

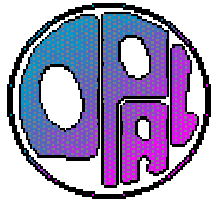
LC Retreat  
UC Santa Cruz  
June 27-29, 2002

# *Jet Reconstruction Experience and Physics Applications at LEP2*

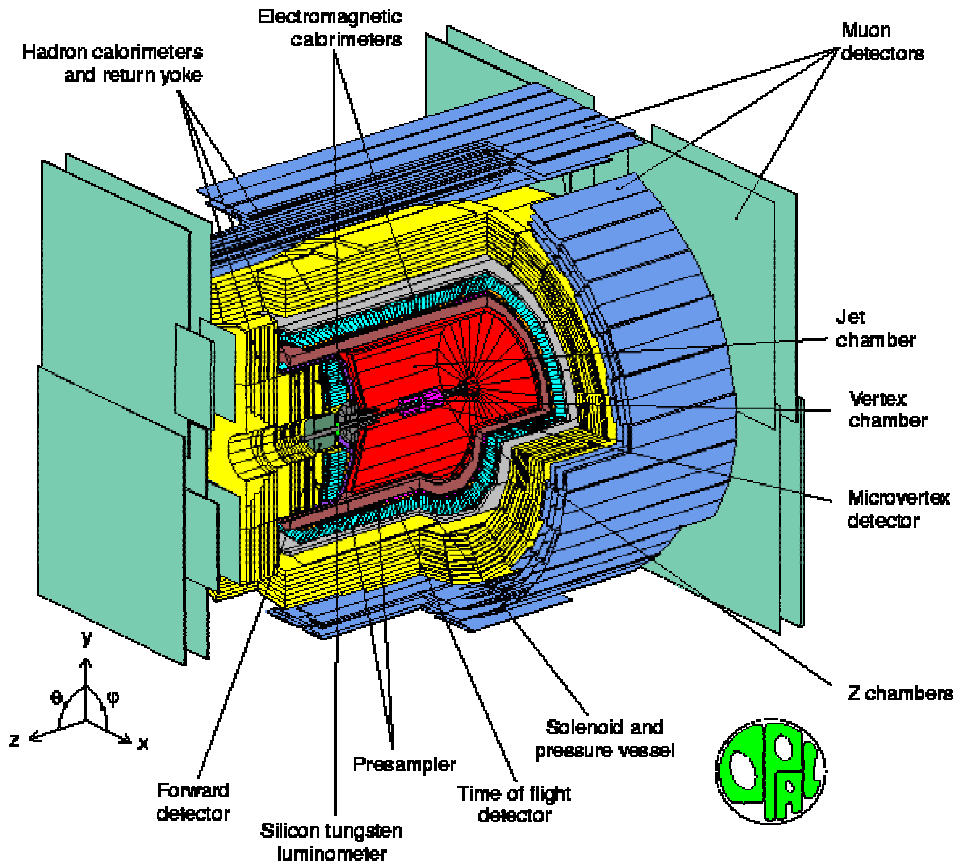
Tom Junk

*University of Illinois at Urbana-Champaign*

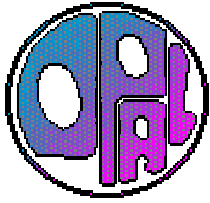
- A Typical LEP detector
- Reconstructing Jet energies
- Error parameterization
- Physics Applications using jets and beam constraints
  - W mass measurements
  - Higgs boson searches



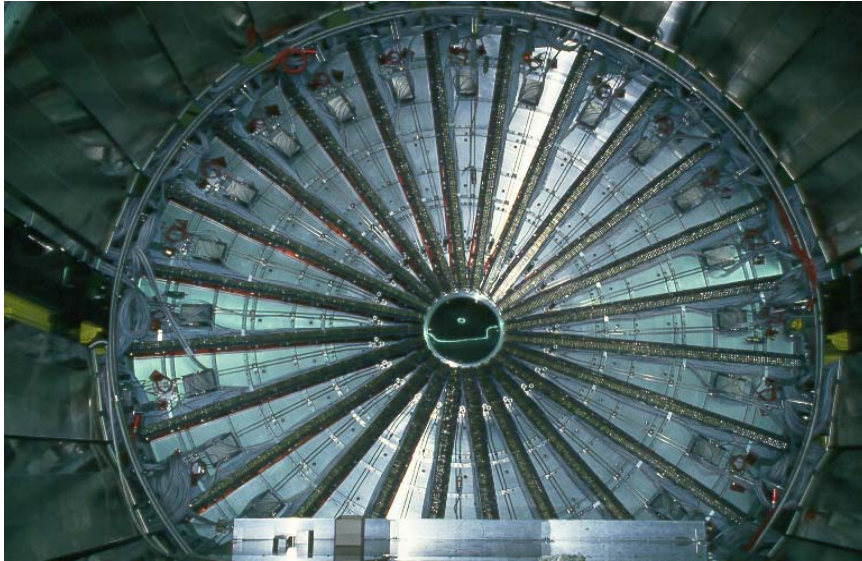
## A “Typical” LEP detector



- Optimized for  $Z^0$  pole physics
- Worked fine at LEP2 energies, but some lessons learned along the way.
- ALEPH, DELPHI, L3 – some better features, others not as good.



