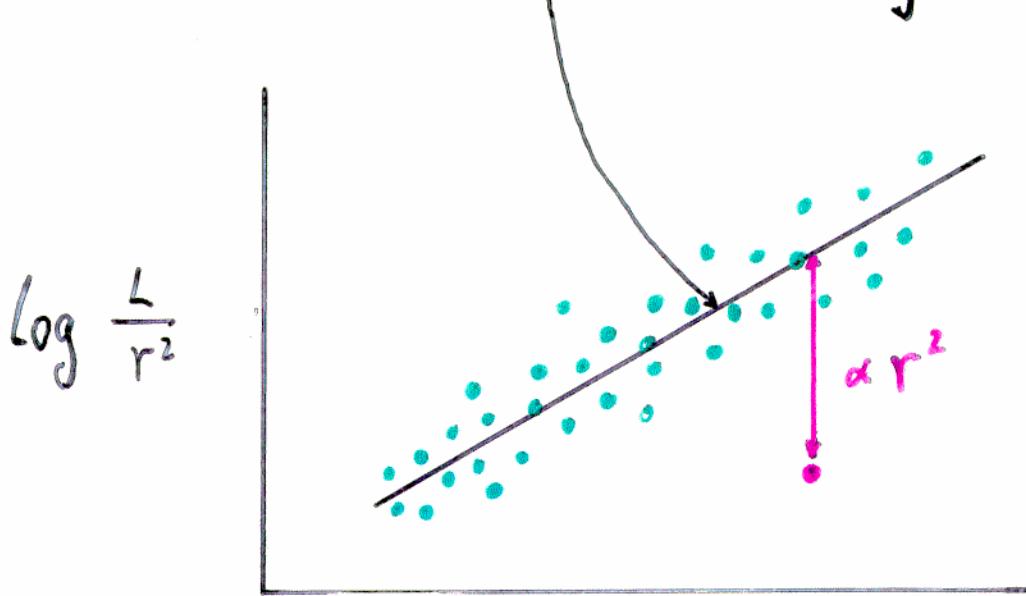
The search for Dark Matter



Peculiar Velocities



Distance: $L \propto \sigma^3$ Tully-Fisher , FP



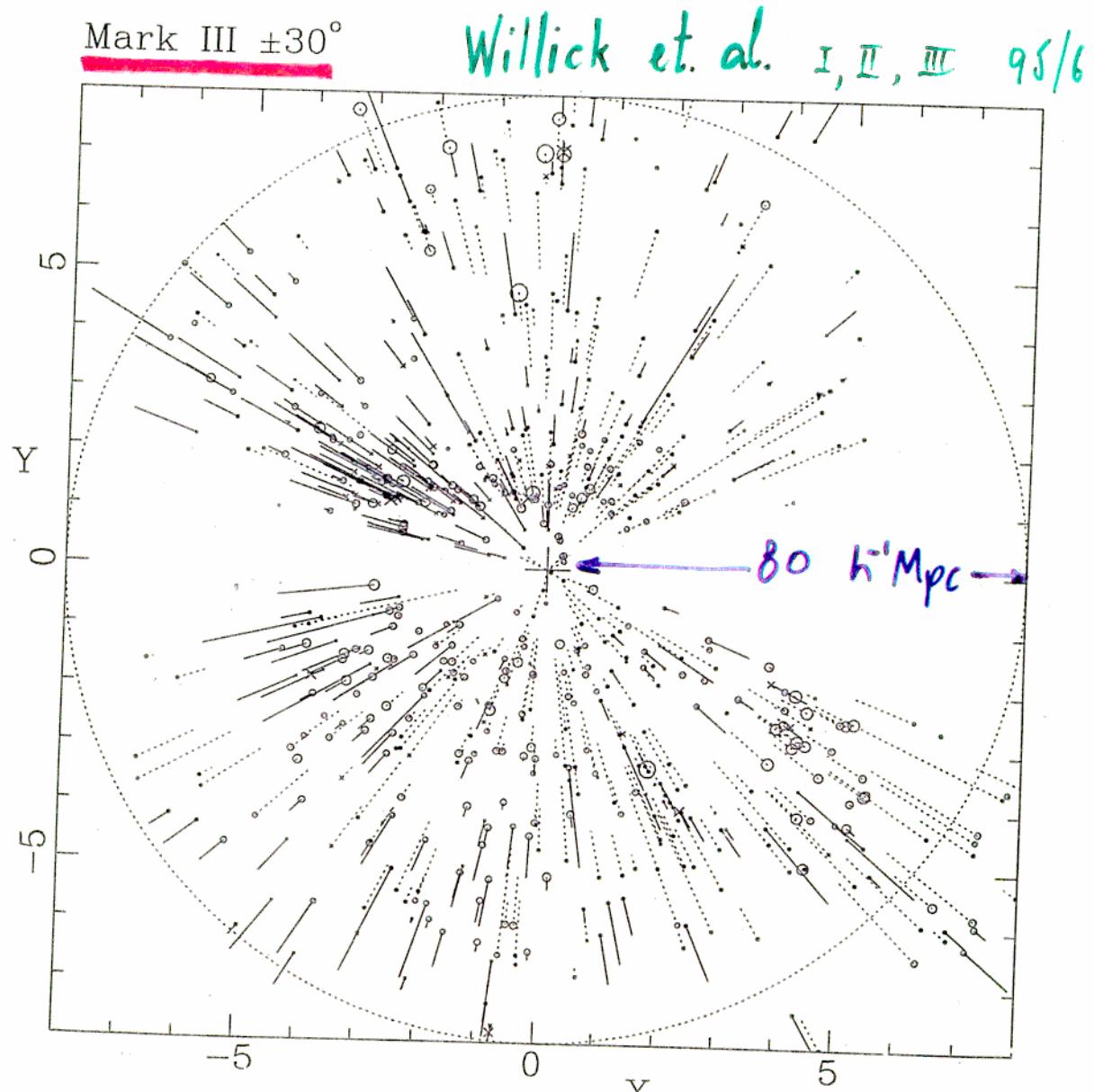
$\log \sigma$

$$\Delta r = 15-20\%$$

Peculiar Velocity Data

		Δ	N	R
→ Mark III	$TF/D_n\sigma$	~18%	~3400	<70 $h^{-1} \text{Mpc}$
→ SFI	TF	~18%	~2000	<70
clusters	$TF/D_n\sigma$	~18% / \sqrt{N}	~50	50 → 200
clusters	BCG	<20%	150 → 500	50 → 240
→ SNe Ia		~7%	44	20 - 300
SBF		~7%		<40
shell	TF	~18%		50 - 70
E-FAR	$D_n\sigma$	~20%		<100
E-NEAR				

Mark III Catalog of Peculiar Velocities



3,400 galaxies

Willick, Courteau, Faber, Burstein, Dekel

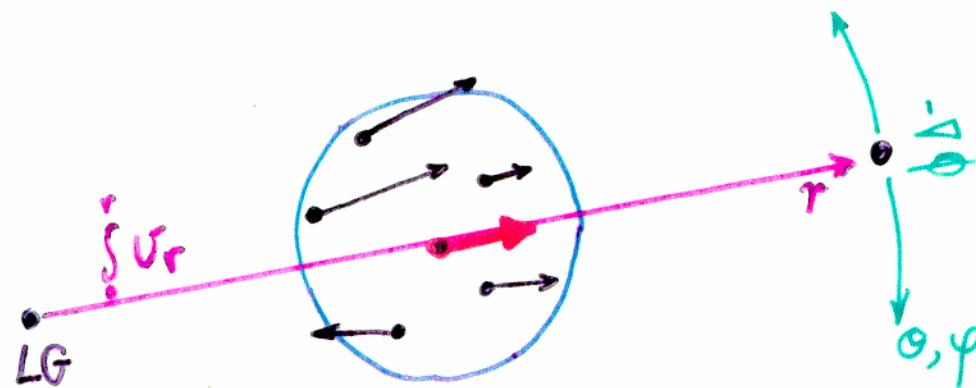
POTENT

Bertschinger & Dekel

- $U_r \rightarrow \vec{U}$

$$\vec{J} = -\nabla\phi$$

$$\phi(\vec{r}) = - \int_0^{\vec{r}} U_r(r, \theta, \varphi) dr$$



- Sparse, noisy data

→ smoothing $W_i \propto n_i^{-1} \sigma_i^{-2} e^{-\Delta r_i^2 / 2R^2}$

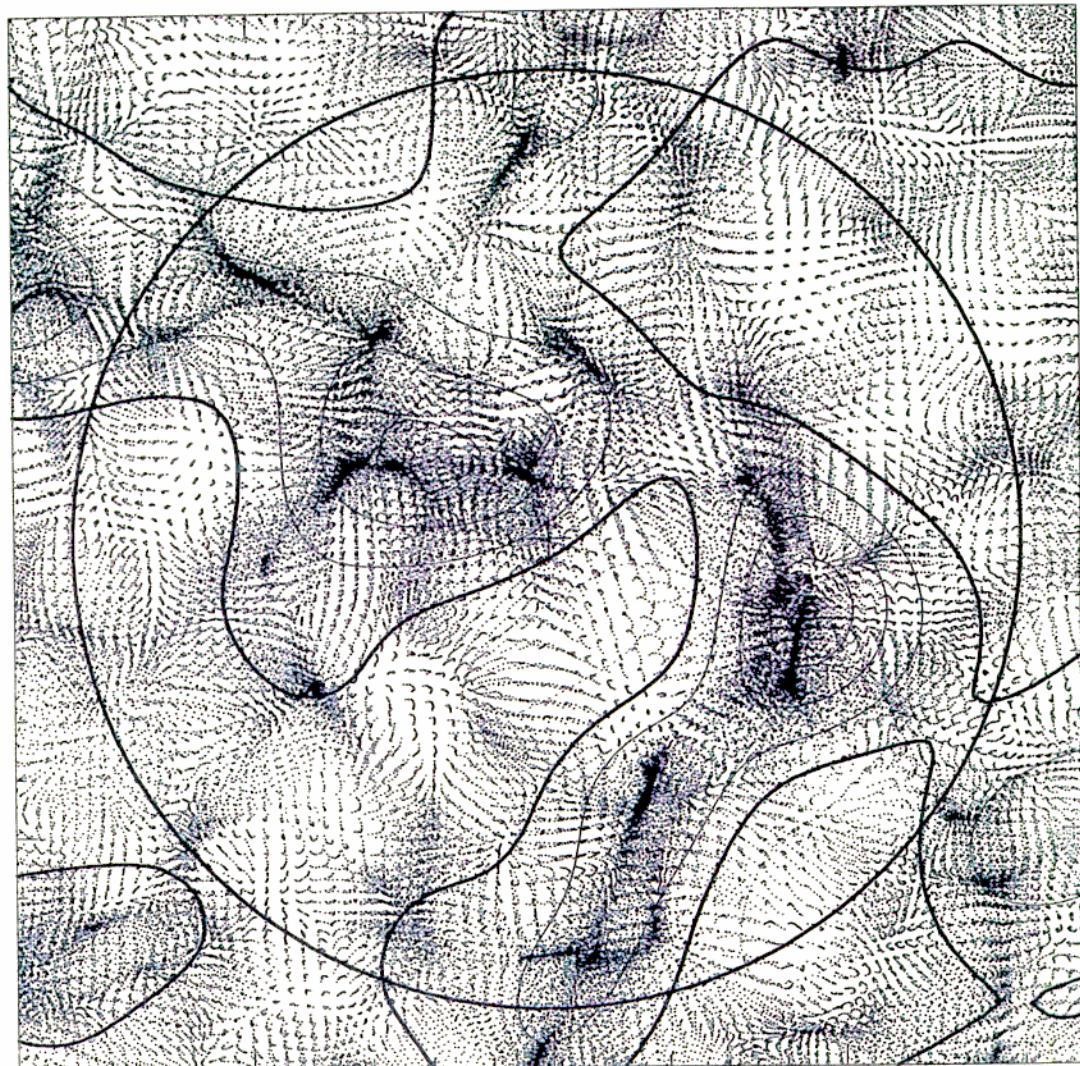
- $\delta \approx -f(\Omega) \nabla \cdot U$

→ $\| I - f^{-1} \frac{\partial U_i}{\partial x_j} \| = 1$

Nusser et al 91

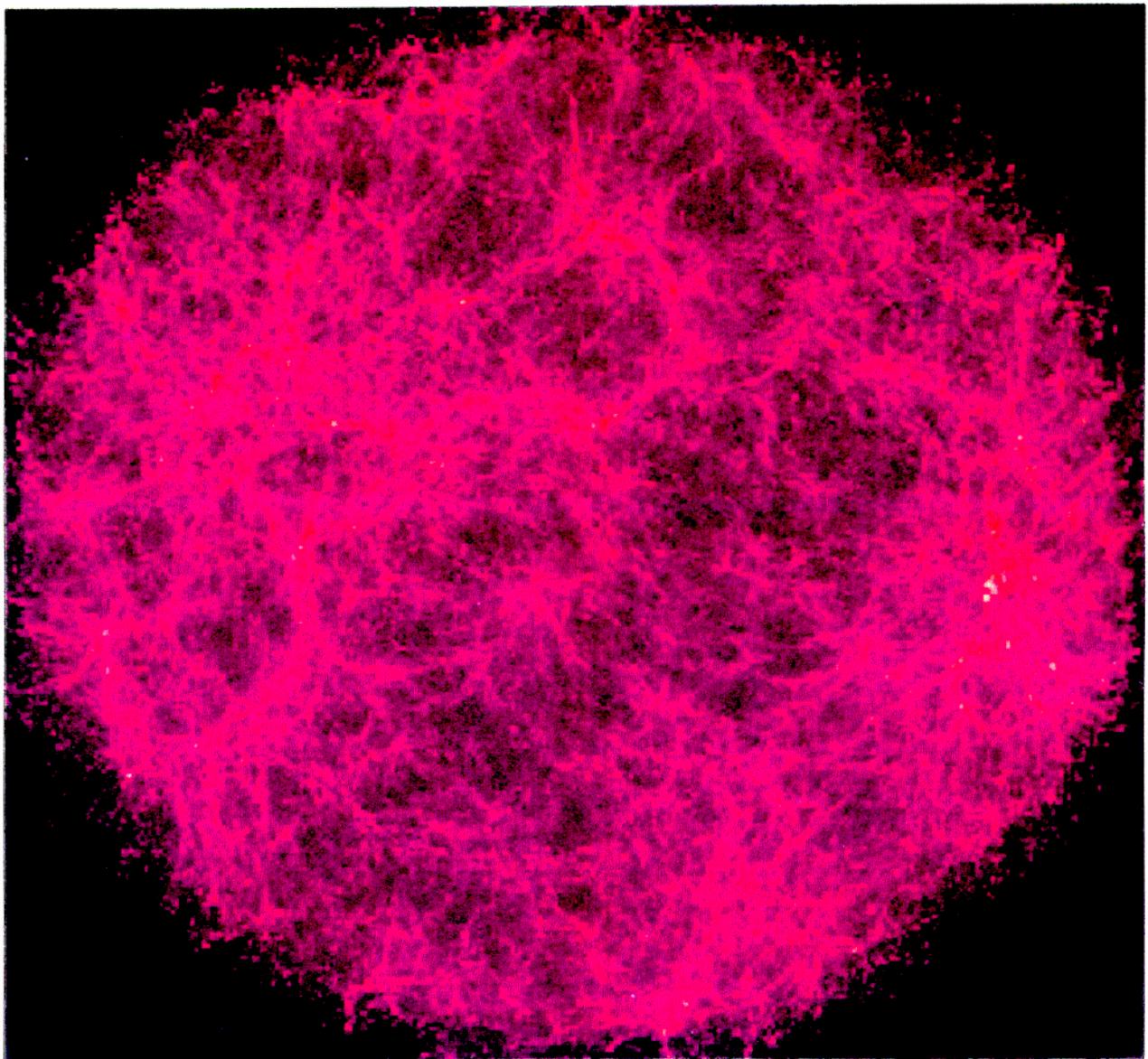
$$\delta \approx \frac{f\ell}{\rho}$$

simulating the Real Universe
Kolatt, Dekel, Ganon, Willick 95



-1000 < z < 1000 X

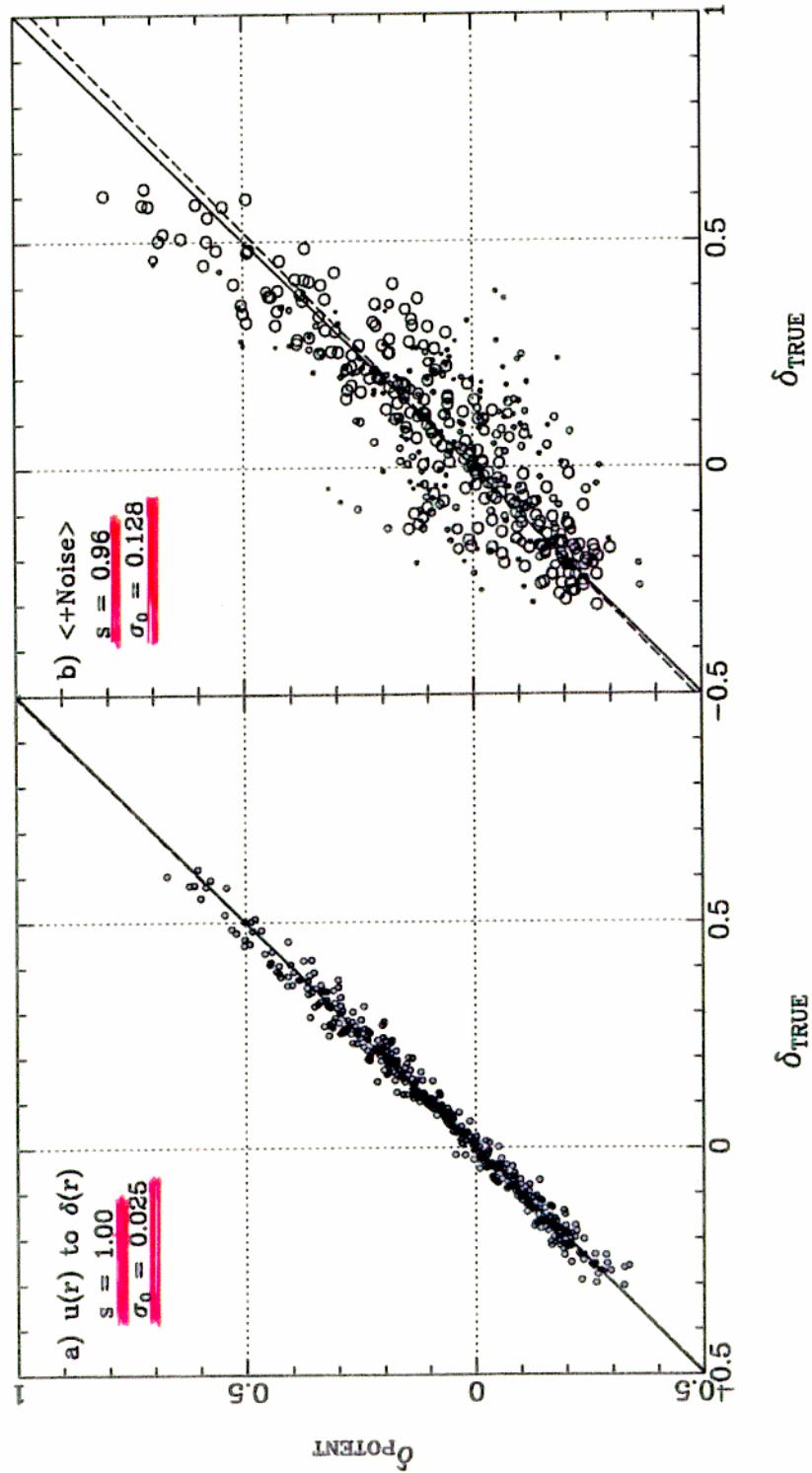
Constrained Simulation of our Local Neighborhood



GIF: Lemson, Colberg, Kauffmann, White, Dekel

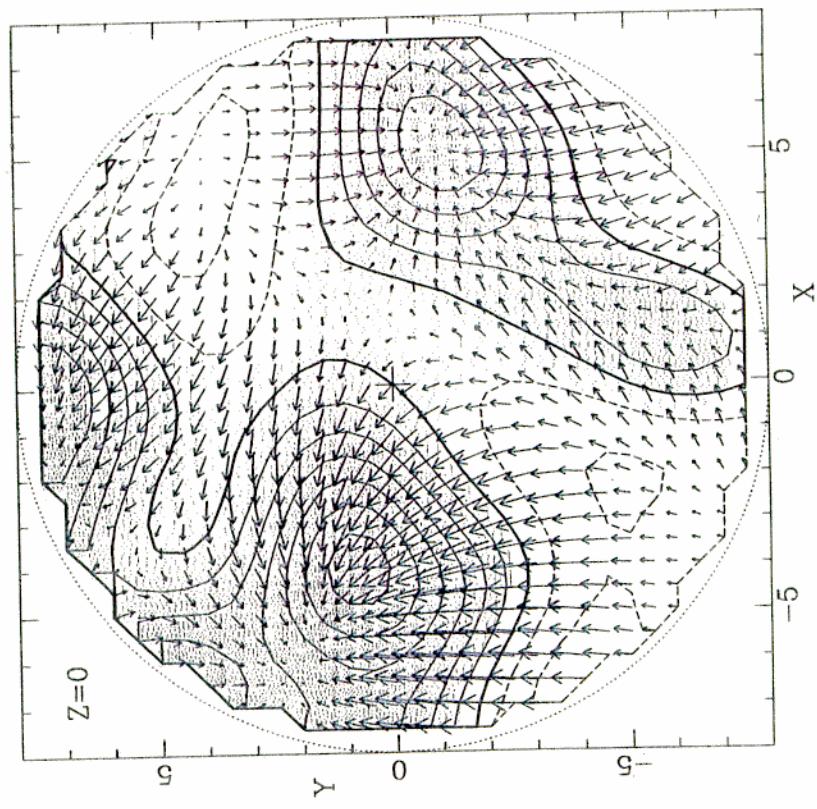
Testing POTENT w Mock Catalogs

Ideal data



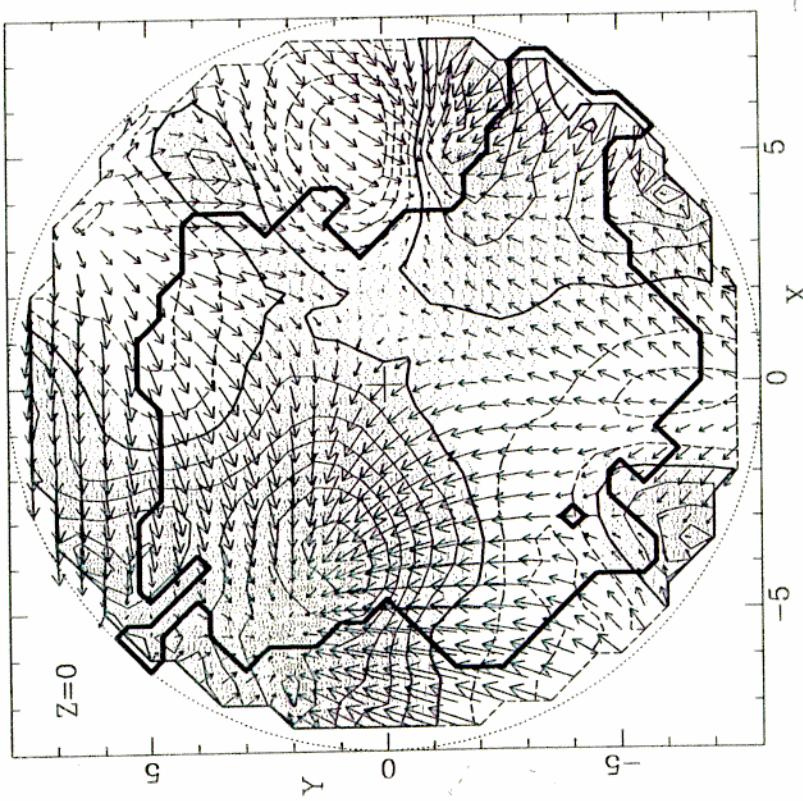
(1)

SIMULATED MASS DENSITY 12



Kolatt, Ad, et al
Elgar

POTENT OF SIMULATION, SPARSE AND NOISY

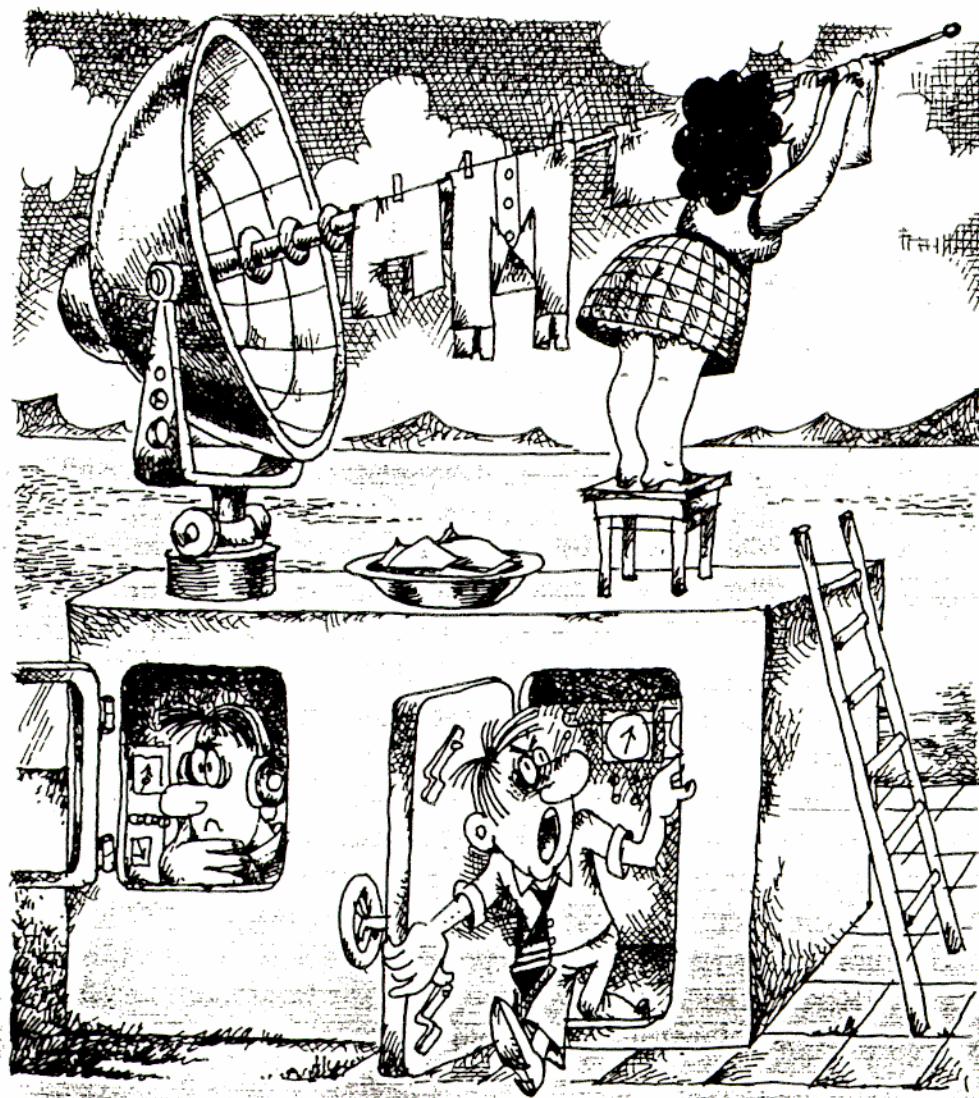


Ad, et al
Elgar

them. About 0.3 seconds after the Big Bang, the entire matter of the Universe, including electrons and positrons, becomes transparent for neutrinos, that is, they stop interacting with the rest of matter. Their number does not change after this, and they survive until today, with their energy reduced by the red shift just as the temperature of electromagnetic radiation quanta is reduced by it.

