

Alignment in Circular Colliders and Specific Requirements for LHC

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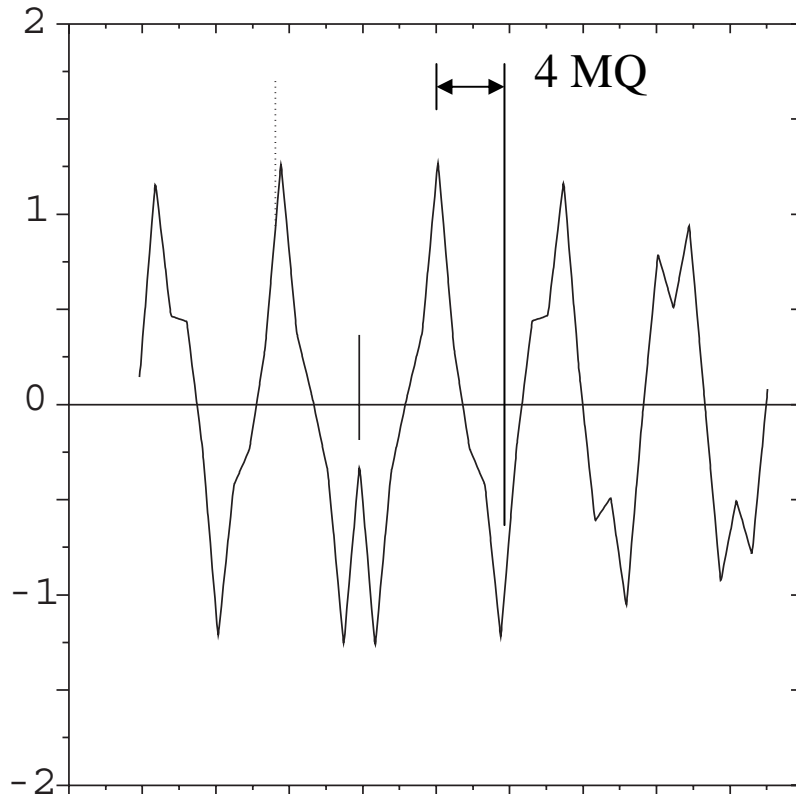
IWAA 2004, CERN October 2004

Outline

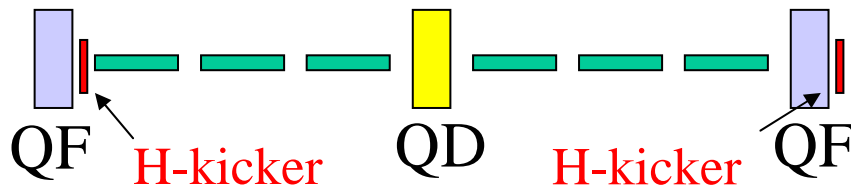
- Closed orbit and tolerances
- Magnetic issues at LHC
- Aperture issues
- Survey issues
- Conclusions

