

IP Instrumentation

Measurement of:

- Luminosity (precise and fast)
- Energy
- Polarisation

Wolfgang Lohmann,
DESY

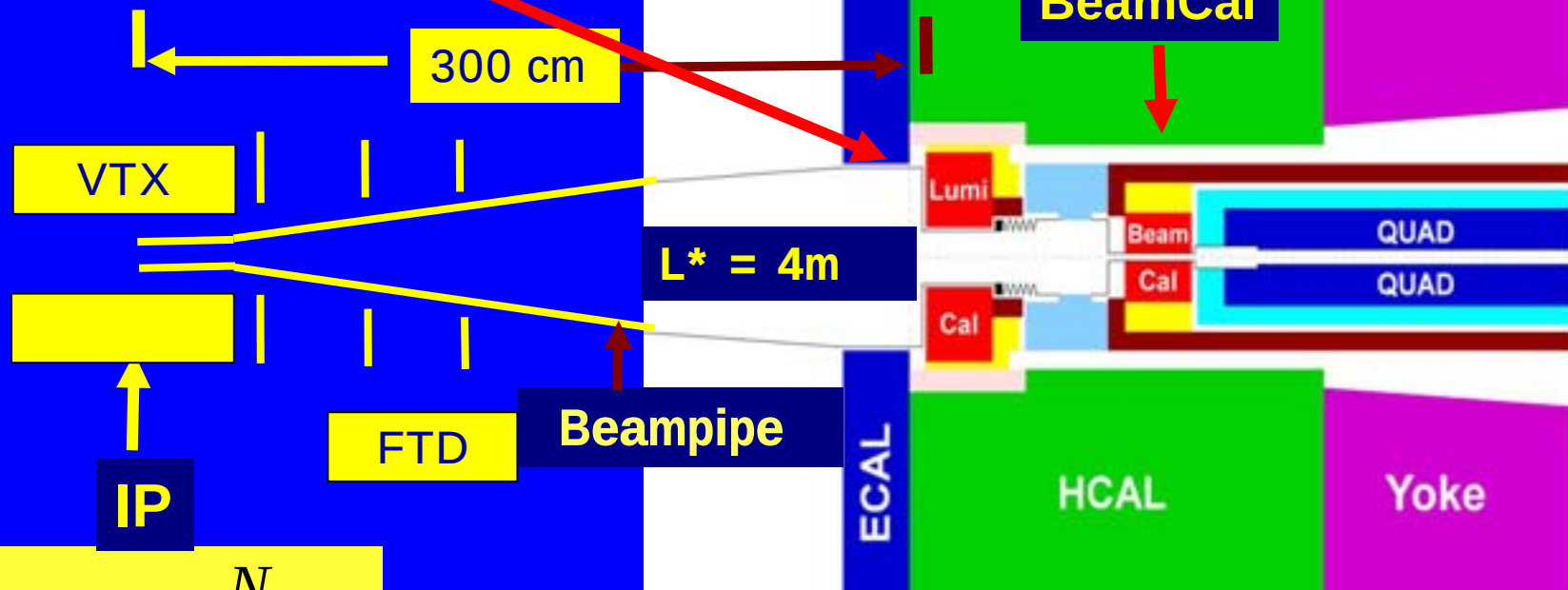
Precise Luminosity Measurement

Gauge process: Bhabha Scattering

Device: LumiCal

$26 < \theta < 82 \text{ mrad}$

$$e^+ e^- \rightarrow e^+ e^-$$

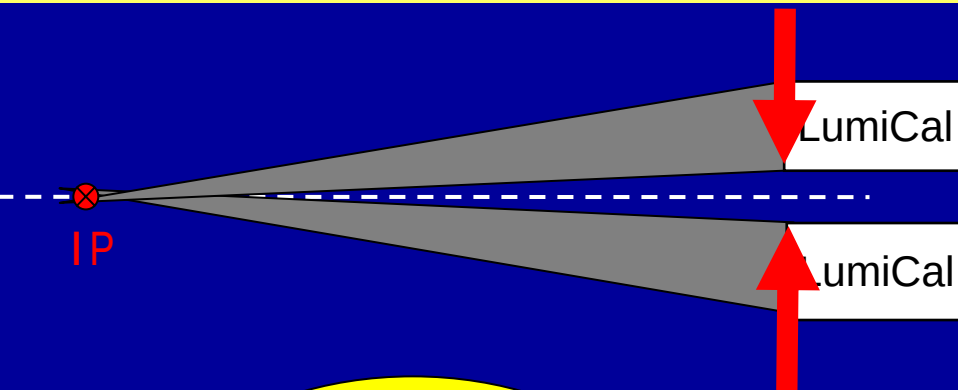


$$L = \frac{N_{LumiCal} - N_{bgr}}{\epsilon \sigma_{Bhabha}}$$

Accuracy (from Physics)
O(<10⁻³)

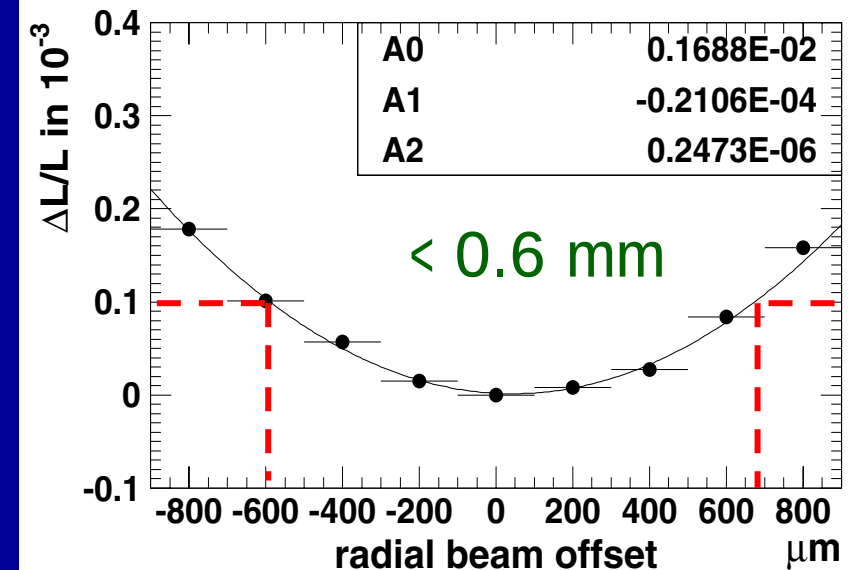
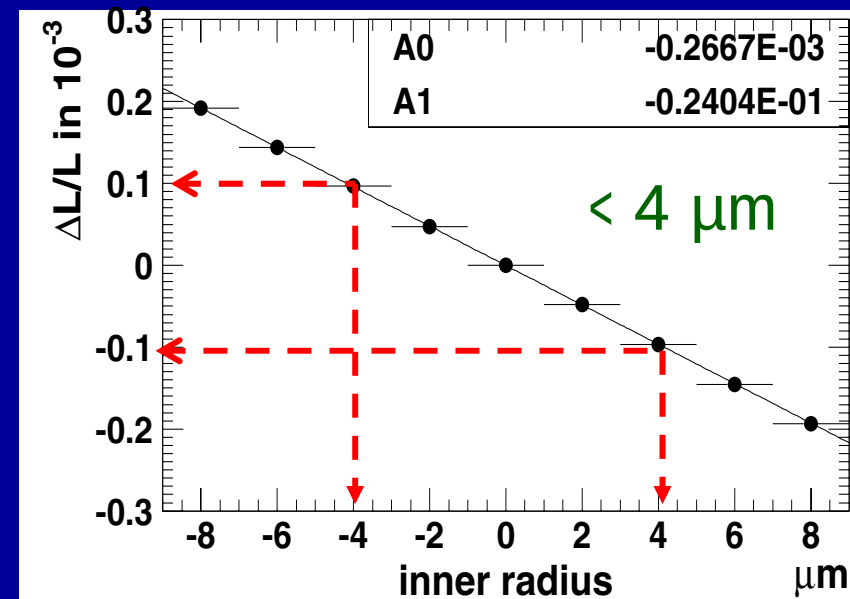
(OPAL : $\Delta L / L = 3 \times 10^{-4} (stat) \oplus 5.4 \times 10^{-4} (theo)$)
(ALEPH : $\Delta L / L = 6 \times 10^{-4} (stat) \oplus 6.1 \times 10^{-4} (theo)$)

Requirements on the Mechanical Design

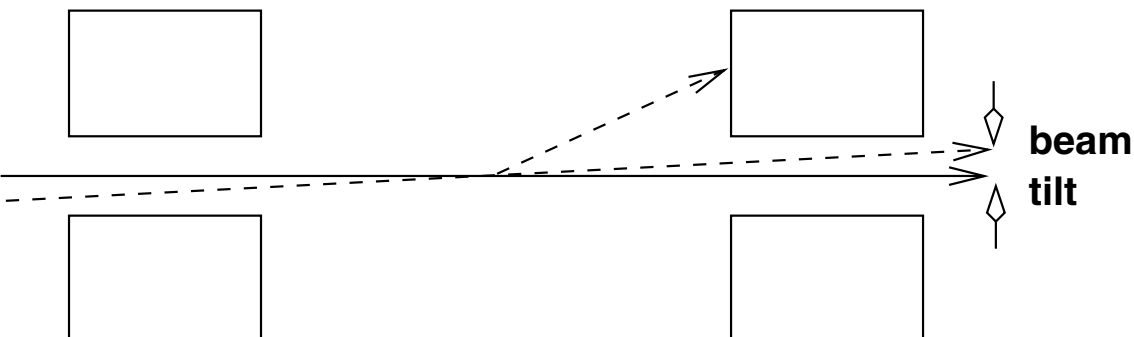


Requirements on
Alignment
and mechanical Precision
(MC simulations, BHLUMI)

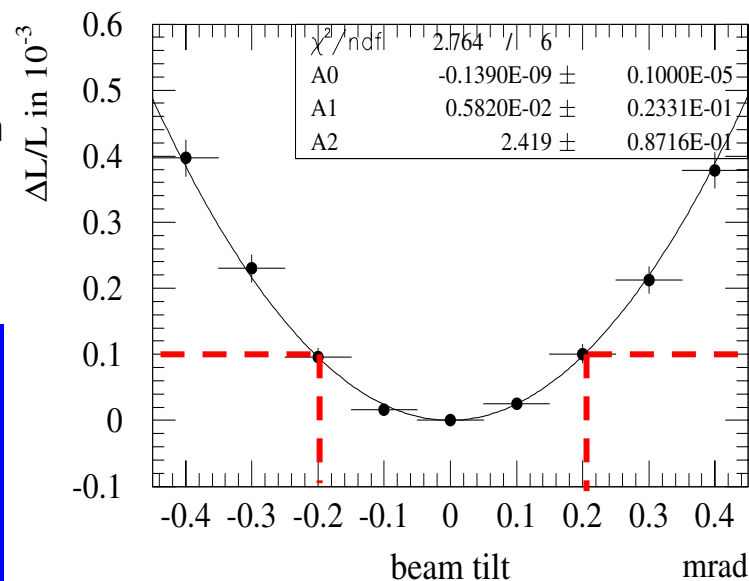
Inner Radius of Cal.: $< 4 \mu\text{m}$
Distance between Cals.: $< 100 \mu\text{m}$
Radial beam position: $< 0.6 \text{ mm}$