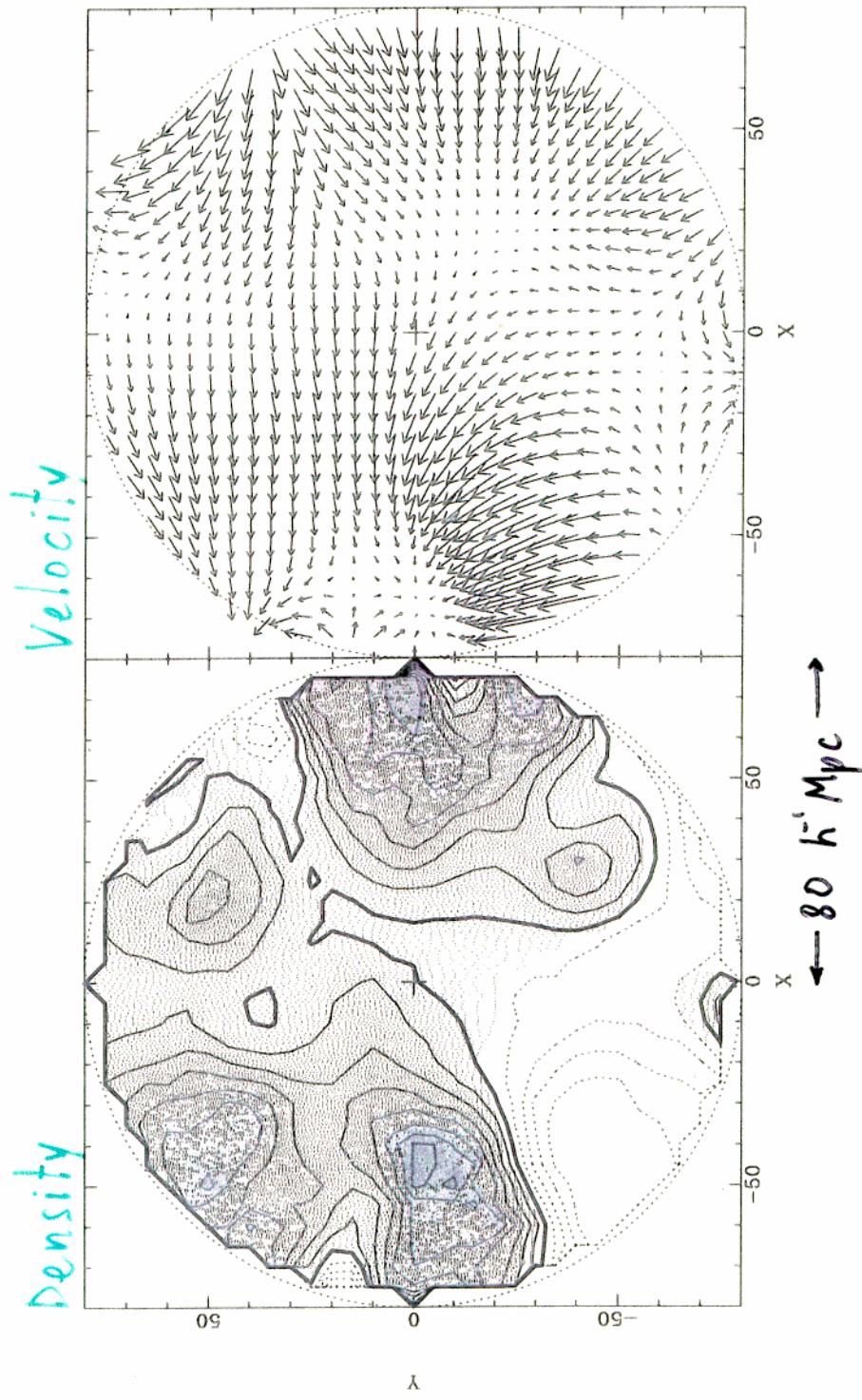
We conclude that in addition to the cosmic microwave background, the Universe must now also contain relict neutrinos and antineutrinos. The energy of these particles must be approximately equal to the energy of quanta of today's cosmic electromagnetic radiation background, and their concentration is also little different from that of relict quanta.

Experimental detection of relict neutrinos would be an extremely



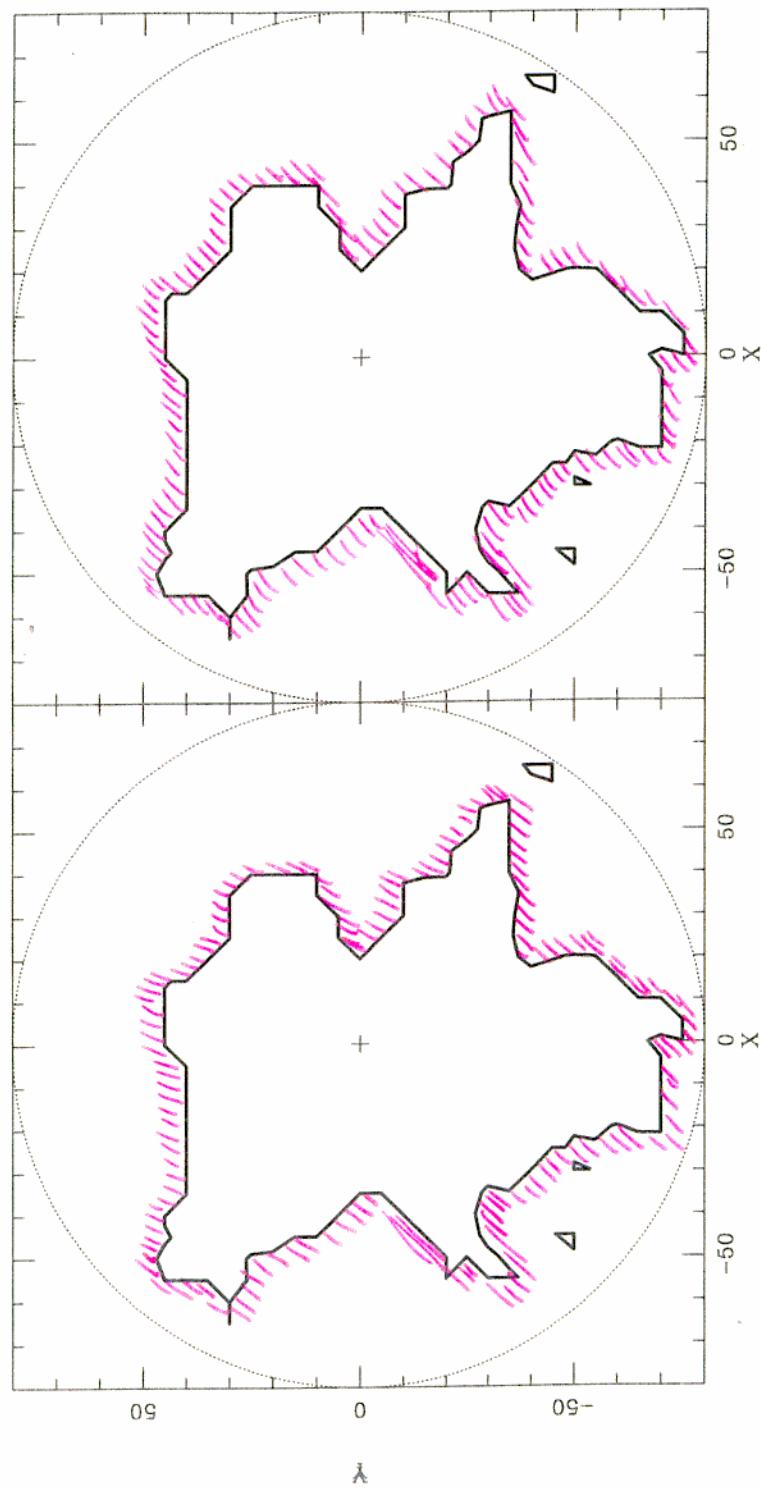
Error Analysis

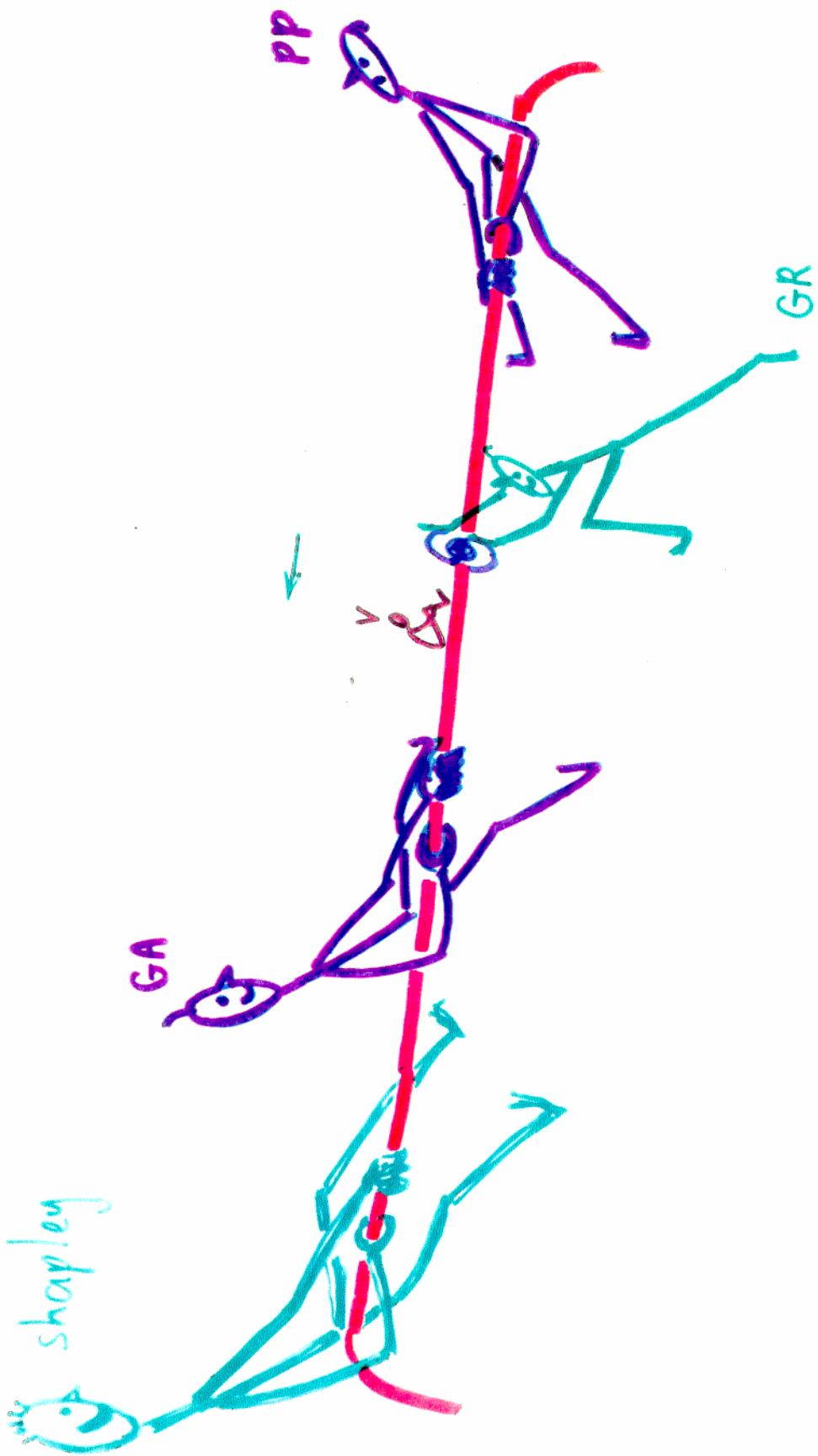
POTENT - Mark III

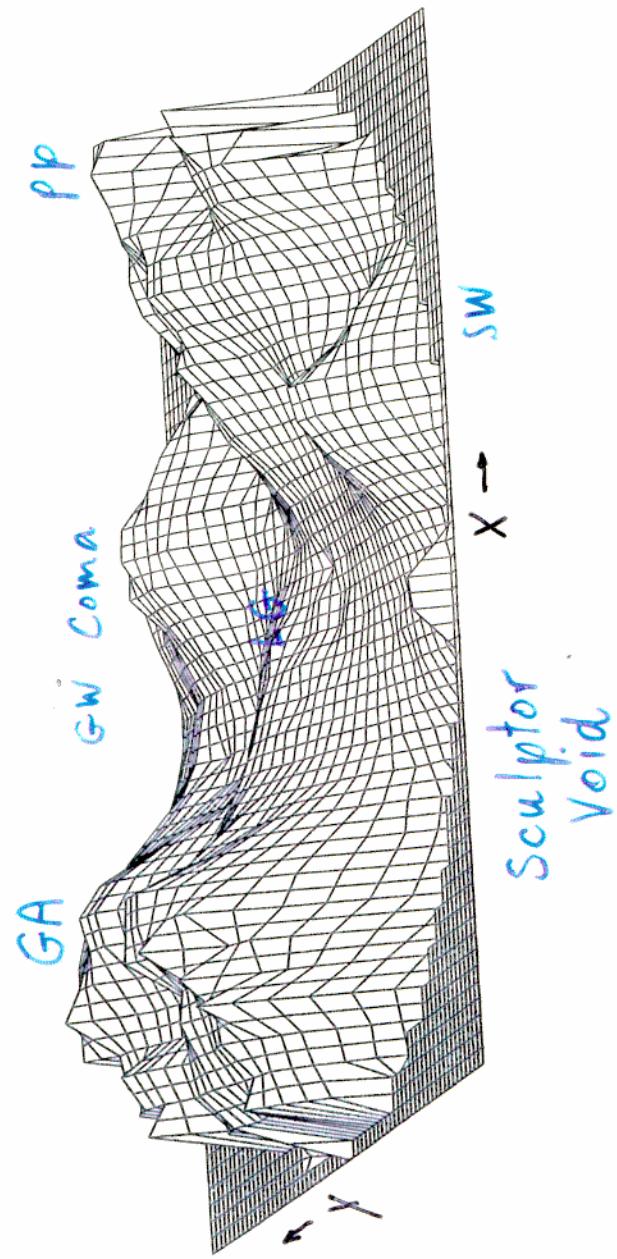


Dekel, Eldar, Willick, ... 98
Faber, Courteau, Burstein

Error

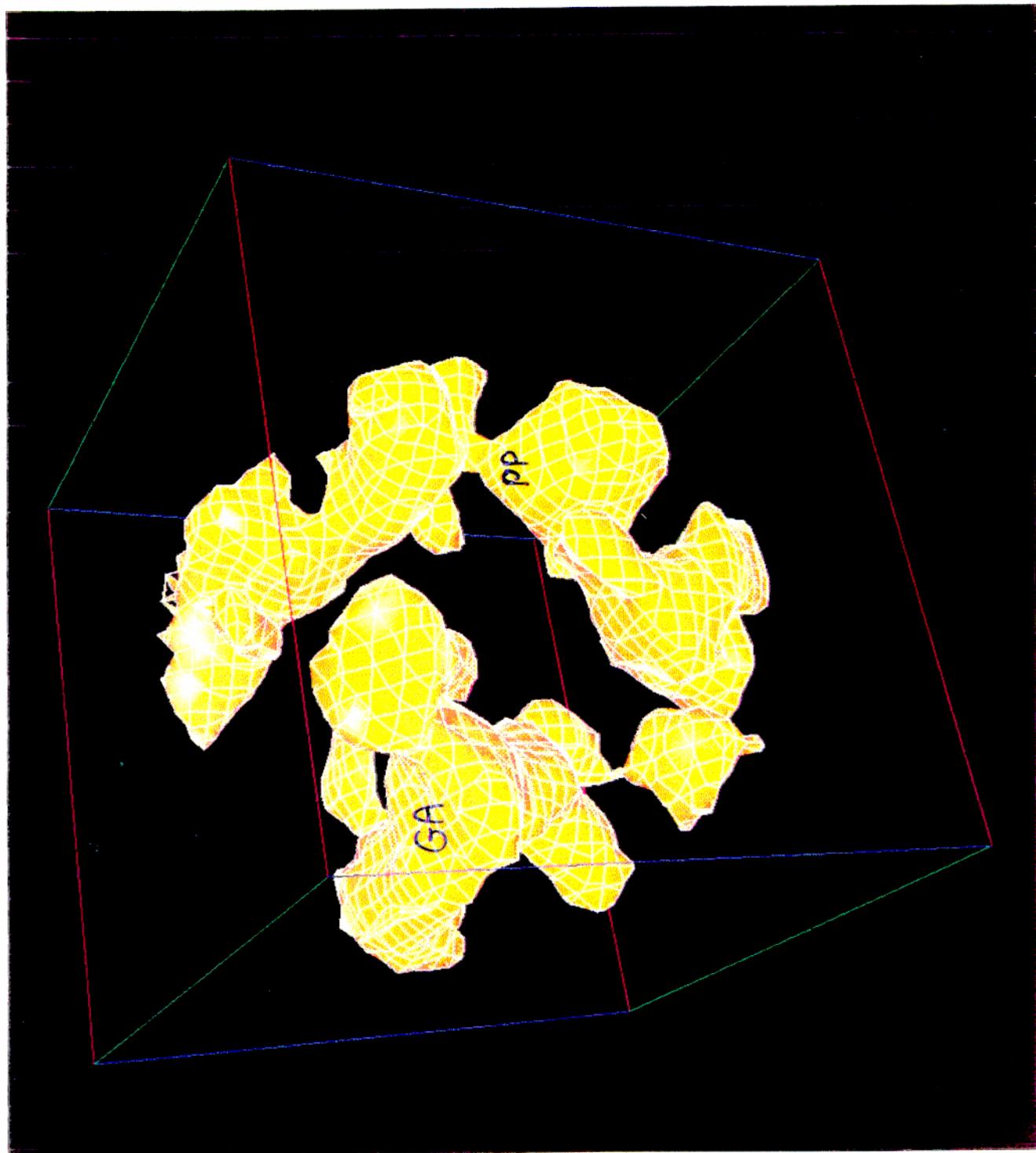






POTENT Mass Density in Supergalactic Plane

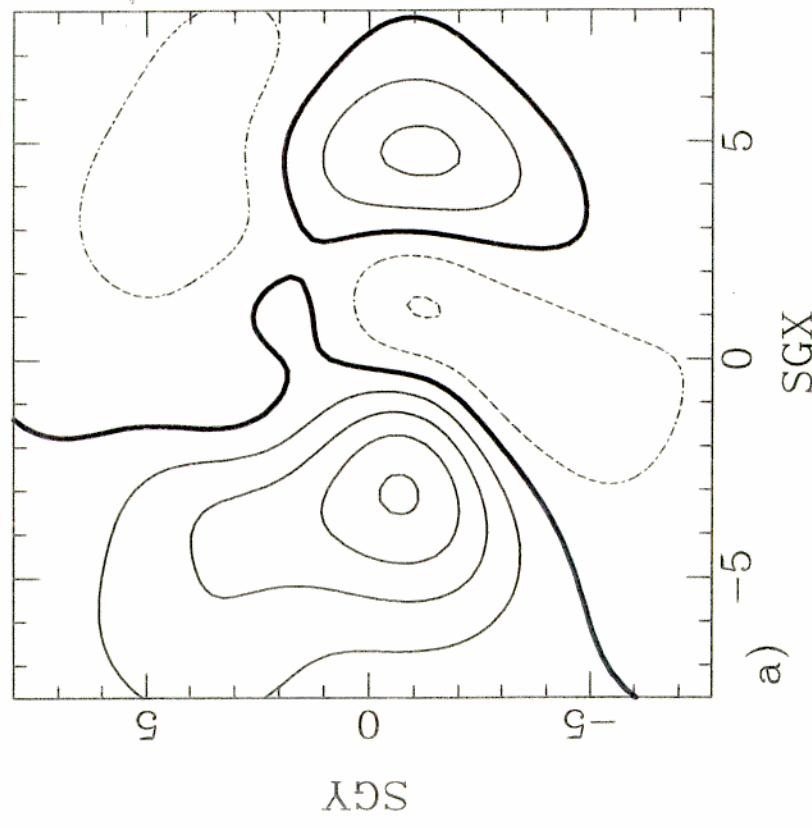
Dekel et al 97



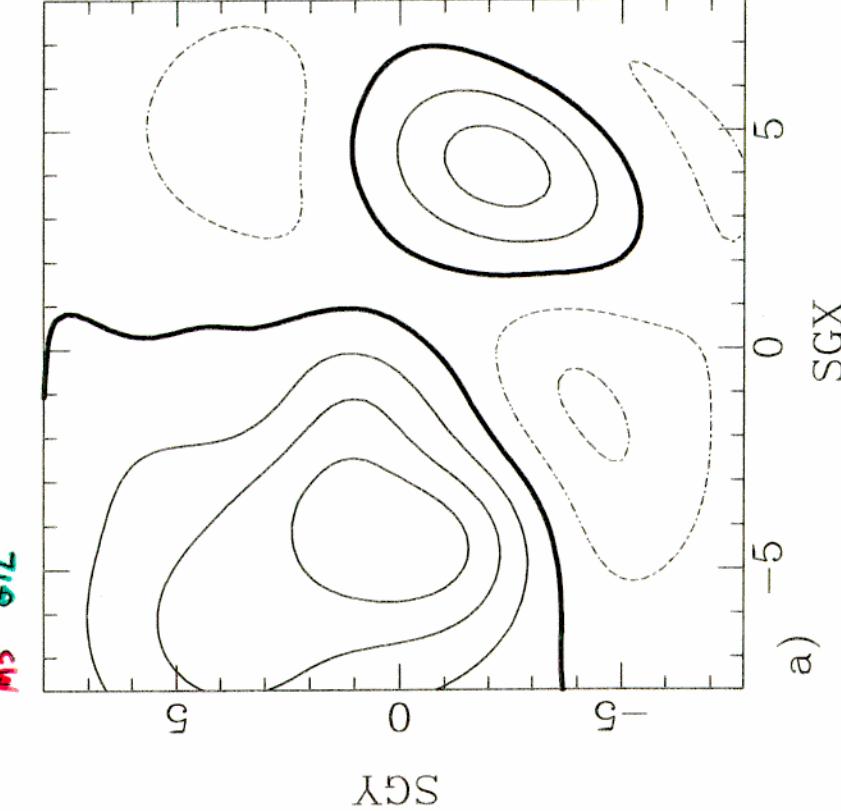
Wiener Filter

Wiener,

SFI G12

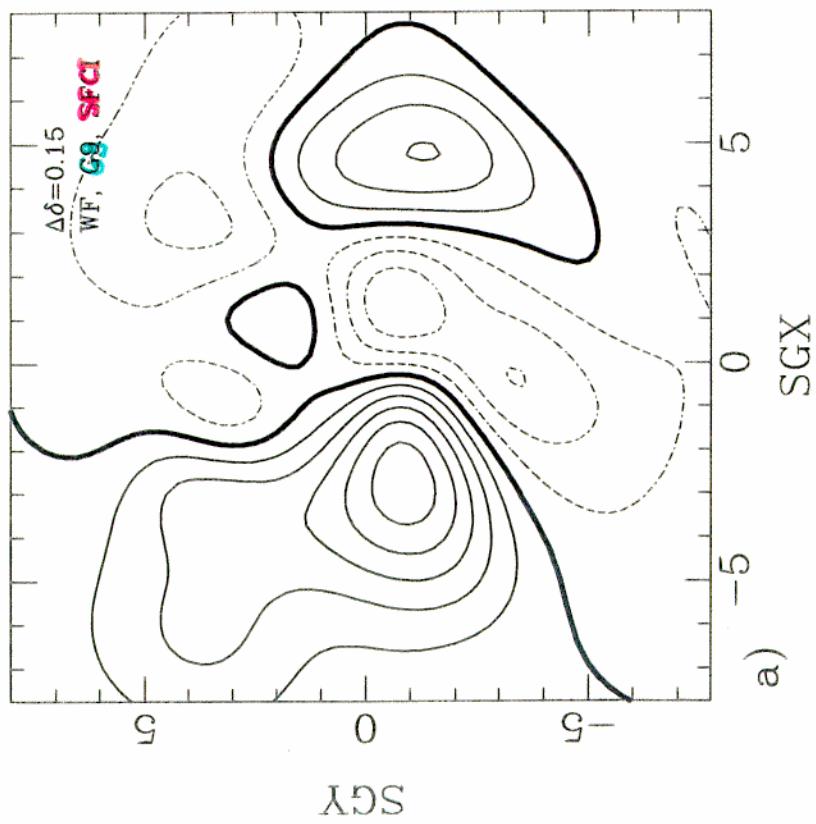
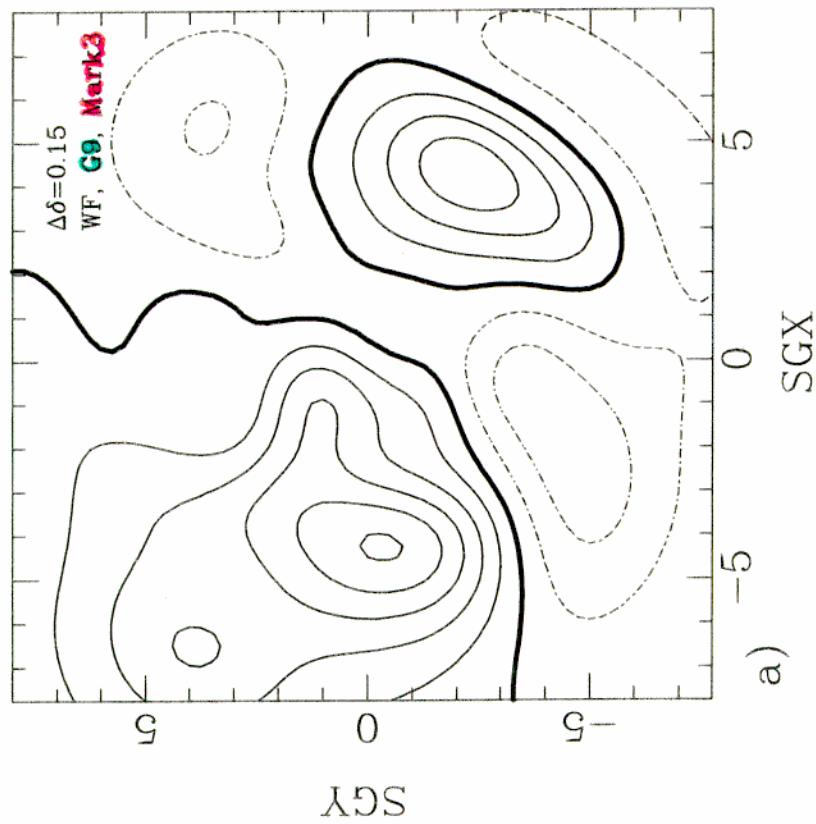


