

Preliminary Simulations of Low Emittance Tuning in the Damping Rings

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Introduction

- Along with K. Kubo, simulations have begun to investigate the 7 DR lattice designs in terms of their vulnerability to errors and its knock-on effects on the extracted vertical emittance.
- In an effort to provide a basis to the studies it was decided that we would work separately on the method of simulation as well as the code chosen-
 - I use a Mathematica based analysis system based around the MAD code – here given as MAD8.23DL. – as compared to Kubo's choice of the SAD code (see talk).
- We would try to simulate the designs using a variety of random misalignments and provide an assessment in terms of the effectiveness of the various correction stages as well as the resulting extracted vertical emittance.

Method

- I chose to separate the correction of the vertical emittance into 3 separate stages:
 - Correction of the closed orbit
 - Correction of vertical dispersion
 - Correction of horizontal-vertical linear coupling
- The correction method chosen in all 3 cases is through the use of Response Matrices and their inversion using Singular Value Decomposition.

Method – CO Correction

- The correction of the closed orbit is identical in all cases excepting for the varying numbers of correctors and Beam Position Monitors.
- Although a few of the lattices already had designs for correction systems using horizontal and vertically correcting dipole magnets I felt a more direct comparison could be achieved through the use of quadrupole magnets on movers.
 - This avoids the additional difficulties in designing a dipole corrector system, such as BPM vs. corrector positions etc.
- *All Quadrupoles were assumed to have a BPM attached that moved along with the quadrupole.*
- All quadrupoles in the lattice were used within the global correction system.

Method – Dispersion and Coupling Correction

- To correct the dispersion a response matrix of BPM dispersion vs. skew quadrupole field was created.
- Skew quadrupoles were placed at every sextupole in the lattice.
- Only skew quadrupoles at locations of higher dispersion (generally the arc sextupoles) were used for dispersion correction.

- Coupling correction was achieved through the remaining skew quadrupoles and by minimising the vertical response to the orbit induced by 4 horizontally displaced quadrupoles.
- The kickers were generally placed at opposite ends of the lattice an out of phase.

- In theory the correction of dispersion and coupling should then be *mostly* orthogonal.

Simulation

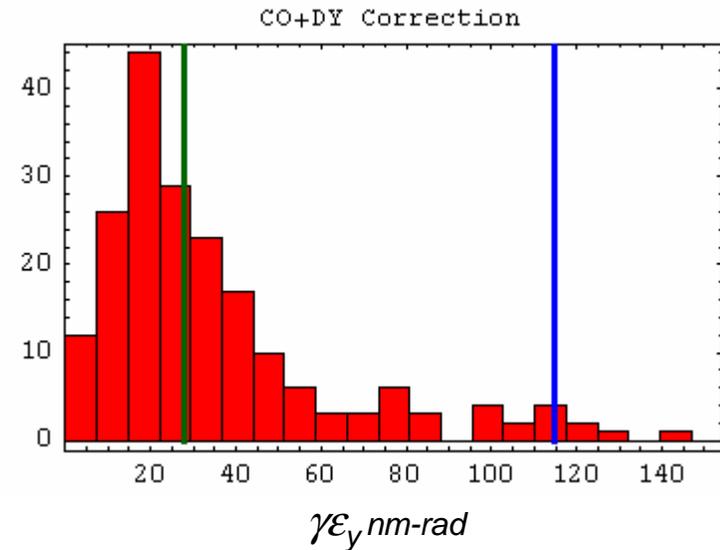
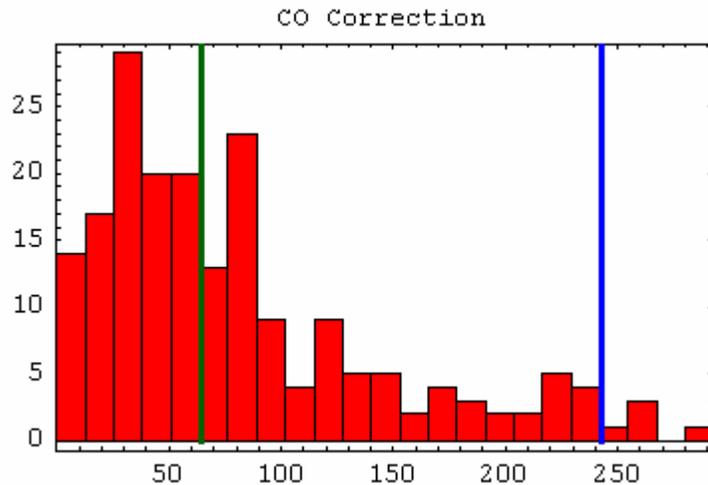
- In all cases the simulation involved applying a set of random errors to the lattice and performing the following steps:
 - **CO Correction:** Apply the CO routine until the vertical emittance no longer decreases. If the starting error set does not produce a real closed orbit, iteratively apply the CO routine with increasing error magnitudes until the desired errors are applied.
 - **Dispersion Correction:** Apply dispersion correction until there is no change seen in the vertical emittance.
 - **Coupling Correction:** Apply coupling correction until there is no longer a decrease in the vertical emittance.
- The applied errors were:

| | $\Delta x (3\sigma)$ | $\Delta y (3\sigma)$ | $\Delta\psi (3\sigma)$ |
|--------------------|----------------------|----------------------|------------------------|
| Quad (+bpm) | 30 μm | 30 μm | 0.3mrad |
| Sext | 30 μm | 30 μm | 0.3mrad |
| Dipole | 30 μm | 30 μm | 0.3mrad |
| BPM (extra) | 100 μm | 100 μm | 20mrad |

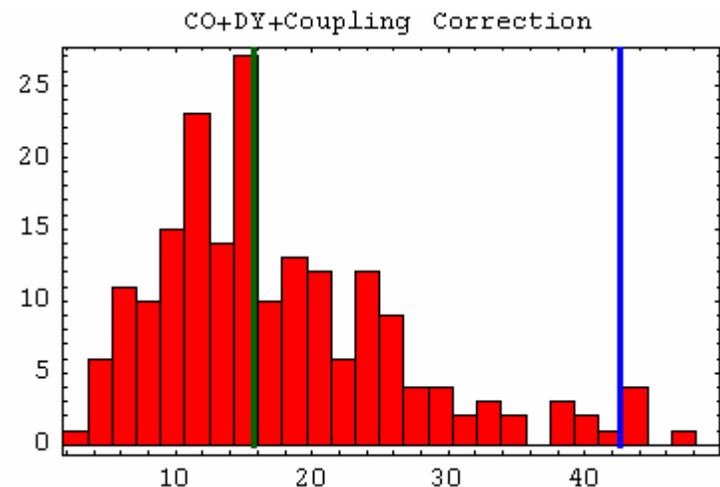
Simulation Components

- Simulations have been performed for only 3 lattices over 200 random seeds:
 - **PPA:**
 - CO: 396 quadrupoles x 396 BPMs. Drop 205 singular values.
 - DY: 98 Skew quads x 396 BPMs. Drop 41 singular values.
 - XY: 14 Skew quads x 396 BPMs using 4 horizontally displaced quads.
 - **BRU:**
 - CO: 858 quadrupoles x 858 BPMs. Drop 410 singular values.
 - DY: 535 Skew quads x 858 BPMs. Drop 279 singular values.
 - XY: 89 Skew quads x 858 BPMs using 4 horizontally displaced quads.
 - **MCH:**
 - CO: 1050 quadrupoles x 1050 BPMs. Drop 205 singular values.
 - DY: 488 Skew quads x 1050 BPMs. Drop 370 singular values.
 - XY: 136 Skew quads x 1050 BPMs using 4 horizontally displaced quads.

