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HINTS FOR NEW PHYSICS

IN FLAVOR PHYSICS :

HOW AND WHERE ?

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Out of the three main motivations for

NEW PHYSICS BEYOND THE SM:

- UNIF. OF FUNDAMENTAL INTERACTIONS INCLUDING ALSO GRAVITY IN THE GAME
- GAUGE HIERARCHY PROBLEM
- FLAVOR PROBLEM (fermion masses and mixings as free param!)

the FLAVOR PROBLEM IS THAT WHICH HAS REGISTERED LESS PROGRESS IN UNDERSTANDING AND LESS TRULY INNOVATIVE IDEAS. In particular admitting that there exists new physics at the ELW scale (SUSY?)

FLAVOR BLINDNESS

ELW NEW PHYSICS IS  
FLAVOR BLIND

ex: new contributions to  
FCNC  $\Rightarrow$  addition of  
the new particles carrying  
flavor in the FCNC loops,  
but always with the same  
CKM flavor structure

NEW FLAVOR STRUCTURES

ELW NEW PHYSICS  
POSSESSES NEW FLAVOR  
STRUCTURES (different  
from CKM) in the sector of  
the new particles carrying  
flavor  
ex: SUSY models without  
flavor universality

# MINIMAL LOW ENERGY SUSY

↙ - minimal amount of superpart. needed to supersymmetrize the SM

- IMPOSING THE (ADDITIONAL) SYMM. R parity  
 ⇒ to eliminate  $B$  and  $L \neq$  dangerous terms

$$\mathcal{L} = \mathcal{L}_{N=1 \text{ SUSY SM}} + \mathcal{L}_{\text{soft SUSY breaking}}$$

...  $h_{U_{ij}} Q_i H_U U_j + h_{D_{ij}} Q_i H_D D_j$   
 $+ h_{L_{ij}} L_i H_D E_j + \mu H_U H_D$

trilinear and bilinear scalar terms  
 + gaugino masses

$$\begin{array}{lll}
 m_{ij}^2 \varphi_i \varphi_j^* & \mu B H_U H_D & A_{U_{ij}} \tilde{Q}_i H_U \tilde{U}_j \\
 A_{D_{ij}} \tilde{Q}_i H_D D_j & A_{L_{ij}} \tilde{L}_i H_D \tilde{E}_j & M_{\tilde{g}} \lambda_K \lambda_K \\
 & & \downarrow SU(3), SU(2), U(1)
 \end{array}$$

→ 124 PARAM.

# CMSSM

or

# mSUGRA

↳ Constrained

minimal Supergravity

or how to reduce the param. from 124 → 5

## MSSM

+

### FLAVOR UNIVERSALITY

### (GRAND) UNIFICATION



$$m_{ij}^2 = \delta_{ij} m_0^2$$

$$m_0^2$$

Common scalar mass term

$$A_{ij} \rightarrow A_0$$

$$A_0$$

Common scalar bilinear coeff. multiplying the Yukawa coupl.

$$M_1 = M_2 = M_3 = M$$

Common gaugino mass

$m_{ij}^2, A_{ij}, M_i \Rightarrow$  "tunning" quantities: specify the energy scale where the above equalities hold

➔ BOUNDARY CONDITIONS AT THE LARGE SCALE WHERE SUPERGRAVITY IS BROKEN  $M_X$

at  $M_X$ :

$m_0^2$   
real

$\mu$   
complex

$B_0$   
complex

$A_0$   
complex

$M$   
complex

# NEW $CP \neq$ in SUSY

unconstrained  
MSSM  $\Rightarrow \sim 40$  phases

mSUGRA  $\Rightarrow \mu M A B$  4 phases  
but only 2 combinations  
are physical

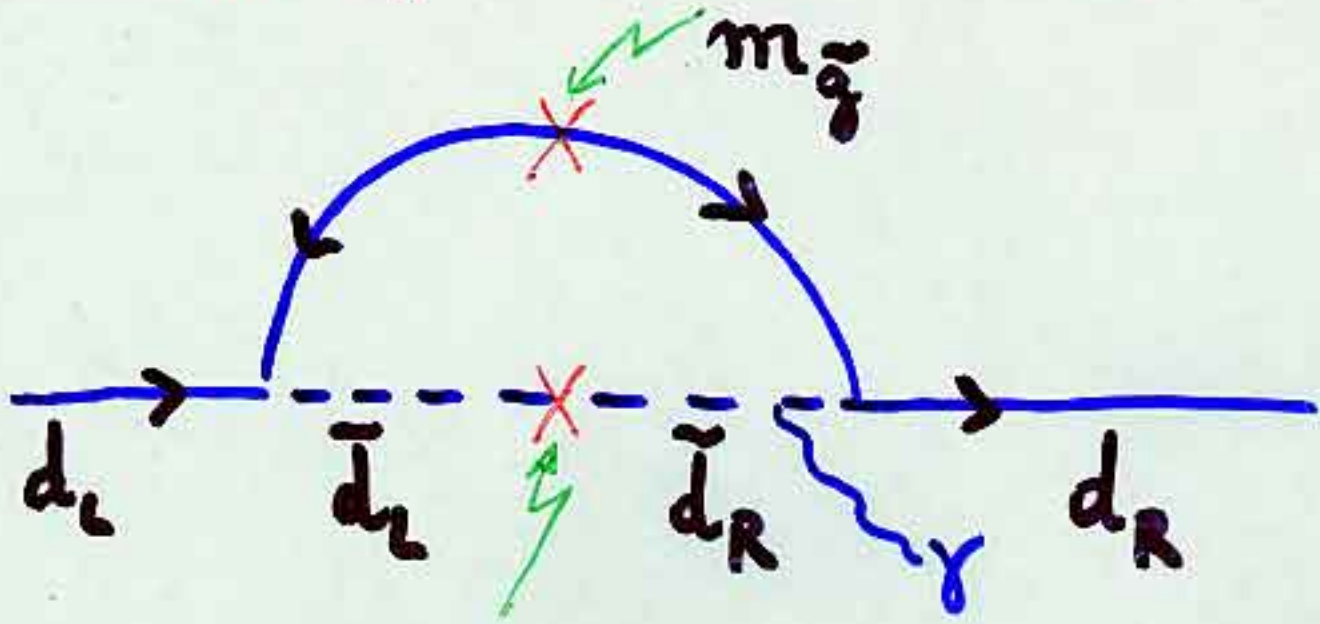
Dugan, Grinstein,  
Hall;  
Dimopoulos, Thomas

- \* THE PRESENCE OF LOW ENERGY SUSY
- \* ENTAILS THE PRESENCE OF (AT LEAST TWO)
- \* NEW  $CP \neq$  PHASES IN ADDITION TO
- \* THE CKM PHASE

THE PRESENCE OF NEW SOURCES OF  $CP \neq$  IS  
NEEDED TO HAVE AN EFFICIENT BARYOGENESIS

(in SM no significant baryogenesis is possible;  
in MSSM only a very limited area of the parameter space  
is available for baryogenesis  $\Rightarrow$  light  $\tilde{t}, \tilde{t}^+$ )

# THE $d_N$ SUSY PROBLEM



$$A m_d + m_d \mu \tan \beta$$

$$\tan \beta = \frac{v_u}{v_d}$$

$$d_d = \frac{m_d}{\tilde{m}^4} \frac{e \alpha_s}{18 \pi} \left( |A m_g| \sin \phi_A + \tan \beta |\mu m_g| \sin \phi_B \right)$$

taking  $m_{\tilde{d}_L}^2 \sim m_{\tilde{d}_R}^2 \sim m_{\tilde{g}}^2 \sim \tilde{m}^2$

$$d_N \sim 2 \left( \frac{100 \text{ GeV}}{\tilde{m}} \right)^2 \sin \phi_{A,B} \times 10^{-23} \text{ ecm.}$$

Buchmüller, Wyler  
 Polchinski, Wise  
 Fischler, Paban, Thomas

exp:  $d_N < 1.1 \times 10^{-25} \text{ ecm}$

$\tilde{m} > O(1 \text{ TeV})$   
 $\phi_{A,B} < O(10^{-2})$

# CMSSM WITH $\phi_A, \phi_\mu \neq 0$

'83 Frère and Gavela : is it possible to put  $\delta_{CKM} = 0$  and explain  $\epsilon$  only as a SUSY effect?

Dugan, Grinstein, Hall : **NO**  $\Rightarrow \phi_A, \phi_\mu$  too small because of  $d_n^e$

## NEW DEVELOPMENTS ON THE THEME **LARGE SUSY CP $\neq$**

### PHASES WHILE TAKING THE $d_n^e$

VERY DIFFICULT TO SIMULTANEOUSLY CANCEL  $d_n^e, d_s^e, d_{Hg}^e$  (Abel et al.)

**CANCELLATIONS AMONG THE SUSY CONTRIBUTIONS TO  $d_n^e$**

Ibrahim, Nath;  
Brhlik, Good, Kane;  
Brhlik, Everett, Kane, Lykken;  
Accomando, Arnowitt, Dutta

need for non-universal gaugino masses  $\Rightarrow$  SUGRA GUT disfavored, D-branes within Type I strings favored.

**LARGE MASSES OF  $\tilde{Q}$  OF THE FIRST TWO GENERATIONS**

Dimopoulos, Giudice;  
Tomarol, Tommasini;  
Dine, Kagan, Samuel;  
Dine, Kagan, Leigh;  
Carena et al.;  
J.E. Kaplan et al

**NON-UNIVERS. OF THE A-TERMS**

Abel, Frere;  
Khalil, A.M. Kobayashi;  
Khalil, Kobayashi, Vives

### 3 QUESTIONS TACKLED IN THIS TALK

#### ● SUSY WITH LOW ENERGY FLAVOR BLINDNESS

(i.e. also the running from the scale of SUSY breaking down to  $M_W$  does not introduce new significant flavor structures)

⇒ is it possible to get hints of the SUSY presence looking at departures from the SM predictions in FCNC and  $CP \neq$  phenomena?