Beam Tilt

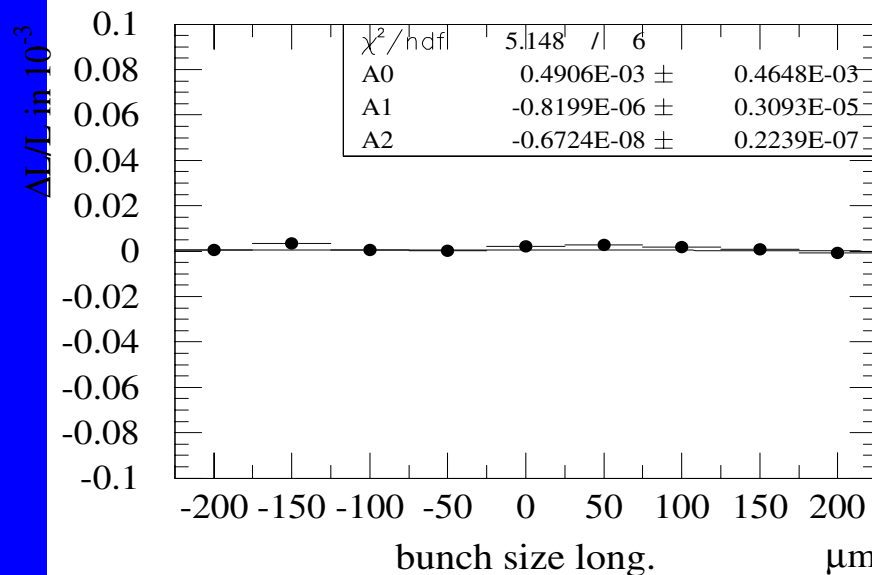


$$\frac{\Delta L}{L} \leq 10^{-4} \Rightarrow bmtilt \leq 0.2 \text{ mrad}$$



Beam Size

No effect



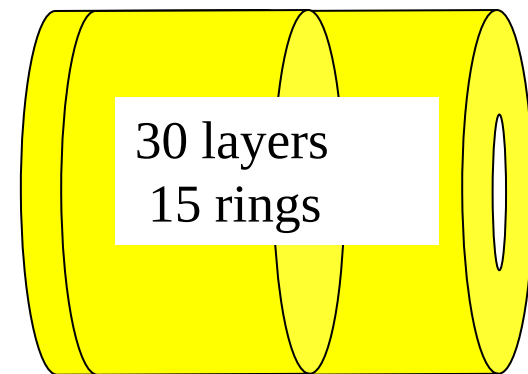
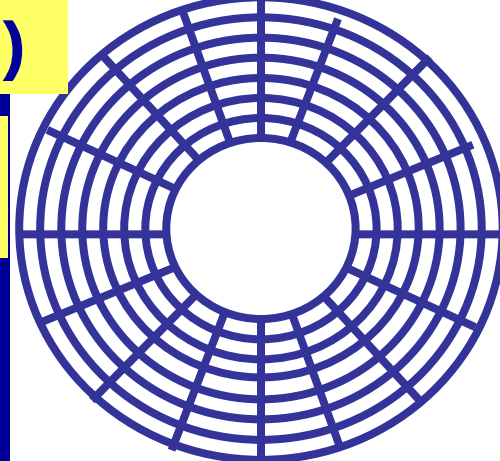
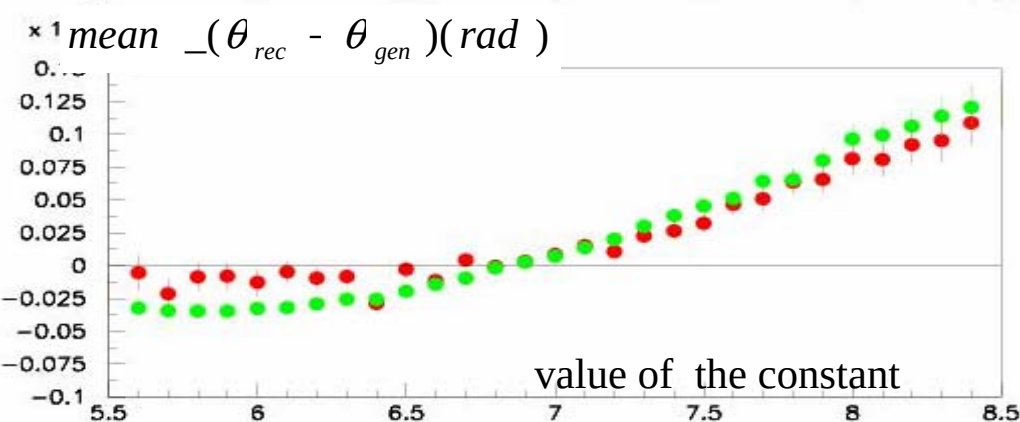
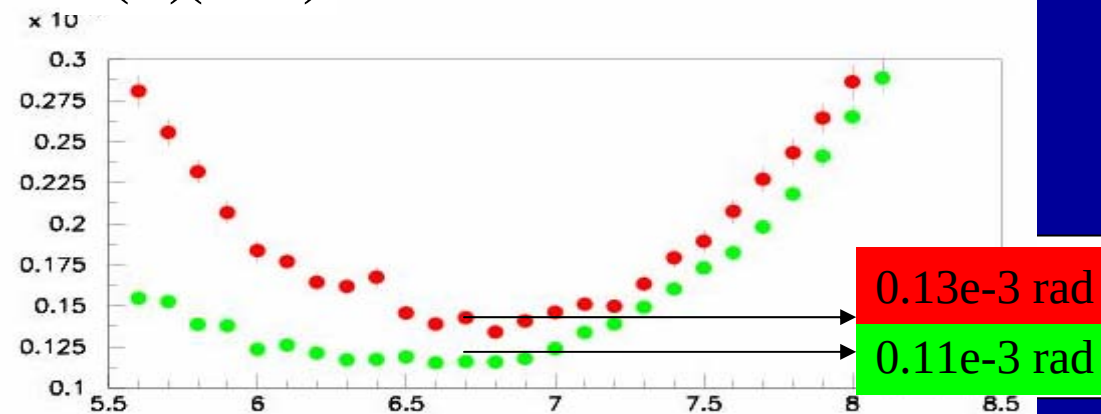
Performance Simulations for $e^+e^- \longrightarrow e^+e^-(\gamma)$

Simulation: Bhwide(Bhabha)+CIRCE(Beamstrahlung)+beamsread

Event selection: acceptance, energy balance, azimuthal and angular symmetry.

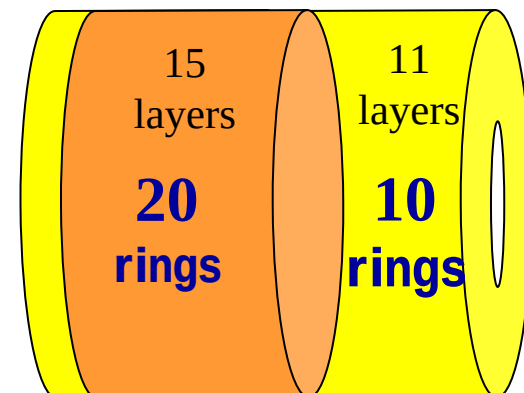
$$\langle X \rangle = \frac{\sum X_i W_i}{\sum W_i} \quad W_i = \max\{0, [\text{const}(E_{\text{beam}}) + \ln(\frac{E_i}{E_T})]\}$$

$c(\theta)(\text{rad})$



4
layers

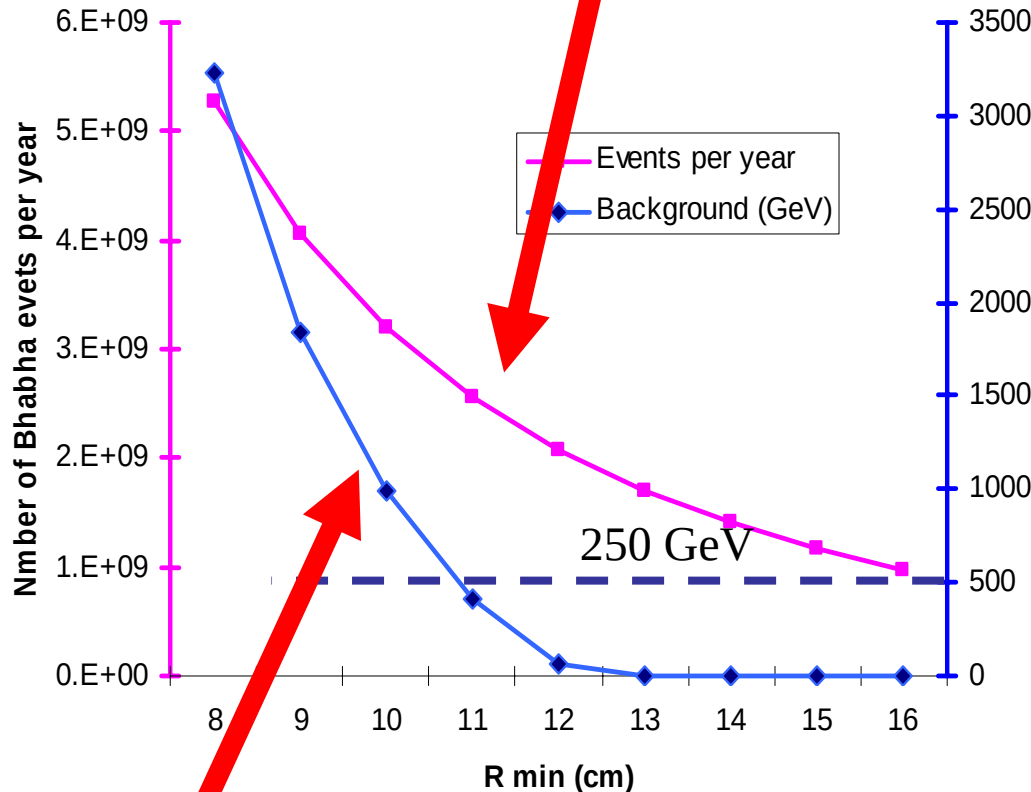
**10
rings**



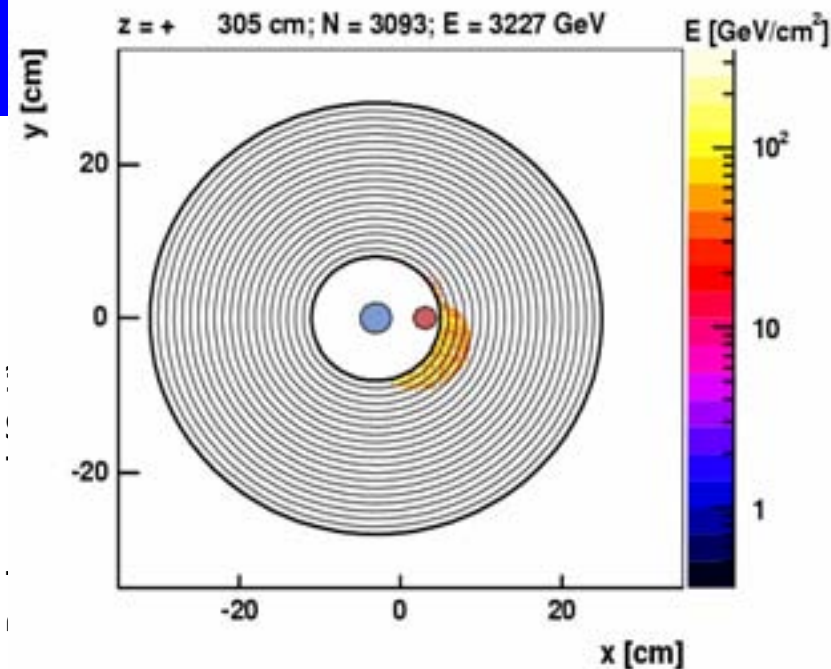
• More in the talks by Halina Abramowicz

20 mrad crossing angle

Number of Bhabha events
as a function of the inner
Radius of LumiCal



Beamstrahlung pair background
using serpentine field



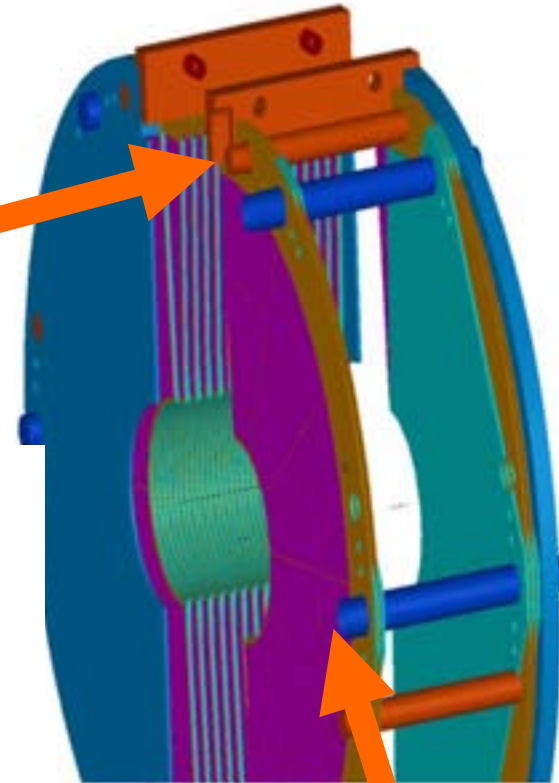
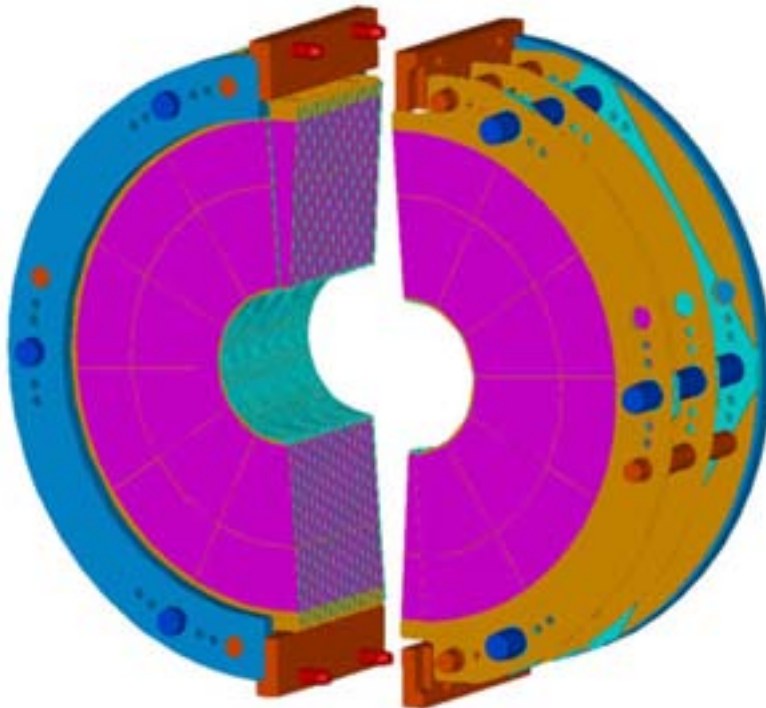
A design for 20
mrad crossing
angle will be done
(needs time)

