

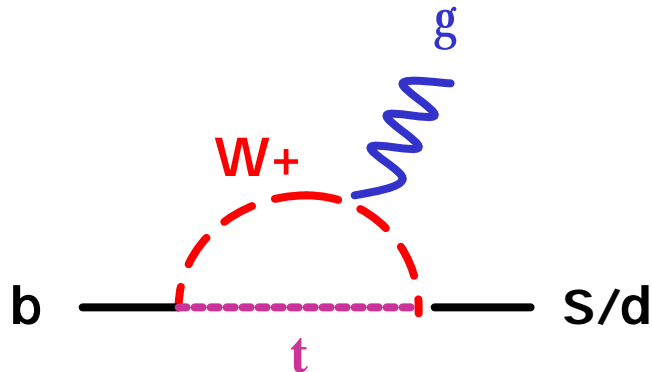
Inclusive Penguins for SuperBB

Colin Jessop
Mark Convery, Jim Libby

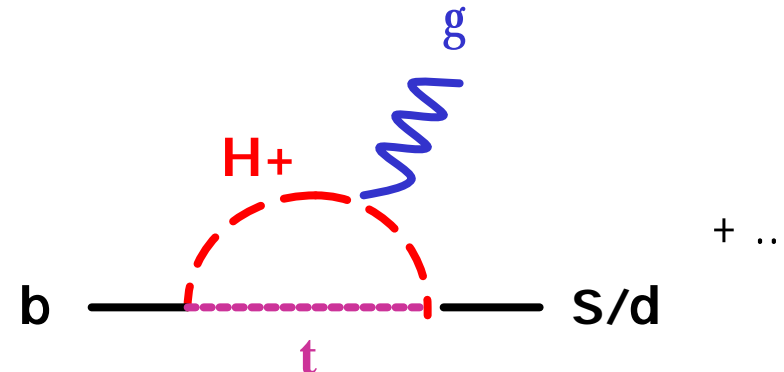
Motivation: New Physics

If SUSY exact $B(b \rightarrow s\gamma) = 0$

Standard Model



SUSY



New Physics enters at same order (1-loop) as Standard Model

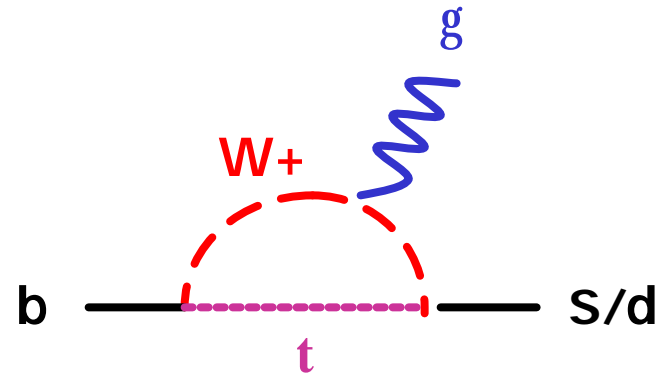
Sensitive to many models - Over 500 papers written

Photon Spectrum is also useful for HQET parameters

Measurements

Exclusive: $B(B \rightarrow K^* \gamma)$
 $B(B \rightarrow \rho, \omega \gamma)$

(see Mark Convery talk)



Inclusive: $B(B \rightarrow X s \gamma)$ $B(B \rightarrow X d \gamma)$ $A_{CP}(B \rightarrow X s \gamma)$