Closed orbit and tolerances

An issue for all machines : Closed Orbit errors

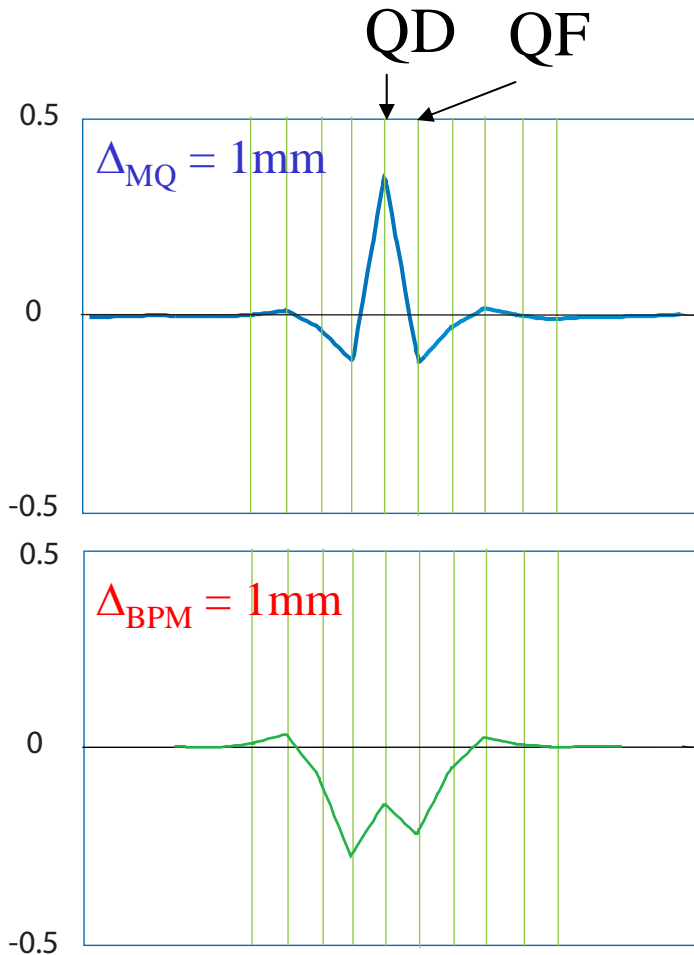


- Perfect machine, except for one QD mis-placed by $\Delta x = 1\text{mm}$ horizontally
- Without correction: $\sim \Delta x$ every 4th MQ with 1 MQ mis-placed
- With $N_{\text{MQ}}=400$ and random moves
 - $\rightarrow \Delta x = \text{root}(N) \Delta x/4 = 5\text{mm r.m.s.}$
 - \rightarrow 10-15mm peak
- Larger ring : CO control more important (both good geometry and good correction system)



Mad model and correction algorithm,
J. Wenninger

Residual after correction



- Usual case : no H-kicker at QD
- **Non-local correction:**
Perturbation not eliminated, and expanding over ~ 7 MQ
- r.m.s $\Delta x = 1\text{mm}$ over all MQ's and BPM's :
- $\Sigma_{\text{rms}} \Delta x = 1.5\text{mm}$
- This without BPM resolution, missing BPM's, local coherent distortions, numeric matrix inversion errors ...
- $\Delta_{MQ} < 1.5\text{mm}$, $\Delta_{BPM} < 0.5\text{mm}$ (tol, total)

Mad model and correction algorithm,
J. Wenninger

Experimental insertions

- High luminosity at LHC \rightarrow beam size at crossing $\sigma=17 \mu\text{m}$
- $\beta_{\text{MQX}} = 5000 \text{ m}$ compared to $\beta_{\text{arc}} = 200\text{m}$
- **Beam divergence $\sigma'_{\text{MQX}} = \sigma_{\text{arc}}/5$**
- 2 opposite protons beams in the same tube : dipoles cannot do the job there
- \rightarrow CO corrections must be made $\sim 2\text{-}300 \text{ m}$ away**
- Very critical, need MQX perfectly aligned with frequent remote checks and re-alignmnet
- See A. Herty et al. Tuesday

Magnetic issues

LHC basic parameters - I

- Goal : **Allow to discover a H-boson up to $m_H = 400 \text{ GeV}$** (and more)
 - Proton-proton Collisions at $\sim 10 \text{ TeV} + 10 \text{ TeV}$
 - Luminosity $L = 10^{34} \text{ cm}^{-2}\text{s}^{-1}$ so : **high stored current**
- Fit in the LEP tunnel with arc curvature $\rho = 3606 \text{ m}$

With a filling factor of 0.8 (need focussing, correctors, etc) :

$$\Rightarrow \rho_{\text{mb}} = 0.8 \rho = 2800 \text{ m} \quad \text{and} \quad B = \frac{E}{0.3 \rho_{\text{mb}}} = \frac{10^4 \text{ GeV}}{0.3 \times 2800} = 12\text{T}$$