Background from beamstrahlung

Concept for the Mechanical Frame

Decouple sensor frame
from absorber frame

Sensor carriers



Absorber carriers

Fast Lumi Measurement and Beam Diagnostics

Luminosity Monitor Studies for TESLA

Olivier NAPOLY

CEA, DSM/DAPNIA

CE-Saclay, F-91191 Gif-sur-Yvette Cedex, France

and

Daniel SCHULTE

CERN, PS/LP

CH-1211 Genève 23, Suisse

November 10, 1997

**Use Electrons from Rad.
Bhabha events**

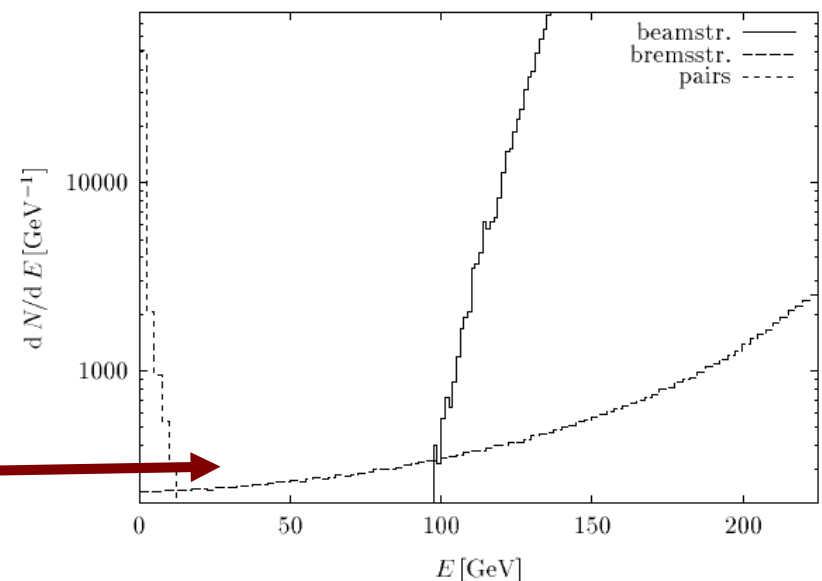


Figure 1: The energy spectrum of the particles due to pair production, bremsstrahlung and beamstrahlung for TESLA (500 GeV c.m.) parameters.

Fast Lumi Measurement and Beam Diagnostics

Trajectories of off momentum electrons in the first dublett

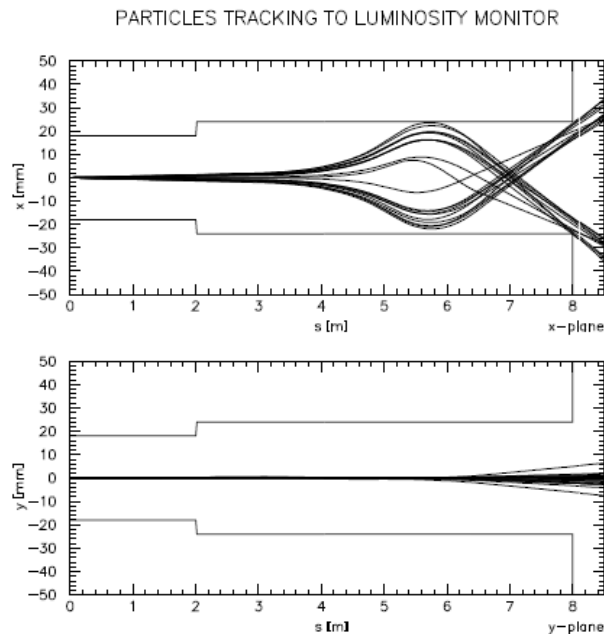


Figure 3: Trajectories from the IP hitting the luminosity monitor at 8.5 m

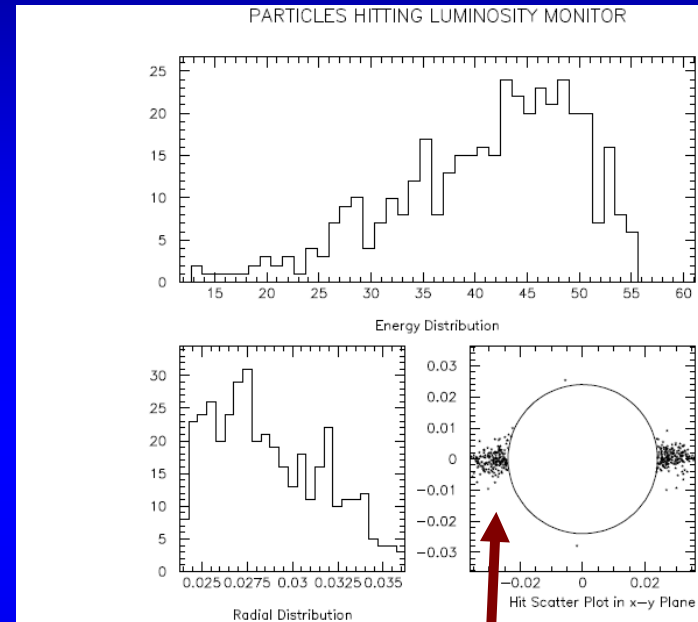
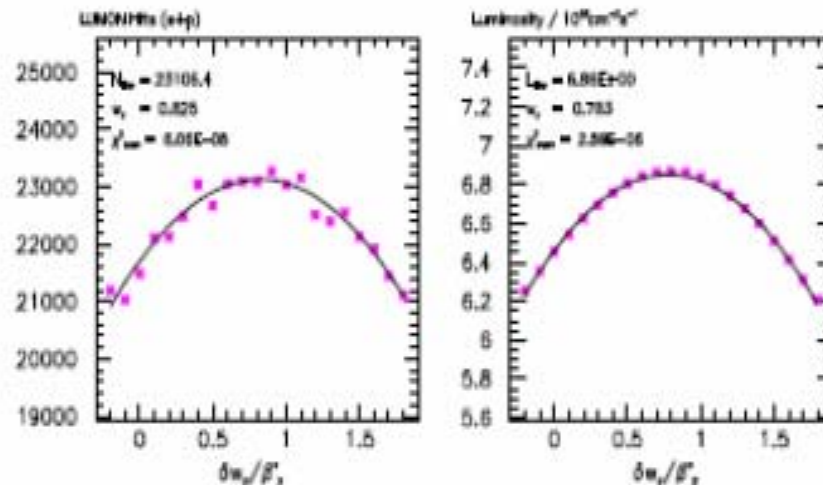


Figure 4: Energy and transverse distributions of the bremsstrahlung particles hitting the luminosity monitor for a single bunch crossing

Energy and spatial distributions

Needs a spectrometer there

Fast Lumi Measurement and Beam Diagnostics



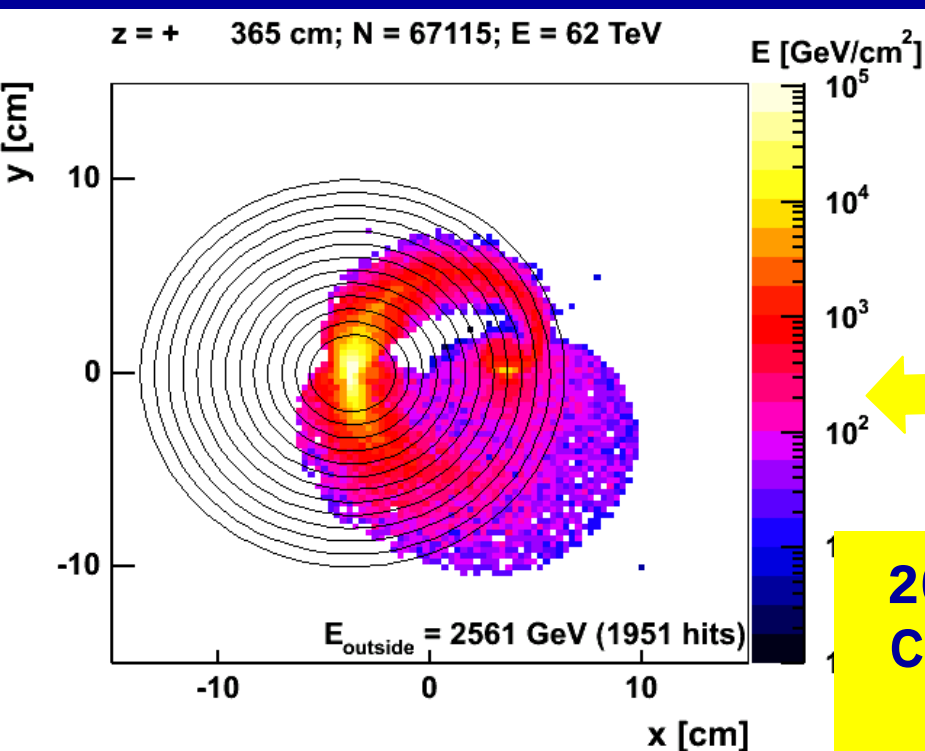
• Total hits in Lumi Cal and corresponding calculated Luminosity for an IP Beam Waist scan.

	Waist	Dispersion	Coupling
e^- -hits	$2.0 \cdot 10^{-5}$	$2.3 \cdot 10^{-5}$	$3.1 \cdot 10^{-6}$
e^+ -hits	$5.1 \cdot 10^{-4}$	$3.6 \cdot 10^{-4}$	$1.7 \cdot 10^{-5}$
(e^-+e^+) -hits	$1.7 \cdot 10^{-4}$	$4.8 \cdot 10^{-5}$	$1.5 \cdot 10^{-6}$
e^- -energy	$2.3 \cdot 10^{-5}$	$5.4 \cdot 10^{-5}$	$2.6 \cdot 10^{-7}$
e^+ -energy	$4.5 \cdot 10^{-4}$	$4.0 \cdot 10^{-4}$	$2.8 \cdot 10^{-5}$
(e^-+e^+) -energy	$1.6 \cdot 10^{-4}$	$3.6 \cdot 10^{-5}$	$8.3 \cdot 10^{-6}$

• Relative dL/L precision in determining optimal luminosity for various scans.