#### ● SUSY with NEW FLAVOR STRUCTURES AT THE

EW SCALE: HOW SEVERE IS THE FCNC

THREAT (⇒ degree of tuning to prevent too large FCNC and/or  $CP \neq$  contributions)

#### ● IF THESE NEW FLAVOR STRUCTURES ARE PRESENT

WHERE TO LOOK FOR SIGNIFICANT "VIRTUAL" SUSY MANIFESTATIONS (in particular in the pre-LHC era)



Bartl, Gajdosik, Lunghi, A.M., Porod,  
 Stockinger, Stremnitzer, Vives: mSUGRA and  
 minimal SU(5) (with

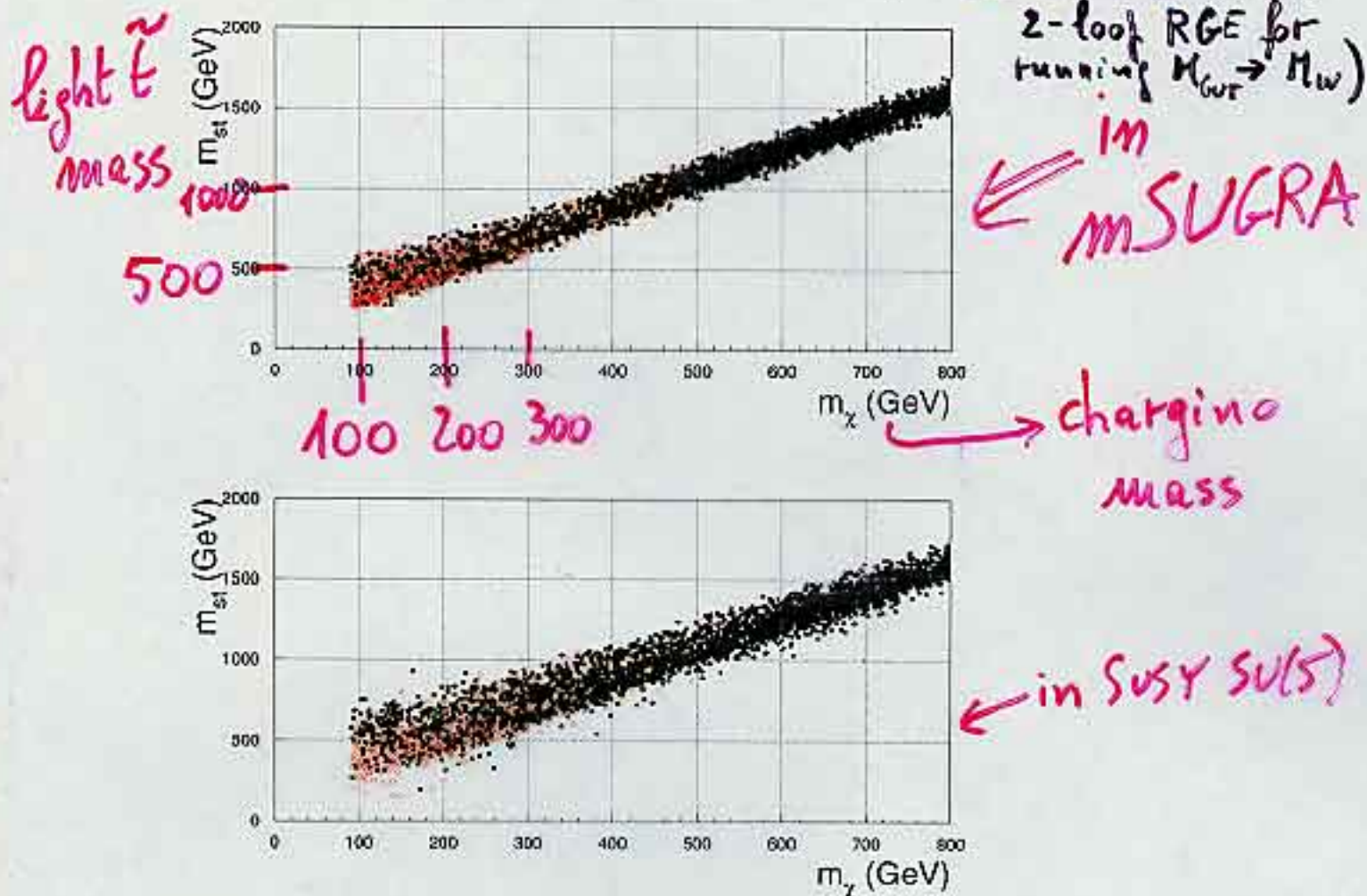


Figure 1: Chargino mass versus lightest stop mass as for the parameter space described in the text in the CMSSM and SU(5) cases.

for  $m_\chi = 100 \text{ GeV} \Rightarrow 240 < m_{\tilde{t}_1} < 660$   
 GeV GeV  
 (in mSUGRA)  
 with  $10^2 \text{ GeV} < m_0 < 1 \text{ TeV}$

Bartl et al

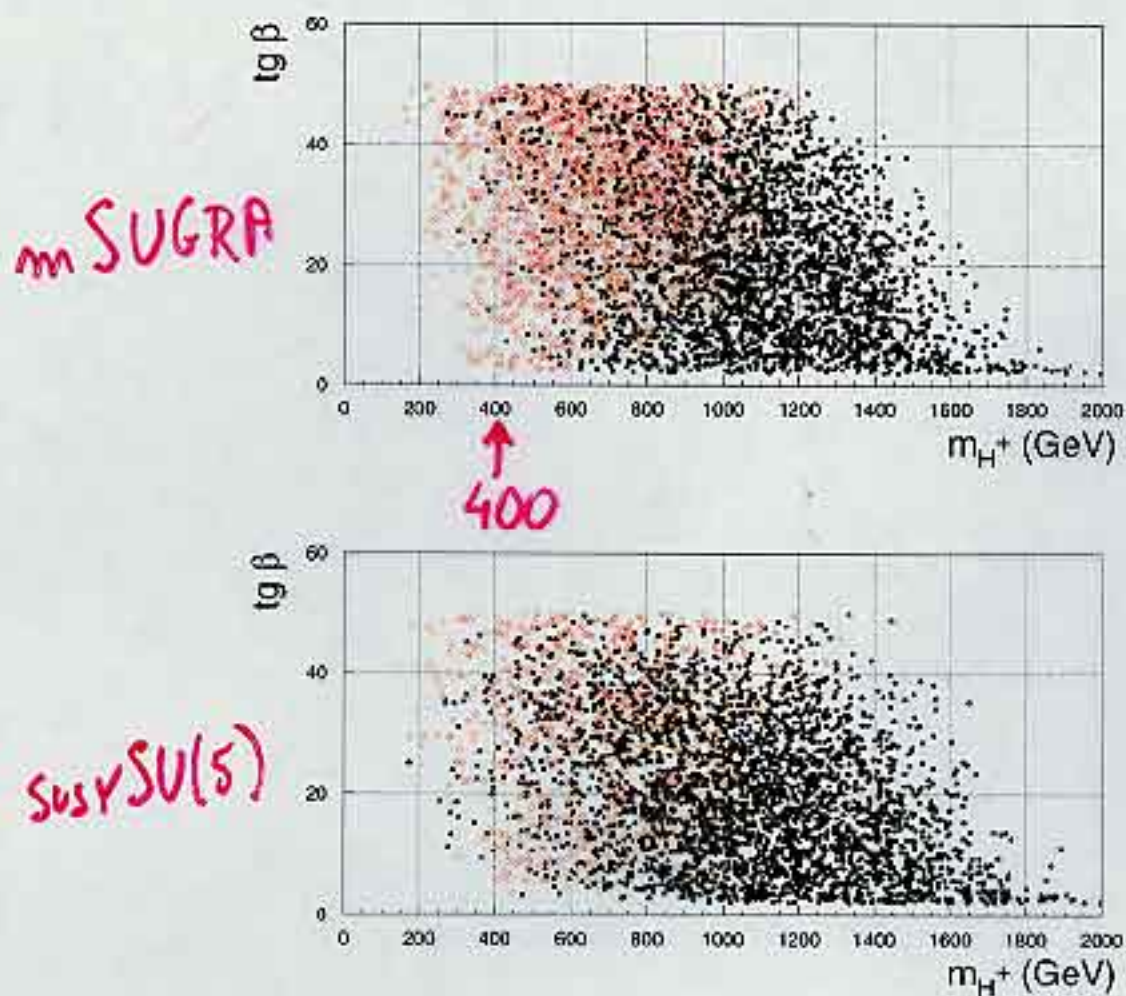
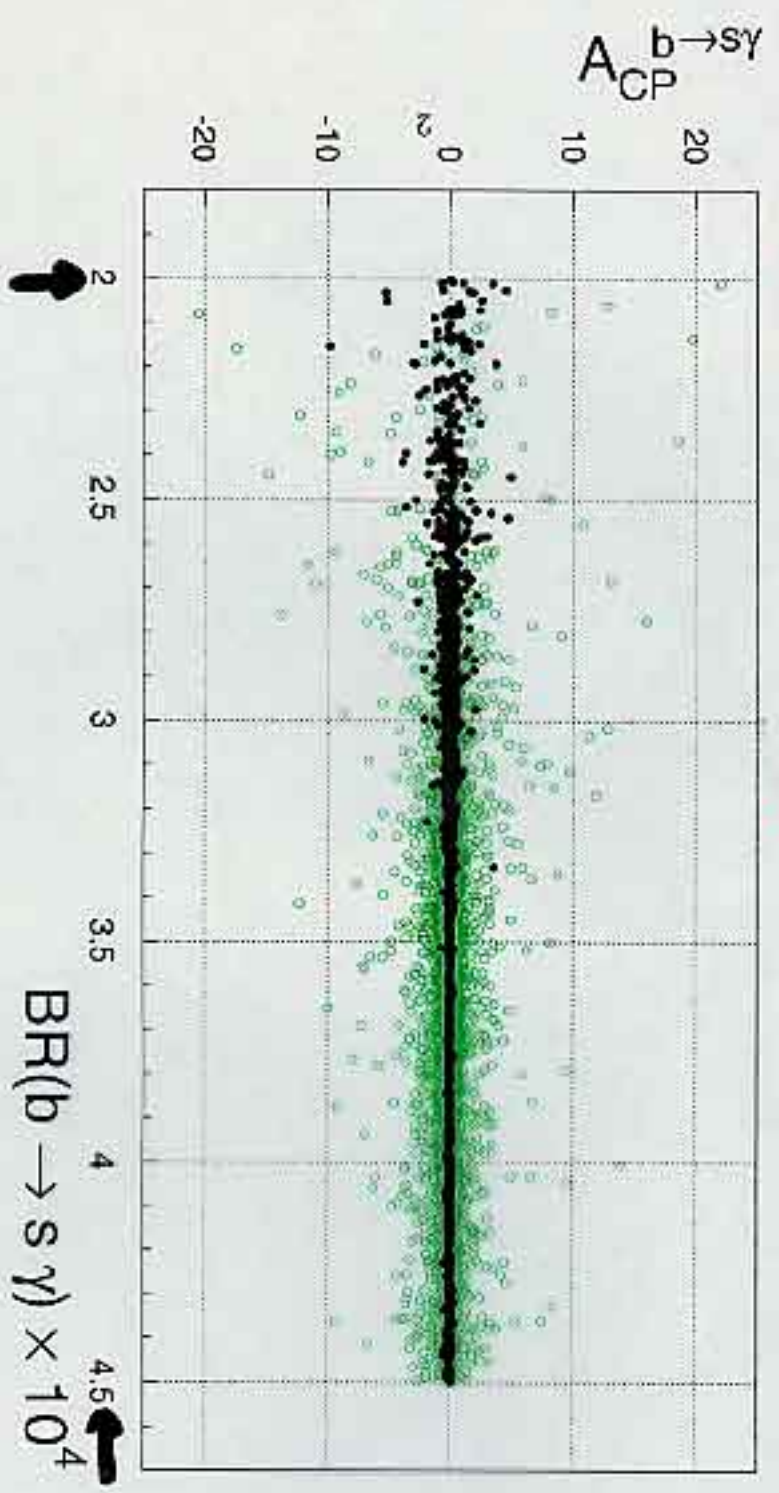
Heaviness of  $H^\pm$ 

Figure 2: Charged Higgs mass as a function of  $\tan \beta$  for the parameter space described in the text in the CMSSM and SU(5) cases.

