

Semileptonic Decays: Recoil Technique

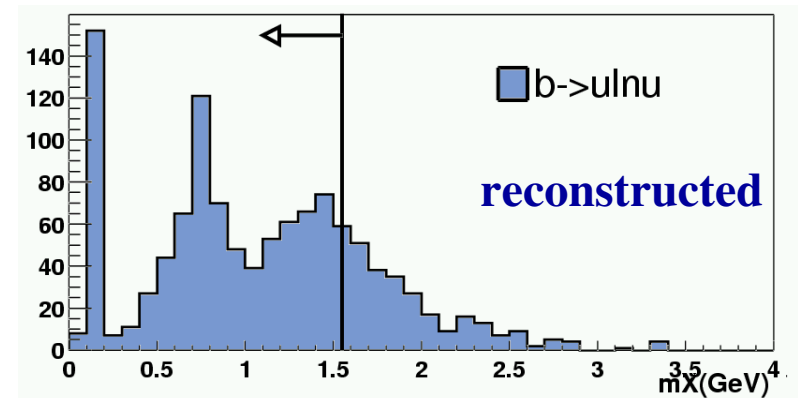
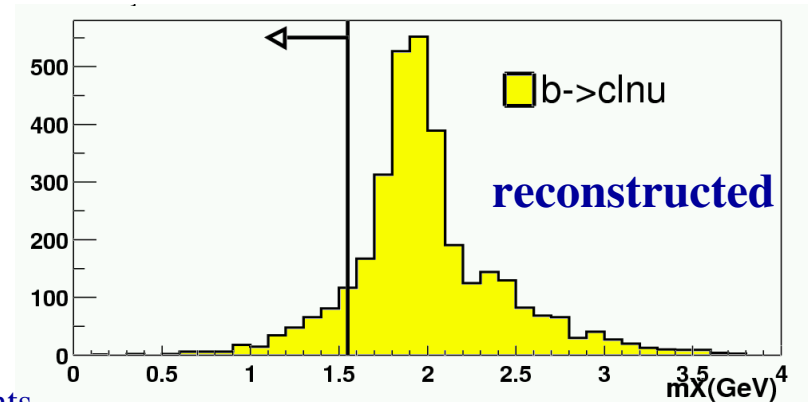
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Inclusive V_{ub} Analysis

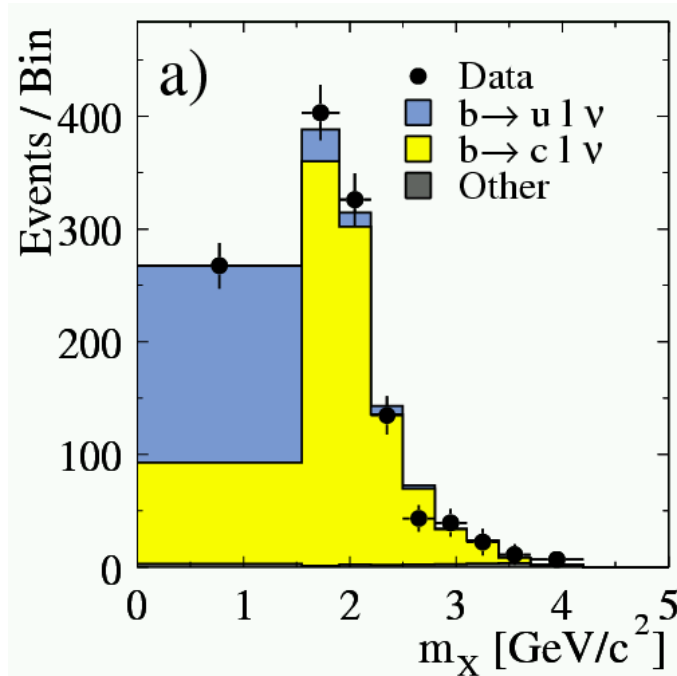
- Fully reconstruct one B
- B_{recoil} selection and reconstruction of the X system $B \rightarrow X_u l \nu$:
 - **One and only one lepton** with $p^* > 1 \text{ GeV}/c$
 - **Correlation between lepton charge and B_{reco} flavor** (B^0 mixing is corrected)
 - **Cut on the missing mass:** $M_{\text{miss}}^2 < 0.5 \text{ GeV}^2$,
 - **charge conservation:** $Q_{\text{tot}} = 0$
 - **Partially reconstructed neutrino** to reject $B^0 \rightarrow D^* l \nu$ events
 - **kinematic fit (2-C):** improve hadronic mass resolution
- Separate $B \rightarrow X_u l \nu$ in signal enriched and depleted:
 - **signal enriched:** veto on K^\pm and K_S
 ↪ used to perform the measurement
 - **signal depleted:** one or more K^\pm or K_S in the event
 ↪ used as control sample
- Systematics reduced by measuring

$$R_{u/sl} = B(B \rightarrow X_u l \nu) / B(B \rightarrow X l \nu)$$

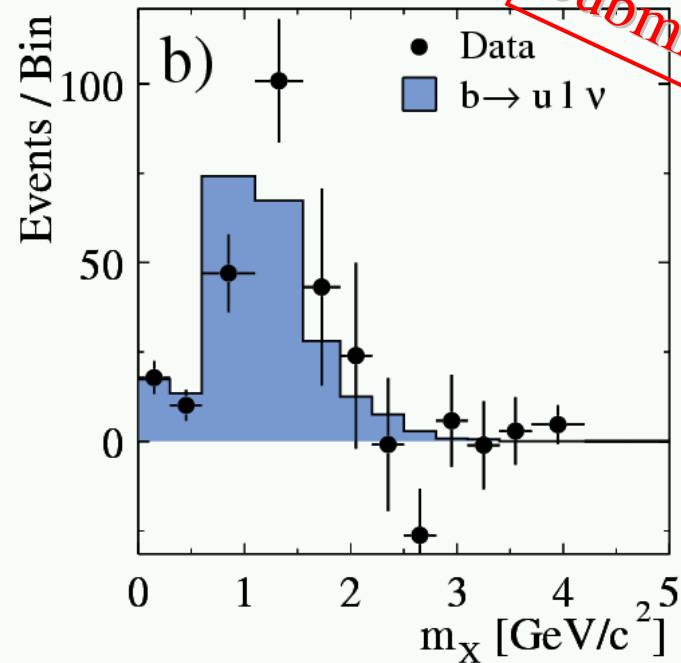


Inclusive V_{ub} Analysis

Fit to the m_X distribution



Subtracted spectrum



Submitted to PRL

$$B(\bar{B} \rightarrow X_u \bar{l} \bar{\nu}) = (2.24 \pm 0.27_{stat} \pm 0.26_{syst} \pm 0.39_{thsyst_mx}) \cdot 10^{-3}$$