Results - PPA

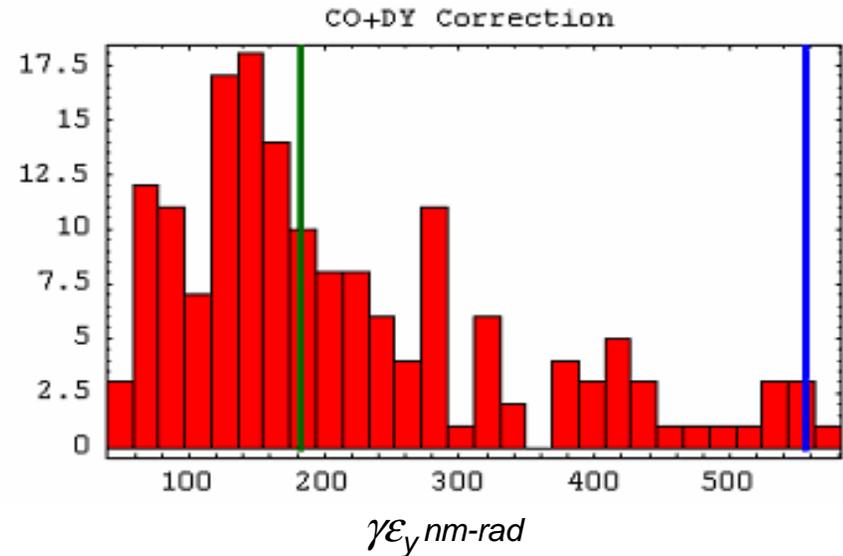
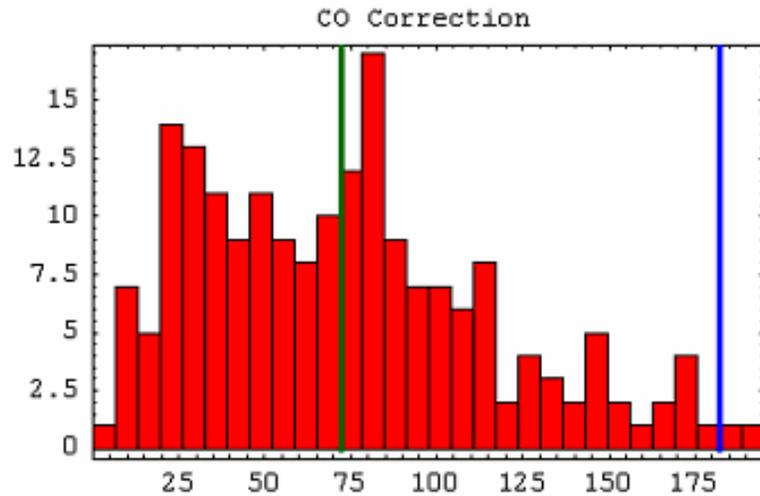


- PPA lattice benefits from all 3 types of correction.
- Median final vertical emittance is ~ 13 nm-rad
- 95% Confidence limit is ~ 42 nm-rad.

