

## TWO SOLUTIONS FOR DAMPING RING EXTRACTION KICKER FOR ELISA\*

ALLEN ODIAN

*Stanford Linear Accelerator Center,  
Stanford University, Stanford, CA 94305*

### General Specifications

1.  $\theta_{\text{KICK}} = 2 \times 10^{-3}$  radians
2.  $P_{\text{MAX}} = 2.2$  GeV/c
3. Aperture Width:  $w = 100$  mm = 0.1 m  
Aperture Gap:  $g = 30$  mm = 0.03 m
4.  $T_{\text{Pulse Spacing}} = 27$  ns

*Formulas:*

$l$  = Magnet Length (meters)

$B$  = Magnetic Field (tesla)

$\rho$  = Radius of Curvature (meters)

$$\theta_{\text{KICK}} = \frac{l}{\rho}, \quad P = 0.3 B\rho$$

Therefore,

$$\theta = \frac{0.3 Bl}{P} \quad \text{or} \quad Bl = \frac{P\theta}{0.3}$$

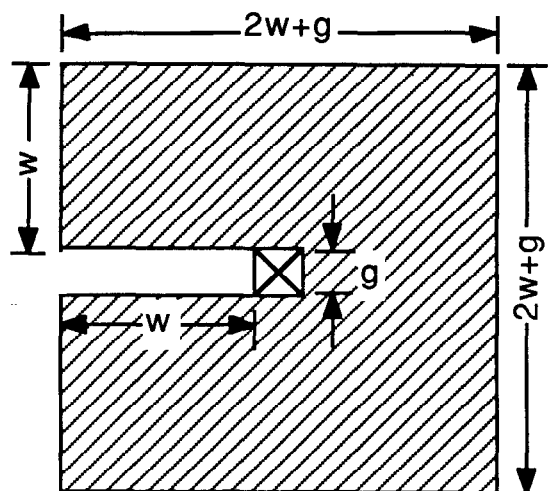
Substituting the required  $P$  and  $\theta$  gives

$$Bl = 1.47 \times 10^{-2} \text{ Tesla Meters}$$

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## Ferrite Magnet (Fianders Solution)



Define  $n$ :

$$n \equiv \frac{\text{Path Length in Ferrite}}{g}$$

$$\mu_f = \mu_{\text{Ferrite}} / \mu_0 \text{ (Relative } \mu \text{)}$$

$$L = \text{Inductance (Henries)}$$

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Figure 1

Formulas:

$$B = \frac{\mu_0 I}{g \left(1 + \frac{n}{\mu_f}\right)}, \quad Bl = \frac{\mu_0 Il}{g \left(1 + \frac{n}{\mu}\right)}$$

$$L = \frac{w}{g} \frac{\mu_0 l}{\left(1 + \frac{n}{\mu}\right)}$$

For the geometry shown above

$$n \approx \frac{g + 2\pi \left(\frac{w+g}{2}\right)}{g} = 1 + \pi + \pi \frac{w}{g}$$

$$n \approx 14 \text{ for } w = 100 \text{ mm}, \quad g = 30 \text{ mm}$$

Putting the required  $Bl = 1.47 \times 10^{-2} \text{ T m}$  into the formula for  $Bl$  gets  $Il$

$$Il = \frac{gBl \left(1 + \frac{n}{\mu}\right)}{\mu_0}$$

Picking  $\mu \approx 70$  for K6A (TDK)

$$Il = 4.2 \times 10^2 \text{ ampere meters}$$

The choice of  $I$  and  $l$  comes from the time structure of the beam. If  $T_{\text{Total}}$  is the separation of the bunches,

$$T_{\text{Total}} \geq T_{\text{Transit}} + \mathfrak{S}_{\text{Rise}} + \mathfrak{S}_{\text{Fall}} \simeq T_{\text{Transit}} + 2\mathfrak{S}_{\text{Rise}} = T_{\text{Max}}$$

$$T_{\text{Transit}} = \frac{L(l)}{Z}$$

$$\mathfrak{S}_{\text{Rise}} = K_1 I + K_2$$

The optimum solution is when

$$T_{\text{Transit}} = \frac{T_{\text{Max}}}{2} = 2\mathfrak{S}_{\text{Rise}} .$$

This will determine  $l$  and  $I$ .

As the  $Il$  of a magnet will be less than the required  $Il = 4.2 \times 10^2 \text{ A m}$ , *several magnets in the series will be needed, each driven with its own pulser.*

Now  $T_{\text{Transit}} = \frac{L(l)}{Z}$ , so that large  $Z$  allows a large  $l$  for the same transit time. The magnet is connected to the pulser by coaxial cables so that the highest convenient  $Z$  for the magnet is  $50 \Omega$ .

Fixing  $T_{\text{Max}} = 25 \text{ ns}$  leads to

$$T_{\text{Transit}} = \frac{T_{\text{Max}}}{2} = 12.5 \text{ ns} = \frac{L}{50}$$

$$L = 625 \text{ n Henries} = \frac{w}{g} \frac{\mu_0 l}{\left(1 + \frac{n}{7}\right)}$$

$$l_{\text{max}} = 0.18 \text{ meters for a magnet}$$

Best thyratrons (EEV) have  $T_{\text{Rise}}$  10–90% of 200 Amps/ns.

