

Boosted hadronic object identification using jet substructure in ATLAS Run-2

Emma Winkels

on behalf of the ATLAS collaboration

Outline

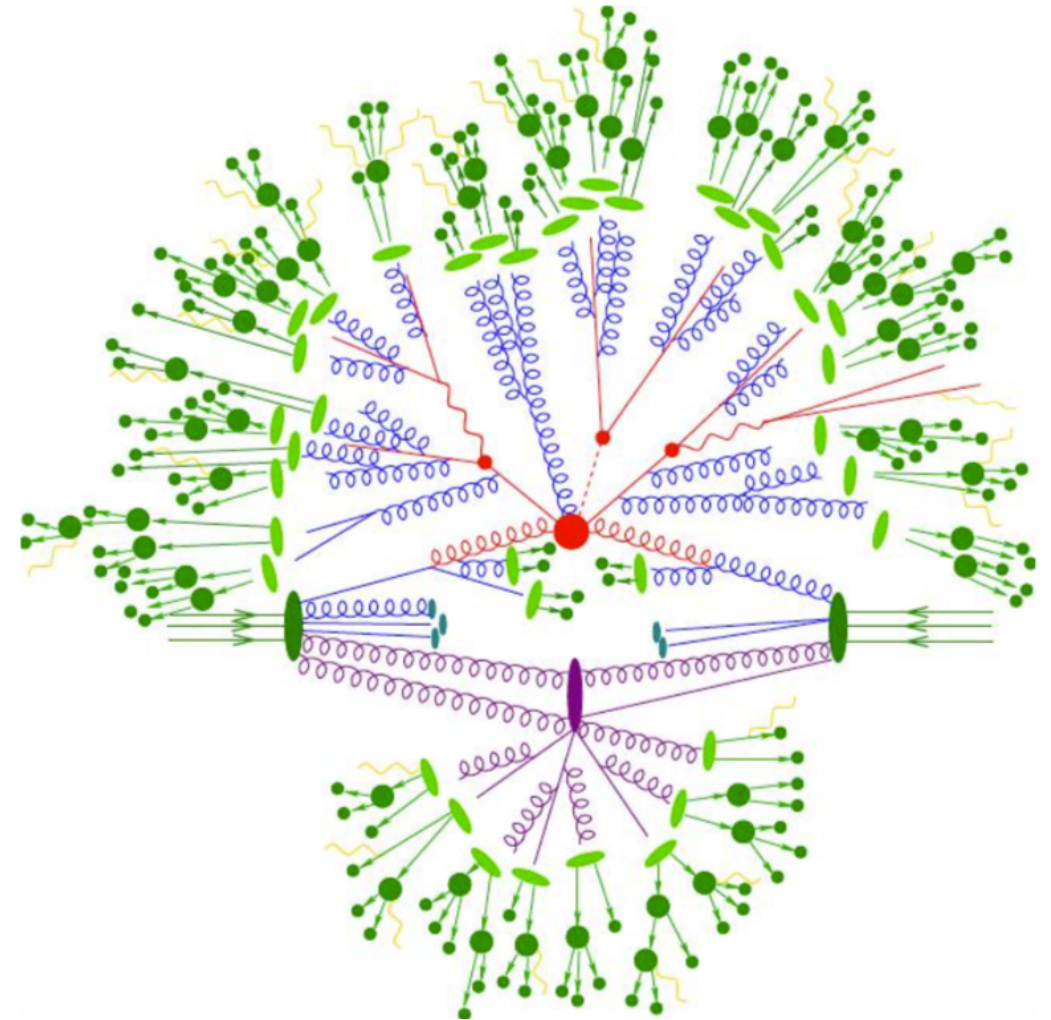
- Jets and jet substructure
- Top and W tagging
- $H \rightarrow bb$ tagging
- Mass-decorrelated taggers
- Summary

Jets

What is a jet?

Jets are objects constructed from the energy deposits left by collimated sprays of particles.

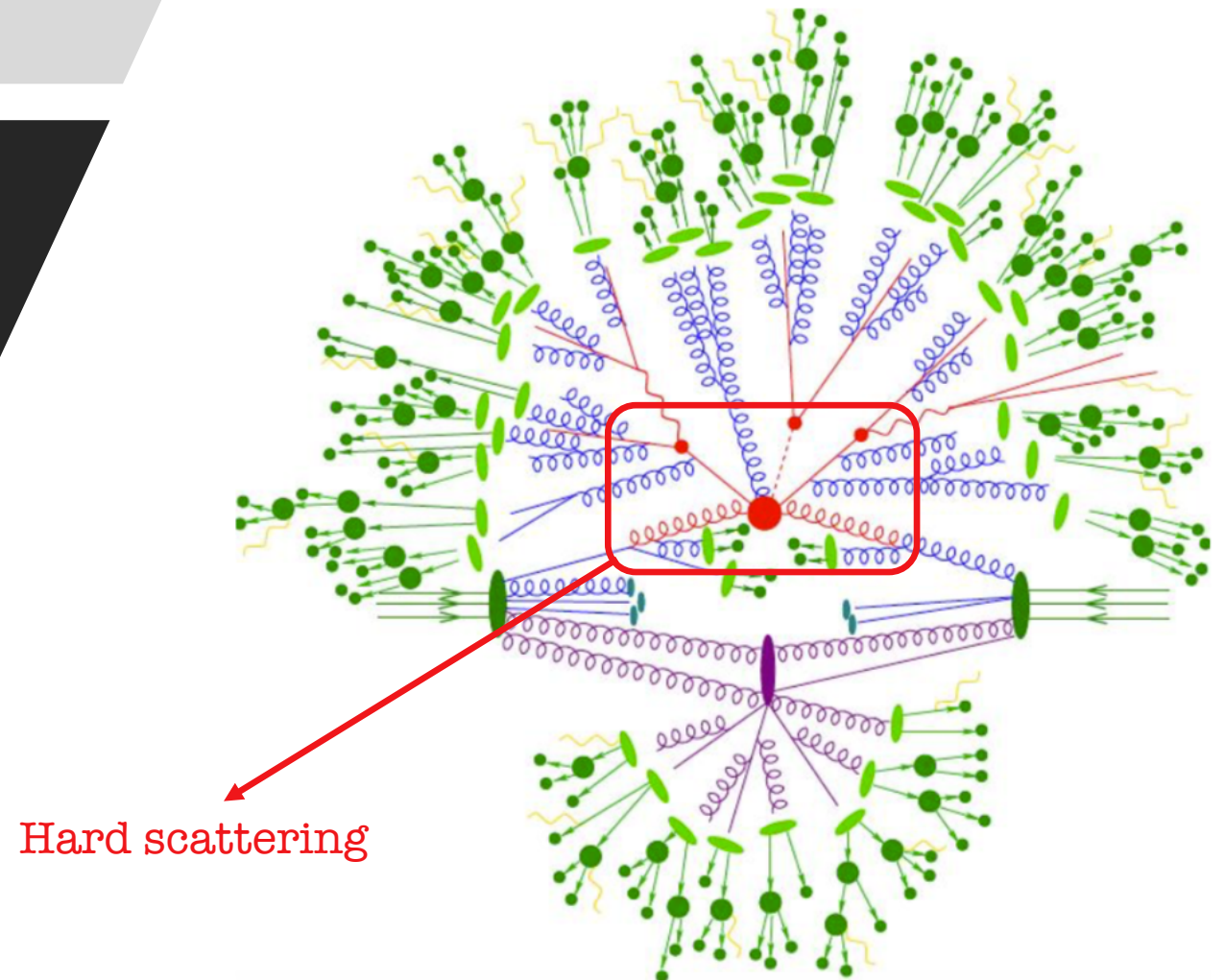
Attempt to group inputs from common sources together.



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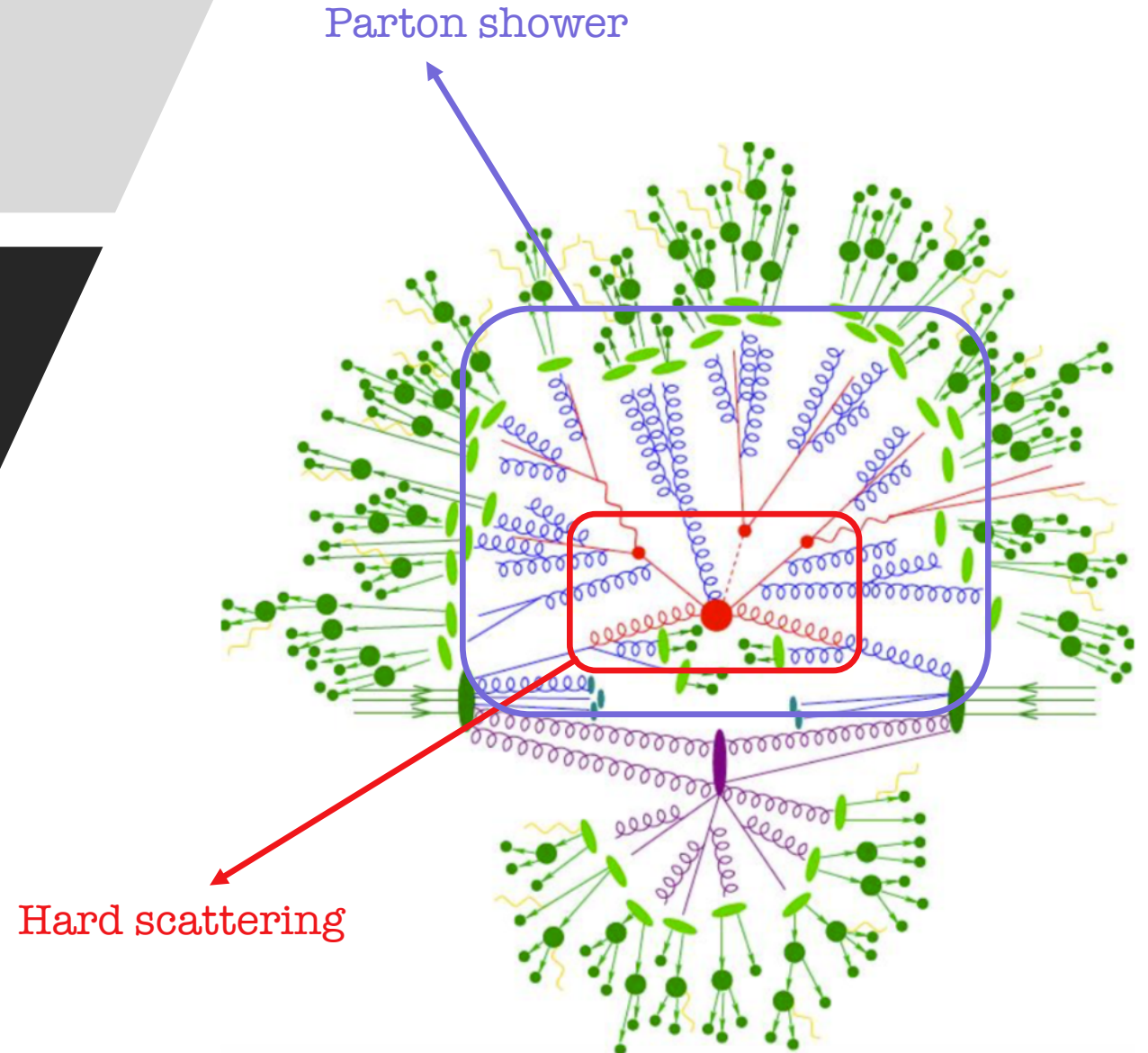
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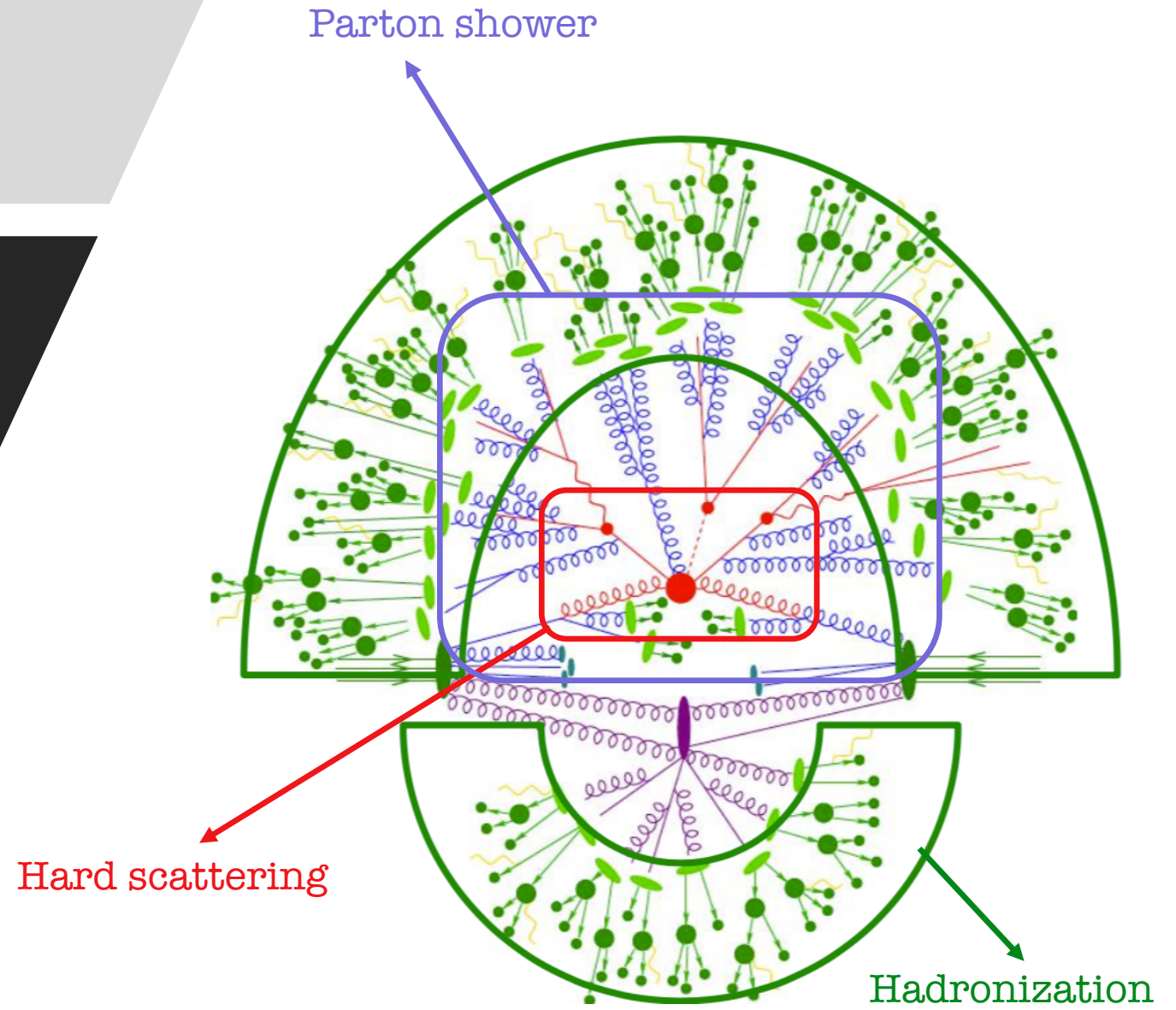
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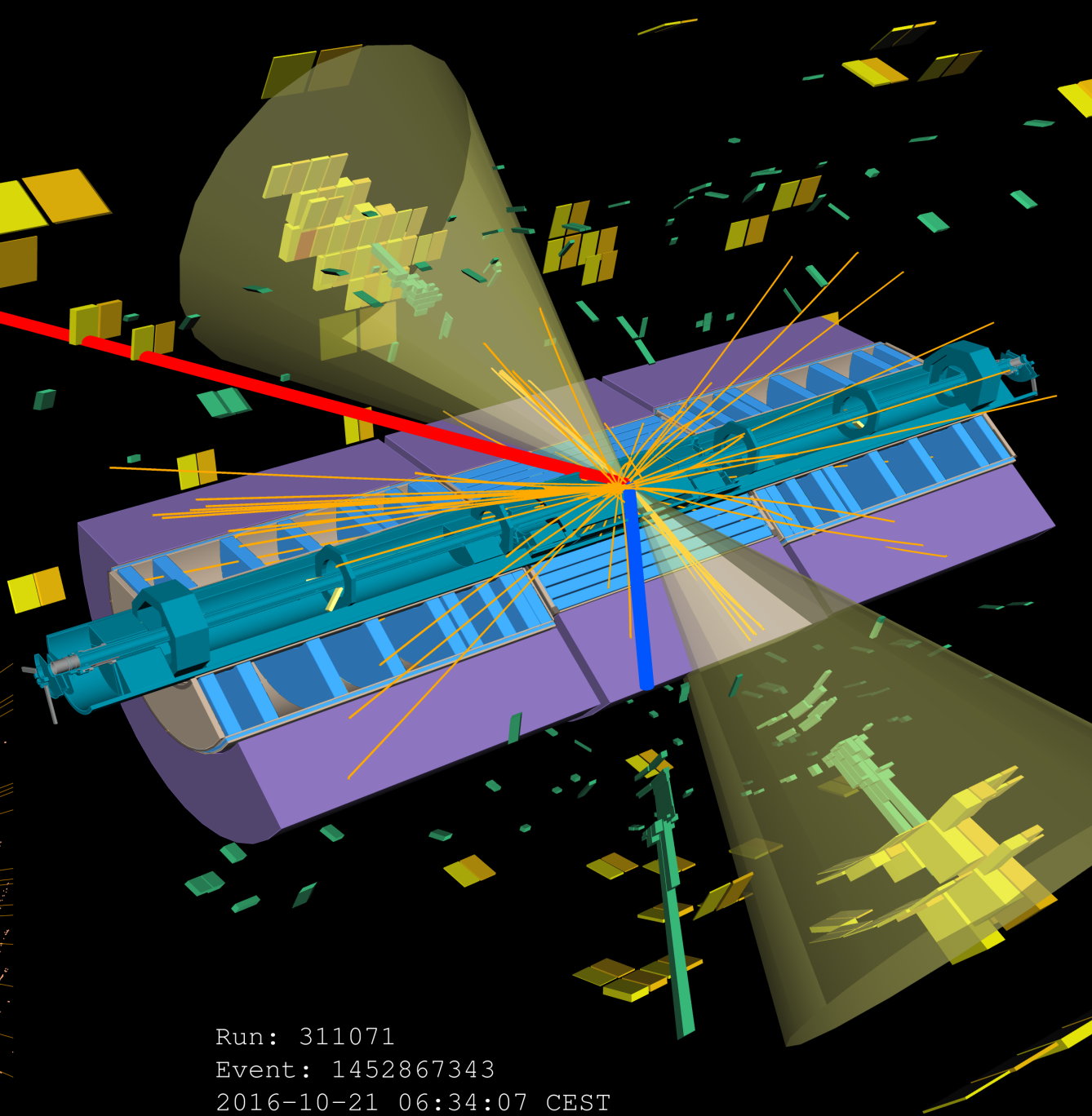
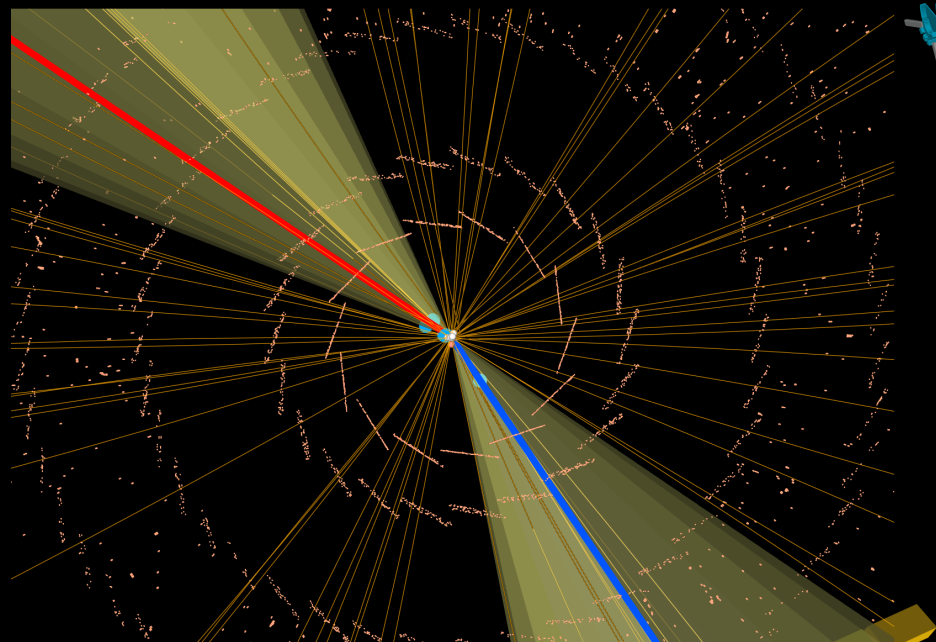
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ATLAS