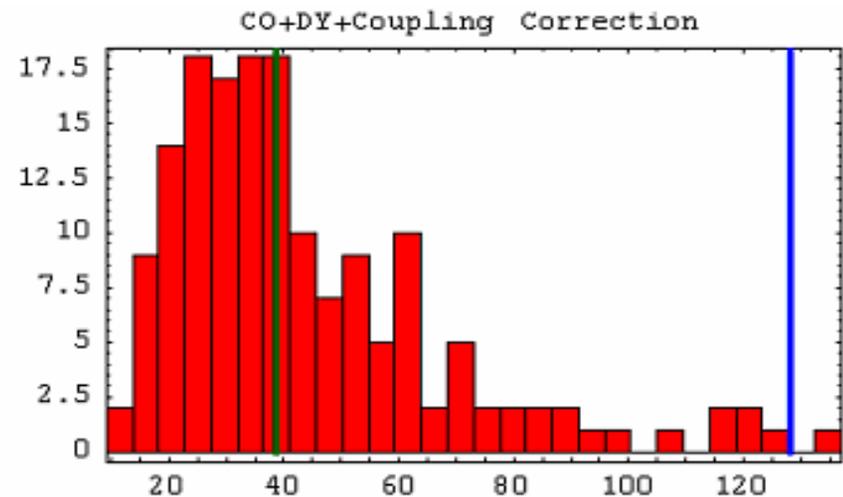


Green = Median; Blue = 95% Confidence

Results - BRU

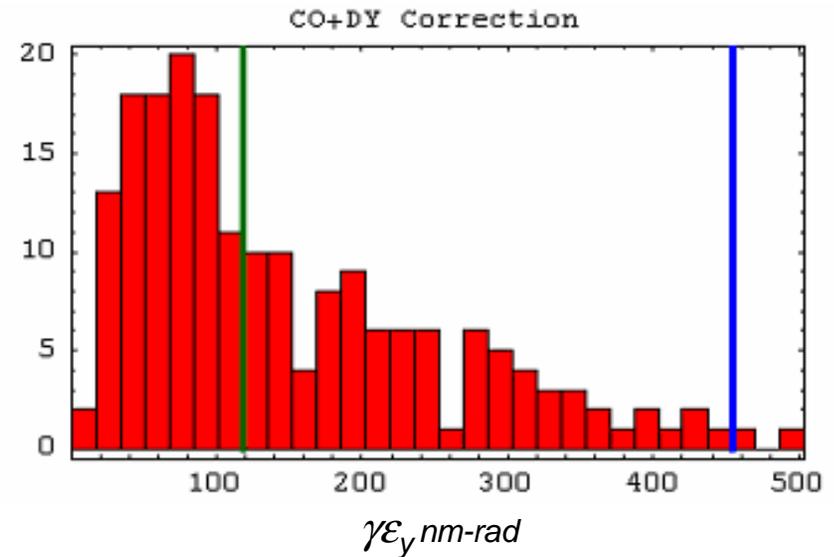
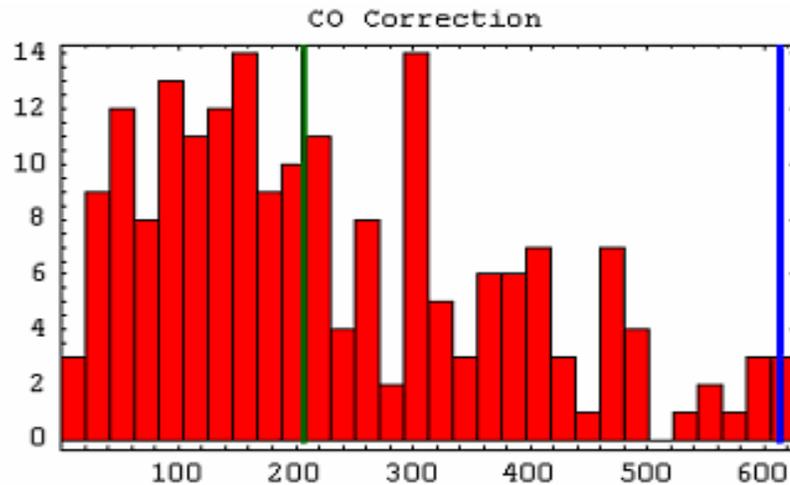


- BRU lattice does not benefit from DY correction!
- Don't yet understand why...DY correction is working but it is blowing up something else in the lattice.
- Emittances are 40nm-rad and 125nm-rad.

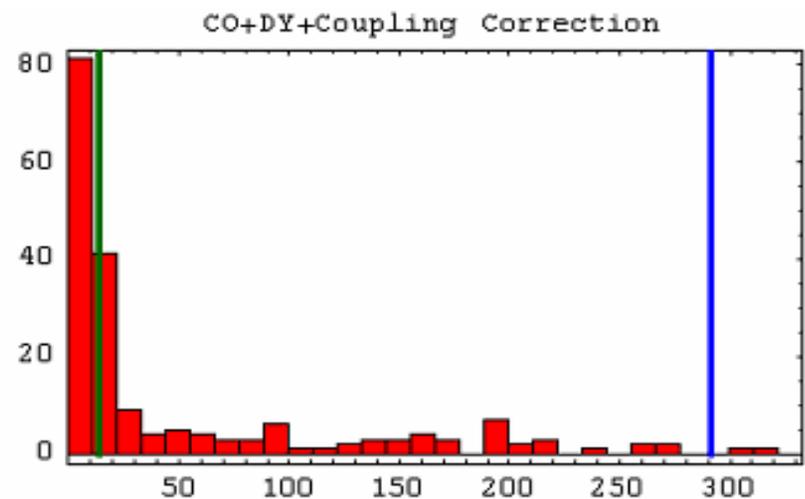


Green = Median; Blue = 95% Confidence

Results - MCH



- All 3 correction routines do work and do provide some benefits.
- Get many outlying points in distribution
- Final Emittances are $\sim 13\text{nm-rad}$ and $>300\text{nm-rad}$!



Green = Median; Blue = 95% Confidence

Conclusions

- Only looking at the previous three lattices would tend to suggest the PPA is the best lattice overall. It is easiest to tune and the results are reasonable.
- Although the MCH lattice gives the lowest median vertical emittance the distribution of results is terrible.
- The BRU lattice seems to fall down in its dispersion correction. This will need to be investigated further.
- These simulations will also need to be extended to cover the other 4 lattices.

Next Steps

- It would be nice to compare more directly the methods used by Kubo-san and Myself –
 - Quadrupole/mover correction versus dipole correctors
 - Joint orbit & dispersion correction using dipole correctors versus orbit then dispersion correctors using ? & skew quadrupoles.
- Extensions to the simulations also need to include:
 - Realistic correlated errors such as girders and ground motion effects
 - Field errors
 - Realistic error field distributions
 - ...