To convert this into a  $\mathfrak{S}_{\text{Rise}}$

$$\mathfrak{S}_{\text{Rise}} \simeq \left( \frac{1.8I}{200} + 2 \right) \text{ ns}$$

$$2\mathfrak{S}_{\text{Rise}} = 12.5 \text{ ns}$$

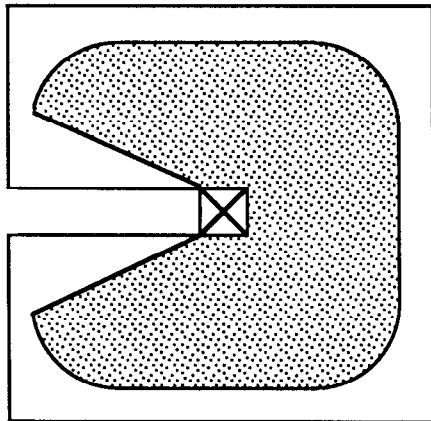
$$\mathfrak{S}_{\text{Rise}} - 2 = 4.25 \text{ ns} = 9 \times 10^{-3} I$$

$I = 470 \text{ amps}$

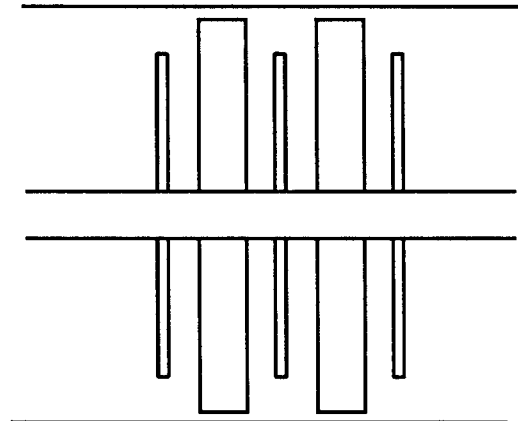
The number of magnets required is

$$\frac{4.2 \times 10^2}{470 \times 0.18} = \boxed{5 \text{ magnets}}$$

For each magnet to have an impedance of  $50 \Omega$ , there must be a capacity such that  $\sqrt{\frac{L}{C}} = 50$  or  $C = \frac{L}{2500}$ . As  $L = 625 \text{ nH}$ ,  $C = 250 \text{ pf}$ . The natural capacity (Ferrite only) is (assuming  $\epsilon_{\text{Ferrite}} = 10$ )  $\simeq 80 \text{ pf}$ . Therefore about  $170 \text{ pf}$  must be added. If this is added using a liquid dielectric between the outer ground and a set of spaced radial fins, a low inductance no corona magnet can be constructed. Ethelene glycol or water can be used.



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Figure 2

The voltage on the magnet is  $V = 470 \times 50 = 23,500 \text{ V}$  requiring a pulser with 47 KV on it. Alternatively, a Blumlein pulser can be used with 23,500 V. The rise time may be slower as more current is required, so perhaps two thyratrons in parallel are required.

### No Ferrite Solution

For a traveling wave, an "H" magnet design is better.

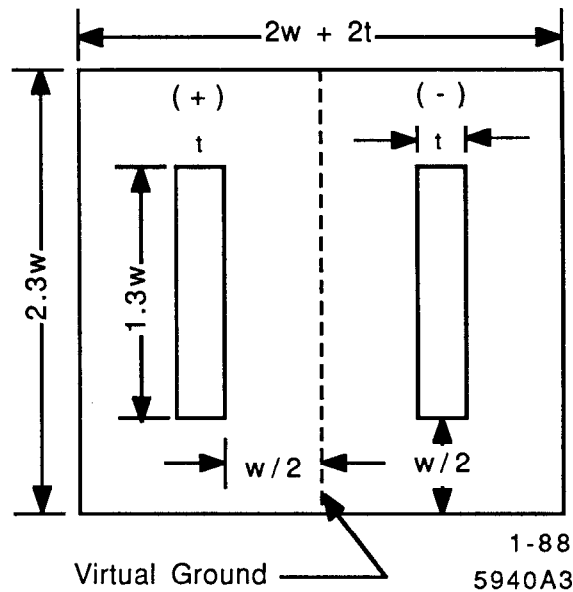


Figure 3

$1 + \frac{n}{\mu}$  for this design is about 15, instead of 1.2 in the ferrite case. Thus  $Il$  must be  $\frac{15}{1.2}$  times as large or 12.5 times the 420 amp meters needed previously. We need 5250 amp meters of magnet. The magnet must be driven symmetrically with a positive and negative pulse (from a transformer). As the transit time does not count,  $\mathfrak{S}_{\text{Rise}} = 12.5 \text{ ns}$ . This permits currents of  $\approx \pm 900 \text{ amp}$  and hence a length of about 6 m for the magnet. The voltage is about  $\pm 45 \text{ KV}$  on  $50 \Omega$ . Depending on the turns ratio, the primary must be driven with rather high currents requiring the pulser to have many thyratrons in parallel.

To achieve high pulse to pulse stability, a second kicker whose kick angle is  $\frac{\theta_2}{\theta_1} = \sqrt{\frac{\beta_1}{\beta_2}}$  is placed downstream at a betatron phase advance of  $\pi$  or  $2\pi$  radians. This second kicker cancels variations in the first kicker.