General Considerations

1 ab⁻¹ of BaBar by 2009 and 0-1 year of LHC

or

10,50 ab⁻¹ SuperBaBar by 2012,16 versus 3,8 years of LHC

1. Super-BaBar must be competitive or at least complementary in the LHC era

2. Need to consider competition from direct searches (CMS/ATLAS) for new physics

3. Need to keep in mind practical theory limitations

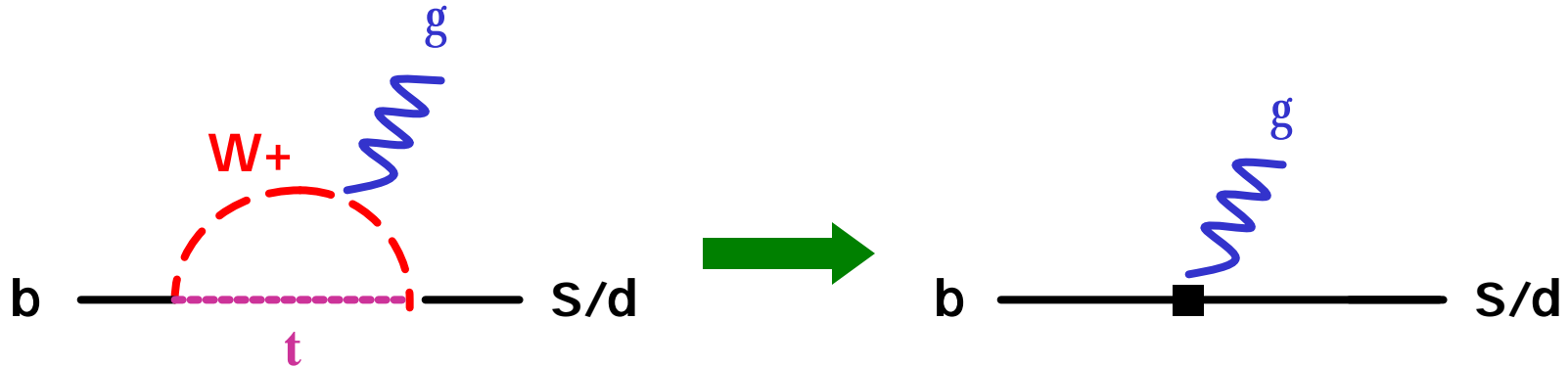
4. Need to think whether there are new analysis possible at SuperBB
- not just extrapolate our current work

General Considerations

	Exclusive		Inclusive
Mode (#Events in $\sim 1\text{ab}^{-1}$)	$B \rightarrow K^* \gamma$ ~ 10000	$B \rightarrow \rho/\omega \gamma$ ~ 100	$B \rightarrow Xs \gamma$ ~ 100000
Backgrounds	Small	Large	Large
Theory Uncertainty	Large 30-50%	Medium (in ratio) 15%	Small 10%

Penguin Theory - OPE

$$H_{eff} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{ts} \sum_{i=1}^{10} C_i(\mathbf{m}) Q_i(\mathbf{m})$$



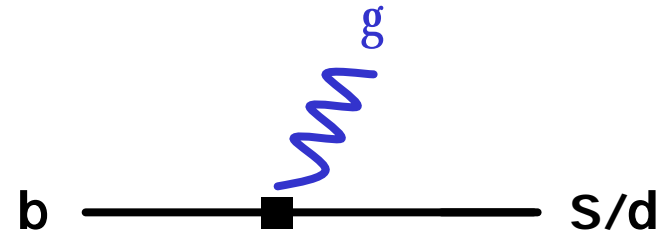
C_i : Wilson Coefficients – contains short distance (high energy) perturbative component. New physics enters here.

Q_i : Local Operators – contains long distance (lowenergy) non-perturbative component

μ (renormalization) scale dependence cancels in C and Q

Matrix Elements

$$H_{eff} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{ts} \sum_{i=1}^{10} C_i(\mathbf{m}) Q_i(\mathbf{m})$$



$\langle X|Q|B\rangle$ are long distance (low-energy) non-perturbative component

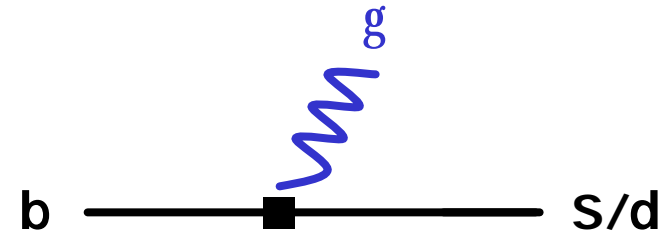
If X is exclusive state e.g. $|K^*\gamma\rangle$ two possibilities

1. **Lattice QCD**: Lattice spacing \gg compton wavelength of $b \rightarrow$ Large errors
2. QCD sum rules: Relates resonances to vacuum structure of QCD

Neither approach gives precise reliable estimates – limits exclusive physics

Inclusive Matrix Elements

$$H_{eff} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{ts} \sum_{i=1}^{10} C_i(\mathbf{m}) Q_i(\mathbf{m})$$



If X is an inclusive state

$$\langle X | Q | B \rangle = 1 + \mathcal{O}\left(\frac{1}{m_b}\right) + \mathcal{O}\left(\frac{1}{m_b^2}\right) + \dots$$

An arrow points from the $\frac{1}{m_b}$ term to a '0' below it, indicating that this term is zero.