## A “Typical” LEP detector



- **Tracking chambers:**
  - 1.85 meter radius jet chamber
  - 159 axial sense wires per jet cell
  - 4 bar of gas – Ar Ethane (good  $dE/dx$ )
  - $B = 0.435$  T
  - poor z resolution (5 cm)
  - improved by outer Z chambers,  
inner stereo+  
silicon+PV constraint;  
endpoint constraint

$$\frac{\Delta P}{P^2} = 1.9 \times 10^{-3} / \text{GeV}$$

$1.6 \times 10^{-3}$  with silicon; better at LEP1

- **Presampler**

- 3 cm thick, two layers of limited streamer mode tubes – axial wires + stereo cathode strips
- Mounted outside the magnet coil (1.5 rad lengths thick) and before EM calorimeter
- Aids in electron ID

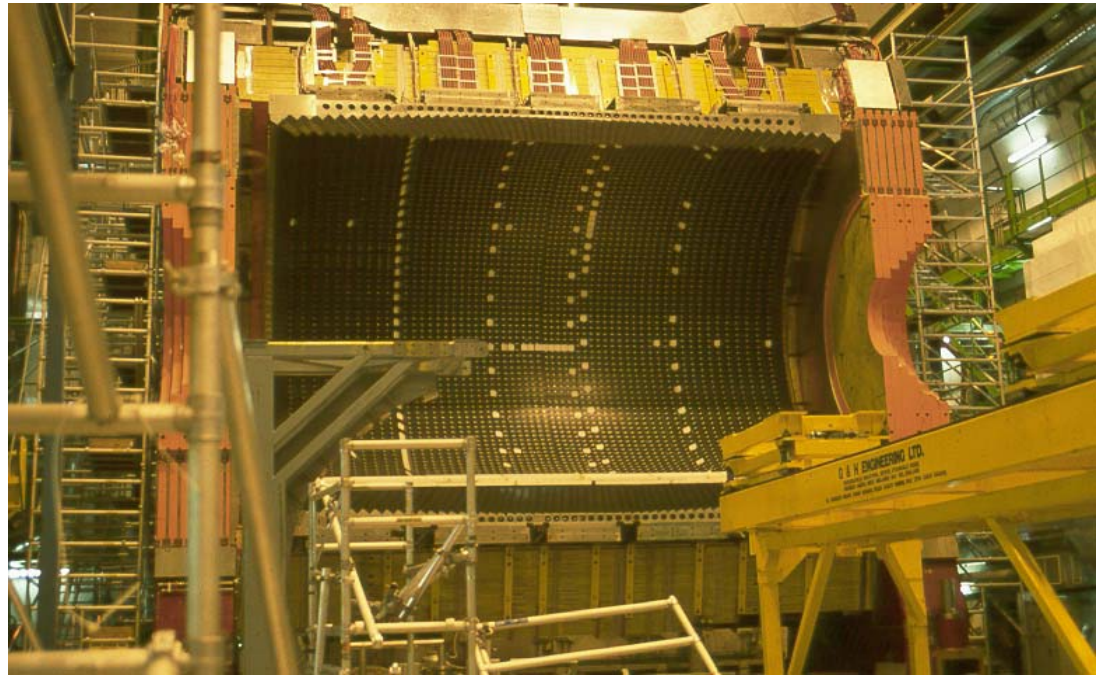
- **Calorimetry**

- EM calorimeter: Barrel: 9440 lead-glass blocks with PMT's outside of coil+presampler.

24.6 radiation lengths at normal incidence

Projective, but not towards the IP  
(reduces effects of cracks).

EM segmentation:  
1 layer thick, blocks  $\sim 2$   
degrees on a side.  
99.97% of solid angle  
covered (with endcap,  
gamma-catcher and  
luminosity monitor)



During installation – showing barrel EM  
and hadron calorimeters.

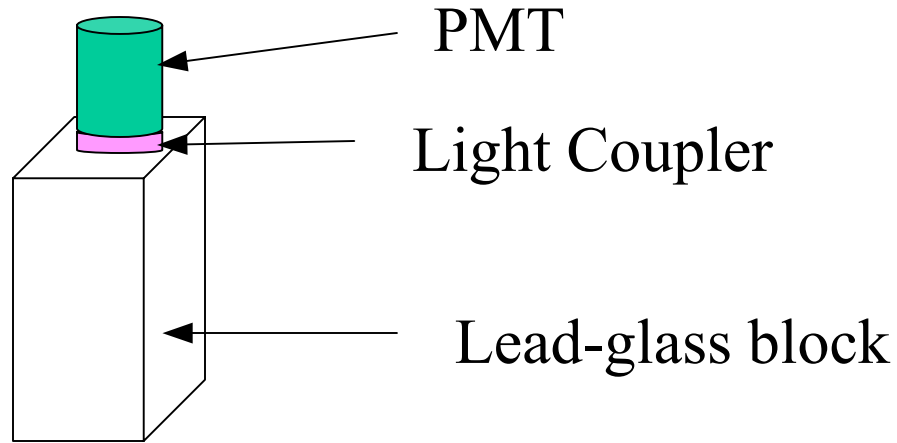
Inner radius of Barrel EM: about 2.5 meters.

