

Indirect detection of Dark Matter in non minimal Supergravity scenarii

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in collaboration with

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Outline

I)

Introduction

Supergravity Landscape

II)

Indirect detection of dark matter

Principle

Profiles

Results : EGRET ; CANGAROO/HESS ; GLAST

III)

Complementarity with collider physics

$B_s \rightarrow \mu^+ \mu^-$ versus detection

Linear Collider constraints

IV)

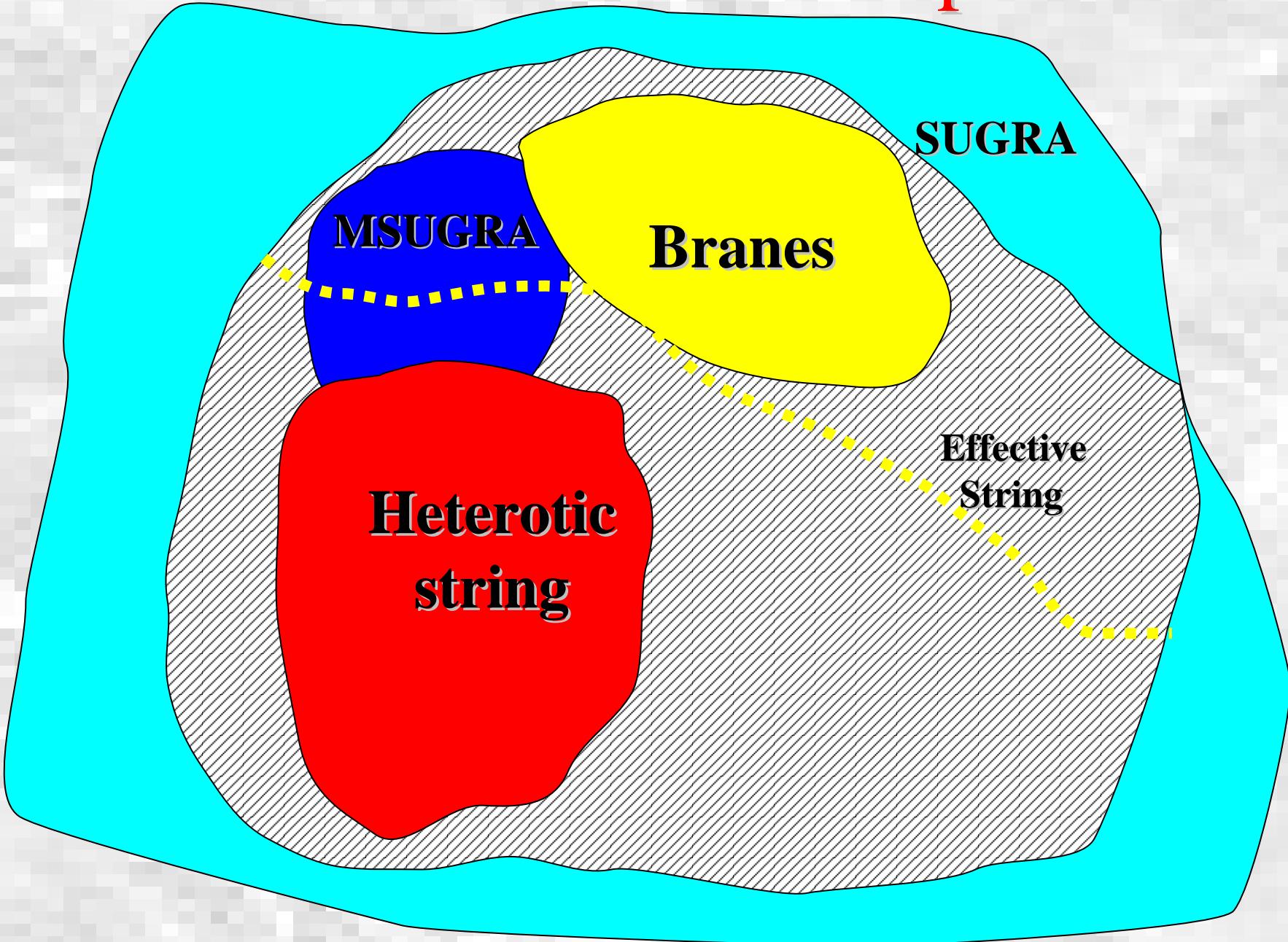
Application to string inspired SUGRA models

V)

Conclusion and Outlooks

Effective Models Landscape

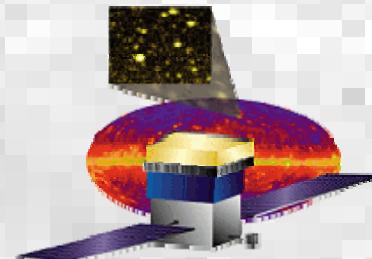
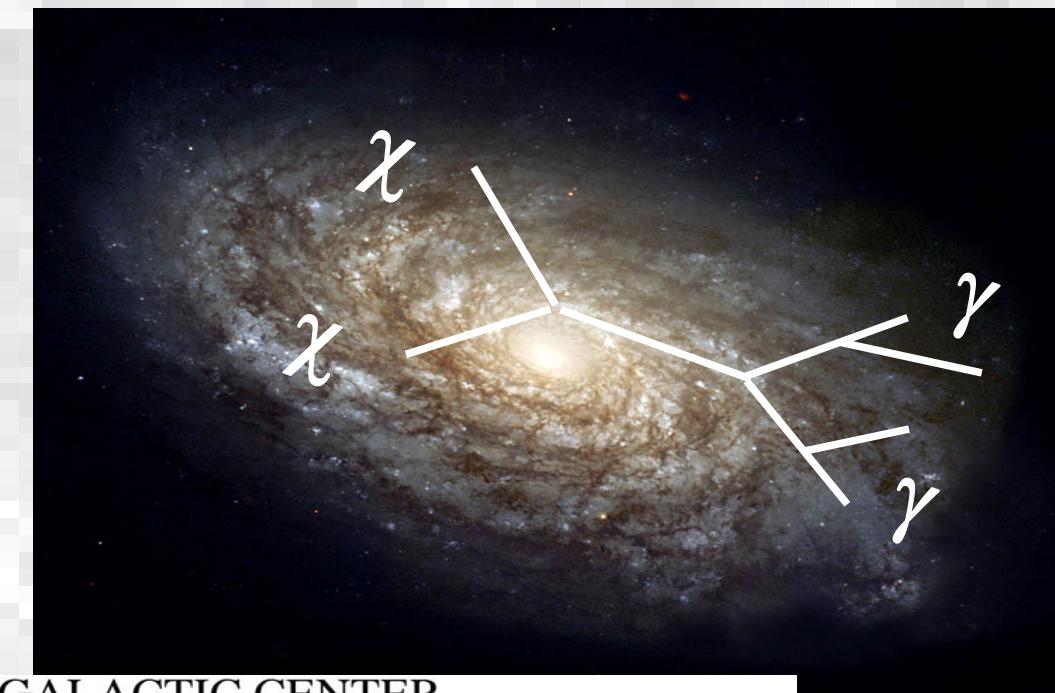
M_{3/2}
Tan β
 b^+
 $\langle t \rangle$
 δGS
 $\langle V \rangle = 0$



