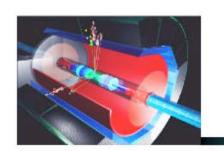
# HADRON CALORIMETRY How to meet the ILC requirements

Richard WIGMANS
Snowmass, 8/18/2005

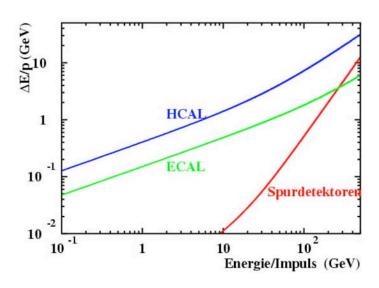
- Lessons from 25 years of R&D
- The DREAM solution
- Results & plans

• LESSON 1: Energy resolution is determined by fluctuations, not by average values



## Particle Flow Algorithms

- Best jet energy resolution with minimum calorimetry
  - tracking detectors to measure energy of charged particles (65% of the typical jet energy)
  - EM calorimeter for photons (25%)
  - EM and HAD calorimeter for neutral hadrons (10%)



$$E_{\rm jet} = E_{\rm charged} + E_{\rm photons} + E_{\rm neut.\,had.}$$

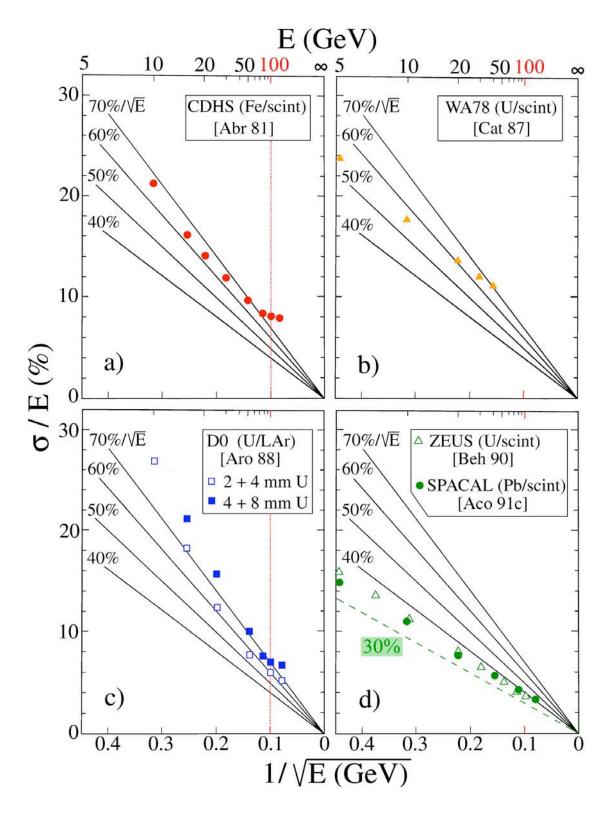
$$\sigma_{Ejet}^2 = \sigma_{Echarged}^2 + \sigma_{Ephotons}^2 + \sigma_{Eneut.had.}^2 + \sigma_{confusion}^2$$

• *LESSON 1:* Energy resolution is determined by *fluctuations*, *not* by average values

Consequence for PFA:  $\Sigma E_{\pi} = (30 \pm 5)\%$  much better than  $(60 \pm 20)\%$ The relevant fluctuations are *large* and almost *energy independent* 

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  Lots of em shower activity in HAD section

## Saturation in "digital" calorimeters (wire chamber readout)

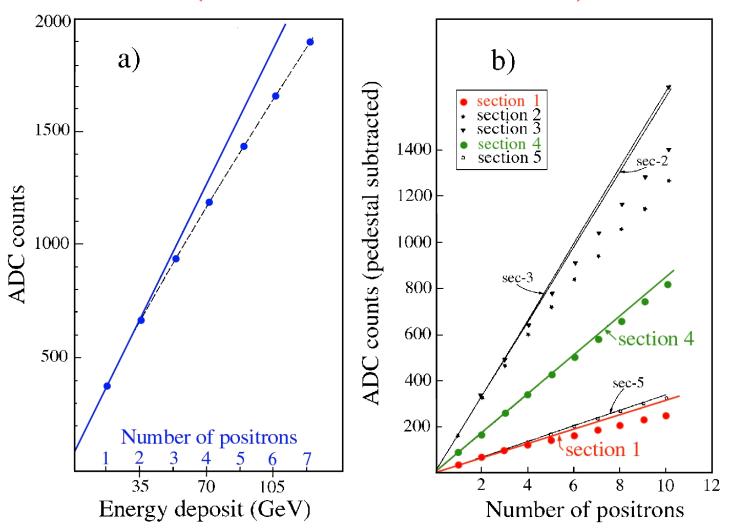


FIG. 3.2. Average em shower signal from a calorimeter read out with gas chambers operating in a "saturated avalanche" mode, as a function of energy. From: NIM 205 (1983) 113.

## Hadronic shower profiles: Fluctuations!

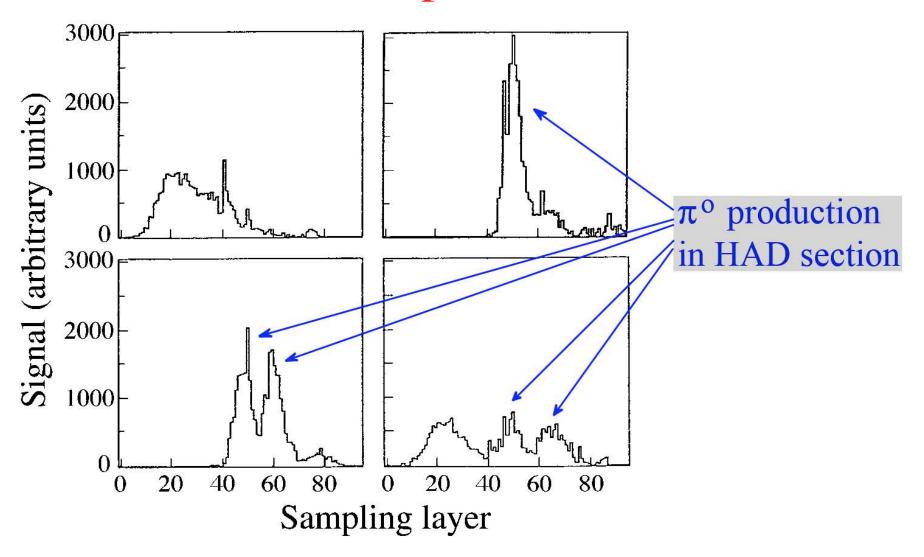
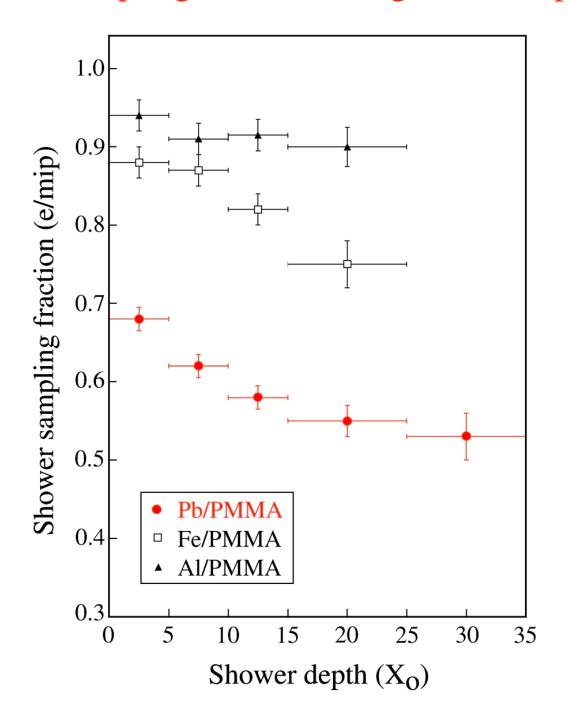