Intrinsic resolution:  $0.2\% \oplus 6\% / \sqrt{E[\text{GeV}]}$

With material in front, normal incidence:  $15\% / \sqrt{E[\text{GeV}]}$

worse at higher  $\cos\theta$  (more material)  
and in the barrel/endcap overlap

# EM calorimetry and increasing $E_{CM}$



Higher-energetic EM showers at LEP2 are longer. Some **spilled into the plastic light coupler**, scintillating (normal light is Cherenkov light from the lead glass).

→ nonlinearity for high-energy showers

# Hadron Calorimetry

- 80 cm of iron (4.8 interaction lengths)  
with 9 layers of streamer  
tubes. Pad and strip readout.
- 2.2 interaction lengths of material in front  
-- use both EM and HCAL for measuring  
hadrons.

$$\Delta E/E \approx 120\% / \sqrt{E[\text{GeV}]}$$

For individual hadrons  
(approx. intrinsic resolution from beam  
tests, and also achieved with the help  
of the EM calorimeter in use).

# A bit of Experience with Stray Material

- Make sure all material is in the MC – electronics, cables, cooling, pipes, supports, misc. Nobody ever really gets this fully right (except maybe KTeV)
- $e^+e^- \rightarrow \gamma\gamma$  energy dip near readout cards.
- 1996: OPAL had an event with large missing  $P_T$ . There was an energetic photon visible in the ECAL but nowhere near enough to balance  $P_T$ . It had lost energy in a steel support wheel for the jet chamber.

The good news: it was in the MC simulation. The bad news: no background events in the relevant MC had a photon hitting the wheel.

Effect characterized with LEP1 Bhabhas – very clear what was going on. -- **Need lots of calibration data at the  $Z^0$ !**



# *Jet Reconstruction*

- Would like to use tracking chamber for measuring charged-particle energy and calorimetry for neutrals.

Exception: electrons – often clustered with their FSR and bremsstrahlung photons

- Can naively use tracks + unassociated clusters, but problems with overlapping showers.

EM showers: narrow. Fine segmentation should help quite a lot; improves  $\pi^0$  reconstruction too. Hadron showers: much broader

Can try to separate particles more with a high B field – showers at different angles then.

## *OPAL's Approach: Matching Algorithm*

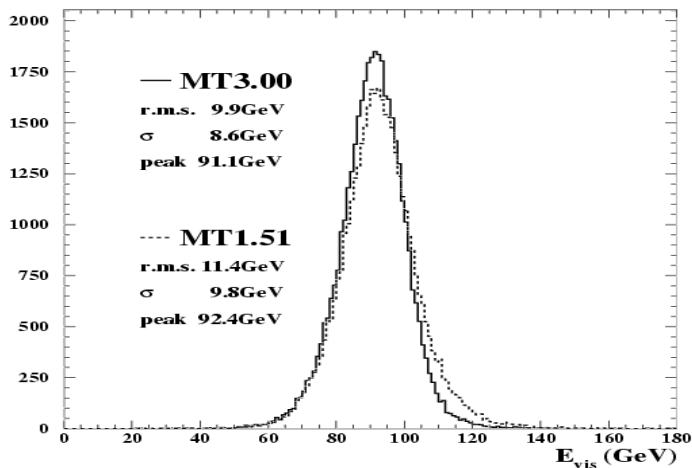
- Similar to ALEPH, DELPHI, L3: -- in papers the result is referred to as “energy-flow objects”
- The steps:
  - Associate tracks and clusters
  - Identify electrons (also from photon conversions) and muons.
    - muons: subtract MIP energy from associated ECAL and HCAL clusters
    - electrons: subtract track energy from assoc. ECAL cluster
  - Apply energy compensation to remaining clusters ( $\cos\theta$  and energy dependent) – tuneable!
  - Subtract track energy from HCAL clusters. (Don't go negative). If that's not enough,
  - Subtract remainder from associated ECAL cluster.

# Performance

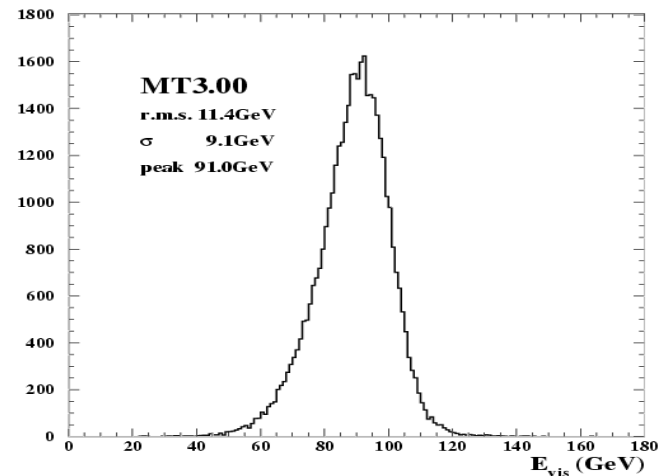
Measured at the  $Z^0$ : Jets in HZ at LEP2 are similar to Z jets at LEP1.