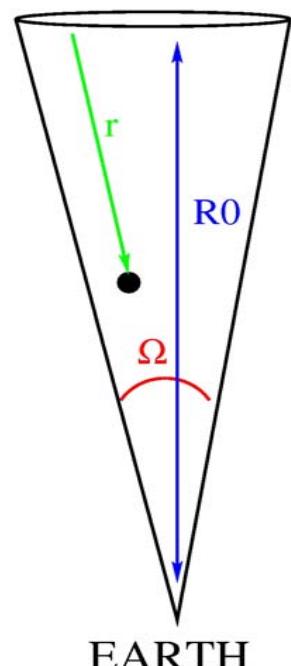
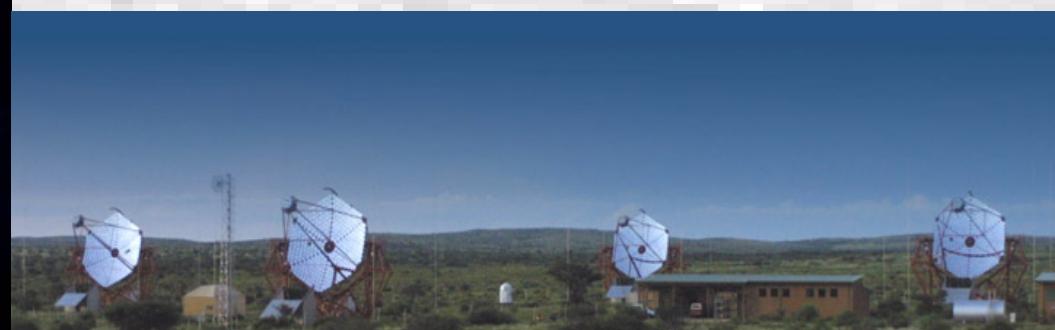
Effective Models Landscape

Tan β	Tan β	Tan β	Tan β
M	M3/2 (b1 + dGS)	M(1 + d'1)	M1
m	M3/2 (b2 + dGS)	M(1 + d'2)	M2
A	M3/2 (b3 + dGS)	M(1 + d'3)	M3
	.	.	.
	.	.	.
Sgn(μ)	M3/2 (1 + n1)	m(1 + d1)	mH1
mSUGRA	M3/2 (1 + n2)	m(1 + d2)	mH2
	.	.	.
	.	.	.
			Ab
			At
		<u>Parametrized</u>	<u>General</u>
	<u>SUGRA</u>	<u>SUGRA</u>	<u>SUGRA</u>

Indirect detection from GC



GLAST (2006)



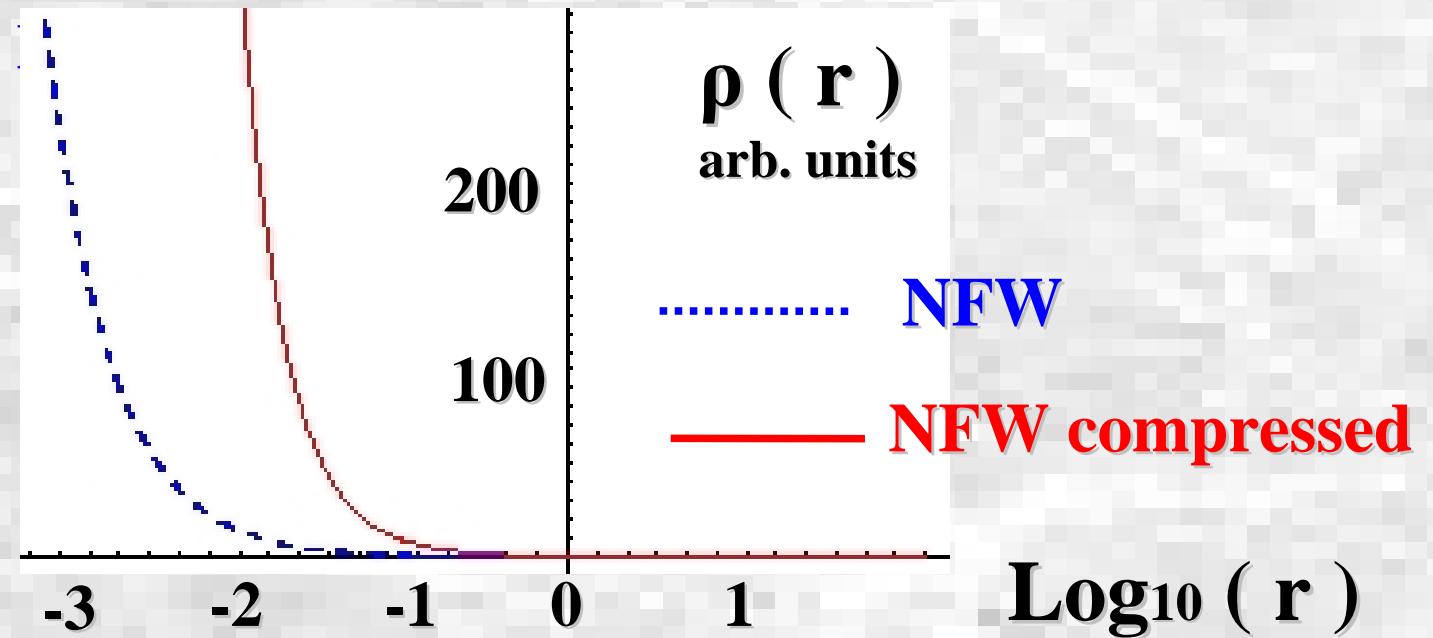
$$\Omega \left| \begin{array}{l} 10^{-3} (\theta = 1^\circ) \\ 10^{-5} (\theta = 0.1^\circ) \end{array} \right.$$