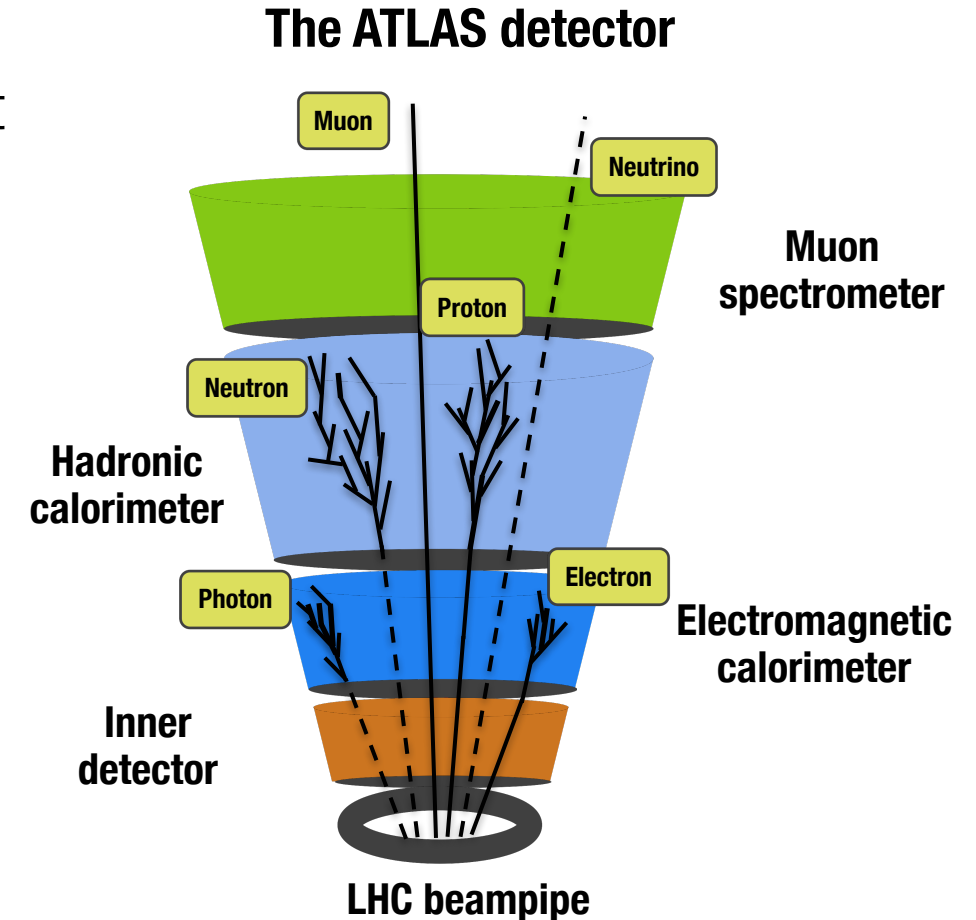
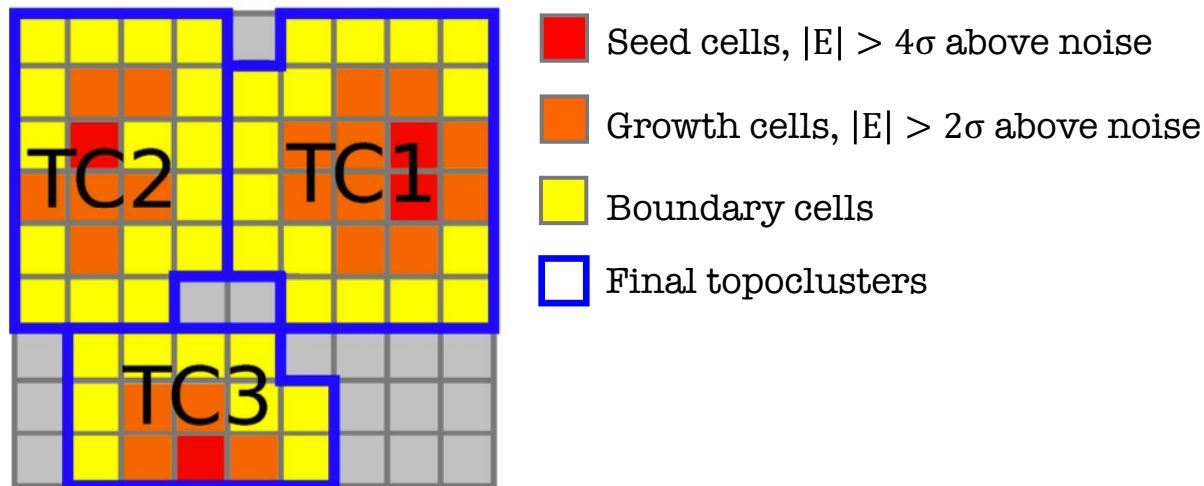
EXPERIMENT



Run: 311071
Event: 1452867343
2016-10-21 06:34:07 CEST

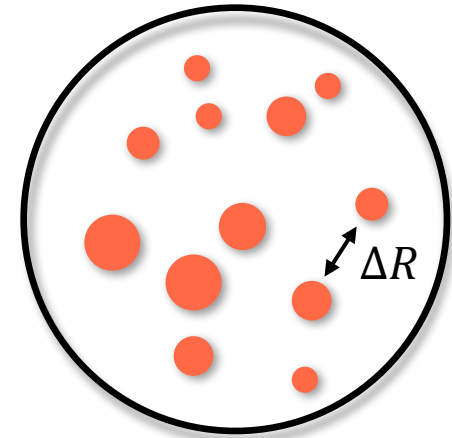
Inputs to jets

ATLAS uses calorimeter objects and tracks as jet inputs. Calorimeter measures energy of particles. Starts with topological clustering of calorimeter cells.



How to define a jet

- There is no unique way to define a jet
- Different jet algorithms to cluster energy constituents into a jet:
 - Anti- k_T : cluster hard (high- p_T) and close (small ΔR) energy deposits first
 - k_T : cluster soft (low- p_T) and close
 - Cambridge/Aachen: cluster close

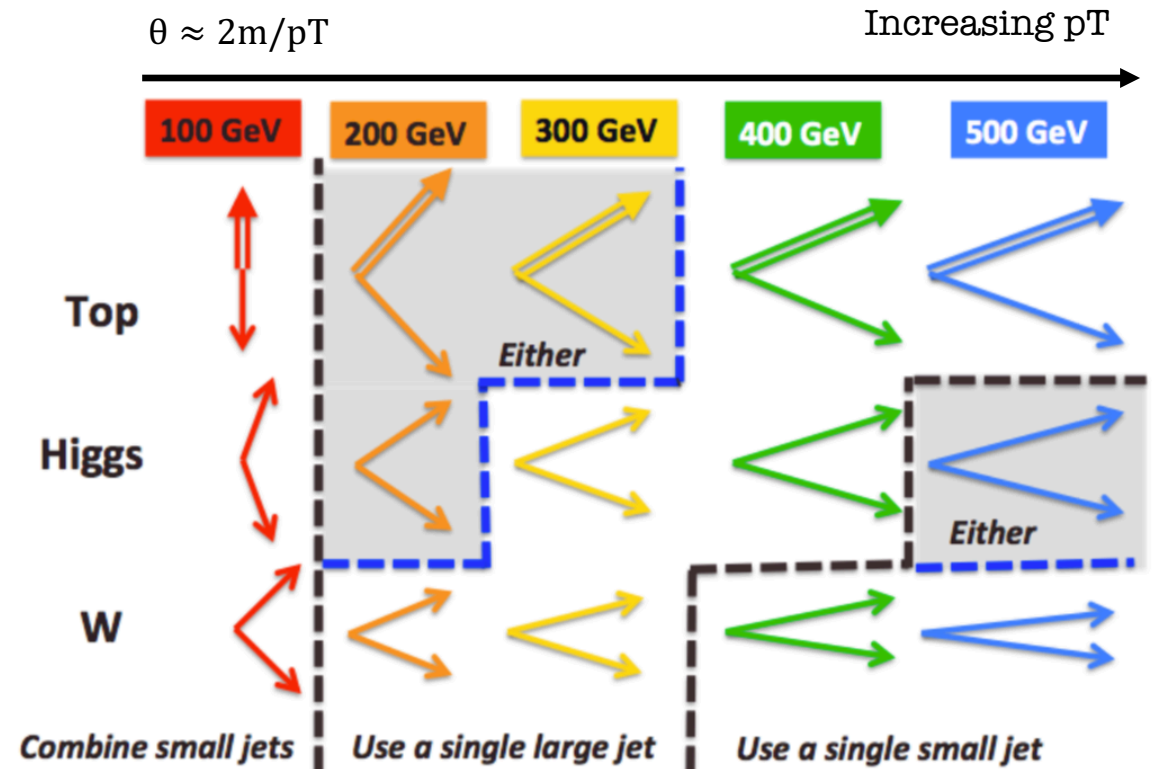


12 constituents
● = large E
● = small E

Boosted jets

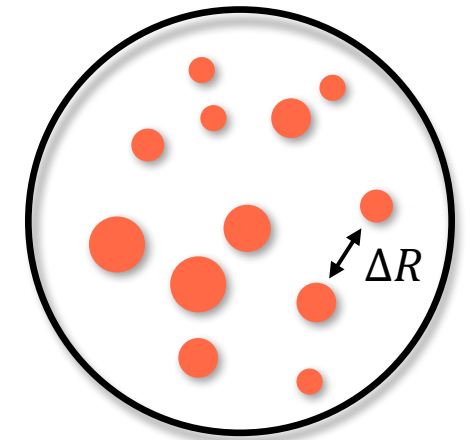
Different jet radii (R) for different purposes:

- Small jets for quarks and gluons
- Large jets for hadronic decays of W , Z , H , top..



Jet substructure

- Access the inner structure of large jets*
- Jet substructure variables are some function of
 - Number of constituents
 - Energy of the constituents
 - Angular separation of the constituents (ΔR)
- Jet substructure helps us in jet tagging



12 constituents
● = large E
● = small E

* We use jet grooming to cut away the soft parts of jets, see [1510.05821](https://arxiv.org/abs/1510.05821)

Jet tagging

- Identify the particle that produced the jet.
- Used in broad range of physics analyses.
 - Analyses looking at boosted top/Higgs/W: distinguish these large jets from quark/gluon jets
 - Analyses with b -hadrons or c -hadrons in the final state: heavy flavour tagging (b -, c -quark jets)

Top/W tagging

[ATLAS-CONF-2017-064](#)

Commissioning of a tagger

ATLAS process from idea to tagger used for physics analyses:

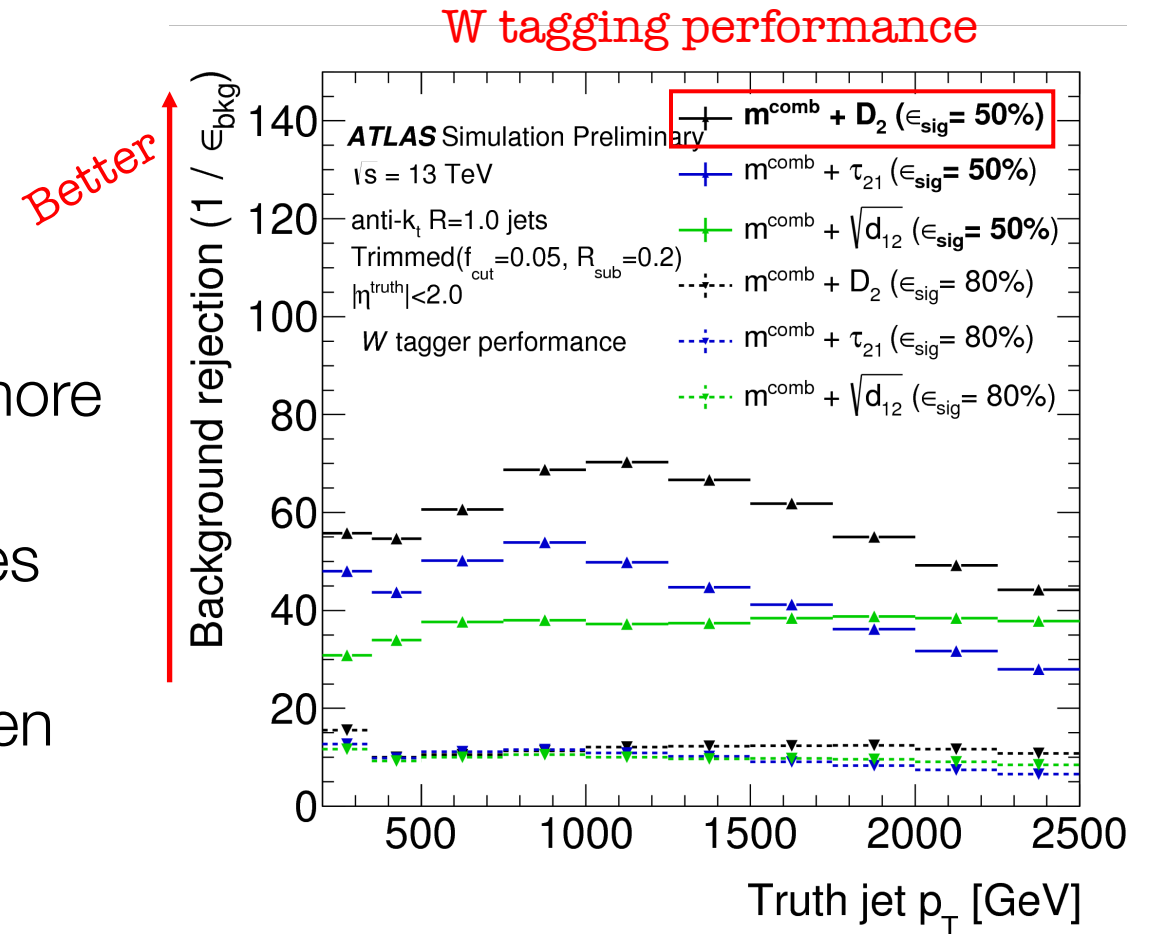


Two-variable tagging

- Simple cut-based tagging works well:
 - **W**: $m^{\text{comb}} + D_2$
 - **Top**: $m^{\text{comb}} + \tau_{32}$
- m^{comb} : Combined mass, combines calorimeter clusters with tracks to give more stable mass performance at high- p_T .
- D_2 : Energy correlation ratio, distinguishes between one-prong and two-prong jets.
- τ_{32} : N-subjettiness, distinguishes between two-prong and three-prong jets.