- Classical ‘warm’ magnets : $B < 2\text{T}$
 - **Need superconductor magnets**

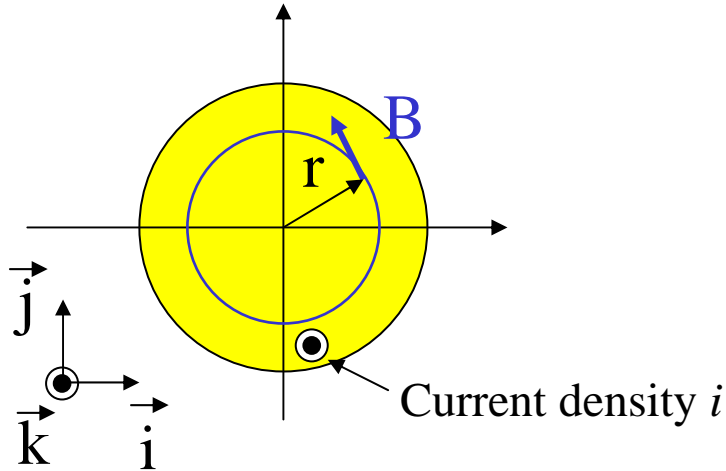
LHC basic parameters - II

- Best candidates NbTi , with in practice $B_{\text{best}} \cong 9 \text{ T}$
- This even with superfluid helium
($T_c = 2.8 \text{ K}$ at $B=9\text{T}$)

→ Beam Energy in collision : $E_{\text{coll}} \cong 7 \text{ TeV}$

- Finally: use existing injector : $E_{\text{inj}} = 0.45 \text{ TeV}$
 - Fixes the r.m.s beam size $\sigma = 1.2 \text{ mm}$
 - And the vacuum chamber size, see below

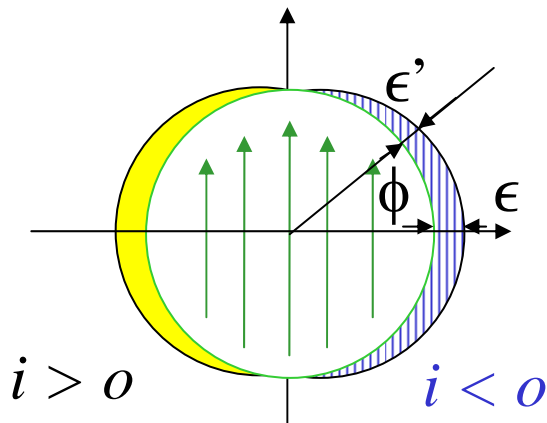
A super-conducting dipole field – basic theory



$$\int_{\text{border}} \vec{B} \, d\vec{s} = \int \int_{\text{inside}} i \, dS \Rightarrow B(r) = \frac{\mu_0 i}{2} r$$

$$\Rightarrow \vec{B} = \frac{\mu_0 i}{2} (\vec{k} \wedge \vec{r})$$

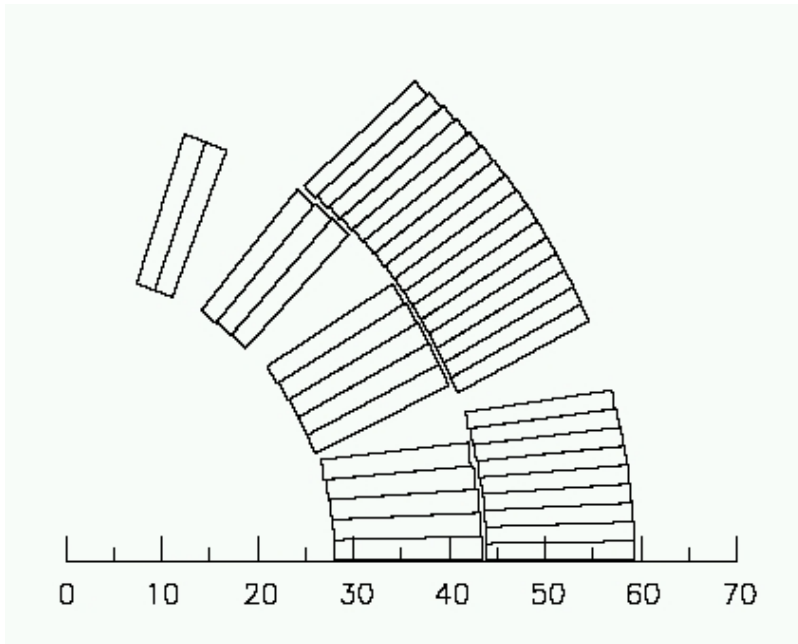
$$\vec{B}_1 + \vec{B}_2 = \frac{\mu_0 i}{2} [\vec{k} \wedge (\vec{r} + \epsilon \vec{i}) - \vec{k} \wedge (\vec{r} - \epsilon \vec{i})] = \mu_0 i \epsilon [\vec{k} \wedge \vec{i}] = \mu_0 i \epsilon \vec{j}$$