Total energy resolution: 8.7 GeV out of 91.2 GeV – 9.5% for the event. ( $\sim 14\%$  per jet)

Without HCAL: (re-optimized cluster compensation):  
10.6% resolution, but low  $E_{\text{vis}}$  tail.



With HCAL



Without HCAL

# *Jet Resolutions*

- Angular resolution for a jet in  $\phi=22$  mrad ( $1.3^\circ$ )
  - estimated from acoplanarity angle distribution at the  $Z^0$  in two-jet events
- Angular resolution for a jet in  $\theta$  is 34 mrad ( $2^\circ$ )

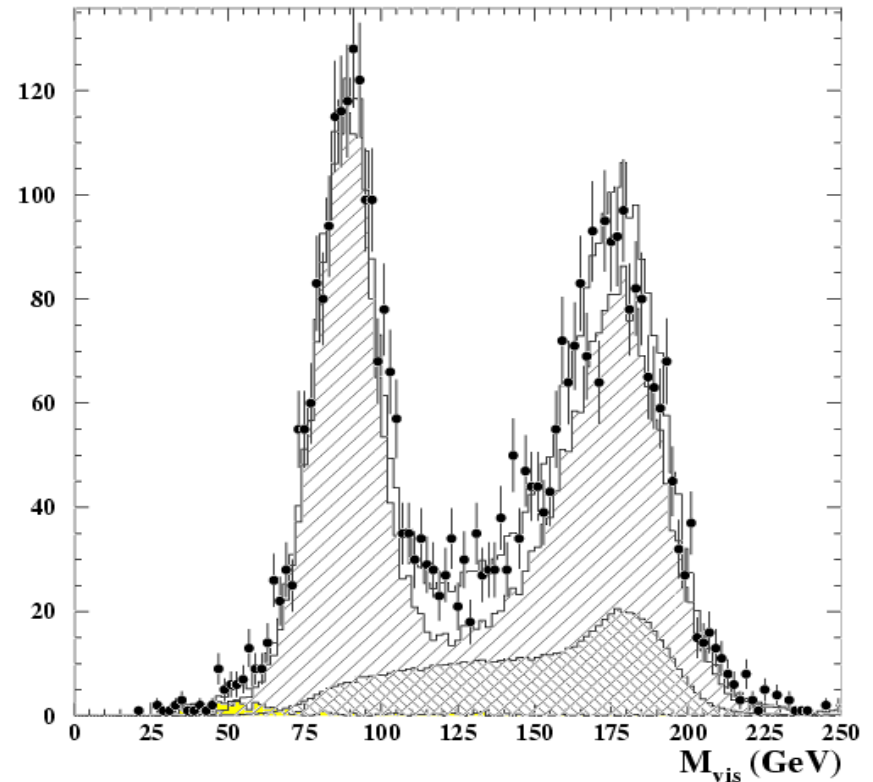
Angular resolutions are more important for mass fits than energy resolutions after beam constraints are applied (assuming no ISR).

# *Hadronic Events at LEP2*

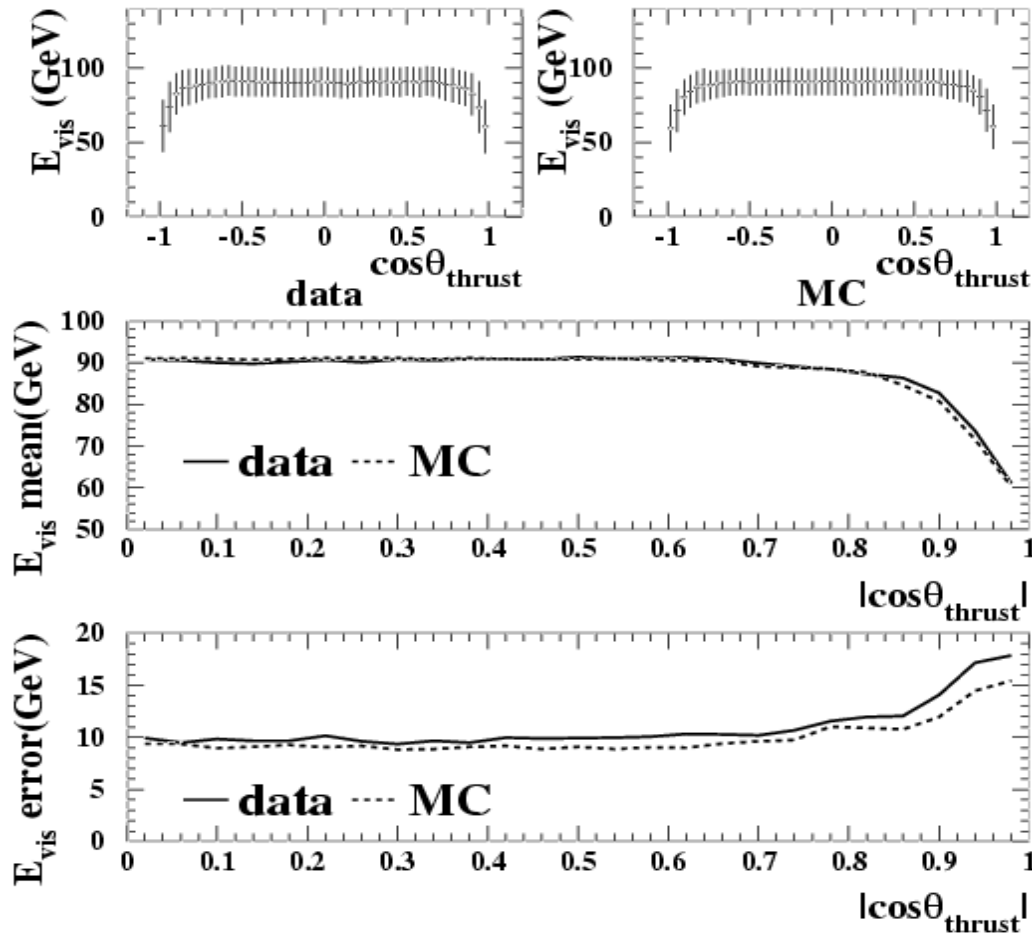
A large fraction are “radiative return” events to the  $Z^0$ .  
ISR photons mainly go down the beam pipe but some are detected.