Two-variable tagging

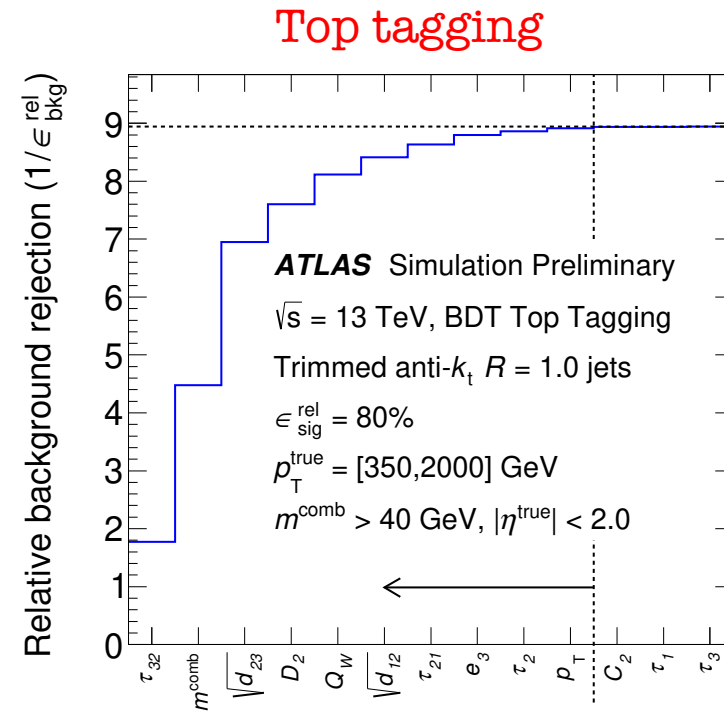
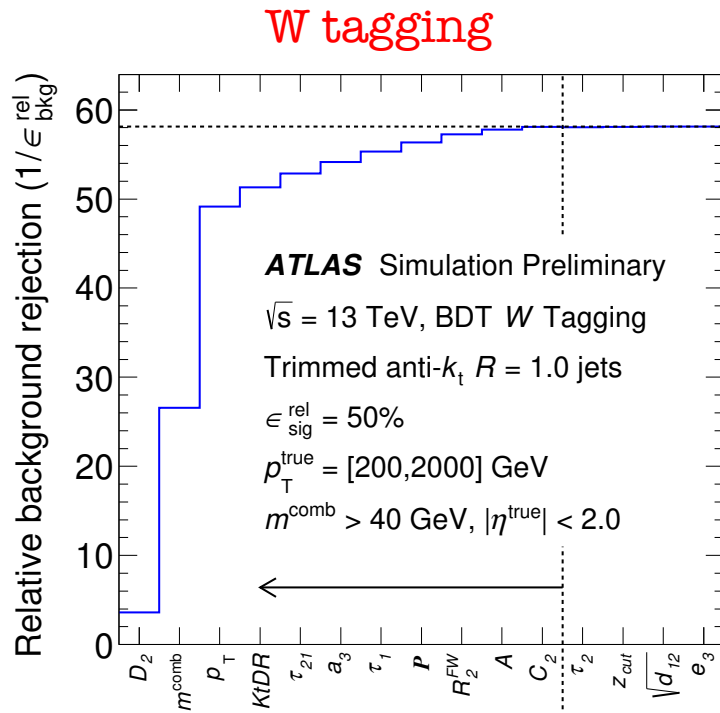
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[ATLAS-CONF-2017-064](#)

Machine learning taggers - BDT

- Machine learning techniques allow for the use of multiple variables
- Boosted decision tree (BDT): sequentially adding variables improves classification over two-variable tagging

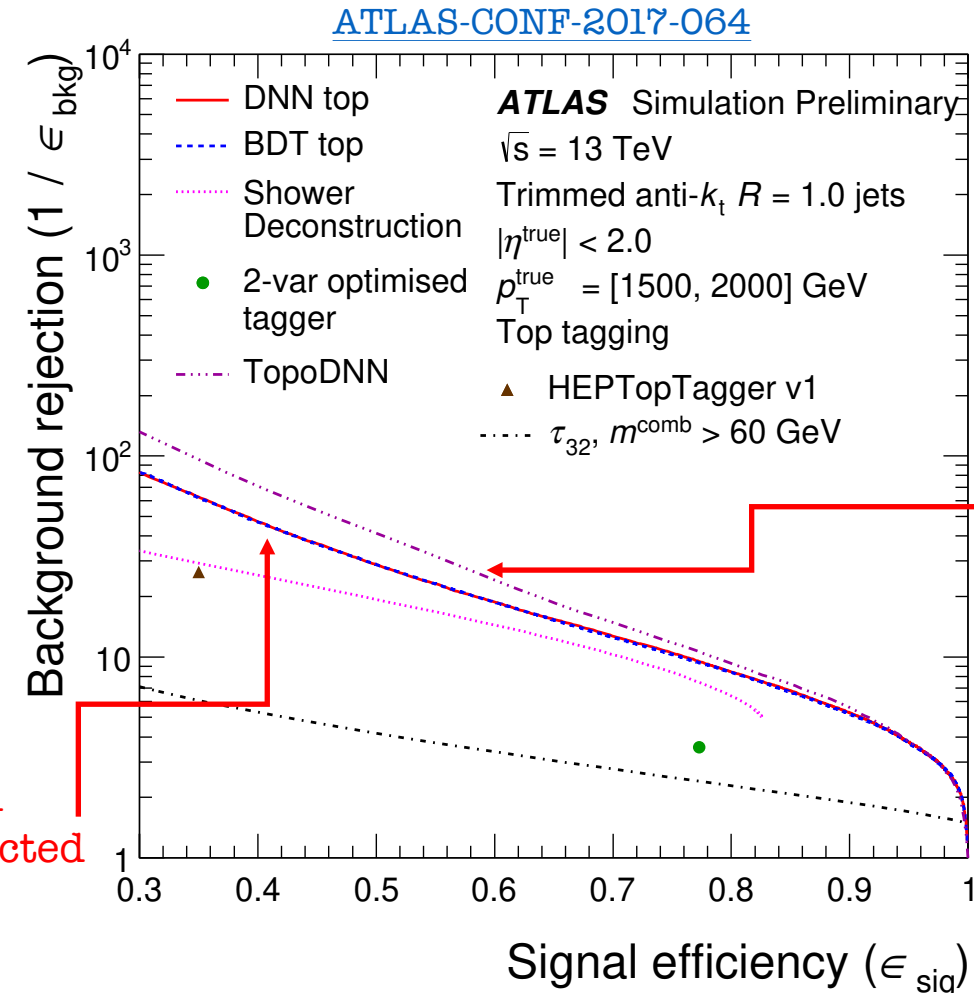


[ATLAS-CONF-2017-064](#)

Machine learning taggers - DNN

- ATLAS evaluated TopoDNN* top tagger.
- Uses deep neural network (DNN) with topocluster jet constituents as inputs.
- Performance is better with low-level inputs than standard machine learning taggers.

DNN: High level inputs (constructed variables)

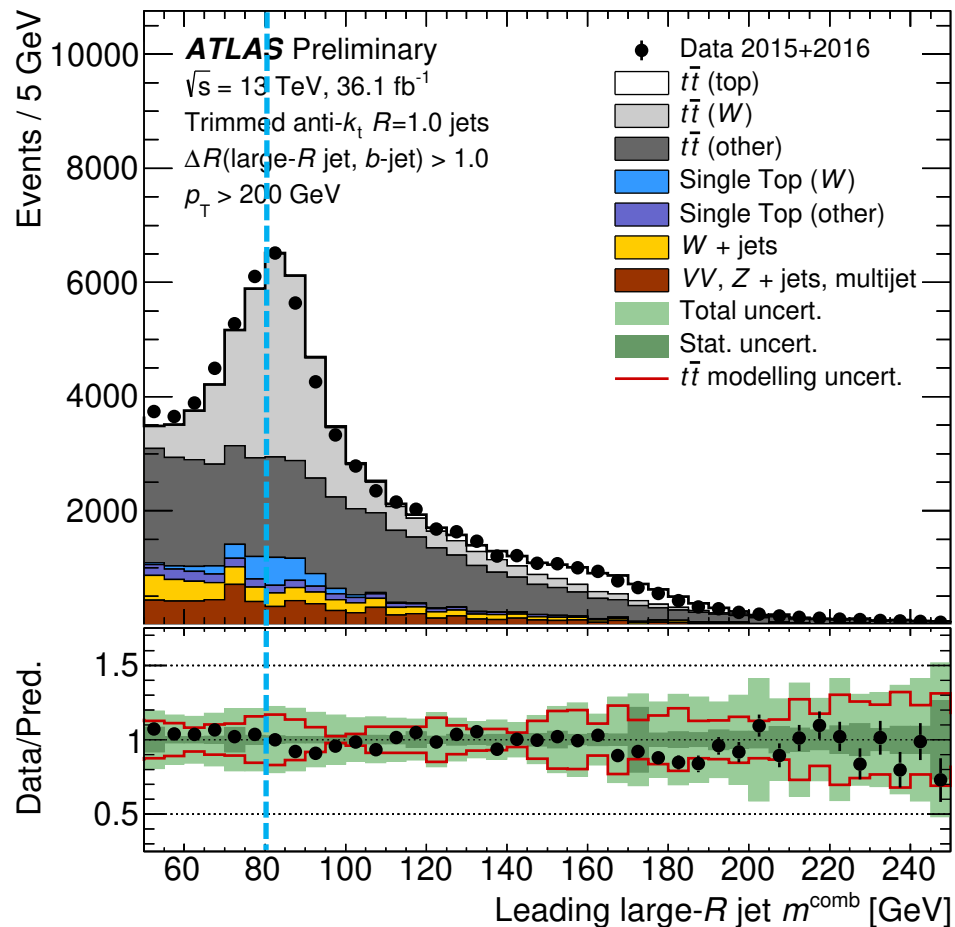


TopoDNN: Low level inputs (four momenta)

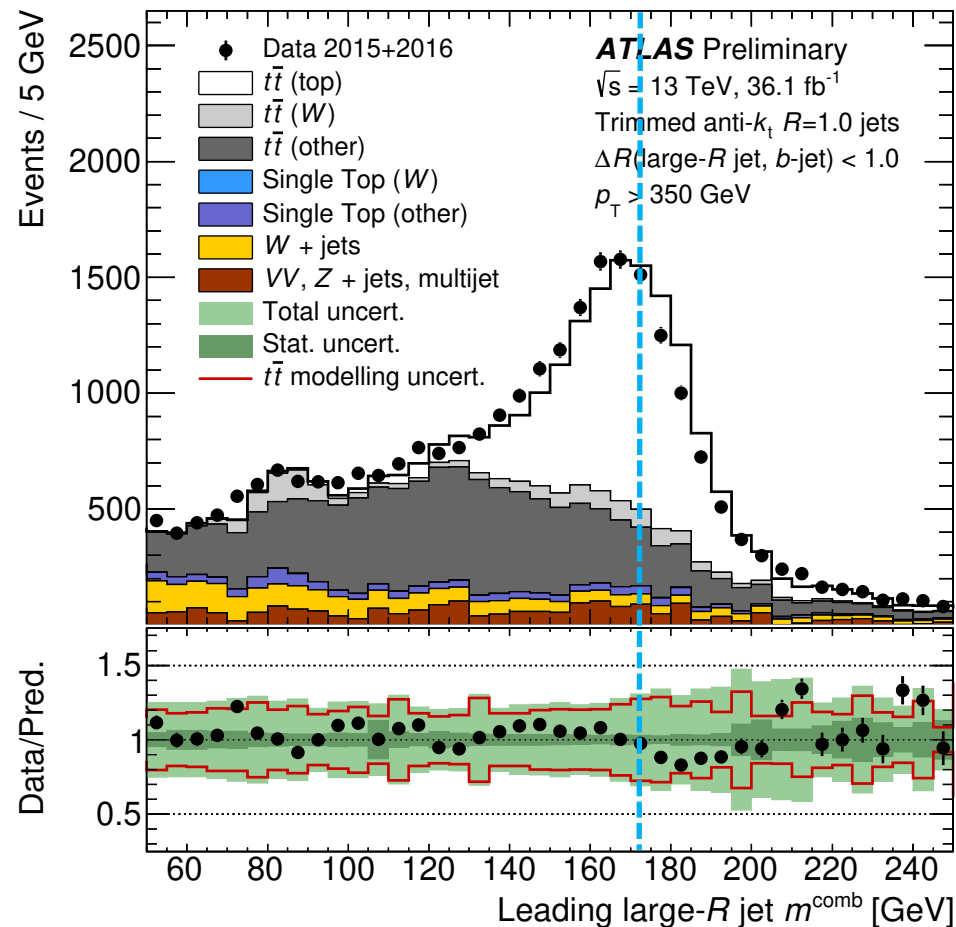
* More details on TopoDNN: [1704.02124](#).

Measurements in data

W enriched sample



Top enriched sample



[ATLAS-CONF-2017-064](#)

W/top tagging efficiency

Need to measure efficiency in data and get uncertainty on this efficiency*.

- Full ATLAS 2015-2016 dataset of $36.1 - 36.7 \text{ fb}^{-1}$
- Measure top/W tagging efficiency in $t\bar{t}$ lepton+jets samples.
- Measure multijet rejection in dijet and γ +jets samples.

* Also done in V+jets: [ATLAS-CONF-2018-016](#)

W/top tagging efficiency vs. pile-up

Pile-up is the resulting signal in the detector from other interactions besides the hard scatter we want to look at. Expressed as the mean number of interactions per bunch crossing.



W/top tagging efficiency vs. pile-up

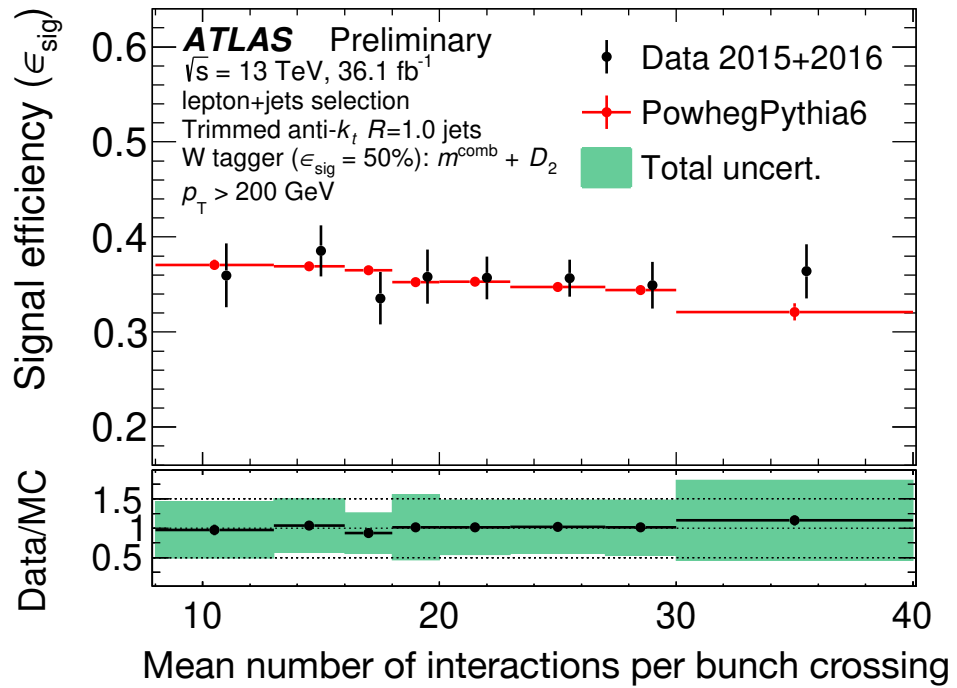
pre-fit

$$\epsilon_{MC} = \frac{N_{\text{signal}}^{\text{tagged}}}{N_{\text{signal}}^{\text{tagged}} + N_{\text{signal}}^{\text{not tagged}}}$$