M3 G12

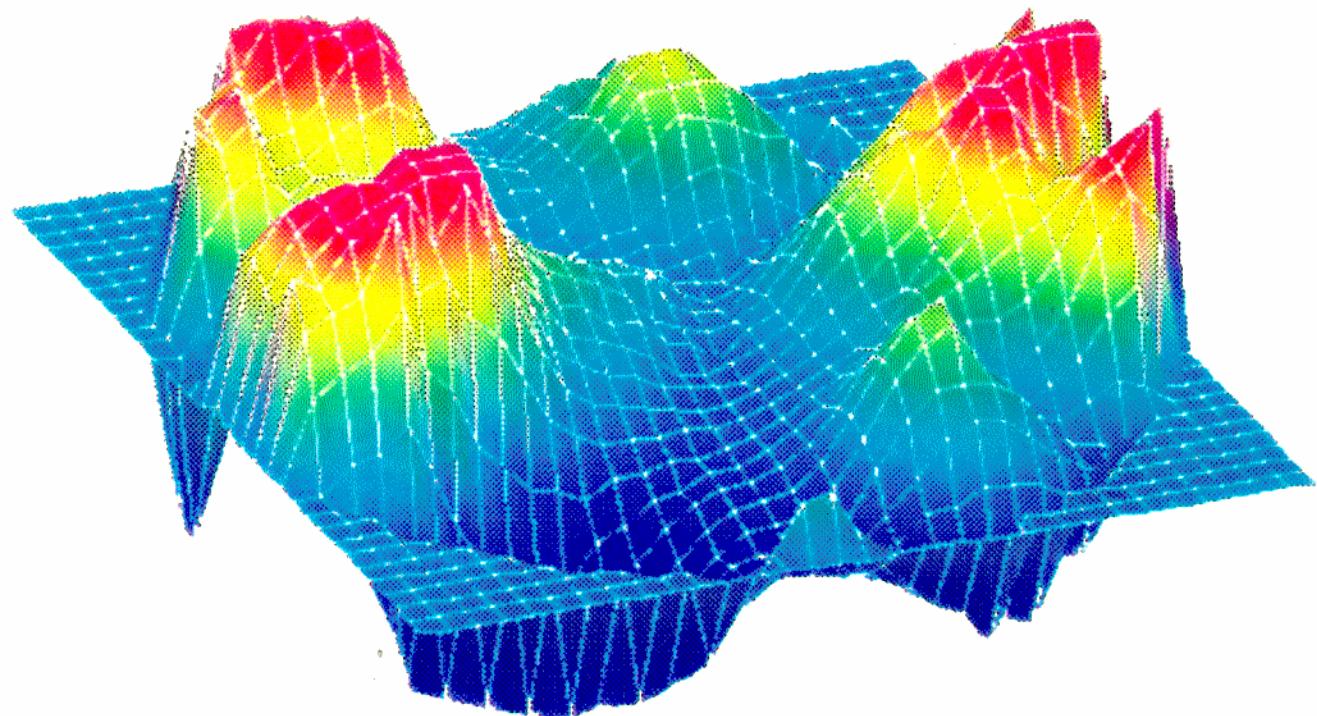


Zaroubi, Dekel, Hoffman ; Mark III , SFI

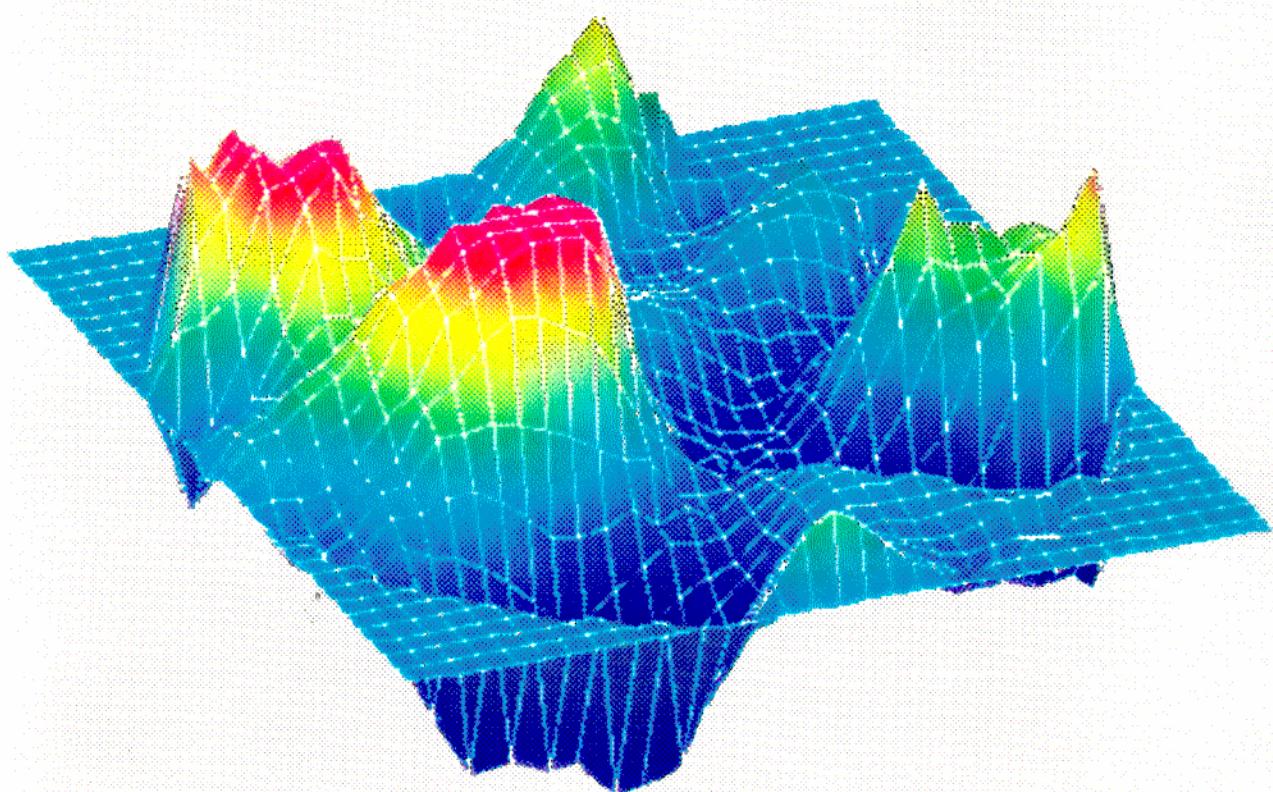
Giovannelli, Haynes, daCosta, Freudling
Wagner, Salzer



POTENT
MarkIII

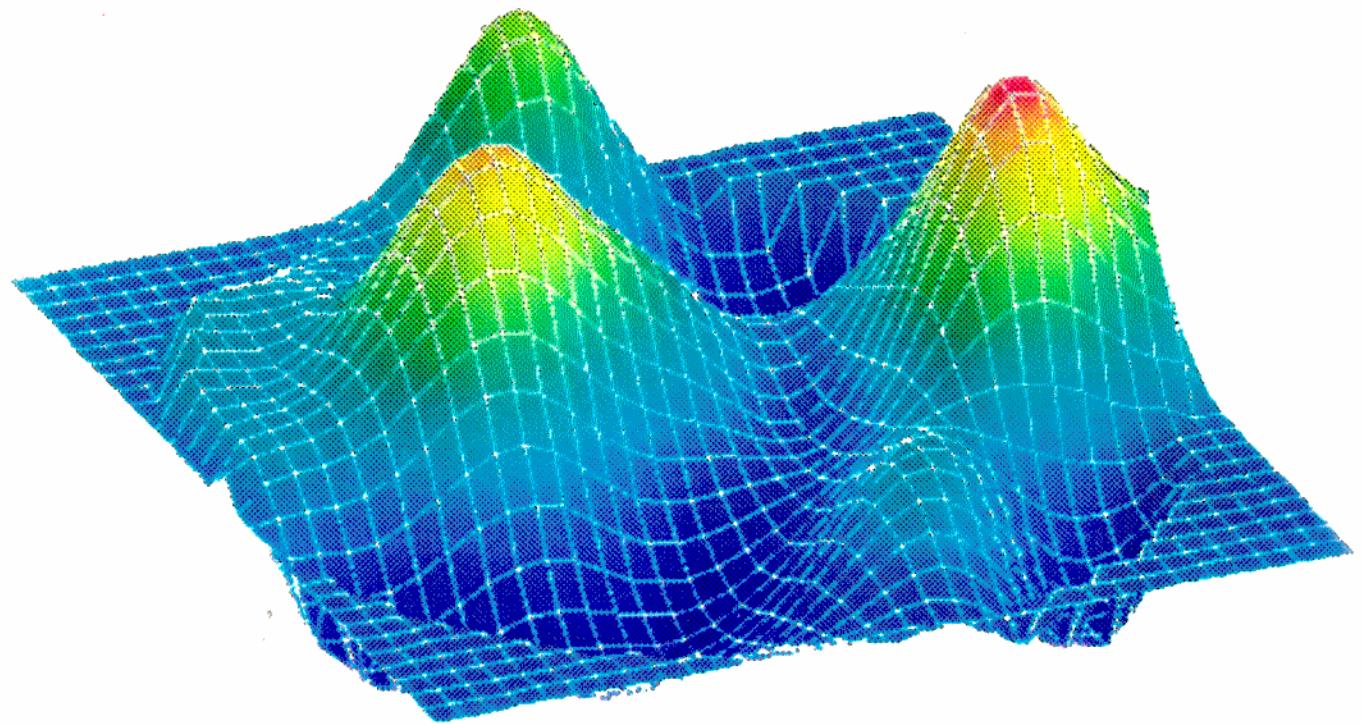


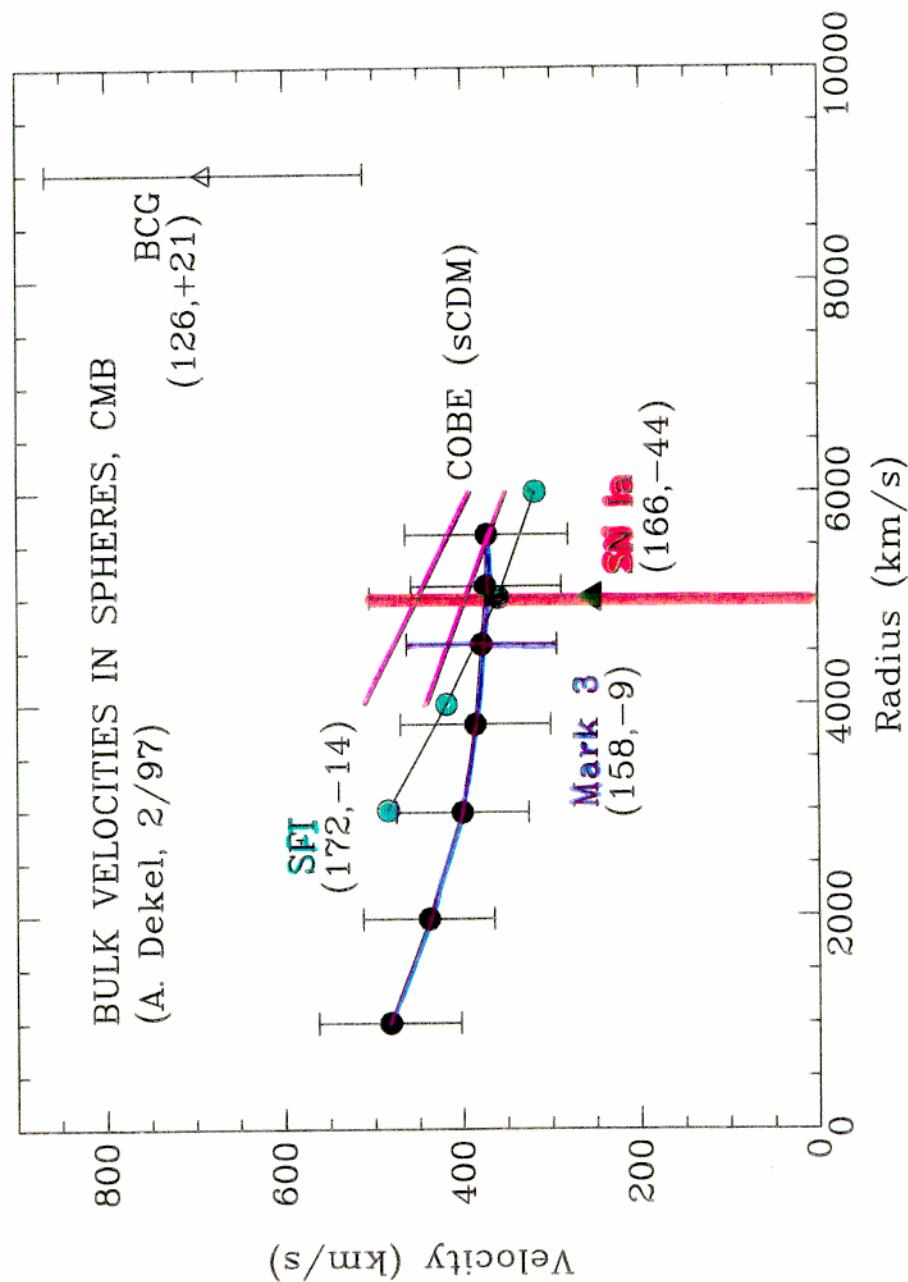
POTENT
SFI



Eldar, Zehavi, Dekel, Freudling, daCosta, ... (SFI)

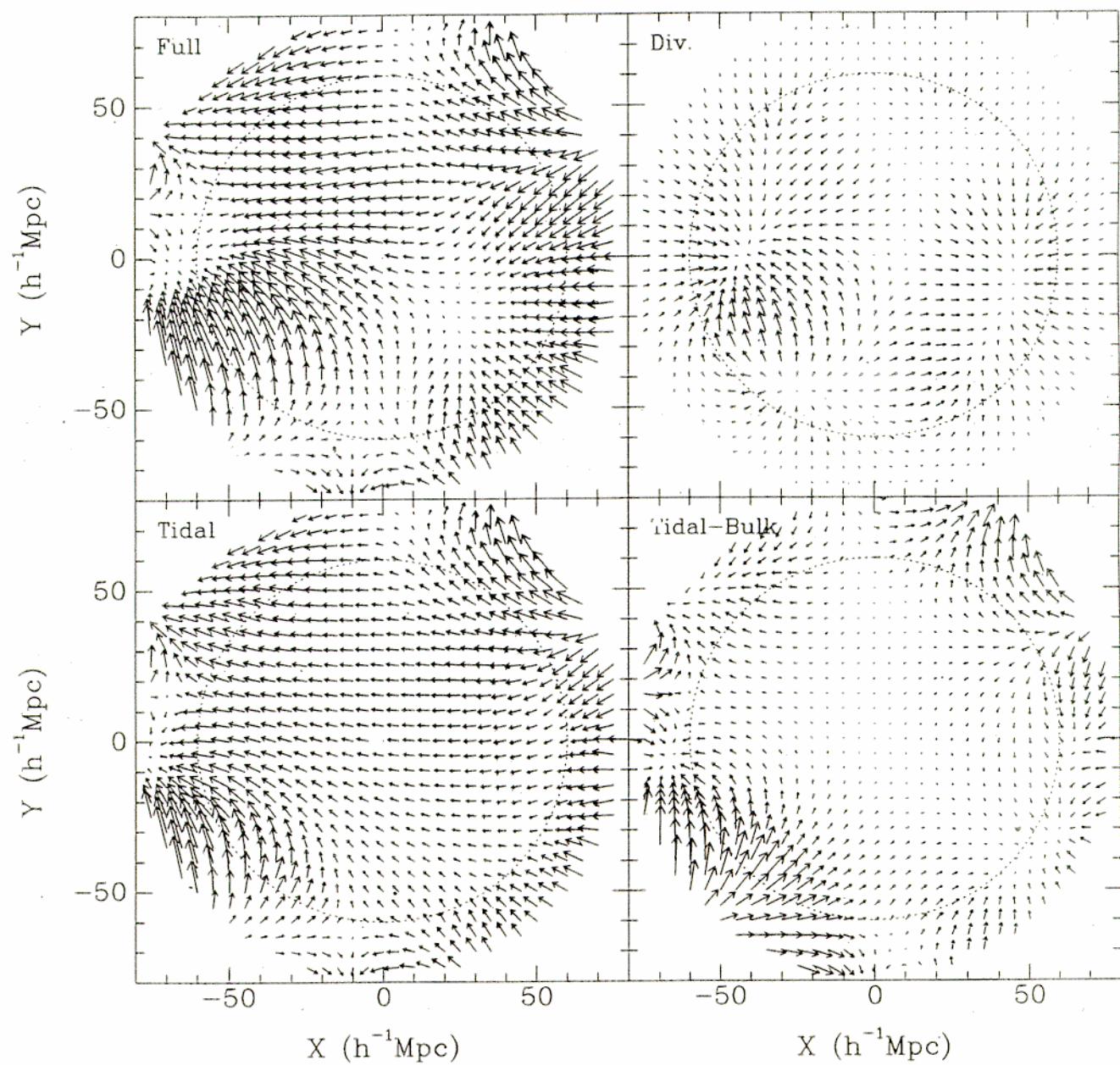
IRAS 1.2 Jy



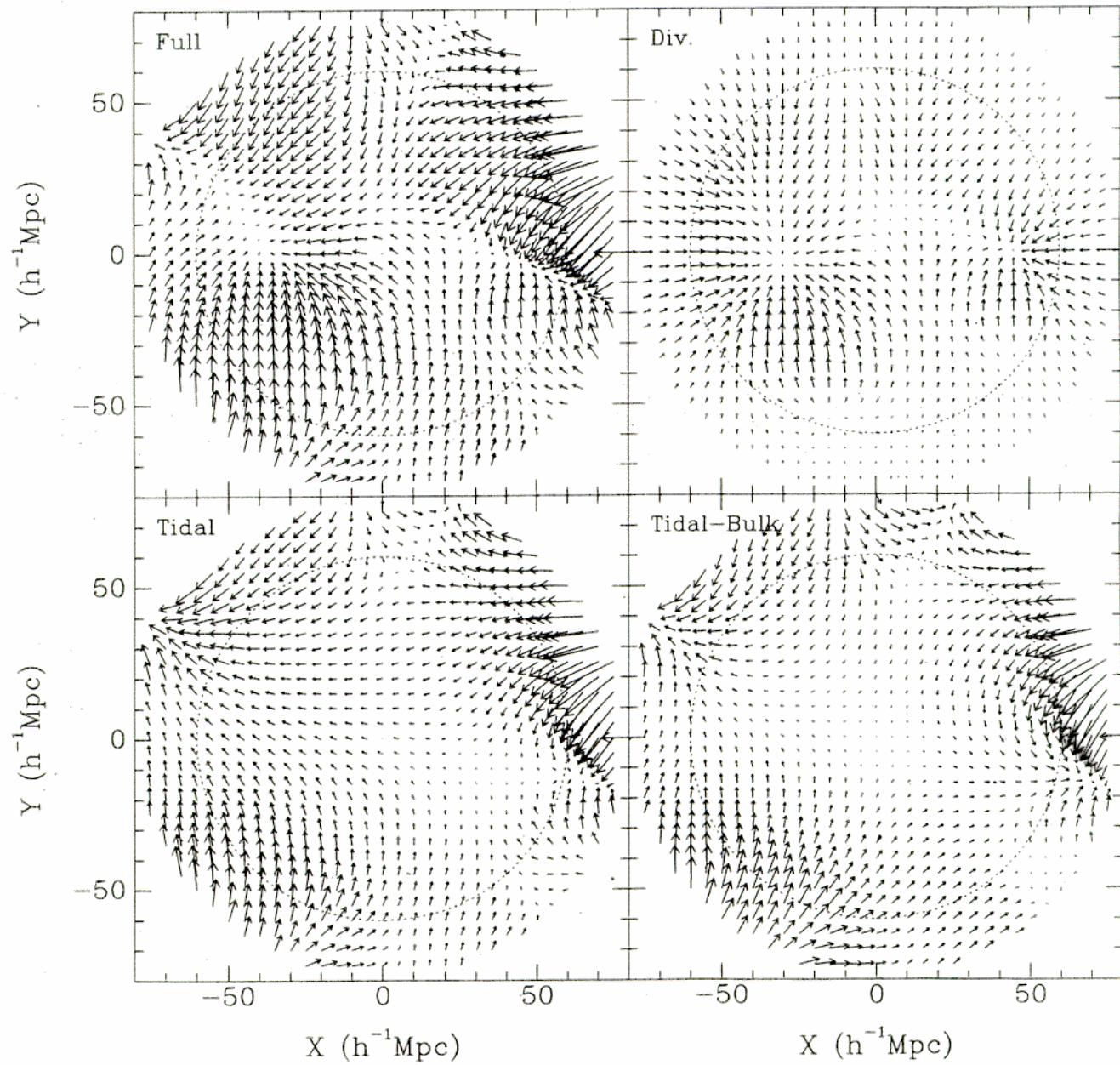


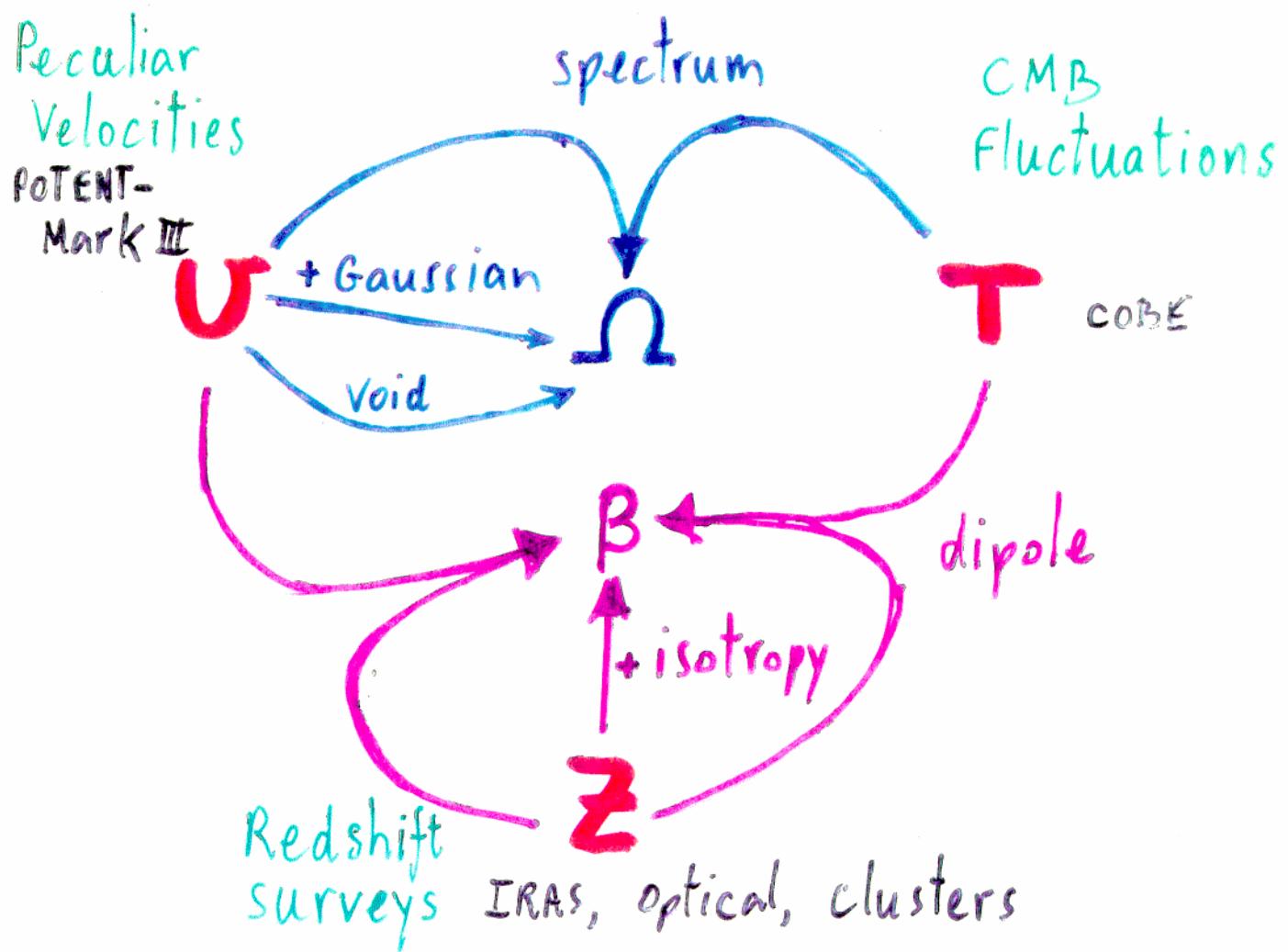
$$V_{50} = 375 \pm 85$$

MarkIII



SFI





Assuming: G.I. linear or quasi-linear
Linear biasing

Measuring Ω from Cosmic Flows

- V_{pec} + Gaussian i.c. $\rightarrow \Omega$
voids, $P(g)$, $P(\nabla \cdot V)$
- V_{pec} + $\delta T/T$ + model $P_k \rightarrow \Omega, n, T_S, h, \sigma_8$
CDM+, likelihood
- V_{pec} + \vec{n}_{gal} $\rightarrow \beta_x = \frac{\Omega^{0.6}}{b_x}$
 $S-T, U-V$
- $\delta T/T$ + \vec{n}_{gal} $\rightarrow \beta_x$
dipole, P_k
- \vec{n}_{gal} + isotropy $\rightarrow \beta_x$
z-distortions