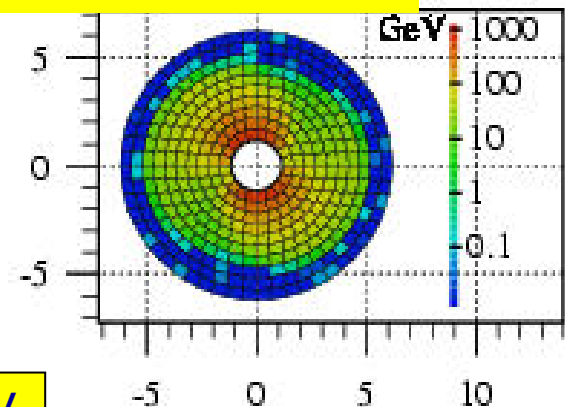
Beam Parameter Determination with BeamCal

- e^+e^- Pairs from Beamstrahlung are deflected into the BeamCal
- 15000 e^+e^- per BX $\longrightarrow$ 10 – 20 TeV (10 MGy per year)
- direct Photons for $\theta < 200 \mu\text{rad}$

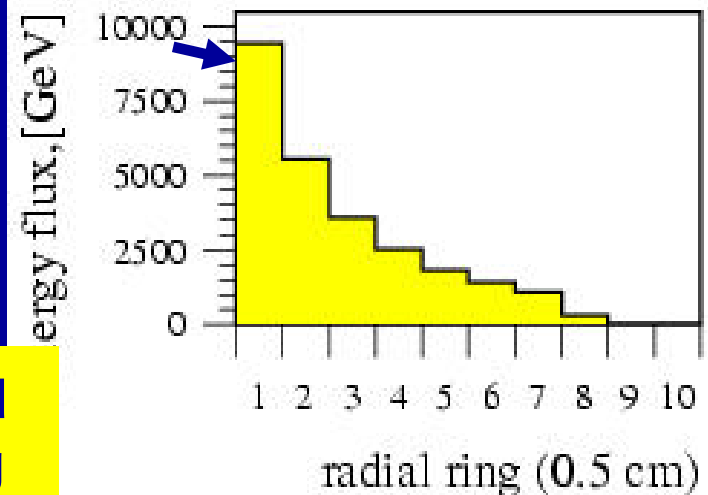


20 mrad
Crossing
angle

Zero (or 2 mrad)
crossing angle



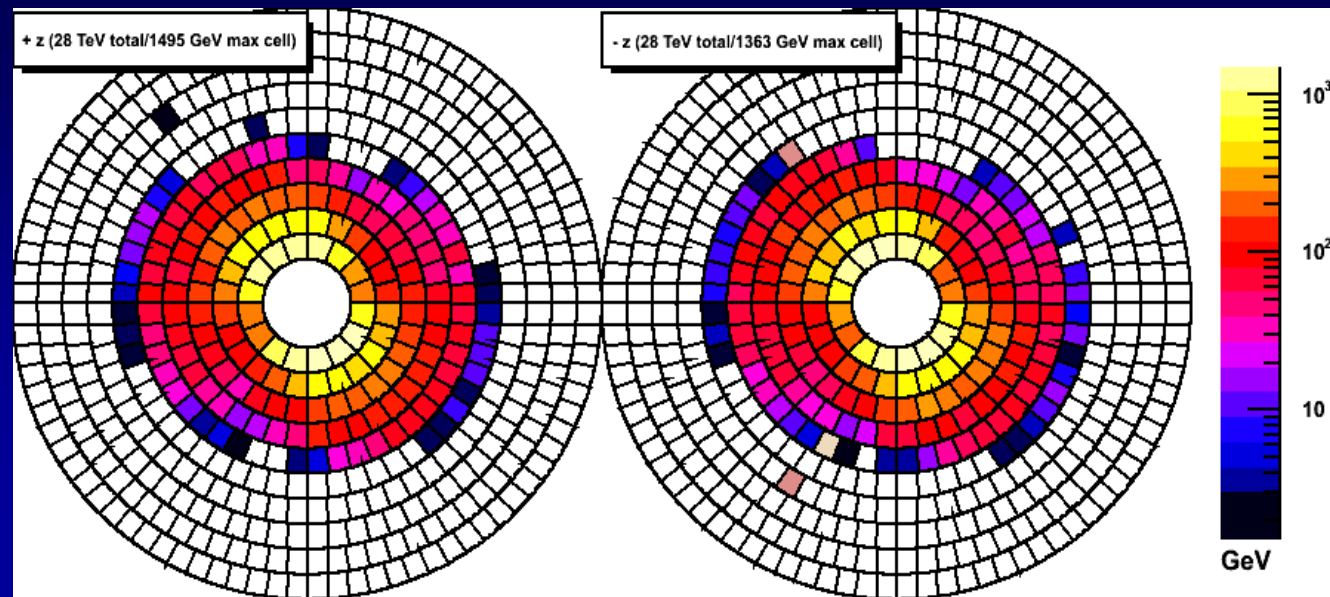
GeV



Beam Parameter Determination with BeamCal

Observables

total energy
first radial moment
thrust value
angular spread
L/R, U/D F/B
asymmetries



Quantity	Nominal Value	Precision
σ_x	553 nm	1.2 nm
σ_y	5.0 nm	0.1 nm
σ_z	300 μm	4.3 μm
Δy	0	0.4 nm

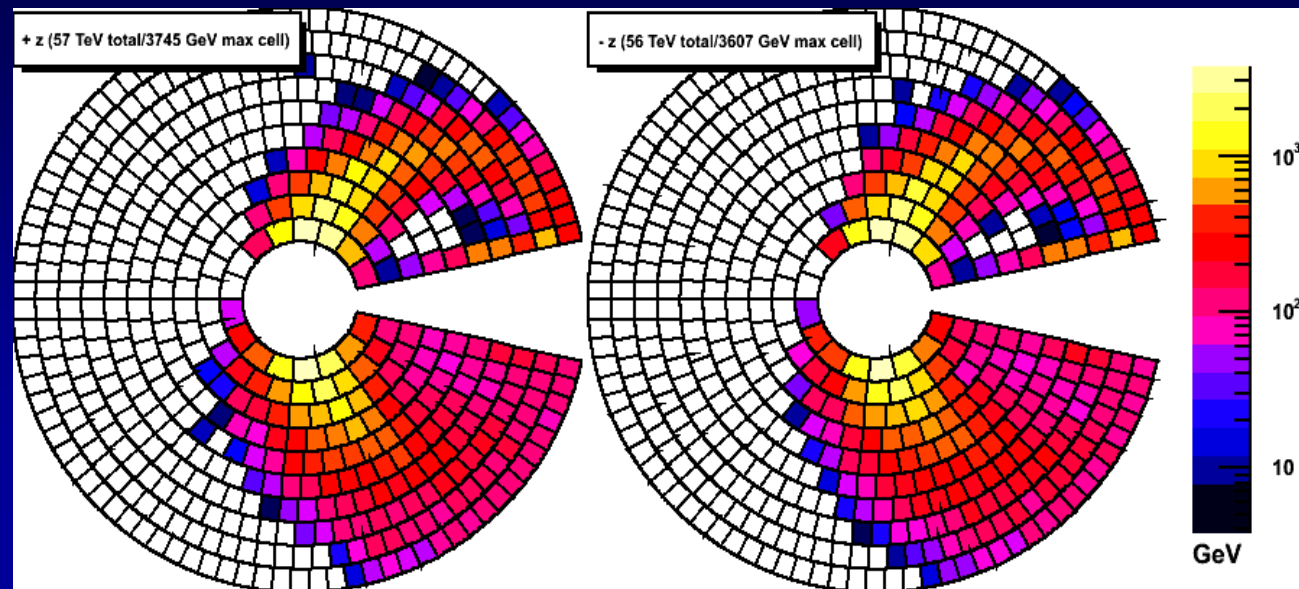
$\sqrt{s} = 500 \text{ GeV}$

zero or 2 mrad
Crossing angle

Beam Parameter Determination with BeamCal

Observables

total energy
first radial moment
thrust value
angular spread
L/R, U/D F/B
asymmetries



Quantity	Nominal Value	Precision
σ_x	553 nm	4.8nm
σ_y	5.0 nm	0.1 nm
σ_z	300 μm	11.5 μm
Δy	0	2.0nm

20 mrad crossing angle

Also simultaneous determination of several beam parameter is feasible, but: Correlations! Analysis in preparation

PRELIMINARY!

Beam Parameter Determination with BeamCal

$$x = [x_1, x_2, \dots, x_n]'$$

$$x^* = x_{Design}$$

$f^n(x)$ = observable n for x vector

$f^n(x^*)$ = observable n for x^* design vector

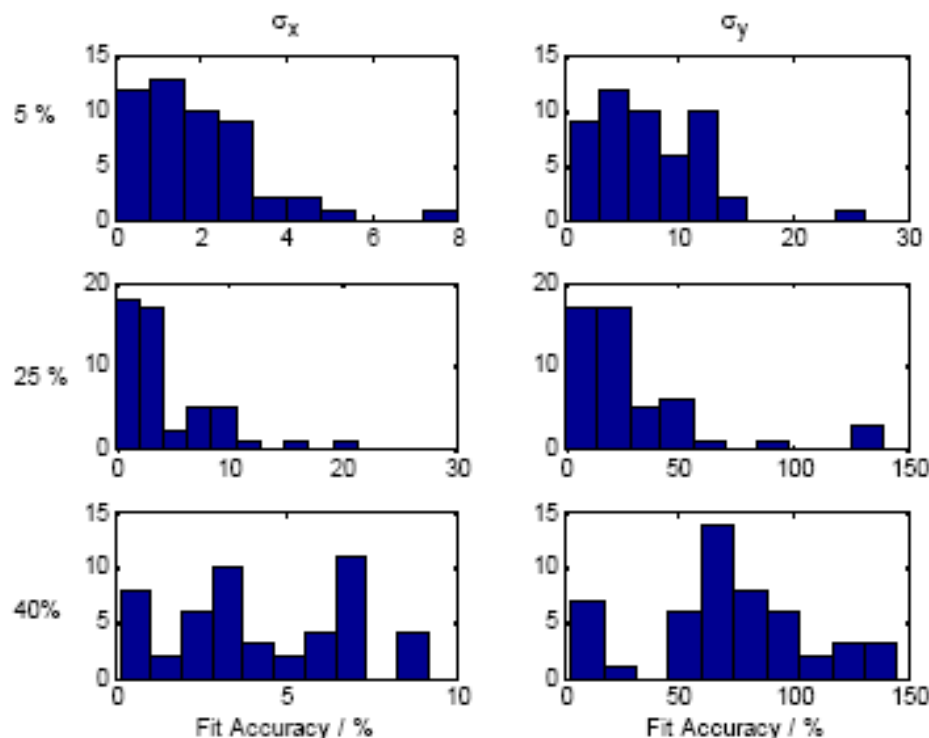
$$f^n(x) = f^n(x^*) + (x - x^*)' \text{div.}[f^n(x^*)] + \frac{1}{2}(x - x^*)' \tilde{A}(x - x^*) + \dots$$

$$\tilde{A} = \begin{bmatrix} \frac{\partial^2 f}{\partial x_1^2} & \frac{\partial^2 f}{\partial x_1 \partial x_2} & \dots & \frac{\partial^2 f}{\partial x_1 \partial x_n} \\ \frac{\partial^2 f}{\partial x_2 \partial x_1} & \cdot & \cdot & \cdot \\ \vdots & \vdots & \vdots & \vdots \\ \frac{\partial^2 f}{\partial x_n \partial x_1} & \cdot & \cdot & \frac{\partial^2 f}{\partial x_n^2} \end{bmatrix}$$

• Compute Taylor matrices through multiple GP runs varying beam params -> use Grid computing at QM to do in finite time (Generate full matrix elements for first and second order terms, and diagonal only elements up to 9th order).

• For parameter reconstruction: Solve x for given f(x) using multi-parameter fit. Unique solution not guaranteed - choice of fit technique is important.