FIG. 2.35. Longitudinal profiles for 4 different showers induced by 270 GeV pions in a lead/iron/plastic-scintillator calorimeter. Data from [Gre 94].

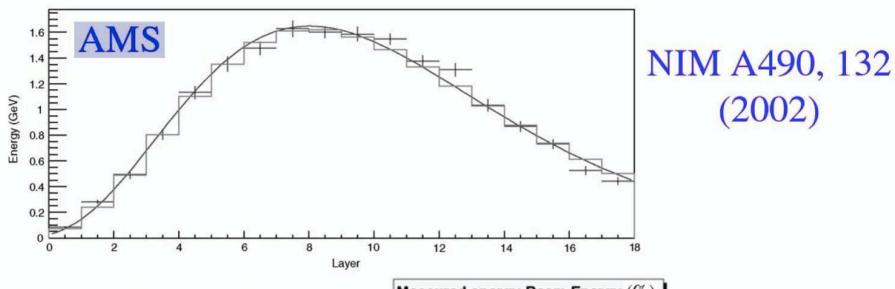
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- LESSON 4a: A narrow signal distribution is useless if the mean value is incorrect Correct energy scale is at least as as important as good resolution
  - LESSON 4b: Longitudinal segmentation means asking for trouble

#### The sampling fraction changes with depth!



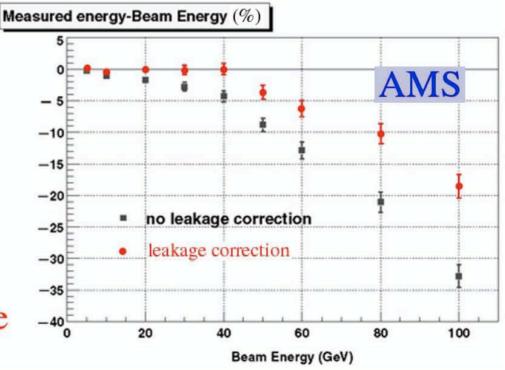
#### Consequences of depth dependence sampling fraction



Pb/scintillating fiber 18 layers (17 X<sub>0</sub>)

Calibrated with mip's: 11.7 MeV/layer

Shower leakage: (under)estimated on basis of fit to longitudinal profile



- *LESSON 1:* Energy resolution is determined by *fluctuations*, *not* by average values

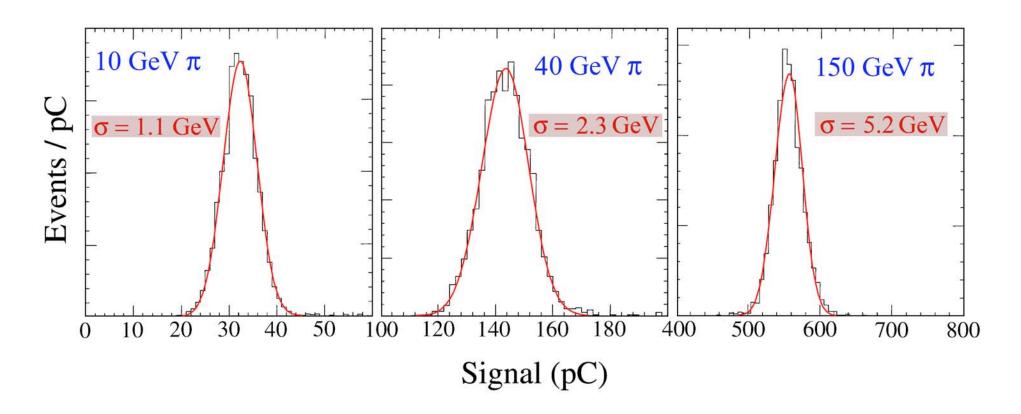
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  LESSON 4b: Longitudinal segmentation means asking for trouble
- LESSON 5: GEANT based MC simulations of hadronic shower development are fundamentally flawed —> useless as design tool

- LESSON 6: If you want to improve hadronic calorimeter performance
  - ---- reduce/eliminate the (effects of) fluctuations that dominate the performance
    - 1) Fluctuations in the em shower fraction,  $f_{\rm em}$
    - 2) Fluctuations in visible energy (nuclear binding energy losses)

This can be done ILC requirements were already met 15 years ago

## Hadronic signal distributions in compensating calorimeter



from: NIM A308 (1991) 481

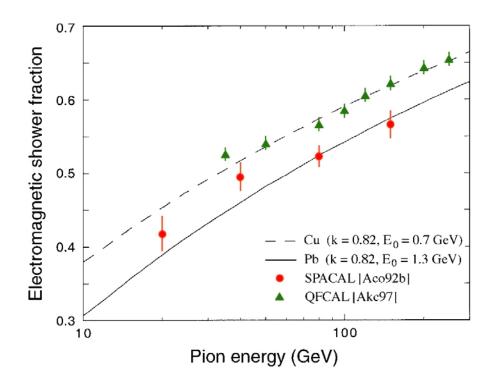
## Fluctuations in the em shower component (f<sub>em</sub>)

- Why are these important?
  - Electromagnetic calorimeter response  $\neq$  non-em response  $(e/h \neq 1)$
  - Event-to-event fluctuations are large and non-Gaussian
  - $\langle f_{em} \rangle$  depends on shower energy and age
- Cause of all common problems in hadron calorimeters
  - *Energy scale* different from electrons, in energy-dependent way
  - Hadronic *non-linearity*
  - Non-Gaussian response function
  - Poor energy *resolution*
  - Calibration of the sections of a longitudinally segmented detector