Other events:  $WW$ , full-energy  $q\bar{q}$ , two-photon processes,  $ZZ$

$M_{\text{vis}}$  distribution for  $\text{ECM}=183 \text{ GeV}$   
with  $q\bar{q}$ ,  $WW$  and two-photon  
portions indicated.



# Jet Error Parameterization



Choose variables so errors are minimally correlated)

The usual:  $p$ ,  $\cot\theta$ , and  $\phi$   
But: variations.

$p$ ,  $1/p$  or  $\log(p)$

$\theta$  instead of  $\cot\theta$  Errors depend on  $\theta$ : (example: energy)

Jet energies are corrected vs.  $\cos\theta$  before kinematic fitting for more generality. (not all analyses want the same corrections. e.g., tau, bhabha, photons).

# *Kinematic Fits in Hadronic Events*

- Depends on what kind of analysis you're doing!
- Taking advantage of the clean  $e^+e^-$  environment:

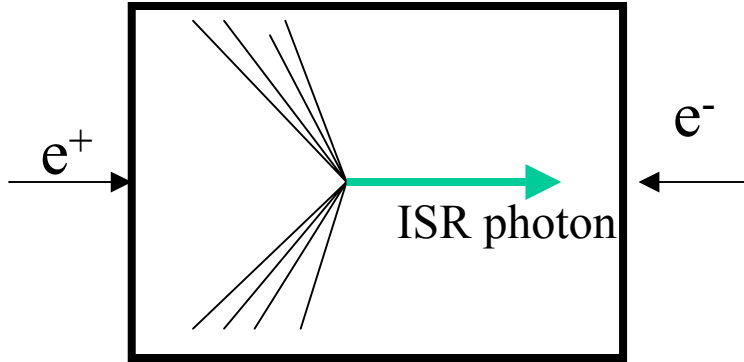
**“4C” fits – constrain  $E = 2E_{\text{beam}}$   $p_x=0$ ,  $p_y=0$ ,  $p_z=0$**

and use the jet errors to readjust the jet 4-vectors. Jets can have measured masses or can be constrained to be massless.

(ALEPH: use the measured jet  $\beta$ )

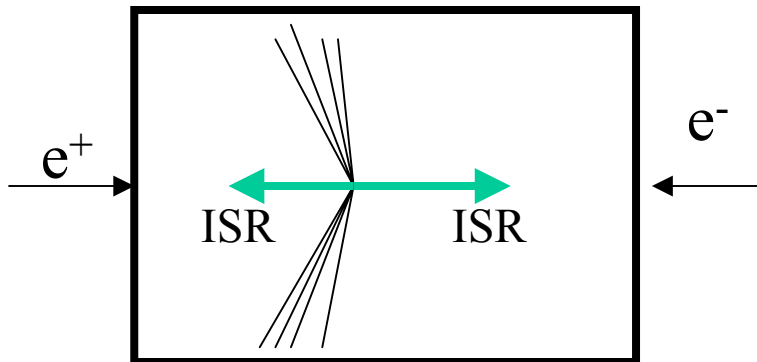
- In 4-jet events,  $m_{12}+m_{34}$  measured  $\sim 4x$  better than  $m_{12}-m_{34}$  due to total energy constraint (configuration-dependent!)
- Then again, you may not want the constraints.
  - Initial State Radiation

# *Kinematic Fits and ISR*



Radiative Return to the  $Z^0$

Very common at LEP2.  
Can be found with kin.  
fit + beam constraint if the  
photon is not detected.



Double ISR.

Less common (for energetic  
photons)

Can fake Emis signatures (event  
may pass  $p_z$  cuts).

Can bias  $m_{\text{rec}}$  distibs upwards.