$R_0 = 8 - 8.5 \text{ kpc}$

$$\Phi\gamma(\text{cm}^{-2}, \text{s}^{-1}) \sim 10^{-13} \frac{10}{10^{-29} \text{ cm}^3 \text{s}^{-1}} \frac{\langle \sigma v \rangle}{M^2} \frac{(100 \text{ GeV})^2}{J \Delta\Omega}$$

$$\Omega h^2 \sim \frac{3 \cdot 10^{-27} \text{ cm}^3 \text{s}^{-1}}{\langle \sigma v \rangle} \sim 0.1 \rightarrow \Phi\gamma \sim 10^{-11} \frac{\text{J}}{J \Delta\Omega}$$

The adiabatic compression



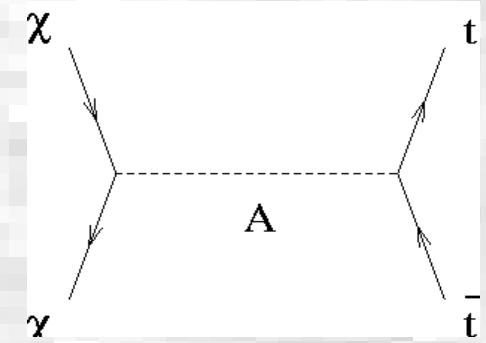
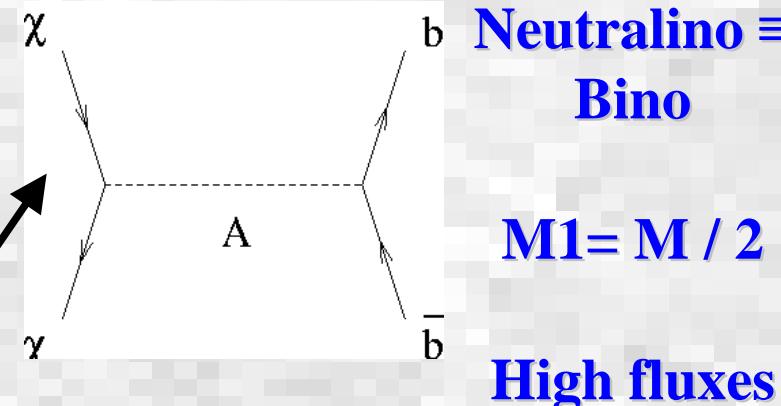
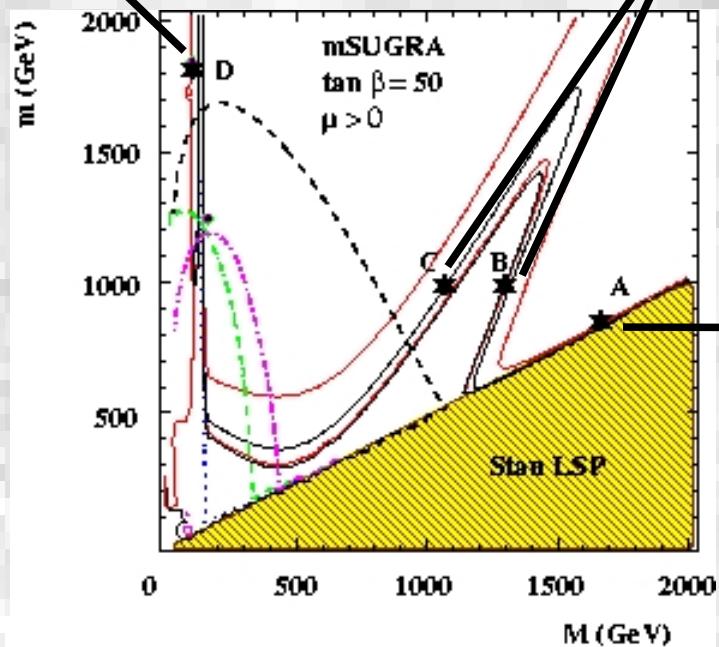
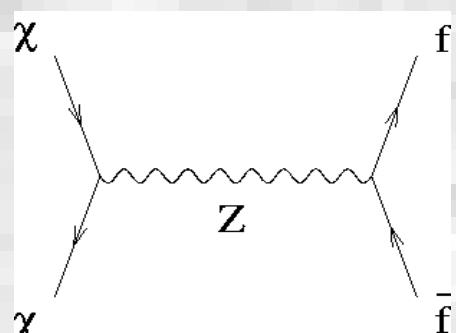
$$M_i(r_i) r_i = [M_{\text{CDM}}(r_f) + M_b(r_f)] r_f$$

N-Body simulation
(NFW, Moore..)

???