→ A skin of current varying with $\cos \phi$ produces a uniform dipole field

But : to be perfect, $\epsilon \rightarrow 0$, $i \rightarrow \text{infinity}$

The coils

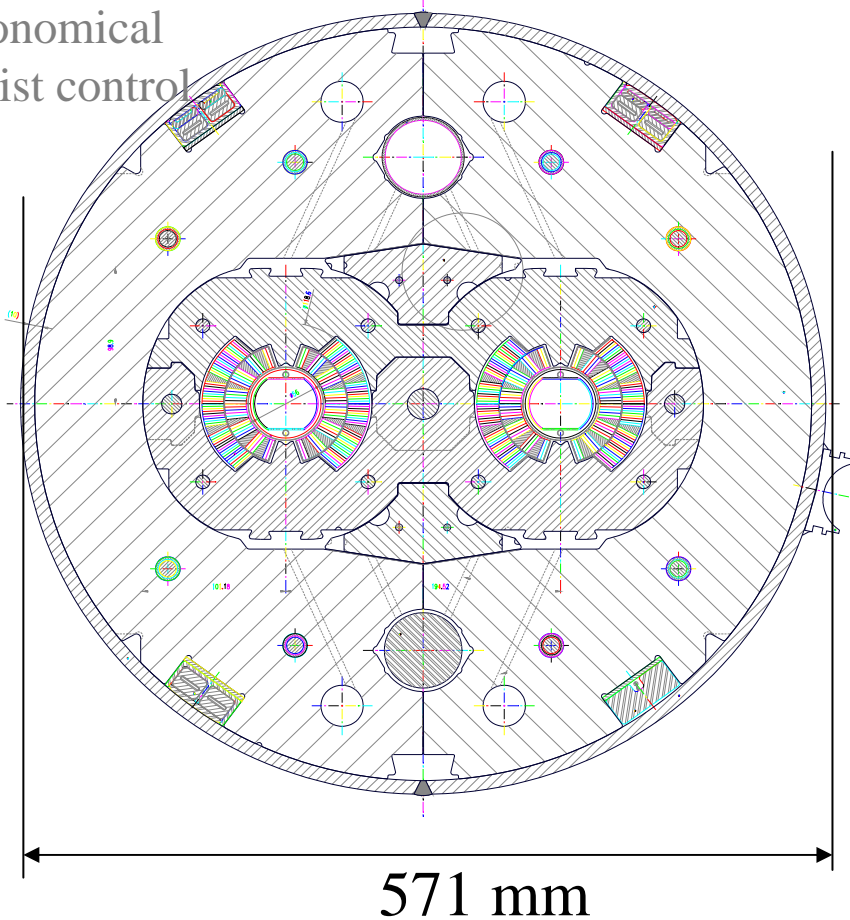


- $\epsilon \cong 1$, not exactly $\epsilon \rightarrow 0$
- Cosine function not very close to textbook definition
- In spite of clever corrections, field map is not constant enough
→ Need corrective elements
- $B = 9\text{T} \rightarrow NI = 1\text{MA}$
→ EM forces $\sim 2\text{MN/m}$
→ High mechanical stiffness

A super-conducting dipole field – in practice

2 beam lines with opposite polarity

- Economical
- Twist control

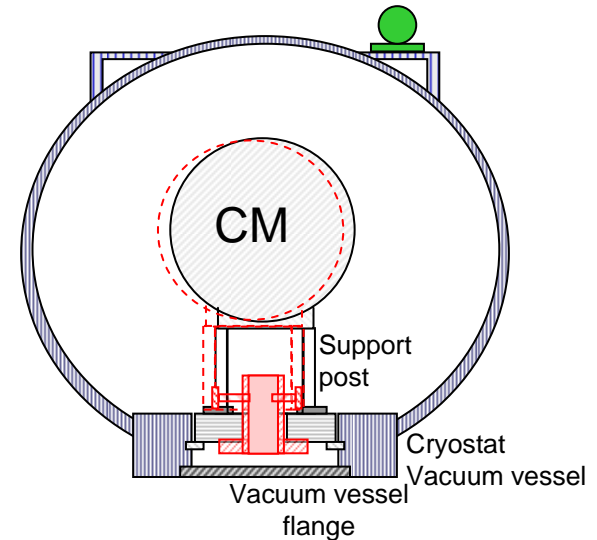


Length $L = 15$ m

Weight $m = 27$ tons

Working point $T = 2$ K
(superfluid helium)