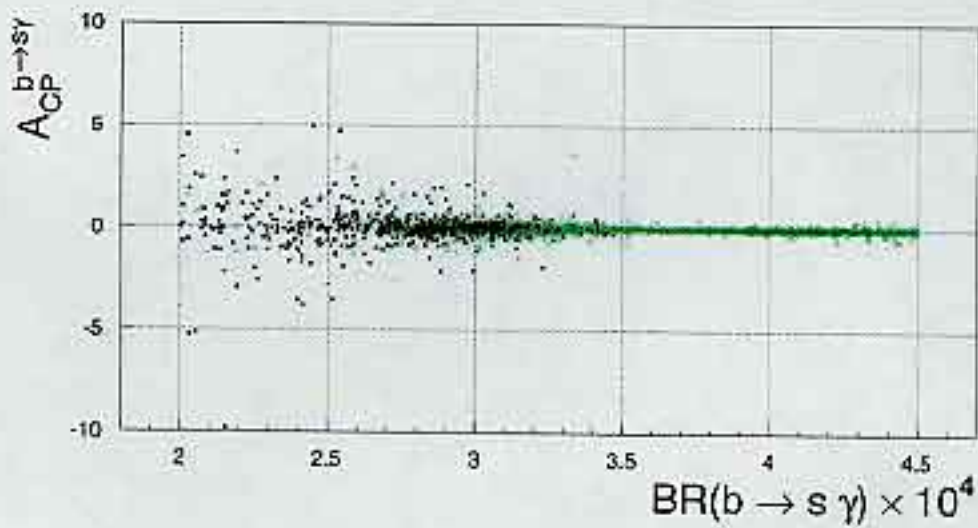
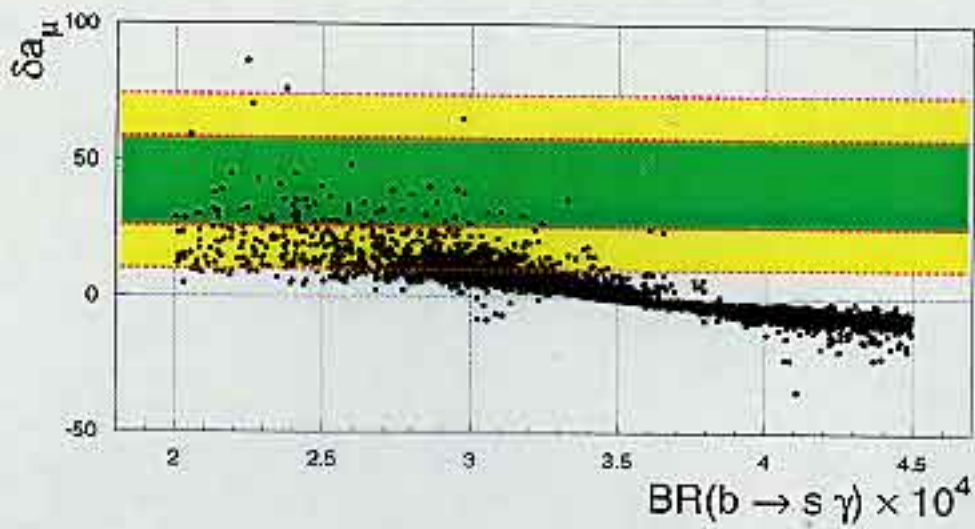
BARTEL et al.

No RESTRICTION ON  $\phi_h, \phi_\mu \Rightarrow A_{CP}^{b \rightarrow s \gamma}$  up to  $\sim 5-10\%$   
 $\phi_h, \phi_\mu$  RESTRICTED BY EDM's  $\Rightarrow A_{CP}^{b \rightarrow s \gamma} \leq 1\%$ , but up to 5% for smaller  $BR(b \rightarrow s \gamma)$

$2 \times 10^{-4} \leq BR(b \rightarrow s \gamma) \leq 4.5 \times 10^{-4}$  at 95% C.L.



- Black dots: satisfy the EDM's constraints
- green dots: no restrictions on phases



**IF** LOW ENERGY SUSY is

# FLAVOR BLIND

(i.e.: SUSY breaking sector possesses FLAVOR UNIVERSALITY at the (large) energy scale where SUSY is broken + the running from such scale down to  $M_W$  does not produce any new relevant flavor structure in the s-fermion sector  $\Rightarrow$  only CKM structure)

$\rightarrow$  SUSY with MINIMAL FLAVOR VIOLATION

(not necessarily mSUGRA or CMSSM)

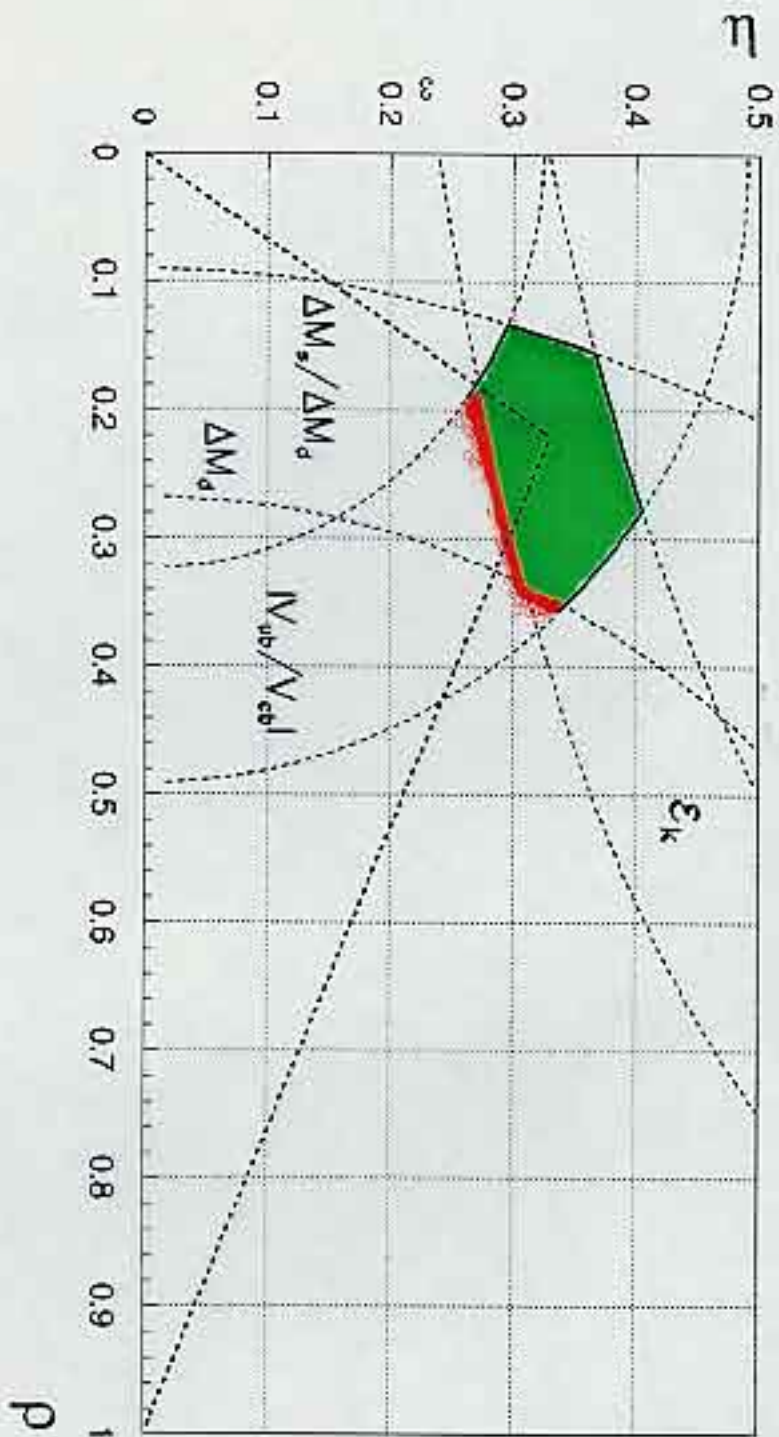
$\nearrow$  FCNC contributions from the exchange of SUSY particles (in particular of the possibly light stop and chargino)

$\searrow$  SUSY CP  $\neq$  phases  $\Rightarrow$  ELECTRIC DIPOLE MOMENTS

+ FC conserving SM suppressed quantities:  $(g-2)_\mu$

BARRI et al.

• red dots: departure from SM due to the exchange of an SUSY particles



# DIFFICULT TO GET LARGE SUSY CONTRIBUTIONS TO FCNC in MINIMAL FLAVOR MODELS because

- the exp. lower bounds on SUSY masses keep going up ( $m_{\tilde{q}}, m_{\tilde{g}} > 200 \text{ GeV}$   
 $m_{\tilde{\tau}}, m_{\tilde{\chi}^+} > m_Z, \dots$ )
- strong constraints from measured FCNC processes, in particular  $b \rightarrow s + \gamma$   
(Bosmer, Greub, Hurth.)