From V_{pec} alone

(independent of biasing)

but Gaussian I.c.

$$\Omega > 0.3 \quad \text{at } > 20$$

- Divergence in Voids

Dekel & Rees 94

- Skewness of $\nabla \cdot \mathbf{U}$

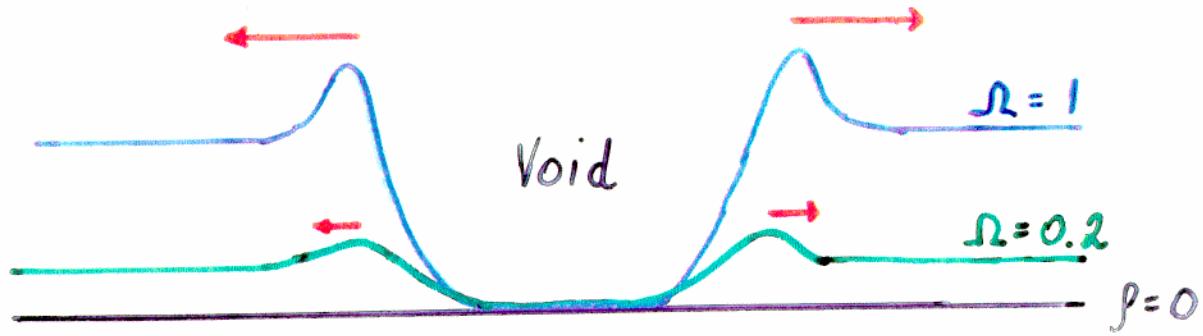
Bernardeau et al 95

- IPDF

Nusser & Dekel 93

Ω from Velocities in Voids

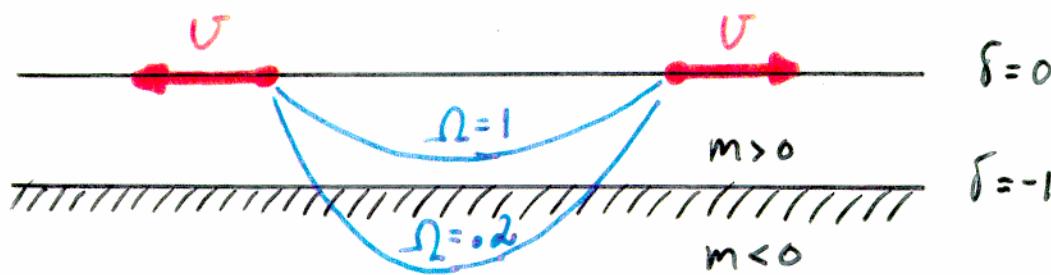
Dekel + Rees 94



$$\nabla \cdot \mathbf{v} \approx -\Omega^{0.6} \delta$$

Ω from Velocities near Voids

Dekel & Rees 94



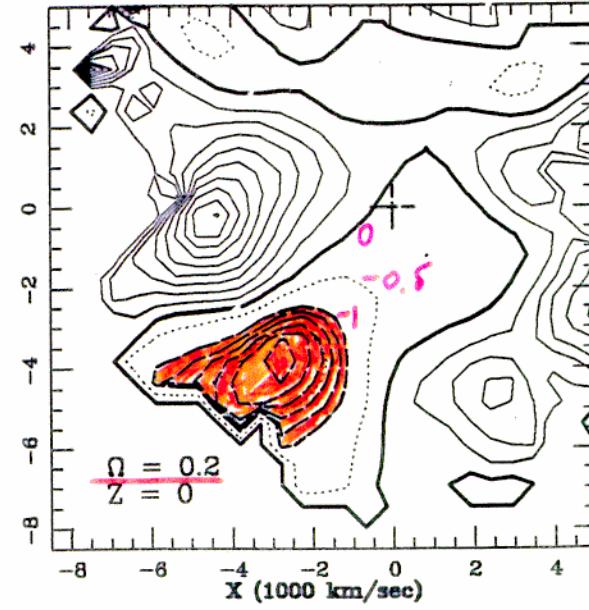
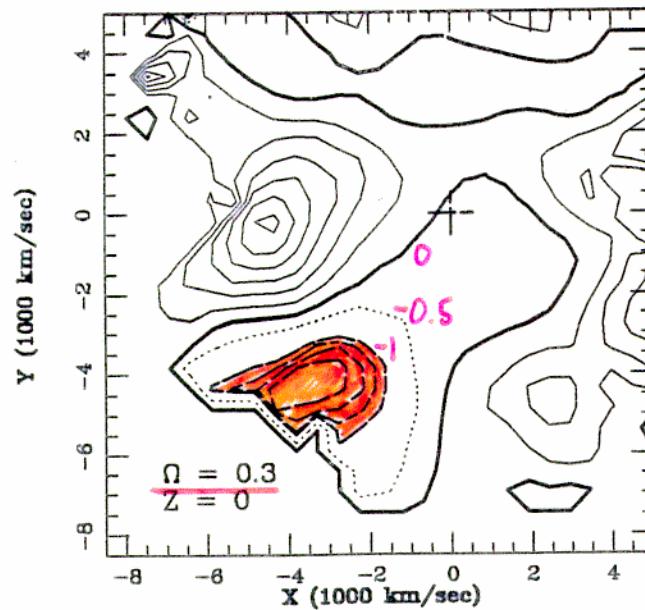
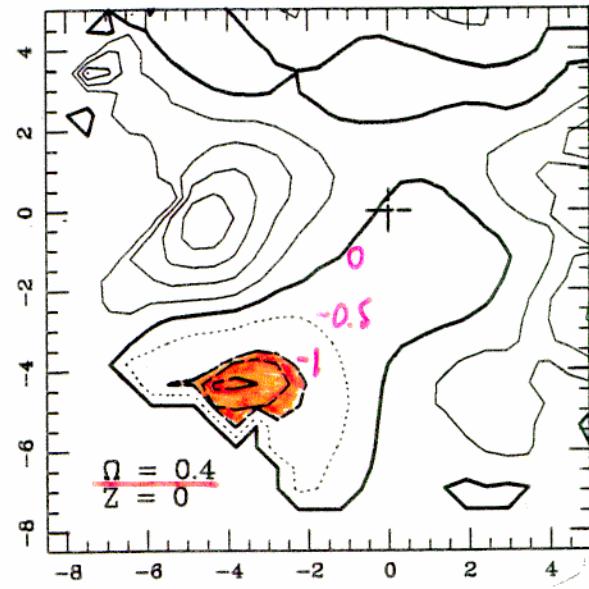
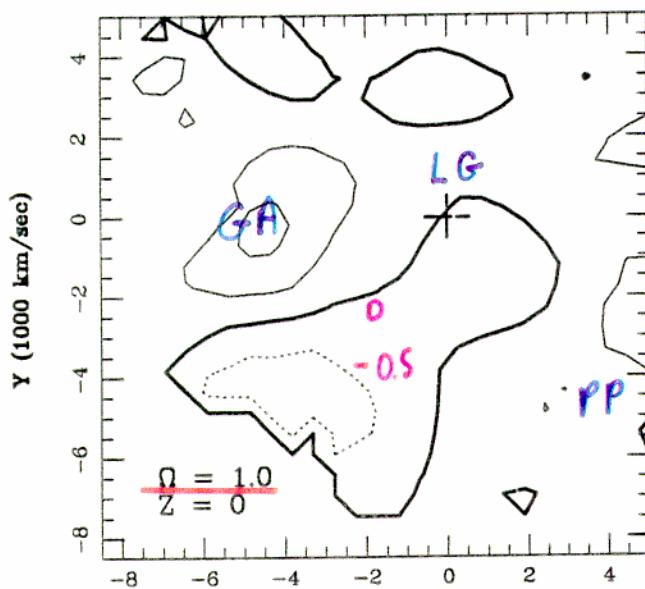
$$\delta = -\Omega^{-0.6} \nabla \cdot \mathbf{V} < \delta_{\text{true}}$$

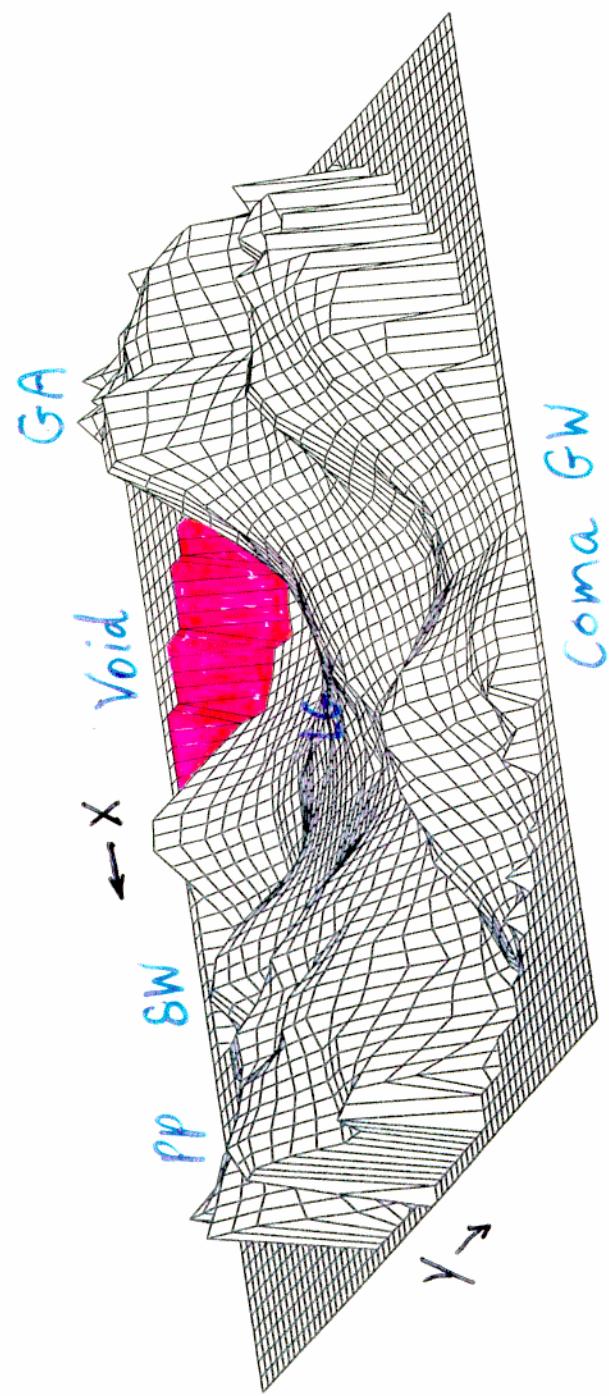
$$\delta(\partial \vec{V}/\partial \vec{x}, \Omega) > \delta_{\text{true}} > 99\%$$

Independent of "biasing" !

$\delta g/g$ Supergalactic Plane

$$\Delta f = 0.5 \quad \Delta G = 0.5$$





Masters of the Universe

Dark Matter Lights the Void

By GEORGE JOHNSON

MANY moons from now, when extraterrestrial archeologists sift through the records of our brief civilization, they might be led to stumble across the proceedings of an annual convention of stargazers called the American Astronomical Society. They will be right in concluding that 1996 was, in a way or another, a landmark year. Last week, at this cosmological jamboree in Antonio, astronomers unveiled photos from the Hubble Space Telescope that were so jammed with stars that the estimated number of galaxies in the universe quintupled overnight, to 50 billion. Before we earthlings had time to absorb this revelatory revelation, we were hit with still

analyzing the wobble of distant stars, nomers found deviations that could be explained by large, orbiting planets. Scrutinizing the wiggles within the wobbles, they dared speculate that the two unseen bodies would be close enough to their suns to pick up the rays needed for life.

Perhaps the single revelation that the world would find most amusing involves a new hypothetical substance called dark matter, which by its very nature cannot be seen. Over the years it has become clear that the prevailing cosmological theories might be wrong. Some 90 percent of the universe may be made up of dark matter. Last week, nomers said they may have identified this unseen stuff. But the implications remain as mysterious as ever.

The aliens might wonder: How was it that this ancient race was forced to conclude that almost all of the universe is made of dark matter?

Visible in the Galaxy

earthlings, the anthropologists might have kept track of time by counting the number of days it took for their planet to revolve around its sun at the time of a highly regarded prophet named Jesus. It was after about 1,930 revolutions that the planet's stargazers began to notice something seriously amiss with the galaxies. Even their own sun was violating what earthlings

with characteristic lack of humility, called a Law of the Universe. This particular law had been laid down by another prophet called Newton. Newton's law did such a fine job describing how apples fell from trees and arrows flew through the air that the earthlings were sure that the stars themselves must obey it.

Gravity Defied

How shocking then that the Milky Way seemed to be spinning much faster than Newton decreed — so fast, in fact, that it should have flown apart long before. Could it be that the great prophet was wrong, that his laws were no more universal than such

earthy concoctions as British coinage and the Internal Revenue Code?

But these stargazers were far riper than that. Perhaps, they proposed, some kind of unseen cosmic glue is holding the Milky Way together. If 90 percent of the galaxy consists of this invisible stuff, Newton's laws would again reign.

In the annals of astronomy, this was recorded as the "discovery" of dark matter.

This dark matter — whatever it turned out to be quite useful. Late last year, Earth's inhabitants were having trouble with their creation myth, the Big Bang. What they took was a hefty dose of dark matter straight.

The elders had taught that the universe began 10 billion years ago in a great explosion that still reverberates. One problem. The debris from the explosion — all this hurtling star stuff — was been flying too fast to clump together to form galaxies and clusters of galaxies. The prophet Newton's gravity just wasn't enough.

Then dark matter came to the rescue.

Where's the Mass?

Most of the universe had simply escaped the astronomers' notice, then there was enough mass — and therefore enough gravity — to cause the congealing.

Before long, nearly every star in the earth had joined the cult of dark matter. Then there came a schism. Two camps called the Wimps and the Machos war over the true nature of the cosmic glue.

"Wimp" stood for Weakly Interacting Massive Particles. No one had ever seen such things. But the believers in them held the radical view that these exotic particles, which would neither emit nor absorb light, accounted for most of the dark matter. According to this daring heresy, dark matter, made from "normal" matter, in the earthlings themselves, was a misconception.

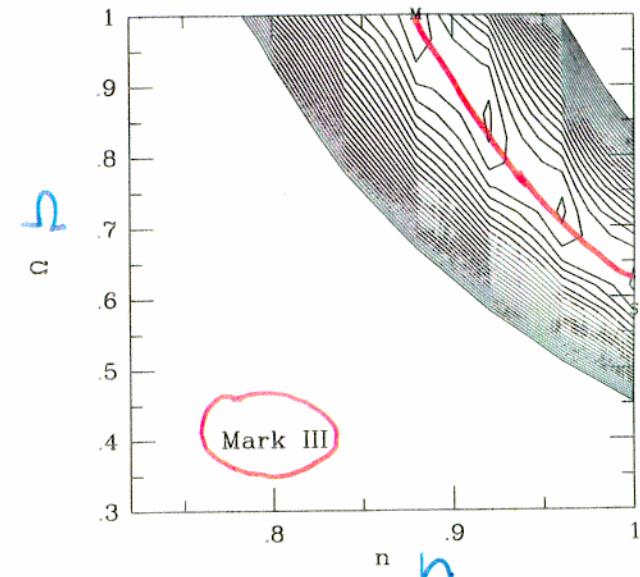
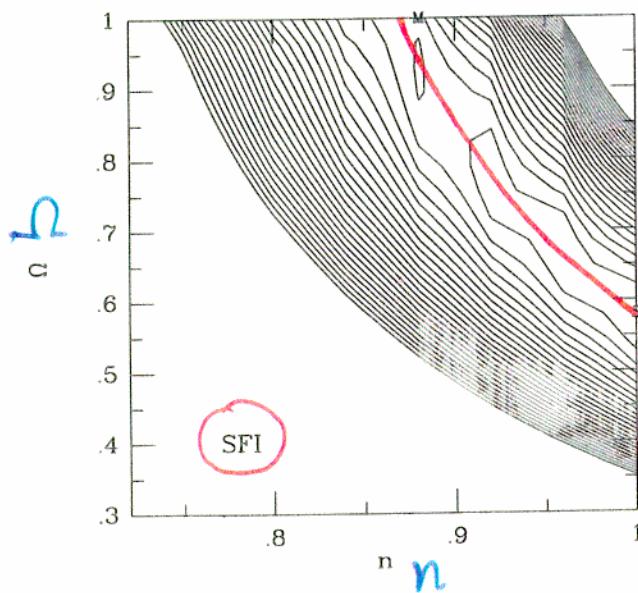
Against this disheartening view,

Stuart Goldenberg

Something big was missing from space. Newton couldn't find it. Luckily, it turned up in scientists' brains.

Continued

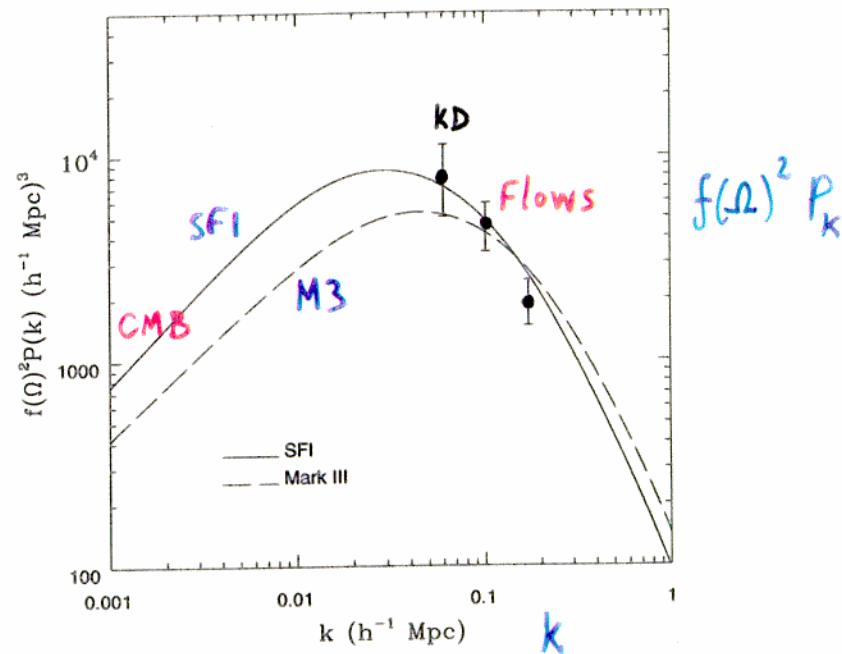
Likelihood



$h = 0.65$

Tilted + Λ CDM

Vel. + COBE

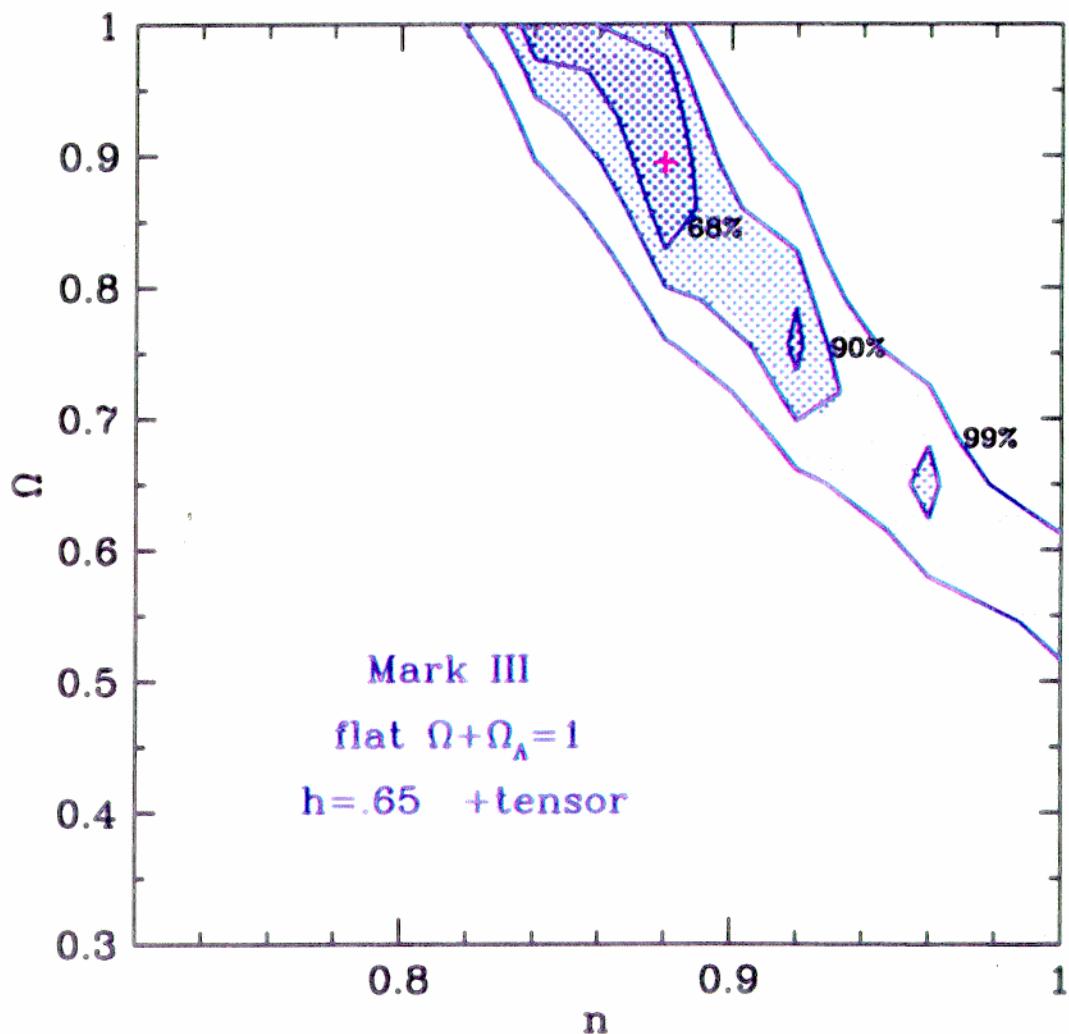


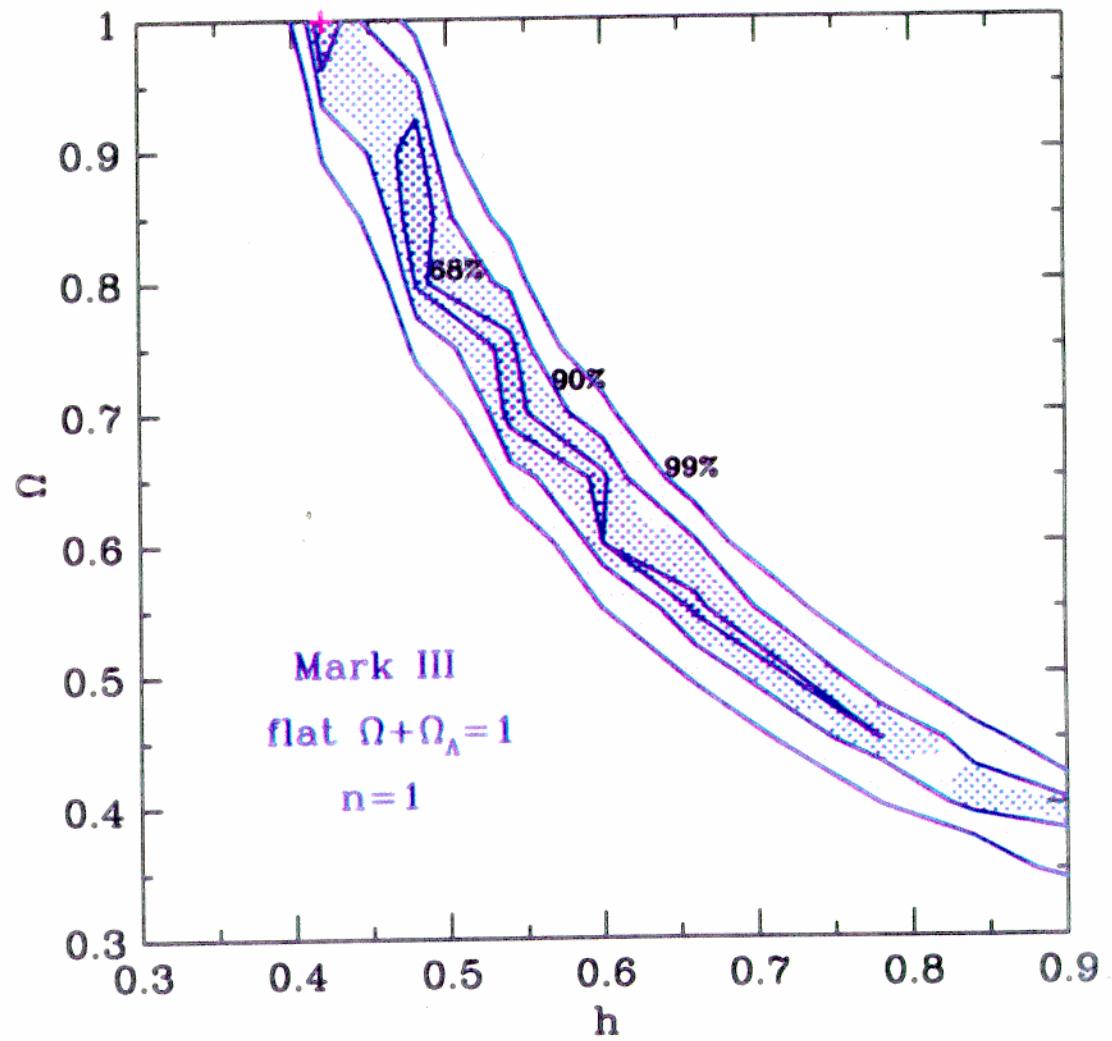
- Zaroubi et al
- Zehavi et al
- Freudling