Leading term is short distance quark contribution and non-perturbative effects appears at $1/m_b^2$ -i.e ($\mathcal{O}(1\%)$) corrections

Non-perturbative corrections are parameterized by HQET parameters

$\Gamma(B \rightarrow X_s \gamma)$

$$\Gamma(B \rightarrow X_s \mathbf{g}) = \Gamma(b \rightarrow s \mathbf{g}) + \Delta^{\text{non-pert}}$$

$$\Delta^{\text{non-pert}} = +4\% \text{ correction}$$

Fully Inclusive Analysis can relate to parton level calculation

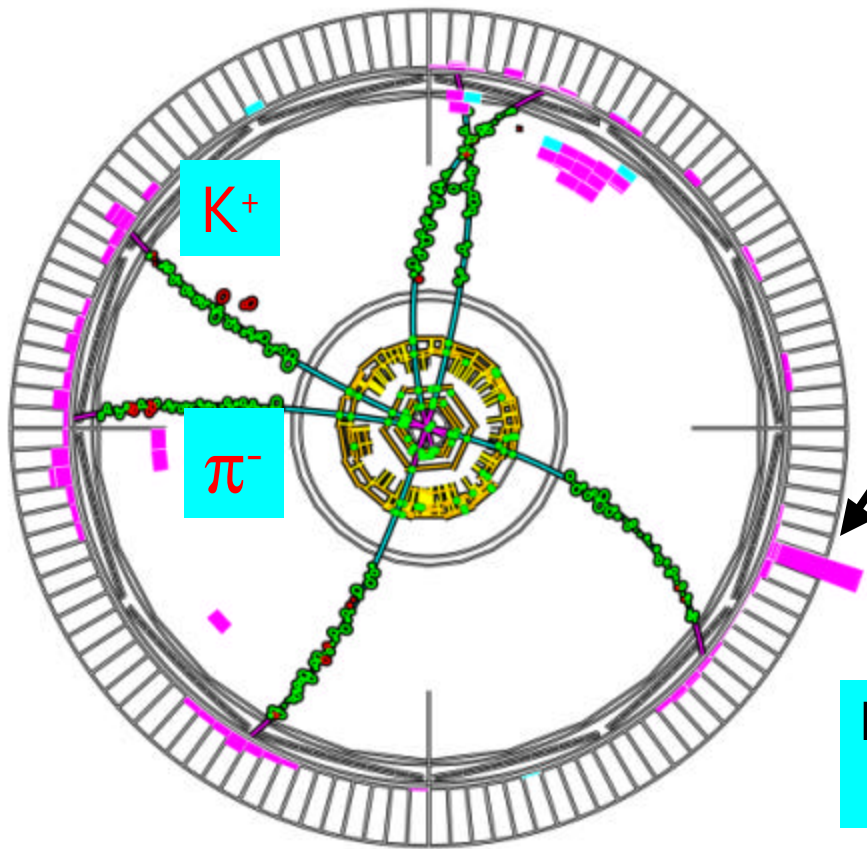
$\Gamma(b \rightarrow s \mathbf{g})$ Predicted to 10% error at NLO