# *More Kinds of Kinematic Fits*

- “5C” fits: Beam energy and momentum plus another constraint.
  - **4-jet  $e^+e^- \rightarrow W^+W^-$  candidates:** constrain  $m_{12}=m_{34}$ 
    - dijet pair mass equality.
    - Three combinations
    - Can use fit  $\chi^2$  to help pick the right combination (other variables help too).
    - Not correct because  $W$ 's can be off shell, but this procedure gives the best resolution for a distribution.
    - Can also use for  $Z^0Z^0$  events, or can constrain one dijet to  $m_Z$ .
  - **4-Jet  $e^+e^- \rightarrow H^0Z^0$  candidates:** Constrain two jets to  $m_Z$ , and fit for  $m_H$  using E and p conservation, pick pairing with help of fit  $\chi^2$ 
    - Resolution: approx. 3 GeV
- **Jet angles are more constraining than energies.**

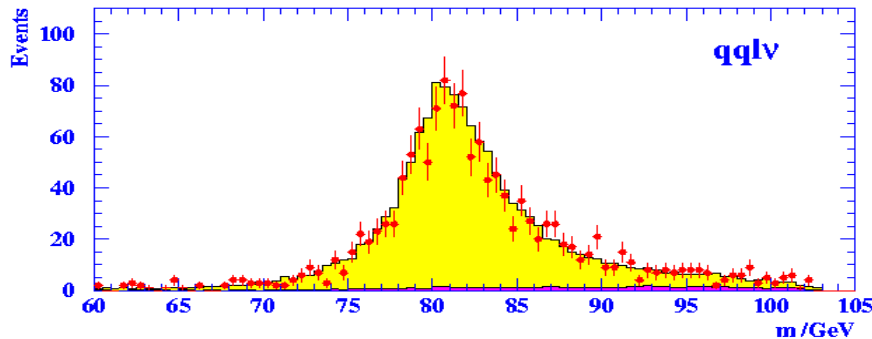
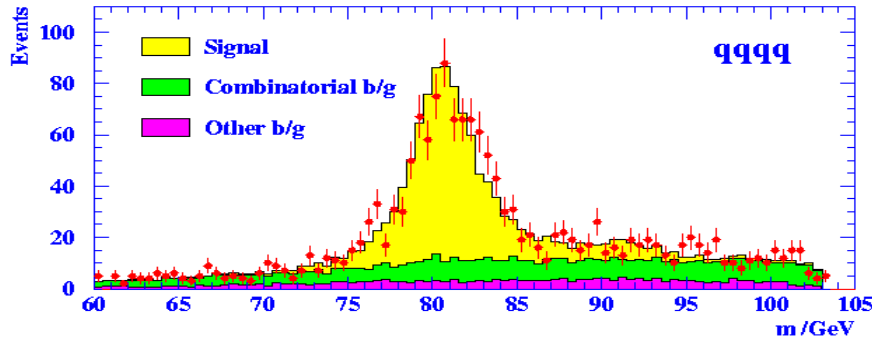
## *More Kinds of Kinematic Fits*

- $W^+W^- \rightarrow qq\ell\nu$ : Missing  $p_x, p_y, p_z$  of the neutrino. “Two” constraints left of the five. **Most information from the jet angles -- less from the lepton energy.**
- $W^+W^- \rightarrow qq\tau\nu$ : Poor tau momentum measurement. “1.5” constraint fit
- Can constrain both dijets to  $m_W$ : “6C” fit.
  - no  $m_{\text{rec}}$  left, just  $\chi^2$ . (often that’s better).
- Higgs search: Can constrain events to both  $m_Z$  for two jets and  $m_H$  for the other two. Pairing and fit quality depend on the  $m_H$  you are looking for.

Advantages: takes optimal account of jet error matrix.

# *W and Z mass reconstruction at ECM=206 GeV*

OPAL Preliminary 206 GeV

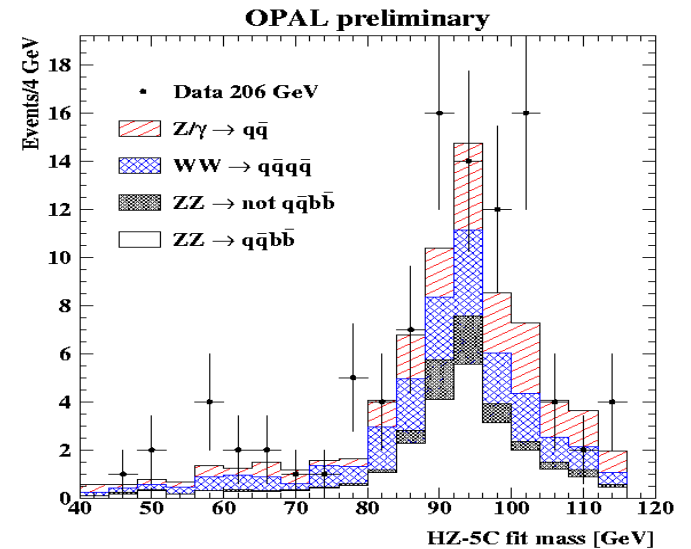


“5C”: equal mass constraint.

ISR gives high tail on  $m_{\text{rec}}$

“5C”: constrain one dijet to  $m_Z$ , fit for the other.