$$\Omega h_{60}^{1.2} n^2 \approx 0.7 \pm 0.2 \quad \text{SFI}$$

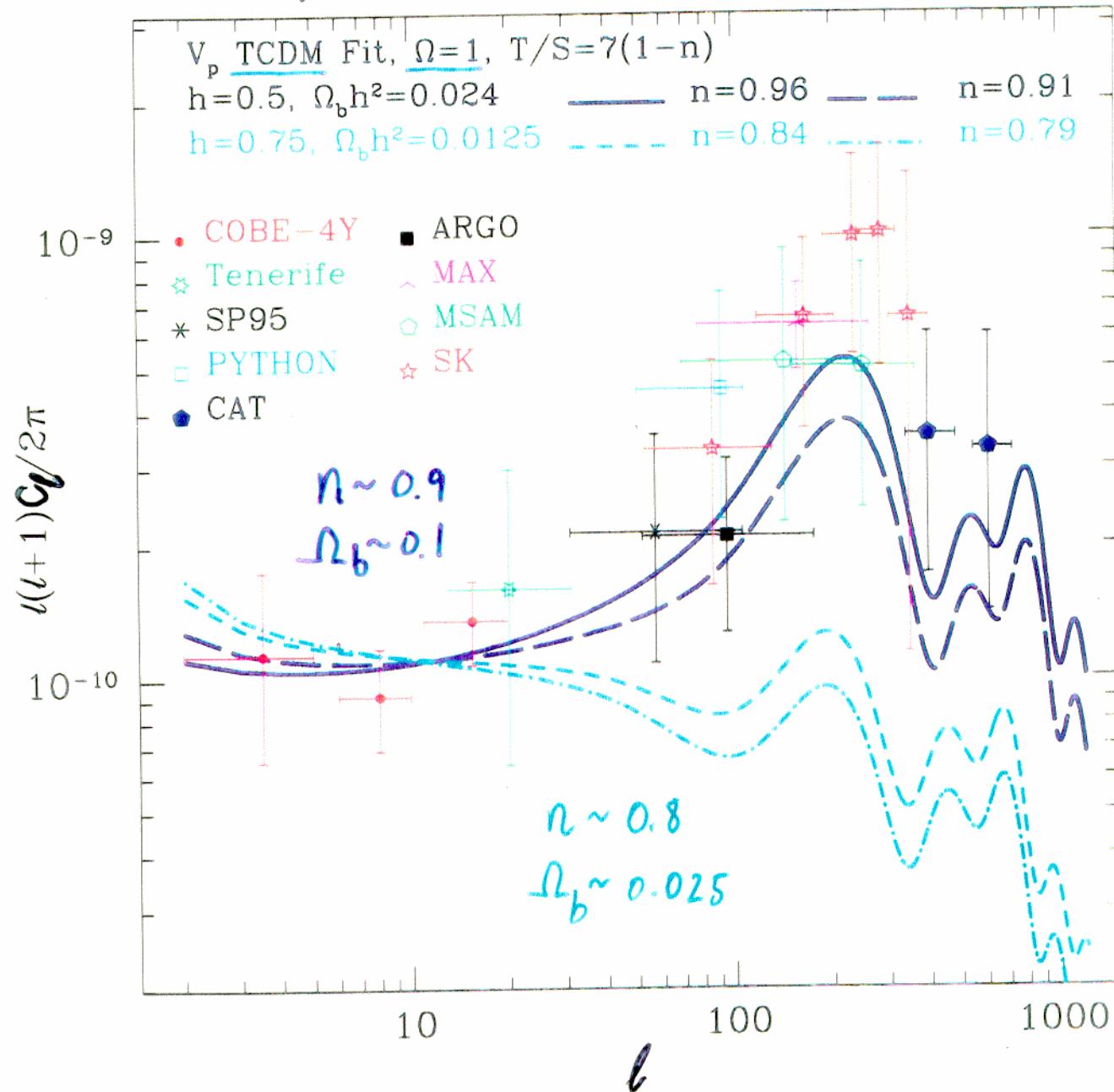
$$\Omega h_{60}^{1.2} n^2 \approx 0.6 \pm 0.2 \quad \text{M3}$$

$$\sigma_8 \Omega^{0.6} = 0.8 \pm 0.2$$





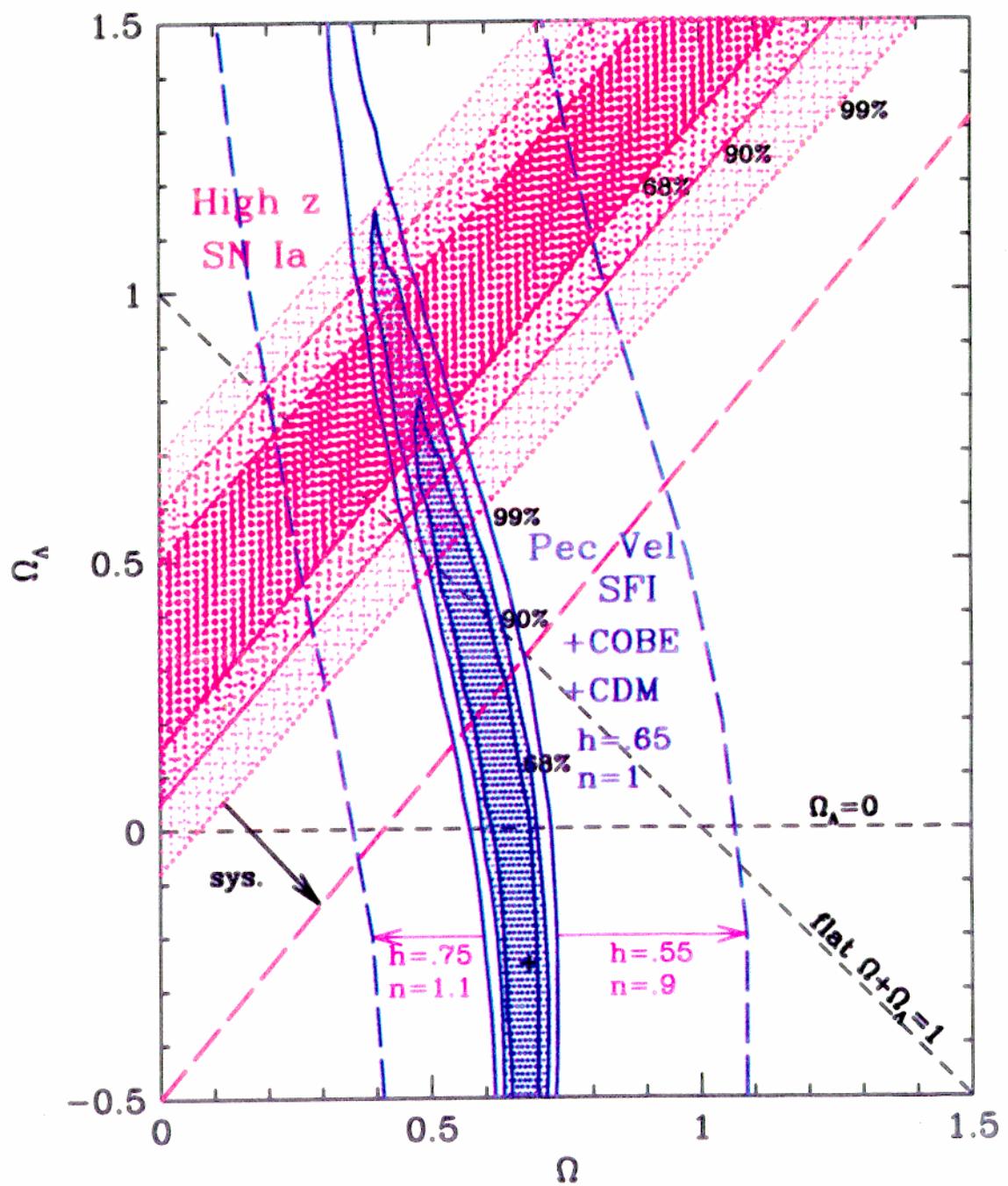
Velocity $P_k \rightarrow CMB Ce$

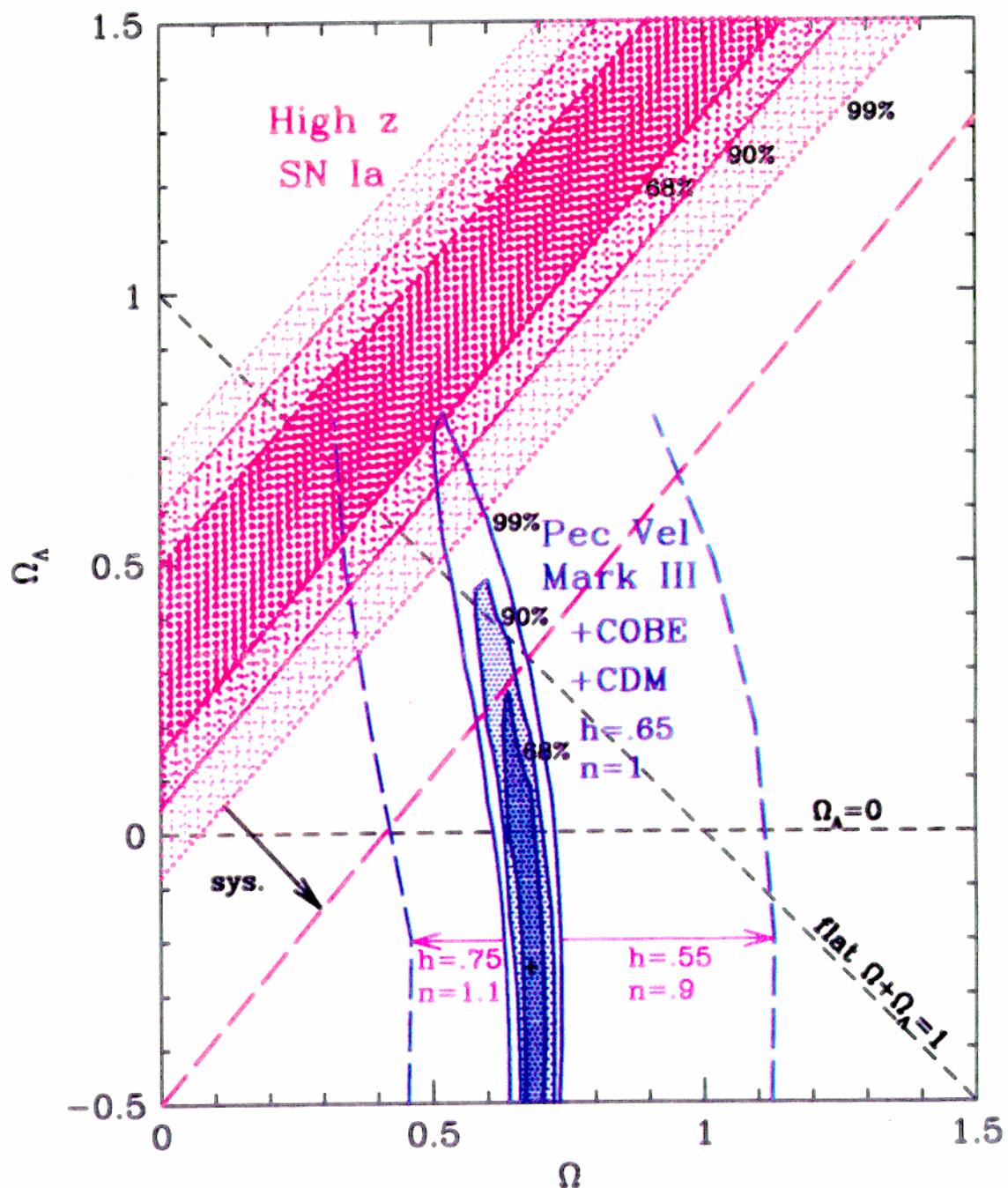


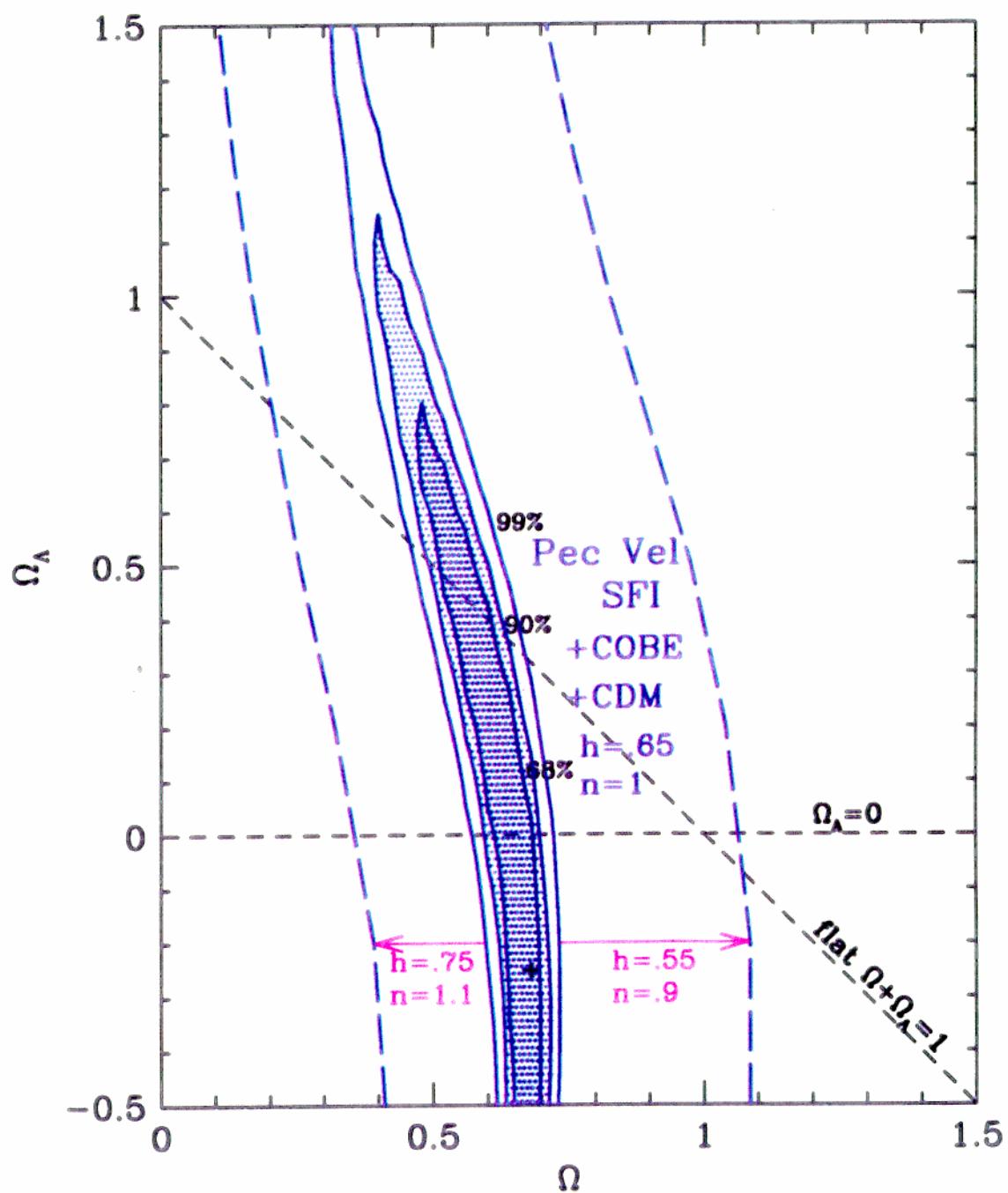
Zaroubi, Sugiyama, Silk, Hoffman, Dekel 97

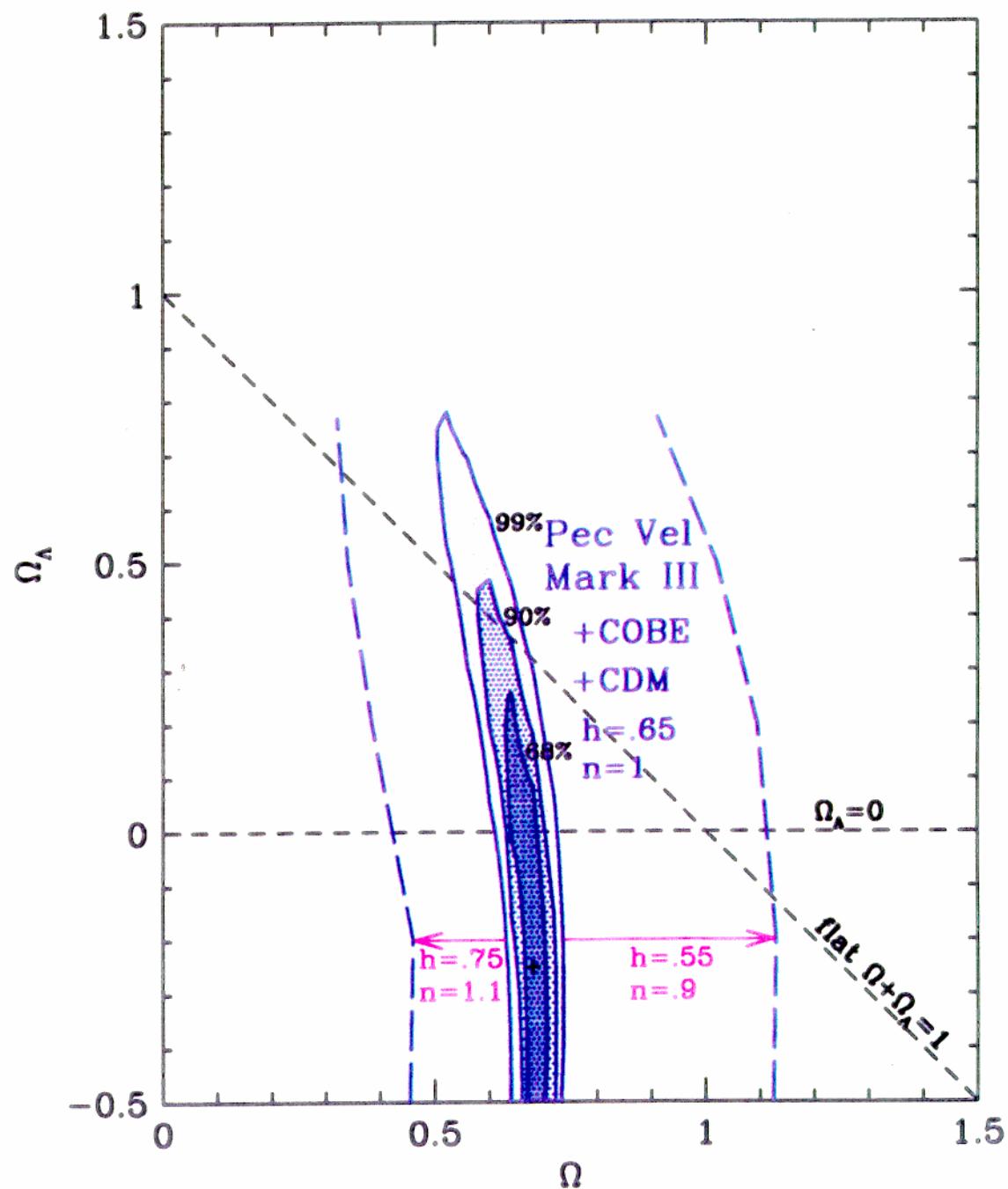
Flows + CMB for CDM models

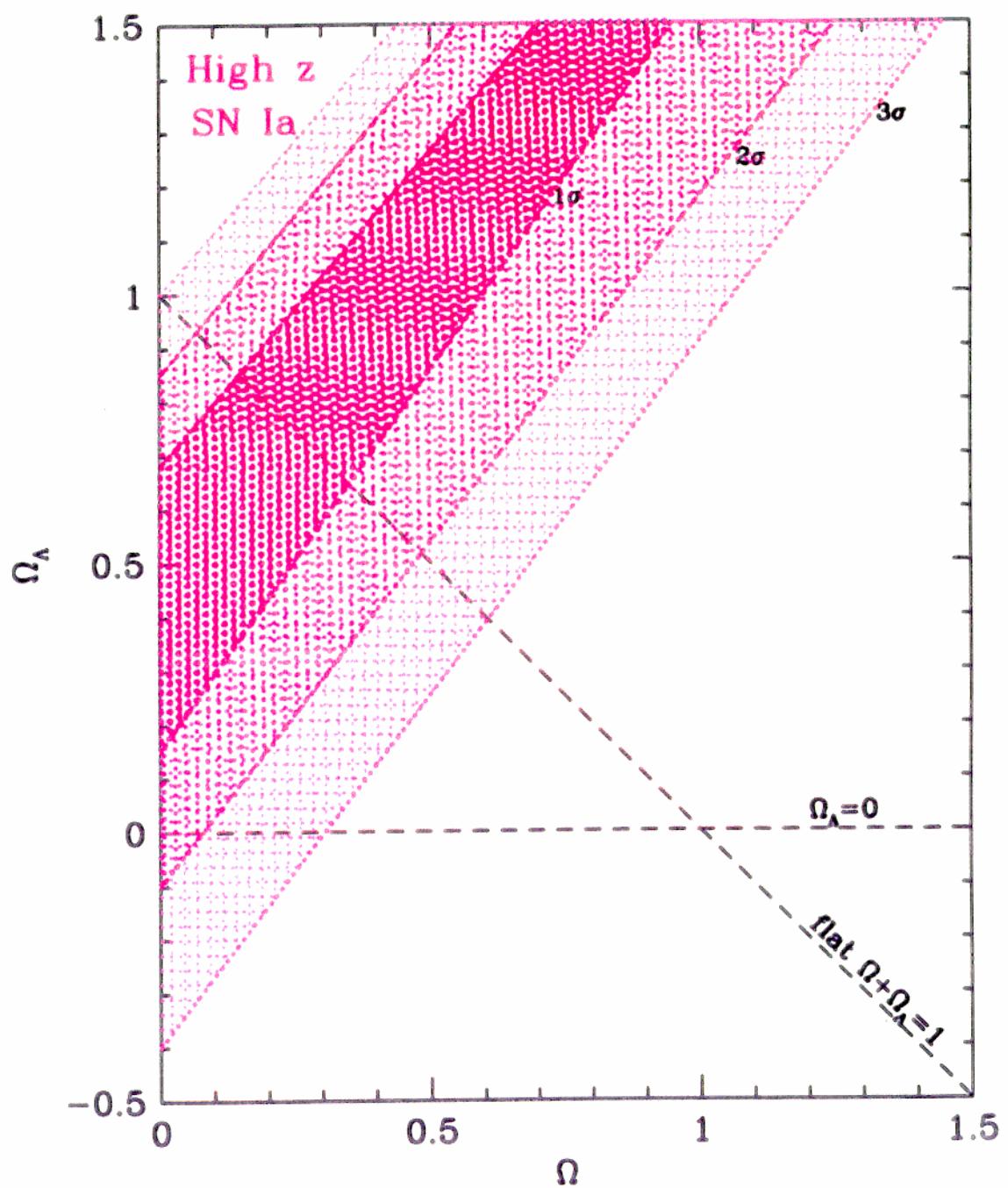
- $V \sim 300$ $\delta T/T \sim 10^{-8}$ \rightarrow Gravitational growth
- $\sigma_8 \Omega^{0.6} = 0.8 \pm 0.2$ $\Gamma \sim 0.3 - 0.4$ Flows
- $\Omega h_{60}^{1.2} n^2 \simeq 0.7 \pm 0.2$ 0.6 ± 0.2 Flows + COBE + CDM
- $n \gtrsim 0.9$ c_l at 1°

