

# Forward-Backward Asymmetry in $B \rightarrow K^* l \bar{l}$

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Oct 22, 2003

# Branching fractions

- Both BABAR and Belle has presented new Br Fr meas.:

BABAR:

$$Br(B \rightarrow K^* l^+ l^-) = (0.88 \pm 0.31 \pm 0.10) \times 10^{-6}$$

$$Br(B \rightarrow Kl^+ l^-) = (0.65 \pm 0.14 \pm 0.04) \times 10^{-6}$$

Belle:

$$Br(B \rightarrow K^* l^+ l^-) = (1.15 \pm 0.25 \pm 0.08 \pm 0.02) \times 10^{-6}$$

$$Br(B \rightarrow Kl^+ l^-) = (0.48 \pm 0.10 \pm 0.03 \pm 0.01) \times 10^{-6}$$

Average:

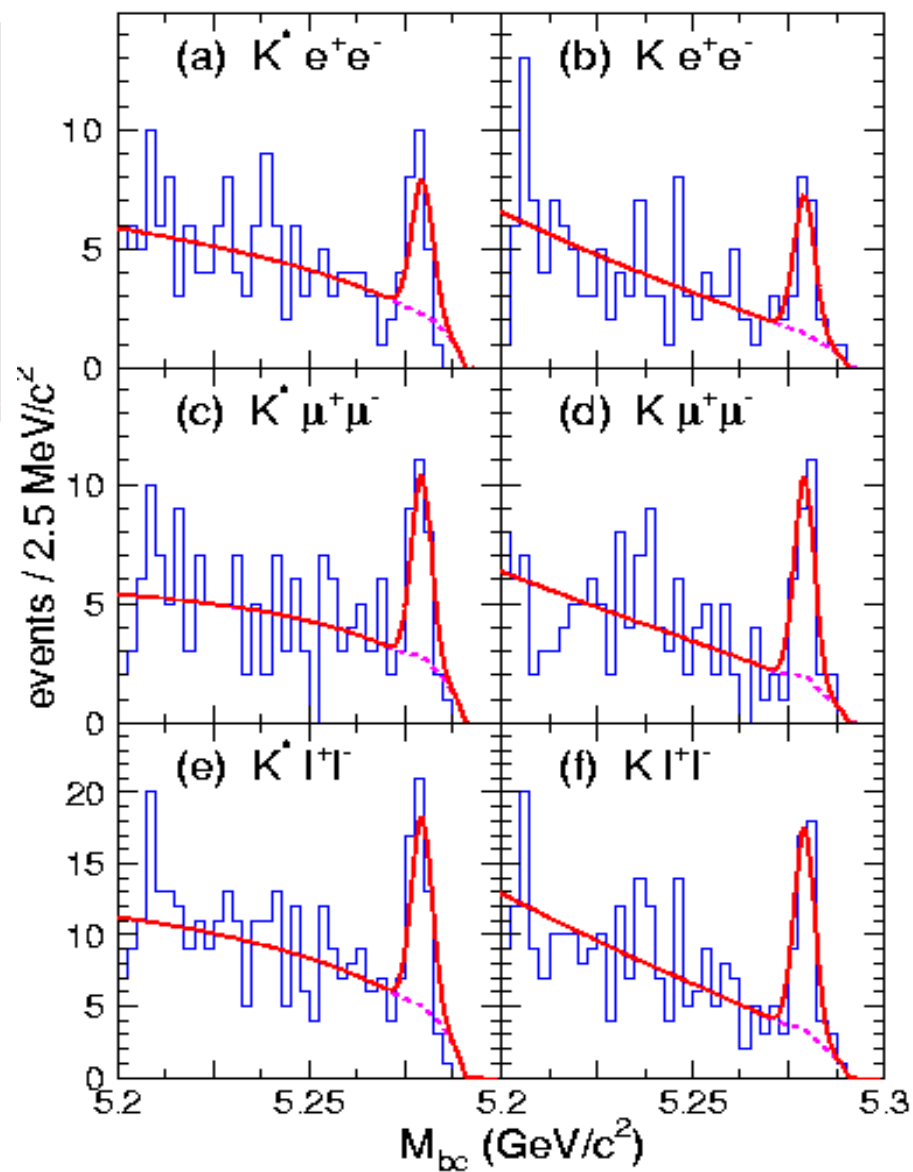
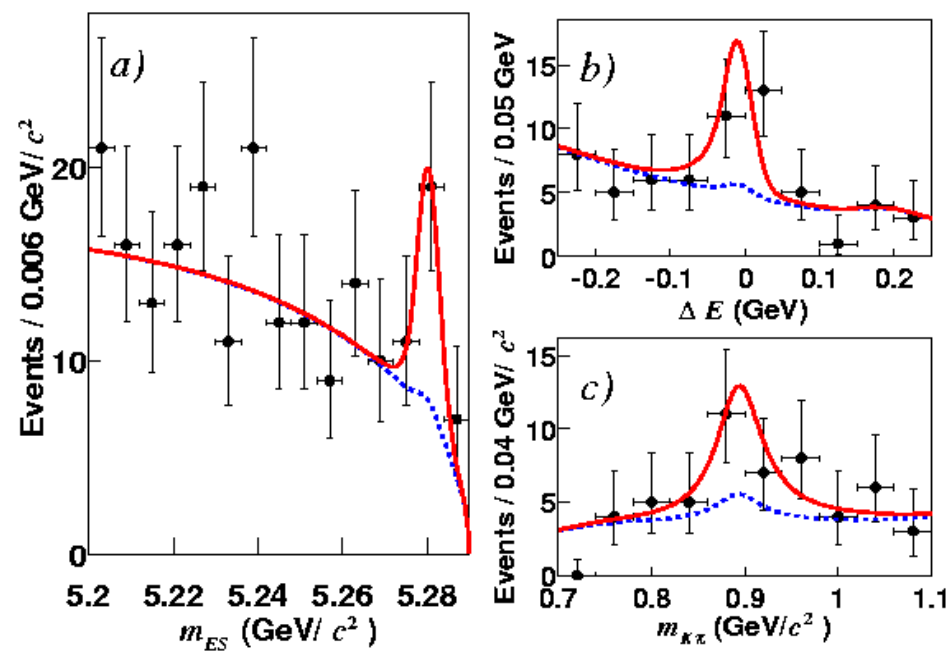
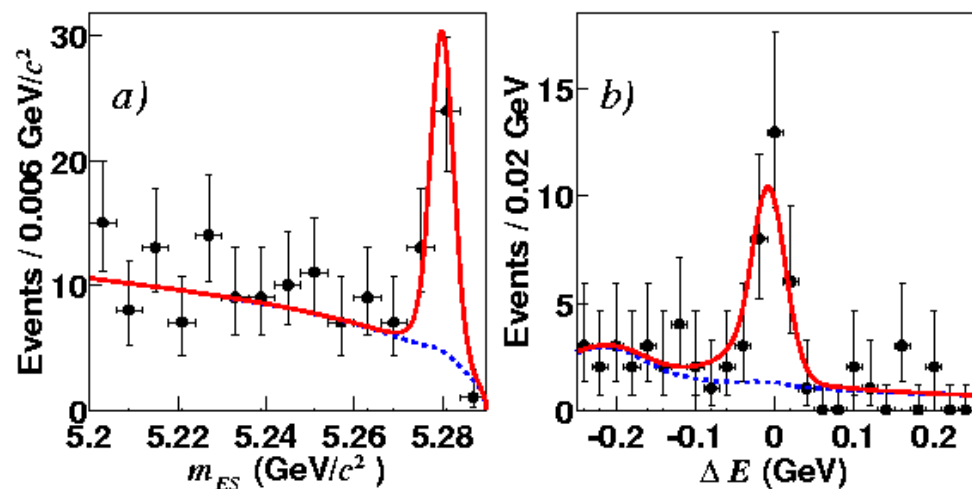
$$Br(B \rightarrow K^* l^+ l^-) = (1.04 \pm 0.204) \times 10^{-6}$$

