



Photon timing studies with the BABAR DIRC

J. Schwiening, Group B R&D Meeting, SLAC, Sep 11, 2003

Photon time resolution in DIRC limited by DIRC PMT intrinsic (TTS) resolution → average resolution ~ 1.7 nsec

Can we see chromatic effects in DIRC in spite of that poor resolution?

Yes (probably) because we reconstruct photons with very long path lengths (10-15m and more)

Can we learn something relevant to the R&D setup?

Well... I'm going to present a brief overview, form your own opinions...



Dispersion Effects in the BABAR DIRC

Recipe:

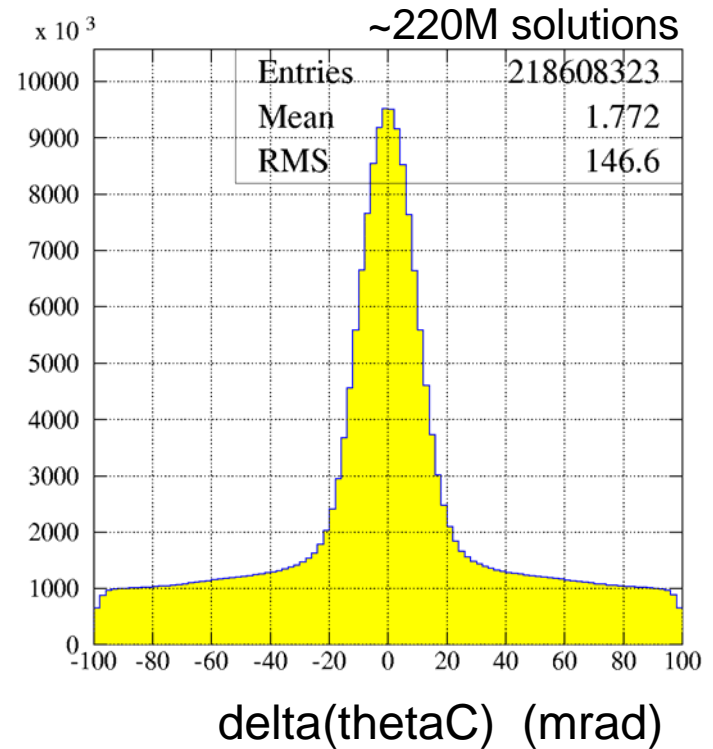
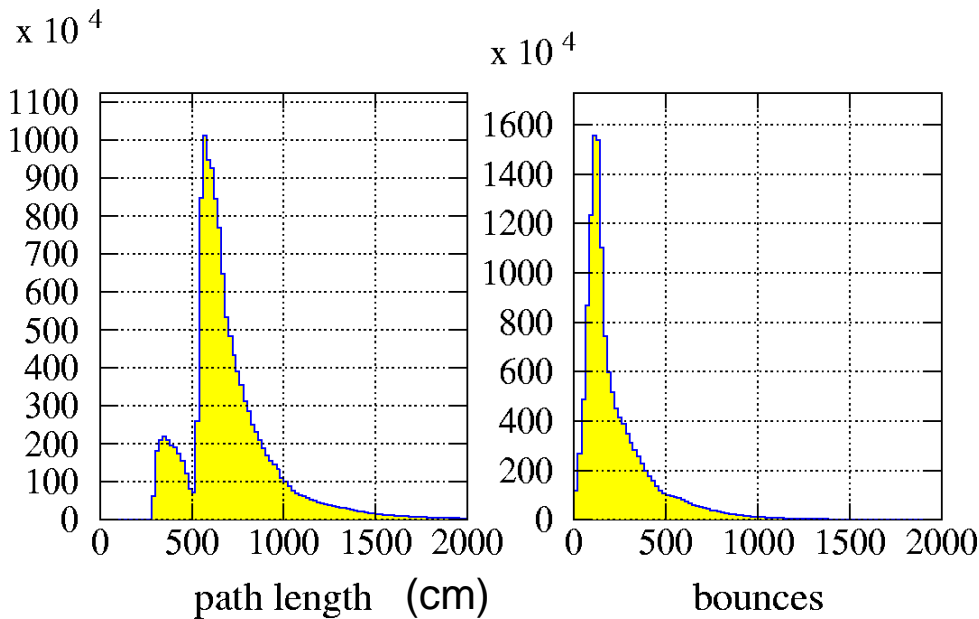
- Used di-muon events (~ 3.5 million tracks) from 2001, select clean events that are well-contained in DIRC.
- Hits in DIRC are associated with a given track, up to 16 ambiguous “solutions” per hit
- Most ambiguities are eliminated by physical constraints and DIRC timing ($\sigma=1.7\text{ns}$), typically 2-3 solutions per hit remain
- Calculate pathlength of solution in radiator bar, number of bounces, etc
- Plot $\Delta(\theta_C)$ difference between θ_C of photon and expected θ_C of muon track.
- Bin $\Delta(\theta_C)$ in pathlength, fit with Gaussian plus background function extract mean and sigma of Gaussian

Dispersion Effects in the BABAR DIRC

delta(thetaC) spectrum of all accepted tracks

resolution ~10mrad

(background under peak due to ambiguities, accelerator, delta electrons, ...)