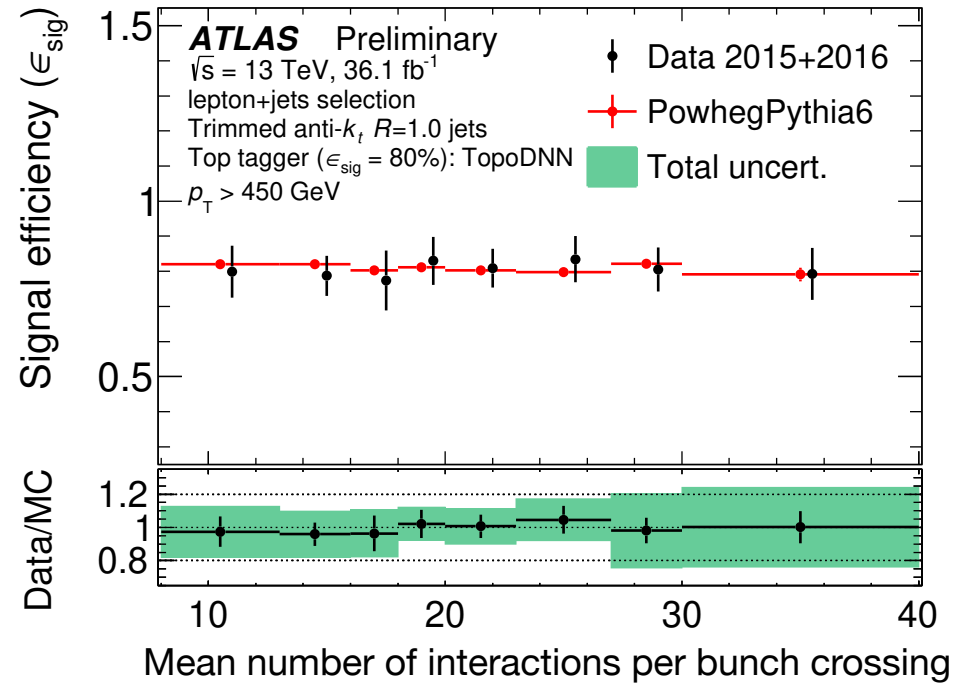
$$\epsilon_{\text{data}} = \frac{N_{\text{fitted signal}}^{\text{tagged}}}{N_{\text{fitted signal}}^{\text{tagged}} + N_{\text{fitted signal}}^{\text{not tagged}}}$$

post-fit

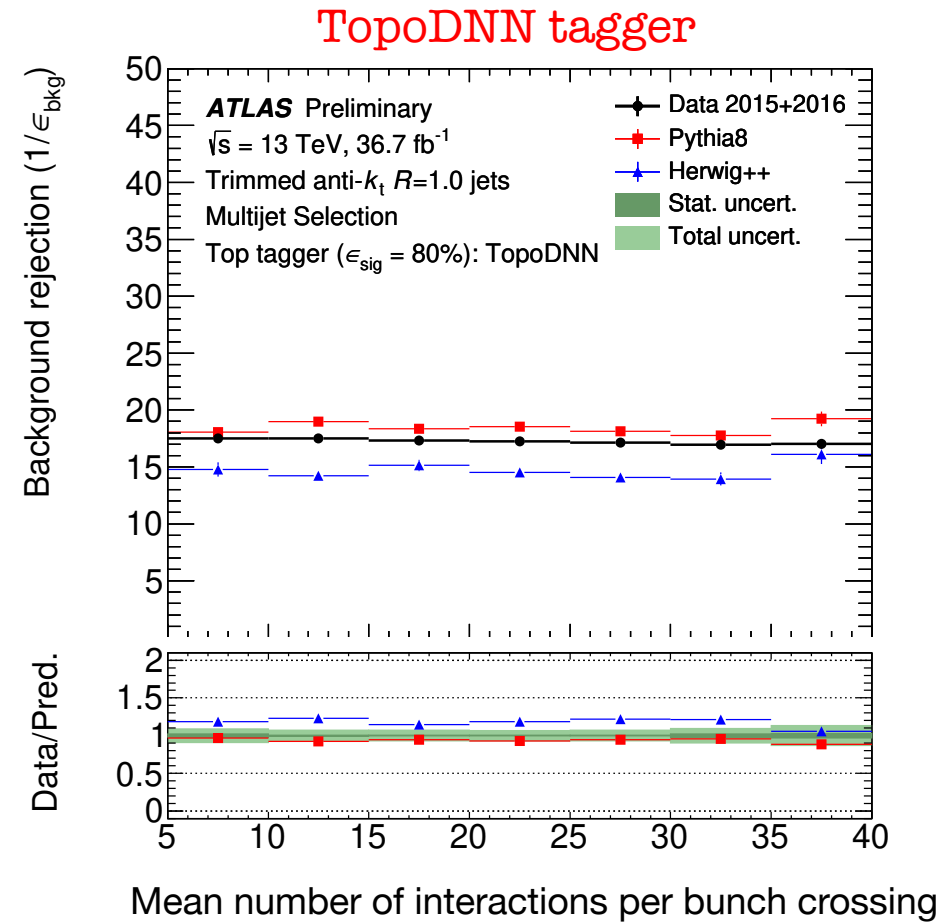
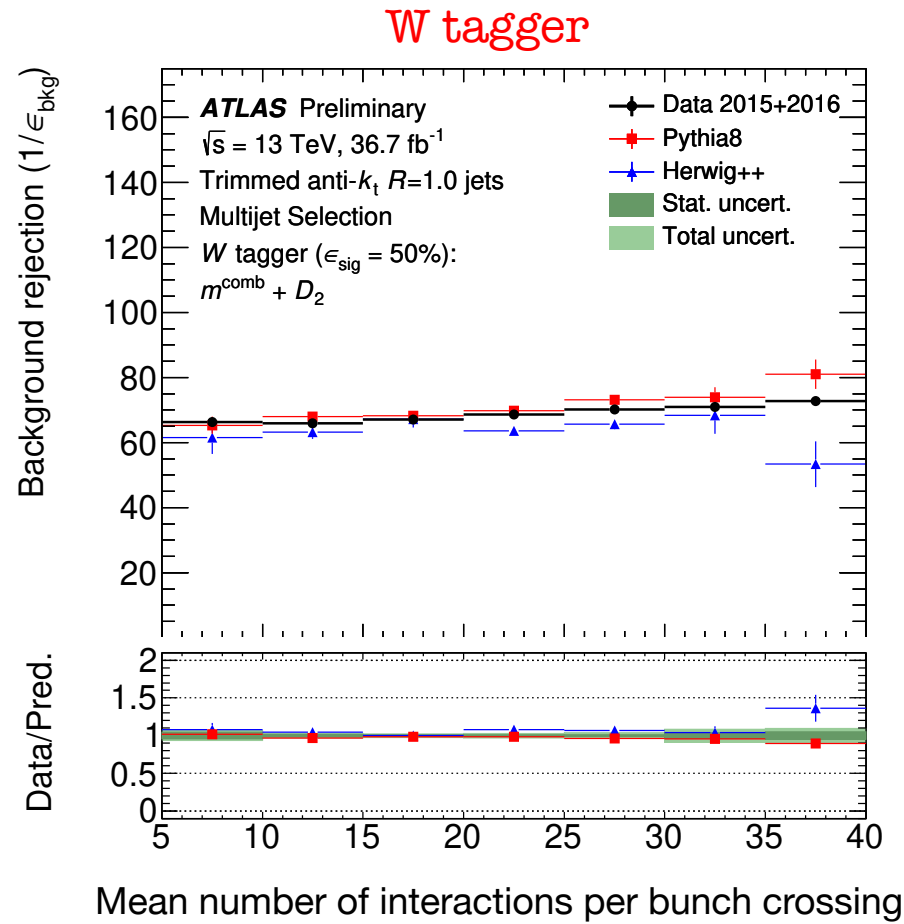
W tagger



TopoDNN tagger



Multijet rejection vs. pile-up

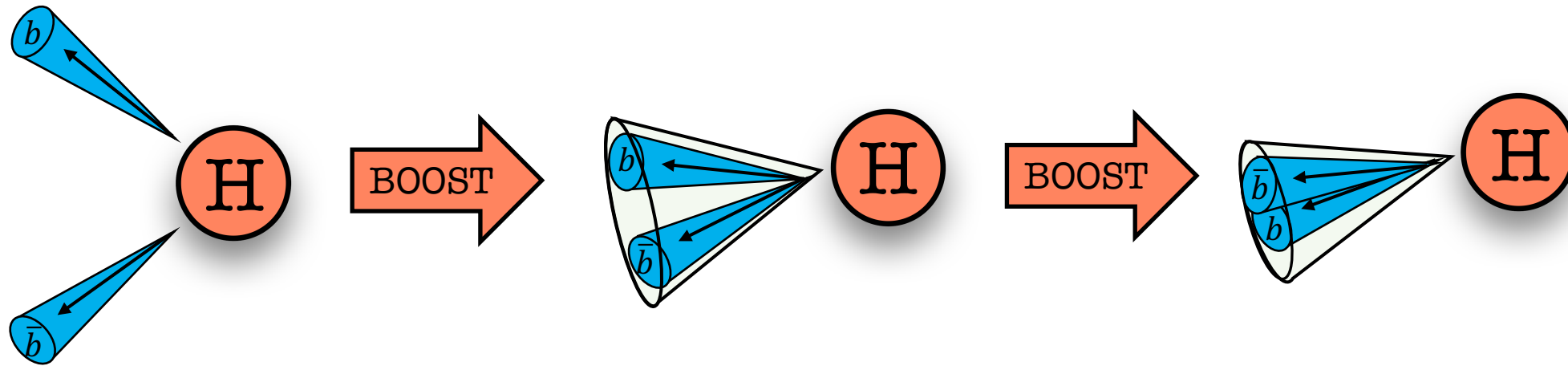


[ATLAS-CONF-2017-064](#)

H \rightarrow bb tagging

[ATL-PHYS-PUB-2017-010](#)

Overview



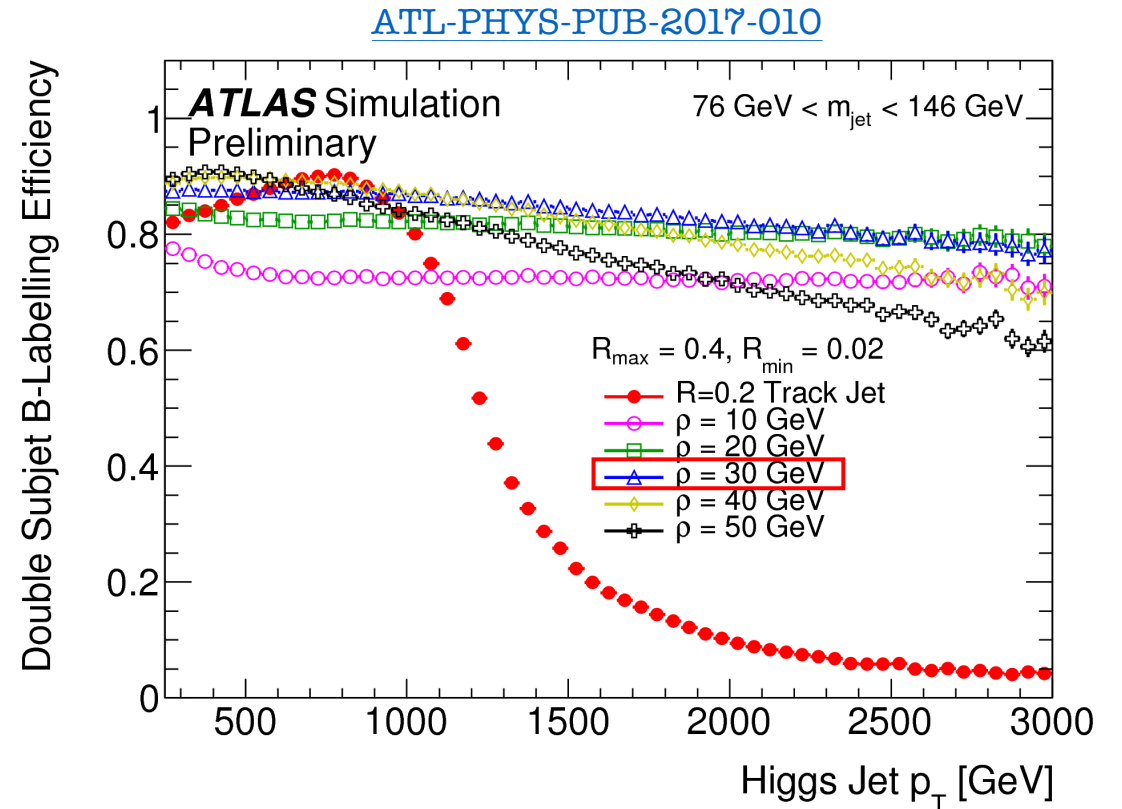
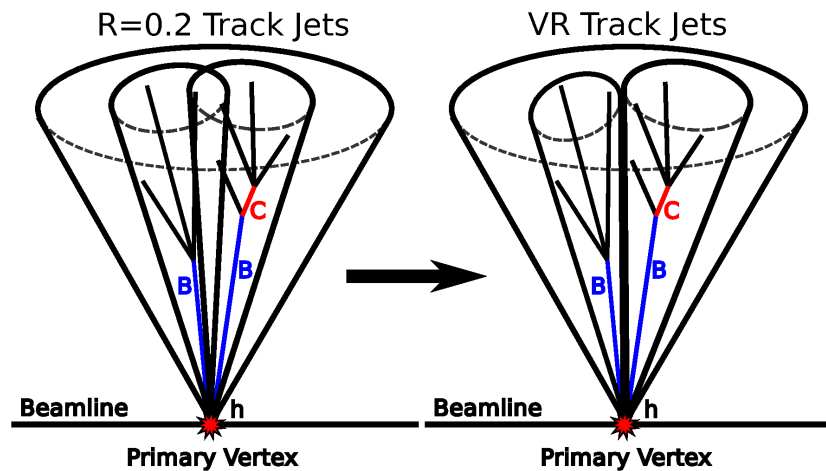
- Current nominal tagger identifies b -jets with multivariate algorithm on anti- k_T $R=0.2$ track-jets. Loses efficiency at high- p_T due to b -jets merging.
- 3 new subjet reconstruction techniques to mitigate this loss.

1 - Variable radius track jets

Subjets with dynamic radius parameter:

$$R_{eff}(p_T) = \frac{\rho}{p_T}$$

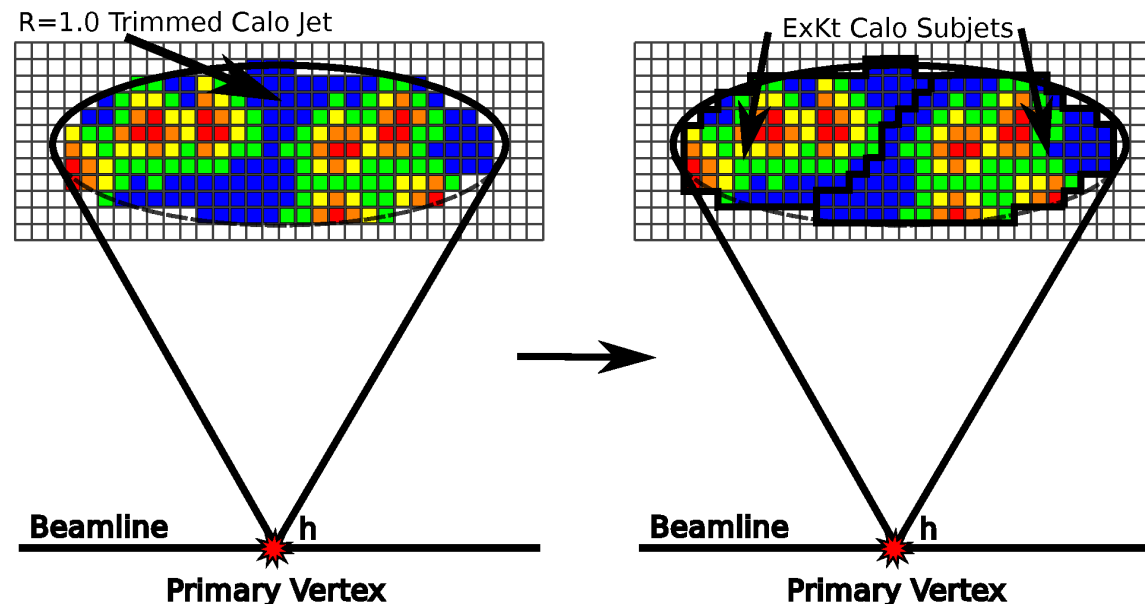
with low (R_{min}) and high (R_{max}) cutoff.



Scans performed over ρ, R_{min}, R_{max} to find optimal values

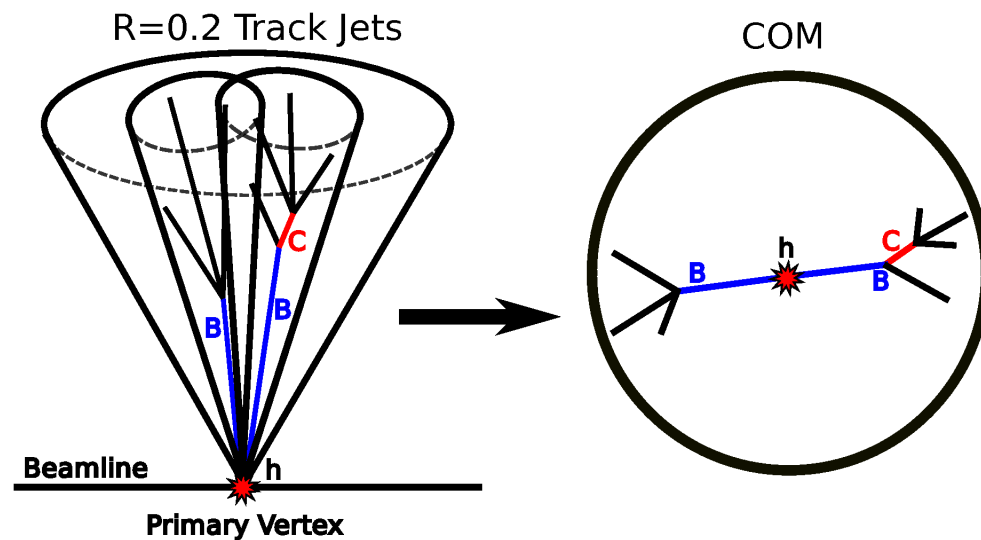
2 - Exclusive- k_T

- Recluster trimmed large-R jet calorimeter constituents with k_T algorithm and stop when 2 jets are obtained.
- Splits the large-R jet into two parts, each of which is expected to contain one b -hadron.