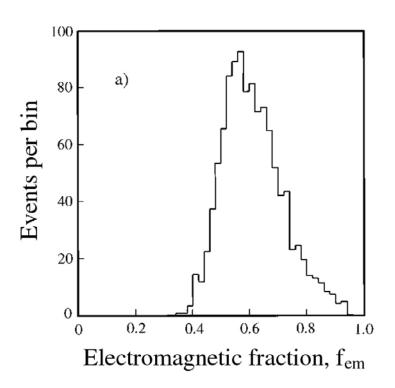
#### Solutions

- Compensating calorimeters (e/h = 1), e.g. Pb/plastic scintillator
- Measure  $f_{em}$  event-by-event

## (Fluctuations in) the electromagnetic shower fraction, f<sub>em</sub>



The em fraction is, on average, large and energy dependent



Fluctuations in f<sub>em</sub> are large and non-Poissonian

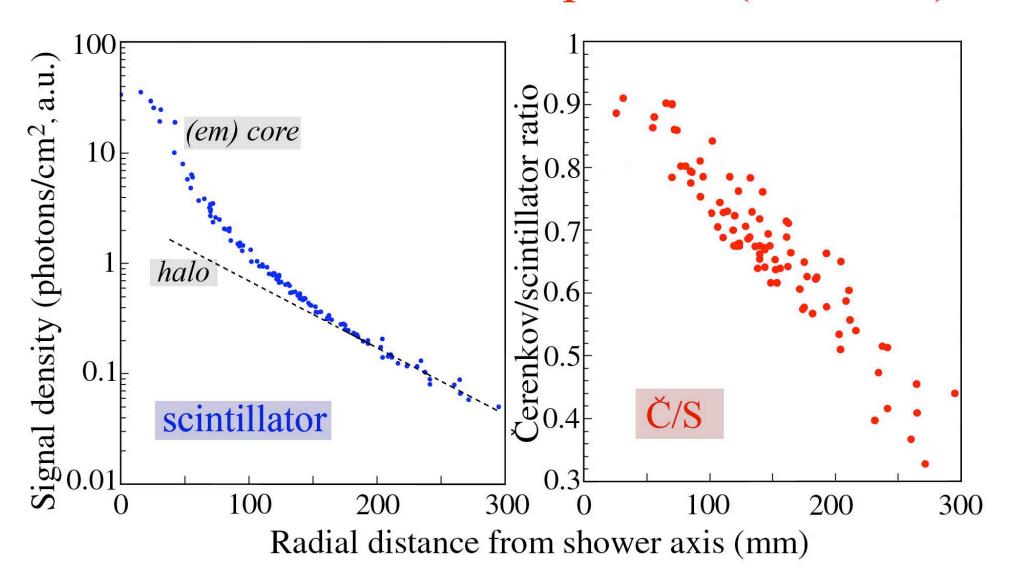
## The DREAM principle

- Quartz fibers are only sensitive to em shower component!
  - CMS prototype: e/h ~ 5 NIM A399 (1997) 202
  - → Use dual-readout system:
  - Regular readout (scintillator, LAr,...) measures visible energy
  - Quartz fibers measure em shower component  $E_{\rm em}$
  - Combining both results makes it possible to determine  $f_{
    m em}$  and the energy E of the showering hadron
  - Eliminate dominant source of fluctuations

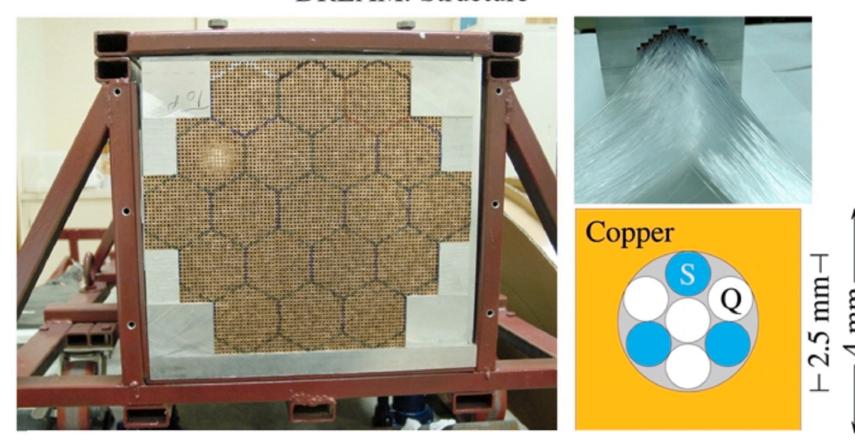
#### DREAM = Dual REAdout Module

- *The DREAM Collaboration:* 
  - N. Akchurin, K. Carrell, H. Kim, R. Thomas, R. Wigmans (TTU)
  - O. Atramentov, J. Hauptman (IASU), H.P. Paar (UCSD), A. Penzo (Trieste)

## Radial hadron shower profiles (DREAM)



#### DREAM: Structure



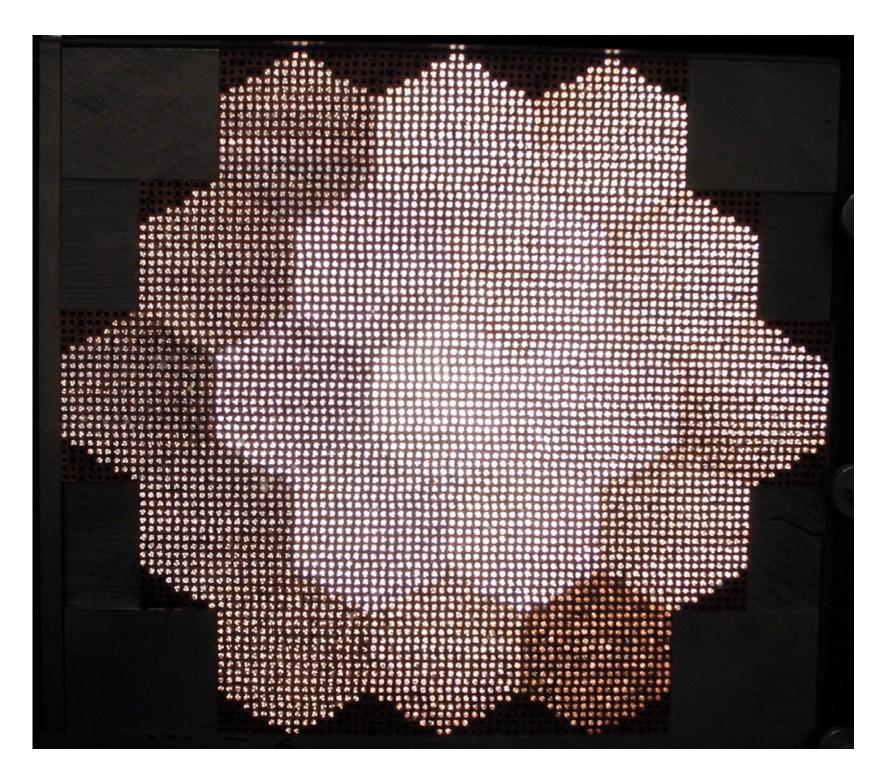
### • Some characteristics of the DREAM detector