POTENTIALLY MORE INTERESTING PROCESSES TO REVEAL "VIRTUAL" SUSY IN THE FLAVOR BLINDNESS CASE:

→ FLAVOR CONSERVING CP  $\neq$  (EDM's)

→ FLAVOR CONSERVING PRECISION TESTS OF THE SM: ex.  $(g-2)_\mu$

$$\Delta M_d = \Delta M_d^{SM} [1 + \Delta^{SUSY}]$$

$$\Delta M_s = \Delta M_s^{SM} [1 + \Delta^{SUSY}]$$

$$|\epsilon_K| = \frac{G_F^2 P_K^2 M_K M_W^2}{6\sqrt{2}\pi^2 \Delta M_K} \hat{B}_K (A^2 \lambda^6 \bar{q}) (y_c \{ \hat{\eta}_{ct} f_3(y_c, y_t) - \hat{\eta}_{cc} \} + \hat{\eta}_{tt} f_2(y_t) [1 + \Delta^{SUSY}] A^2 \lambda^4 (1 - \bar{p}))$$

$\Delta^{SUSY} > 0 \Rightarrow$  SUSY contributions add **CONSTRUCTIVELY** to the SM contribution in the entire allowed SUSY parameter space

$$\Delta = 0 \rightarrow 14.6 \leq \Delta M_s \leq 31.2 \text{ ps}^{-1} \quad \text{SM}$$

$$\Delta = 0.2 \rightarrow 14.6 \leq \Delta M_s \leq 35.5 \text{ ps}^{-1} \quad \left. \begin{array}{l} m\text{SUGRA} \\ \text{non-minimal SUGRA} \\ \text{non-SUGRA} \end{array} \right\}$$

$$\Delta = 0.4 \rightarrow 14.9 \leq \Delta M_s \leq 39.4 \text{ ps}^{-1}$$

$$\Delta = 0.75 \rightarrow 15.1 \leq \Delta M_s \leq 48.6 \text{ ps}^{-1}$$

ALI-LONDON

exp:  $\Delta M_s > 14.9 \text{ ps}^{-1}$  (at 95% C.L.)  
 local minimum in the log-likelihood function  $\Delta M_s = 17.7 \text{ ps}^{-1}$  (2.5 $\sigma$  away from 0)

SUSY theories with **MINIMAL FLAVOR VIOLATION** (no new flavor structure)



Ex:

•  $B_s - \bar{B}_s$  mixing  $\Delta m_{B_s} \approx (28 \pm 5) \frac{\Delta m_{B_d}}{[(1-\rho)^2 + \eta^2]}$

Branco, Cho, Kizukuri, Oshimo;

Branco, Grimus, Lavoura;

Brignole, Ferrario, Zwirner;

Misiak, Pokorski, Rosiele; Chankowski, Polchinski: can be smaller than in SM

new MSSM contributions to  $\Delta m_{B_d}$  and  $\epsilon_K$

Ali-Bondron: effects up to 60% of the SM contribution

•  $CP \neq$  in  $B \rightarrow X_s + \gamma$

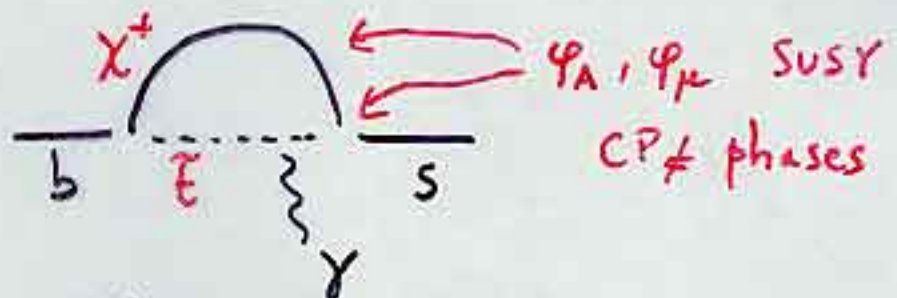
$A_{CP}^{b \rightarrow s \gamma}$  in SM is very small  $< 1\%$

(because of a combination of CKM and GIM suppressions)

Soares; Kagan, Neubert; Ali, Asatrian, Greub

in Constrained MSSM:

Kagan, Neubert



if  $\varphi_\mu = 0$  (to avoid severe problems with  $d^n$ )

$\Rightarrow A_{CP}^{b \rightarrow s \gamma}$  can still grow up to few (4 or 5) %

Aoki, Cho, Oshimo

if both  $\varphi_A, \varphi_\mu \neq 0 \Rightarrow A_{CP}^{b \rightarrow s \gamma}$  can reach 10 %

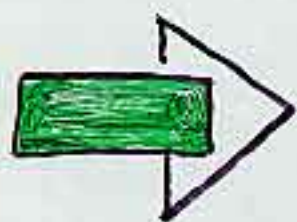
Chua, He, Hou

Baek, Ko

MSSM without new flavor structure  
but with new, large CP ≠ phases

( $d_n^e$  tamed by cancellations among different contributions)

Ibrahim, Nath; Brhlik, Good, Kane; Brhlik, Everett, Kane, Lykken;  
Accomando, Arnowitt, Dutta



GENERAL MSSM with  $\delta_{CKM} = 0$

WITH ALL POSSIBLE PHASES IN  
THE SOFT BREAKING TERMS

$$(A_u e^{i\varphi_{A_u}}, A_D e^{i\varphi_{A_D}}, A_E e^{i\varphi_{A_E}}, \\ m_g e^{i\varphi_g}, m_{\tilde{W}} e^{i\varphi_{\tilde{W}}}, m_{\tilde{B}} e^{i\varphi_{\tilde{B}}}, \mu = |\mu| e^{i\varphi_{\mu}})$$

BUT NO NEW FLAVOR

DEHIR, A.M., VIVES STRUCTURE in addition  
to the usual Yukawa matrices

IT IS NOT POSSIBLE TO GIVE

SIZABLE CONTRIBUTIONS TO  $\epsilon$ ,  $\epsilon'/\epsilon$ ,  
HADRONIC  $B^0$  CP ASYMMETRIES

(only  $A_{CP}^{b \rightarrow s}$ , isospin violation in  $B \rightarrow \rho\gamma$  Ali, Handberg  
London

⇒ if some new flavor structure is present (even if phases flavors indep.)  
⇒ possibly large effects Brhlik, Everett, Kane, King, Lebedev

# HOW TO ACCOUNT FOR FCNC IN GENERAL SUSY MODELS



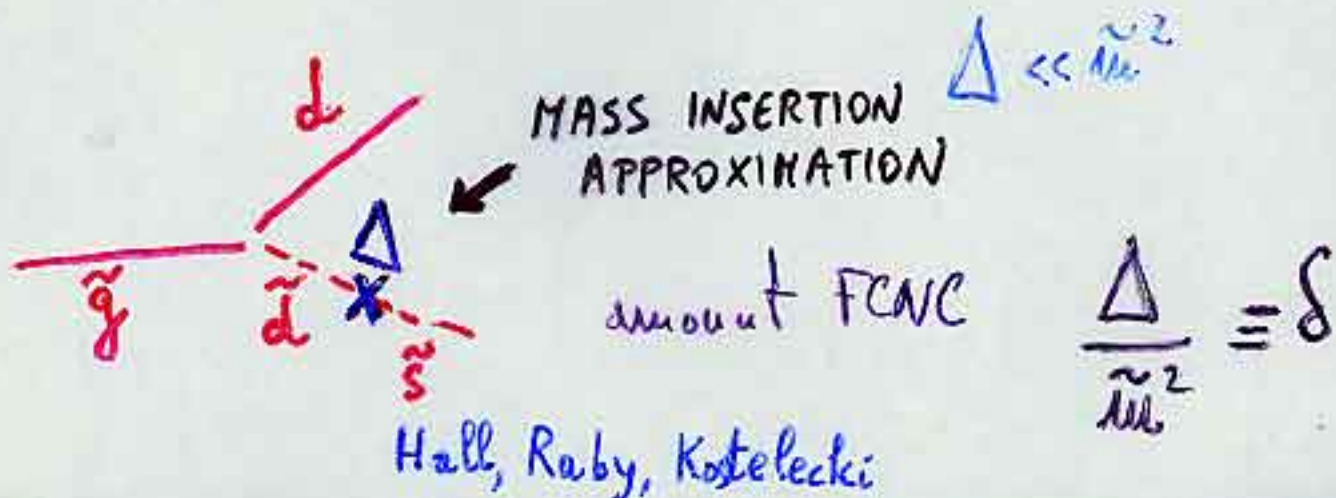
$\tilde{g}$ -fermion-sfermion

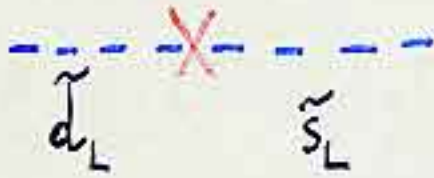
FCNC vertices **without** a detailed knowledge of the sfermion mass matrices:

ex:  $M_q \rightarrow \begin{matrix} s & d \\ d & \end{matrix} \begin{pmatrix} a & b \\ c & d \end{pmatrix}$        $M_{\tilde{q}}^2 \rightarrow \begin{matrix} \tilde{s} & \tilde{d} \\ \tilde{d} & \end{matrix} \begin{pmatrix} a' & b' \\ c' & d' \end{pmatrix}$

$\downarrow$   $U, V$  rotations       $\downarrow$   $U, V$  rotations

$M_q^{\text{diag}} \rightarrow \begin{pmatrix} m_s & \\ & m_d \end{pmatrix}$        $M_{\tilde{q}}^{1,2} = \begin{pmatrix} \tilde{m}^2 & \Delta \\ \Delta & \tilde{m}^2 \end{pmatrix}$





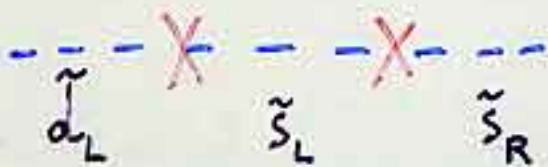
$$\left( \int d\sigma_{12} \right)_{LL}$$



$$\left( \int d\sigma_{12} \right)_{RR}$$



$$\left( \int d\sigma_{12} \right)_{LR}$$



$$\left( \int d\sigma_{12} \right)_{LL} \cdot \left( \int d\sigma_{22} \right)_{LR}$$

⋮

# CONSTRAINTS on $\delta$ 's

FROM  $\tilde{g}$  or  $\tilde{\gamma}$  EXCHANGE (CP conserving processes)

$$\Delta m_K \quad (\delta_{12}^d)_{LL} < 4 \cdot 10^{-2} \quad (\delta_{12}^d)_{LR} < 4 \cdot 10^{-3}$$

$$\Delta m_{B_d} \quad (\delta_{13}^d)_{LL} < 10^{-1} \quad (\delta_{13}^d)_{LR} < 3 \cdot 10^{-2}$$

$$\Delta m_D \quad (\delta_{12}^u)_{LL} < 10^{-1} \quad (\delta_{12}^u)_{LR} < 3 \cdot 10^{-2}$$

$$b \rightarrow s \gamma \quad (\delta_{23}^d)_{LL} \text{ NO BOUND} \quad (\delta_{23}^d)_{LR} < 10^{-2}$$

$$\mu \rightarrow e \gamma \quad (\delta_{12}^l)_{LL} < 8 \cdot 10^{-3} \quad (\delta_{12}^l)_{LR} < 2 \cdot 10^{-6}$$

$$\tau \rightarrow \mu \gamma \quad (\delta_{23}^l)_{LL} \text{ NO BOUND} \quad (\delta_{23}^l)_{LR} < 2 \cdot 10^{-2}$$

for  $m_{\tilde{q}} = 500 \text{ GeV}$ ,  $m_{\tilde{e}} = 100 \text{ GeV}$ ,

$$m_{\tilde{g}}/m_{\tilde{q}} = m_{\tilde{\gamma}}/m_{\tilde{e}} = 1$$

bounds scale with  $(m_{\tilde{q}}(\text{GeV})/500)$  for  $\Delta m_K, \Delta m_{B_d}, \Delta m_D$   
and with  $(m_{\tilde{q}}(\text{GeV})/500)^2$  or  $(m_{\tilde{e}}(\text{GeV})/100)^2$  for

$b \rightarrow s \gamma, \mu \rightarrow e \gamma, \tau \rightarrow \mu \gamma$

Gabbiani, A.M.;  
Hagelin et al.; Gabbiani, Gabrielli, A.M.,  
Silvestrini; Bagger, Matchev, Tang; Giubini et al.