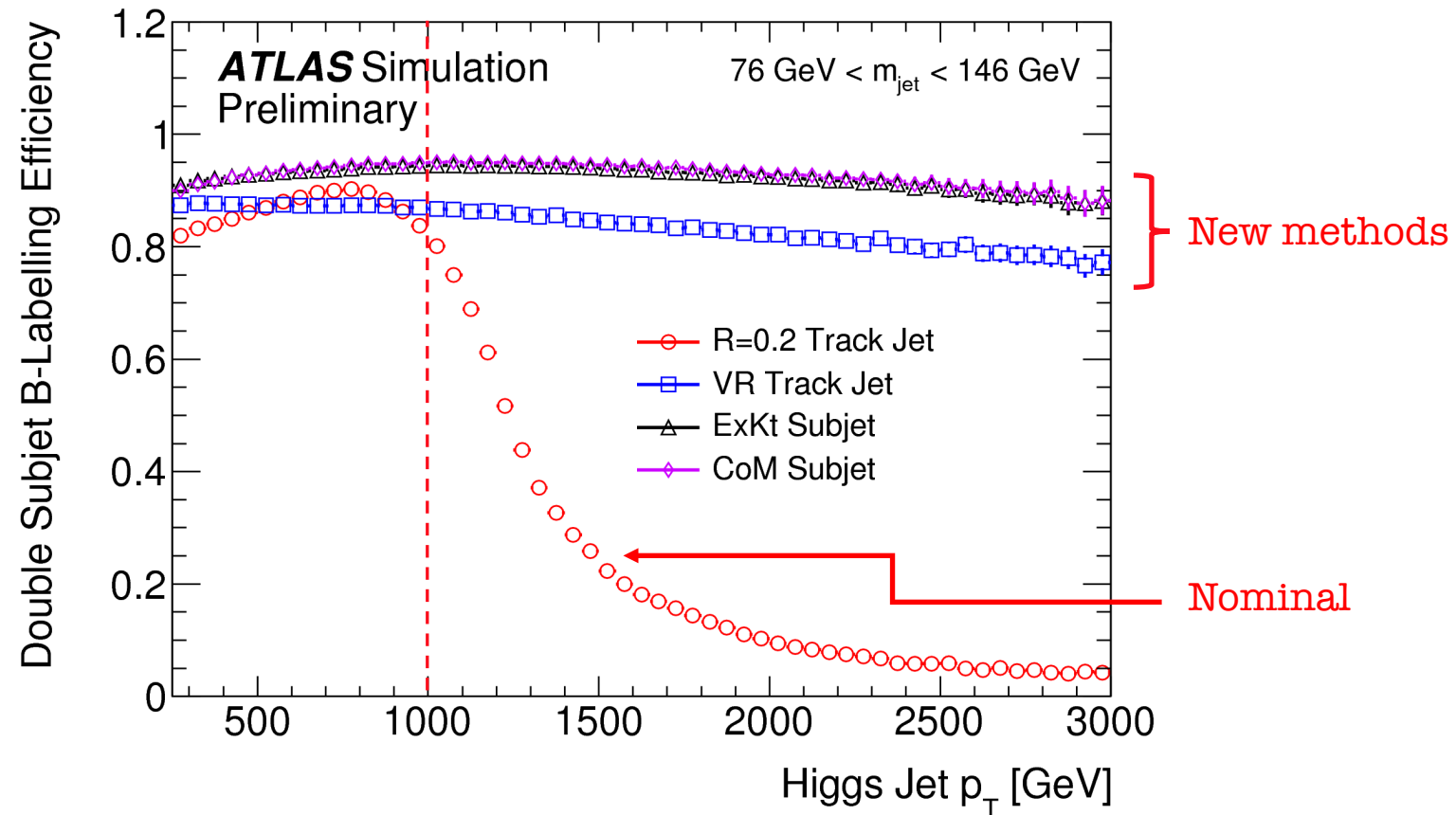
3 – Centre-of-mass

- Boost jet calorimeter clusters to the centre-of-mass frame of the large-R jet (jet rest frame) and reconstruct subjets.
- Tracks for b -tagging are also boosted to the centre-of-mass frame.



Results

New methods show large improvement over nominal tagger for $p_T > 1000$ GeV.



[ATL-PHYS-PUB-2017-010](#)

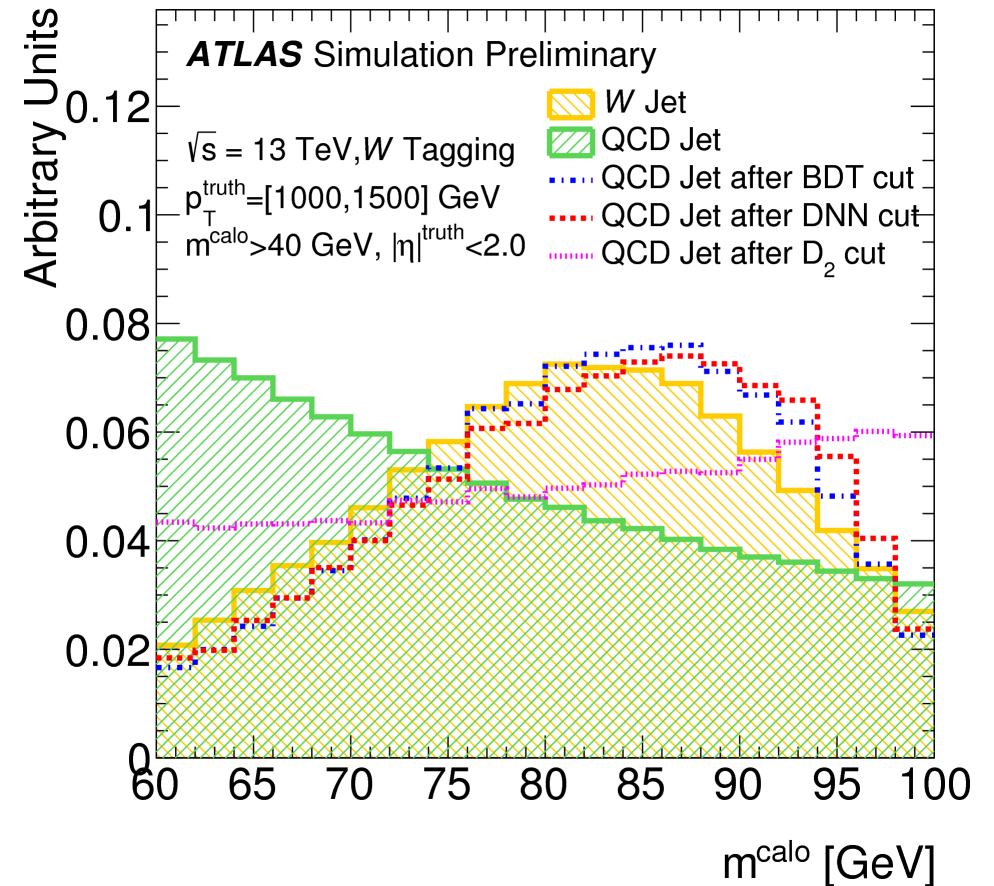
Mass decorrelation

[ATL-PHYS-PUB-2018-014](#)

Mass decorrelated taggers

- Jet substructure variables are correlated with jet mass. When you put many of them into a multivariate analysis the correlation gets very strong.
 - **Sculpting of the multijet background** -> resembles the resonance jet mass distribution
 - Depopulates side-band regions
- Aim to decorrelate jet substructure classifiers from jet mass

[ATL-PHYS-PUB-2017-004](#)

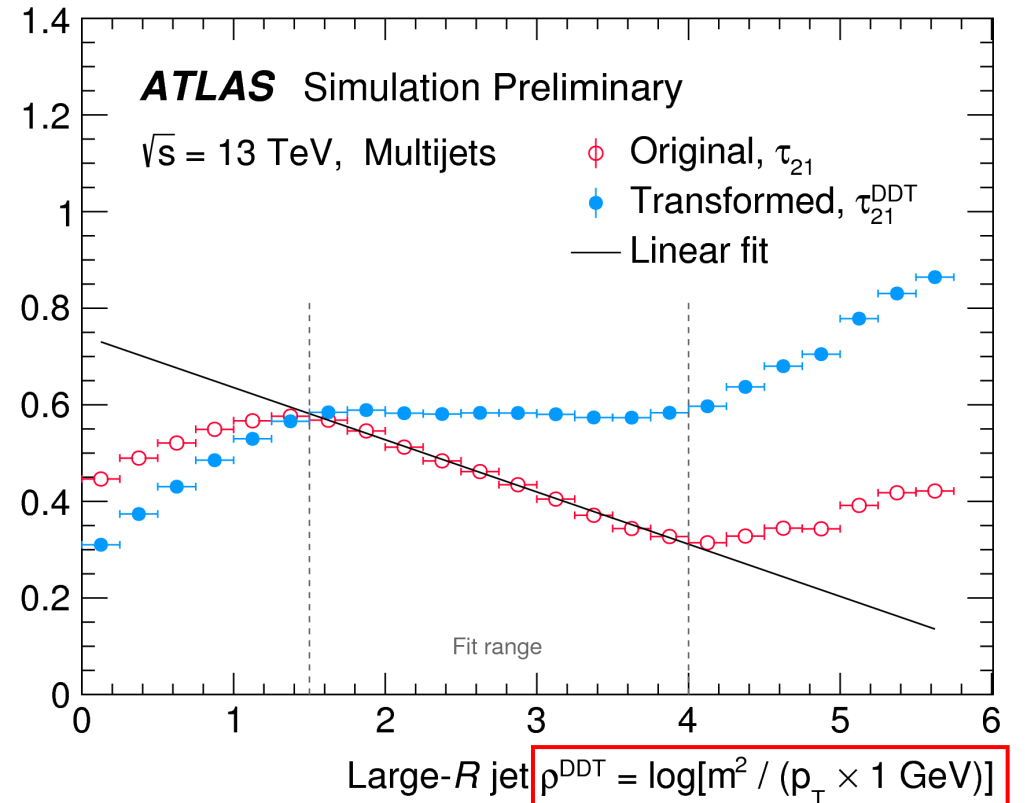


Designed decorrelated taggers (DDT)

- τ_{21} variable distinguishes 1-prong from 2-prong jets
- Has a linear relationship to jet scaling variable ρ^{DDT} for masses > 80 GeV

More 1-jetty \uparrow
 $\langle \tau_{21} \rangle, \langle \tau_{21}^{\text{DDT}} \rangle$
 \downarrow More 2-jetty

ATL-PHYS-PUB-2018-014

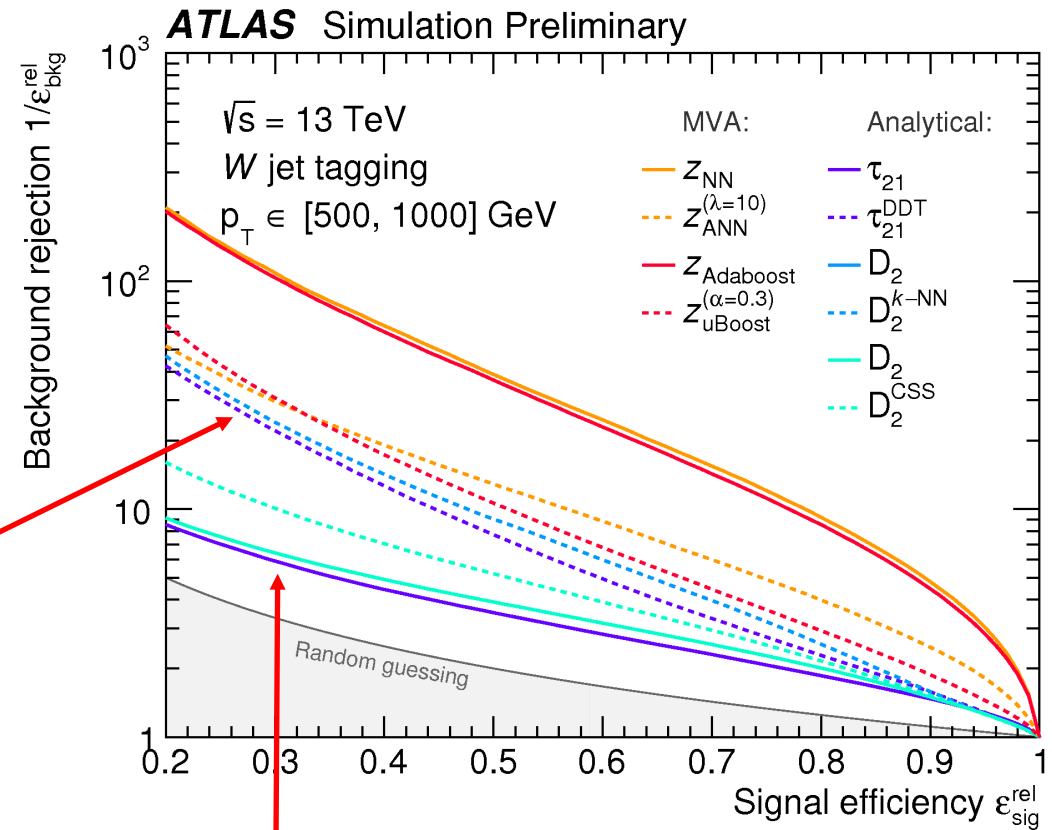


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ATL-PHYS-PUB-2018-014

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τ_{21} after DDT transformation



Standard τ_{21}

Summary

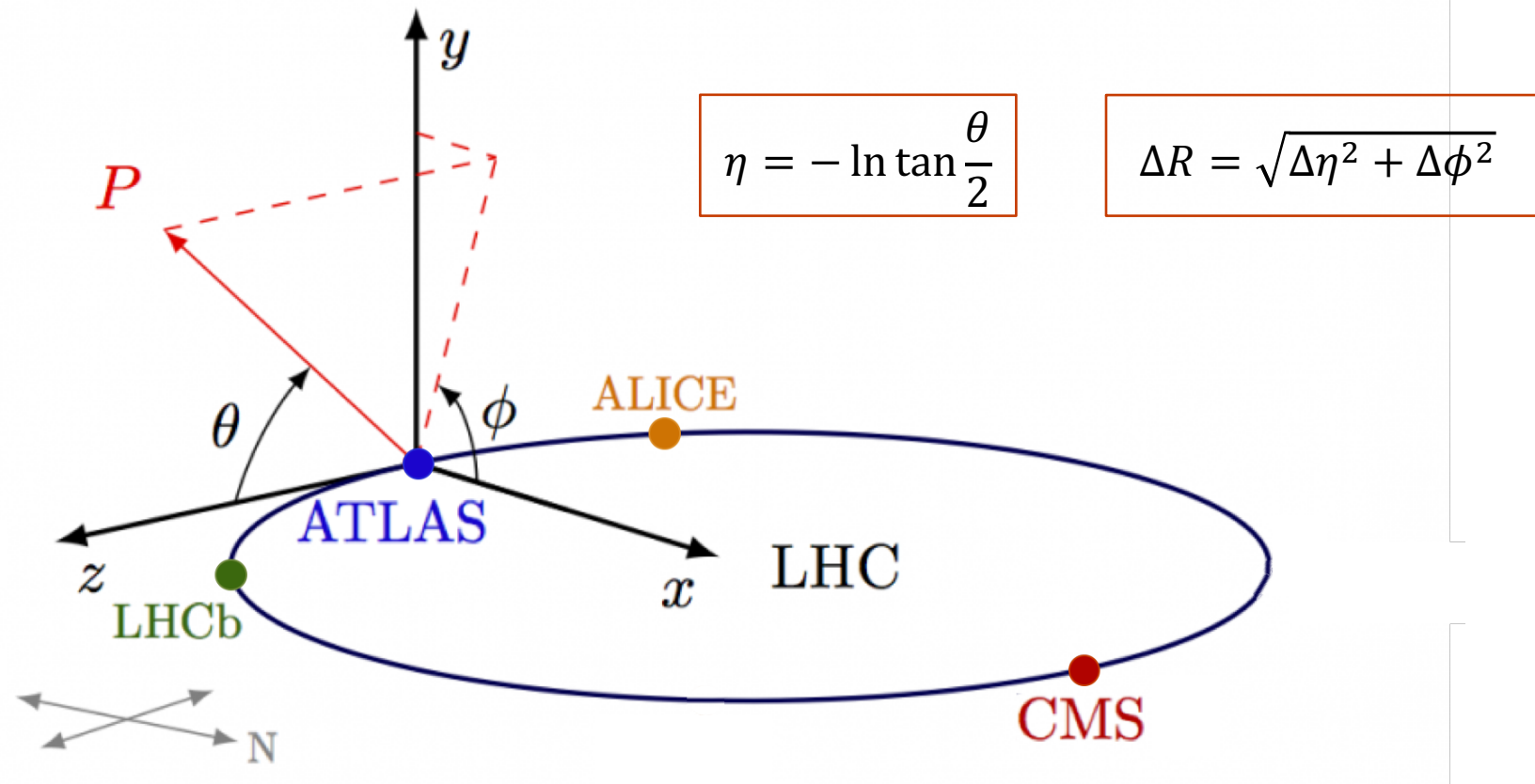
Summary

- Top/W tagging:
 - Machine learning taggers perform better than 2-variable taggers
 - Machine learning tagger with low-level inputs (TopoDNN) performs the best for top tagging
 - Signal efficiency & background rejection in data are well modelled by MC
- $H \rightarrow bb$ tagging:
 - 3 new subjet reconstruction techniques to overcome loss of efficiency at high p_T due to b -jet merging
 - Large improvement over nominal tagger for $p_T > 1000$ GeV
- Mass decorrelated taggers:
 - Various approaches studied with promising results

Fin.