- Depth 200 cm (10.0  $\lambda_{\rm int}$ )
- Effective radius 16.2 cm (0.81  $\lambda_{\rm int}$ , 8.0  $\rho_M$ )
- Mass instrumented volume 1030 kg
- Number of fibers 35910, diameter 0.8 mm, total length  $\approx 90$  km
- Hexagonal towers (19), each read out by 2 PMTs

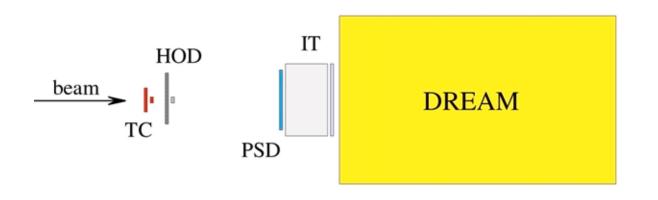
## DREAM readout



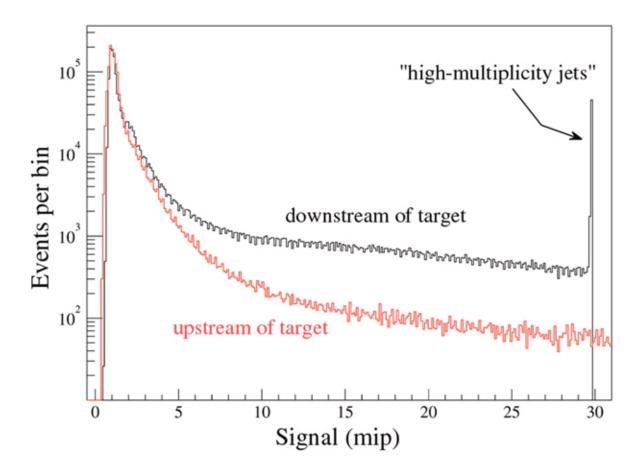




#### Experimental setup for DREAM beam tests

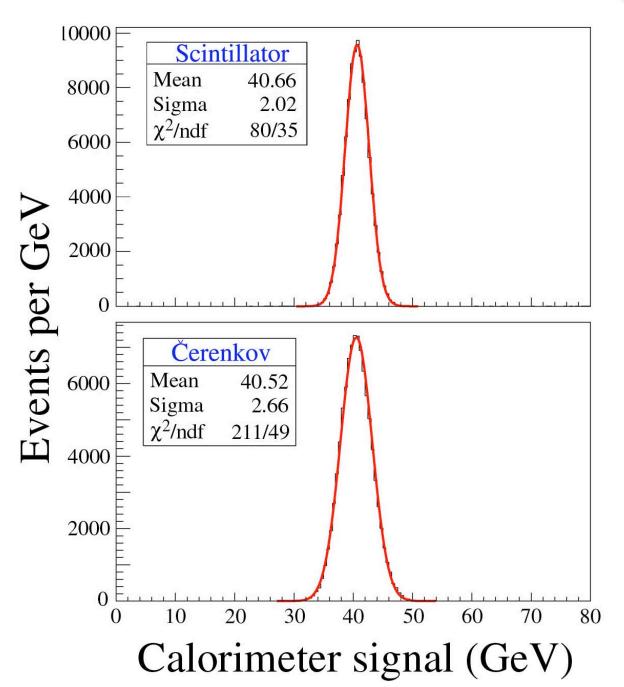


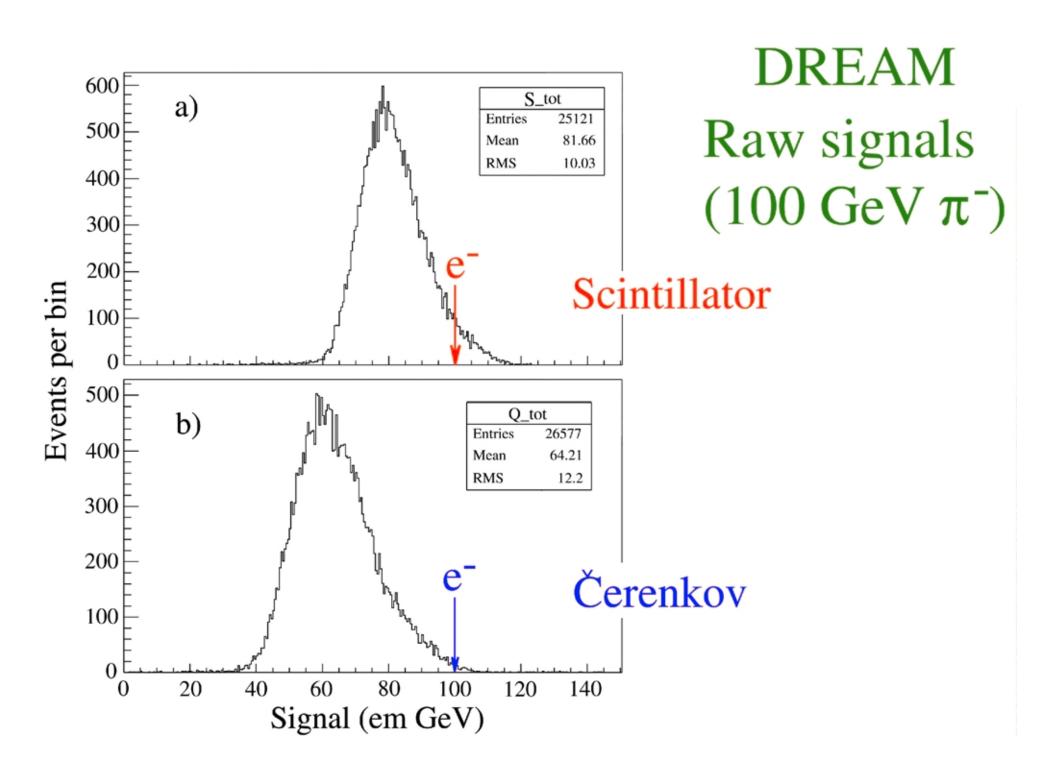




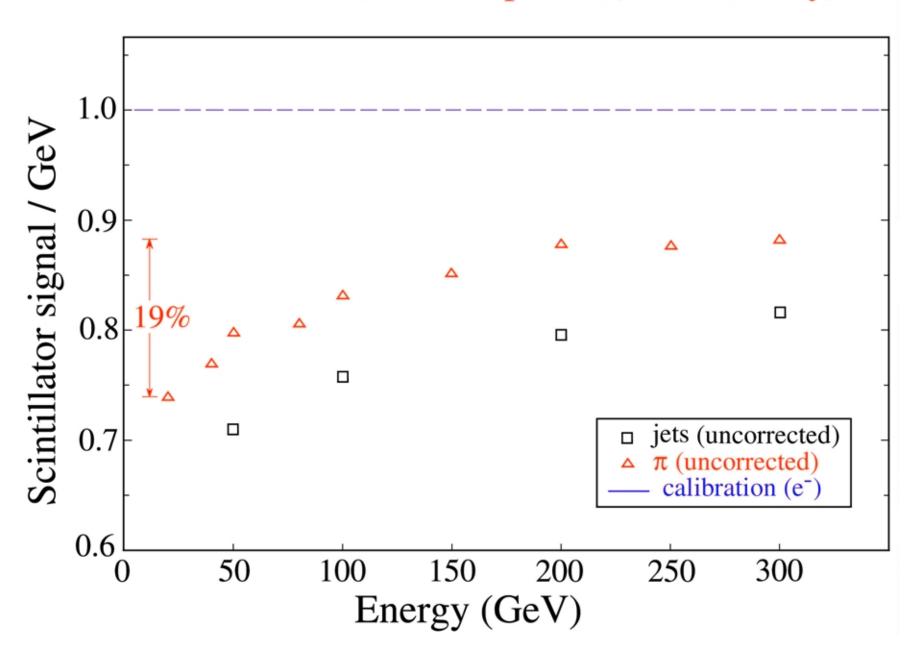
"JET"
Measurements

## Calibration with 40 GeV electrons (tilt 2°)

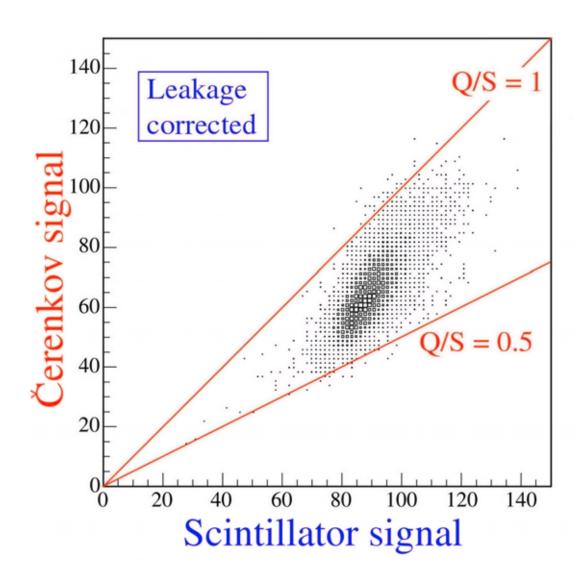