→ Embedded in a cryostat



→ CM hidden to Survey

Courtesy of F. Savary AT-MAS and F. Seyvet AT-CRI

Alignment in LHC, IWAA 04 , BJ

Magnetic correction strategy

- Field map modify the tune, the chromaticity , etc
- They can reduce the dynamic aperture (beam lifetime, losses)
- Corrections are needed
- Multipole coils running inside the main coils:
 - Strong dB/dt of main field → strong inductive and persistent errors s.c. (non-resistive) in correcting coils (HERA)
- Rather: Autonomous correctors at the extremities
 - No inductive errors
 - But alignment issues

→ Transmutation of Magnetic problems
into Survey issues! (see below)

Field map errors expressed as multipole expansion in unit 10^{-4} with latest coil-shape

N-pole Ap1 inj/top Ap1 inj/top

b2	~ 1.3	~ -1.1
b3	~ -4.5 / 3	~ -4.5 / 3
b4	~ 0 / 0.2	~ 0 / 0.2
b5	~ +1.0 / 0	~ +1.0 / 0
b6	~ 0	~ 0
b7	~ +0.3 / +0.7	~ +0.3 / +0.7
b8	~ 0	~ 0
b9	~ 0.8	~ 0.8
a2	~ -0.4	~ -0.4
a3	~ -0.26	~ -0.23
a4	~ +-0.13	~ +-0.13
a5	~ +0.03	~ +0.02
a6	~ 0	~ 0
a7	~ +0.04	~ +0.04
a8	~ 0	~ 0
a9	~ 0	Alignment

Use $z = x + iy$

$$B_y + iB_x = B_1 \sum_n (b_n + ia_n) \left(\frac{z}{17 \text{ mm}} \right)^{n-1}$$

Consider b_5 , then misalign spool by δ along y :

$$(y + \delta)^4 - x^4 = \dots = 4y^3\delta + 6y^2\delta^2 + \dots$$

$$\implies a_4^{\text{fd}} = \frac{4\delta}{R_r} b_5$$

The critical displacement δ_{cr} for $a_4^{\text{fd}} < a_4/2$ is :

$$\delta_{\text{cr}} < \frac{a_4^{\text{fd}}}{2b_5} \frac{R_r}{4} = 0.3 \text{ mm}$$

!! Much simplified, see S. Fartoukh LCC
2001-11 & FQWG March 2003 !!

Beam based specification for spool piece

Beam Spec.	$\Delta x, \Delta z$	$\sigma(x), \sigma(y)$ w.r.t. tunnel	$\sigma(x), \sigma(y)$ w.r.t. cold mass *	$\sigma(\theta)$ w.r.t. tunnel **
Unit	[mm]	[mm]	[mm]	[mrad]
MCS	0.3	0.5	0.15	1.5
MCDO	0.3	0.5	0.15	2

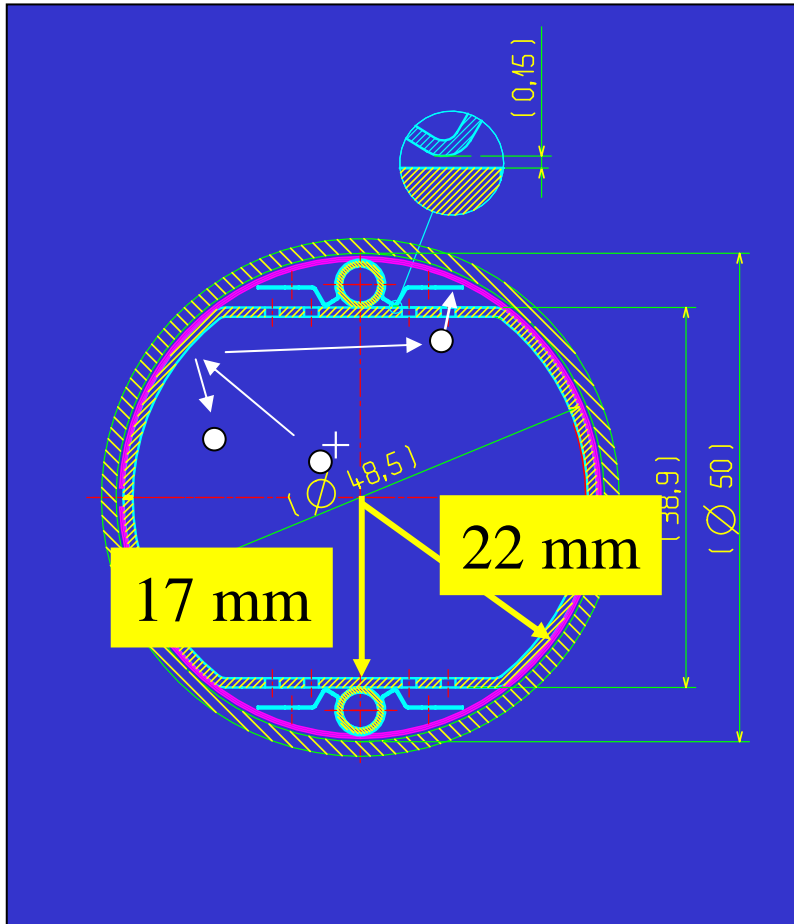
*i.e. Magn. Axis w.r.t. cold mass mechanical mid-plane at ITP20