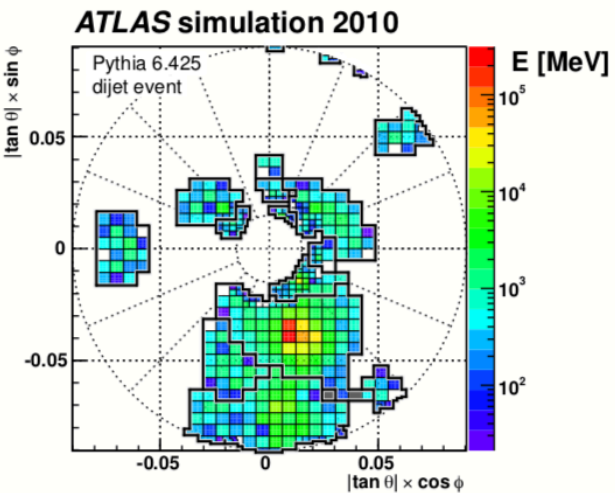
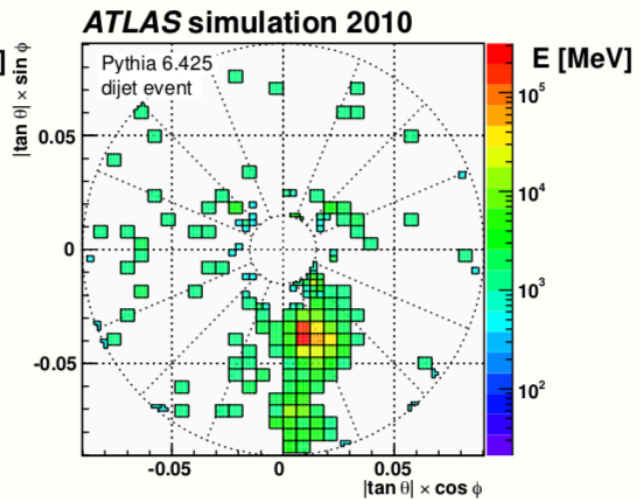
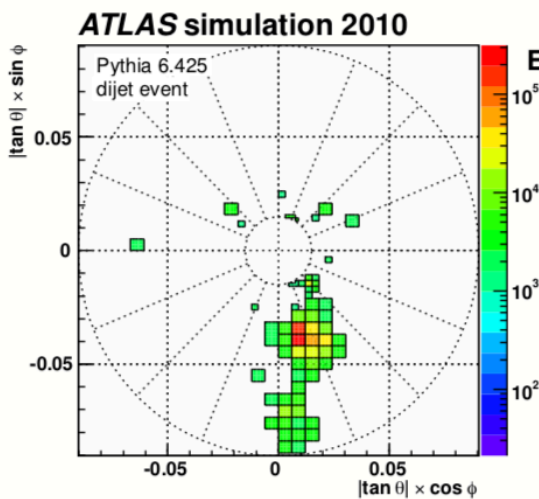
Back-up

The ATLAS coordinate system

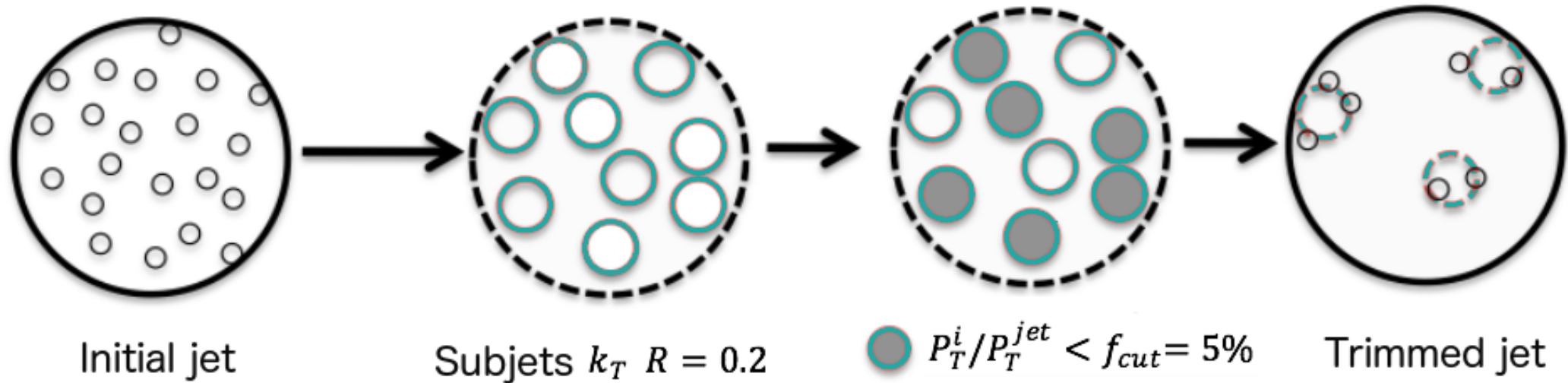


Granularity of ATLAS calorimeter

- The hadronic calorimeter is coarser than the EM calorimeter. If we want to use all calorimeter layers we are limited by coarsest layer ($R_{min} \sim 0.2$). But we can also ignore coarse layers and use only very fine layers.
 - EM granularity: $\Delta\eta \times \Delta\phi \approx 0.025 \times \pi/128$
 - Hadronic granularity: $\Delta\eta \times \Delta\phi \approx 0.1 \times \pi/32$



Jet trimming



Combined mass

Track-assisted mass: $m^{\text{TA}} = m^{\text{track}} \times \frac{p_T^{\text{calo}}}{p_T^{\text{track}}}$

in which m^{track} and p_T^{track} are the invariant mass and p_T calculated from tracks associated with the large-R trimmed calorimeter jet and p_T^{calo} is the p_T of the original trimmed large-R jet.

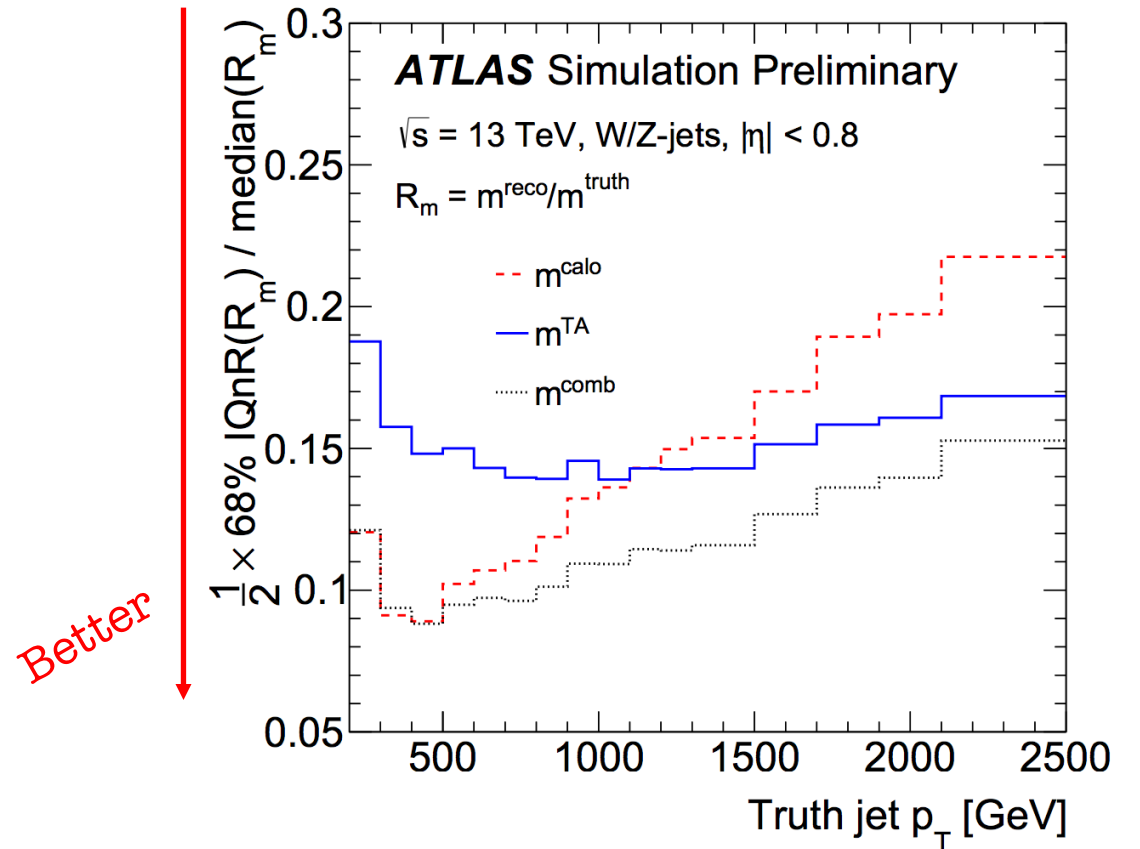
Calorimeter mass: $m^{\text{calo}} = \sqrt{(\sum_i E_i)^2 - (\sum_i \vec{p}_i)^2}$

$m^{\text{comb}} = a \times m^{\text{calo}} + b \times m^{\text{TA}}$

with $a = \frac{\sigma_{\text{calo}}^{-2}}{\sigma_{\text{calo}}^{-2} + \sigma_{\text{TA}}^{-2}}$ and $b = \frac{\sigma_{\text{TA}}^{-2}}{\sigma_{\text{calo}}^{-2} + \sigma_{\text{TA}}^{-2}}$

where σ_{calo} and σ_{TA} are the calorimeter-based jet mass resolution function and the track-assisted mass resolution function respectively.

[ATLAS-CONF-2016-035](#)



JSS variables

- Energy correlation ratio: $D_2 = \frac{e_3}{(e_2)^3}$ where e_2 and e_3 are the 2- and 3-prong energy correlation functions which are sensitive to the 2- and 3-prong structure in a jet.

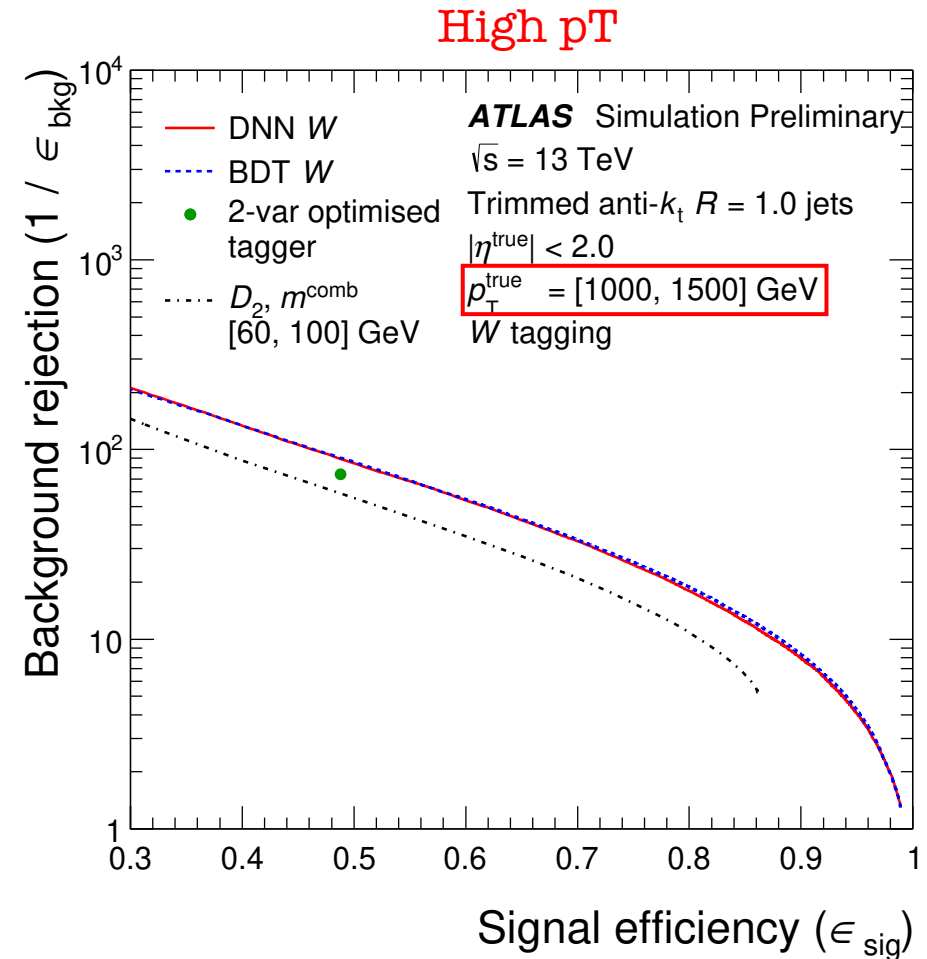
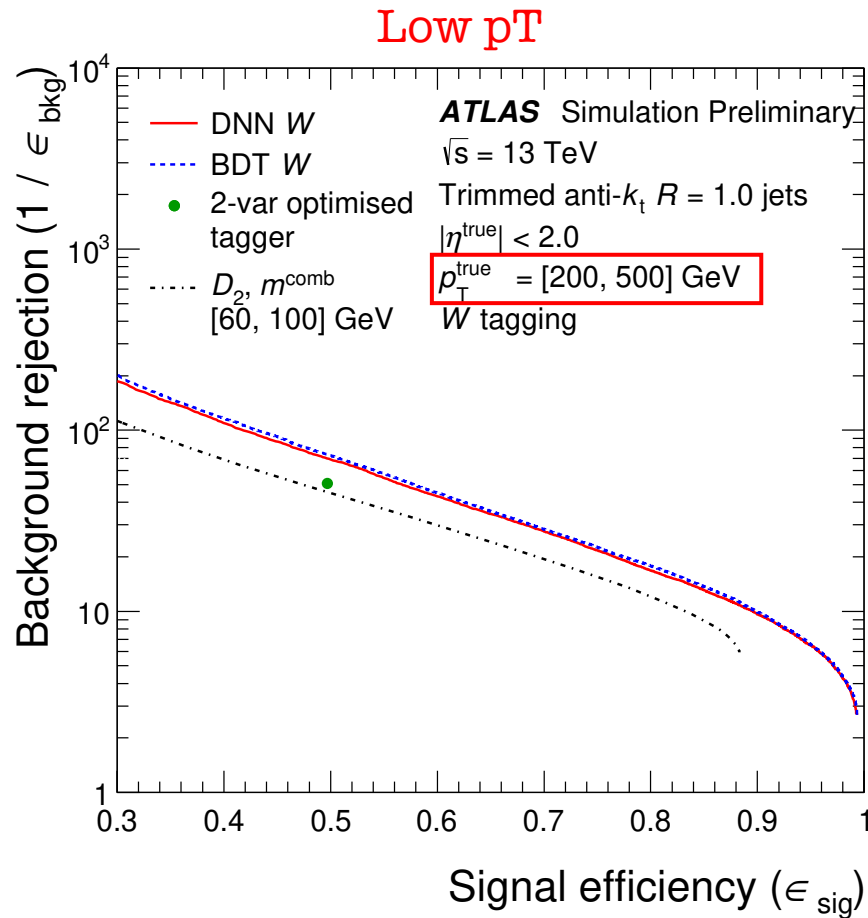
- N-subjettiness: $\tau_{32} = \tau_3/\tau_2$ where

$$\tau_N = \frac{1}{d_0} \sum_k p_{T,k} \times \min(\Delta R_{1k}, \Delta R_{2k}, \dots, \Delta R_{Nk}), \quad d_0 = \sum_k p_{T,k} \times R$$

R is radius parameter of the jet, $p_{T,k}$ is transverse momentum of constituent k , and ΔR_{ik} is the distance between the subject i and the constituent k . The N-subjettiness variable τ_N expresses how well a jet can be described as containing N subjects.