$$Br(B \rightarrow Kl^+ l^-) = (0.54 \pm 0.08) \times 10^{-6}$$

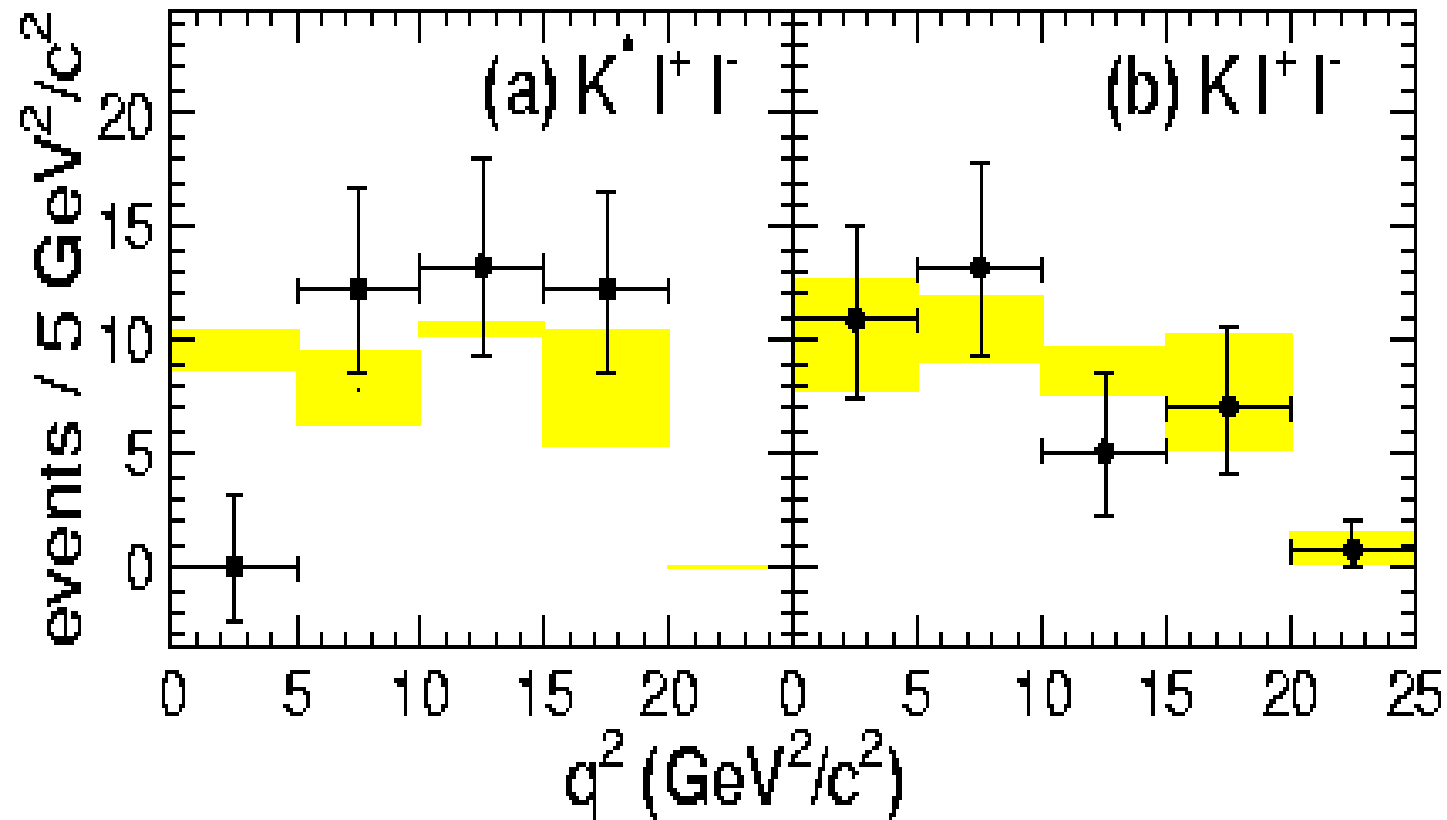
# K(\*)ll signals

BABAR (121/fb)

Belle (140/fb)



# Belle q2 distributions



# Model predictions

Authors	$\mathcal{B}(B \rightarrow K l^+ l^-)$ /10 <sup>-6</sup>	$\mathcal{B}(B \rightarrow K^* \mu^+ \mu^-)$ /10 <sup>-6</sup>	$\mathcal{B}(B \rightarrow K^* e^+ e^-)$ /10 <sup>-6</sup>
Ali <i>et al.</i> (2000)	0.57 <sup>+0.17</sup> <sub>-0.10</sub>	1.9 <sup>+0.5</sup> <sub>-0.4</sub>	2.3 <sup>+0.7</sup> <sub>-0.5</sub>
Ali <i>et al.</i> (2001) [NNLO]	0.35 ± 0.12	1.19 ± 0.39	1.58 ± 0.49
Aliev <i>et al.</i> (1997)	0.31 ± 0.09	1.4	
Colangelo <i>et al.</i> (1996)	0.3	1.0	
Faessler <i>et al.</i> (2002)	0.55	0.81	
Geng and Kao (1996)	0.5	1.4	
Melikhov <i>et al.</i> (1998)	0.44	1.15	1.50
Zhong <i>et al.</i> (2002)	0.69 <sup>+0.28</sup> <sub>-0.25</sub>	1.98 <sup>+0.66</sup> <sub>-0.71</sub>	2.01 <sup>+0.65</sup> <sub>-0.73</sub>

- $\mathcal{B}(B \rightarrow K l^+ l^-) =$   
 $(0.35 \pm 0.11(\text{form fac.}) \pm 0.04(\mu_b) \pm 0.02(m_{t,\text{pole}}) \pm 0.0005(m_c/m_b)) \times 10^{-6}$   
 [Ali, Lunghi, Greub, Hiller, hep-ph/0112300, 2001]

# Some Assumptions

- Study based on full G4 BABAR MC (SP4/SP5)
- Selection criteria are same as in published result:
- I assumed the following branching fractions

$$Br(B \rightarrow K^* e^+ e^-) = 1.4 \times 10^{-6}$$

$$Br(B \rightarrow K^* \mu^+ \mu^-) = 1.0 \times 10^{-6}$$

- Per 1/ab we produce 1,500 K\*ee and 1,100 K\*mm events
- With the signal efficiencies of 14%(K\*0ee) and 6%(K\*0mm) we would reconstruct **140** K\*ee events and 44 K\*mm events per 1/ab. (Includes 2/3 for K\*)
- However, the muon efficiency should be better as BABAR has problems with the muon system. Hence, I will use 10% which gives **73** events per 1/ab. (Belle infact has a higher efficiency for the muons than electrons).
- Can gain some statistics using the K\*+ modes.