Test of Fitting With Realistic Observable Errors



Best Accuracy from lowest
Fit Chi-Squared

2.8% 11.5%

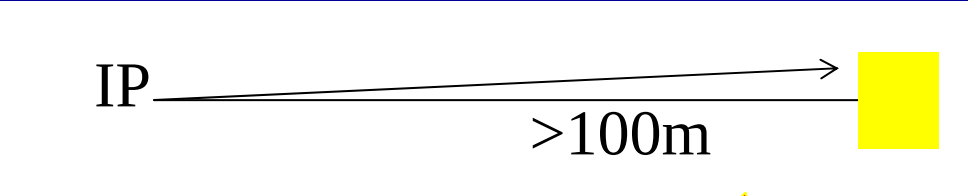
0.3% 0.9%

0.14% 2.7%

- Using Advanced Multi-Parameter non-linear fitting algorithm (Sequential Quadratic Programming Method) with 10-parameter fit (x , y , x' , y' and z IP sigmas).
- Fitter confused by errors, but averaging over 50 bunches, get above results by choosing best fit chi-squared.

and with PhotoCal

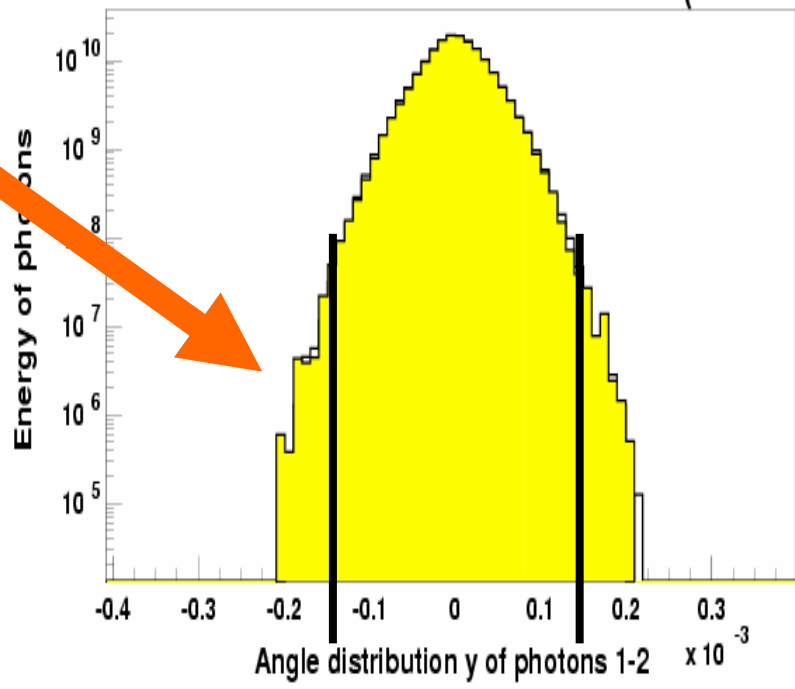
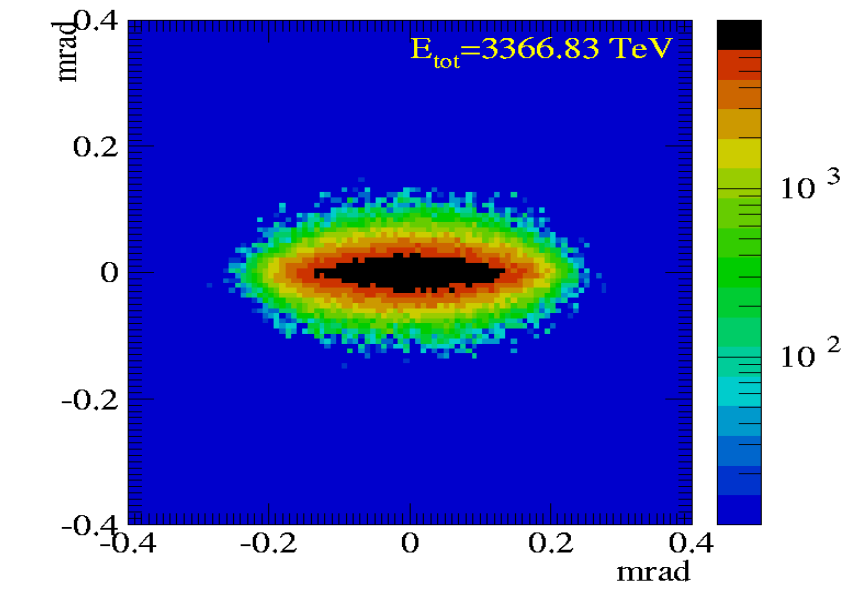
Photons from Beamstrahlung



Heavy gas ionisation
Calorimeter

L/R, U/D F/B asymmetries
of energy in the angular
tails

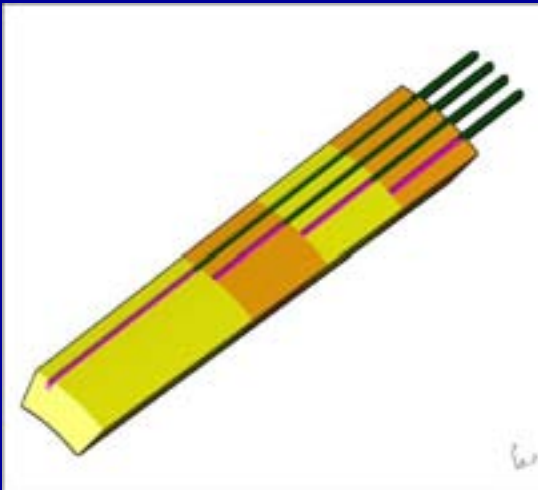
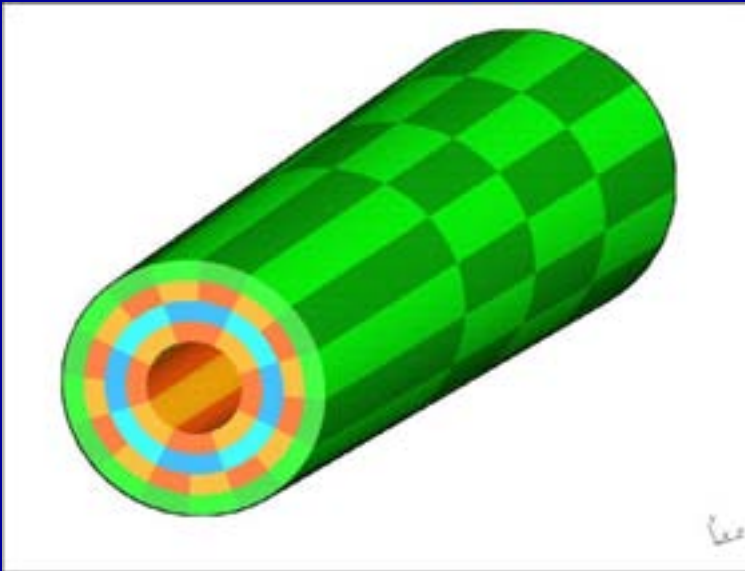
Quantity	Nominal Value	Precision
σ_x	553 nm	4.2 nm
σ_z	300 μm	7.5 μm
Δy	0	0.2 nm



Technologies for the BeamCal:

- Radiation Hard
- Fast
- Compact

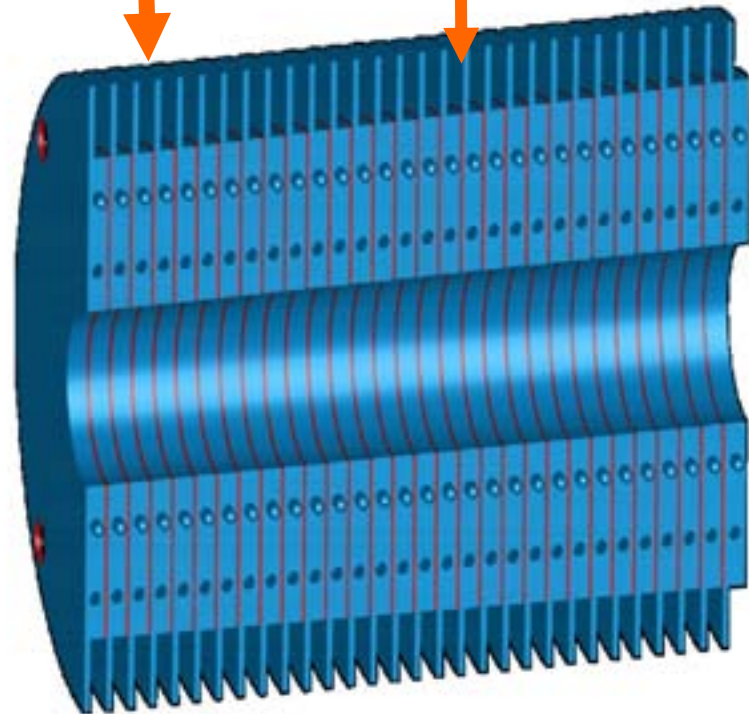
Heavy crystals



W-Diamond sandwich

Space for
electronics

sensor

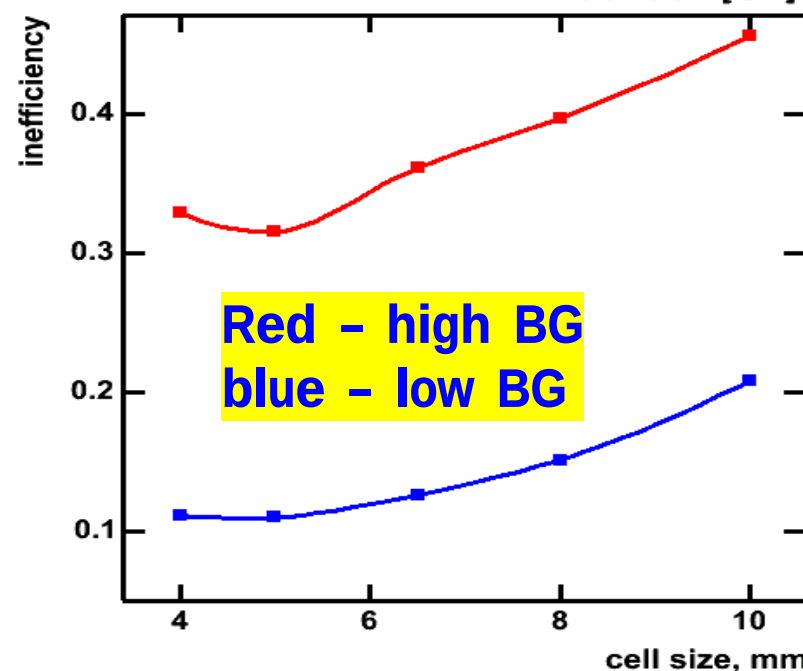
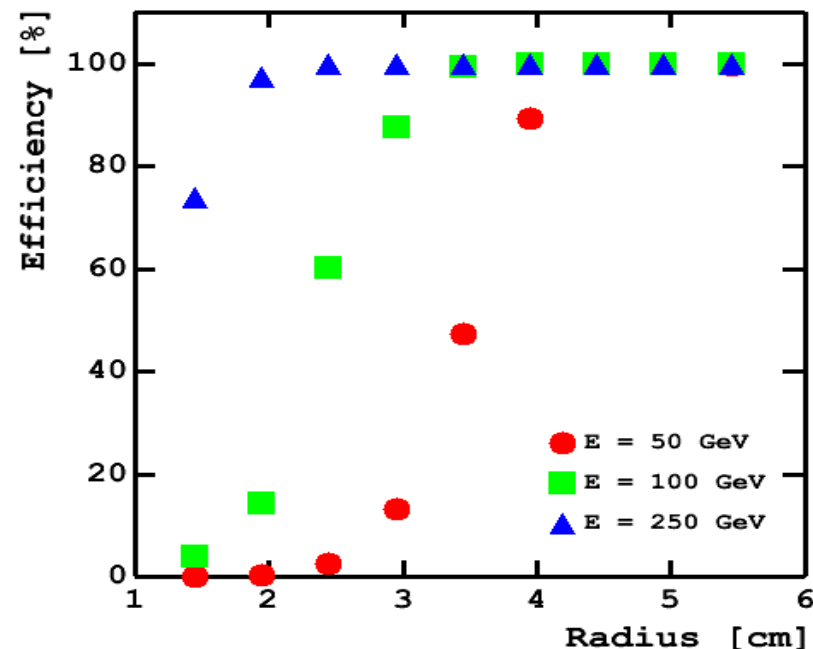


Detection of High Energy Electrons and Photons (Detector Hermeticity)

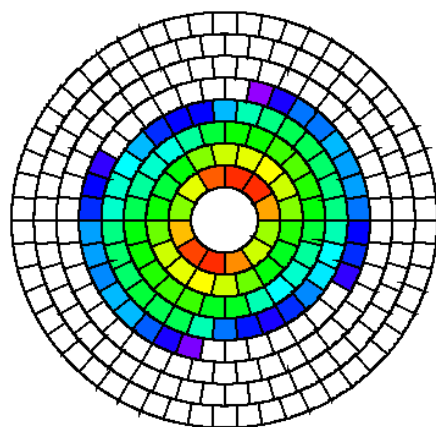
$\sqrt{s} = 500 \text{ GeV}$

Single Electrons of 50, 100 and 250 GeV, detection efficiency as a function of R ('high background region')
(talk by V. Drugakov and P. Bambade)

Detection efficiency as a function of the pad-size
(Talk by A. Elagin)



Message:
Electrons can be
detected!