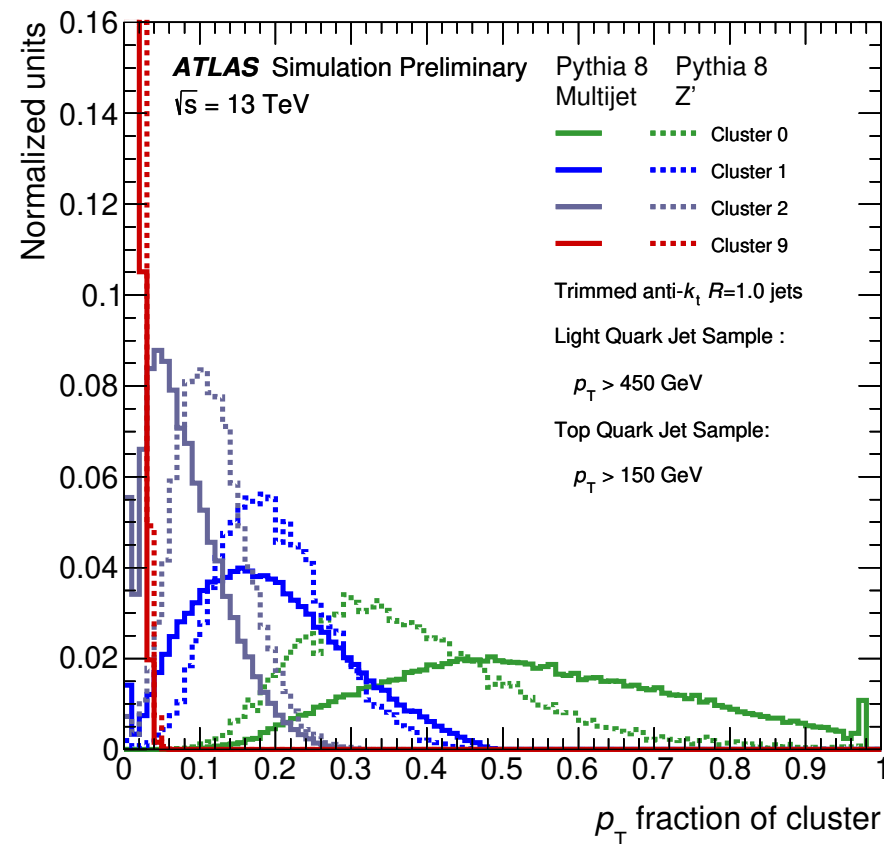
- Jet mass calculated from constituents: $m^2 = (\sum_i E_i)^2 - (\sum_i \vec{p}_i)^2$

W tagging with ML methods



TopoDNN

Uses p_T , η , φ of 10 leading topoclusters in trimmed large-R jet.



Top/W tagging in data

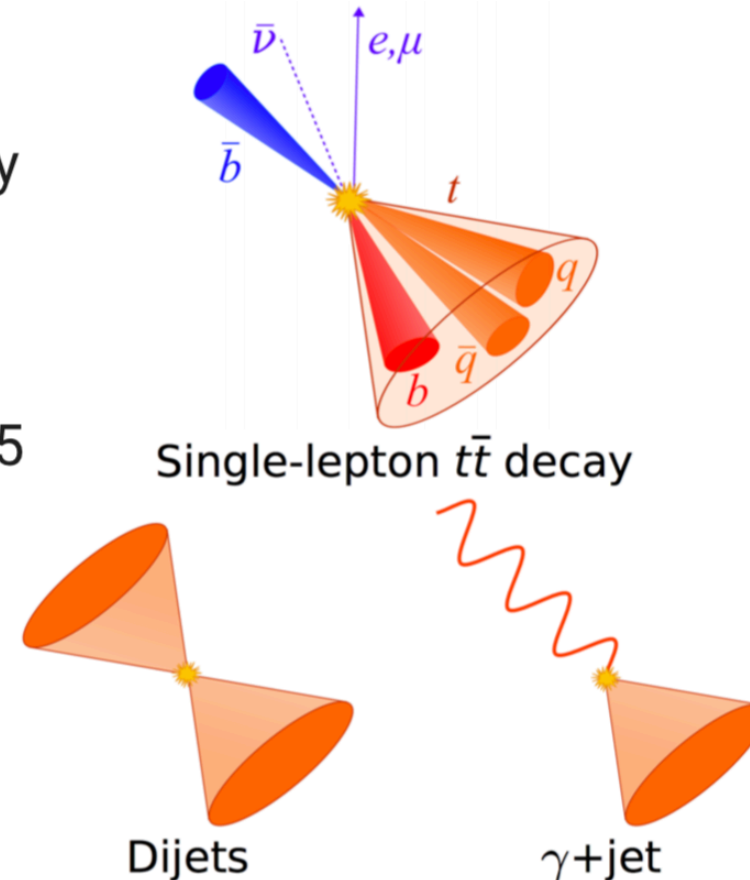
- Full ATLAS 2015 – 2016 dataset, $L = 36.1 - 36.7 \text{ fb}^{-1}$

- **W/top tagging efficiency**

- $t\bar{t}$ decay to single lepton + jets topology
- **W:** $\Delta R(b\text{-jet, large-}R \text{ jet}) > 1.0$
 $p_{\text{T}}(J) > 200 \text{ GeV}$
- **Top:** $\Delta R(b\text{-jet, large-}R/\text{HTT jet}) < 1.0/1.5$
 $p_{\text{T}}(J) > 350 \text{ GeV}$

- **Multijet rejection**

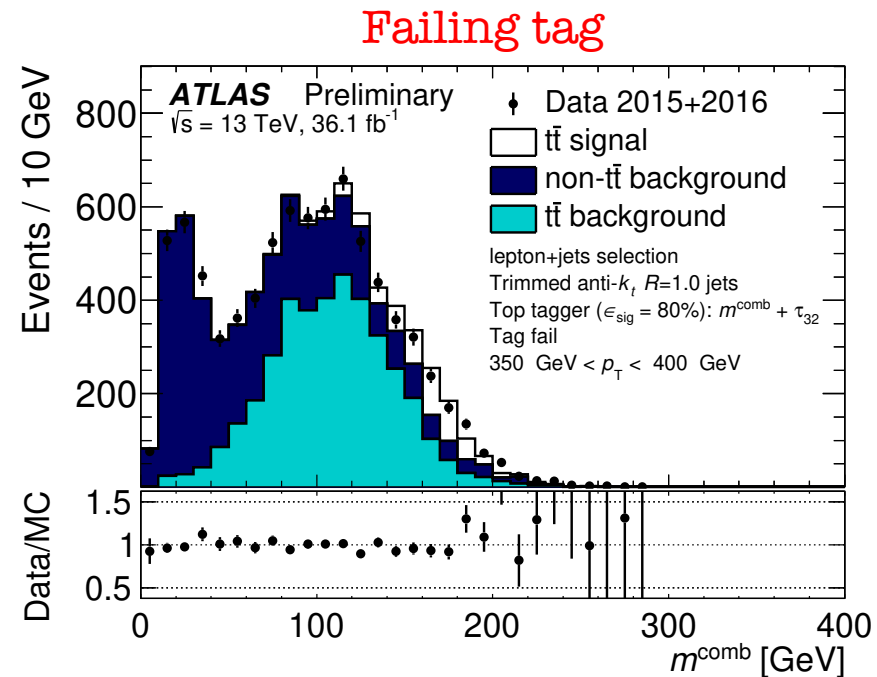
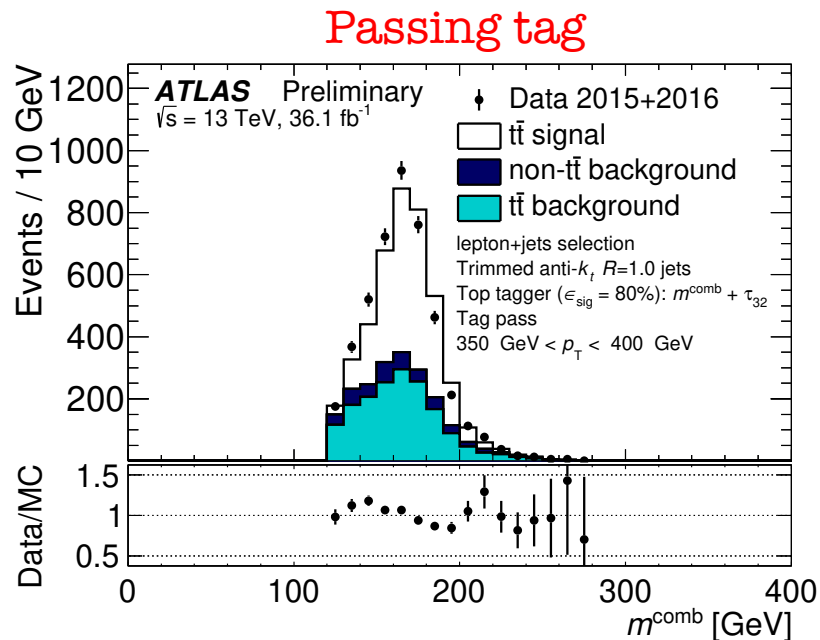
- Dijets: $p_{\text{T}}(J) > 450 \text{ GeV}$
- γ + jets: $p_{\text{T}}(J) > 200 \text{ GeV}$



W/top tagging efficiency

Need to measure efficiency in data and get uncertainty on this efficiency.

Measure signal-like events in data to fit large-R jet mass for events passing/failing a tagger



W/top tagging efficiency vs. jet p_T

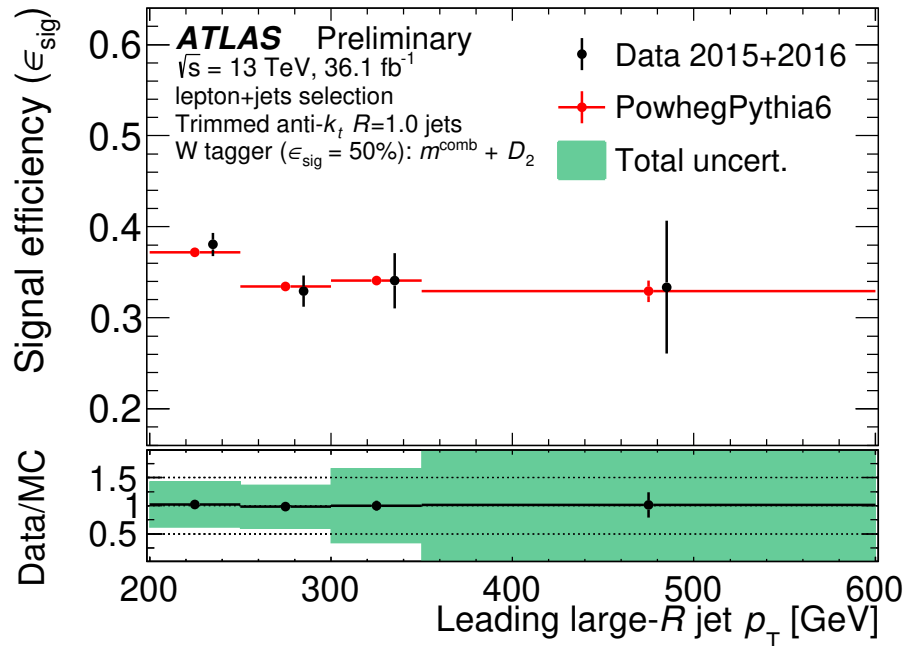
pre-fit

$$\epsilon_{MC} = \frac{N_{\text{signal}}^{\text{tagged}}}{N_{\text{signal}}^{\text{tagged}} + N_{\text{signal}}^{\text{not tagged}}}$$

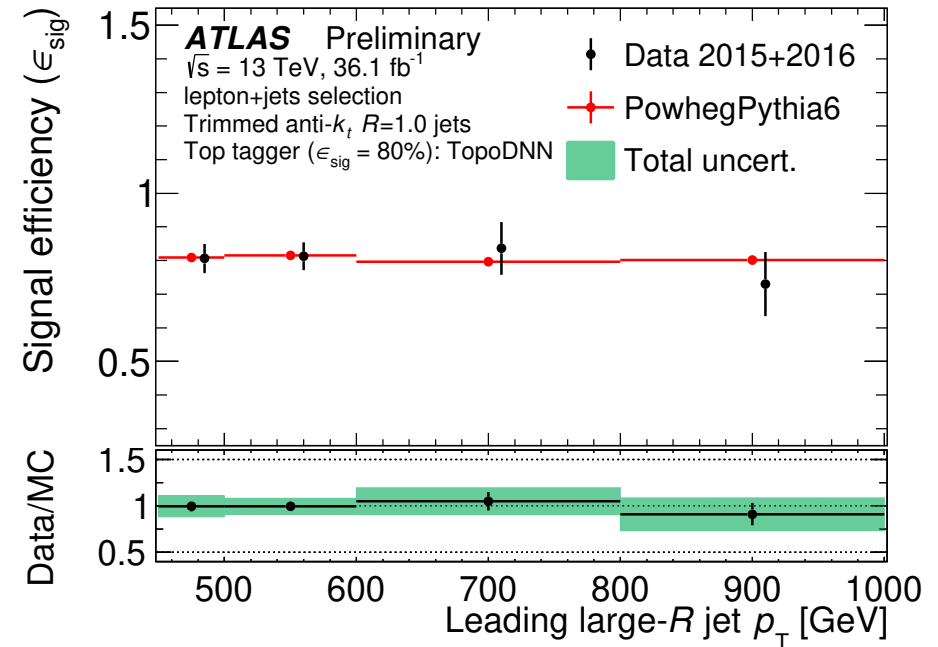
$$\epsilon_{\text{data}} = \frac{N_{\text{fitted signal}}^{\text{tagged}}}{N_{\text{fitted signal}}^{\text{tagged}} + N_{\text{fitted signal}}^{\text{not tagged}}}$$

post-fit

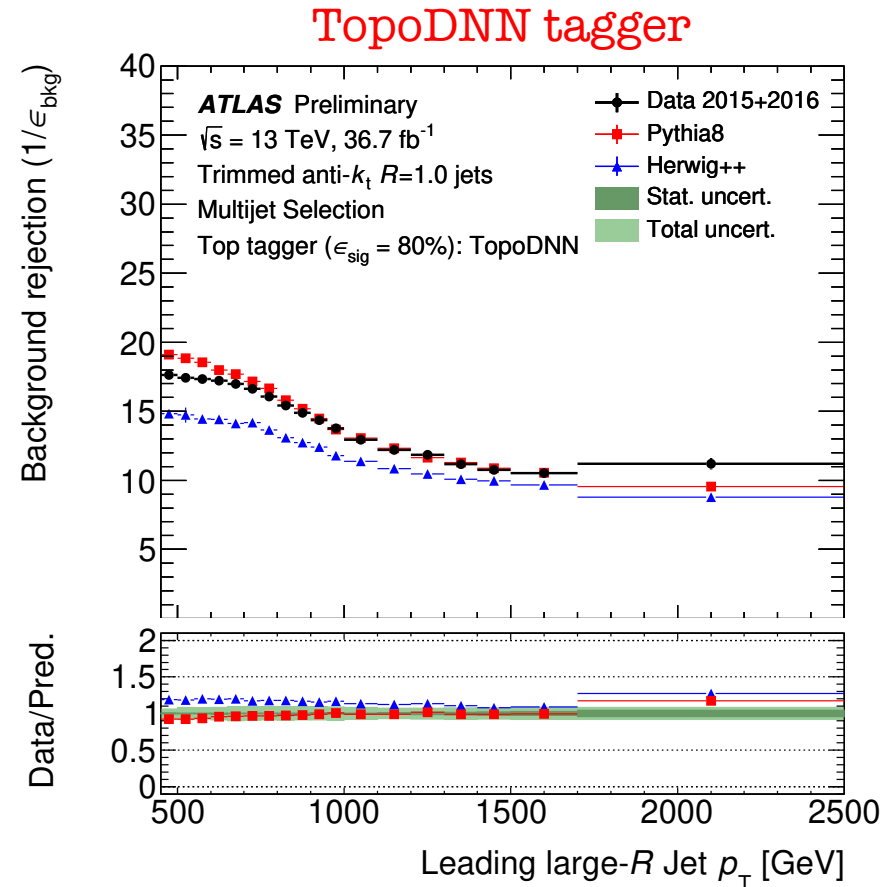
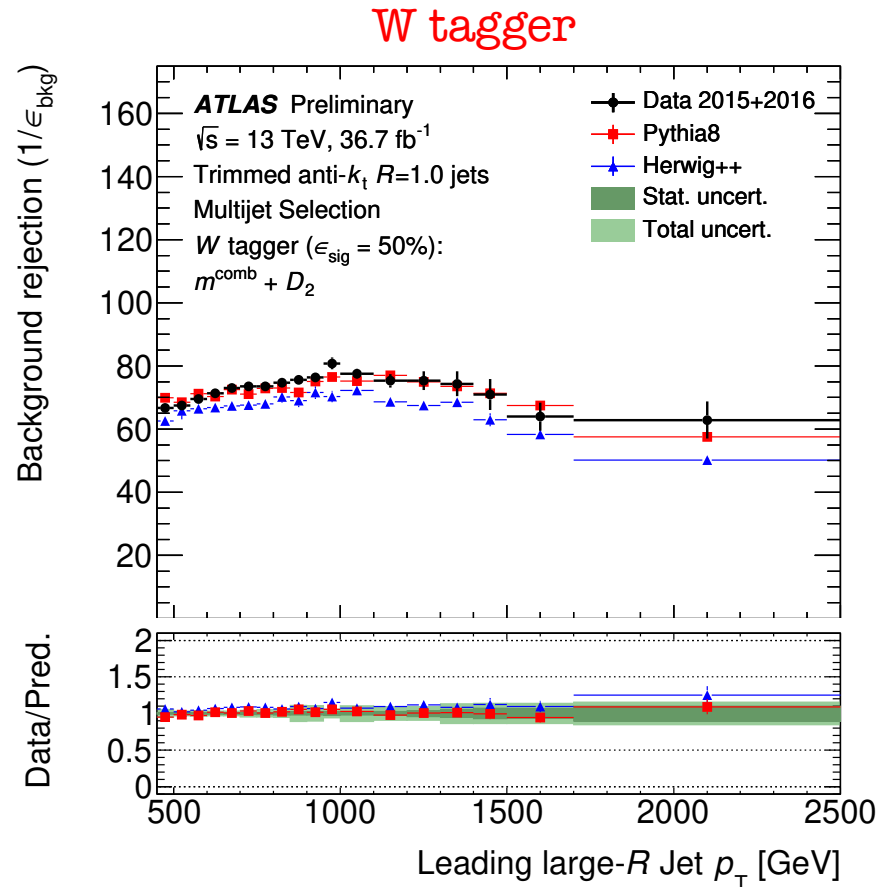
W tagger