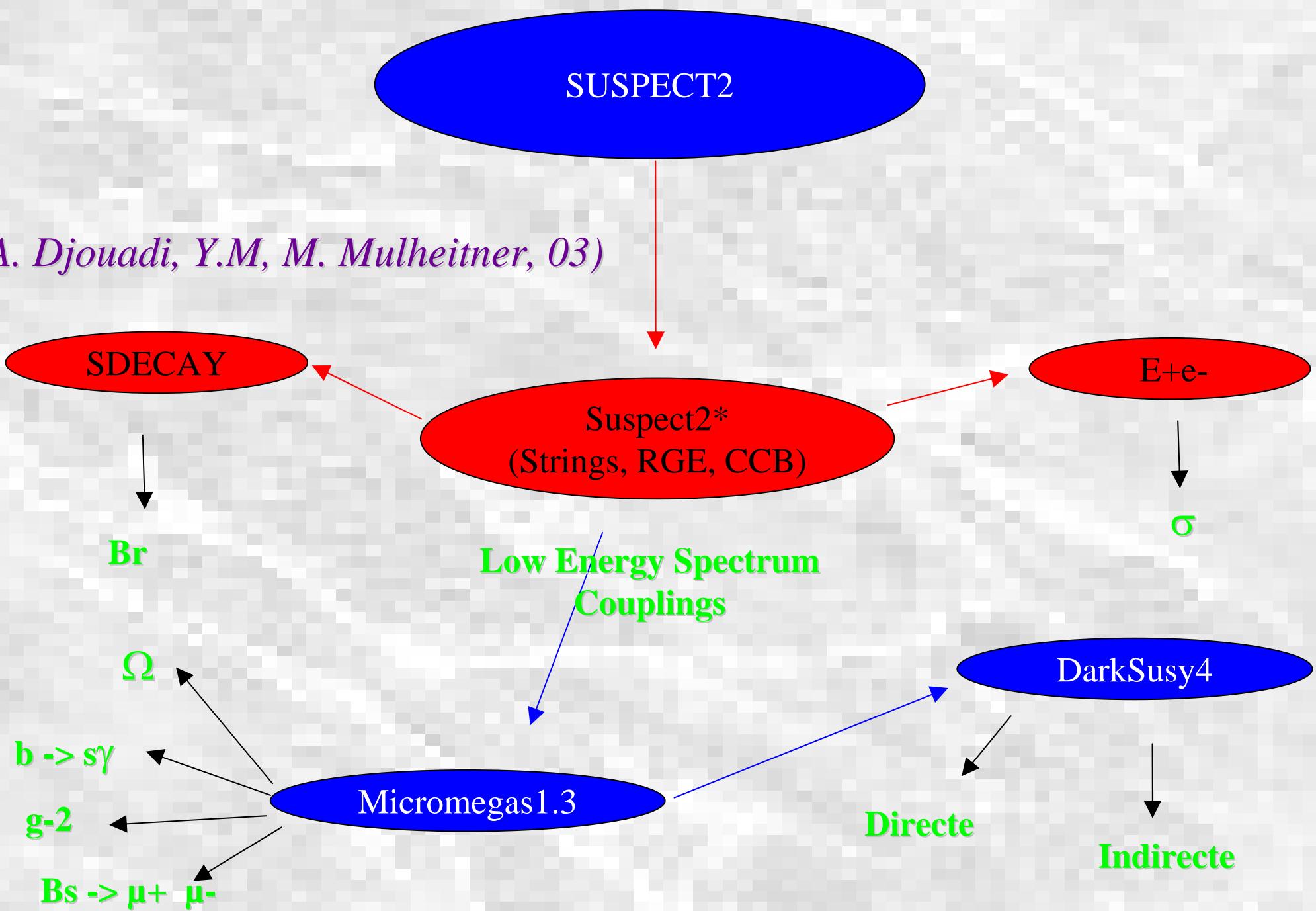
Today baryon
distribution

The relic density constraints



TOOLS

(A. Djouadi, Y.M, M. Mulheitner, 03)