## DREAM: Hadronic response (non-linearity)



## DREAM: The (energy-independent) Q/S method



$$S = E \left[ f_{\text{em}} + \frac{1}{(e/h)_{\text{S}}} (1 - f_{\text{em}}) \right]$$

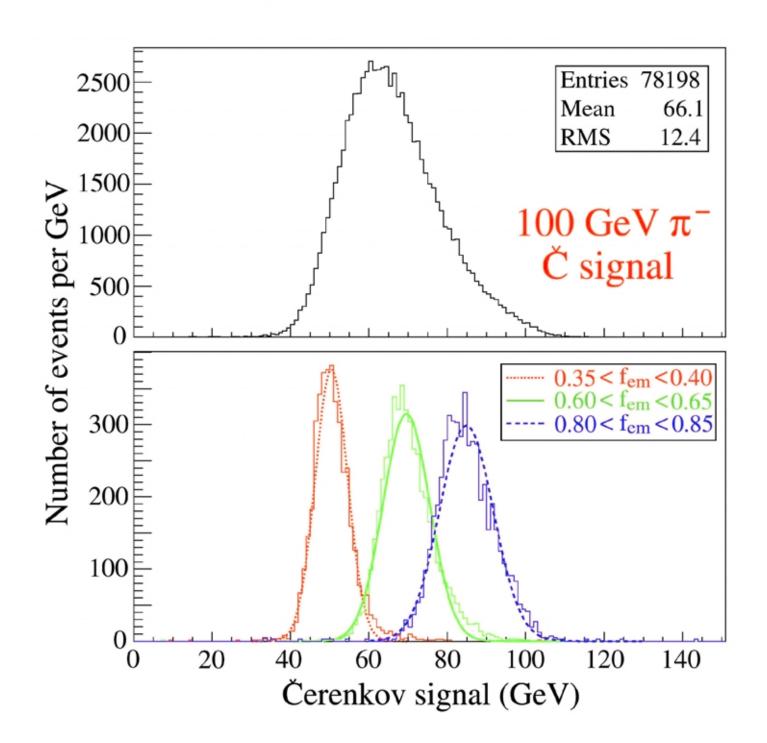
$$Q = E \left[ f_{\text{em}} + \frac{1}{(e/h)_{\mathbf{Q}}} (1 - f_{\text{em}}) \right]$$

$$e/h = 1.3$$
 (S), 5 (Q)

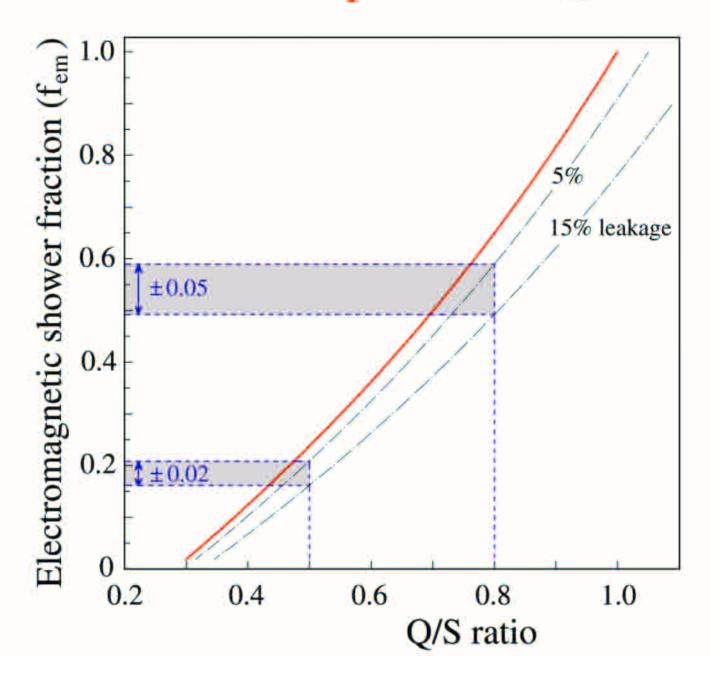
$$\frac{Q}{S} = \frac{f_{\rm em} + 0.20 (1 - f_{\rm em})}{f_{\rm em} + 0.77 (1 - f_{\rm em})}$$

#### DREAM: relationship between Q/S ratio and fem em shower fraction 0.2 0.8 0.4 0.6 900 Q/Sb) a) 500 800 25121 Entries 25121 Entries Number of events per bin 0.5532 Mean Mean 0.7806 700 RMS 0.1212 400 RMS 0.07532 600 500 300 400 200 300 200 100 100 0.5 0.6 0.7 0.8 0.9 0.2 0.4 0.6 0.8 1.1 Electromagnetic fraction Q/S signal ratio