** Not different from $\sigma(\theta)$ w.r.t. cold mid-plane

Source : S.Fartoukh , LCC 2001-11 and FQWG 4th March 2003

Aperture issues

Beam Aperture - I



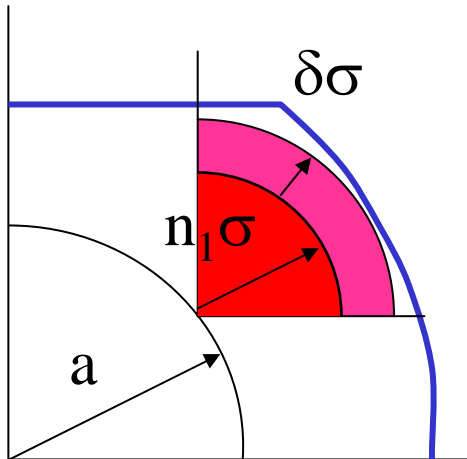
- Initially : cold bore with radius $R= 25$ mm (this after all the rest was fixed)
- Short bunch separation (25ns) and large population (1.1×10^{11} p):
 - Multipacting + e-cloud
 - Need of a beam screen
- Ions finally trapped on the 2K cold bore
- But 3mm lost for aperture
- So please, Survey ...

Courtesy of N. Kos AT-VAC

Beam Aperture - II

- High beam intensity $N = 3000 \times 10^{11}$ p
- With $\tau_{\text{beam}} = 20\text{h}$, $dN/dt_{\text{loss}} = 4 \times 10^9$ p/s
- Quench with $dN/dt_{\text{quench}} = 10^7$ p/s/m
- With a margin factor $m=100$, need a collimation system with a capture efficiency $\sim 10^4$ (effective cascade absorption length $\sim 1\text{m}$)
- 2-stage collimation OK, but need pipe away by 4σ from collimator aperture

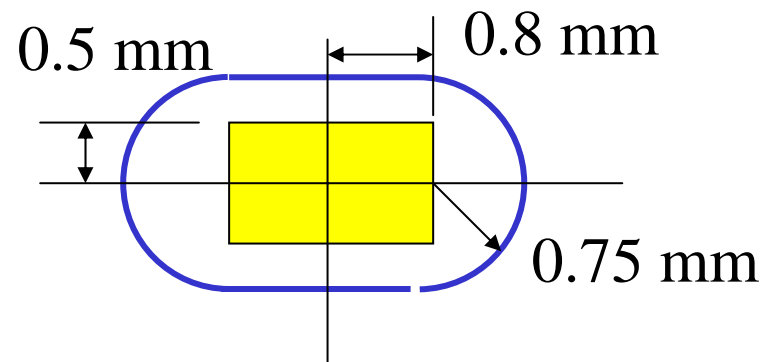
Beam Aperture - III



- $n_1\sigma + \delta\sigma = 1.1 (6+4)\sigma = 13 \text{ mm}$
- $a = \text{CO} + t + Ddp = 9 \text{ mm}$
- Remains $t \cong 2.5 \text{ mm}$
- Let skip the bargains about splitting t between Cold mass, Assembly, Survey
...