$$\text{Br}(b \rightarrow s \gamma) = 3.57 \pm 0.30 \times 10^{-4}$$

Optimism that at 5% NNLO prediction may be possible by ~ 2006

$B \rightarrow K^* \gamma$

$B ? K^*(K^+ \pi^-) \gamma$

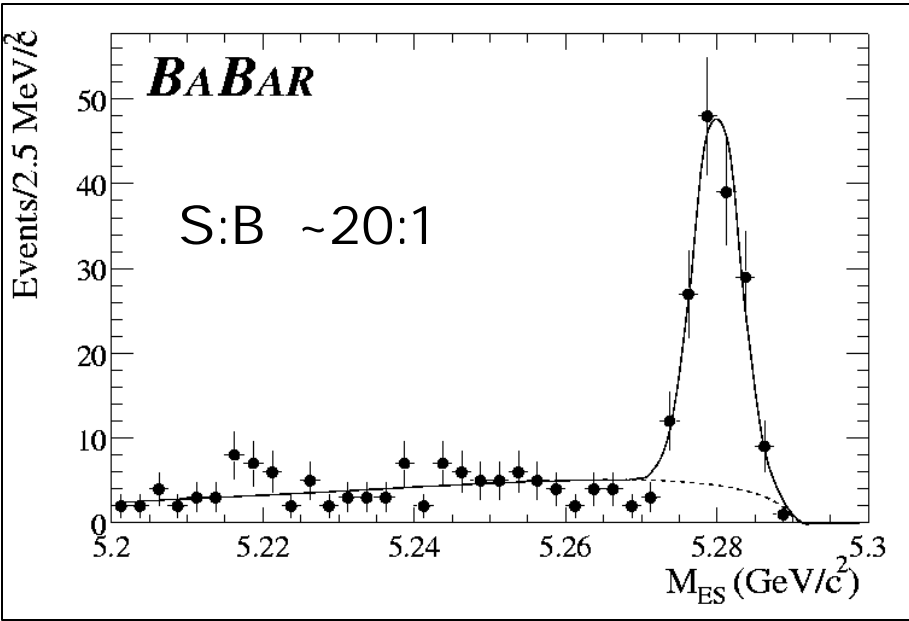


Distinctive High Energy Photon
In Crystal calorimeter

Particle ID from Cerenkov Detector
is a powerful tool for K^+/π^+ selection

B(B → K* γ)

	$B(B \rightarrow K^{0*} \gamma) \times 10^{-5}$	$B(B \rightarrow K^{*+} \gamma) \times 10^{-5}$
Measured	4.23 ± 0.40(stat) + 0.22(sys)	3.83 ± 0.62(stat) ± 0.22(sys)
Predicted	7.5 ± 3.0	7.5 ± 3.0



Luminosity (ab ⁻¹)	Precision (%)
0.02	10
1.0	1.5
10.0	0.5

Similar Precision on A_{CP} and A₀

LHCb can measure to 1% in 1 year with S:B ~1:1

CPV in $B \rightarrow K^* \gamma$

$$A_{CP} = \frac{N(\bar{B}^0 \rightarrow \bar{K}^{*0} \gamma) - N(B^0 \rightarrow K^{*0} \gamma)}{N(\bar{B}^0 \rightarrow \bar{K}^{*0} \gamma) + N(B^0 \rightarrow K^{*0} \gamma)}$$

In SM < 1% upto 10 % in MSSM (non MFV)

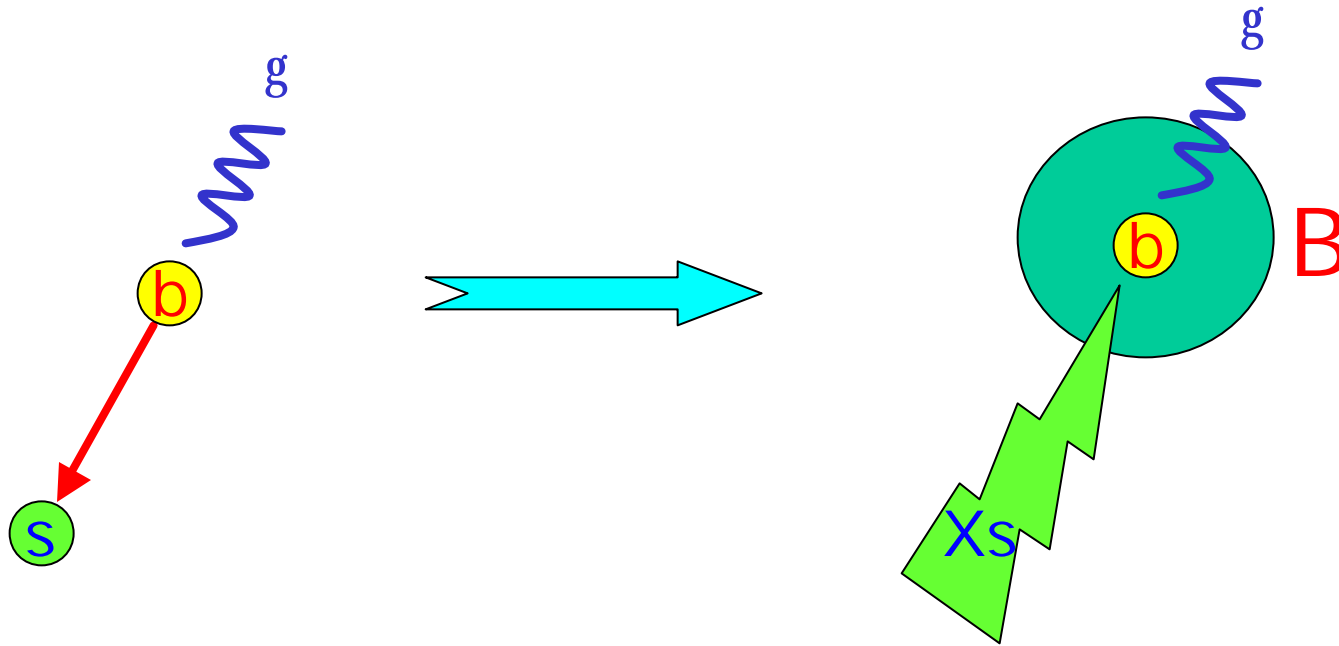
Current BaBar should eliminate interesting region. ~ 0.01