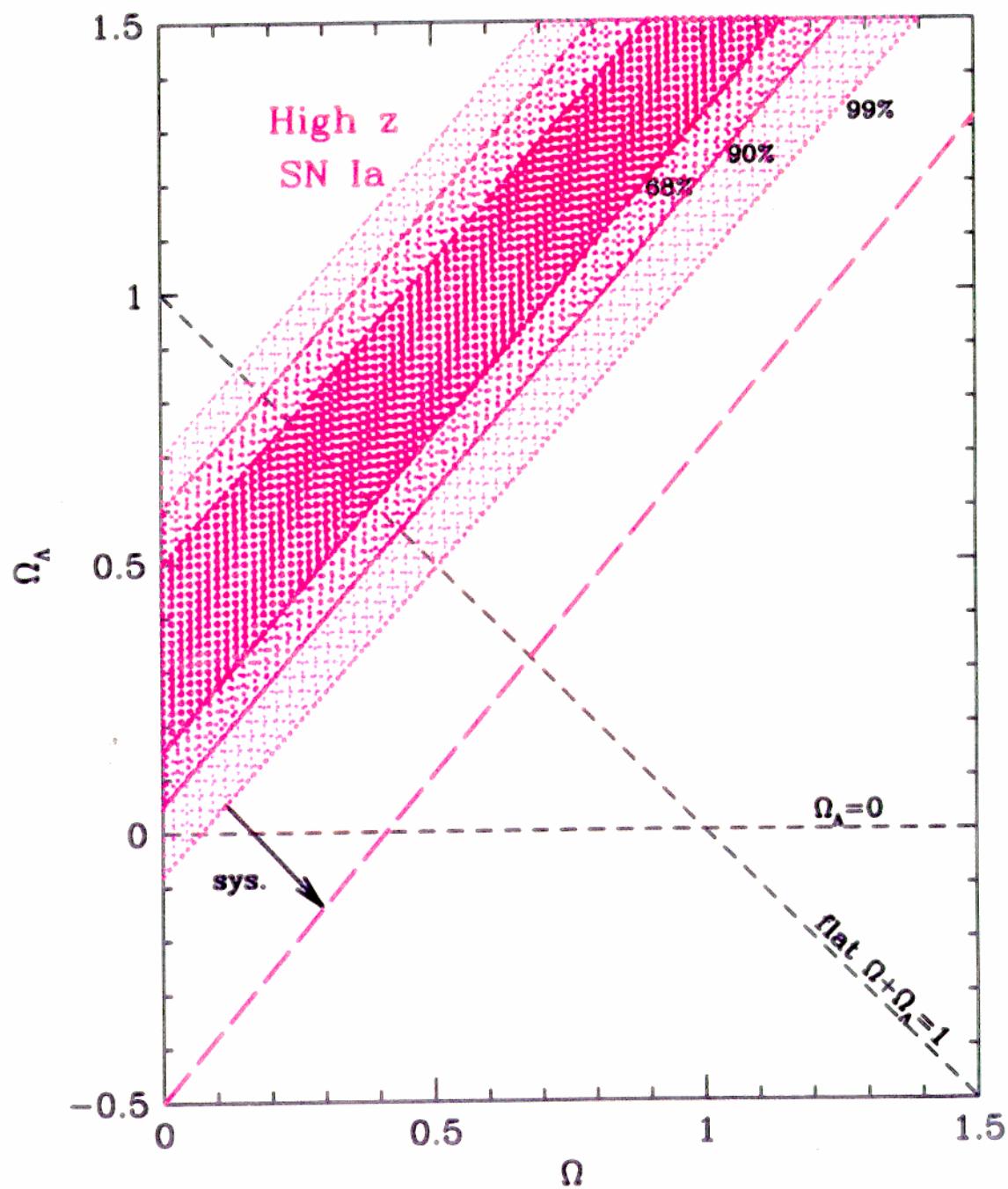




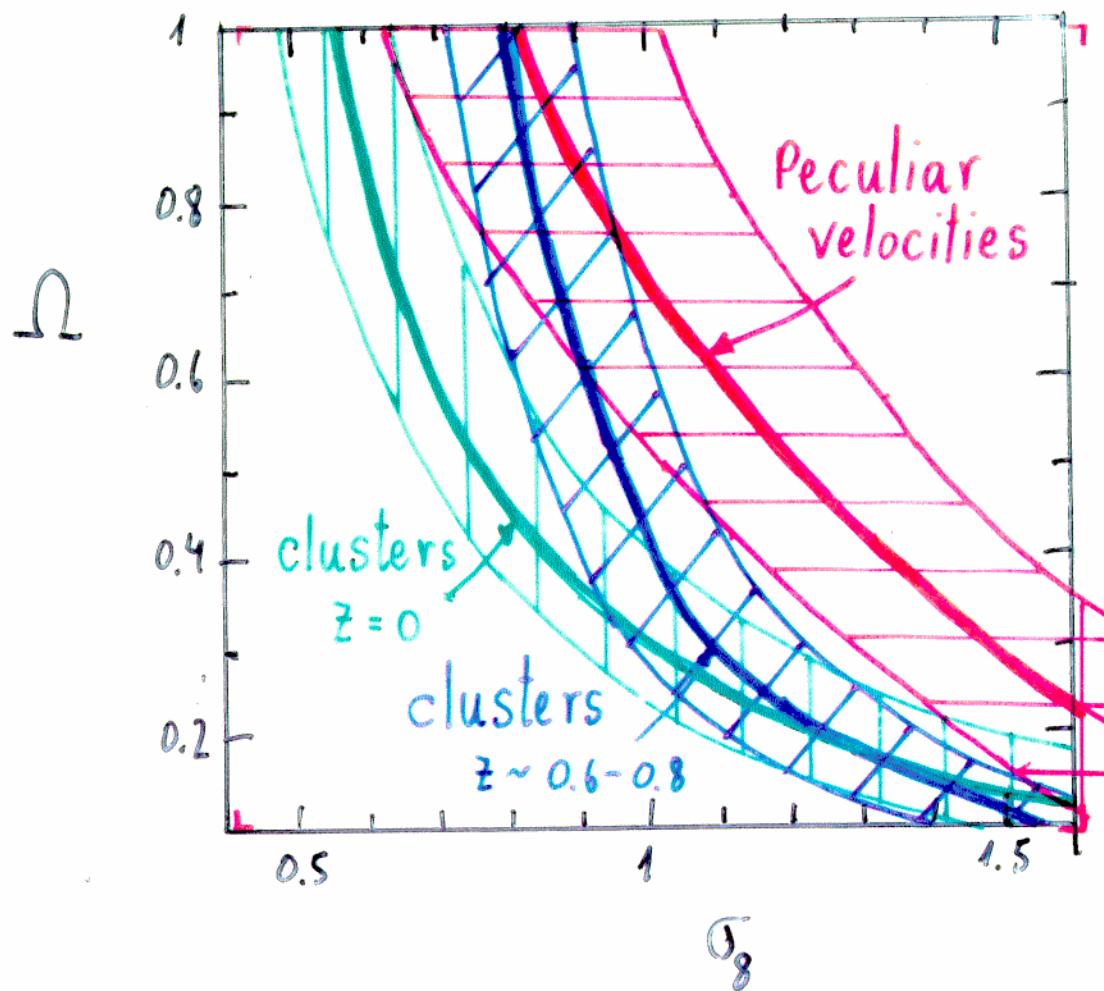








$$n \propto \frac{\delta_c}{\sigma} e^{-\delta_c^2/2\sigma^2}$$



$$\sigma_8 \Omega^{0.5} = 0.55 \pm 0.1$$

White et al 93, Eke et al 96,

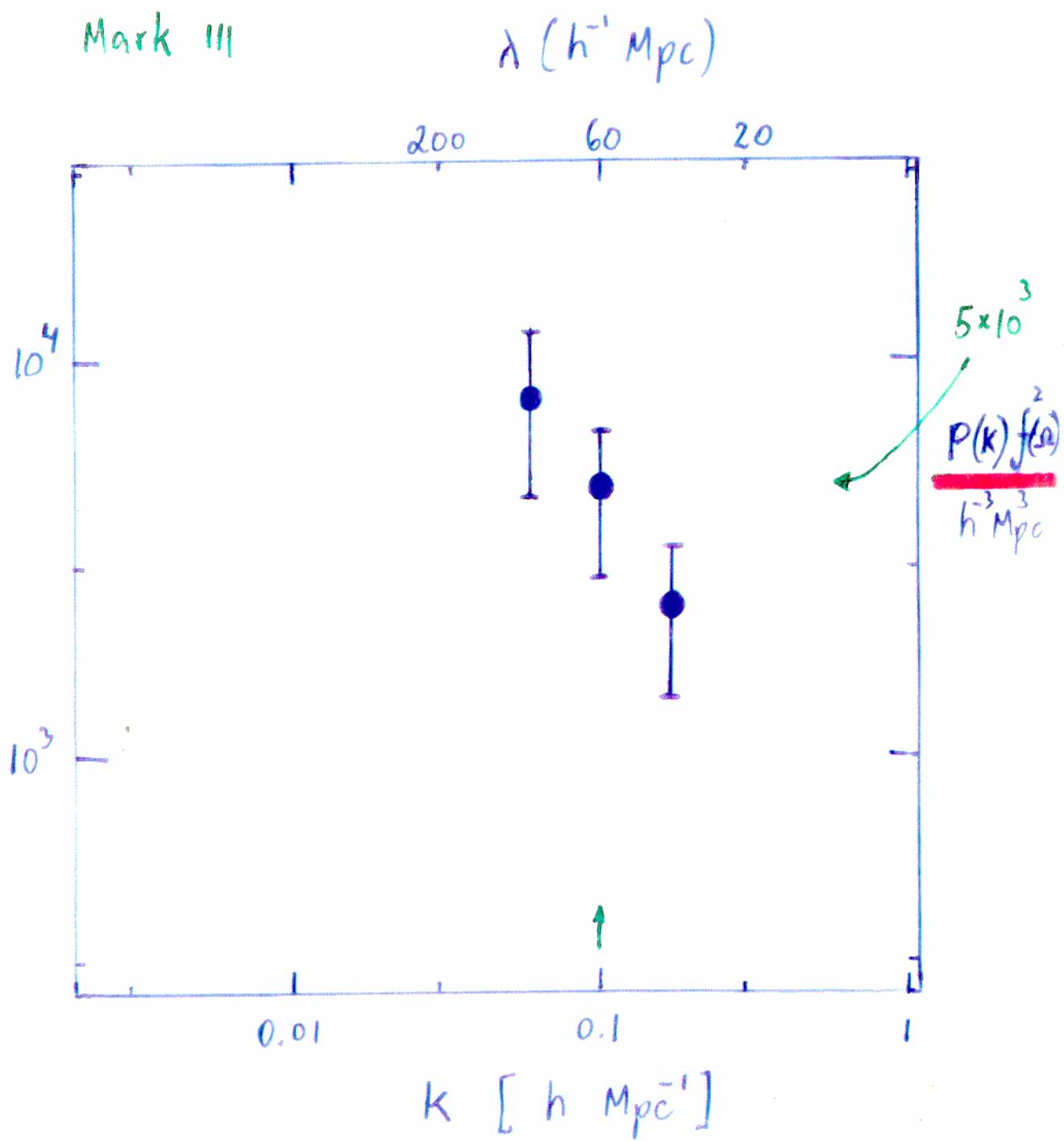
$$\sigma_8 \Omega^{0.3} = 0.8 \pm 0.1$$

Bahcall & Fan 98

$$\sigma_8 \Omega^{0.6} = 0.8 \pm 0.2$$

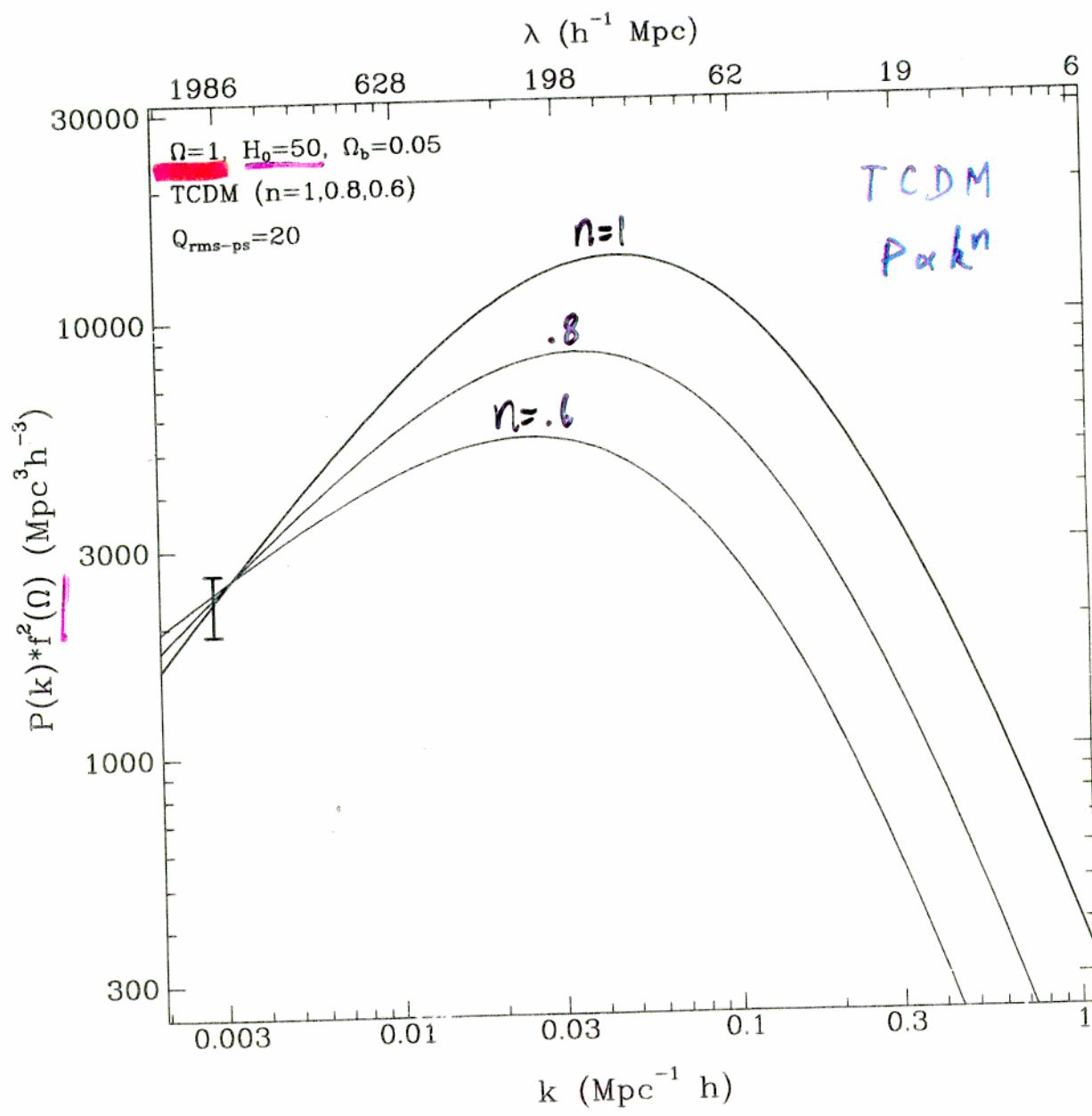
Zaroubi et al 98
Freudling et al 98

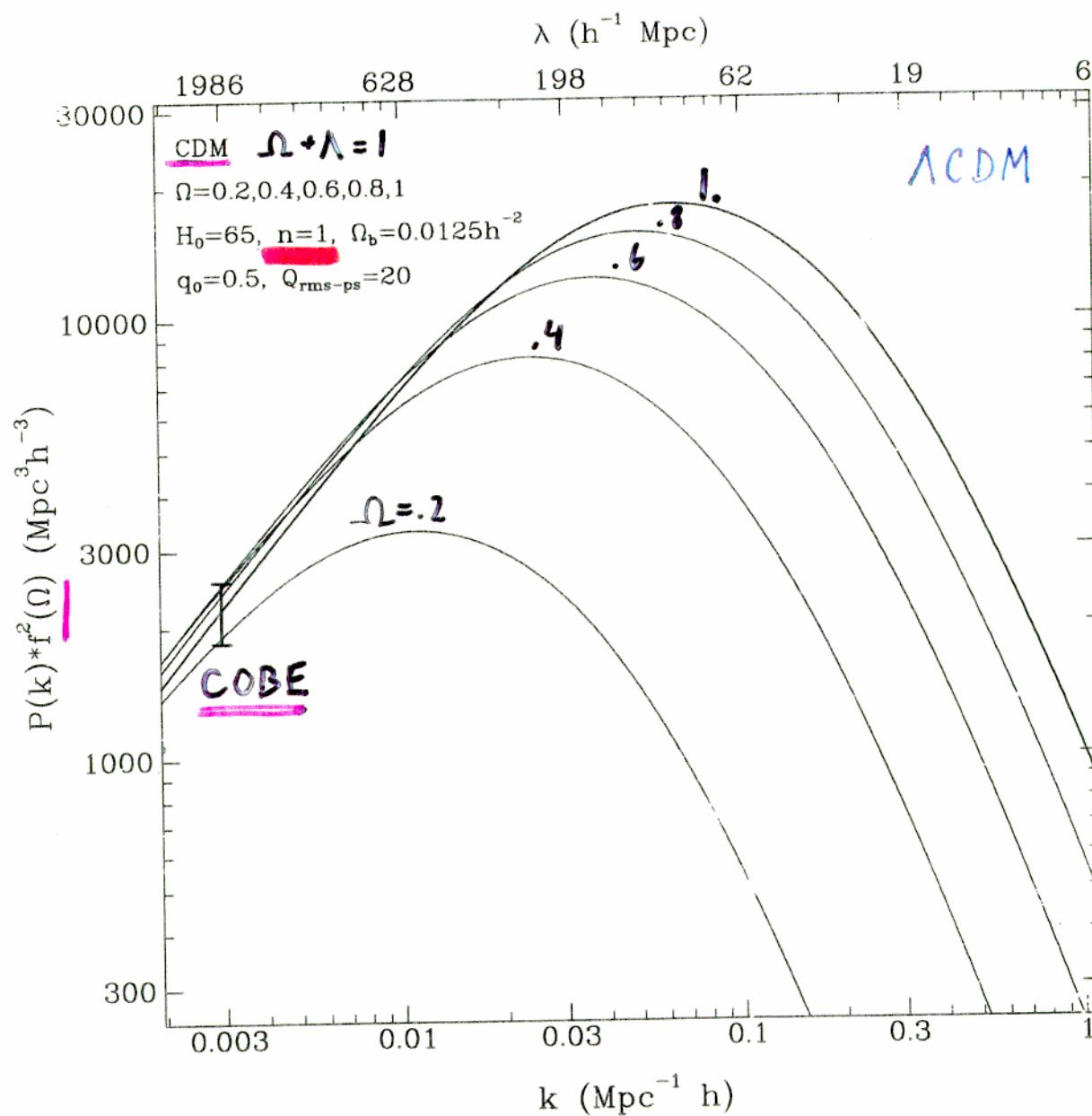
Mass-Density Power Spectrum

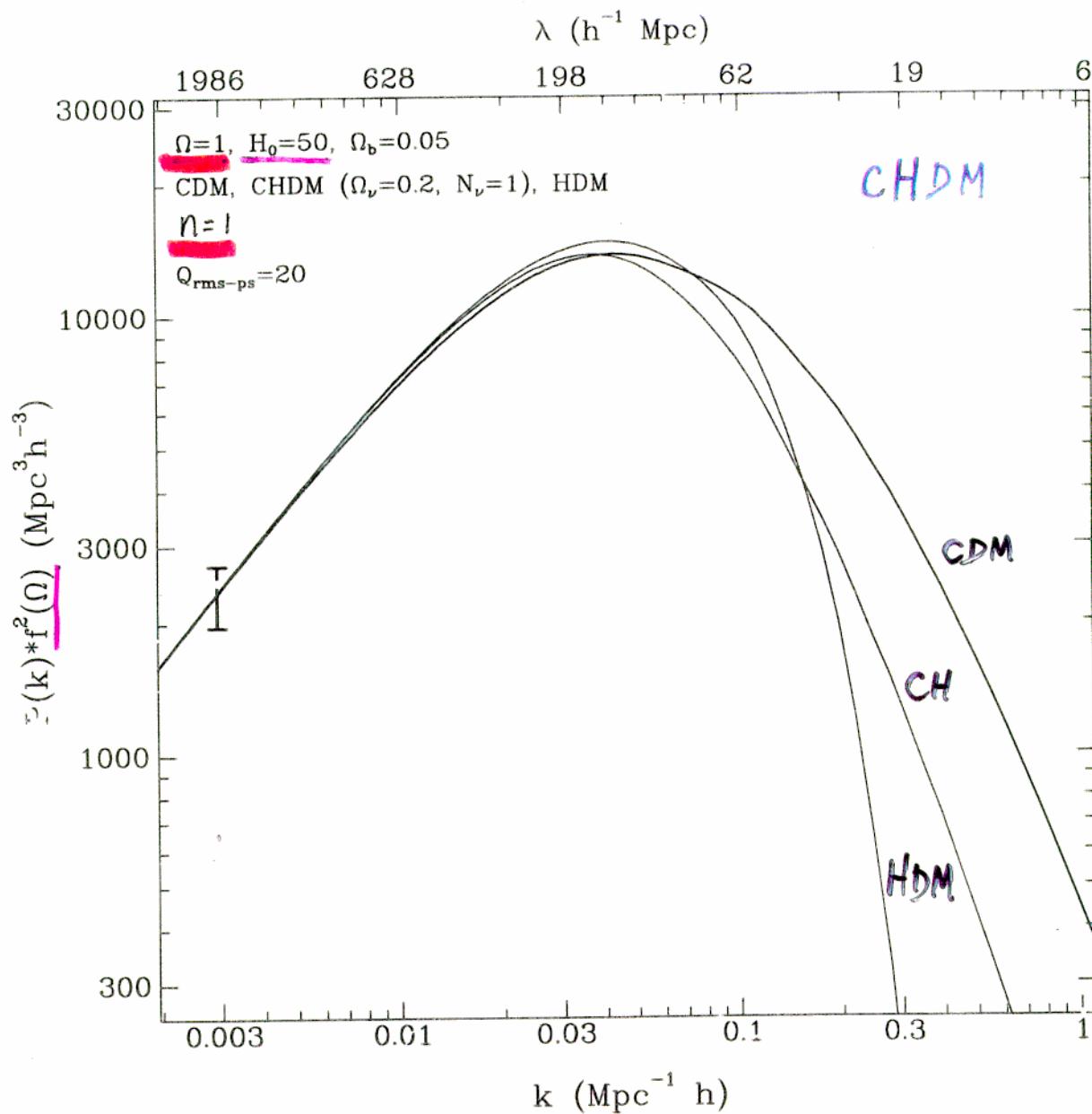


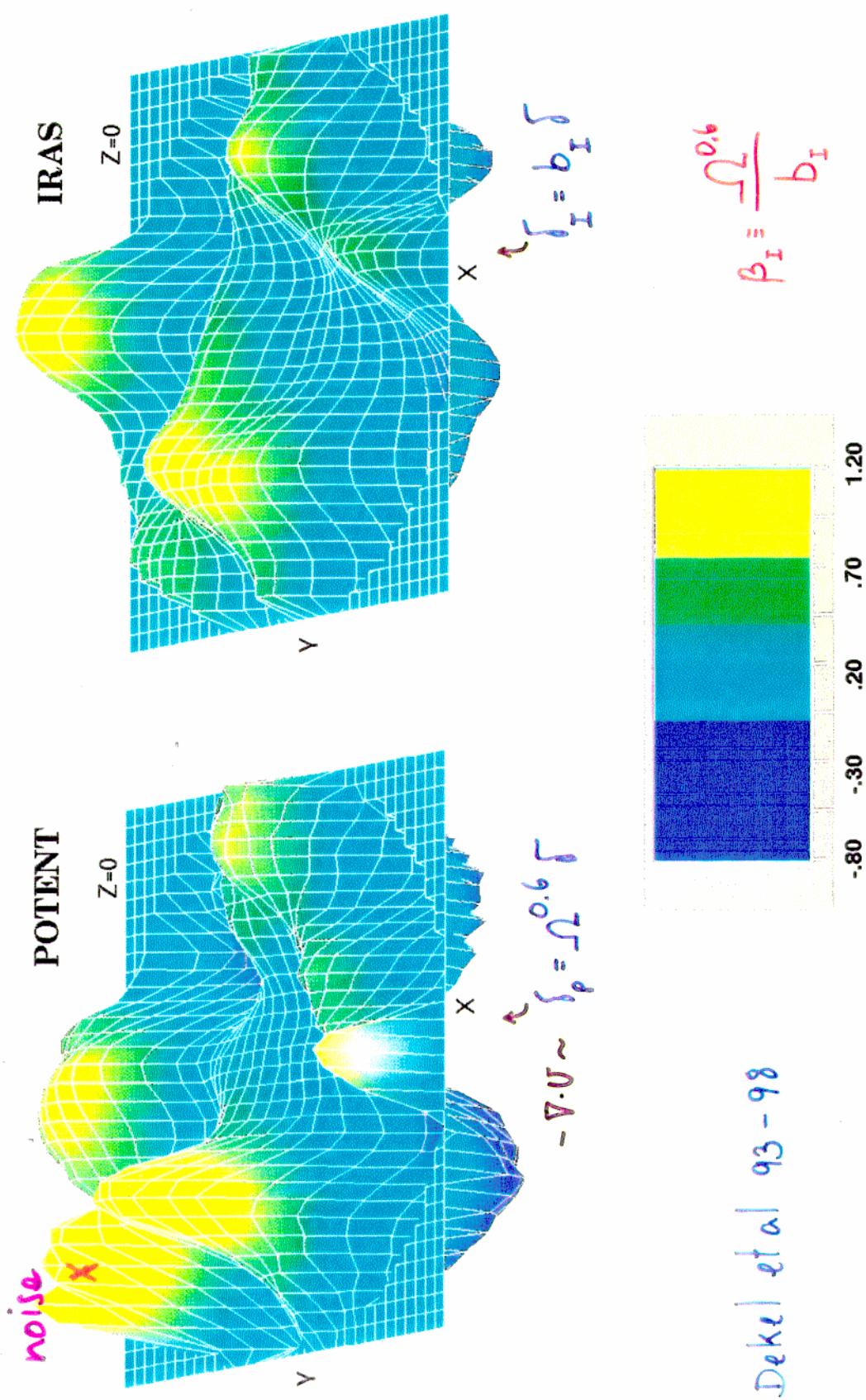
Kolatt + Dekel 96 $P(k) = (5 \pm 2) \times 10^3 \Omega^{-1.2} \left(\frac{k}{0.1}\right)^{-1.4 \pm 0.2}$