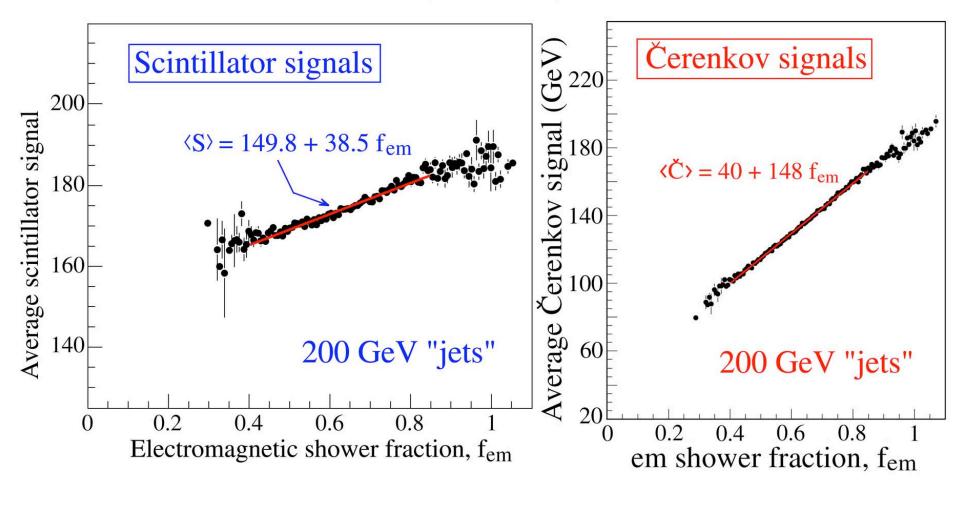
## DREAM: Effect of event selection based on f<sub>em</sub>



## DREAM: Relationship between Q/S and fem



## DREAM: Signal dependence on f<sub>em</sub>



$$R(f_{\rm em}) = p_0 + p_1 f_{\rm em}$$

with

$$\frac{p_1}{p_0} = e/h - 1$$

Cu/scintillator e/h = 1.3

Cu/quartz e/h = 4.7

## Dual-Readout Calorimetry in Practice

## The (energy-independent) Q/S method

• Hadronic response (normalized to electrons):

$$R(f_{\rm em}) = f_{\rm em} + \frac{1}{e/h} \left[ 1 - f_{\rm em} \right], \qquad e/h = 1.3 \text{ (S)}, \quad 5 \text{ (Č)}$$

• Q/S response ratio related to  $f_{\rm em}$  value  $\to$  find  $f_{\rm em}$  from Q/S:

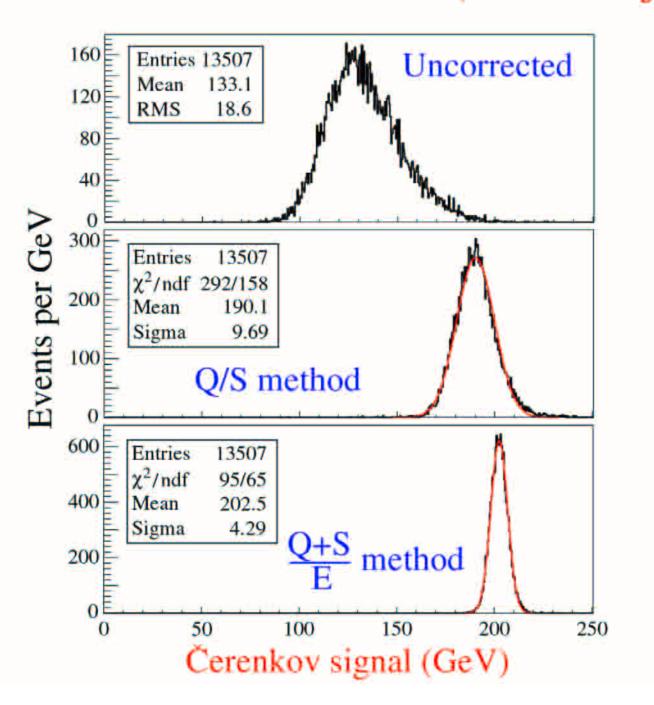
$$\left| rac{Q}{S} \right| = \left| rac{R_Q}{R_S} \right| = \left| rac{f_{
m em} + 0.20 \, (1 - f_{
m em})}{f_{
m em} + 0.77 \, (1 - f_{
m em})} \right|$$

• Correction to measured signals (regardless of energy):

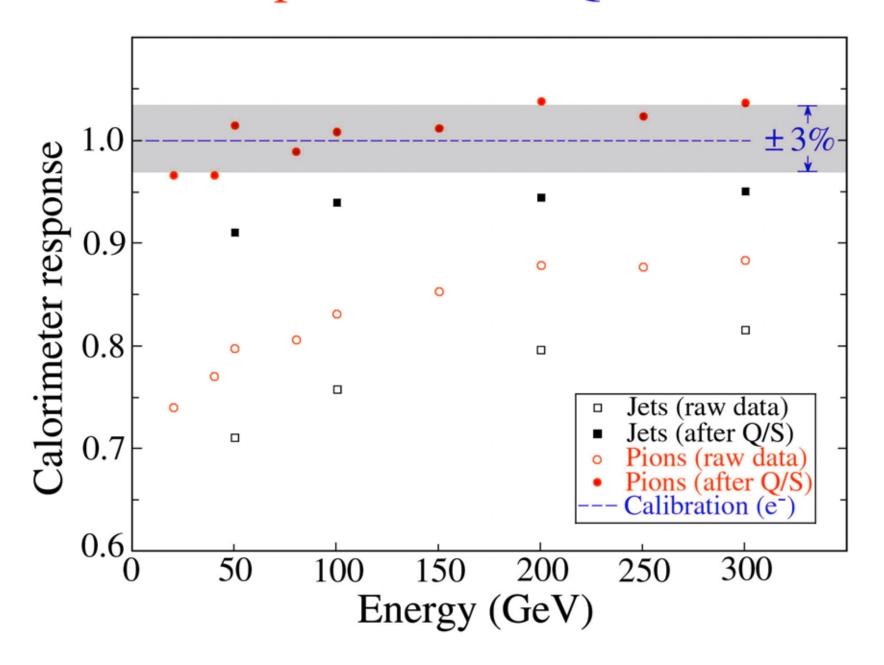
$$S_{\text{corr}} = S_{\text{meas}} \left[ \frac{1 + p_1/p_0}{1 + f_{\text{em}} \cdot p_1/p_0} \right]$$
, with  $\frac{p_1}{p_0} = (e/h)_S - 1$ 