## CP CHALLENGING SUSY

$$\mathcal{E} \Rightarrow \begin{cases} \sqrt{\text{Im}(\delta_{12}^d)_{LL}^2} < 3 \cdot 10^{-3} \\ \sqrt{\text{Im}(\delta_{12}^d)_{LR}^2} < 3 \cdot 10^{-4} \end{cases}$$

$$\mathcal{E}' \Rightarrow \begin{cases} |\text{Im}(\delta_{12}^d)_{LL}| < 5 \cdot 10^{-1} \\ |\text{Im}(\delta_{12}^d)_{LR}| < 2 \cdot 10^{-5} \end{cases}$$

(bounds scale as  $(m_{\tilde{q}}(\text{GeV})/500)^2$ )

$$d_n^e \Rightarrow \text{Im}(\delta_{11}^d)_{LR} < 10^{-6}$$

scales as  $(m_{\tilde{q}}(\text{GeV})/500)^2$

for  $m_{\tilde{q}} = m_{\tilde{g}} = 500 \text{ GeV}$

$$d_e^e \Rightarrow \text{Im}(\delta_{11}^e)_{LR} < 10^{-7}$$

for  $m_{\tilde{\ell}} = m_{\tilde{\gamma}} = 100 \text{ GeV}$  (it scales as  $(m_{\tilde{\ell}}/100 \text{ GeV})^2$ )

Gabbiani, A.M.;  
Hagelin et al.;  
Nir, Seiberg;  
Gabbiani, Gabrielli,  
A.M., Silvestrini;  
Bagger, Hatcher, Zheng,  
Ciuchini et al.

# STEPS TOWARDS A FULL **NLO** ANALYSIS OF FCNC AND $CP \neq$ IN A GENERAL MSSM

## ● 1996 **GGMS** constraints on $\delta$ 's

- without QCD corrections
- in the Vacuum Insertion Approximation (VIA)
- only gluino exchange

(for previous works: '89 Gabbiani, A.M.; '94 Hagelin, Kelley, Tanaka)

## ● 1997 **BAGGER, MATCHEV, ZANG**

- inclusion of the **LO QCD corrections**  
in the  $K-\bar{K}$  mixing computation

## ● 1998 **CIUCHINI et al.** $\Delta S=2$

- $\Delta m_K$  and  $\epsilon_K$ : inclusion of the  
**NLO anomalous dimensions of the  $\Delta S=2$   
effective hamiltonian** and  
replacement of the **B-parameters** in the  
VIA with the values obtained in a  
lattice computation (Allton et al)

2001 BECIREVIC et al  $\Delta B = 2$

$$\Delta m_d = 2 \text{Abs} [ \langle \bar{B}_d | \mathcal{H}_{\text{eff}}^{\Delta B=2} | B_d \rangle ]$$

$$a_{J/\psi K_S} = \sin 2\beta_{\text{eff}} \sin \Delta m_d t$$

$$2\beta_{\text{eff}} = \text{Arg} [ \langle \bar{B}_d | \mathcal{H}_{\text{eff}}^{\Delta B=2} | B_d \rangle ]$$

most general Hamiltonian for  $\Delta B = 2$  processes

NLO QCD corrections in the evolution from the scale of new physics down to low energy

hadronic matrix elements from lattice QCD for operators renormalized consistently with the Wilson coeff. at the NLO

this general result is particularized for the MSSM  
 $\Rightarrow \tilde{g}$  exchange, mass insertion approximation

exp.  $\sin 2\beta \Rightarrow$  new stringent constraints on  $\text{Im} \delta_{13}^d$   
still lacking the full NLO computation:  $O(\alpha_s)$   
corrections to the matching conditions at the SUSY  
scale  $M_S \sim (m_{\tilde{g}} + m_{\tilde{q}})/2$  which determine the Wilson coeff.  
(maybe they are small being of  $O(\alpha_s(M_W))$ )



Quantitatively the variation of the constraints on the  $\delta$ 's involved in  $\Delta S=2$  and  $\Delta B=2$  processes when going from the '96 GGMS analysis to the present works (with NLO + lattice B's) is non negligible:

ex.:	NLO, LATTICE B:	GGMS
	$\text{Re}(\delta_{12}^d)_{LL} < 4.6 \times 10^{-2}$	$3 \times 10^{-2}$
	$\text{Re}(\delta_{12}^d)_{LR} < 2.8 \times 10^{-2}$	$3.4 \times 10^{-2}$
	$\text{Im}(\delta_{12}^d)_{LL} < 6.1 \times 10^{-3}$	$3.9 \times 10^{-3}$
	$\text{Im}(\delta_{12}^d)_{LR} < 3.7 \times 10^{-4}$	$4.1 \times 10^{-4}$
	$\text{Re}(\delta_{13}^d)_{LL} < 2.1 \times 10^{-2}$	$3.4 \times 10^{-2}$
	$\text{Re}(\delta_{13}^d)_{LR} < 5.2 \times 10^{-2}$	$8.3 \times 10^{-2}$
	$\text{Im}(\delta_{13}^d)_{LL} < 9 \times 10^{-3}$	$1.5 \times 10^{-2}$
	$\text{Im}(\delta_{13}^d)_{LR} < 2.3 \times 10^{-2}$	$3.6 \times 10^{-2}$

HOW TO JUSTIFY THE SMALLNESS OF  $\delta_i$

MECHANISMS TO SUPPRESS FCNC in SUSY

→ "PRESET UNIVERSALITY" : mechanism of SUSY breaking leads to universality (ex: pure dilaton breaking)

→ "ALIGNMENT" :  $M_{\tilde{f}} \propto M_f$  aligned  
U(1) symm. + additional scalar fields

⇒ **FLAVOR SYMMETRY** ⇐

→ NON-ABELIAN (HORIZONTAL) SYMM.

⇒ ex.:  $SU(2)_{\text{hor}}$  for the first two families

→ HEAVY SQUARK MODELS ( $m_{\tilde{q}}$  for the first

two generations  $\sim 5 \div 20$  TeV

$\tilde{t}, \tilde{b}, \text{gauginos}$  light  $\Rightarrow$  no problem for gauge hierarchy)

GIVEN THE ABOVE CONSTRAINTS on the  $\delta$ 's  
 WHERE (in FCNC and  $CP \neq$ ) TO LOOK FOR SUSY SIGNALS?  
 (maximally allowed FCNC and  $CP \neq$  SUSY contributions, not  
 typical SUSY predictions)



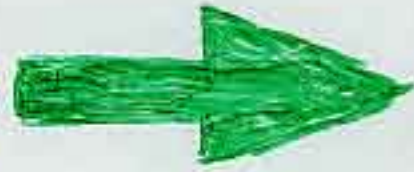
## KAON PHYSICS

$\epsilon_K, \epsilon'/\epsilon$   
 $\hookrightarrow$  large SUSY contributions

enhancement of rare

K decays

$K_L \rightarrow \pi^0 \nu \bar{\nu}, K^+ \rightarrow \pi^+ \nu \bar{\nu}, K_L \rightarrow \pi^0 e^+ e^-, K_L \rightarrow \pi^+ \pi^-$



## B PHYSICS

$b \rightarrow s \ell^+ \ell^-$   
 $b \rightarrow d \gamma$  ( $B \rightarrow s \gamma$ )  
 $CP \neq$  B decays



## LEPTON PHYSICS

$\mu \rightarrow e \gamma$   
 $\mu \rightarrow e e \bar{e}$   
 $\mu$ -e conversion  
 in nuclei

$$M_d \propto \begin{pmatrix} m_d & m_s \sin \theta_c \\ & m_s \end{pmatrix}$$

$$M_{\tilde{d}_L \tilde{d}_R}^2 \propto \begin{pmatrix} a m_d & b m_s \sin \theta_c \\ & c m_s \end{pmatrix} \quad (\delta_{12})_{LR}$$

$a, b, c$  constants of  $O(1) \rightarrow$  unless  $a=b=c$  exactly,  $M_d$  and  $M_{\tilde{d}_L \tilde{d}_R}^2$  are NOT SIMULTANEOUSLY DIAGONALIZABLE

$$\begin{array}{c} \tilde{d}_L \quad \times \quad \tilde{d}_R \\ \hline \end{array} \quad (\delta_{12})_{LR} \approx \frac{\langle F_T \rangle}{m_{\tilde{q}}^2} =$$

$$= 2 \times 10^{-5} \left( \frac{m_s (1 \text{ Pe})}{50 \text{ MeV}} \right) \left( \frac{\tilde{m}}{m_{\tilde{q}}} \right) \left( \frac{500 \text{ GeV}}{m_{\tilde{q}}} \right)$$

A.M., Murayama; Babu, Dutta, Mohapatra  
Khalil, Kobayashi, Vires

possibility of achieving it through double mass insertion  $\begin{array}{c} \times \quad \times \\ \tilde{d}_L \quad \tilde{d}_R \quad \tilde{d}_R \end{array}$   
Back, Ka

$$\frac{\epsilon'}{\epsilon} \rightarrow \text{Im}(\delta_{12}^d)_{LR} \sim 10^{-5}$$

$$\epsilon \rightarrow \text{Im}(\delta_{12}^d)_{LL} \sim 3 \cdot 10^{-3}$$

easy to obtain with SUSY phases of  $O(10^{-1})$

in MSSM with flavor universality:

$$\tilde{\chi}_R \text{---} \times \text{---} \tilde{\chi}_L \text{---} \times \text{---} \tilde{d}_L$$

$A m_{\tilde{m}}$        $(K(m_{\nu}^{\text{diag}})^2 K^\dagger)_{12}$

completely negligible

Gabrielli, Giudice

SUSY CONTRIBUTION TO  $\epsilon'/\epsilon$  IS VERY TINY

( $\rightarrow$  MSSM WITH FLAVOR UNIV. CP  $\neq$  OF SUPERWEAK KIND)