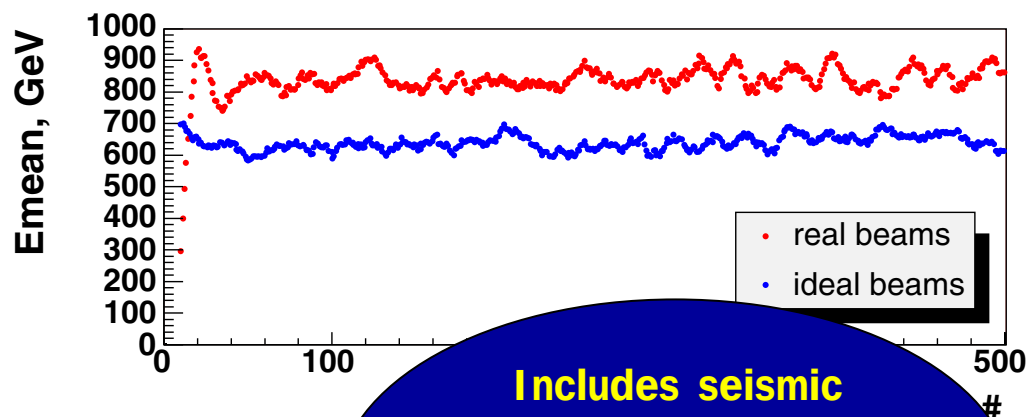


• Detection of High Energy Electrons and Photons

Realistic beam simulation

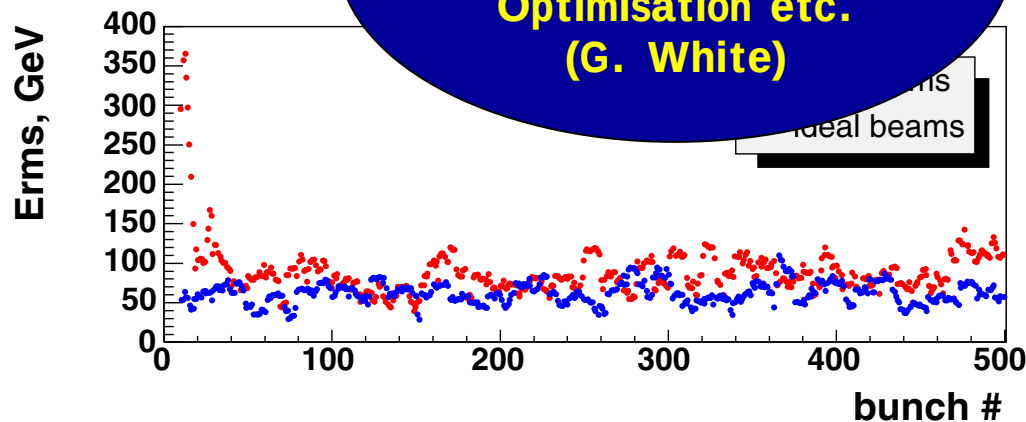
$\sqrt{s} = 500 \text{ GeV}$

mean energy in particular cell (high BG near BP)

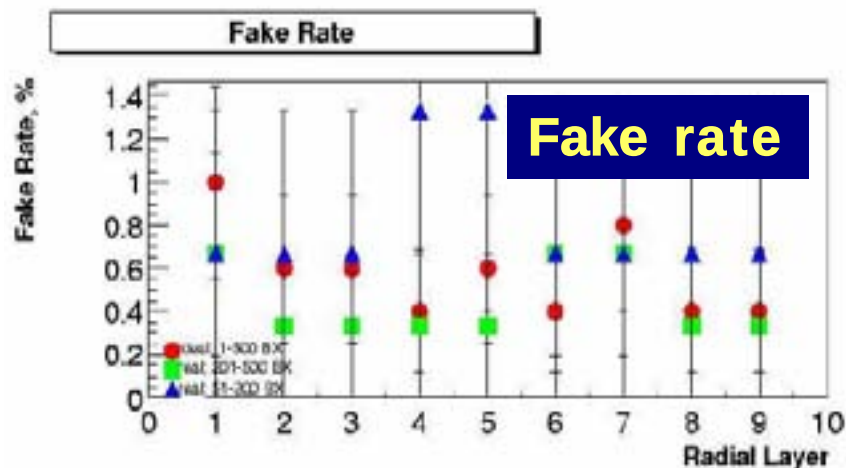
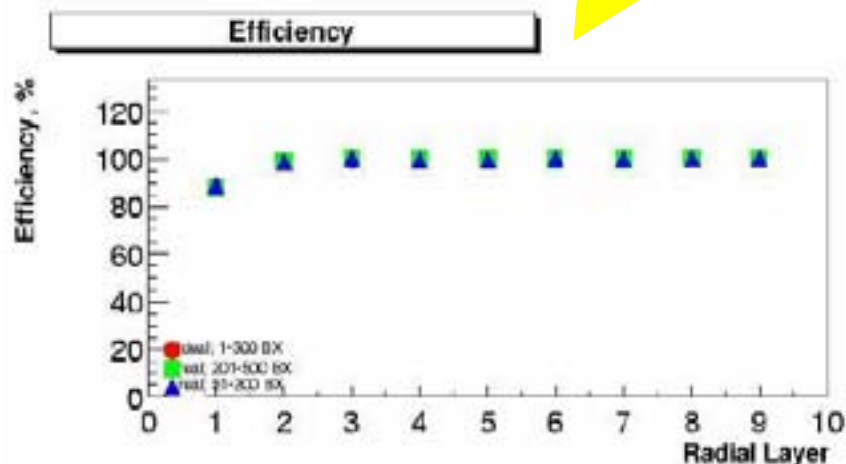


Includes seismic motions, Delay of Beam Feedback System, Lumi Optimisation etc. (G. White)

energy RMS in p

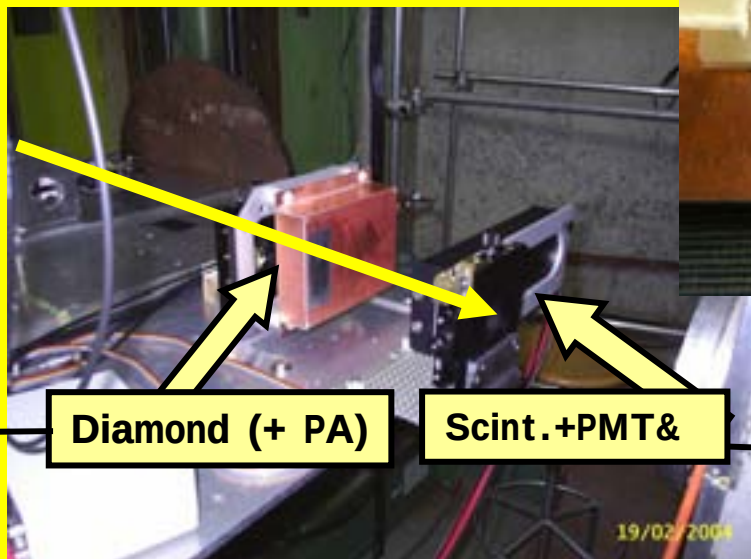
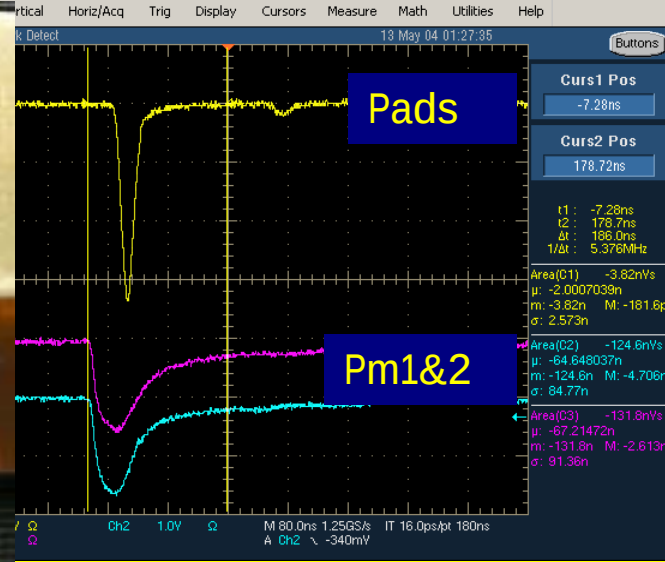
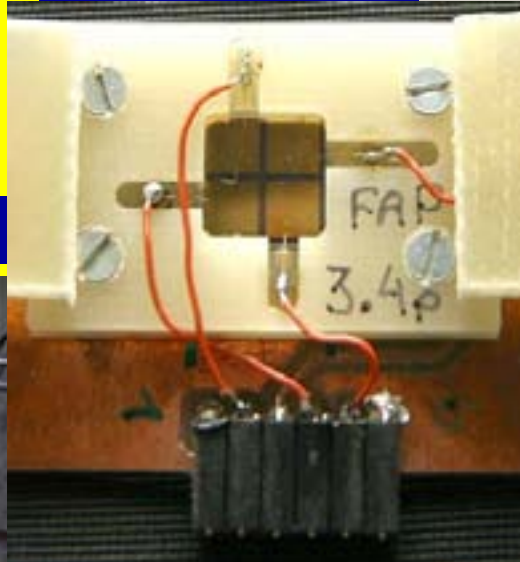


Efficiency to identify energetic electrons and photons ($E > 200 \text{ GeV}$)



Fake rate

Sensor prototyping, Diamonds



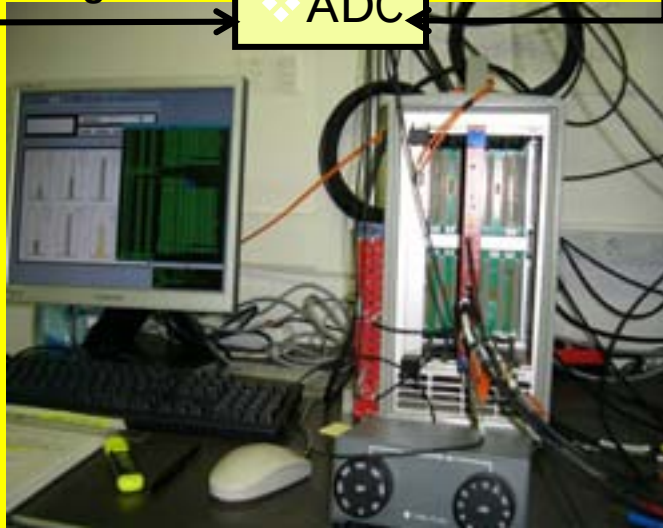
Diamond (+ PA)

Scint.+PMT&

signal

gate

ADC



May, August/2004 test beams

CERN PS Hadron beam – 3,5 GeV

2 operation modes:

Slow extraction $\sim 10^5$ - 10^6 / s

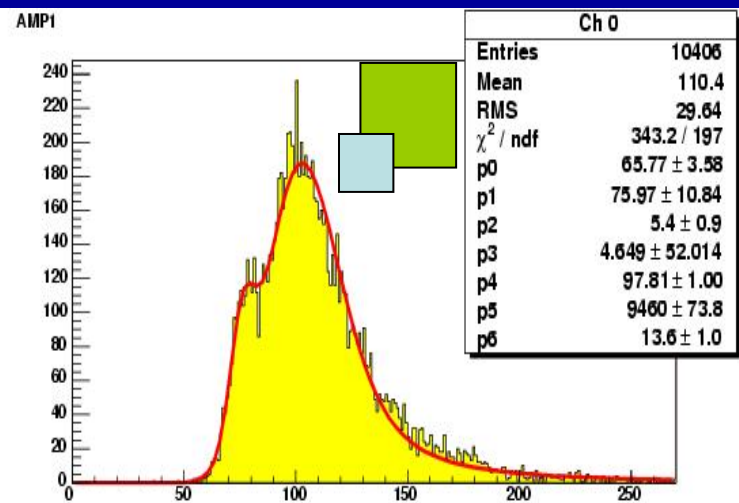
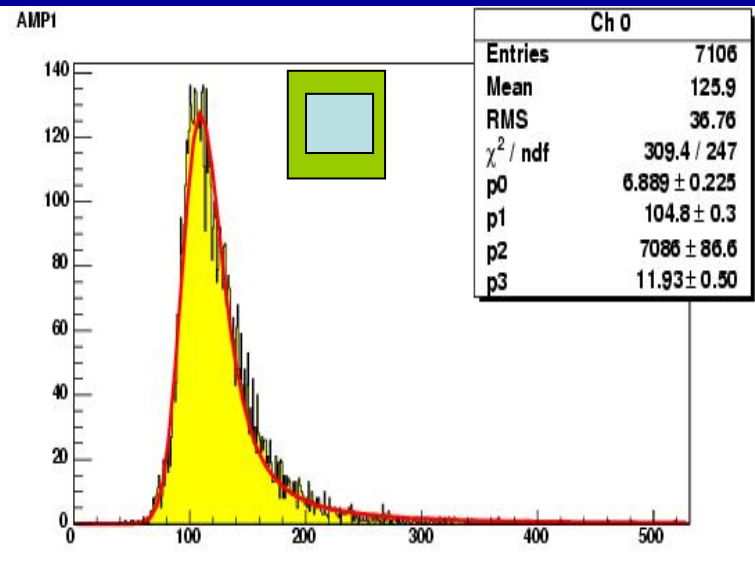
fast extraction $\sim 10^5$ - 10^7 / ~ 10 ns
(Wide range intensities)