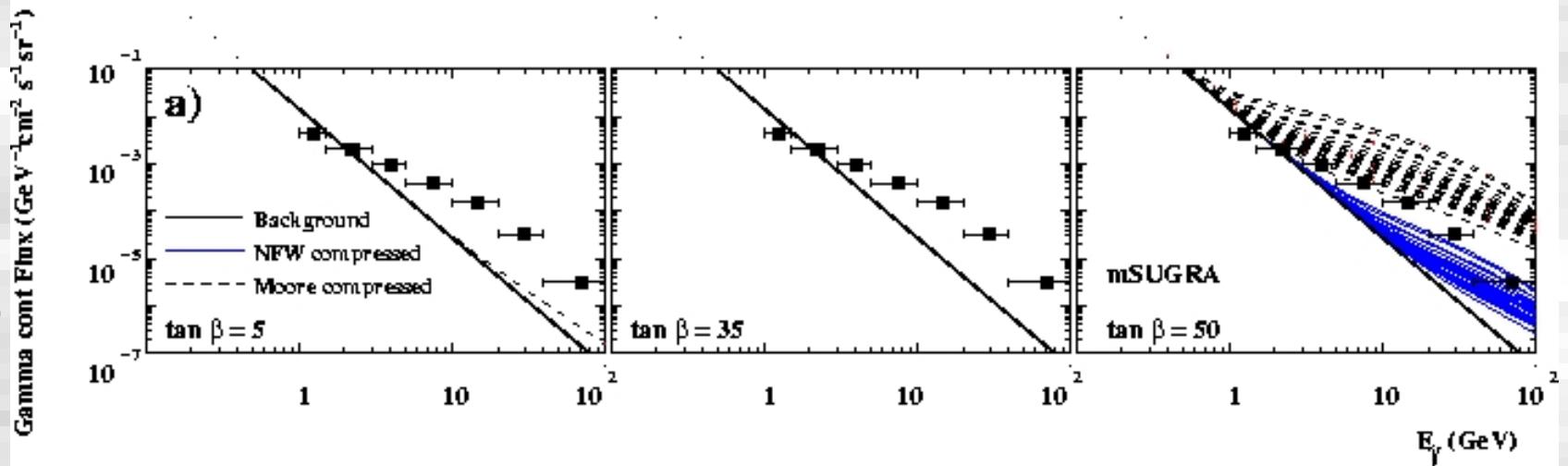


Exp. Part I

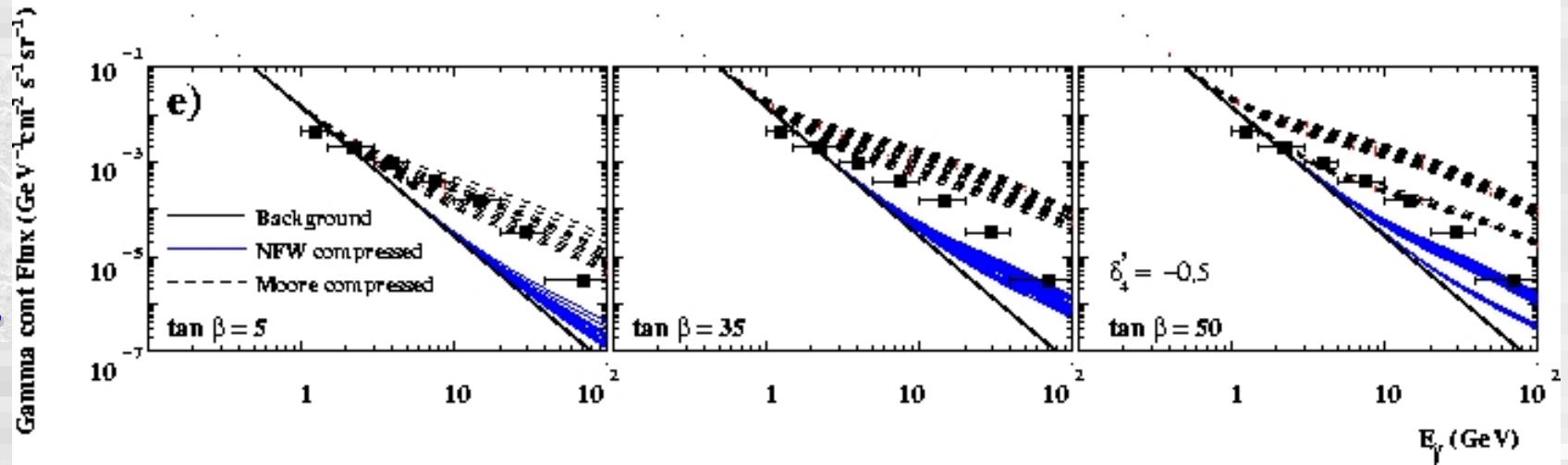
EGRET

(Y.M, C. Munoz, 05)

MSUGRA
 Ω_{MAP}
Acc. Const.



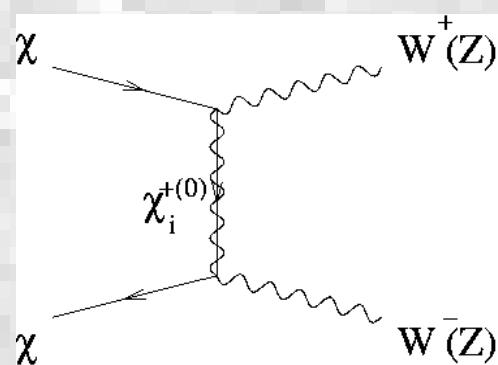
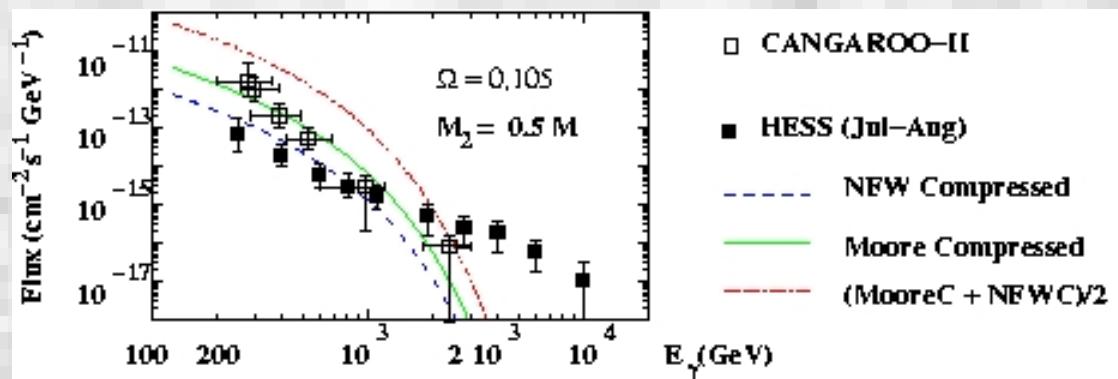
M3 = M/2
 Ω_{MAP}
Acc. Const.



Exp. Part II

A.C.T. : CANGAROO II, HESS

(Y.M, C. Munoz, 05)



$$\sigma \approx \frac{\left(Z_{12} V_{11} \right)^2}{M_{X0}^2 + M_{\chi^+}^2 + M_W^2}$$

Exp. Part II

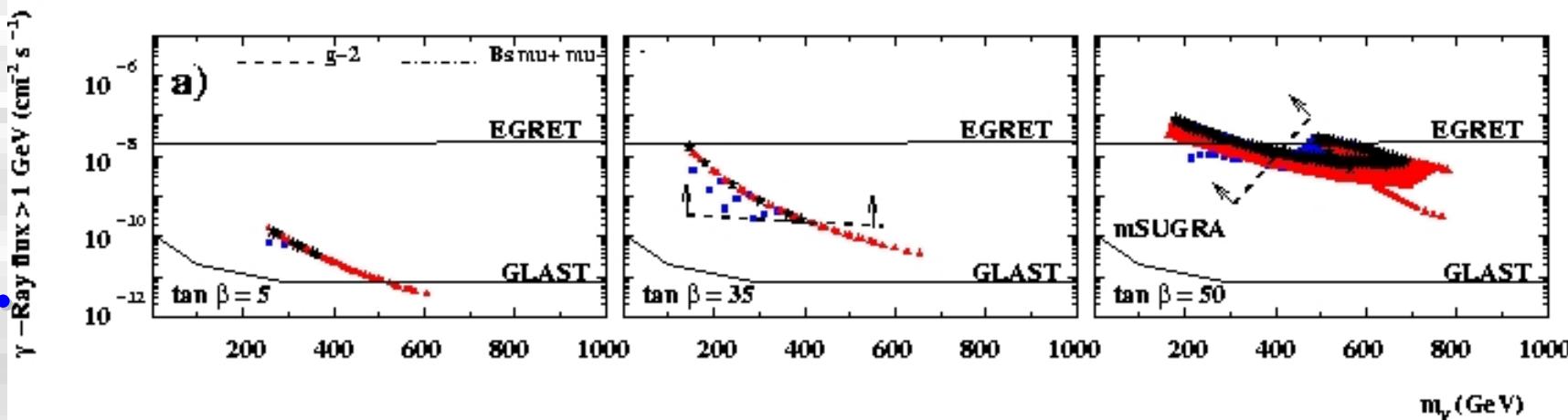
Satellite GLAST

(Y.M, C. Munoz, E. Nezri 05)