# Lepton forward-backward asymmetry

$$\bar{B} \rightarrow K^* \mu^+ \mu^-$$

$q^2$

$\cos \theta = -1$

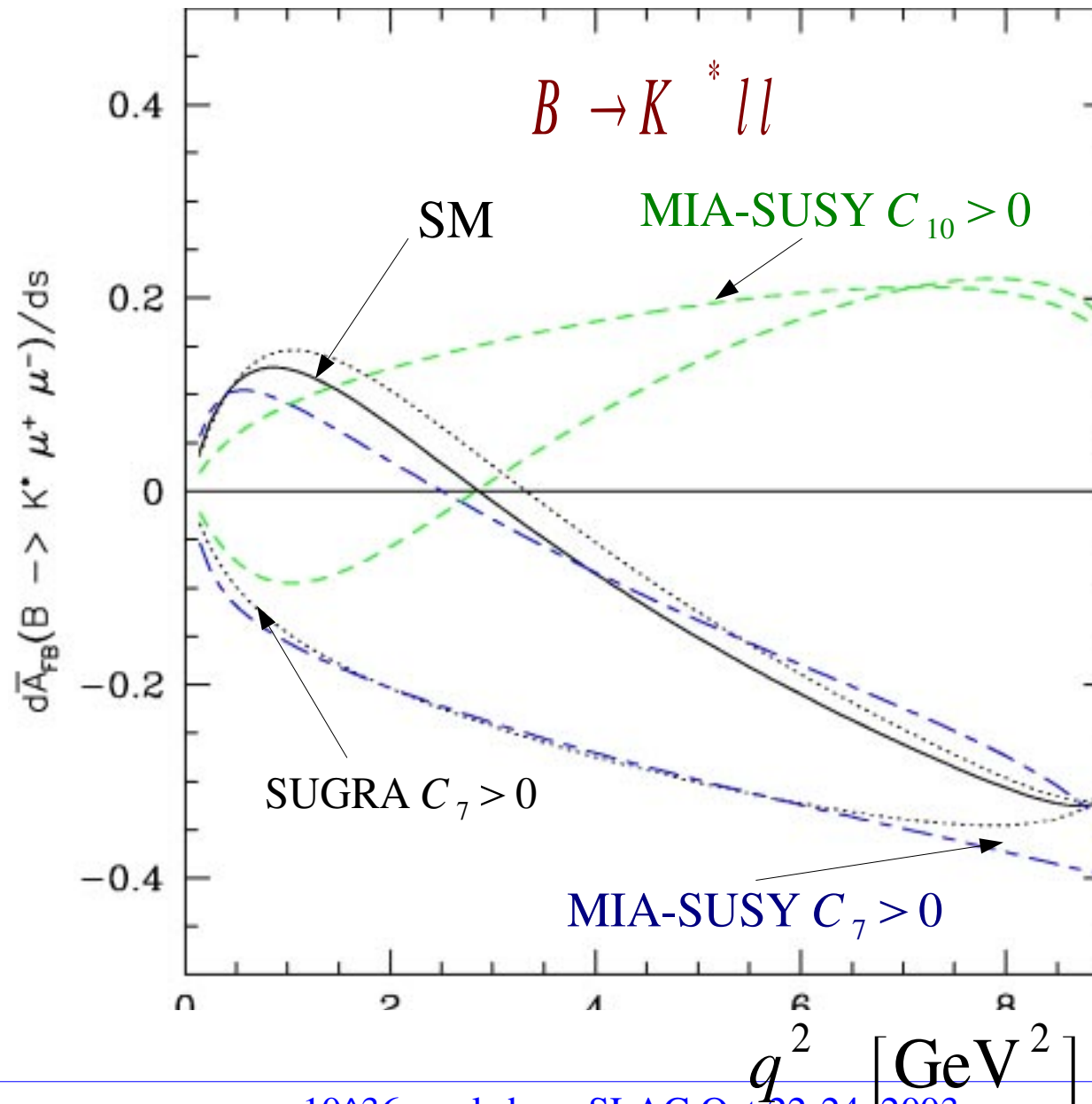


$\cos \theta = +1$

$$\frac{d\Gamma}{d\cos\theta} \propto 1 + a \cos\theta + b \cos^2\theta$$