$B \rightarrow K^* \gamma$ is probably only EM penguin measurement that LHCb can do reasonably well

Note that for SuperBB we would need to get Detector CPV faking effects understood to ~0.1 % level

Inclusive $B \rightarrow X_s \gamma$

HQET: Quark-Hadron Duality $B(b \rightarrow s \gamma) = B(B \rightarrow X_s \gamma)$

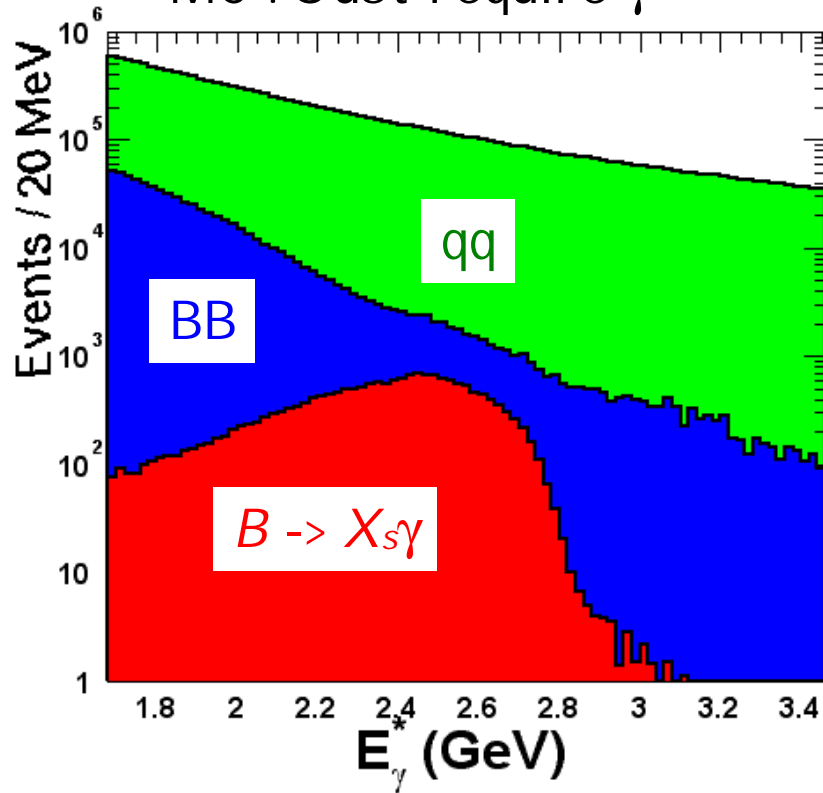


Theory: NLO $B(B \rightarrow X_s \gamma) = 3.57 \pm 0.30 \times 10^{-4}$ (hep-ph/0207131)