$$\frac{B(B^+ \rightarrow X_u \bar{l} \bar{\nu})}{B(B^+ \rightarrow X l \bar{\nu})} \frac{B(\bar{B}^0 \rightarrow X l \bar{\nu})}{B(\bar{B}^0 \rightarrow X_u \bar{l} \bar{\nu})} = 0.72 \pm 0.18_{stat} \pm 0.19_{syst}$$

$$|V_{ub}| = (4.62 \pm 0.27_{stat} \pm 0.26_{syst} \pm 0.39_{thsyst_mx; B \rightarrow V_{ub}}) \cdot 10^{-3}$$

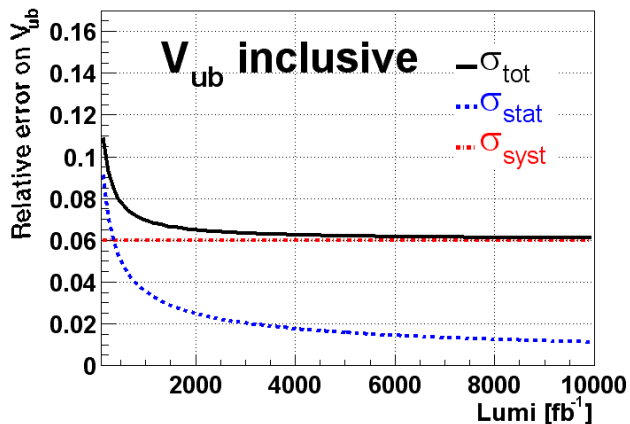
Inclusive V_{ub} Analysis: Perspectives

This analysis (as it is now) will be limited by systematics pretty soon (200-300 fb^{-1})

But it can be upgraded, for instance:

- q^2 vs M_X approach (see Bauer et al. *hep-ph/0111387*)
- combination of variables for a shape function independent approach (see Ciuchini et al. *ph/0204140*)

These methods have lower efficiencies and then require higher statistics
Assuming a theo. error of 5% and an experimental syst. error of 3% on V_{ub} we get:



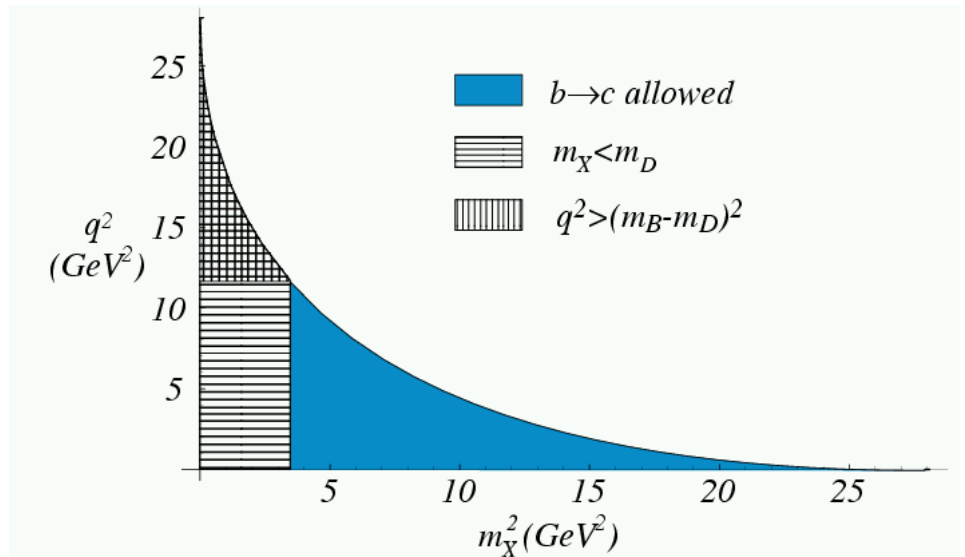
Questions:

are we able to keep experimental systematics under control with higher luminosity?

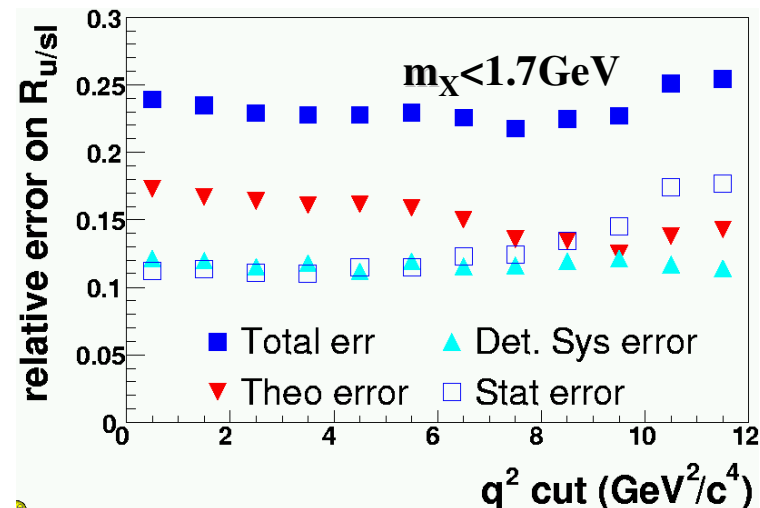
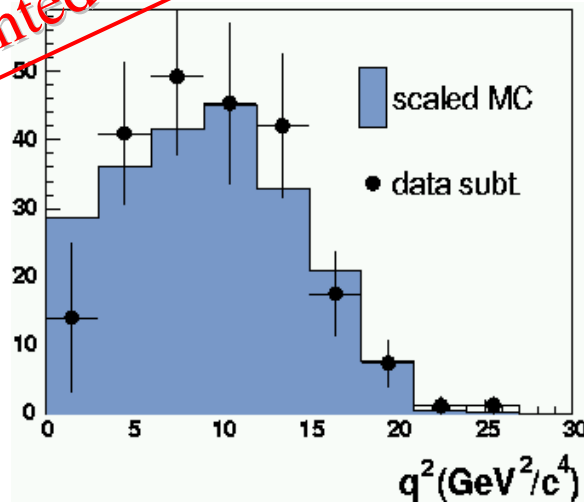
Can we go below 5% for theo. systematics?