MSUGRA

Ω_{MAP}

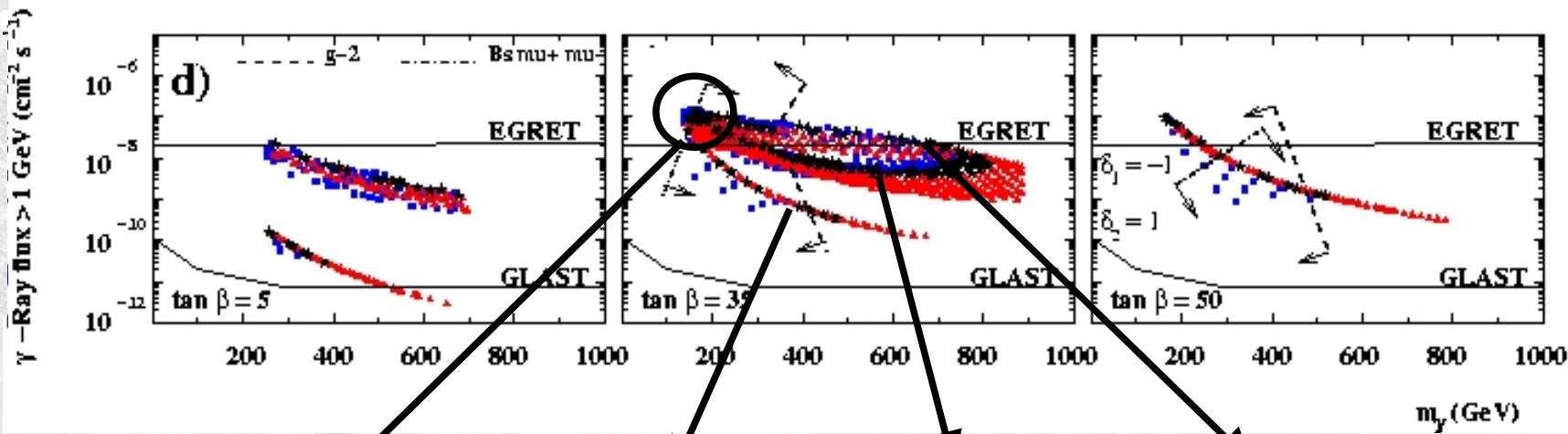
Acc. Const.



M3 = M/2

Ω_{MAP}

Acc. Const.



A

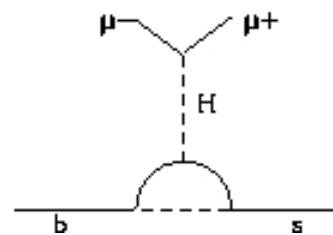
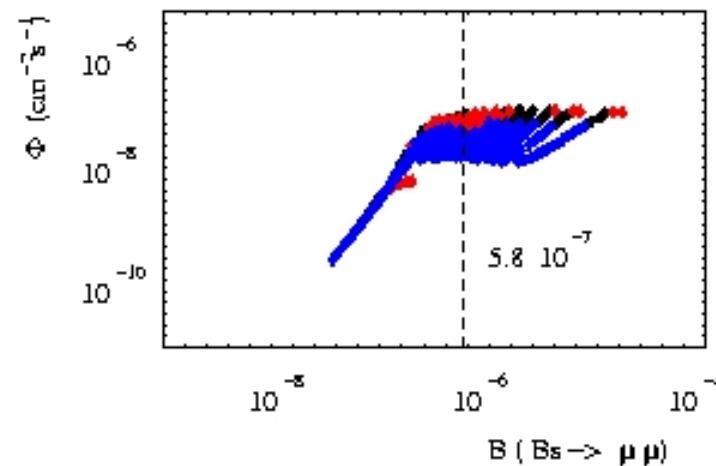
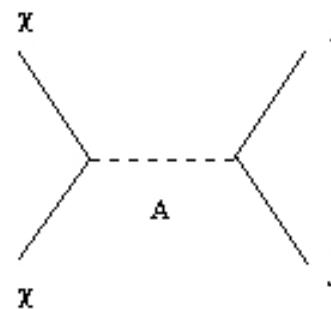
B

C

D

Accelerator vs Astroparticle

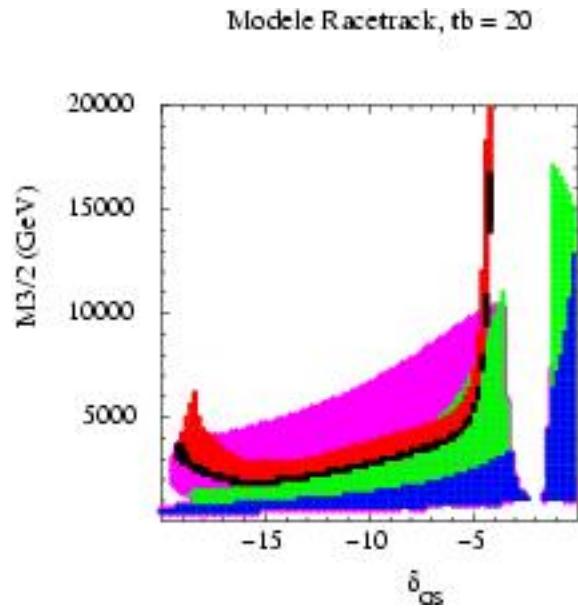
(Y.M, C. Munoz, 05)