Pathlength and Number of Bounces spectra for 3.5M muon tracks

(required that $|\text{delta}(\text{thetaC})| < 30\text{mrad}$)

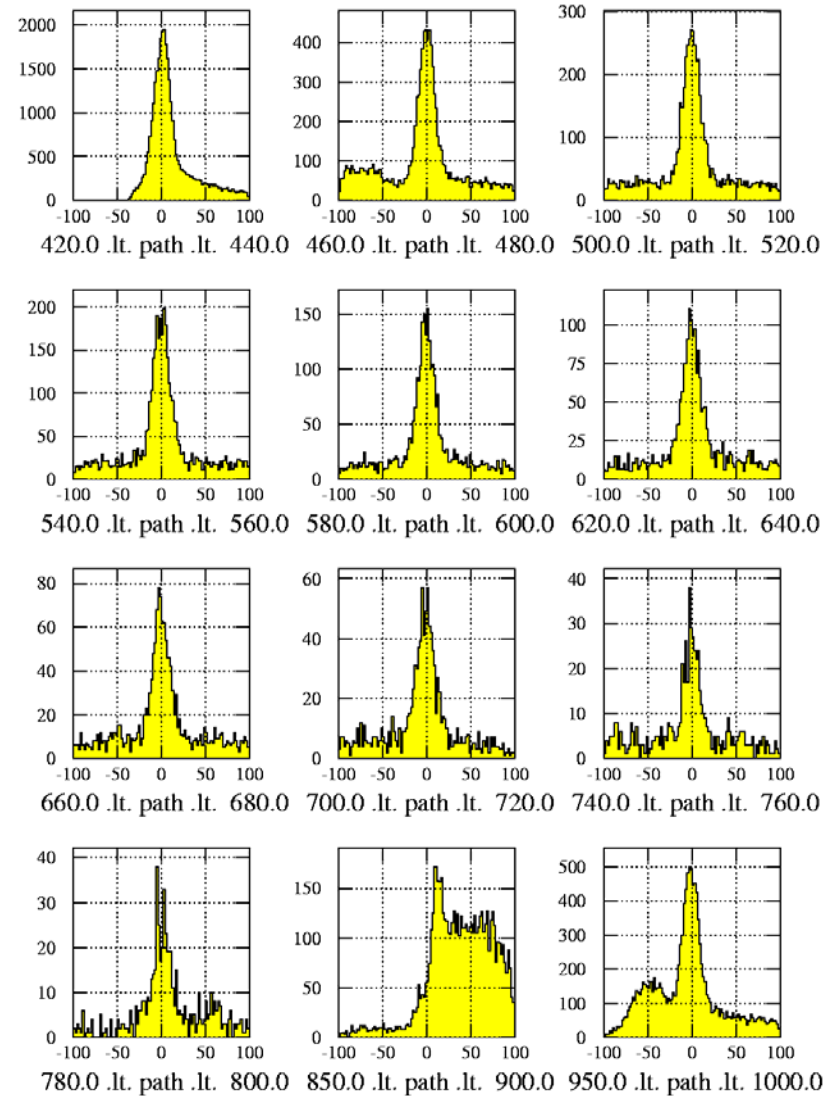
Dispersion Effects in the BABAR DIRC

example $\Delta(\theta_C)$ spectra in path bins

shape varies a lot (ambiguities!)

After careful fits, plot

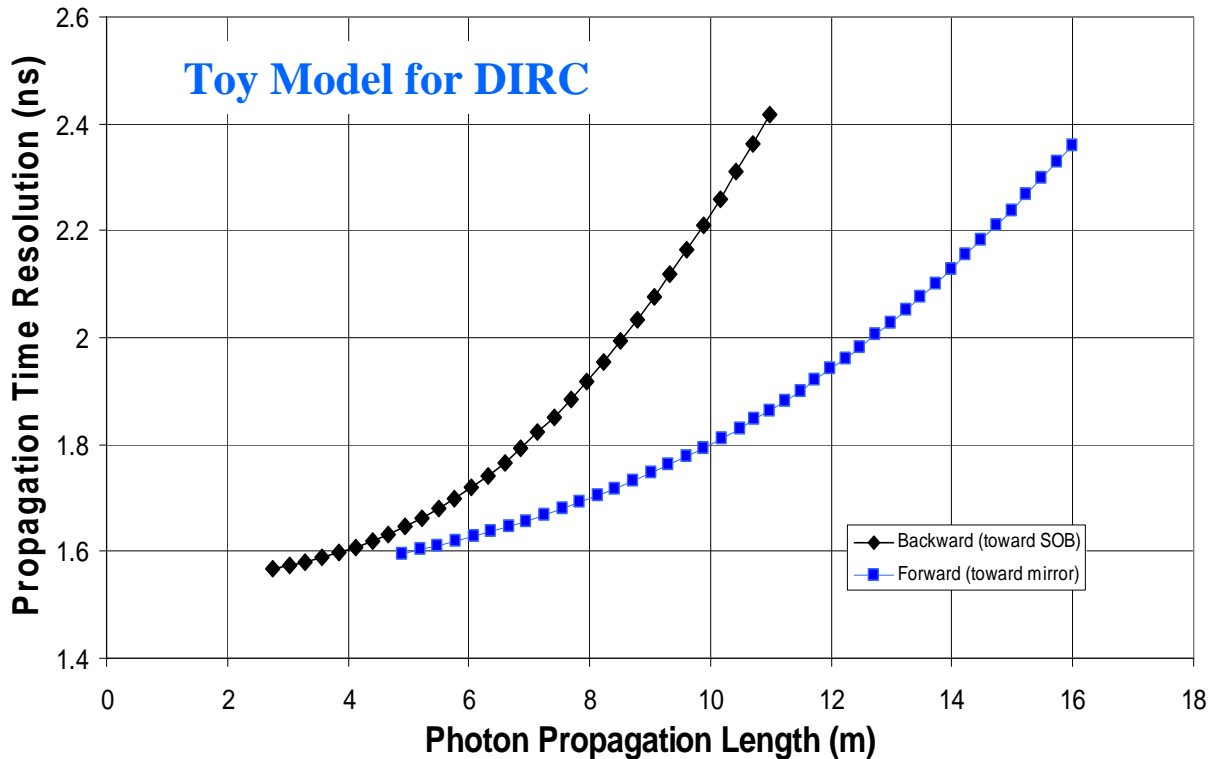
σ from Gaussian vs. path...