THIS STATEMENT DOES **NOT** APPLY TO

"REASONABLE" SUSY MODELS WITH **NEW FLAVOR STRUCTURE**

Ex:  $W \supset Y_D^{ij}(T) Q^i \tilde{D}^j H_D$  (T moduli fields)

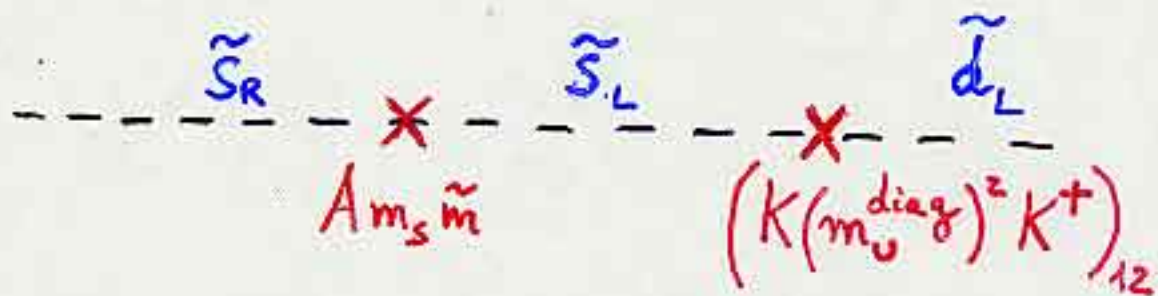
$\hookrightarrow$  Yukawa couplings:  $Y_D^{ij}(\langle T \rangle)$

trilinear scalar couplings:  $\tilde{d}_L \tilde{d}_R^* H: \langle F_T \rangle$

$\hookrightarrow$  SUSY BREAKING

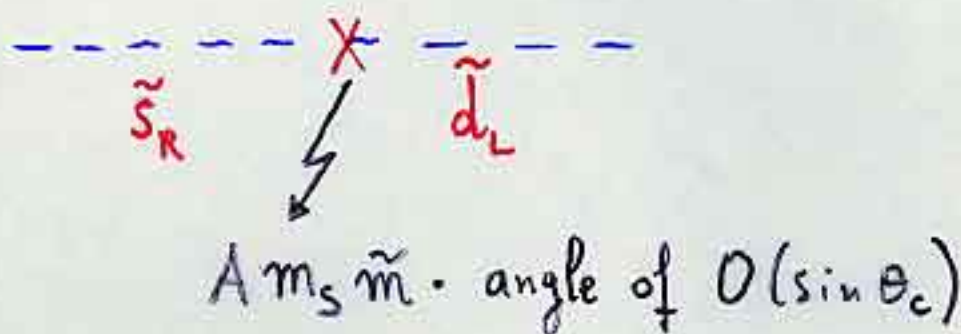
$\hookrightarrow$  trilinear  $\approx \frac{\partial Y_D^{ij}}{\partial T} \langle F_T \rangle Q^i \tilde{D}^j H$

A. M., MURAYAMA



$$\begin{aligned}
 (\delta_{12}^d)_{LR}^{HSSM} &\sim \frac{A m_s \tilde{m} K_{1i} (m_u^{diag})_{ii}^2 K_{i2}^\dagger}{\tilde{m}^4} \\
 &\simeq m_s (V_{cd} V_{cs} m_c^2 + V_{td} V_{ts} m_t^2) \left(\frac{1}{\tilde{m}}\right)^3 \lesssim 10^{-8} \\
 &\text{completely negligible!}
 \end{aligned}$$

to obtain  $(\delta_{12}^d)_{LR} \sim 10^{-5}$  (of interest for  $\epsilon'$ )  
 need a model where



$\Rightarrow$  trilinear soft breaking terms  $A_{ij} h_{ij} \tilde{d}_{Li} H \tilde{d}_{Lj}^c$   
 NOT simultaneously diagonalizable with the  
 Yukawa couplings  $h_{ij}$ , i.e. NON-UNIVERSAL  $A_{ij}$

It is possible to obtain such large SUSY contributions to  $\epsilon'/\epsilon$  even if one has **REAL SOFT TERMS** provided that

- Yukawa coupl.  $\lambda_{ij}$  complex
- A terms have the form  $A_{ij} \lambda_{ij}$  ( $A_{ij}$  real and non-universal)
- no negligible entry in the 1,2 sector of the Yukawa matrix

implications:

- $d_n^e$  close to the exp. bound
- if  $\mu$  real  $\rightarrow d_e^e$  not very significant
- simple minded correlation between quarks and leptons makes  $\mu \rightarrow e \gamma$  very constraining
- $\mu \rightarrow e \gamma$  very close to the exp. bound

Barbieri, Contino, Steubria

# IMPLICATIONS FOR $\mu \rightarrow e\gamma$ : $d_e^{\mu}$

present exp. bounds on  $\begin{cases} \mu \rightarrow e\gamma \Rightarrow (\delta_{12}^{\mu})_{LR} < (1.3 \div 3.4) \times 10^{-5} \\ d_e^{\mu} \Rightarrow \text{Im}(\delta_{11}^{\mu})_{LR} < (2.7 \div 6.3) \times 10^{-6} \end{cases}$

for  $0.4 < m_{\tilde{\nu}}^2 / m_{\tilde{e}}^2 < 5.0$ ,  $m_{\tilde{e}} = 300 \text{ GeV}$

using the analogue of our previous expression for  $(\delta_{12}^d)_{LR}$  in  $\mathcal{E}'/\mathcal{E}$ , we obtain:

$$(\delta_{12}^{\mu})_{LR} \sim \frac{\tilde{m}_{\mu} m_{\mu} V_{\nu_e \mu}}{m_{\tilde{e}}^2} \sim 3.3 \times 10^{-4} V_{\nu_e \mu}$$

A.M., Murayama

$$(\delta_{11}^{\mu})_{LR} \sim \frac{\tilde{m}_{\mu} m_e}{m_{\tilde{e}}^2} \sim 1.6 \times 10^{-6}$$

taking  $V_{\nu_e \mu} \sim \sqrt{\frac{m_e}{m_{\mu}}}$  (in the small mixing MSW solution for the solar  $\nu$ )

$$V_{\nu_e \mu} \sim 0.05 \Rightarrow \text{predicted } (\delta_{12}^{\mu})_{LR} \sim 1.6 \times 10^{-5}$$

in the ballpark of the range  $(1.3 \div 3.4) \times 10^{-5}$

which yields  $\mu \rightarrow e\gamma$  at a rate close to the present exp. bound





Potentially large contributions to  $\epsilon'/\epsilon$  from

$\delta_{LL}$  if there is an isospin violation in

the  $\tilde{q}_R$  sector:  $m_{\tilde{u}_R} \neq m_{\tilde{d}_R}$  KAGAN, NEUBERT

$\Rightarrow$  gluino box  $\Delta S = 1$  contributions  
in the exact isospin symmetry in the  
 $\tilde{q}$  sector induce only  $\Delta I = 1/2$  operators,  
but if  $m_{\tilde{u}_R} \neq m_{\tilde{d}_R}$  then they generate  
also large  $\Delta I = 3/2$  components.

SUSY contributions to the Wilson coeff.  
of QCD and ELW PENGUIN OPERATORS  
CAN BE OF THE SAME ORDER

$$\text{need } \frac{m_{\tilde{u}_R} - m_{\tilde{d}_R}}{m_{\tilde{d}_R}} > 0.1$$

$\epsilon'/\epsilon$  from  $\tilde{\chi}_R \times \tilde{d}_L$



BURAS, COLANGELO, ISIDORI,  
ROMANINO, SILVESTRINI

enhancement of  $K_L \rightarrow \pi^0 e^+ e^-$

$K_L \rightarrow \pi^0 \nu \bar{\nu}$  not affected

BR( $K_L \rightarrow \pi^0 e^+ e^-$ ): SUSY additional contribution  
is positive and ranges between  $(3-4) \times 10^{-12}$   
up to  $10^{-11}$

indistinguishable  
from SM expectation

non-universality in the A soft breaking terms  
in string-inspired SUSY models

Abel, Frère

Khalil, Kobayashi, A.M.

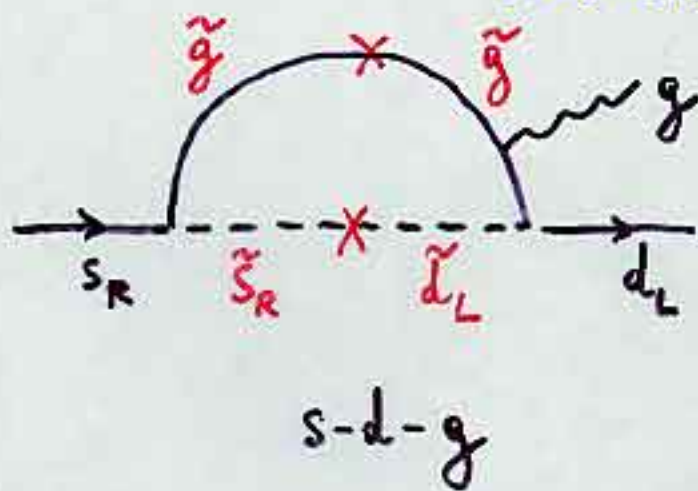
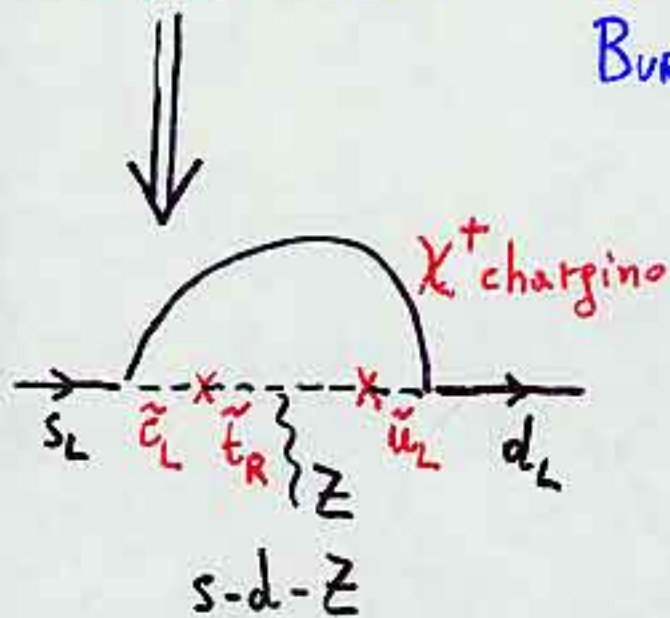
Khalil, Kobayashi, Vives

→ compatibility  
with the  $b \rightarrow sy$   
result (in particular for  
low  $\tan \beta$ )