Future for Incl. V_{ub} : q^2 vs m_X analysis

A combination of cuts on q^2 and m_X reduces the theoretical error (Bauer et al. hep-ph/0111387) excluding regions of phase space with singularities and decreasing extrapolation error



Presented at LP03



~35% gain in theo. error

Future for Incl. V_{ub} : other approaches

- Try combination of variables.

Ciuchini et al. [ph/0204140](#)

$$\left| \frac{V_{ub}}{V_{cb}} \right|^2 \simeq C(\alpha_s) \frac{\frac{dBR_{sl,u}}{d\xi}}{\frac{dBR_{rd}}{dx} \Big|_{x=\xi} - h(\xi; \alpha_s)}$$

This approach (that uses $b \rightarrow ul\nu$ and $b \rightarrow s\gamma$) is not dependent on shape function. Since resonances in $b \rightarrow s\gamma$ have to be removed, efficiency will go down by $>50\%$. In 500fb^{-1} it can be performed.

$$\sigma_{\text{theo}}(V_{ub}) \sim 5\%$$

- Can we measure m_b directly on our data-sample?

[Kowalewski et al. \(ex/0205038\)](#) say that we can, using $\langle E_W - |\mathbf{p}_W| \rangle$

With the current data-sample (80fb^{-1}) $\sigma(m_b) \sim 120\text{MeV}$

$$\Rightarrow \text{in } 500\text{fb}^{-1} \quad \sigma(m_b) \sim 50\text{MeV} \Rightarrow \sigma_{\text{theo}}(V_{ub}) \sim 6\%$$

Incl. V_{ub} : questions

- With 10 ab^{-1} we will have $>10000 \text{ b} \rightarrow \text{ul}\nu$ selected events
we can measure the **full kinematics** (modulo a cut on the invariant mass of the hadronic system) with high resolution.
Which information can we get from this?
- We can perform measurements for B^0 and B^+ separately.
How much can we learn from this?
- Suppose we are able to measure m_b and a (Λ and λ_1) directly from the $\text{b} \rightarrow \text{ul}\nu \text{ mX}$ distribution with very small errors.—
Which is the remaining error? Shape function and duality? Can they be reduced?

Inclusive Analyses: V_{cb}

Goal is to measure the $\langle m_X^2 \rangle$ for different cuts on the momentum of the lepton and then extract $(\lambda_1, \bar{\Lambda})$

- Direct measurement of the hadronic mass using the recoil of fully reconstructed B mesons
- Kinematic fit to improve the resolution on $\langle m_X^2 \rangle$
- Measured mass corrected by using a model independent calibration curve from MonteCarlo

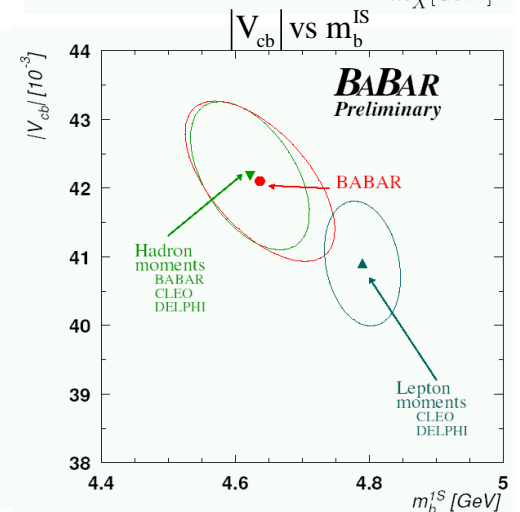
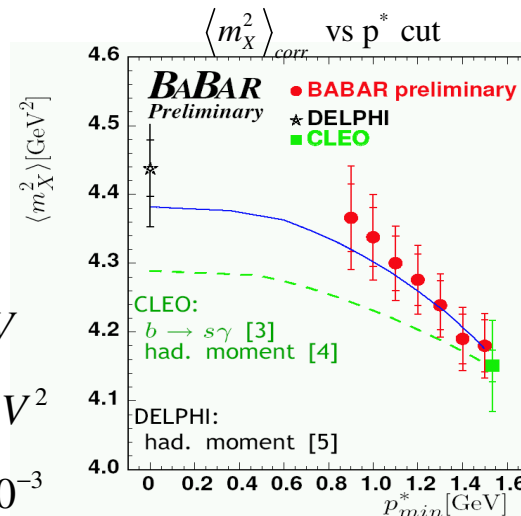
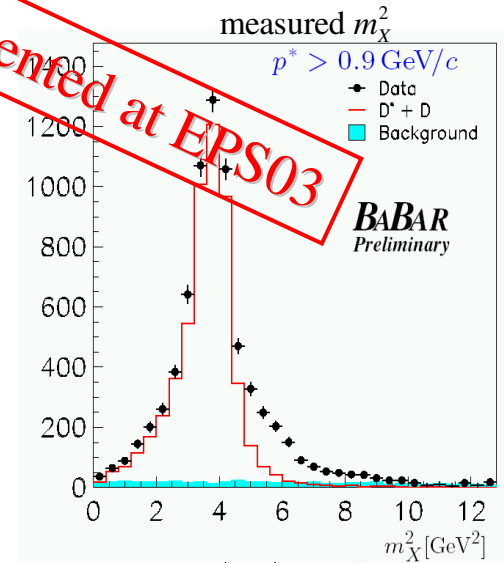
Fitting the mass moments: (hep-ex/0307046)

$$\begin{cases} \bar{\Lambda}^{\overline{MS}} = (0.53 \pm 0.09_{\text{exp}}) \text{ GeV} \\ \lambda_1^{\overline{MS}} = (-0.36 \pm 0.09_{\text{exp}}) \text{ GeV}^2 \end{cases}$$