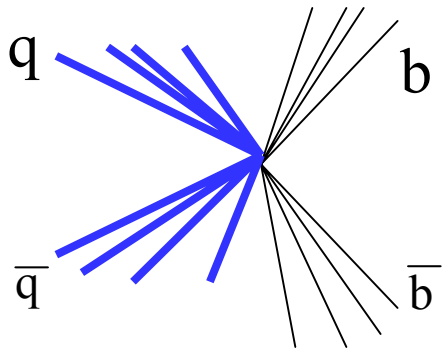
B jets often have energetic neutrinos



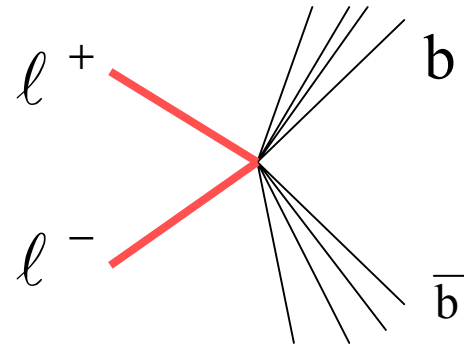
# *Extracting $M_W$*

- “Breit-Wigner” fit -- fit the  $m_{\text{rec}}$  distrib. to a B-W. Biased by ISR + other things.
- “Reweighting Fit” -- Run MC at different  $M_W$  and find which sample fits the data the best. Interpolate by reweighting.
- “Convolution Fit” Construct a likelihood curve for each event as a function of  $m_W$ .
- Other techniques:
  - Treat 5-jet events separately
    - More combinatorics in this subsample
    - Bigger errors for these events
  - Treat events with large uncertainty in  $m_{\text{rec}}$  separately.