Time Imaging In DIRCs-Conceptual Issues

Example: Time Resolution in BaBar DIRC

$$\sigma_t = \sqrt{\underbrace{t_p^2[\delta^2(L_p) + \frac{2C(L_p, n_g)}{L_p n_g} + \delta^2(n_g)]}_{\text{"B}^2"} + \underbrace{\sigma_{t_0}^2}_{\text{"A}^2}}$$



Dispersion Effects in the BABAR DIRC

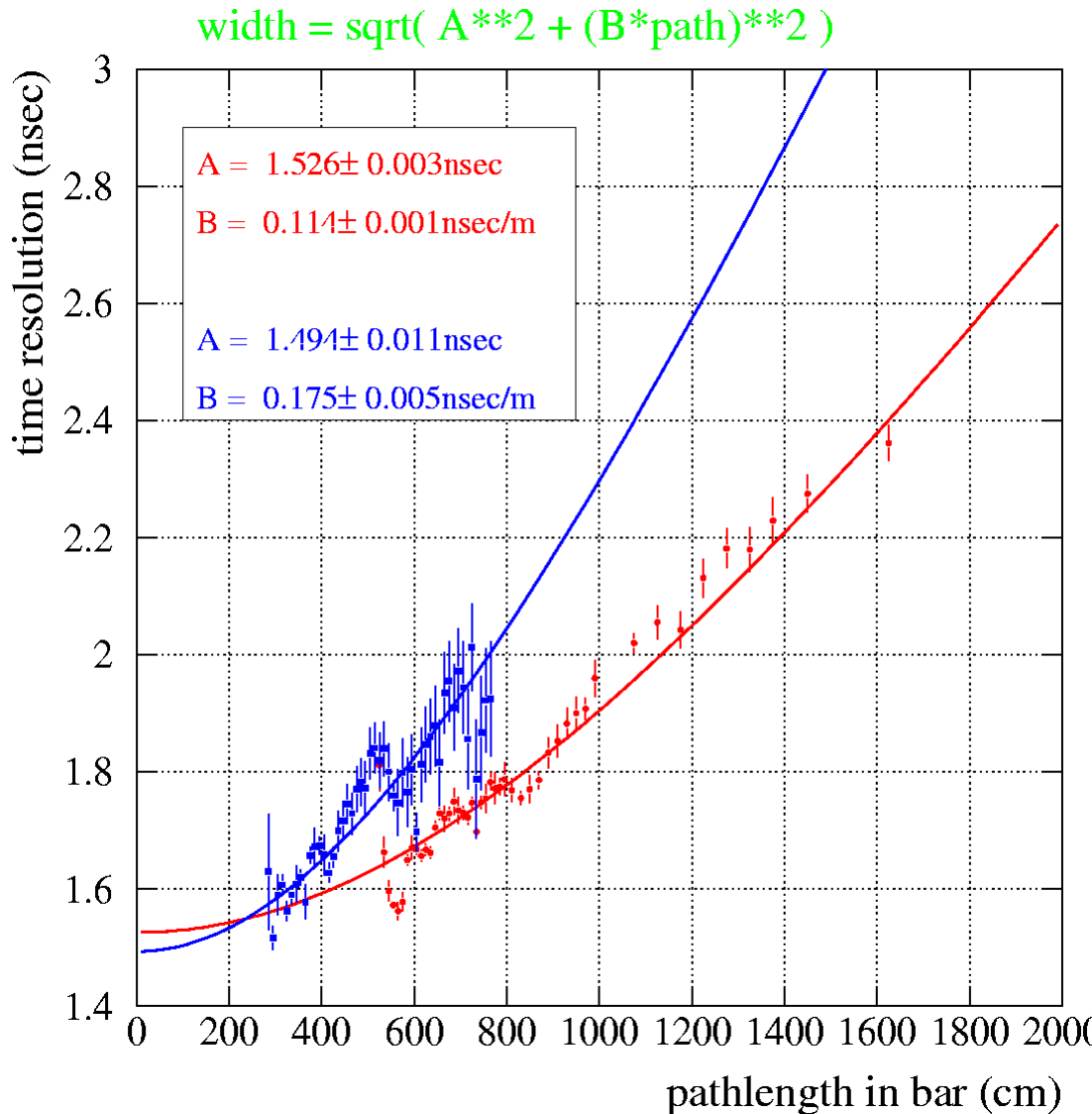
Blue: photons go directly to PMT
Red: photons reflected on end mirror

“A” is a measure of PMT resolution
~1.5ns (consistent with TTS of PMT)

“B” is measure of dispersion effects
~180ps/m for direct photons
~110ps/m for reflected photons

(*not* an actual measurement of a meaningful number – that will come from our R&D setup...)