and using $\Gamma_{sl} = (4.37 \pm 0.18) \cdot 10^{-11} \text{ MeV}$

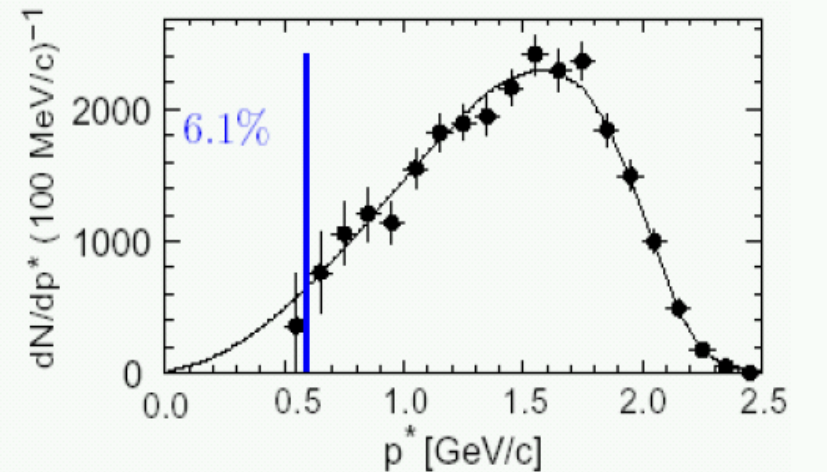
$$\begin{cases} m_b^{IS} = (4.64 \pm 0.09_{\text{exp}} \pm 0.06_{\text{pert.}} \pm 0.07_{1/m_B^3}) \text{ GeV} \\ \lambda_1^{IS} = (-0.26 \pm 0.06_{\text{exp}} \pm 0.04_{\text{pert.}} \pm 0.04_{1/m_B^3}) \text{ GeV}^2 \\ |V_{cb}| = (42.10 \pm 1.04_{\text{exp}} \pm 0.52_{\text{pert.}} \pm 0.50_{1/m_B^3}) \cdot 10^{-3} \end{cases}$$

Presented at EPS03



Other Inclusive Analyses

- Measurement of the lepton spectrum, ratio $\text{BR}(B^0 \rightarrow Xl\nu)/\text{BR}(B^+ \rightarrow Xl\nu)$ and V_{cb}



Questions:

- Do we need 100 times the present statistics to do these ones?
We will be limited by systematics very soon
- Which kind of high precision tests can we perform? (we are talking about millions of semileptonic events in the recoil....)

Future for Inclusive Measurements

Two main concerns:

- If we don't push down the theoretical systematics larger data samples will be useless
- How can higher luminosities affect the experimental systematics uncertainties?

BTW recoil technique allows us to measure:

- Kinematic variables with high resolution (with the possibility to unfold them)
- Inclusive quantities for different multiplicities

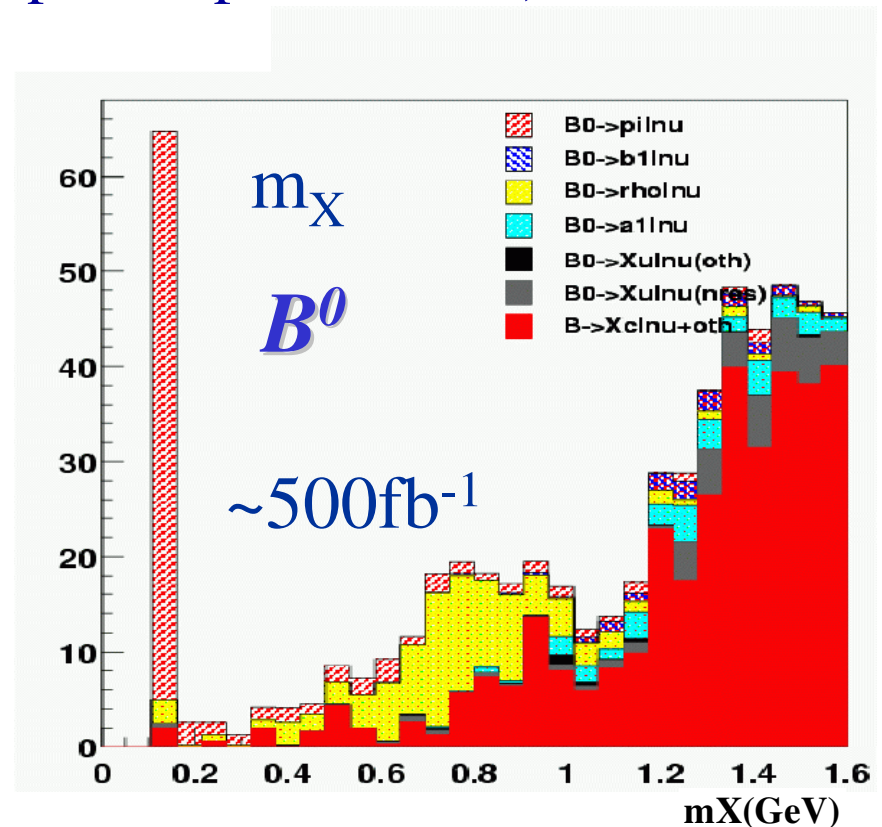
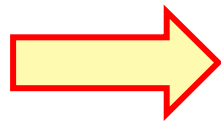
Question: Are we sure that we cannot use this information better?

Exclusive Charmless Decays

Recoil is the ideal environment to measure charmless exclusive decays:

- No kinematic cuts (basically full phase space is used)
- No dependence from FF
- Crossfeed highly reduced.
- No continuum

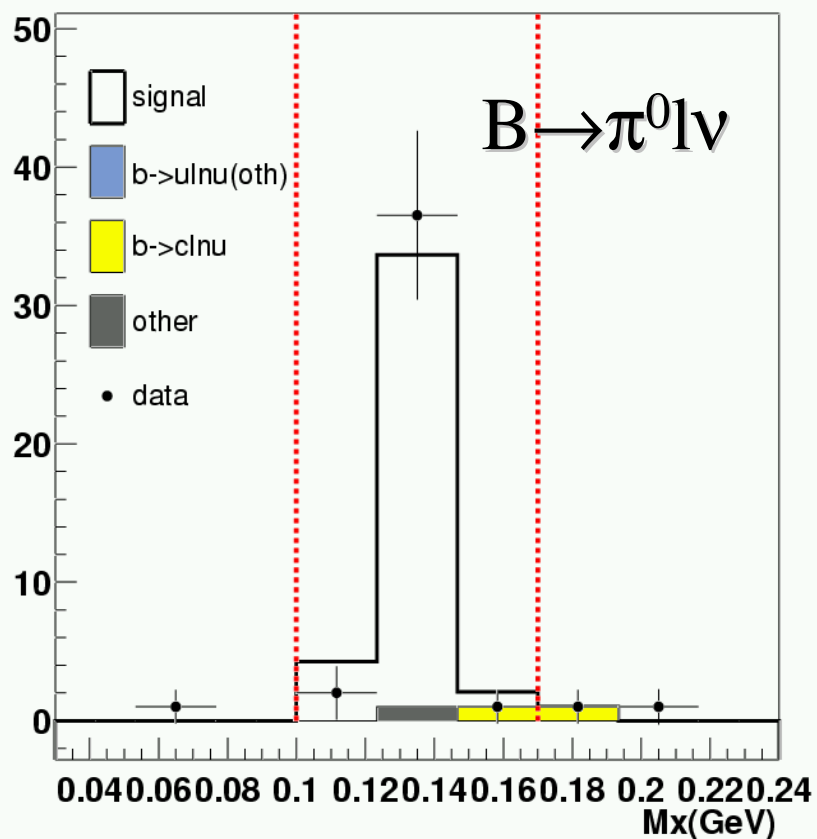
Just applying the cuts of the inclusive V_{ub} analysis you can get (no dedicated cuts to separate different modes)