Diamond samples (CVD):

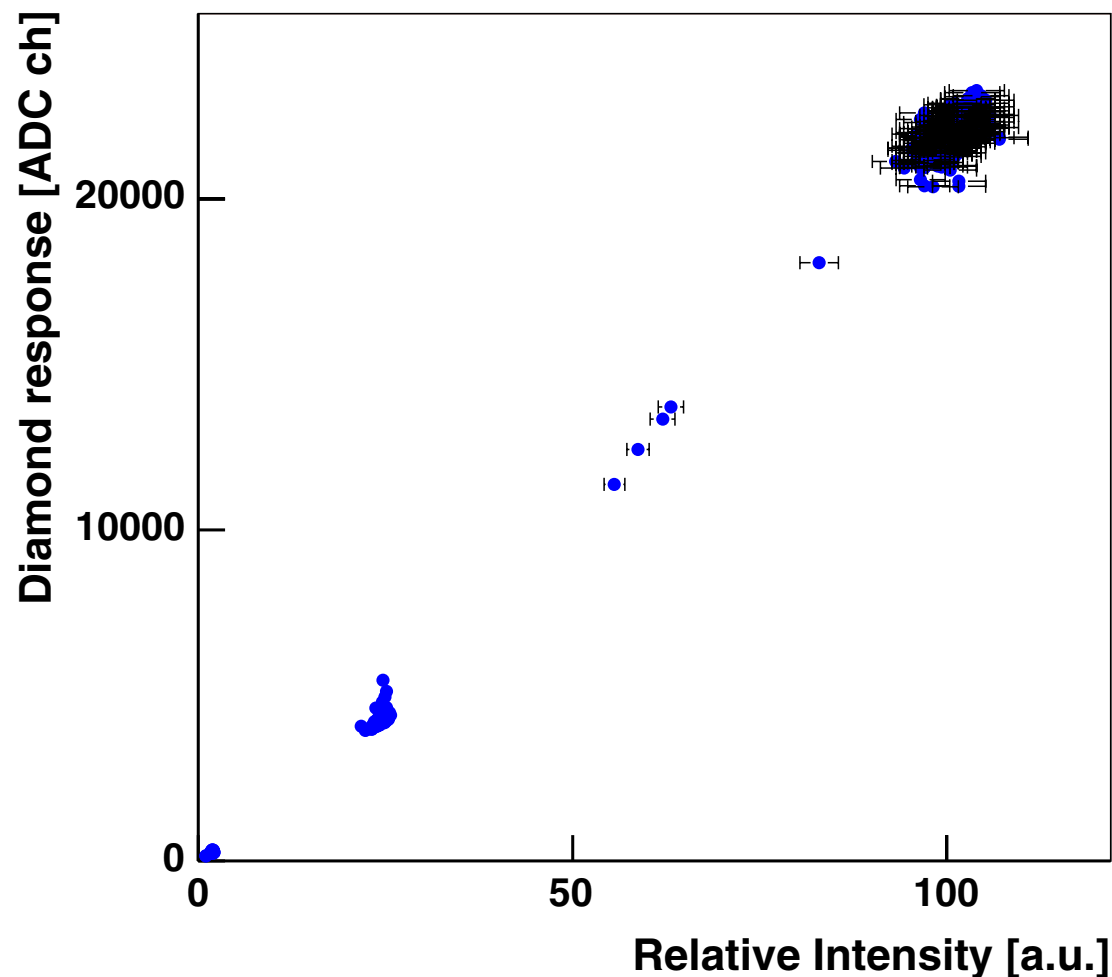
- Freiburg
- GPI (Moscow)
- Element6

Diamond Sensor Performance

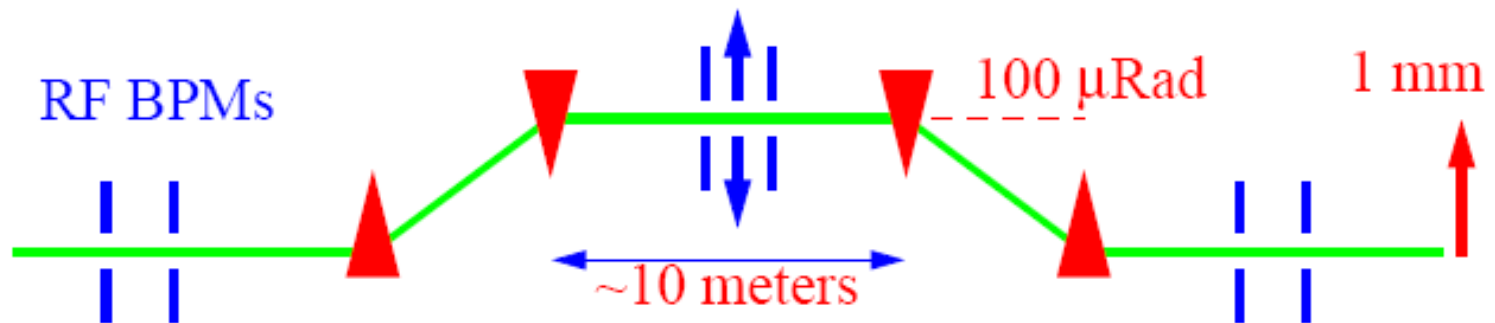
Response to mip



Linearity Studies with High Intensities (PS fast beam extraction) 10^5 particles/10 ns

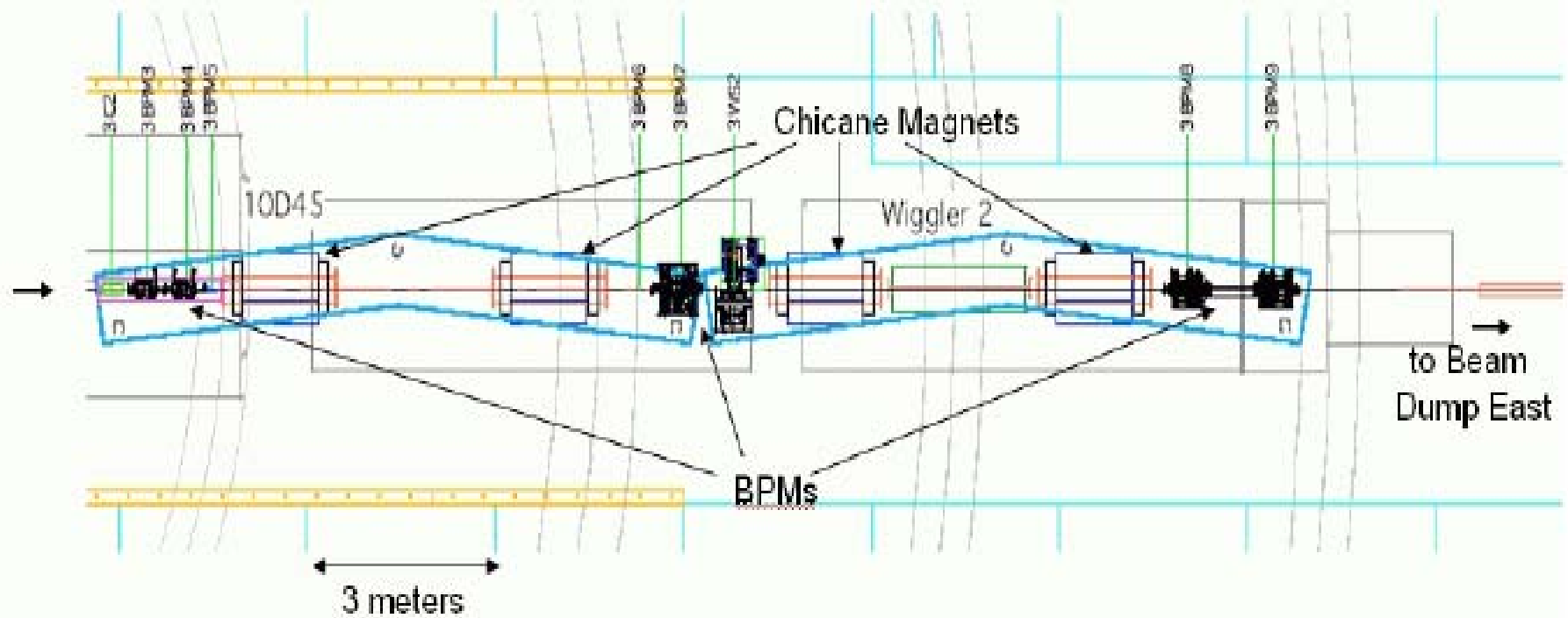


Upstream momentum spectrometer



- Bends $\sim 100 \mu\text{Rad}$, lengths 10 m, 1 mm bump
- Need 100 nm (or better) resolution and accuracy
- Move BPMs to the beam (keep same relative position)
- Calibrate alignment by ramping chicane (bipolar best)

ESA Test Beam Plans for 2005/2006



2×10^{10} electrons per bunch @ 28.5 GeV (ILC bunch charge and length)

Compare different measurements (this spectrometer, A-line BPMs, Synchrotron spectrometer)

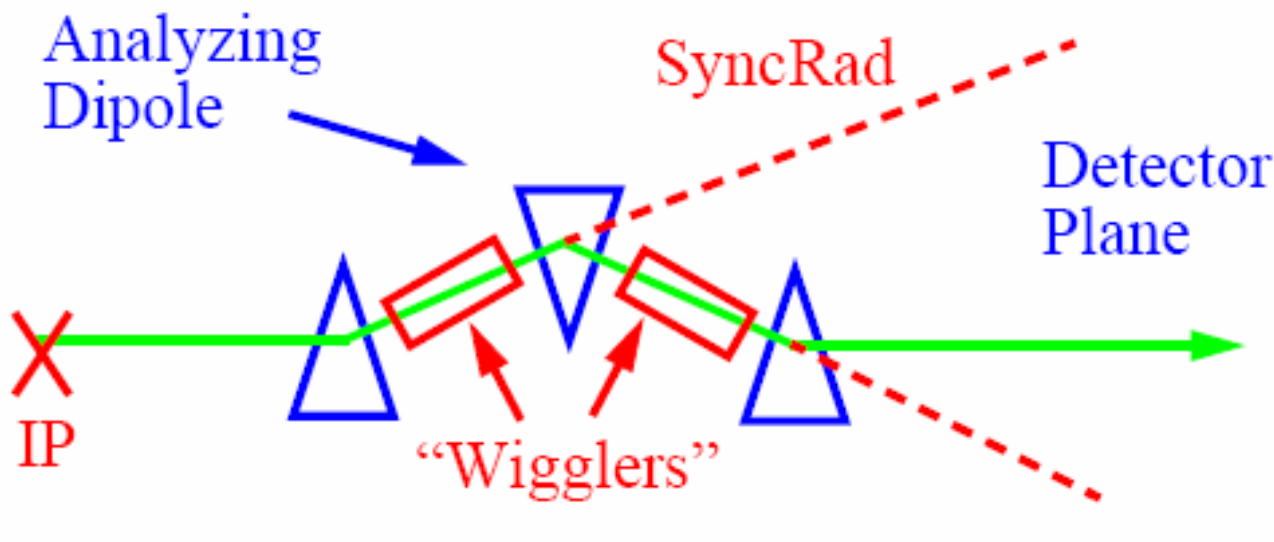
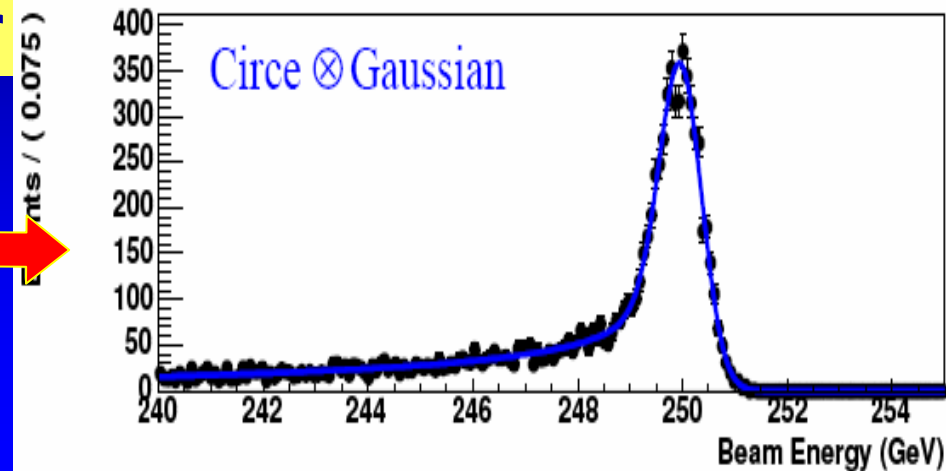
Accuracy goal: < 100 ppm

Proof of principle!