# Higgsstrahlung Signatures

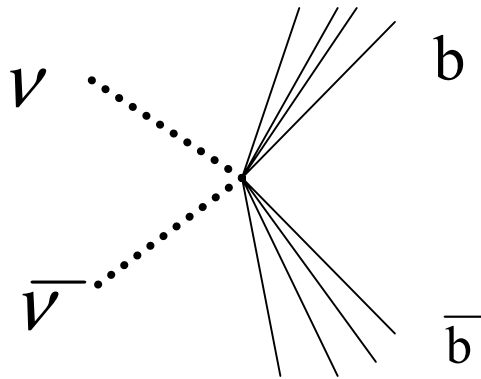


$$e^+e^- \rightarrow Z^0 H^0 \rightarrow q\bar{q}b\bar{b}$$

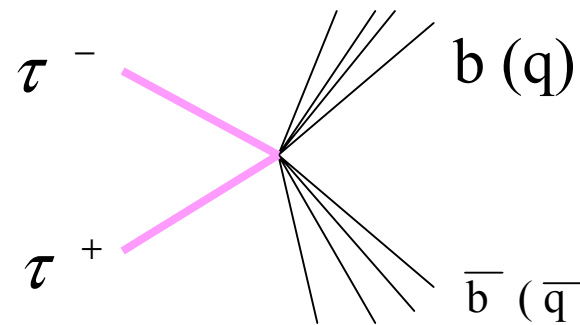


$$e^+e^- \rightarrow Z^0 H^0 \rightarrow \mu^+ \mu^- b\bar{b}$$

$$e^+e^- \rightarrow Z^0 H^0 \rightarrow e^+ e^- b\bar{b}$$



$$e^+e^- \rightarrow Z^0 H^0 \rightarrow \nu\bar{\nu}b\bar{b}$$

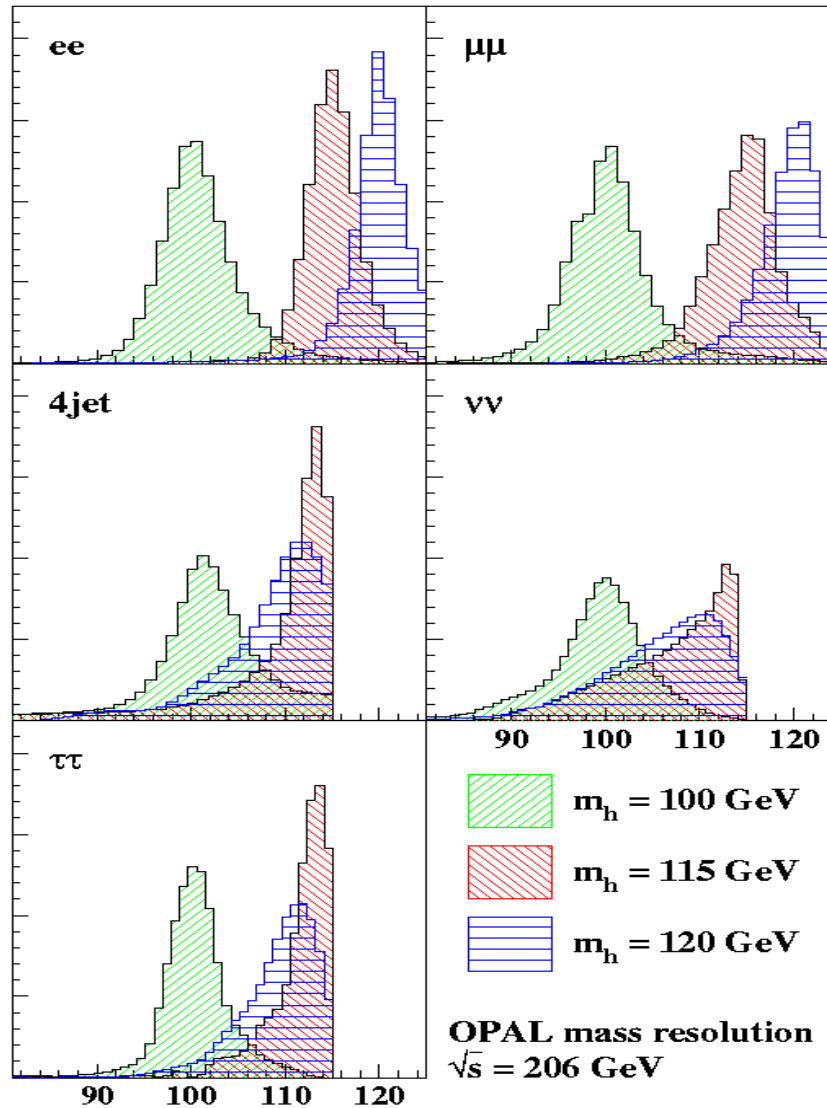


$$e^+e^- \rightarrow Z^0 H^0 \rightarrow \tau^+ \tau^- b\bar{b}$$

$$e^+e^- \rightarrow Z^0 H^0 \rightarrow q\bar{q}\tau^+\tau^-$$

# Resolutions of Reconstructed Higgs Mass

Depends on channel and  $\sqrt{s} - m_Z - m_H$

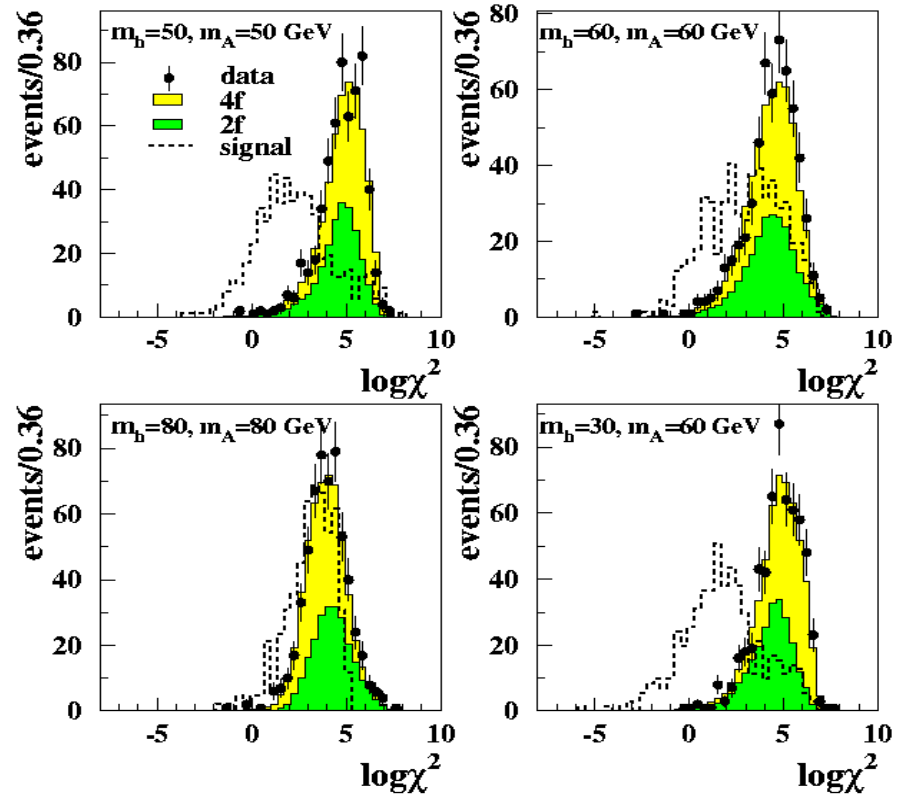


From  
A. Quadt

# Complicated: $e^+e^- \rightarrow h^0 A^0$

- Six pairings possible in 4-jet events, all equally good.
- Two reconstructed masses
- The strategy: Do a 4C fit (E, P) and get two  $m_{\text{rec}}$ 's plus errors for each combination.
- For each test  $m_h, m_A$  pair, re-constrain to a “6C” fit using the recon. masses and errors.
- Use the smallest of six  $\chi^2$ 's to pick the pairing.
- Can compare with WW (ZZ) 6C  $\chi^2$

OPAL



# Summary

- Matching tracks and clusters is necessary.
- Fine segmentation helps, but unclear how much it can pay off with HCAL -- benefit of HCAL is not much on OPAL to begin with.
- Beam constraints are very powerful.
  - Jet angles are most constraining -- energy measurements less so. Of course a better energy msmt may switch the roles.
  - ISR can bias measurements when using a beam constraint. ISR is a bigger effect with increasing ECM. Be sure to cover polar angles close to the beam. Sitting on a resonance helps!
  - Jet assignment makes a big difference.
- Take lots of calibration data. Test beams don't tell you everything.
- Analyzers will be clever.