Gabrielli, Khalil, Torrente-Lujan

# $\epsilon'/\epsilon$ and RARE K DECAYS

BURAS, COLANGELO, ISIDORI, ROMANINO, SILVESTRIANI



enhancement of  $K_L \rightarrow \pi^0 e^+ e^-$ ,  $K_L \rightarrow \pi^0 \nu \bar{\nu}$ ,  $K^+ \rightarrow \pi^+ \nu \bar{\nu}$

assuming the usual determination of the CKM param.  
+ no cancellations among different SUSY effects in  $\epsilon'/\epsilon$



$BR(K_L \rightarrow \pi^0 e^+ e^-)_{dir} \lesssim 2 \cdot 10^{-11}$	SM
$BR(K_L \rightarrow \pi^0 \nu \bar{\nu}) \lesssim 1.2 \cdot 10^{-10}$	$(7 \cdot 10^{-12})$

$BR(K^+ \rightarrow \pi^+ \nu \bar{\nu}) \lesssim 1.7 \cdot 10^{-10}$	$(4 \cdot 10^{-11})$
---	----------------------

$BR(K^+ \rightarrow \pi^+ \nu \bar{\nu}) \lesssim 1.7 \cdot 10^{-10}$	$(1.1 \cdot 10^{-11})$
---	------------------------

(larger values possible but rather unlikely)

correlation "  $\sin 2\beta_u$  from K and B decays NIR, WORAH

$$b \rightarrow s l^+ l^-$$

Lunghi, A. M., Scimemi, Silvestrini

Cho - Misiale - Wyler  
 Goto - Okada - Shimizu - Tanaka  
 Ali - Giudice - Mannel  
 Gronau - London  
 ALI - LUNGI -  
 GREUB - HILLER

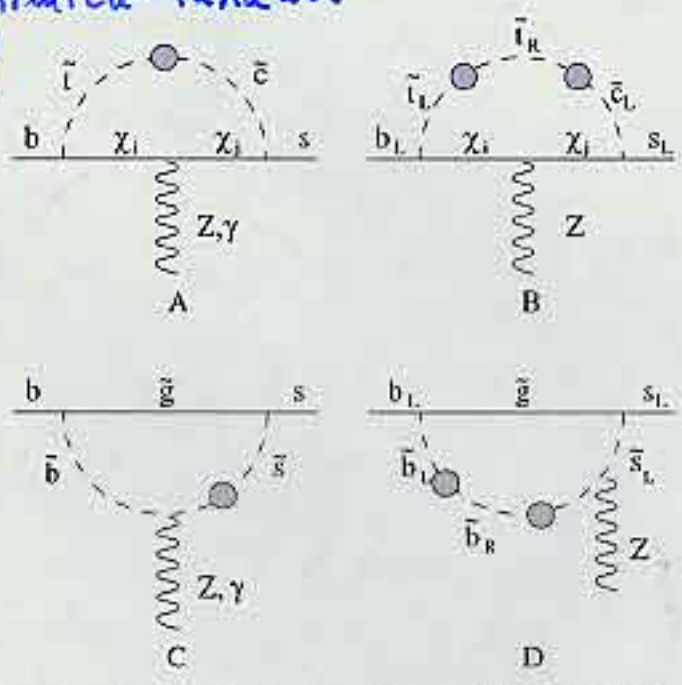


Figure 5: Some of the relevant penguin diagrams for semileptonic B-decays. Bubbles indicate Mass Insertions. Diagrams A, B are based on chargino interaction. Diagrams C, D consider gluino interactions.

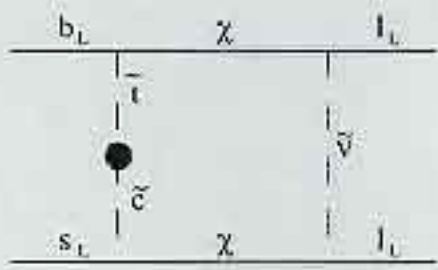


Figure 6: Relevant box diagram for semileptonic B-decays. Bubble indicates Mass Insertion.

$A_{FB}$  for  $B \rightarrow X_s \ell^+ \ell^-$

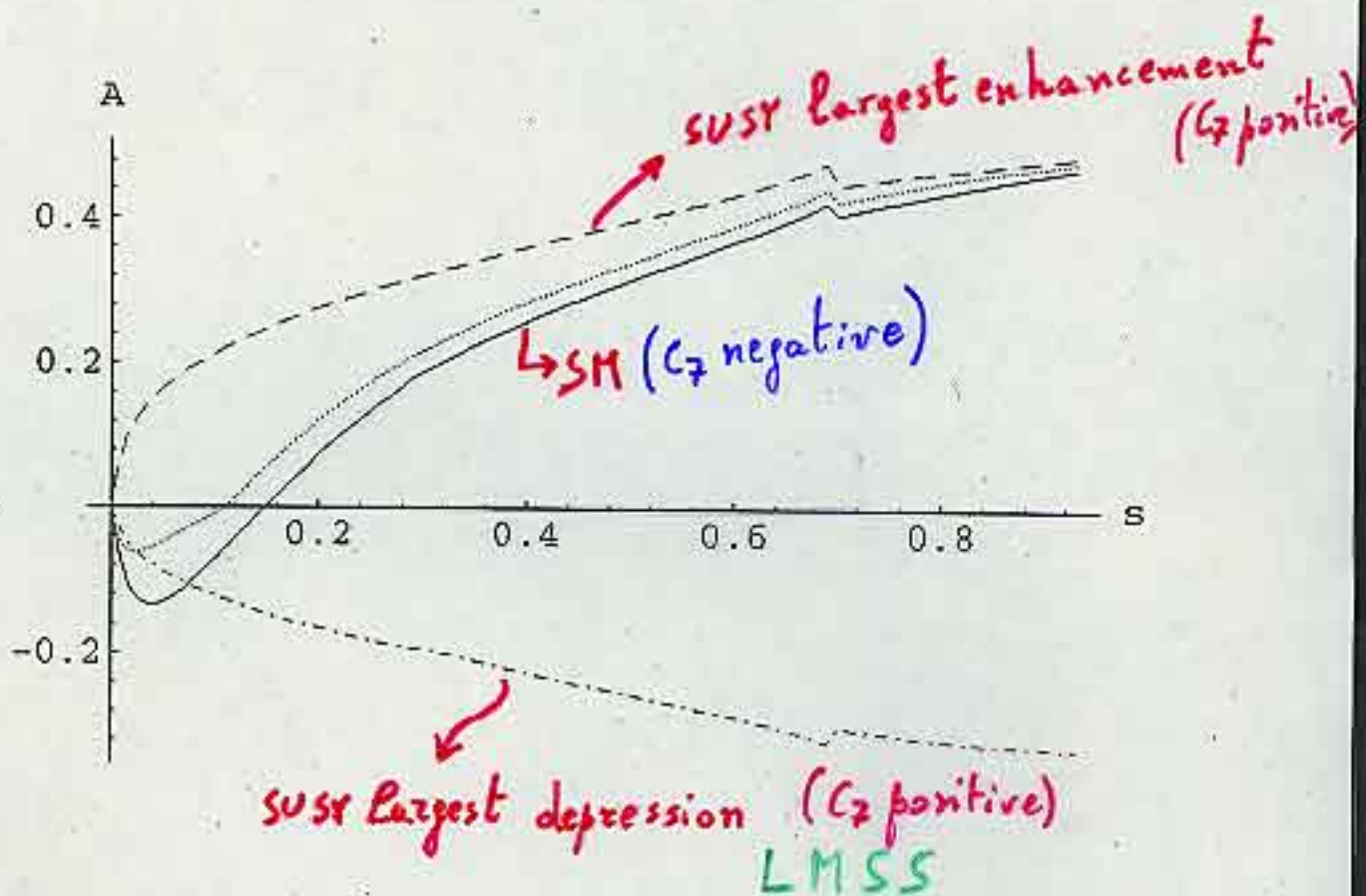
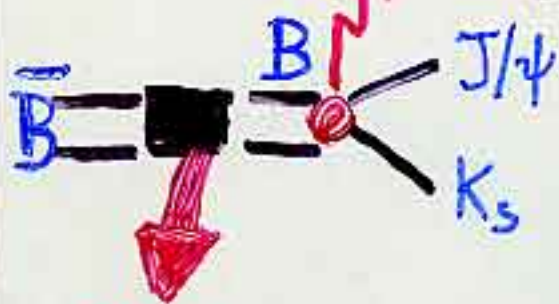


Figure 6: Forward-Backward asymmetry ( $A_{FB}$ ) for the decay  $B \rightarrow X_s \ell^+ \ell^-$ . The solid line corresponds to the SM expectation; the dashed and dotted-dashed line corresponds to the SUSY best enhancement ( $C_7^{eff} = 0.445, C_9^{MI} = 1.2, C_{10}^{MI} = -2.1$ ) and depression ( $C_7^{eff} = .250, C_9^{MI} = -0.5, C_{10}^{MI} = 6.6$ ); the dotted line is the maximum enhancement obtained without changing the sign of  $C_7$  ( $C_7^{eff} = -0.250, C_9^{MI} = 0.5, C_{10}^{MI} = 1.1$ ).

# WILL SUSY SHOW UP IN CP ≠

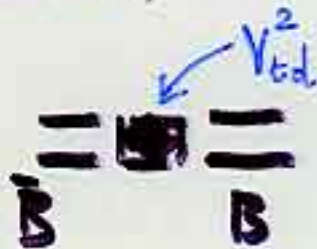
## B DECAYS ?