Energy Measurement

Downstream SR spectrometer

Energy spectrum
After bunch
crossing



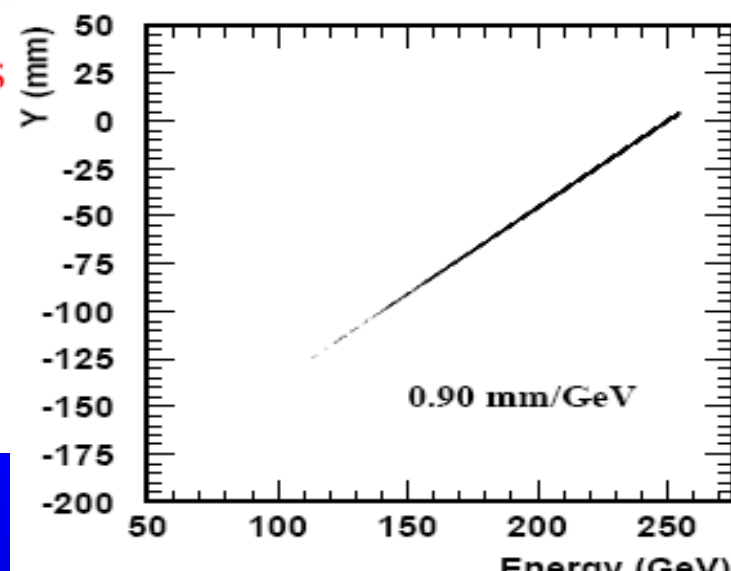
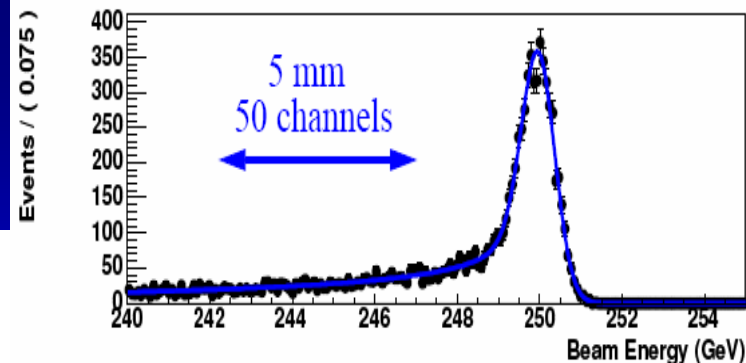
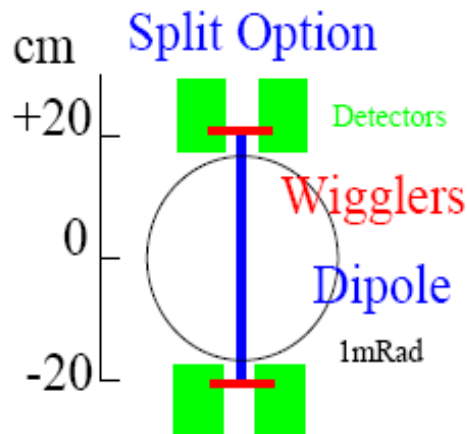
Goals:

- peak position,
- width,
- tail

Downstream SR spectrometer

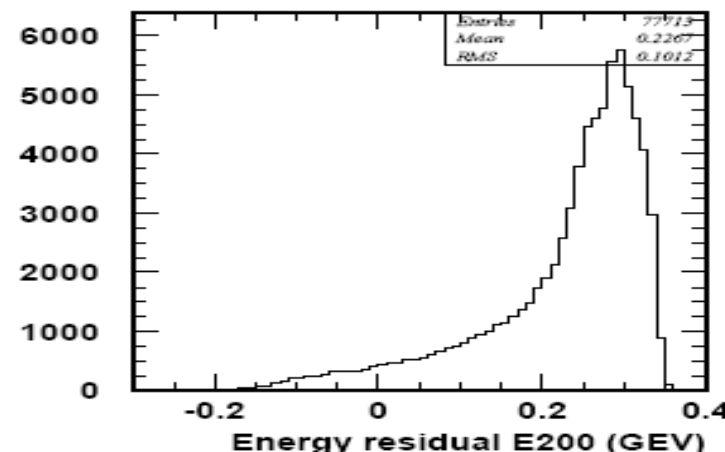
Detector Plane

- $L \sim 100\text{m}$, $> 2\text{ mRad}$ bend
- large λ wiggler - SR “tee”
- detector $\sim 100\text{ }\mu\text{m}$ pitch
- $\Delta y = 40\text{ cm}$
- $40\text{ }\mu\text{m}$ precision required
- $< 125\text{ MeV}/100\text{ }\mu\text{m}$ for 250 GeV beam
- Single arm gives energy spread



Beam Energy mapped to y position on detector plane
Order 1 GeV/mm sampled at $100\text{ }\mu\text{m}$ pitch

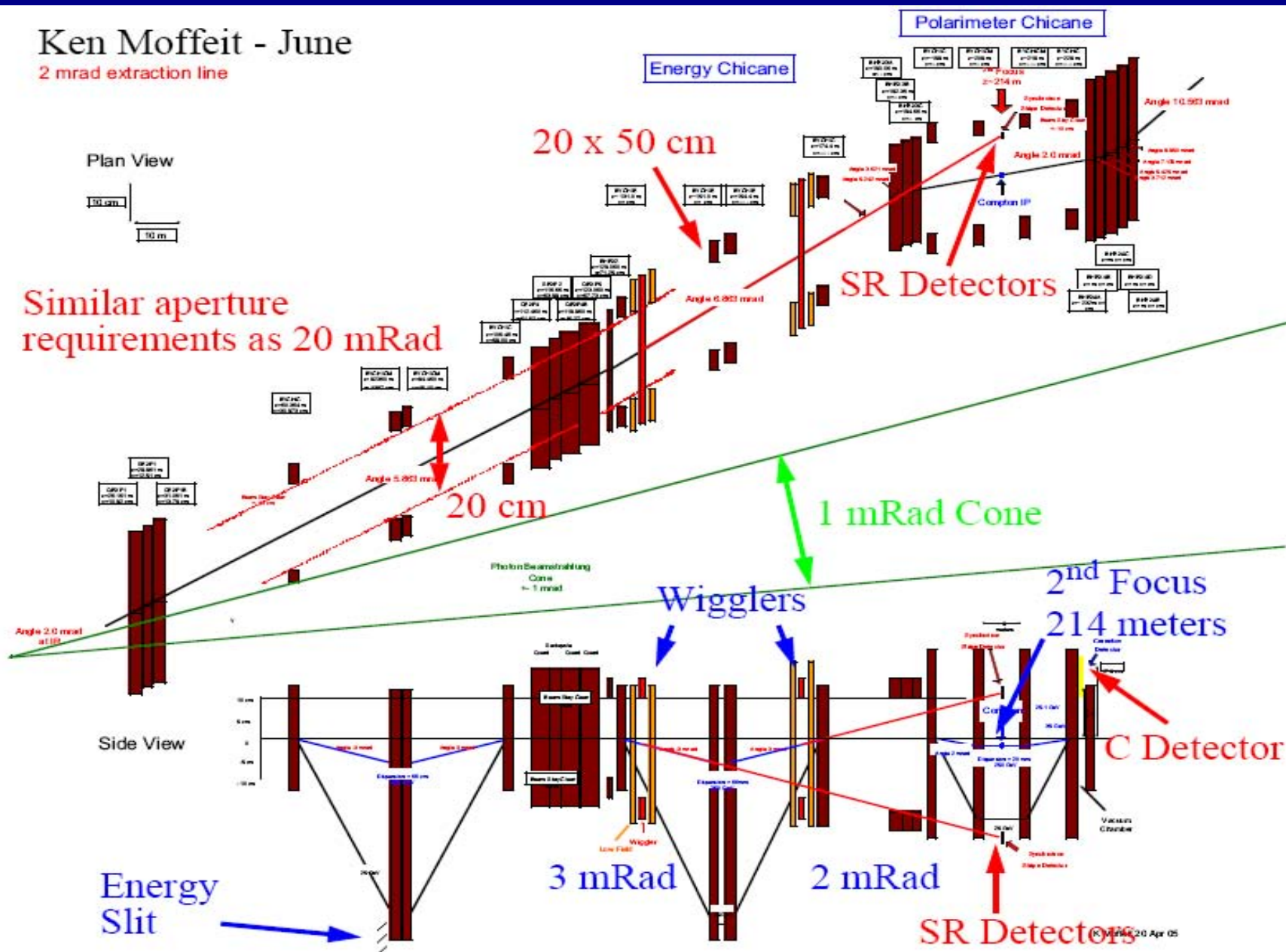
Use quartz fibers: low efficiency, but rad hard
and some background tolerance. Large dynamic
range with MAPMTs. 64 channels/PMT.



Downstream SR spectrometer

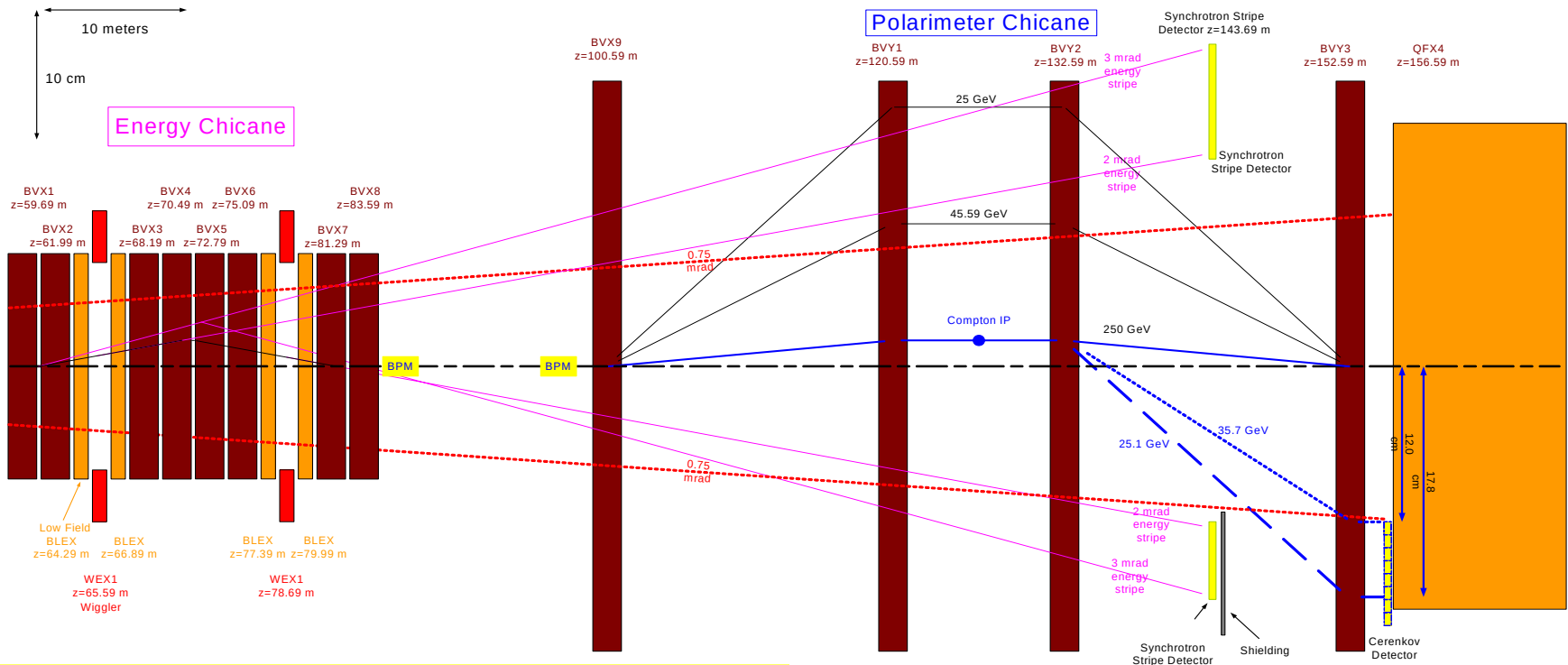
Ken Moffeit - June

2 mrad extraction line



Polarimetry

Upstream polarimeter



+ Downstream polarimeter

Document on polarimetry design in Feb 2006

The needs from Detector and Machine side are different. Lets find solutions