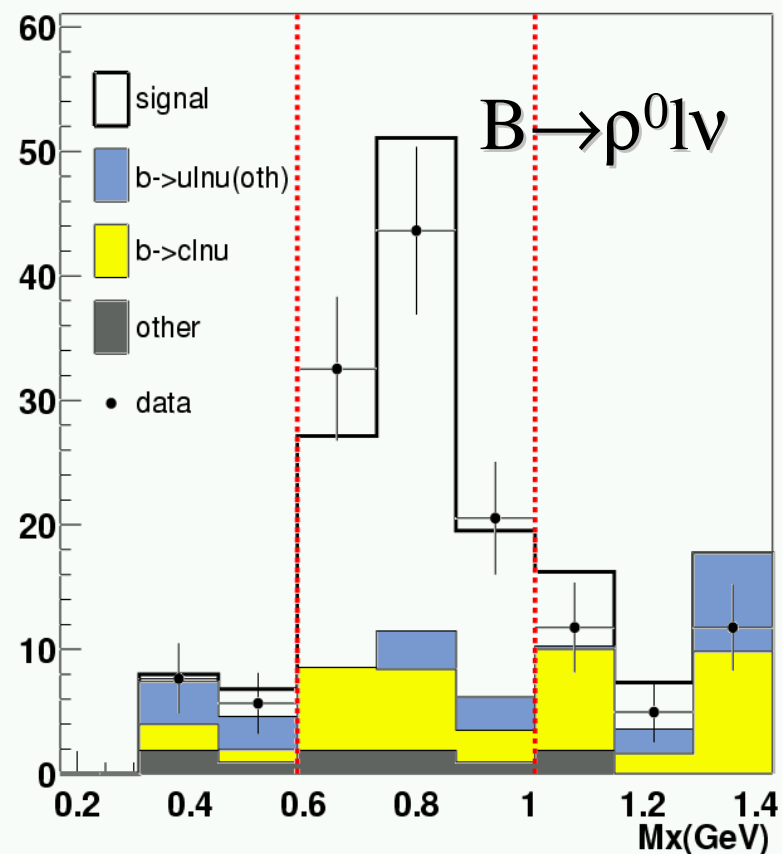
Exclusive Charmless Decays

These were the MC studies (for 500fb⁻¹) in May...

data events exclusive



data events exclusive



Exclusive Charmless Decays

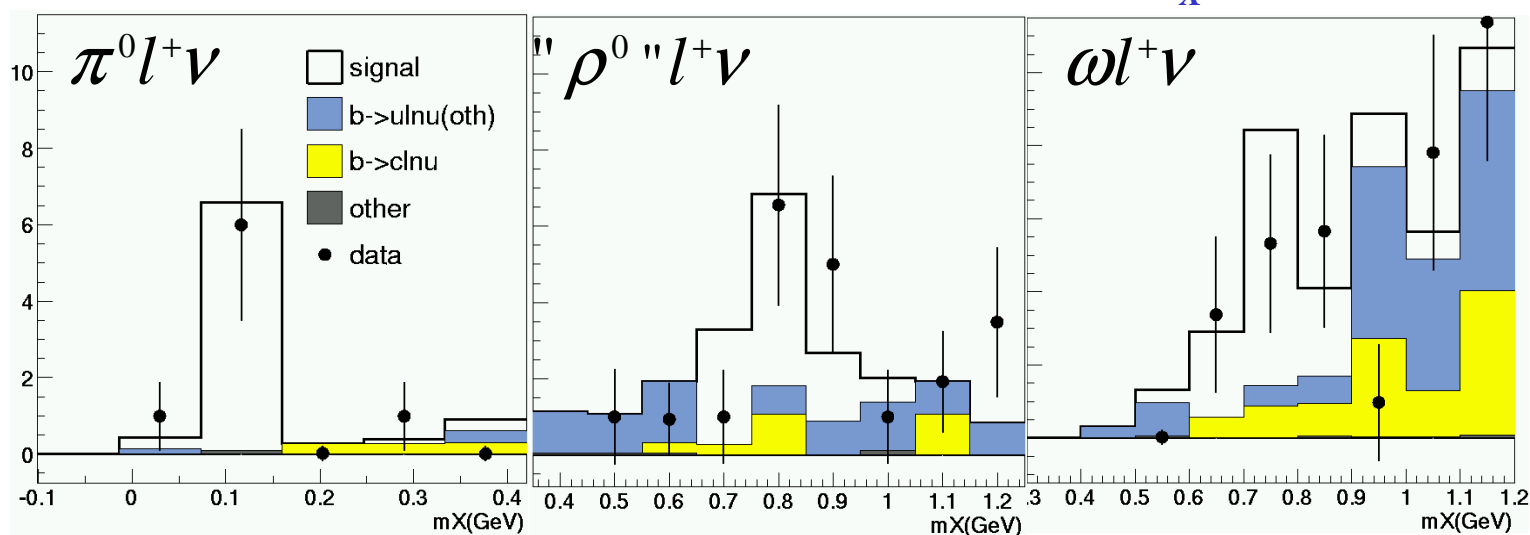
...and these are the results
(for 82fb^{-1})...

$$\left\{ \begin{array}{l} \mathcal{B}(B^+ \rightarrow \pi^0 l^+ \nu) = (0.78 \pm 0.32_{\text{stat}} \pm 0.13_{\text{syst}}) \cdot 10^{-4} \\ \mathcal{B}(B^+ \rightarrow \rho^0 l^+ \nu) = (0.99 \pm 0.37_{\text{stat}} \pm 0.19_{\text{syst}}) \cdot 10^{-4} \\ \mathcal{B}(B^+ \rightarrow \omega l^+ \nu) = (2.20 \pm 0.92_{\text{stat}} \pm 0.57_{\text{syst}}) \cdot 10^{-4} \end{array} \right.$$