Consistent with Blair’s toy model



Relevance to R&D Setup

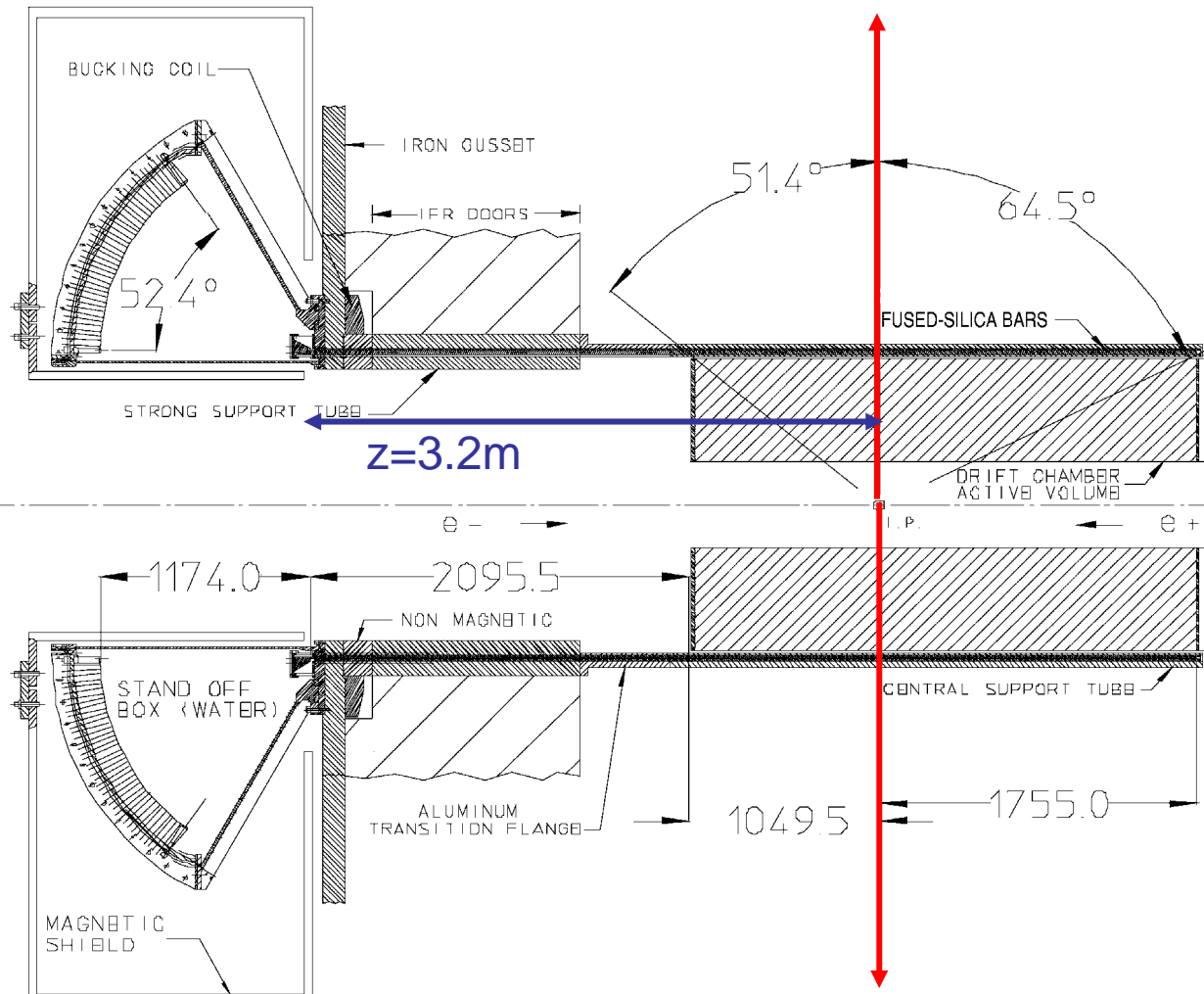
Select events in which muon track hits bar at 90deg angle in dip (no selection in track phi)

Require $\Delta(\text{dip}) < 10 \text{ mrad}$

Approx. fixed $z = 3.2 \text{ m}$
(close to position #2 in test beam setup)