CP ≠ in decay  
phase  $\phi_D$



CP ≠ in mixing  $\rightarrow$  phase  $\phi_M$

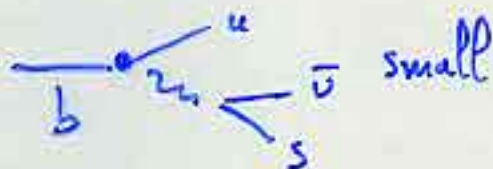
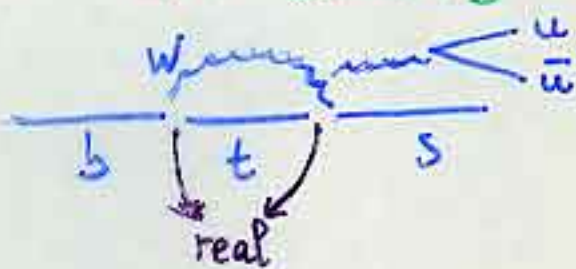
Nir, Quinn;  
Geona, London;  
Grossman, Nir, Rattazzi



Ciuchini, Franco, Martinelli,  
A.M. and Silvestrini;  
Grossman and Worah;  
Barbieri and Stzumia

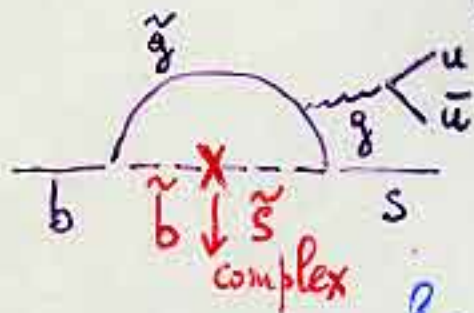
if only one decay amplitude  
 $\Rightarrow$  CP ≠ asymmetry  
depends on  $\phi_M + \phi_D$

ex.:  $B \rightarrow K_S \pi^0$



$$\Gamma_{SM} = \left( \frac{A_{subleading}}{A_{leading}} \right) < 8\%$$

SUSY:



$$\Gamma_{SUSY} = \left( \frac{A_{SUSY}}{A_{SM}} \right) \approx 0.4 - 0.7$$

for SUSY masses  $\sim 250$  GeV and maximal SUSY phase

$$B \rightarrow J/\psi K_S \quad \Gamma_{\text{SUSY}} < 0.10 \quad \Gamma_{\text{SM}} \sim 0$$

$$B \rightarrow \bar{\Phi} K_S \quad \Gamma_{\text{SUSY}} \sim 0.4 - 0.7 \quad \Gamma_{\text{SM}} < 8\%$$

$$B \rightarrow D^0 \pi^0 \quad \Gamma_{\text{SUSY}} \sim 0 \quad \Gamma_{\text{SM}} < 4\%$$

→ in SM all the above decays

$$\begin{aligned} B_d \rightarrow \pi^0 K_S ; \quad B_d \rightarrow \phi K_S ; \\ B_d \rightarrow J/\psi K_S ; \quad B_d \rightarrow D^0 \pi^0 \end{aligned} \quad \supseteq \sin 2\beta$$

measure the MIXING PHASE  $\beta \leftrightarrow V_{td}$

when SUSY is included some decays

( $B \rightarrow D^0 \pi^0$ ) are not affected ( $\phi = \phi_M \Rightarrow \beta$ )

some may be significantly shifted ( $B \rightarrow J/\psi K_S$ )

( $\phi = \phi_M + \phi_D \rightarrow$  comes from  $\Gamma_{\text{SUSY}}$  up to 10%)

some may be completely different ( $B \rightarrow \phi K_S, B \rightarrow \bar{\nu} K_S$ )

( $\phi = \phi_M + \phi_D \rightarrow$  from  $\Gamma_{\text{SUSY}}$  up to 70%)



$CP \neq$  in  $K$  and  $B$  physics



possibility of large SUSY contributions

to  $CP \neq$  in  $K \Rightarrow \epsilon$  would no

longer represent a valid constraint

for the unitarity triangle  $\Rightarrow$  possible

to witness (significant?) departures

from SM expectations in  $CP \neq$

$B$  decays  $\rightarrow a_{J/\psi}$  ?

# $\sin 2\beta$ in SUSY WITH NEW FLAVOR STRUCTURE

Brhlik, Everett, Kane, King, Lebedev; Ibrahimi, Nath

Ex.: Type-1 string inspired low energy SUSY

Ⓘ universal soft scalar masses for doublets,

but **non-universal** masses for singlets:

$$(m_{D^c}^2)_{11} \neq (m_{D^c}^2)_{22} \neq (m_{D^c}^2)_{33}$$



$(\delta_{RR}^d)_{12}$  can fully saturate  $\epsilon_K$

but  $(\delta_{RR}^d)_{13} < 10^{-3}$  leads to a small contribution to  $M_{13}$

⇒ if  $\delta_{CKM}$  is small (and it can be small given that  $\epsilon_K$  is "saturated" by the SUSY contributions)

$a_{J/\psi K_S}$  can be quite small A.M., PIAI, VIVES

Ex.: Low-energy SUSY with a  $SU(3)$  FLAVOR SYMM.

Ⓙ  $SU(3)$  broken by a set of heavy scalar  $SU(3)$  singlets with hierarchically ordered VEV's:

real  $C_{KM}$  (or  $\delta_{CKM}$  very small) with large SUSY contributions to  $\epsilon_K$  and  $\Delta M_d$  ⇒ possible to have a very small

$a_{J/\psi K_S}$  A.M., PIAI, ROHANINO, SILVESTRINI

$a_{J/\psi K_S}$

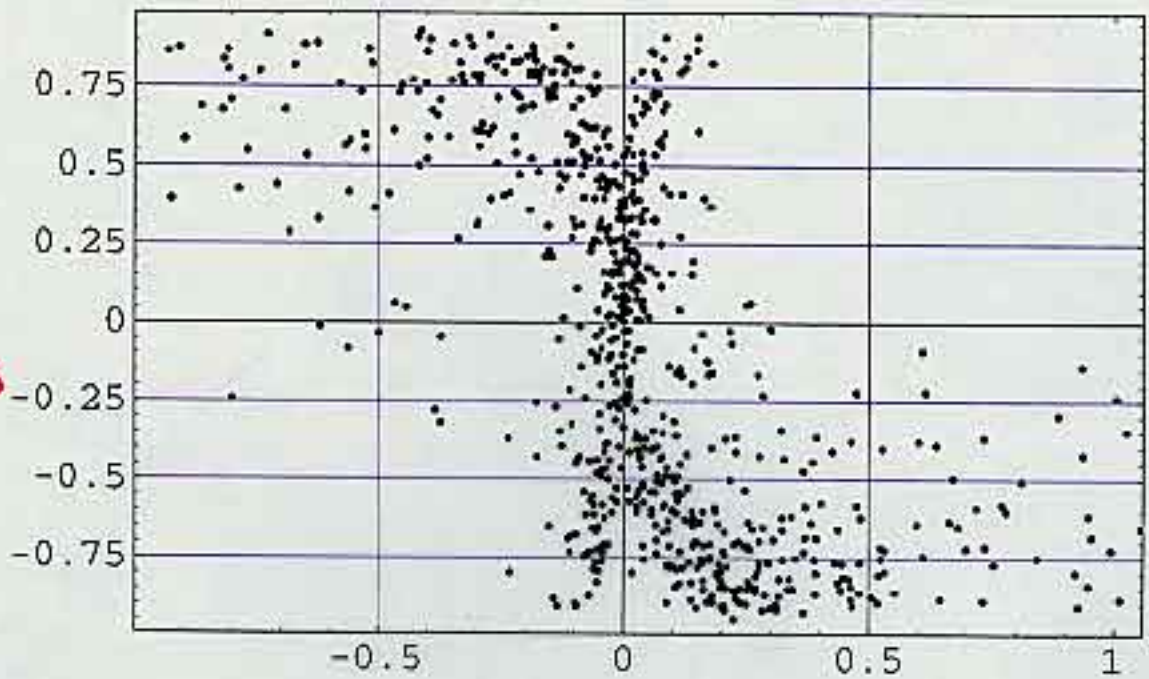


FIG. 1. Prediction for  $a_{J/\psi K_S}$ : dependence on  $\text{Arg}(\beta')$ .

$\Delta m_{B_s}$   
(ps<sup>-1</sup>)

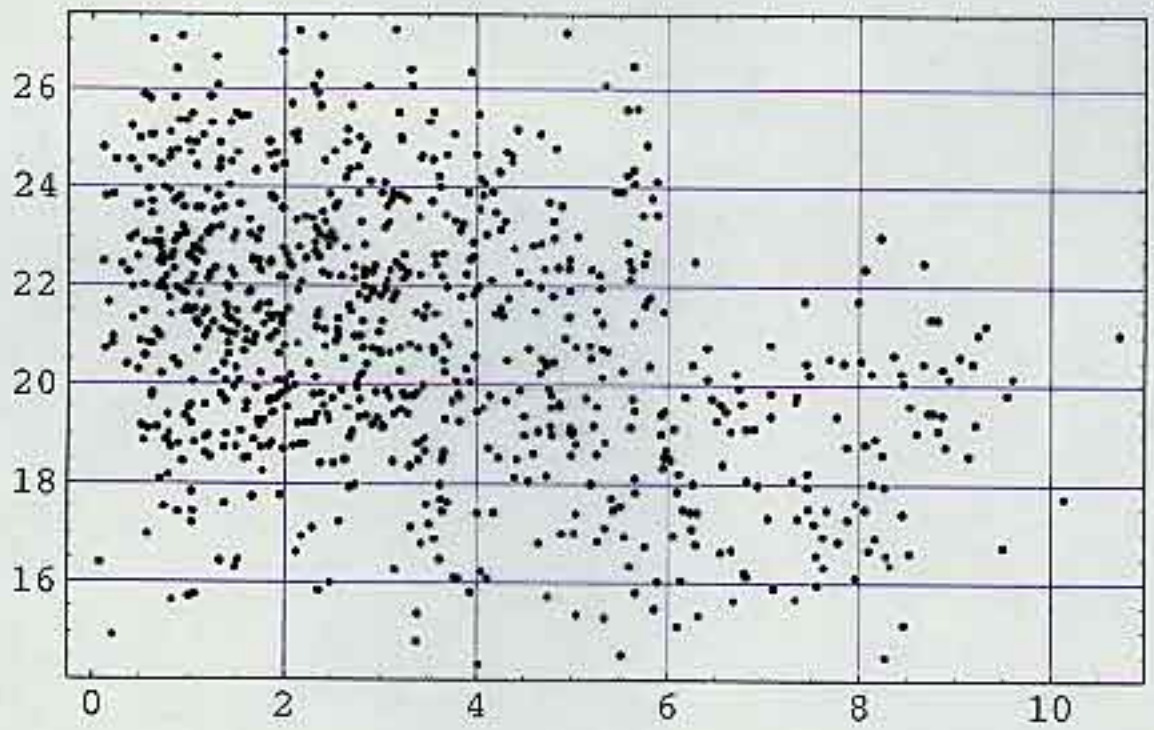


FIG. 2. Prediction for  $\Delta m_{B_s}$ : dependence on  $|\beta'|$ .

# CONCLUSIONS

FLAVOR BLINDNESS (SUSY breaking is flavor blind, running does not induce new flavor structures) in LOW ENERGY SUSY

- best chance: EDM's

SUSY BREAKING IS FLAVOR BLIND (FLAVOR UNIVERSALITY AT  $M_S$ ), BUT THE RUNNING INDUCES RELEVANT NEW FLAVOR STRUCTURES ex: SUSY with massive neutrinos through a see-saw mechanism

-  $\mu \rightarrow e\gamma$ ,  $\mu$ -e conversion in nuclei,  $\tau \rightarrow \mu\gamma, \dots$

- EDM's

- CP  $\neq$  B decays (SUSYGUT's with a see-saw)

SUSY BREAKING IS NOT FLAVOR BLIND

{ LFV  
EDM's  
RARE K DECAYS

RARE AND/OR CP  $\neq$  B DECAYS

DIRECT vs INDIRECT SUSY SEARCHES: HOPE THERE WILL BE A WINNER!