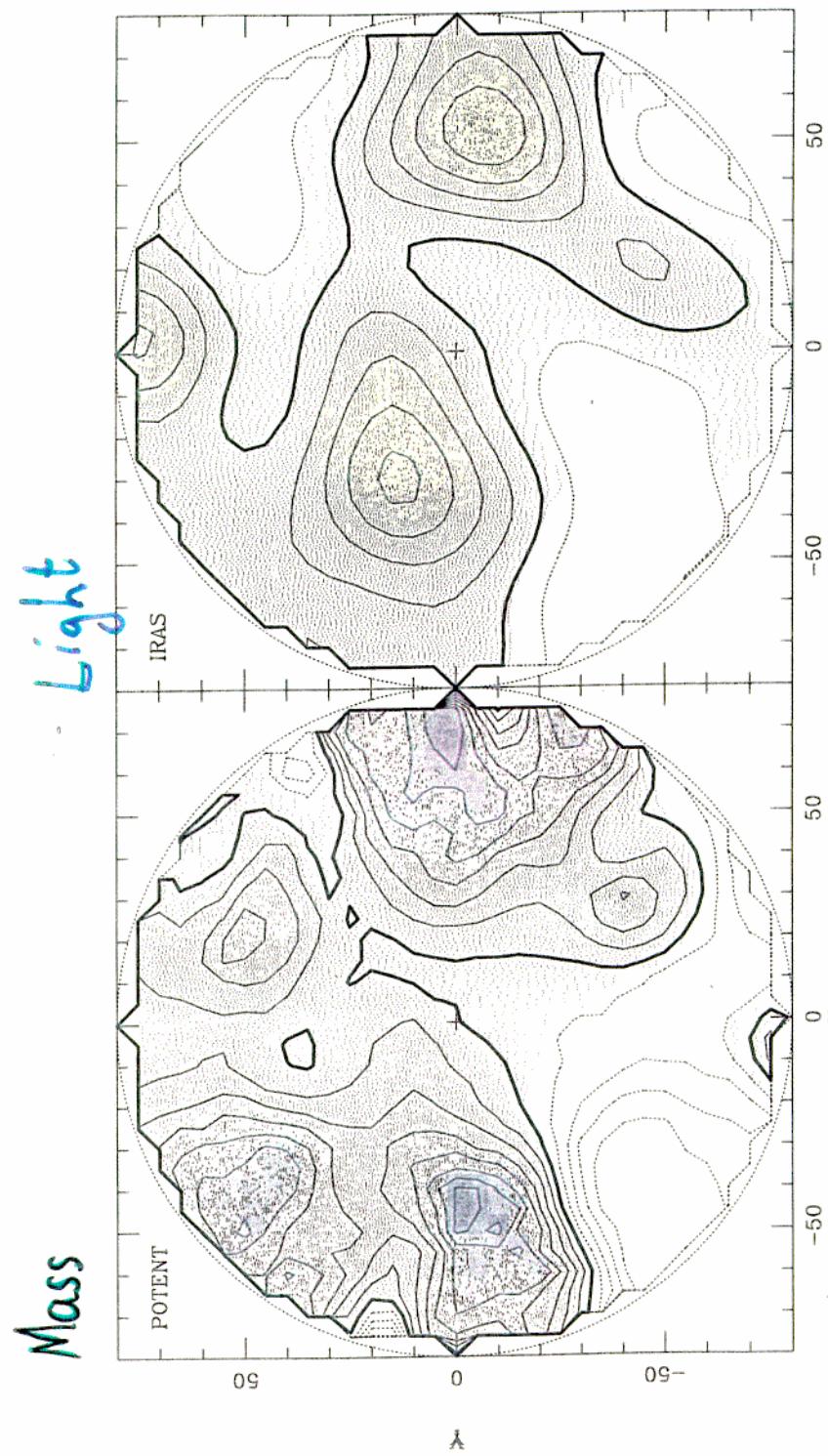
Zaroubi, Dekel, Hoffman 96 $\Omega_8 \Omega^{0.6} = 0.80 \pm 0.2$







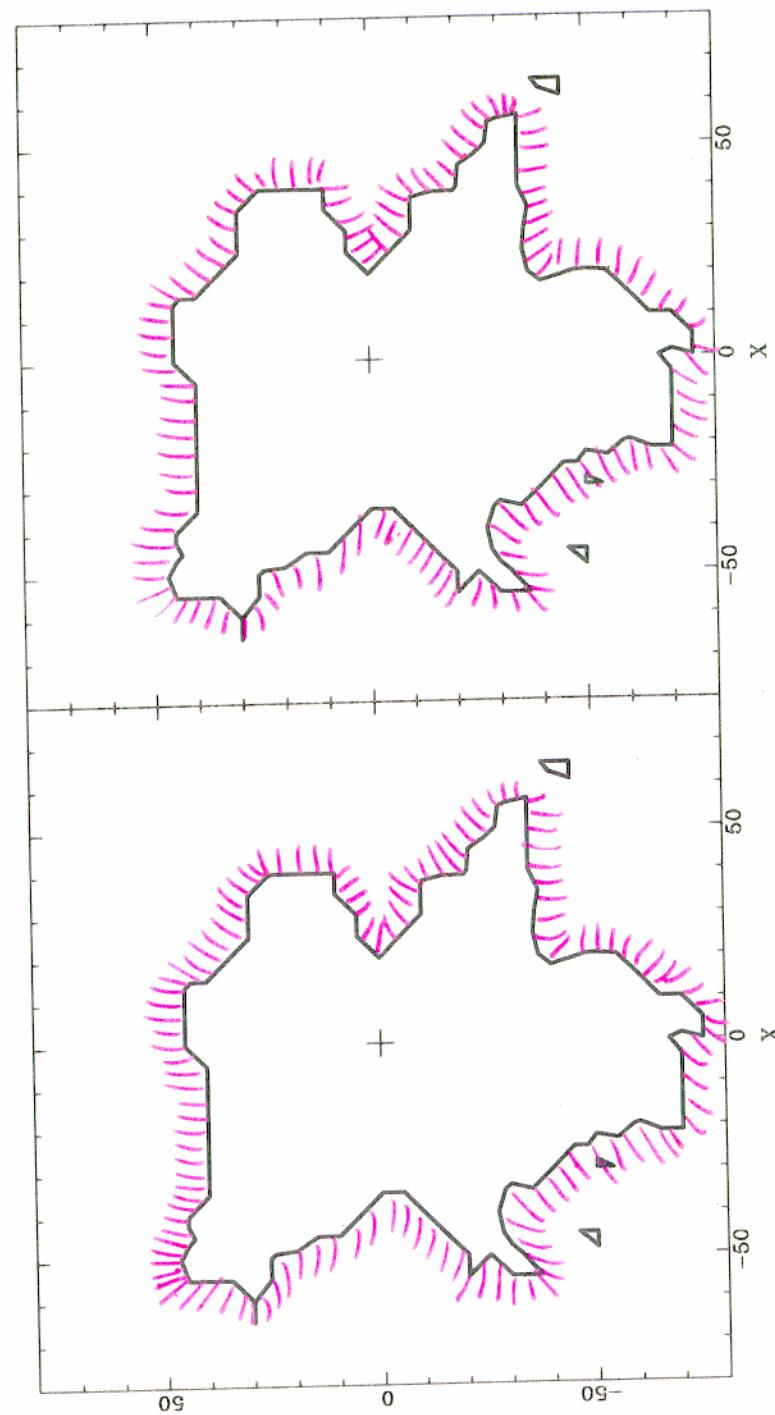


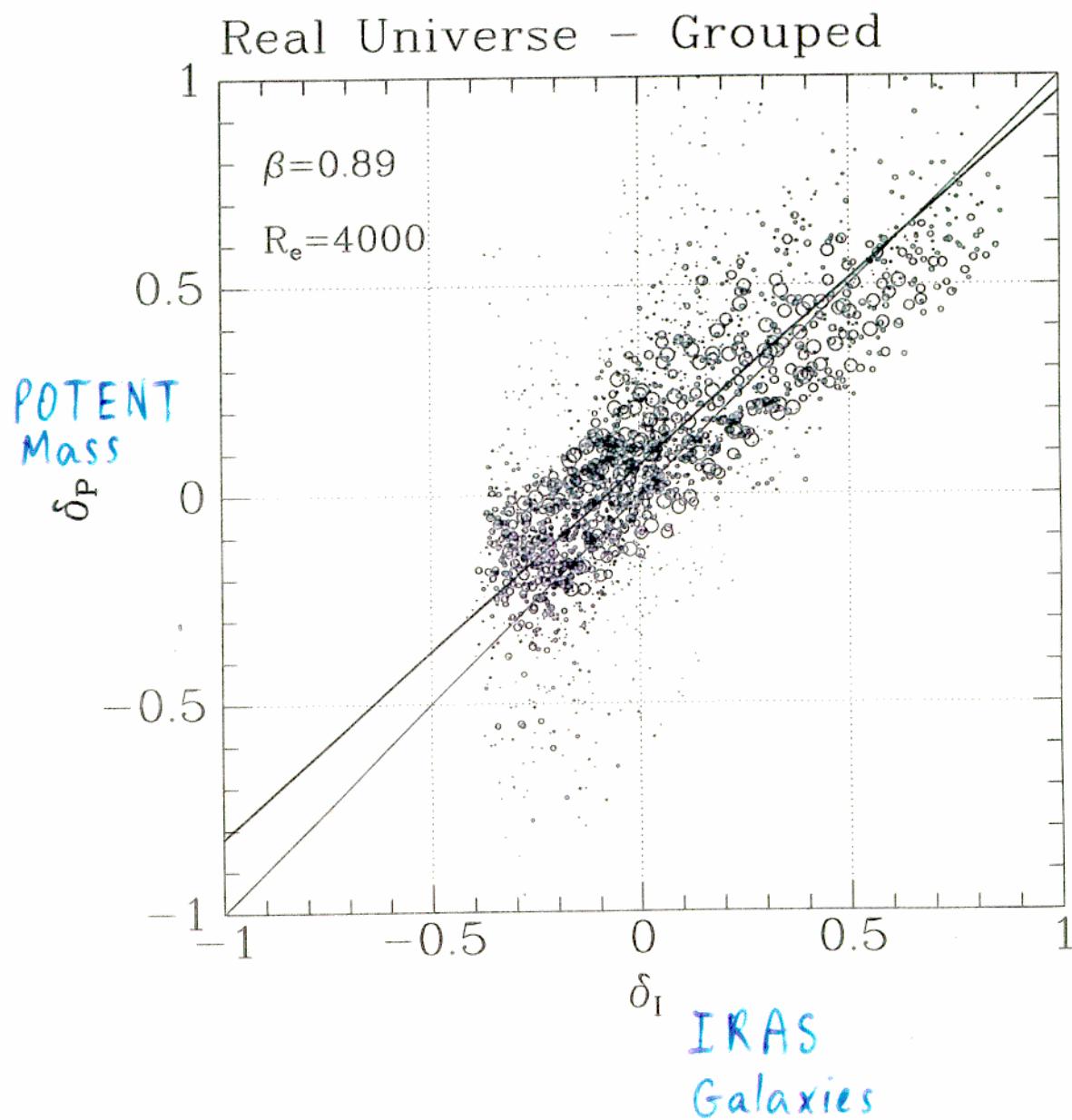


$$\delta_{\text{gal}} = b_{\text{gal}} \delta$$

$$-\nabla \cdot U = \Omega^{0.6} \delta$$

$$\rightarrow \beta \equiv \frac{\Omega^{0.6}}{b_{\text{gal}}}$$

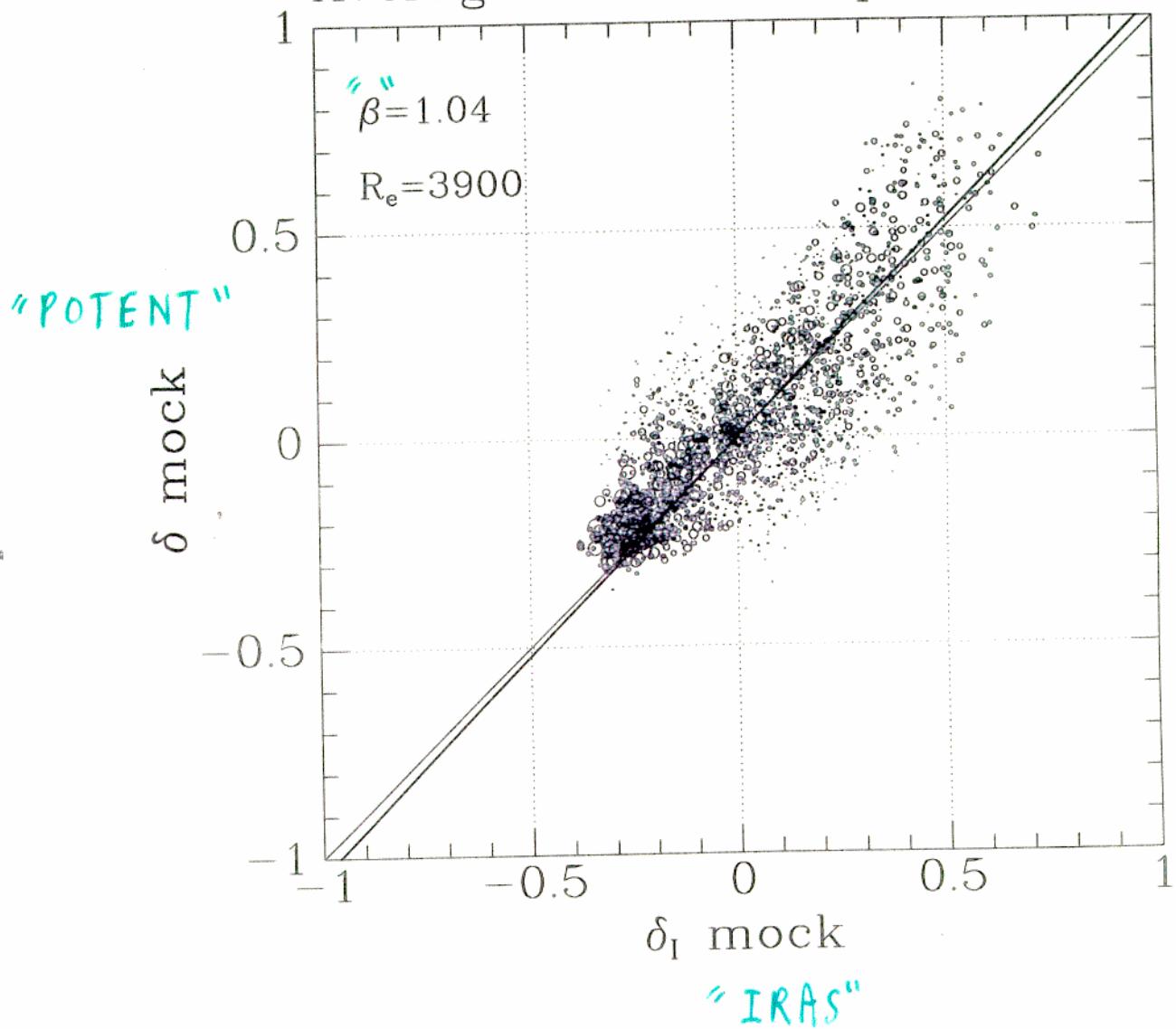


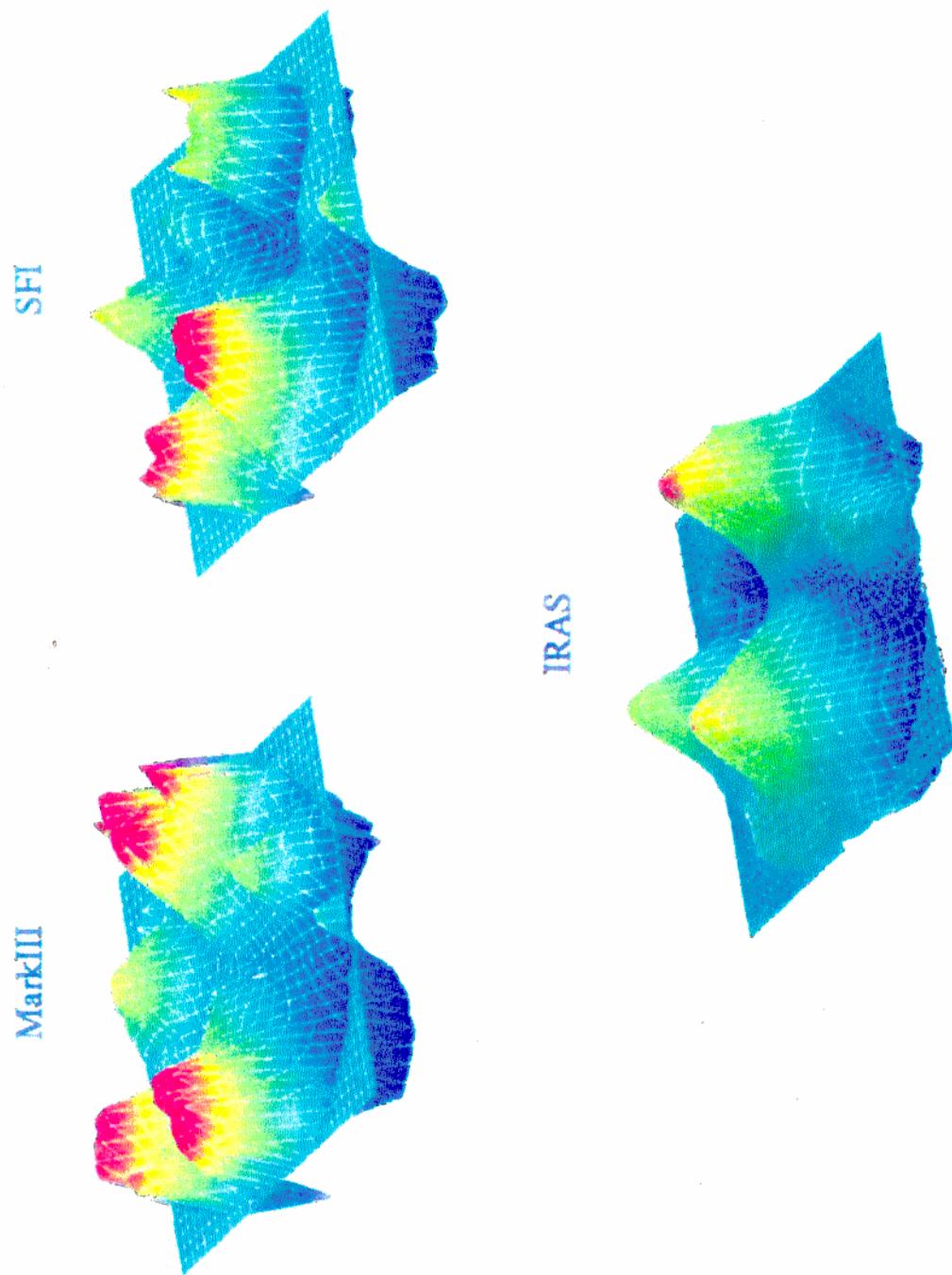


Eldar
Sigad, Dekel, Strauss, Yahil 98

Testing with Mock Catalogs

Averaged Mock Grouped vs. Iras

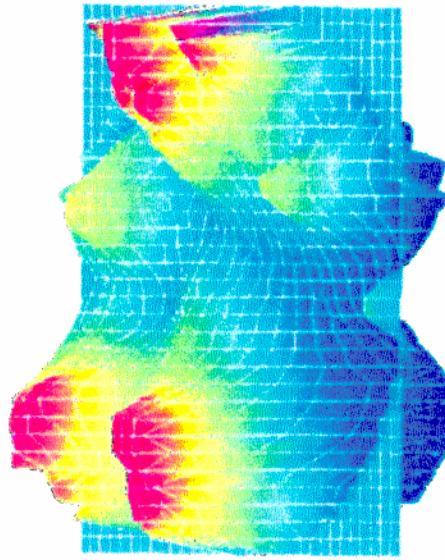




MarkIII

POTENT \rightarrow Mass

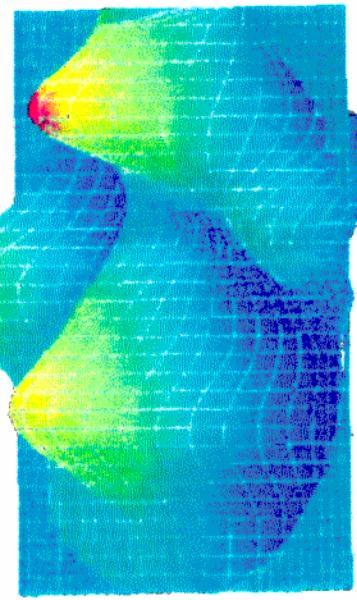
SFI



$$-\nabla \cdot \mathbf{v} \approx \delta_p = \Omega^{0.6} r$$

$$\beta_z = \frac{\Omega}{b_z}^{0.6}$$

IRAS Galaxies



$$\delta_I = b_I \delta$$

$$\underline{V_{\text{pec}} \text{ vs. } \delta_{\text{gal}}} \rightarrow \beta \equiv \frac{\Omega^{0.6}}{b}$$

Mark III IRAS 1.2 Jy

- $\delta - \delta$ $12 h^{-1} \text{Mpc}$ (POTIRAS Sigad et al 98)

$$\text{GI}, \quad r_g \sim b\delta \quad \underline{\chi^2 \sim 1} \quad R < 50$$

$$\underline{\beta_{I,12} = 0.89 \pm 0.15}$$

- $V - V$ $3 h^{-1} \text{Mpc}$ (VELMOD Willick et al 97)

$$\underline{\beta_{I,3} = 0.5 \pm 0.1} \quad \underline{\chi^2 \sim 1} \quad R < 30$$

- $U - V$ (ITF Davis et al 96)

$$\underline{\beta_I \sim 0.5} \quad \underline{\chi^2 > 1} \quad \text{at } R > 30$$

- $\delta - V$ (SIMPOT Nusser & A.D. 97)

$$\underline{\beta_{I,12} = 1.0 \pm 0.15} \quad \underline{\beta_{I,6} = 0.6 \pm 0.1}$$