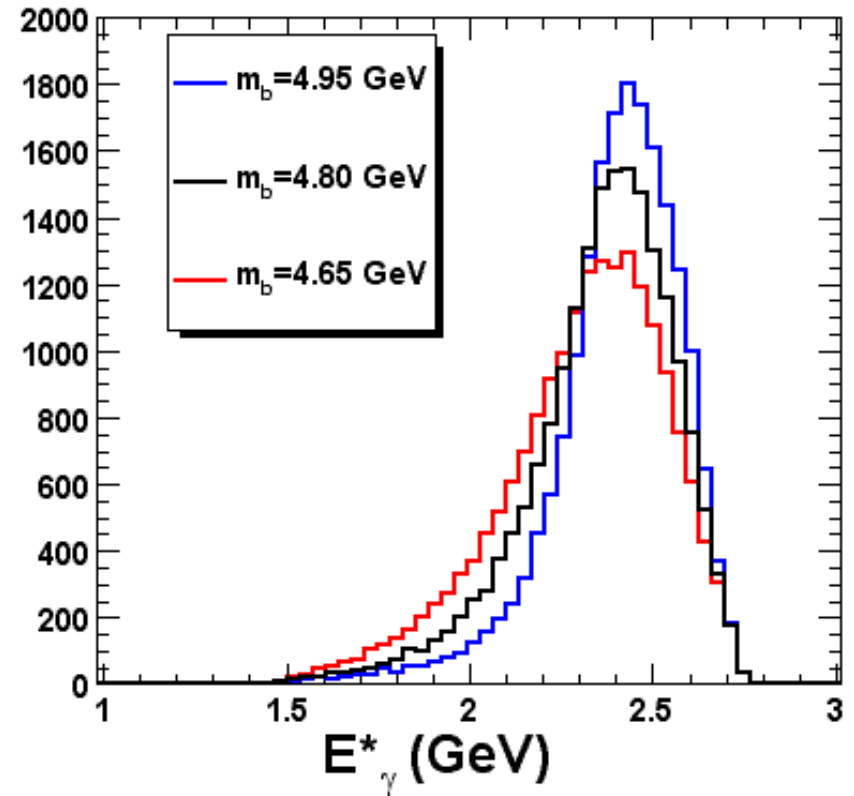
Phenomenological models of E_{γ} spectrum parameterized in m_b and $\mathbf{1}$.
(hep-ph/9805303) and of X_s fragmentation (JETSET) (hep-ph950891)

Experimental Challenge

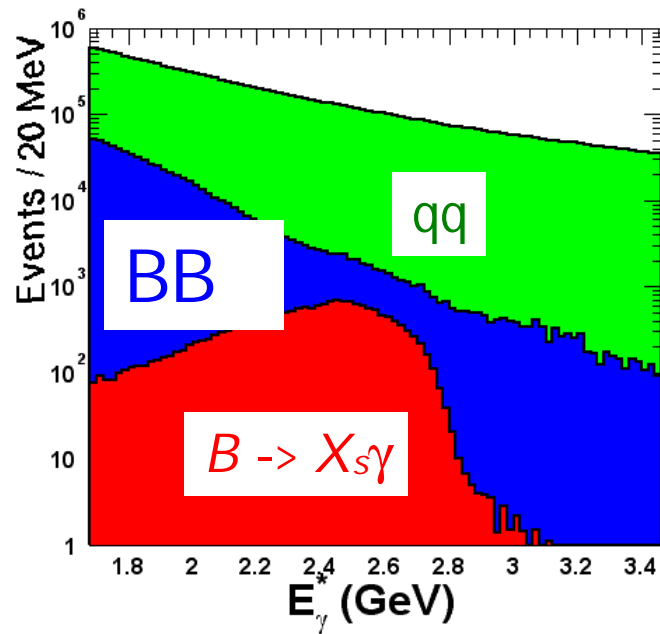
MC : Just require γ



γ Model Dependence



To reduce large backgrounds without cutting on γ or X_s
i.e a fully inclusive measurement



If require just γ bkg. $\sim 10^3$.Sig.

Challenge is to reduce bkg while
Minimizing stat.+sys.+model errors

Two approaches:

	<i>Semi-Inclusive</i>	<i>Fully Inclusive</i>
<i>Background Rejection</i>	<i>S(Exclusive States)</i>	<i>Lepton tags</i>
<i>Efficiency</i>	3%	1%
<i>Fraction of Xs states:</i>	50%	100%
<i>qq bkg estimation</i>	<i>Sideband subtraction</i>	<i>Off-resonance data</i>
<i>BB bkg estimation</i>	<i>Monte Carlo</i>	<i>M. Carlo - data validated</i>
<i>X-feed bkg estimation</i>	<i>Monte Carlo</i>	<i>No X-feed</i>
<i>Spectral Resolution</i>	<i>DMxs ~ 5 MeV</i>	<i>DE ~ 100 MeV</i>
<i>Model Dependence</i>	<i>Xs, K*/Xs, Mxs cut</i>	<i>Eg</i>

LHC/BTeV vs BaBar

At LHC/BTeV may be able to use semi-inclusive technique (I'm sceptical !) but is highly susceptible to biases and Not fully inclusive