What remains for the finished cold mass →

silver (blue line) and a few golden ones



Survey issues

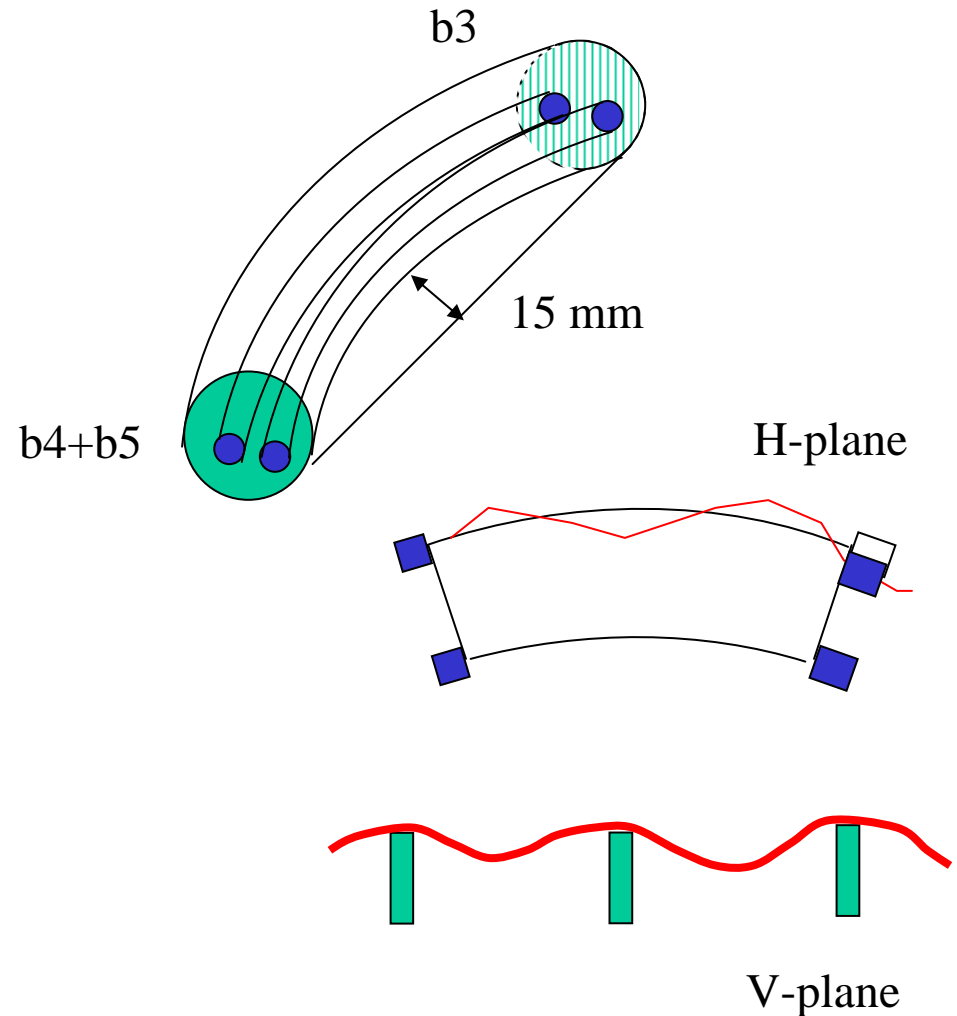
What is needed

- 1) An object with its inner shape controlled down to $\Delta x \times \Delta z \cong 1.5 \times 0.7 \text{ mm}^2$ over 15m inside its cryostat
- 2) Relative axis error MB/spool pieces $\Delta x < 0.3 \text{ mm}$ with $\delta_{\text{r.m.s}} = 0.15 \text{ mm}$
- 3) Alignment of the object in the tunnel at the same level of precision – not discussed here , see J.P. Quesnel this afternoon.

Align the imperfect object

With which criteria ?