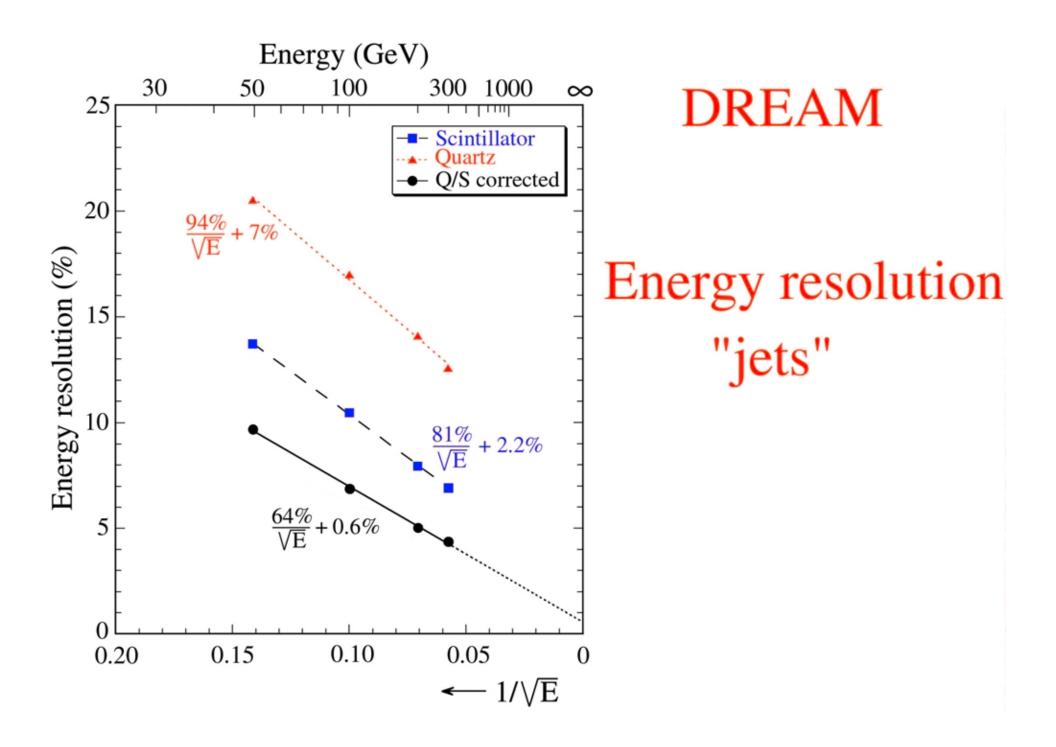
$$Q_{\text{corr}} = Q_{\text{meas}} \left[ \frac{1 + p_1/p_0}{1 + f_{\text{em}} \cdot p_1/p_0} \right] , \quad \text{with} \quad \frac{p_1}{p_0} = (e/h)_{\tilde{C}} - 1$$

## DREAM: Effect of corrections (200 GeV "jets")



## Hadronic response: Effect Q/S correction





## CONCLUSIONS from tests

- DREAM offers a powerful technique to improve hadronic calorimeter performance:
  - Correct hadronic energy reconstruction, in an instrument calibrated with electrons!
  - Linearity for hadrons and jets
  - Gaussian response functions
  - Energy resolution scales with  $1/\sqrt{E}$
  - $\sigma/E$  < 5% for high-energy "jets", in a detector with a mass of only 1 ton! dominated by fluctuations in shower leakage
- These, and many other, experimental results are described in 3 papers:

Hadrons & jets: Nucl. Instr. & Meth. A537 (2005) 537

Electrons: Nucl. Instr. & Meth. A536 (2005) 29

Muons: Nucl. Instr. & Meth. A533 (2004) 305

# ILC Calorimetry

What is needed?

DREAM

- 1) Correct hadronic energy reconstruction
- 2) Separate W from  $Z \rightarrow \sigma \sim 3 \text{ GeV}$

DREAM prototype resolution ( $\sigma$ ~7 GeV) <u>limited by</u>

<u>Needed</u>

- Leakage fluctuations (mass 1 ton)
- Light yield (Quartz fibers:  $8 \ \text{\'C.p.e./GeV} \rightarrow 35\%/\sqrt{\text{E}}$ )

• Fluctuations in visible energy

more light

**TREAM** 

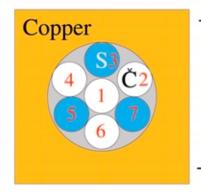
# More Light

- Use fibers with *larger numerical aperture* (e.g. clear acrylic plastic fibers: 18 Č.p.e./GeV)
- *Increase* fiber *packing fraction and/or quantum efficiency* (this would necessitate different readout, e.g. SiPM)
- Use homogeneous medium
   There is absolutely no reason why DREAM principles should be limited to fibers
  - These principles can be used in <u>any</u> optical calorimeter whose signals can be separated into scintillation and Čerenkov components



### DREAM 2

- To what extent can light from an optical calorimeter be separated into its scintillaton and Čerenkov components?
- *Modified* the DREAM calorimeter



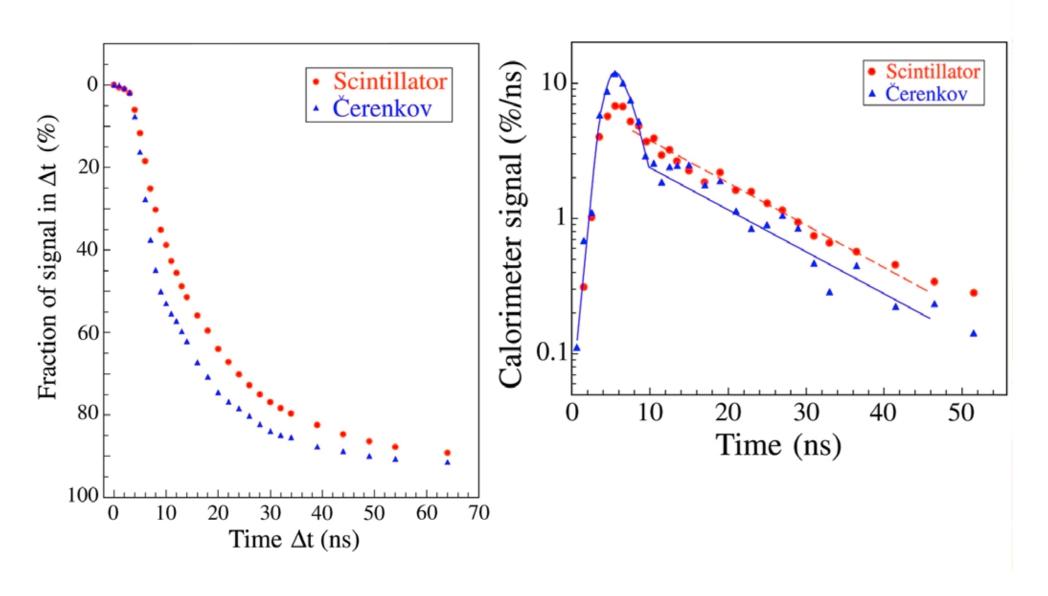
5+7	PMT1 (S)
2+4	PMT2 (Č)
1+3+6	PMT3 (mixed)