→ Non-trivial biasing : - Scale dependent
 - Non-linear
 - Stochastic

The "Great Wall" (Geller, Huchra, ... 1990) da Costa

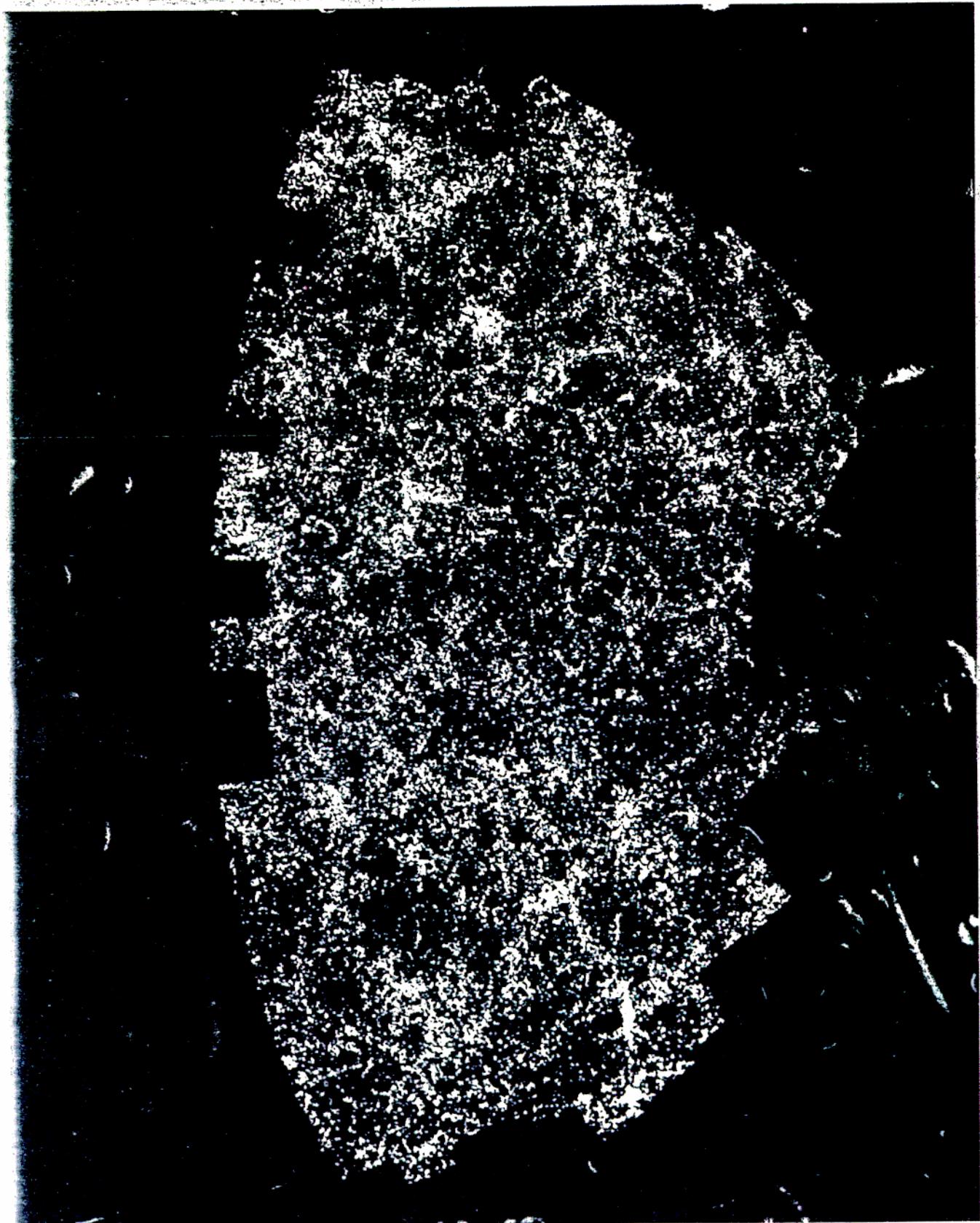


$-z < 15,000 \text{ km s}^{-1}$

$m < 14.5$

$20^\circ < l < 40^\circ$

9 h

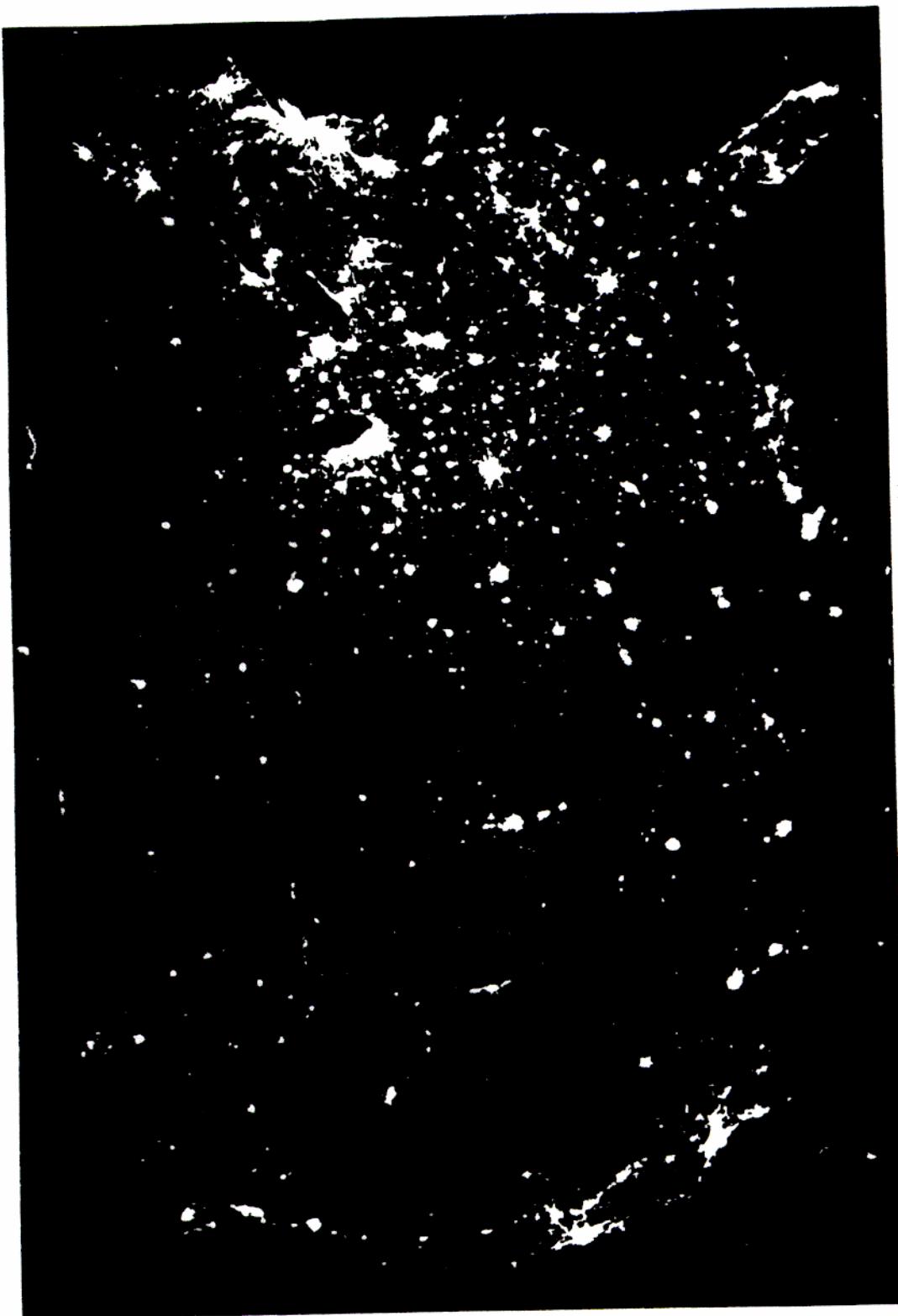


Maddox et al.

2 M galaxies 15 rad

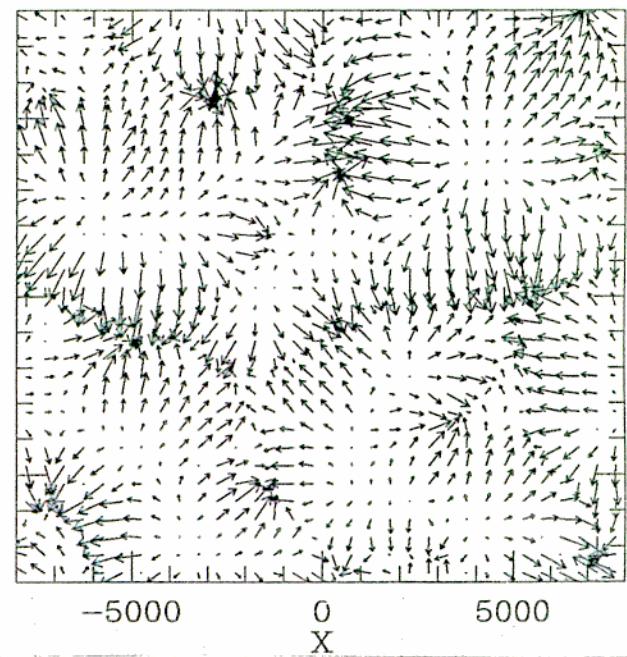
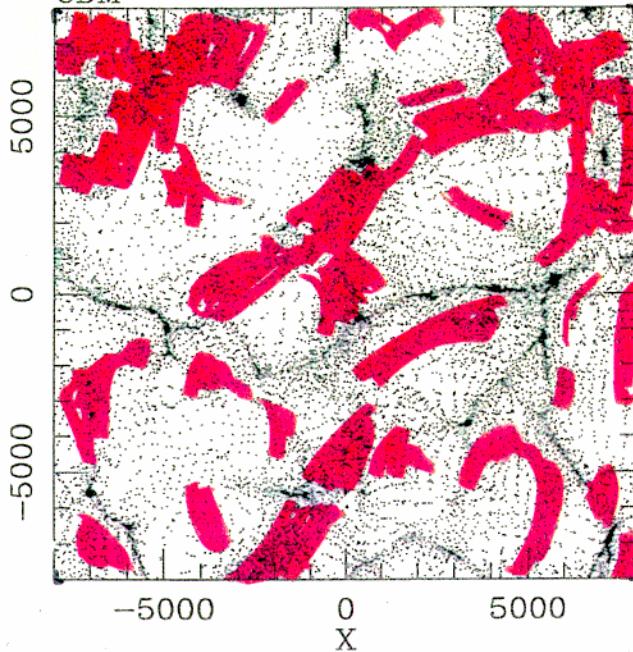
100 Mpc deep

apm

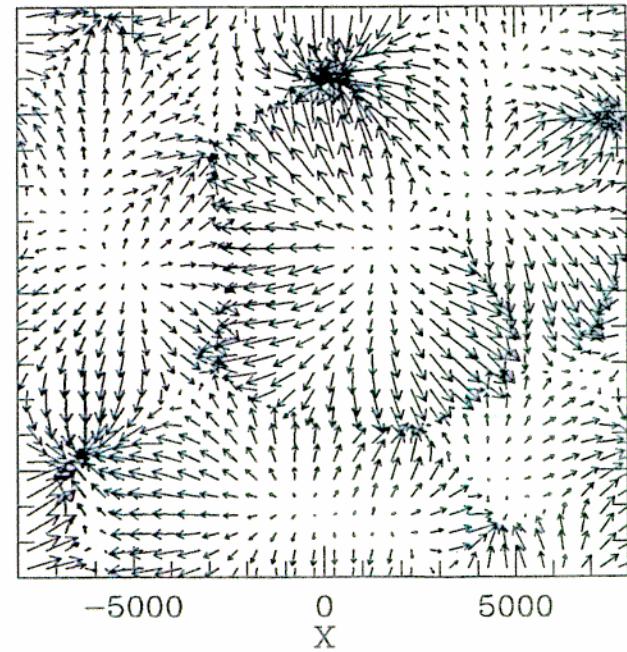
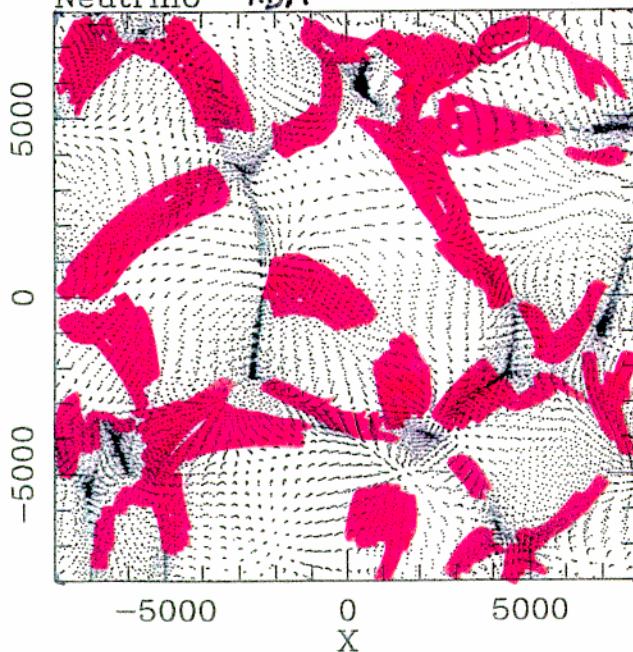


Anti biasing

CDM



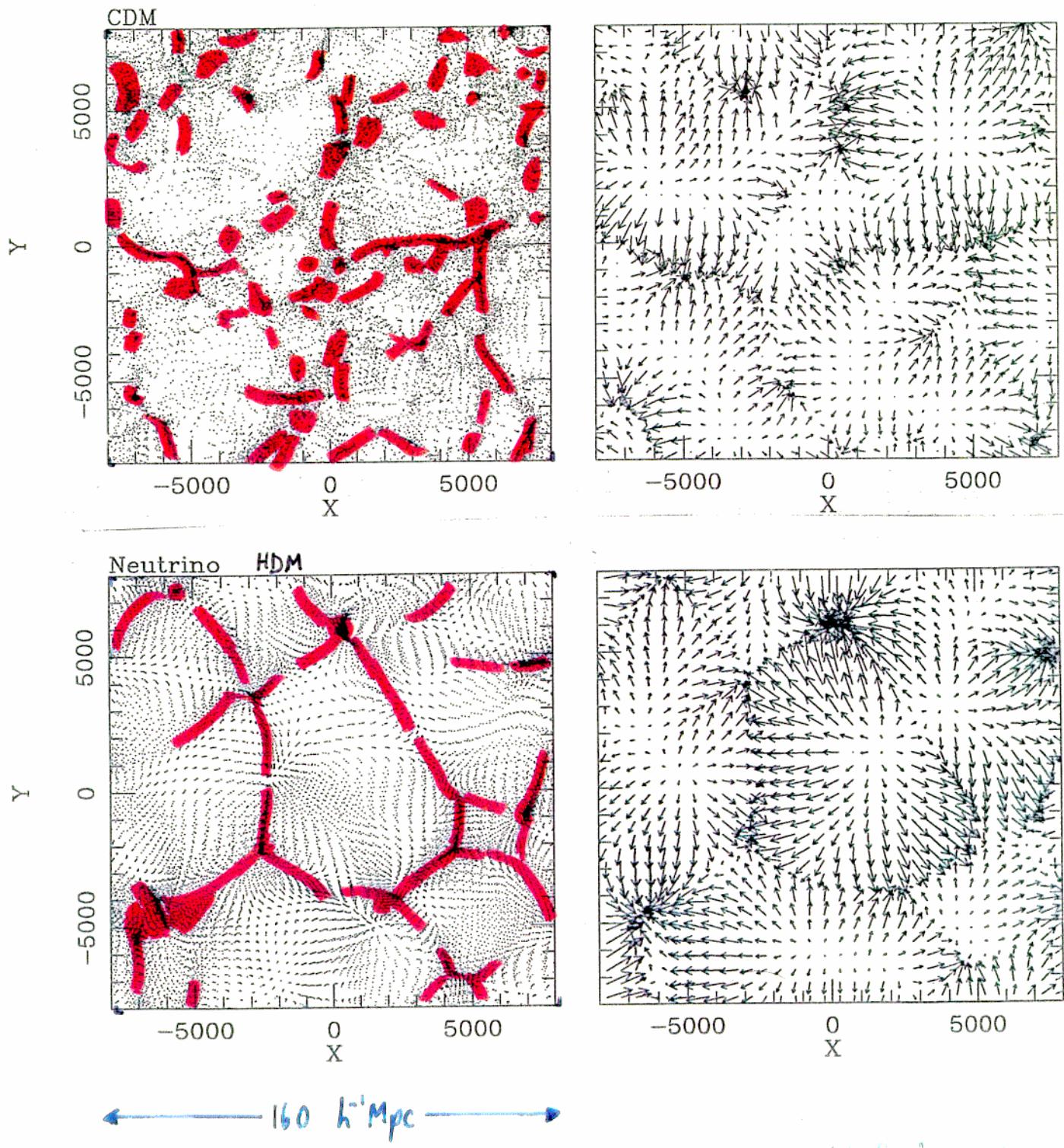
Neutrino HDM



← 160 h^{-1} Mpc →

Mar. 19, 1998

Biasing



Results

- $V_{\text{pec}} + \text{Gaussian} \rightarrow \Omega > 0.3 > 95\%$
- $V_{\text{pec}} \rightarrow V_{50} = 375 \pm 85, P_{0.1} \Omega^{1.2} = (5 \pm 2) \times 10^3$
 $\sigma_g \Omega^{0.6} = 0.8 \pm 0.2$
- $V_{\text{pec}} + n_{\text{gal}} \rightarrow \text{Galaxies} \sim \text{trace mass}$
 $\beta_I = \frac{\Omega}{b_I}^{0.6} \sim 0.5 - 1.0$ scale dependent
 biasing
- $V_{\text{pec}} + \text{CDM} + \text{COBE} \rightarrow \Omega n^2 h_{15} \stackrel{0.6}{\approx} 0.7 \pm 0.2$
 $+ \delta T \sim 1^\circ \rightarrow n \gtrsim 0.9 \quad \Omega_b \sim 0.01$
- Local void SN_e Ia $\delta H/H \sim +6\% \quad R < 70 \text{ h}^{-1}\text{Mpc}$
 2.55

Cosmological Parameters

$$H_0 = 65 \pm 10 \quad \text{km s}^{-1} \text{Mpc}^{-1}$$

SN Ia

$$t_0 = 12 \pm 2 \quad \text{Gyr}$$

star clusters
+ Hipparcos

$$\Omega_m = 0.3 - 1.0$$

Flows, Global

$$\Omega_\Lambda = 0.7 - 0.0$$

Global

$$\Omega_b = 0.05 - 0.1$$

BBN + D

$$\Omega_v < 0.3$$

LSS, experiment

$$n = 0.9 - 1.1$$

CMB + LSS

$$\Omega_g \Omega^{0.6} = 0.5 - 0.8$$

cluster abund.
Flows

$$\beta \equiv \frac{\Omega^{0.6}}{b_i} \sim 0.4 - 1.0$$

Flows + IRAS

A Λ model that barely passes all current tests

- $H_0 = 65$ $t_0 = 12$

- $\Omega_{tot} = 1 \rightarrow \Omega_m = 0.5$ $\Omega_\Lambda = 0.5$

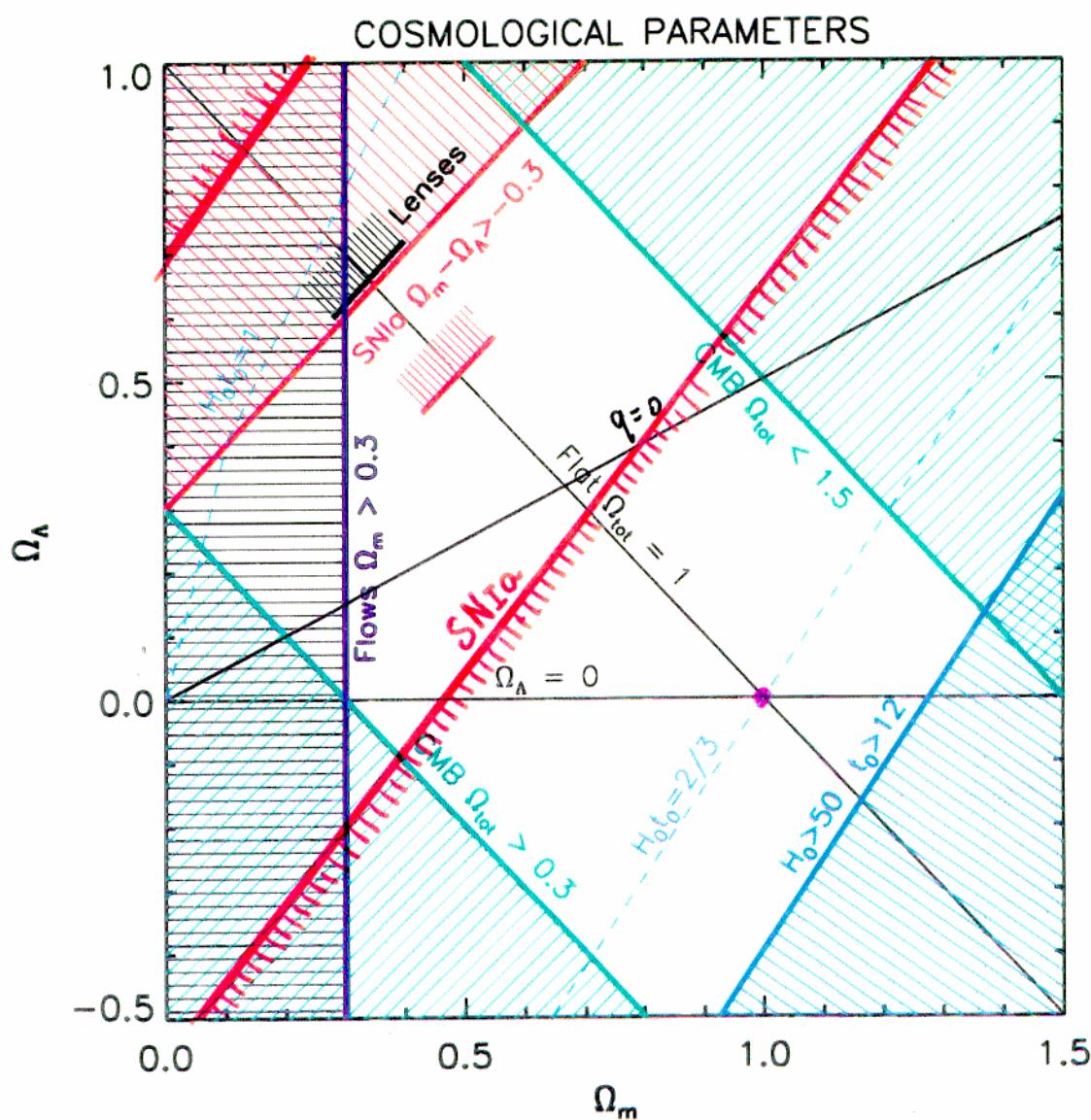
$$\downarrow$$

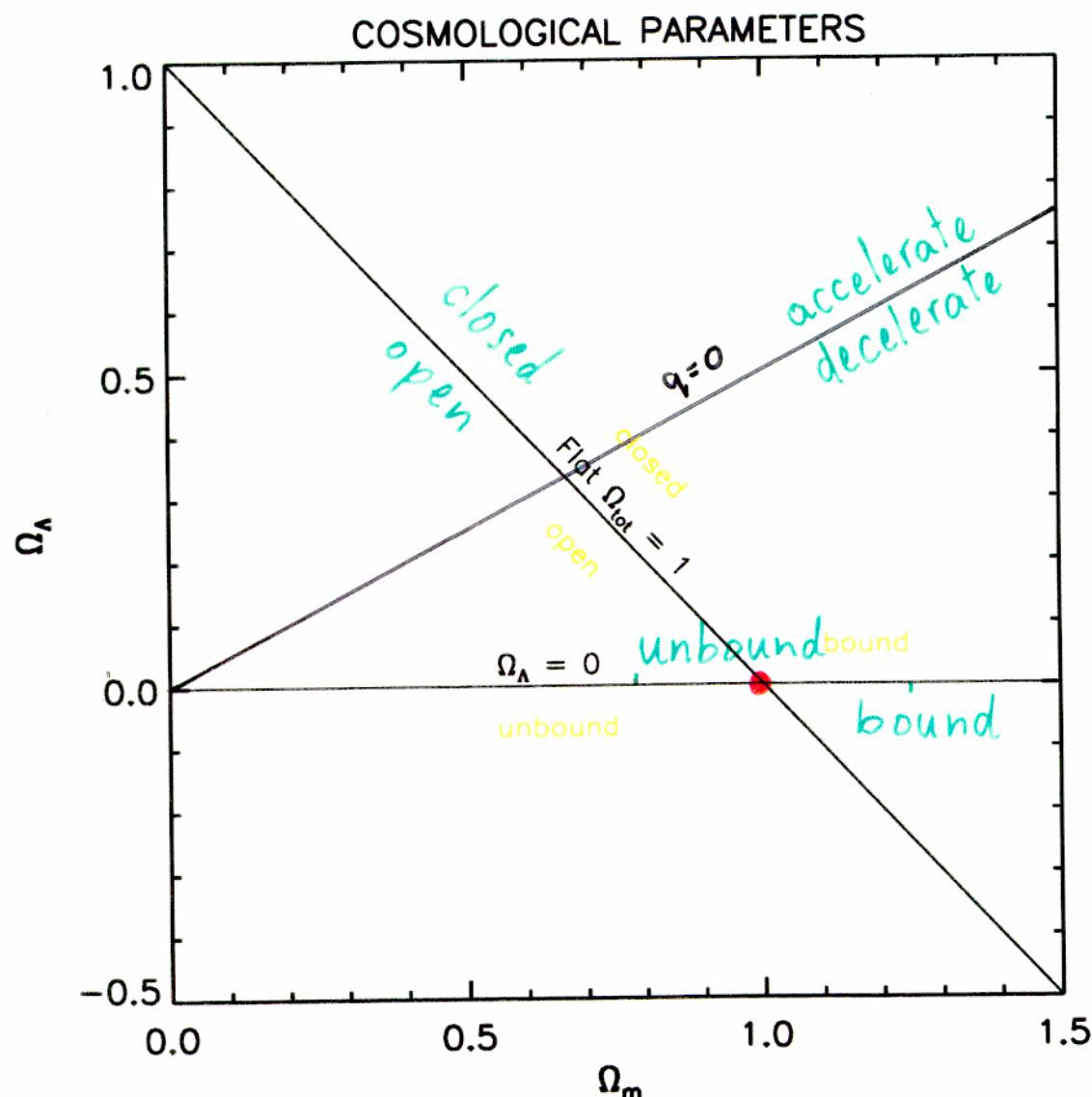
$$\Omega_c = 0.3$$

$$\Omega_\nu = 0.1$$

$$\Omega_b = 0.1$$

- $n = 0.95$ $\sigma_8 = 1$





$$\Omega_m = \rho_m / (3H_0^2 / 8\pi G)$$

$$\Omega_\Lambda = \Lambda c^2 / 3H_0^2$$

$$\Omega_{\text{tot}} = \Omega_m + \Omega_\Lambda$$

$$\Omega_m - 0.7\Omega_\Lambda \sim 5.8(1-1.3 \text{ ht})$$

Is the Universe

?

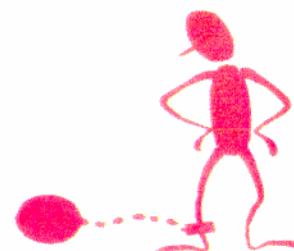
- Open or Closed?

$$\Omega_m + \Omega_\Lambda \leq 1$$



- Bound or Unbound?

$$\Omega_\Lambda \leq 0 \quad \Omega_m \gtrless 1$$



- Decelerating or Accelerating?

$$\frac{1}{2}\Omega_m - \Omega_\Lambda \gtrless 0$$



Avishai Dekel