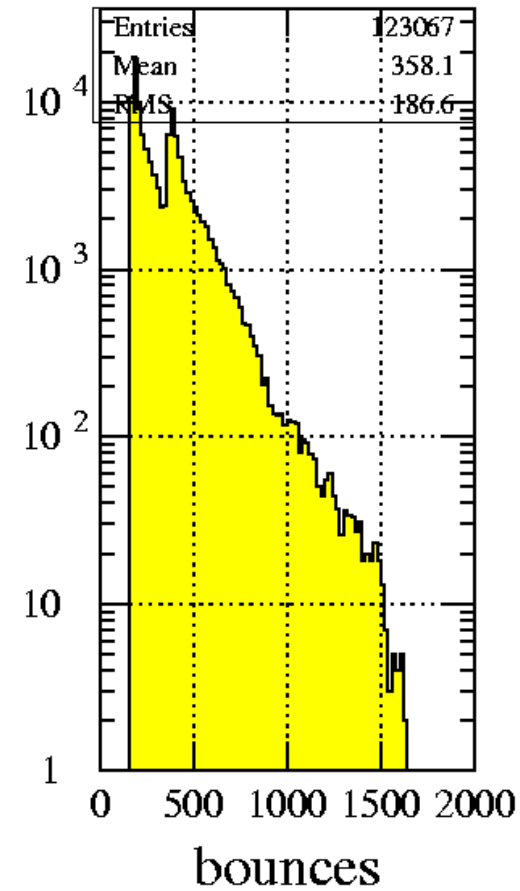
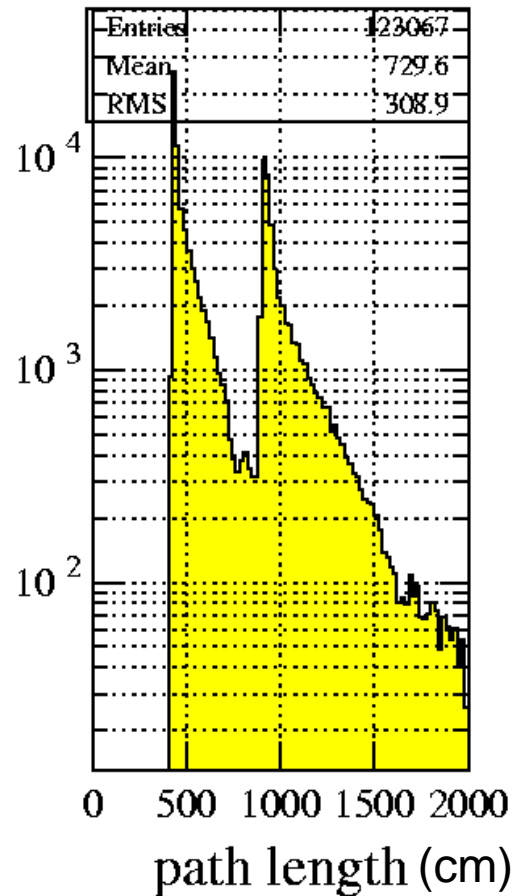
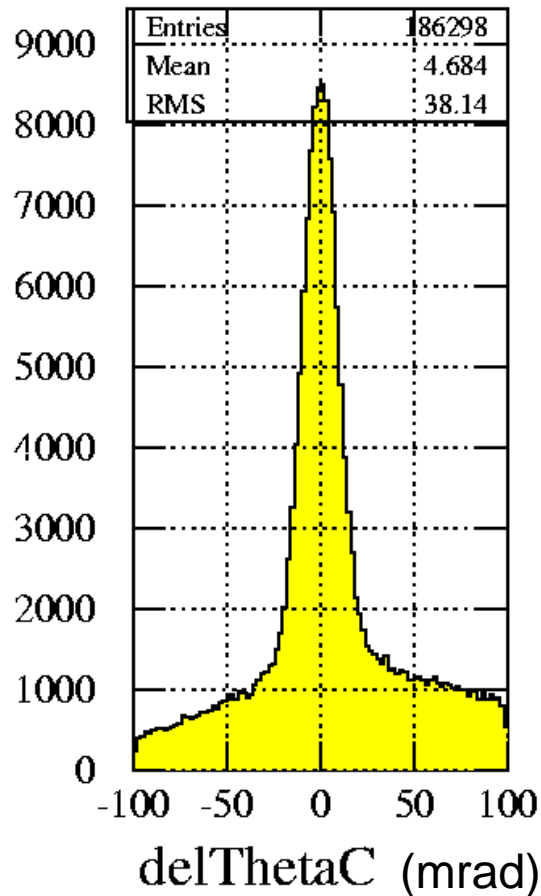
Use about 3500 muon tracks

How do things look now?