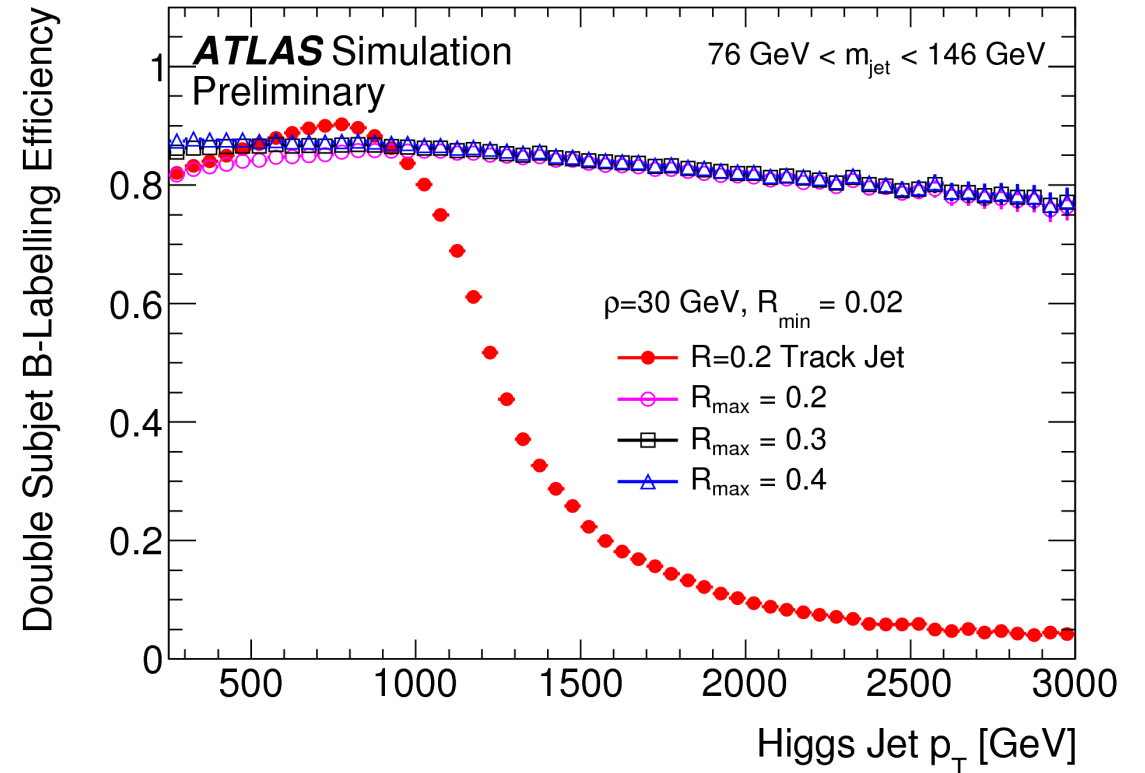
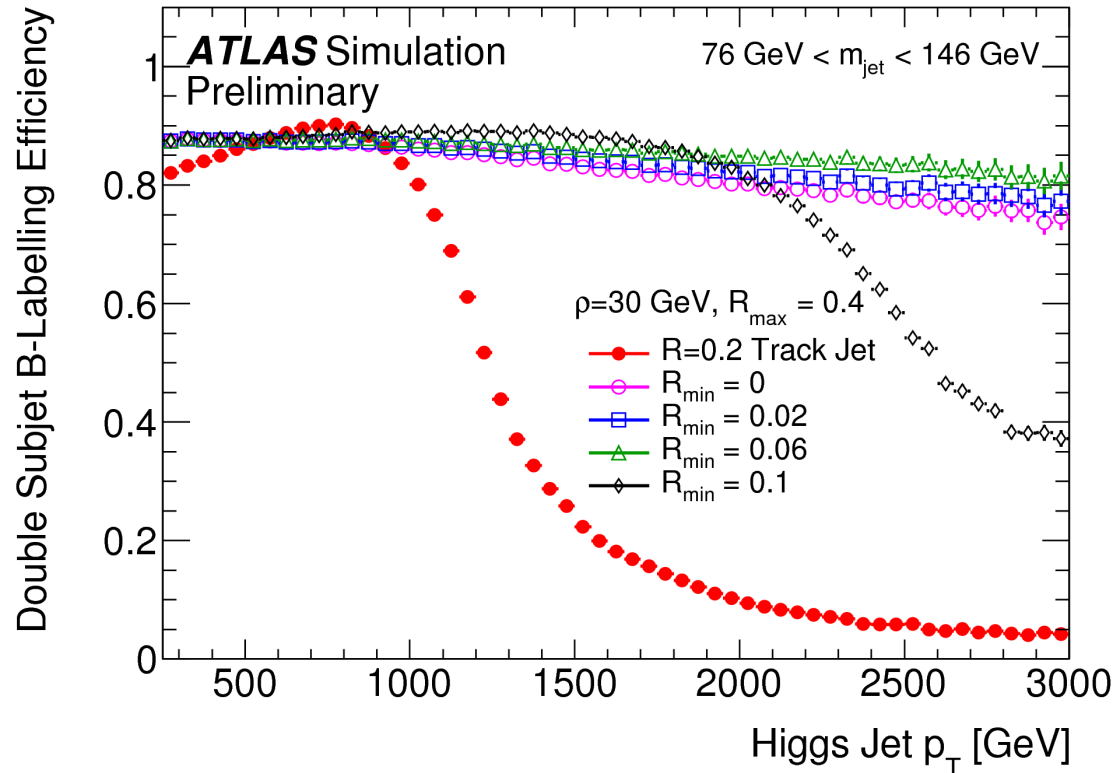
TopoDNN tagger



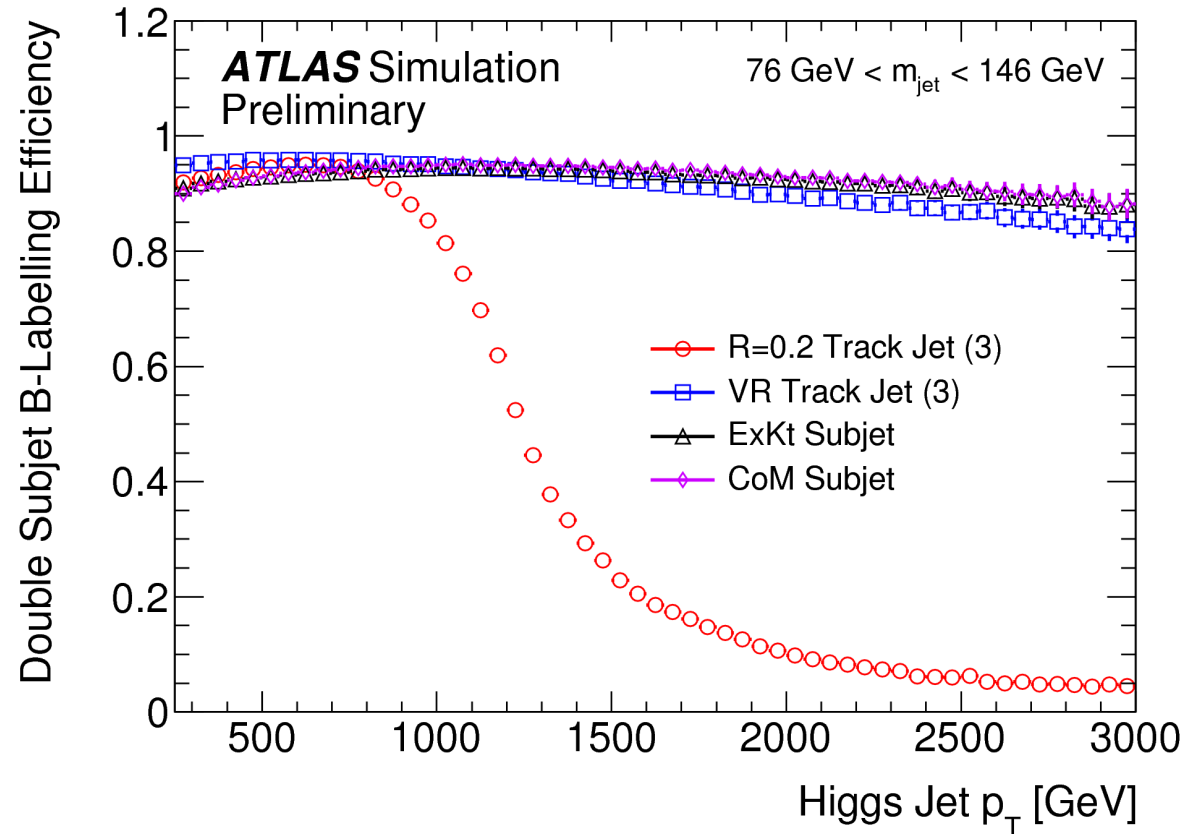
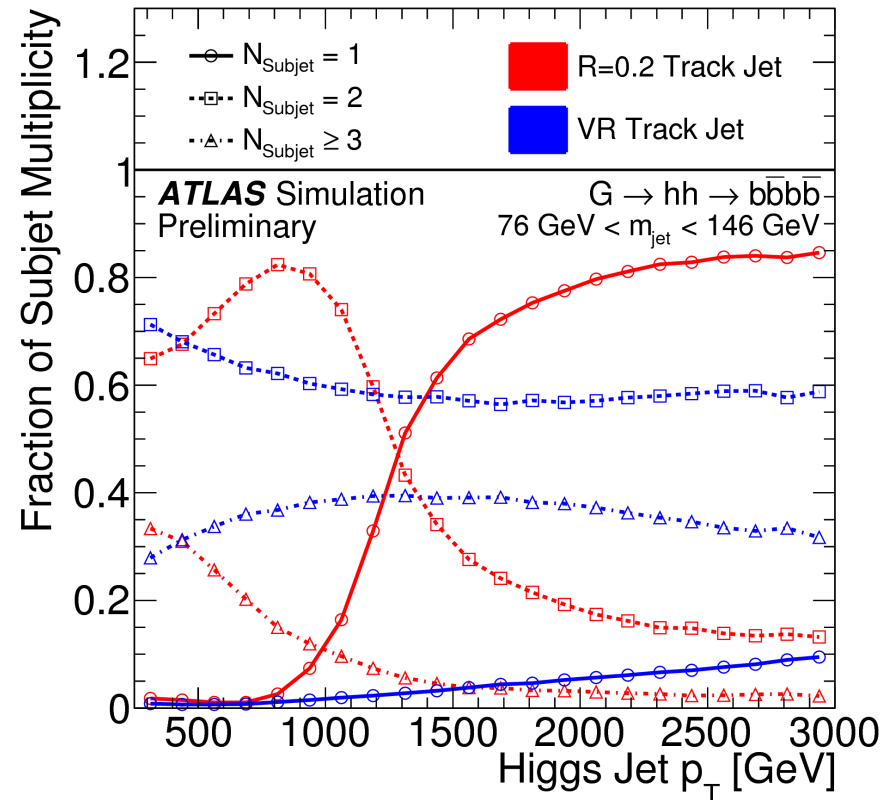
Multijet rejection vs. jet p_T



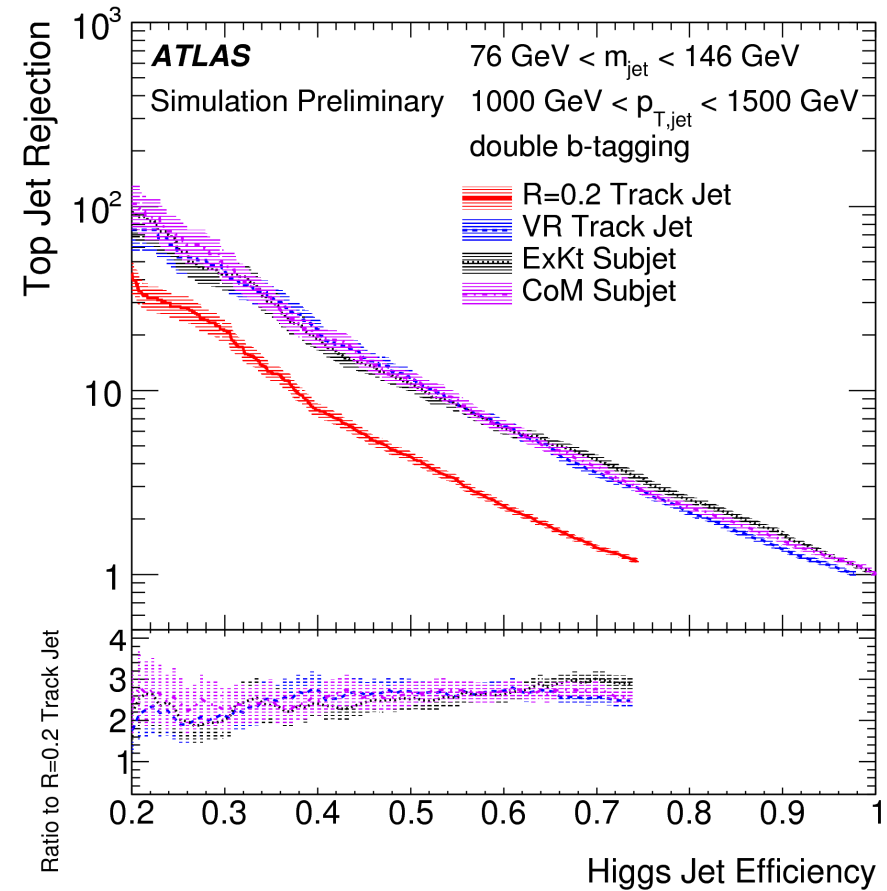
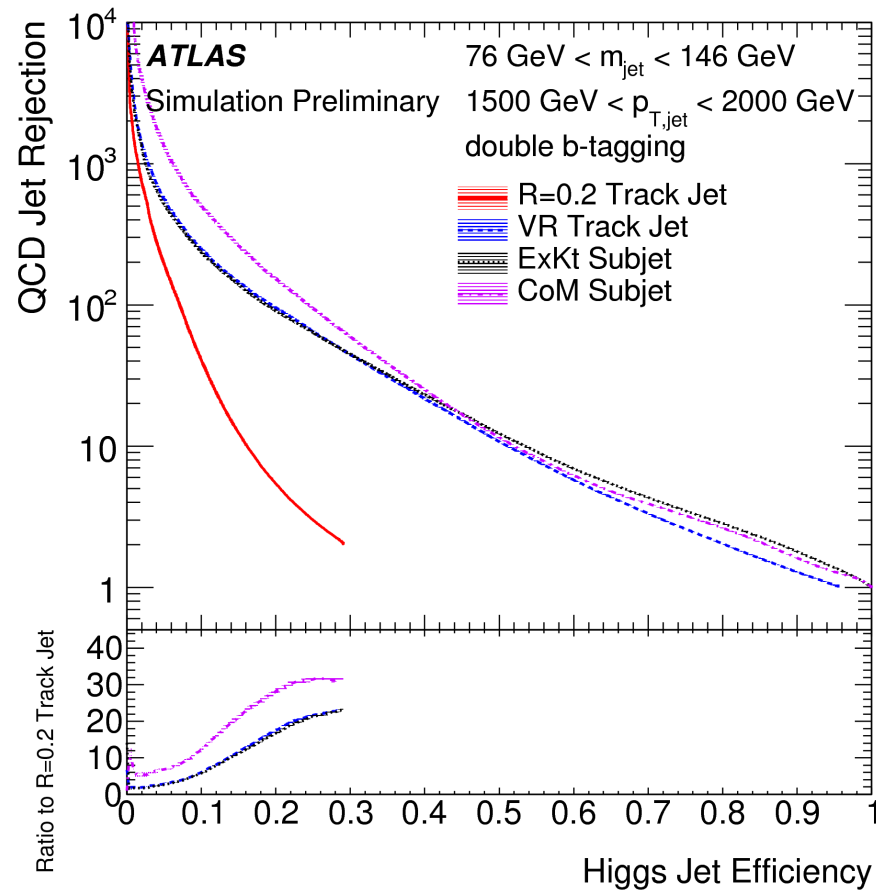
Variable radius track jets



Results H->bb tagging techniques



H->bb tagging results



Designed decorrelated taggers

- Linear fit on the relationship between τ_{21} and ρ . Transformation is:

$$\tau_{21}^{DDT} = \tau_{21} - a \times (\rho^{DDT} - 1.5)$$

a is the slope of the fit in the plot.

- DDT transformation removes the linear correlation of τ_{21} with ρ . Since ρ has info on kinematics of the jet (m and p_T), the DDT transform yields a JSS discriminant which is decorrelated from the jet mass.

Mass decorrelation

ATLAS Simulation Preliminary

$\sqrt{s} = 13$ TeV, W jet tagging

Cuts at $\epsilon_{\text{sig}}^{\text{rel}} = 50\%$

Inclusive selection:

■ Multijets ▨ W jets