" ρ^0 " is defined as
 $\pi^+\pi^-$ in the mass window
 $0.65 < m_{\pi^+\pi^-} < 0.95 \text{ GeV}$

Presented at LP03

Projection of the results
on the m_X variable

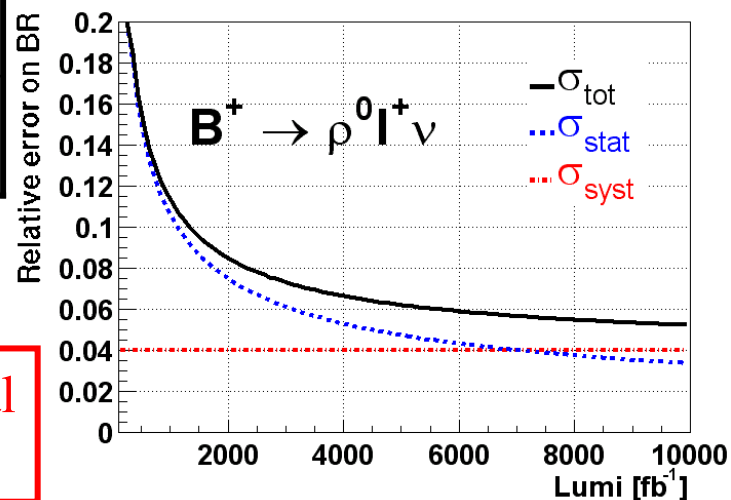
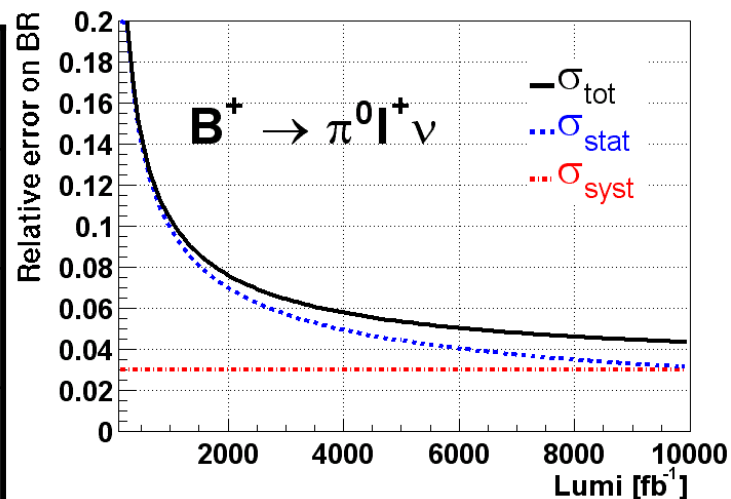


Excl. Charmless Decays: Perspectives

<i>BR measurement</i>	S/B	$\sigma(\text{tot})500\text{fb}^{-1}$	$\sigma(\text{tot})10\text{ab}^{-1}$
$B \rightarrow \pi^0 l \nu$	>10	~14%	~4%
$B \rightarrow \rho^0 l \nu$	~4	~15%	~5%
$B \rightarrow \omega l \nu$	~2.5	~16%	~6%
$B \rightarrow \pi^+ l \nu$	>10	~11%	~3%
$B \rightarrow \rho^+ l \nu$	~2	~15%	~6%

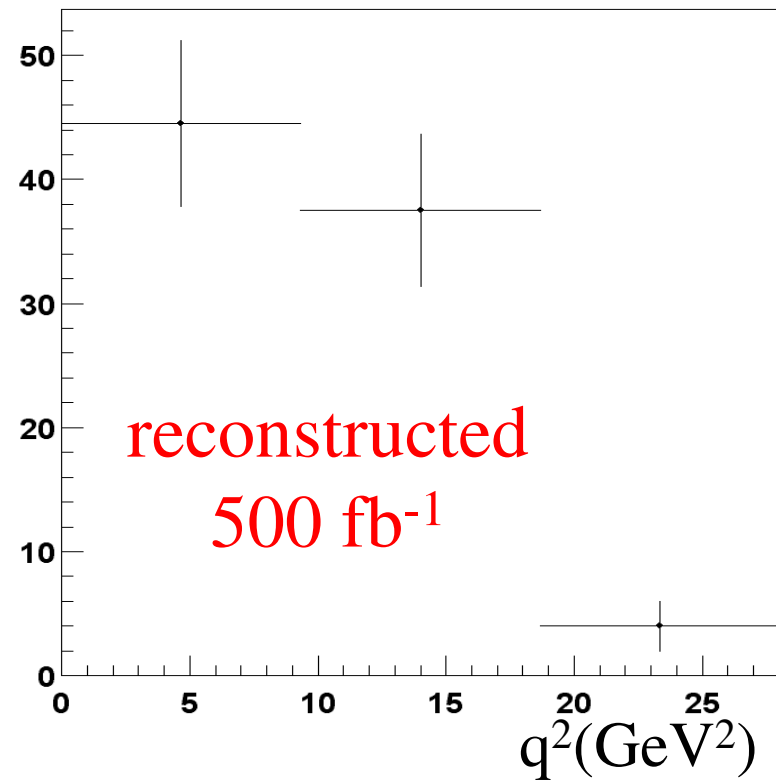
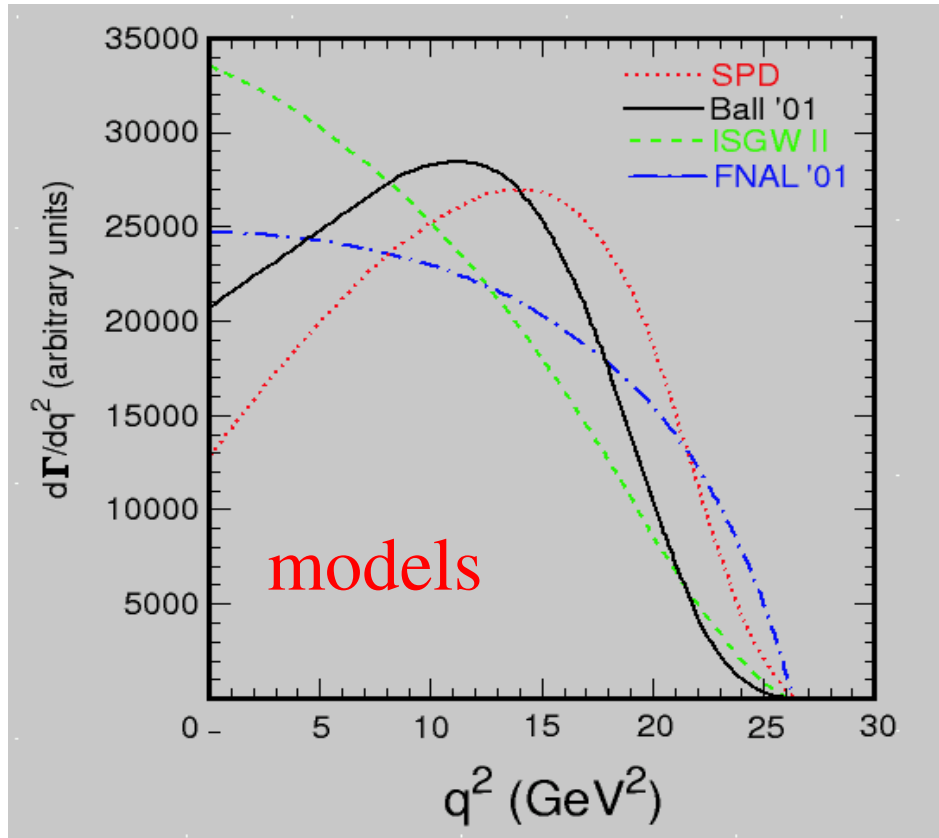
*Here I assumed negligible systematics from FF and a rough estimate of experimental syst. error