Also:

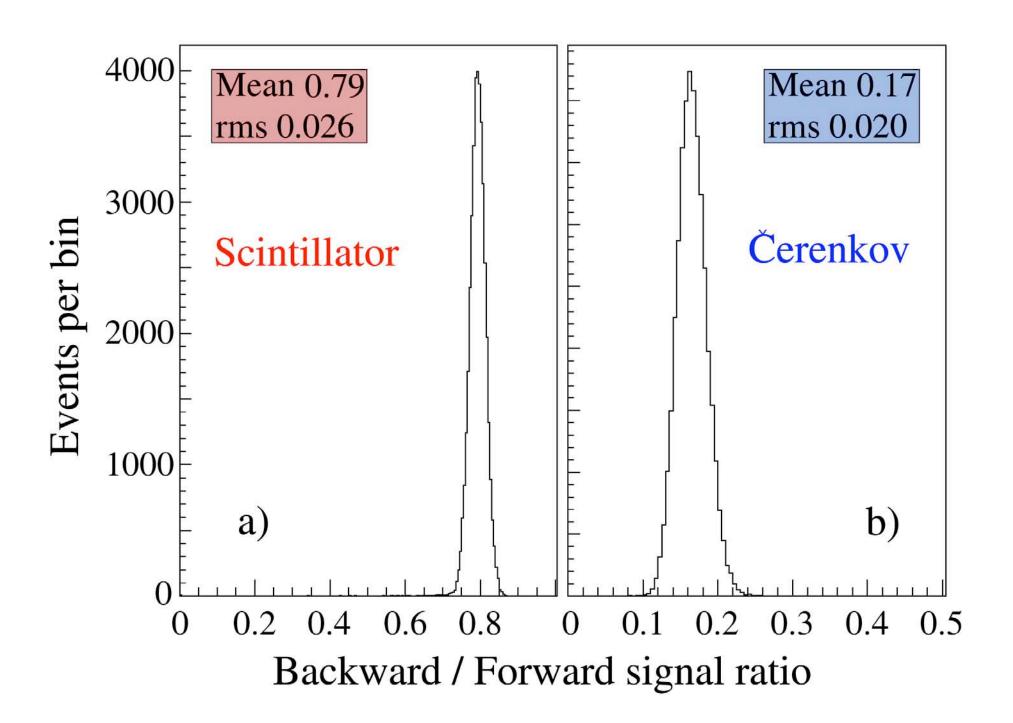
Fibers read out from both ends

- Separation methods based on differences in:
  - Time structure of signals
  - Light directionality
  - Optical spectra
  - Polarization

#### DREAM - Differences in time structure



# DREAM - Light directionality



# Ultimate Hadron Calorimetry

- Having eliminated all other effects, fluctuations in nuclear binding energy losses ( $f_{\Delta B}$ ) are the main remaining challenge
- $\Delta B$  is correlated with the total kinetic energy carried by neutrons Efficient detection of neutrons can reduce intrinsic resolution of hadron calorimeters to  $\sim 15\%/\sqrt{E}$
- TREAM → measure that kinetic energy event by event (triple readout)

## TREAM

- A third type of fibers will make it possible to measure E(n) and thus reduce the effects of fluctuations in  $\Delta B$
- Two options are being studied:
  - Replace every second scintillating fiber in DREAM with a non-hydrogenous scintillating fiber (e.g. doped quartz)
     E(n) can be determined from a comparison of signals from hydrogenous and non-hydrogenous fibers
  - Develop dedicated fibers that are specifically sensitive to MeV-type neutrons

## DREAM/ILC R&D Program

- Investigate issues relevant for DREAM-based ILC calorimeter
  - Build and test larger prototype, with SiPM readout
  - Build homogeneous EM section, test in conjunction
  - Build test module with neutron sensitive fibers
  - *etc.*
- International collaboration is being formed
  - Original DREAM institutes (TTU, IASU, UCSD, Trieste)
  - Several Italian institutes have expressed interest to join
  - Others are welcome

## **CONCLUSIONS**

- D(T)REAM seems capable of meeting / exceeding
   ILC hadronic calorimeter performance requirements
- Bonus: Em resolution  $< 5\%/\sqrt{E}$
- And: The entire detector can be calibrated with electrons!

#### Monte Carlo simulations and hadron calorimetry

#### • Hadron calorimetry

GEANT/GEISHA/FLUKA .... have not contributed anything to our fundamental understanding of hadron calorimetry

Progress in understanding has been made *despite* these programs

Simulations are *flawed at fundamental levels*, e.g.  $\pi^0$  production and neutron contributions to the signals, which are crucial for understanding hadron calorimetry

Benchmark data for tests of MC simulations:

- E. Bernardi *et al.*, NIM **A262** (1987) 229
- G. d'Agostini *et al.*, NIM **A274** (1989) 134
- N. Akchurin *et al.*, NIM **A408** (1998) 380.

### Benchmark data for hadronic Monte Carlo

Test of  $\pi^0$  production modelling

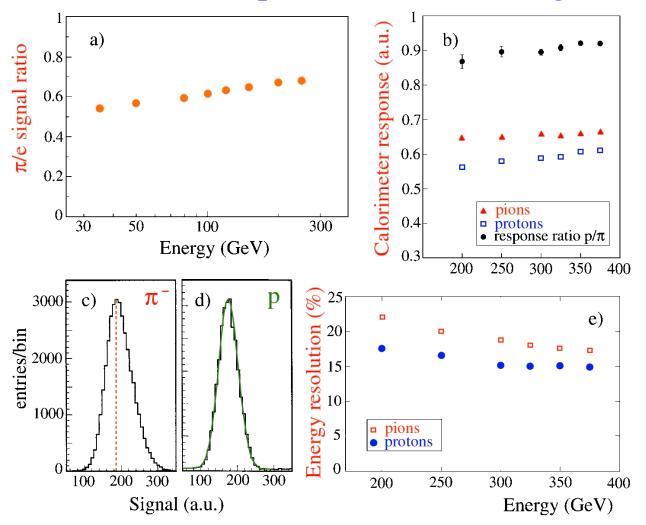


FIG. 8.27. Calorimeter benchmark data for testing the correct implementation of  $\pi^0$  production in Monte Carlo simulations of hadronic shower development. Experimental data from a copper/quartz-fiber calorimeter, showing the  $\pi/e$  signal ratio as a function of energy (a), the response to protons and pions, as well as the ratio of these responses, as a function of energy (b), the response functions to 300 GeV pions (c) and protons (d), and the energy resolutions for pions and protons as a function of energy (e) [Akc 97].

# Benchmark data for hadronic Monte Carlo Test of description neutron effects