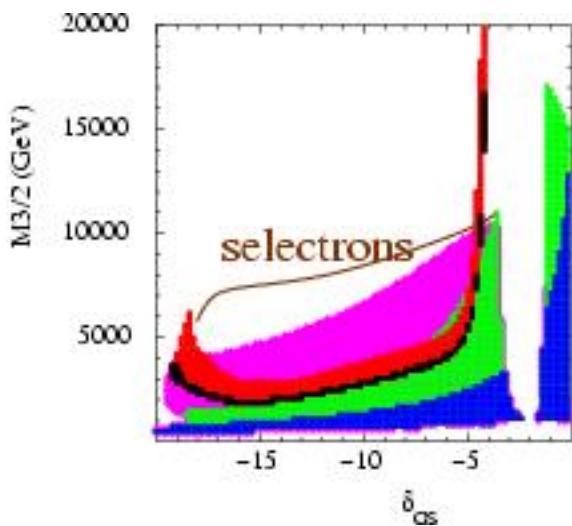
Results I : Accelerators physics

(A. Birkedal, P. Binetruy, Y.M., B. Nelson 03)

RACETRACK

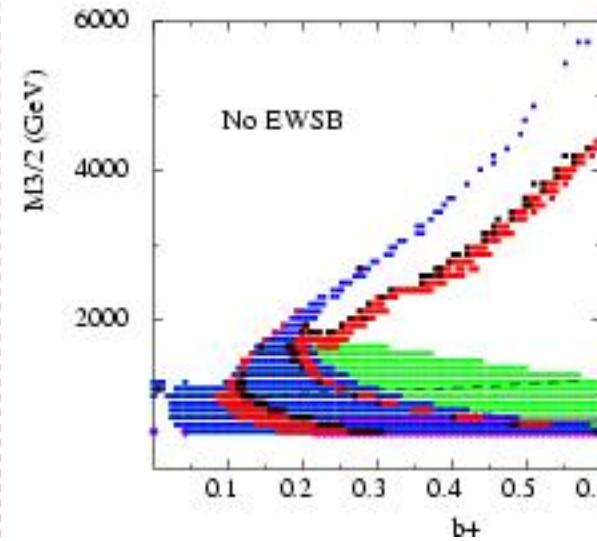


Linear Collider 800 GeV



BGW

Modele BGW, tb = 20



$M_h < 113.5 \text{ GeV}$



$M_{x^+} < 103.5 \text{ GeV}$



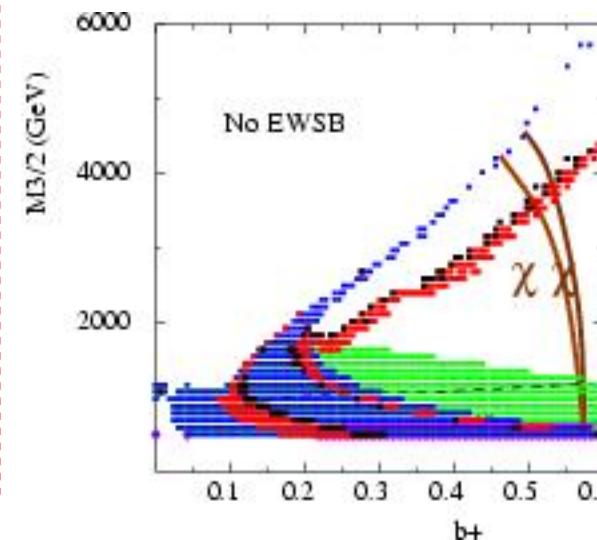
$b \rightarrow s \gamma$



$0.1 < \Omega < 0.3$

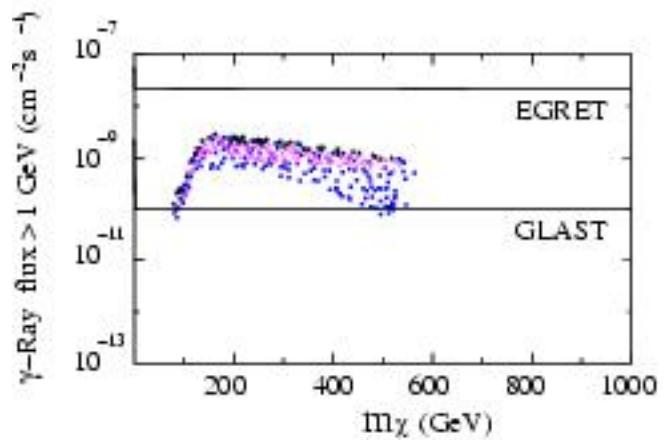
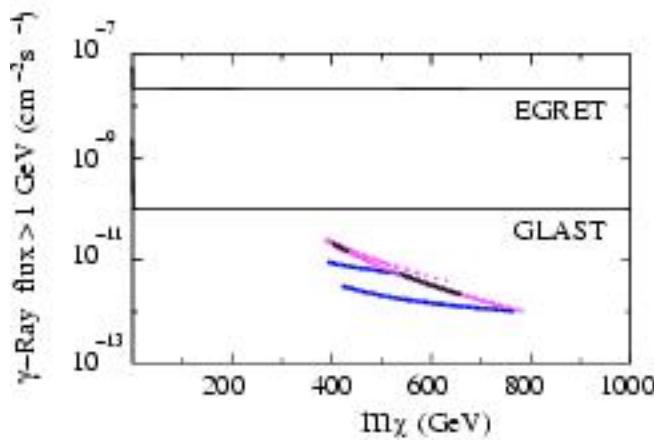
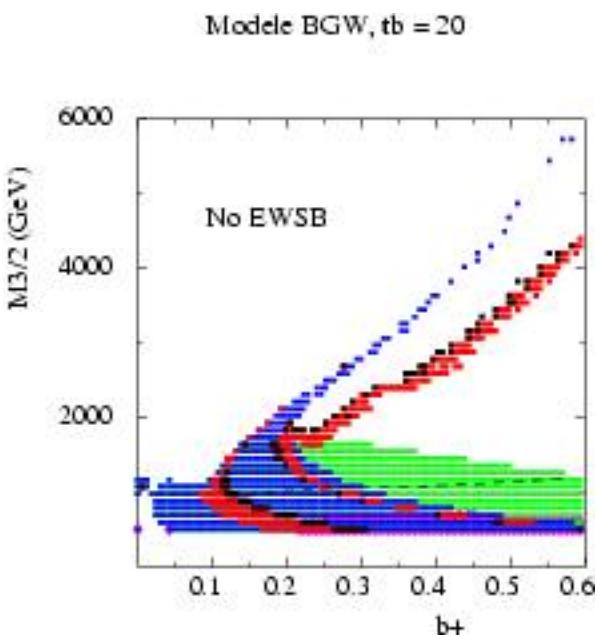
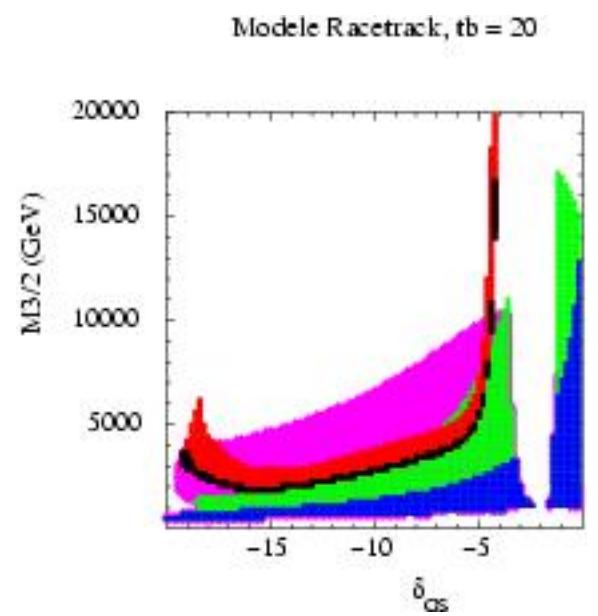