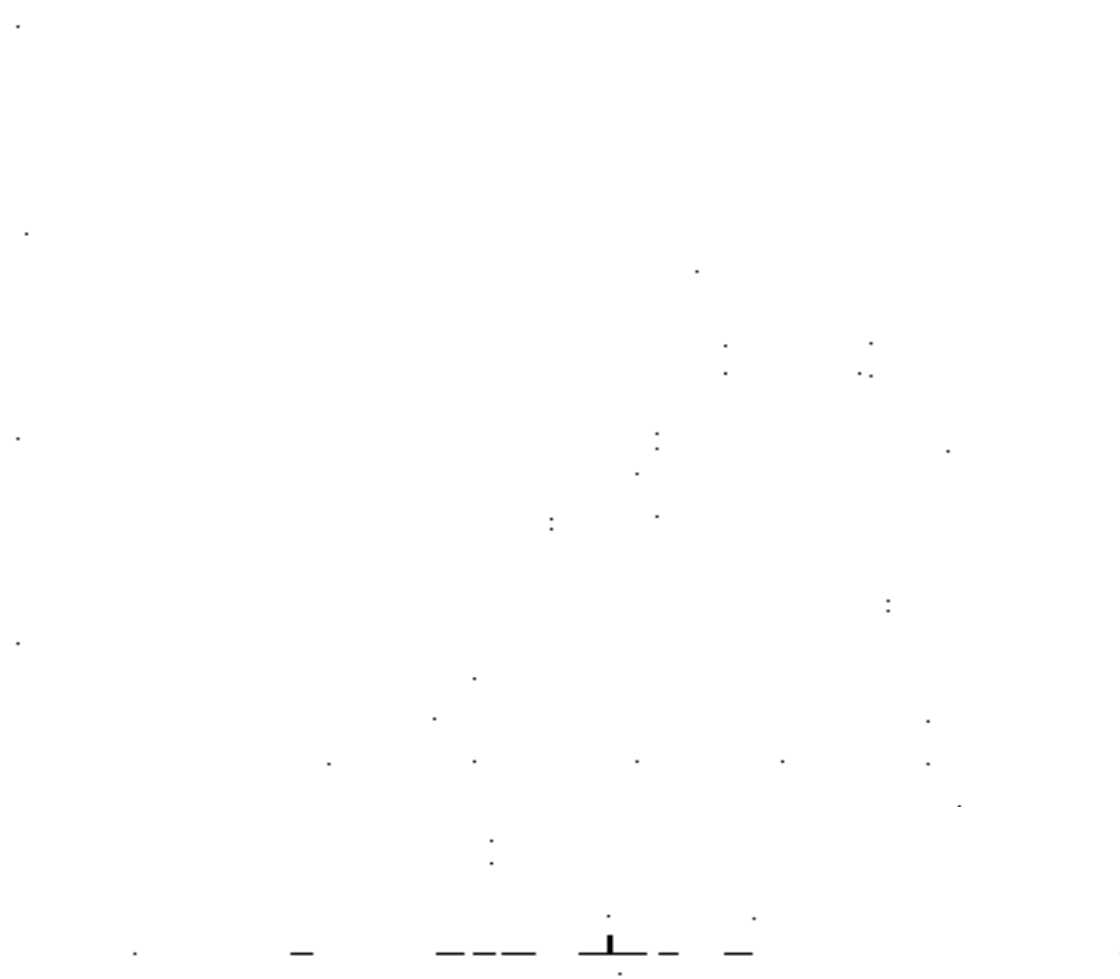
$E_{l^-}$

# Lepton forward-backward asymmetry

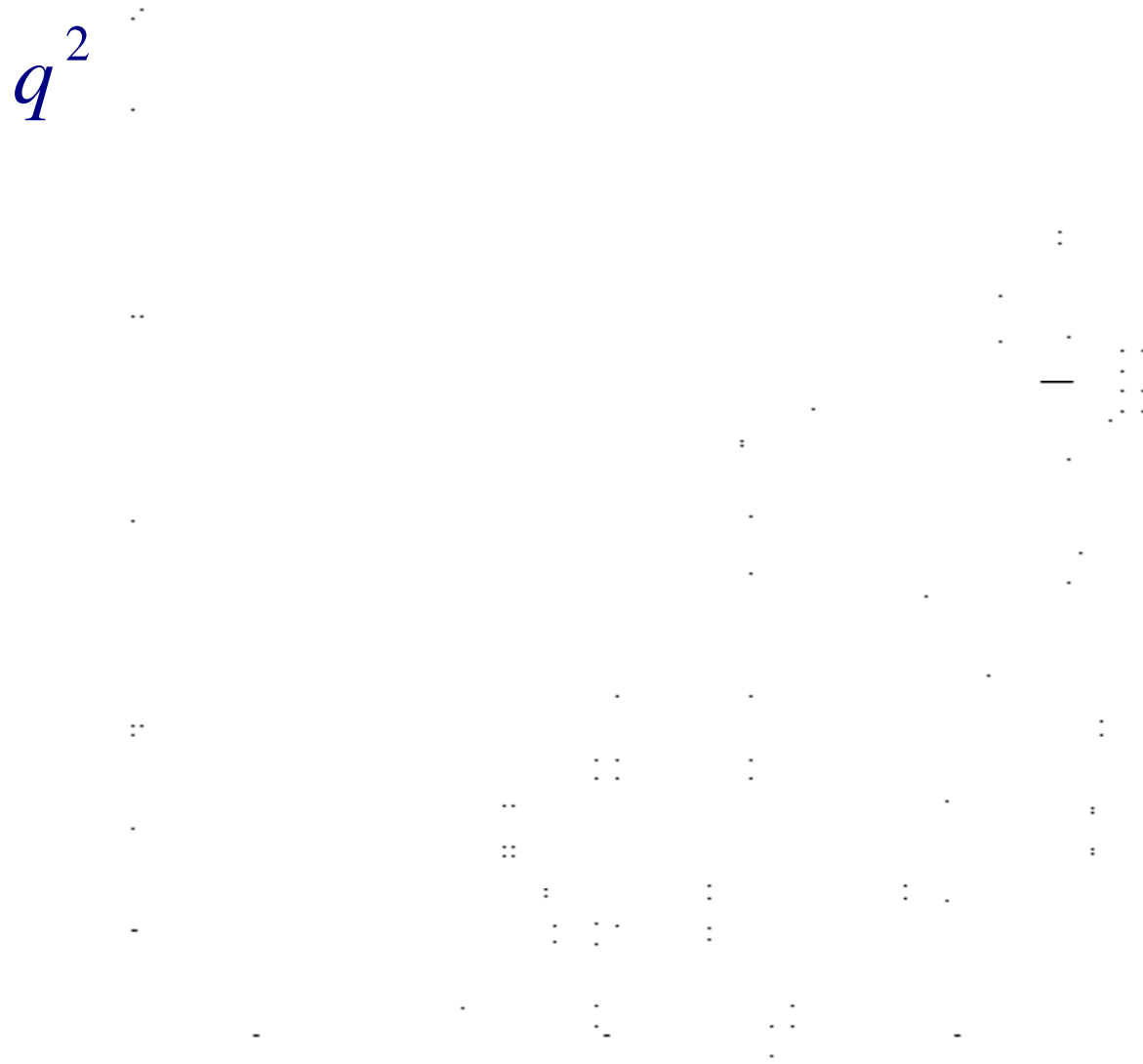


# Accepted events $K^*ee$

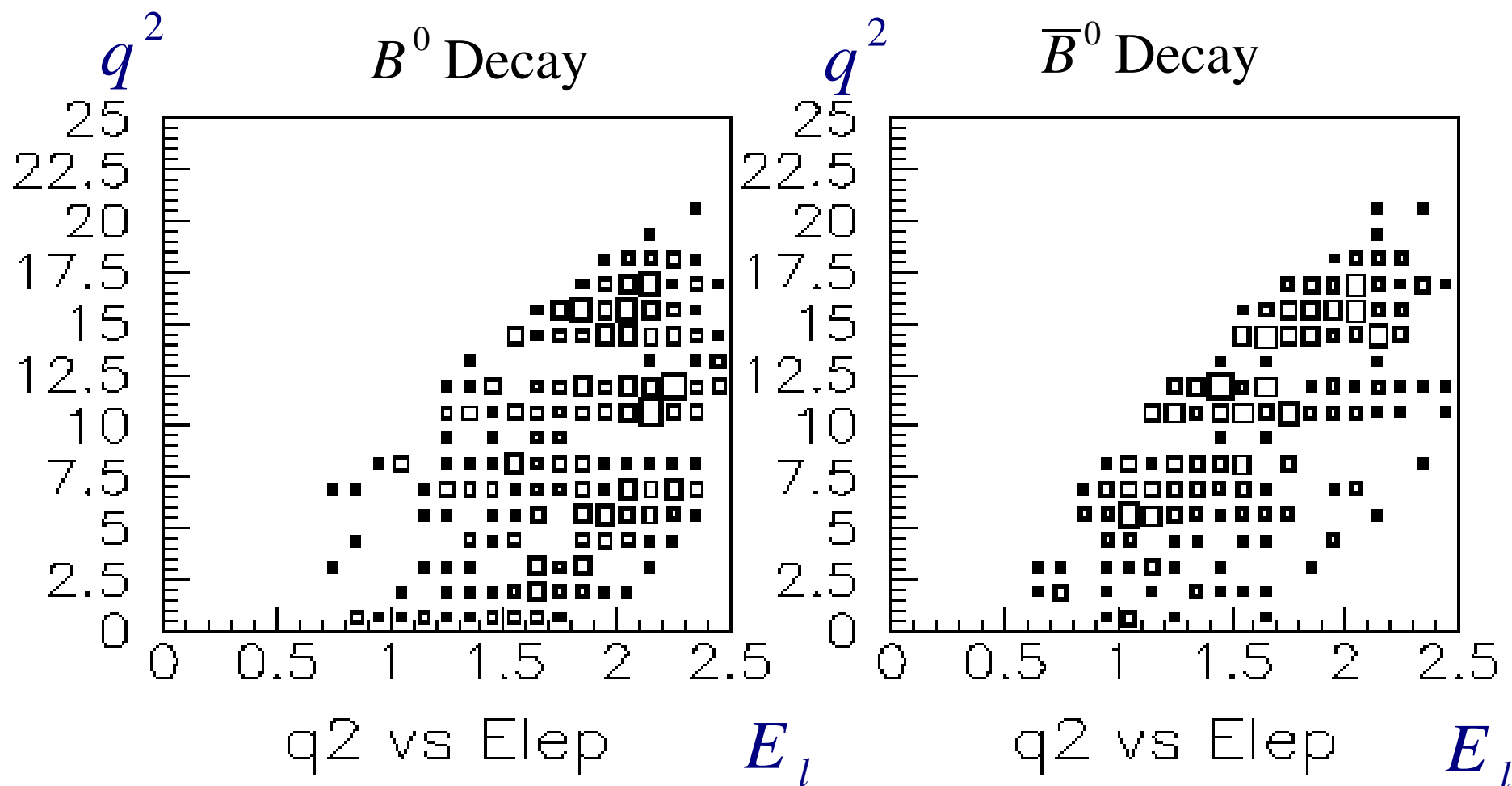