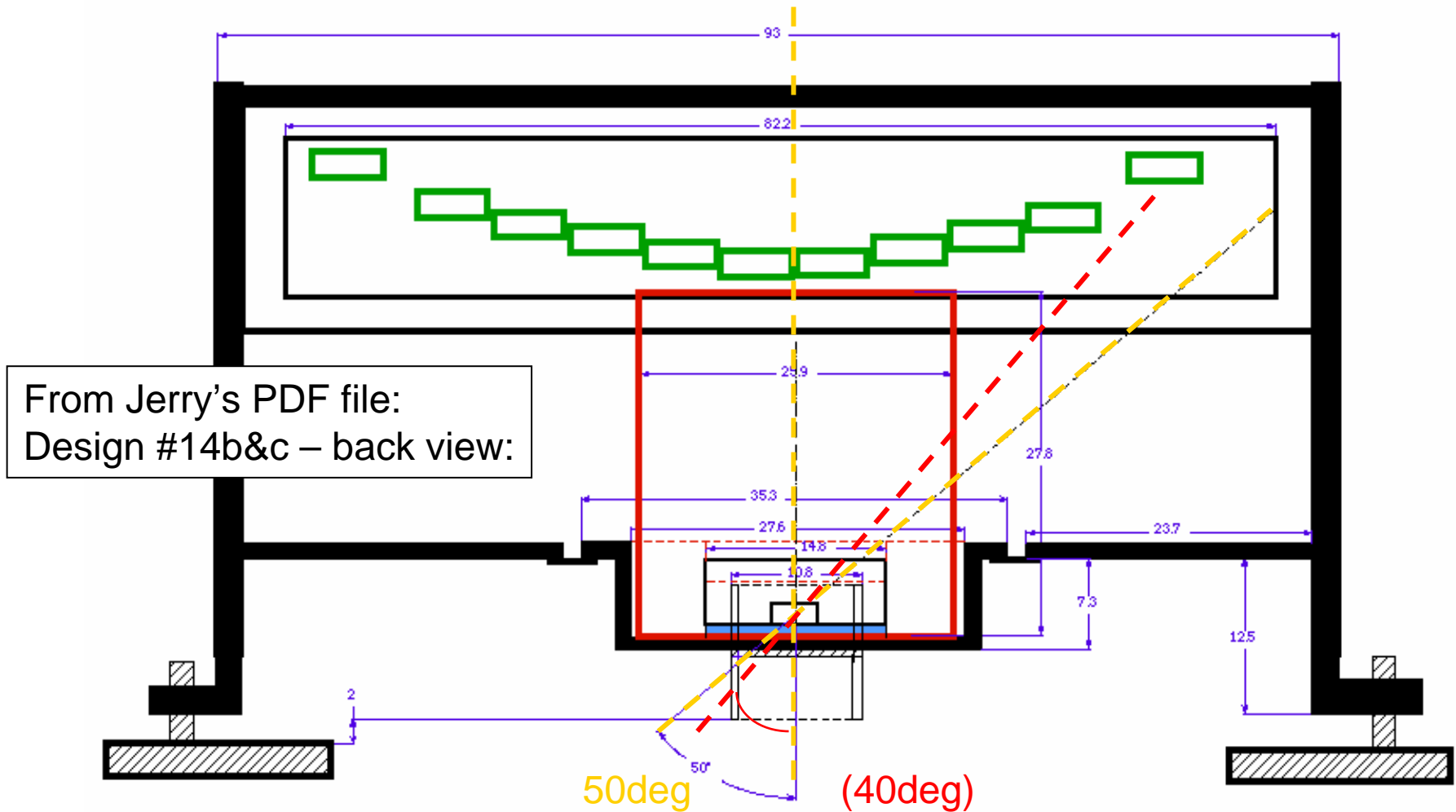
Relevance to R&D Setup

delta(thetaC), path, bounce spectra for ~3500 tracks, no cuts on photon exit angle



Relevance to R&D Setup

Limit exit angles of photon to $\pm 40/50$ deg range available in test setup



Relevance to R&D Setup

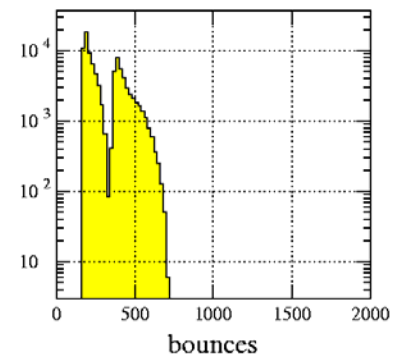
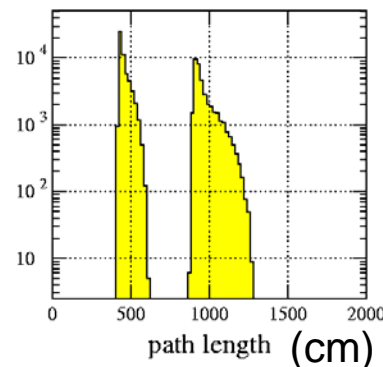
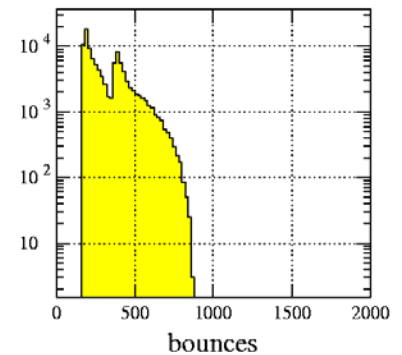
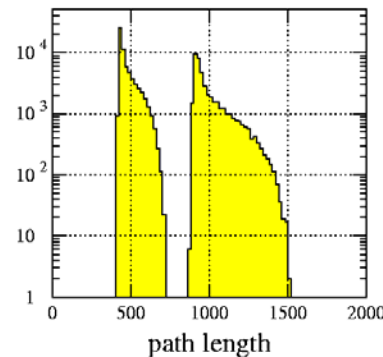
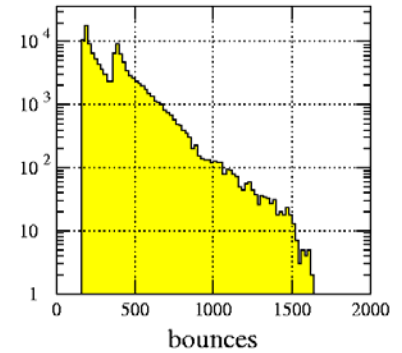
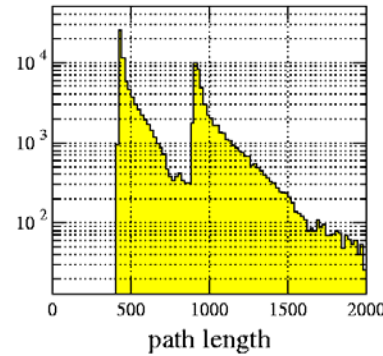
Pathlength and bounce spectrum for:

no cut on photon exit angle →
(~37,000 solutions with path>10m)

(10m translates to ~6m in position #2)

50deg cut on photon exit angle →

40deg cut on photon exit angle →
(~16,000 solutions with path>10m
- for a 4.9m long bar -)





Summary

What does all that mean for our test beam project?

Limitation in photon exit angle should limit us to range of
~4 ... 6m pathlength at the second-to-last (initial) z position

That should still be enough to see some initial evidence
for chromaticity effects.

A scan of seven z positions should provide good coverage
in pathlength, significant overlap.
(No fine z scan within the seven z positions required)

The available range should be about ~0 ... 9m pathlength.

Statistics of $O(3k)$ good tracks per z position sounds
reasonable and feasible.



Backup slides

Some more of Blair's Pylos slides for reference.

Radiators-Dispersion

Example

- Chromaticity at Cherenkov Photon Production:

$$\sigma_{\theta_c}(i) = \frac{\delta n}{\tan \theta_c} \quad \text{For } \beta=1$$

- Time Dispersion during photon transport.

$$\delta^2 t_p(i) = \delta^2 L_p(i) + \frac{2C(L_p, n_g)}{L_p(i)n_g(i)} + \delta^2 n_g(i)$$

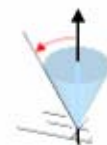
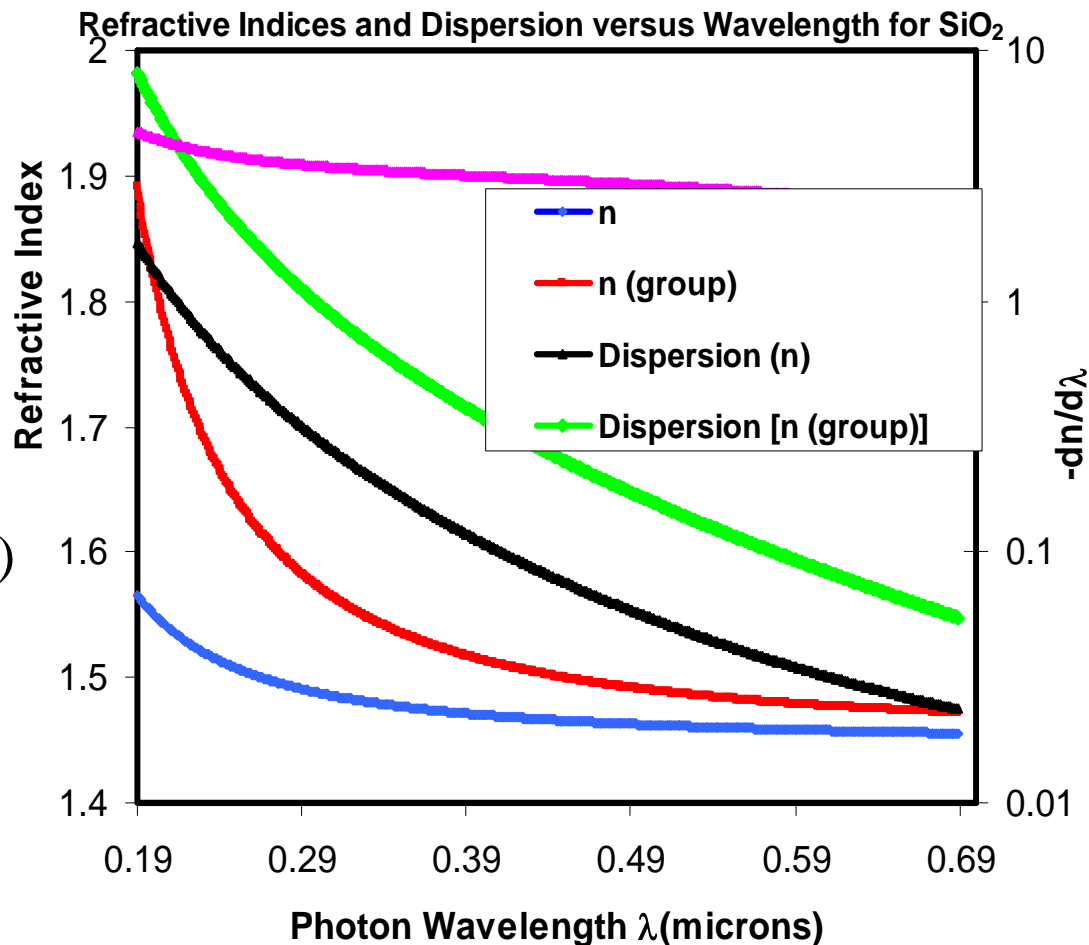
Typical Weighted Values