ΩMAP

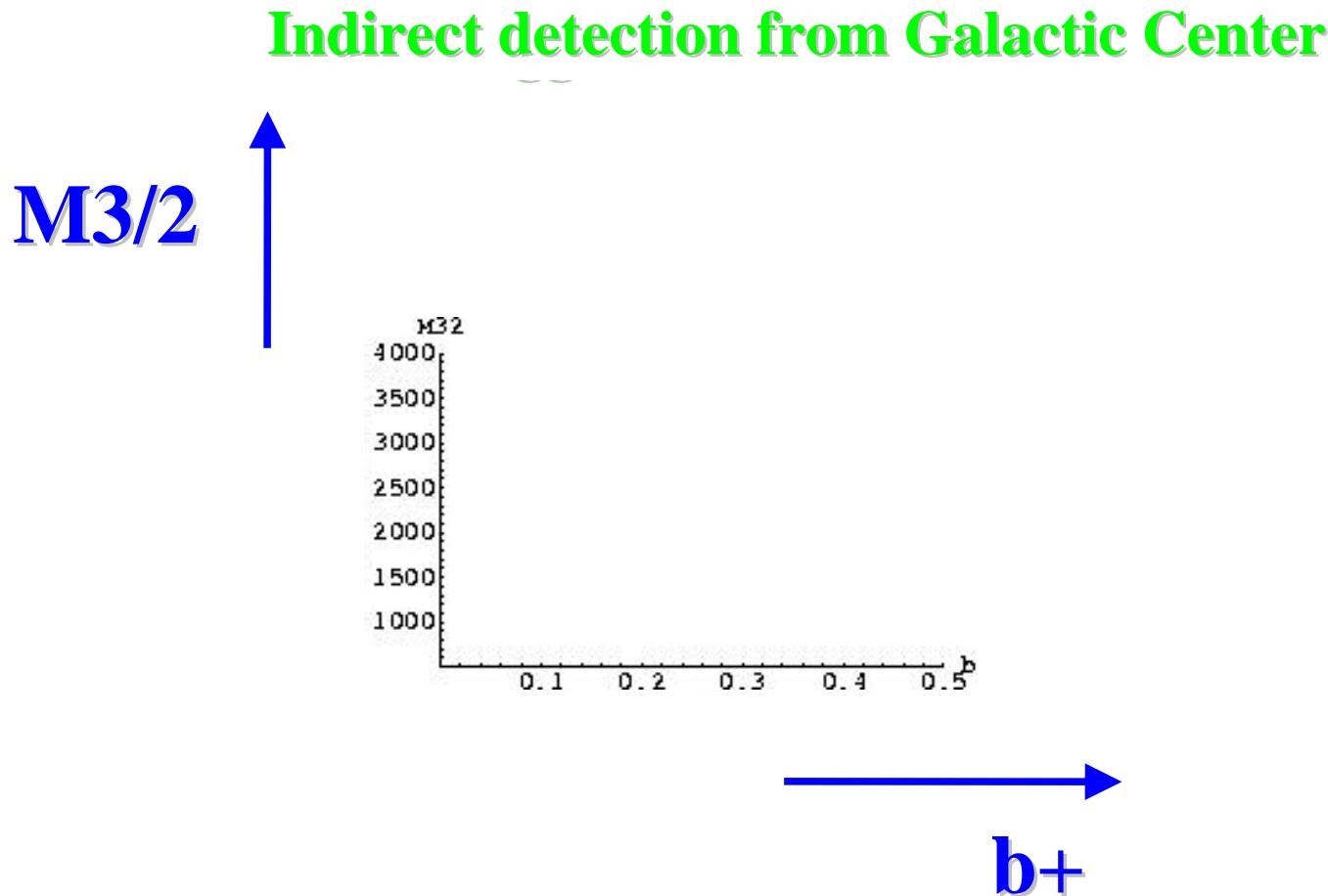


Results II : Fluxes

(P. Binetruy, Y.M, E. Nezri, 04)



Results III : Exclusion?



Conclusion

Compressed profiles can fit experimental data excesses

**Futur experiment (GLAST) will be able to reach all
the parameter space of SUGRA**

Direct application to string motivated models

**Restriction of the parameter space
using collider/astro complementarity**