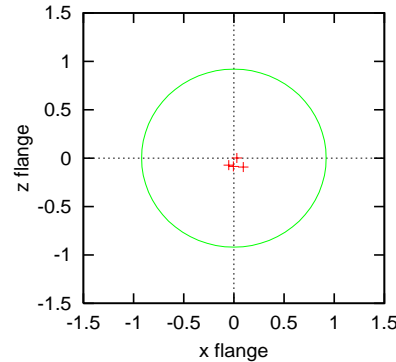
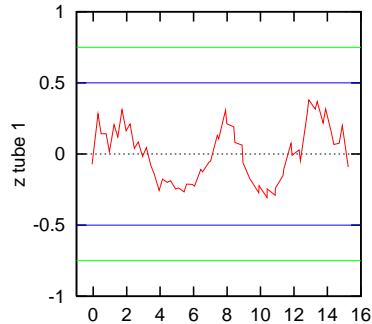
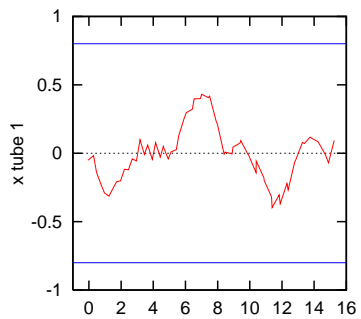
- Fit to theoretical curve, averaging two beam tubes for best aperture
- What means best magnetic position of spool w.r.t. body ?



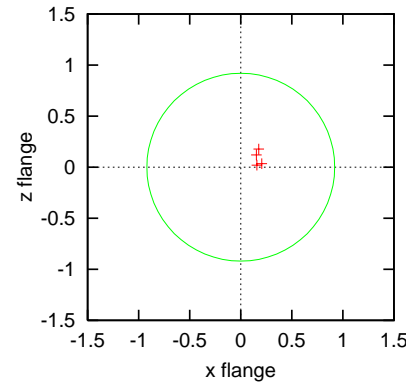
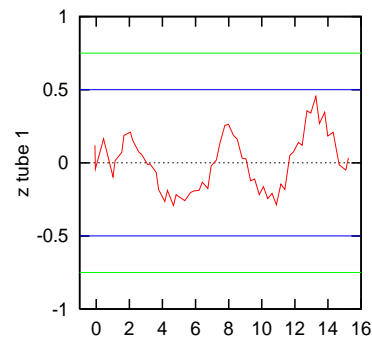
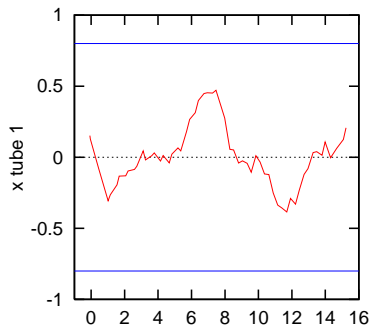
Criteria and method

- It was shown that the axis which minimises forbidden n-poles (expected $b_n = 0$) coincides with best fit of cold bore center within 0.1mm residual (W.Scandale et al.)
- Then fully rely on geometry
- Perform full 3D image of both tubes & ends
(J.P. Quesnel, M. Mayoud, D. Missiaen)
- Algorithm of minimisation by D. Missiaen, see Thursday
- Same procedure in industry for cold mass and at CERN for cold mass + cryostat
(M. Bajko et al., see Thursday E. Wildner)

Results so far : 3D Laser-tracker data for > 100 MB



← Data from industry
M. Bajko et al.



← Data from CERN after
cold test, D. Missiaen

Data retrieved from
MTF and MAS dBase

- This one a bit better than average, but not a rare case
 - We get more ‘golden’ MB’s than strictly needed
- Helps much to play with not so easy magnetic sorting

Survey and geometry of MB

- **3D internal MB data proved to be essential**
 - We can fit the geometry well inside strict tolerances
 - It allowed to find a nasty mechanical instability, which deformed the magnet during cold testing
- **Now the assembly is**
 - Precise enough (aperture and magnetic)
 - Stable
 - Elastic
- (MQ : adequate magnetic data need be obtained together with 3D geometry survey , see L. Bottura Thursday)

Conclusions

- Past machine (CERN at least)
 - Survey team was to install a ‘rigid and perfect object’ on a theoretical central orbit in a 3D absolute frame. More was not always really welcome
- LHC
 - Every cold assembly deserves precise internal 3D geometry data
 - Survey participation was essential in the design phase (not always adequately admitted)
 - LHC performance depends on a close interplay between hardware design, beam physics+operation and survey. This is new and will be true for any future big machines
 - It seems to be in a good way for LHC in that respect
 - but still more than two years of work in front of us