They can still be improved by performing an actual “exclusive” analysis on the recoil



q^2 Spectrum

q^2 spectrum for $B^0 \rightarrow \pi^+ l^- \nu$



With higher stat. we can discriminate among models

Excl. V_{ub} :questions

- With the recoil approach we can get rid of the FF dependency on BR determination (no cut on kinematics)
... but FF error in V_{ub} determination is still there...
Can we use this clean sample to reduce this error?
- Suppose I can measure many exclusive modes BRs ($\pi^+, \pi^0, \rho^+, \rho^0, \omega, \eta, \eta'$) with small errors. Is there a smart way to combine them to reduce error on V_{ub} ? Can we know form factors for all of them?
- In principle we could measure the non-resonant contribution spectrum (a1 and higher in mass) by difference. Is it interesting?
- This technique can be used to do inclusive and exclusive measurement of V_{ub} on the same sample and similar cuts at the same time. Can we use this information? (at the moment the two V_{ub} averages (exclusive and inclusive) show a bit of disagreement)

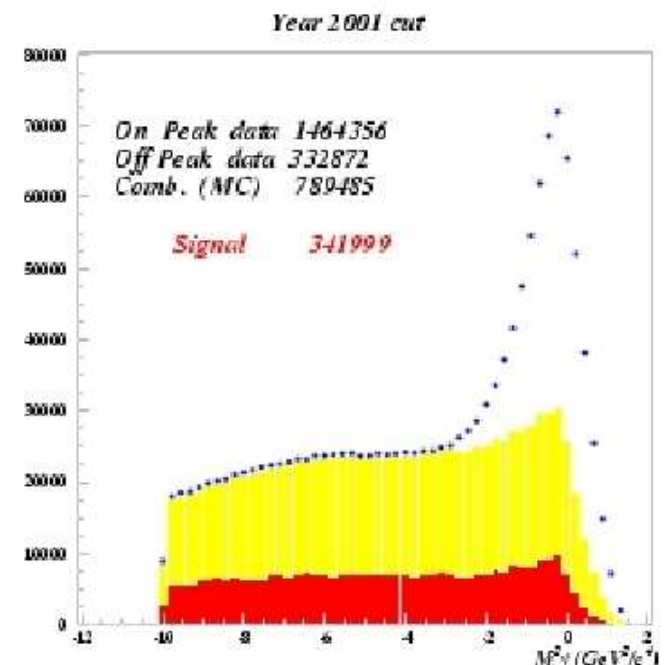
Exclusive Charm Decays

$B^0 \rightarrow D^* l \nu$:

- Present measurement of this BR is limited by systematics
- This decay can be studied on the recoil using a partial reconstruction on the recoil. It means that you tag only the lepton and the soft π using the correlation between the soft π and the D^*
- eff. = 0.55% for $B^0 B^0$ bar events
 \Rightarrow on the recoil eff = $(0.15 * 0.55)\%$
 $\Rightarrow \sim 7.5 \text{ ev./fb}^{-1}$
- Many of the systematics can be reduced
(f^0/f^+ , BRs, D^{**}) $\Rightarrow \sigma_{\text{syst}} \sim 4\%$
- 500 fb^{-1} should be enough

Purely exclusive mode on the recoil?

\Rightarrow CLEO-C results are needed to reduce systematics due to BRs



Charm Decays: Higher Resonances

$B \rightarrow D^{**} l \nu$:

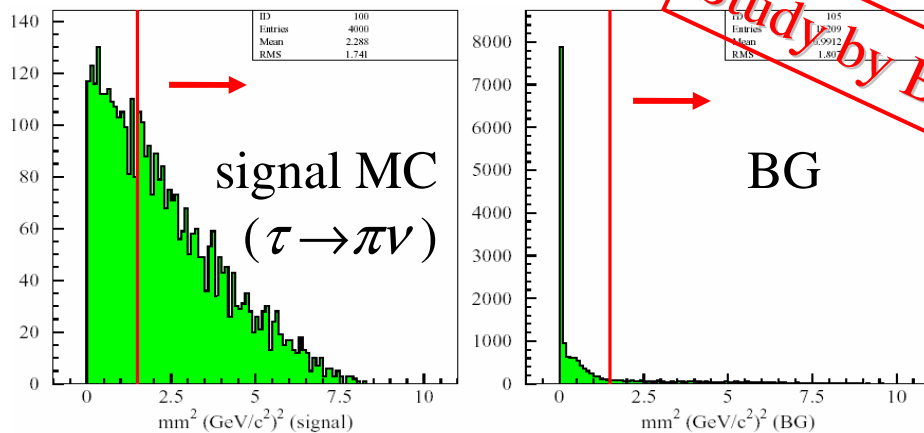
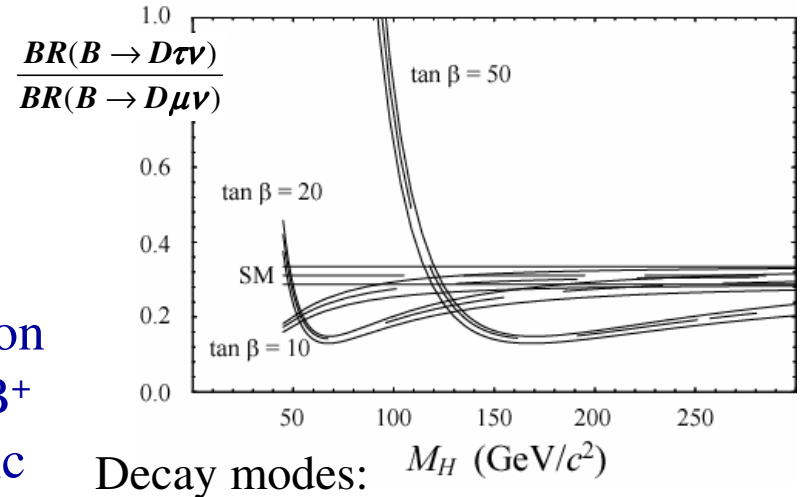
- Partial reconstruction+recoil can be used to measure also these channels, using soft pion (bkg events in $B^0 \rightarrow D^* l \nu$ become signal here) or you can tag a $D^{0,+} l \nu$ event
- Separated using $\cos(\theta_{BY})$ and, for instance, the presence of additional π s with the right charge
- $\Rightarrow \sim O(1) \text{ ev.}/\text{fb}^{-1}$ for $D^{**} l \nu$

$B \rightarrow D(1,2) l \nu$:

- These channels can be studied with an purely exclusive approach
- Low level of background and charge conservation help
 \Rightarrow higher luminosities should be useful for all these modes

Perspectives on $B \rightarrow D\tau\nu$

- Channel sensitive to new Physics
- Presence of large missing mass tags these events
- Lots of advantages in studying this channel on the recoil (nice miss. mass resolution, no B^0 - B^+ crossfeed, direct reconstruction of the hadronic mass)



$D^0 \rightarrow K^- \pi^+$	4%
$\rightarrow K^- \pi^+ \pi^0$	13%
$\rightarrow K^- \pi^+ \pi^+ \pi^-$	7%
$\rightarrow K^- \pi^+ \pi^+ \pi^- \pi^0$	4%
$\rightarrow K_S \pi^0$	1%
$\rightarrow K_S \pi^+ \pi^-$	2%
$\rightarrow K_S \pi^+ \pi^- \pi^0$	4%
Total	35%

$\tau \rightarrow \pi \nu_\tau$	11%
$\rightarrow \rho \nu_\tau$	25%
Total	36%

Perspectives on $B \rightarrow D\tau\nu$

$B^- \rightarrow D^0 \tau \nu_\tau$ reconstruction efficiency

-Full-recon. efficiency is **not** included.

-Total efficiency = 6%

Study by Belle

Background estimation at 3 ab^{-1}

-Signal = 100 ± 10 , BG = 1700 ± 40

(this is with hadronic reconstruction eff. = 0.1% in tag side)

But it could be highly improved:

- more τ modes
- more D decay modes
- higher breco efficiency (0.1% \rightarrow 0.4%)

$B \rightarrow X_u \tau \nu$?

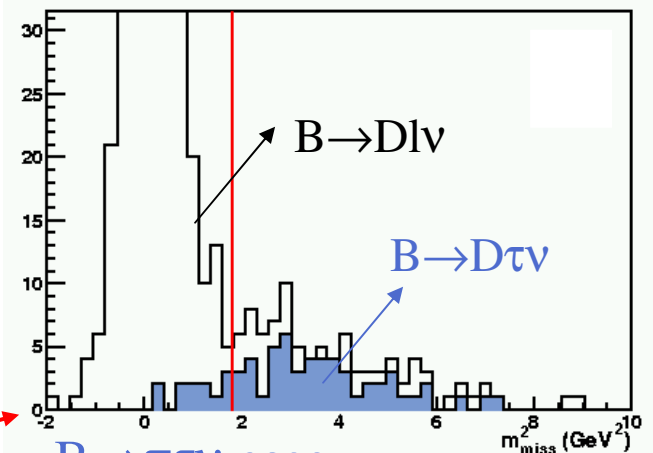
Ok, we can do charm channels but...
what about charmless ones?

$$B \rightarrow X_u \tau \nu$$

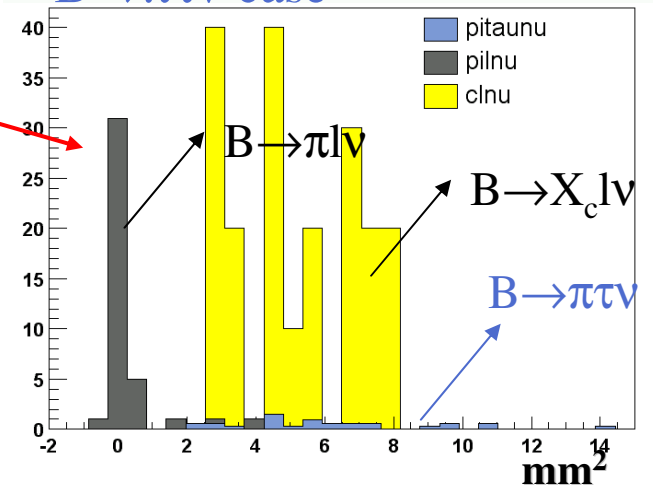
For instance let's take $B \rightarrow \pi \tau \nu$:

- $B \rightarrow \pi l \nu$ can be separated by using missing mass (as for $D \tau \nu$)...
- ... but you are in the $b \rightarrow c l \nu$ bkg region
- It looks very hard but perhaps possible
- Any theoretical interest in this?

$B \rightarrow D l \nu$ case



$B \rightarrow \pi l \nu$ case



Future for Exclusive Measurements

- Exclusive charmless decays look very promising.
- Many new approaches for exclusive charm decays but they could be systematically limited at the time of SuperBaBar.
- $B \rightarrow D\tau\nu_\tau$: feasible. It could be precisely measured with high luminosities
- $B \rightarrow X_u\tau\nu$?