$q^2$



# Accepted events $K^*mm$

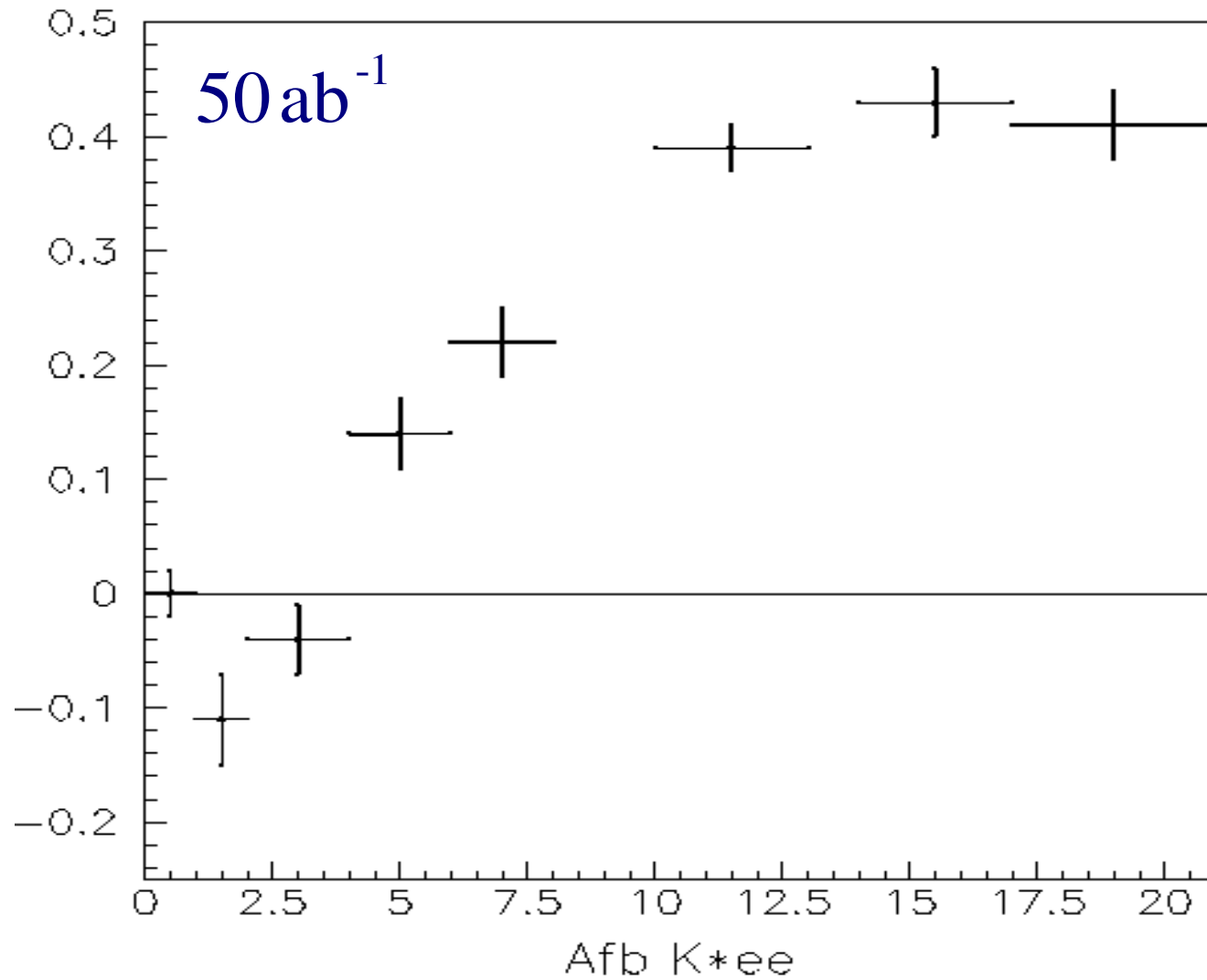


# BB backgrounds in $K^*ee$

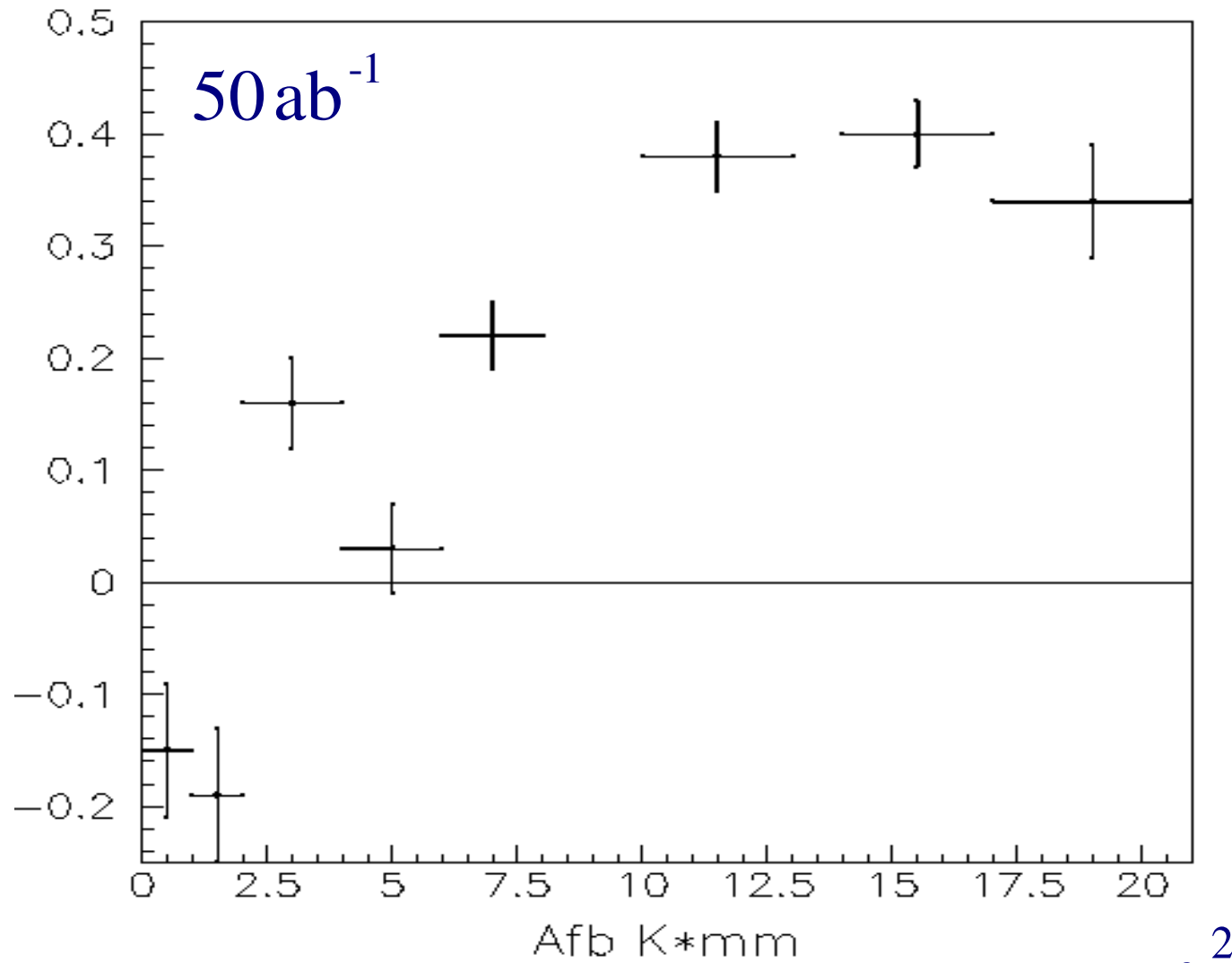


Asymmetric BB backgrounds, should not be a problem as it does not peak

# $A_{FB}$ in $K^*ee$ 50/ab



# $A_{FB}$ in $K^* \text{mm}$ 50/ab



# Conclusions

- Will reconstruct about 1400  $K^*ee$  events per year (10/ab)
  - or 7000 events in 50/ab.
  - LHCb would record 8000 events per year.
- This allows a measurement of the 0 of  $A_{FB}$  in  $K^*ee$ 
  - Muon modes have a hard time measuring the zero due to acceptance of low momentum muon identification.