(DIRC EMI 9125 PMT & Fused Silica)

$$\sigma_{\theta_c} = \frac{\delta n}{\tan \theta_c} = \frac{0.0053}{1.08} = 4.9 \text{ mrad}$$

$$\delta t_p \approx \delta n_g = 0.016 * F$$

Where $2/3 < F < 4/3$, depending on photon dip angle and its measurement accuracy.



Angle Dependence. (In Dispersive Limit)

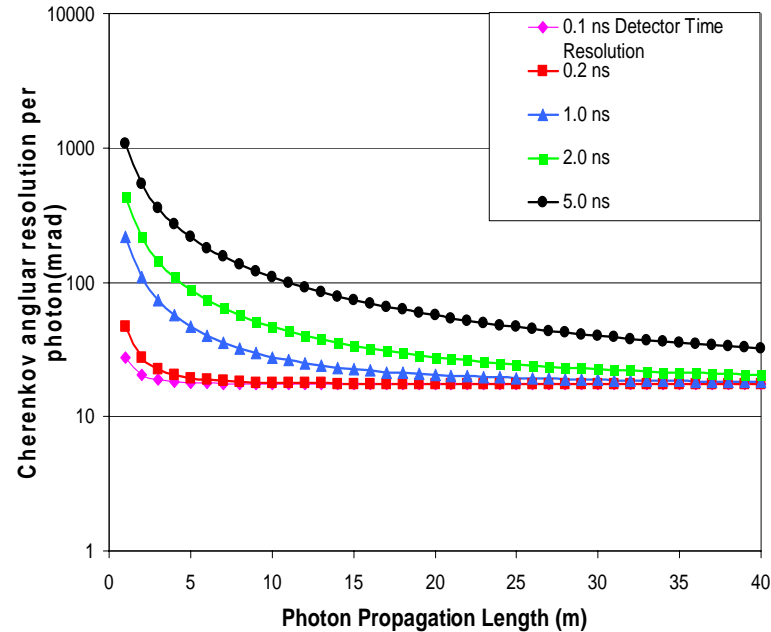
Examples: For $\beta=1$ particle, and α_x very well measured. EMI 9125 Bi-alkali Photodetector response detection curve

1. $(\theta_t, \phi_t) = (90^\circ, 90^\circ)$
uncorrelated limit

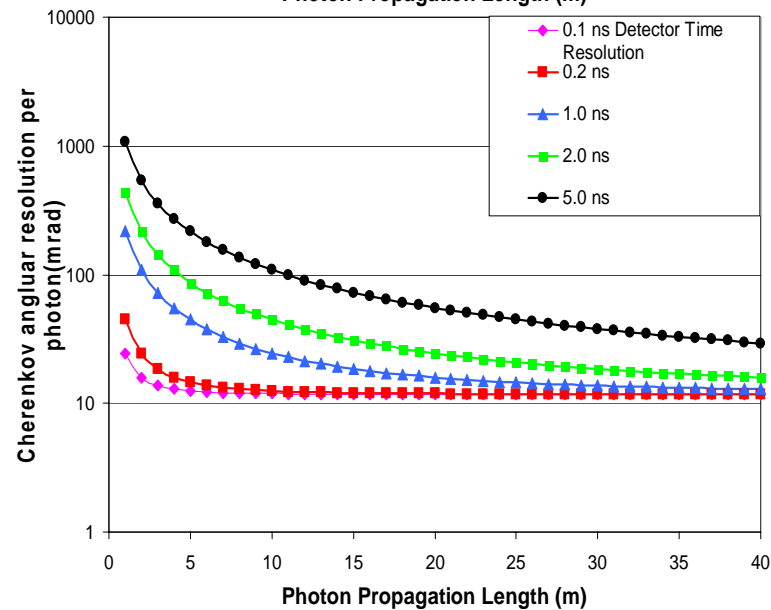
$$\sigma_{\theta_c} = \tan \theta_c (\text{sqrt}[\delta^2(n_g) + \delta^2(t_p)])$$

2. $(\theta_t, \phi_t) = (90^\circ, 90^\circ)$ **correlated limit with**

$$\sigma_{\theta_c} = \tan \theta_c (\text{sqrt}[\delta^2(n_g) + 2C(n_g, t_p) \delta(n_g) \delta(t_p) + \delta^2(t_p)])$$



1



2



Measuring the Chromatic Smearing?

- Detectors have been proposed that could measure photon wavelength to about 0.15 eV (e.g., the TES (Transition Edge Sensor), but these detectors work at ~40 mK, and are rather slow....

→ impractical?

- Use the large dispersion in n_g in a 3-D DIRC to measure the photon wavelength.... (I.e., compare the individual photon flight time with its measured angle.

→ can improve chromatic limit by ~5x with 100 ps detector resolution at 6m. Scales with resolution.