At BaBar and SuperBaBar can use fully inclusive techniques

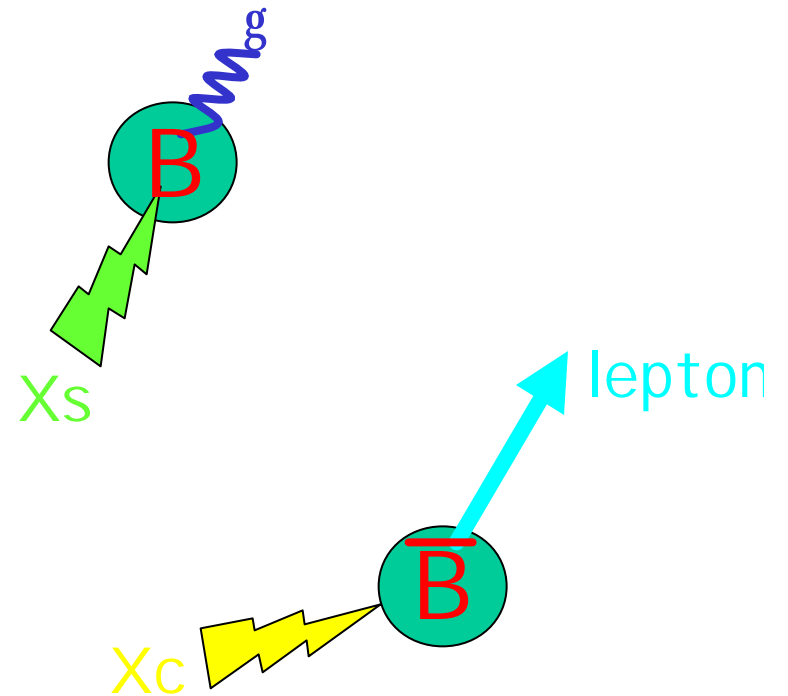
Inclusive B-Decay measurements can be done uniquely well in e^+e^- environment

Fully Inclusive $B \rightarrow X_s \gamma$

(Eisner, Schmitz, Walsh, Bucci, Brown, Libby, Veysi, Jessop)

Use lepton tags

Example of different analysis technique
Possible at high luminosity



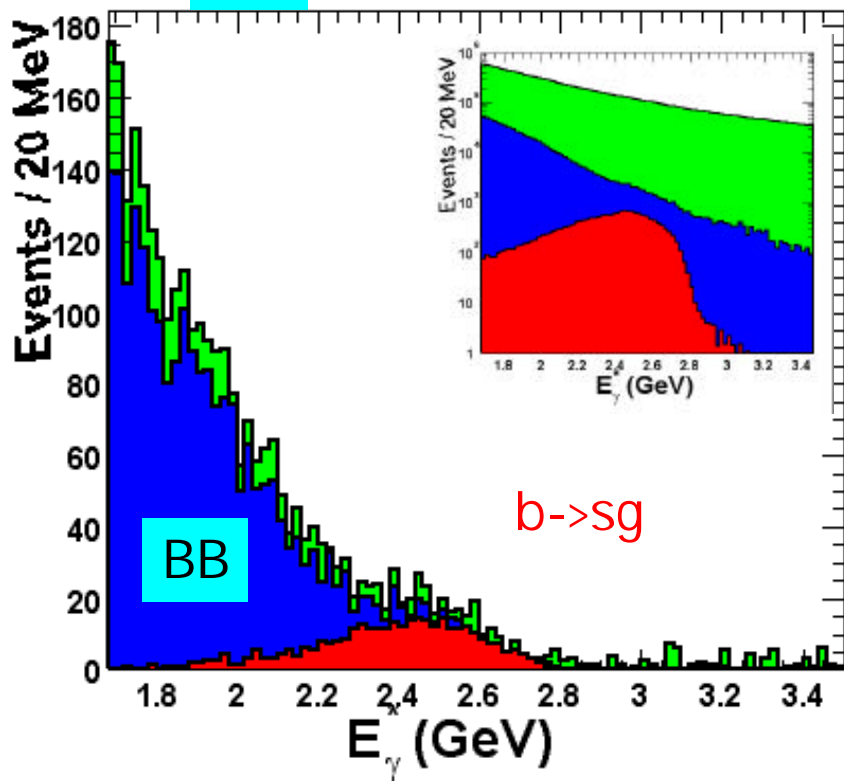
5% Efficiency for $\times 1200$ reduction in background

The tag is uncorrelated with signal B so no model dependence

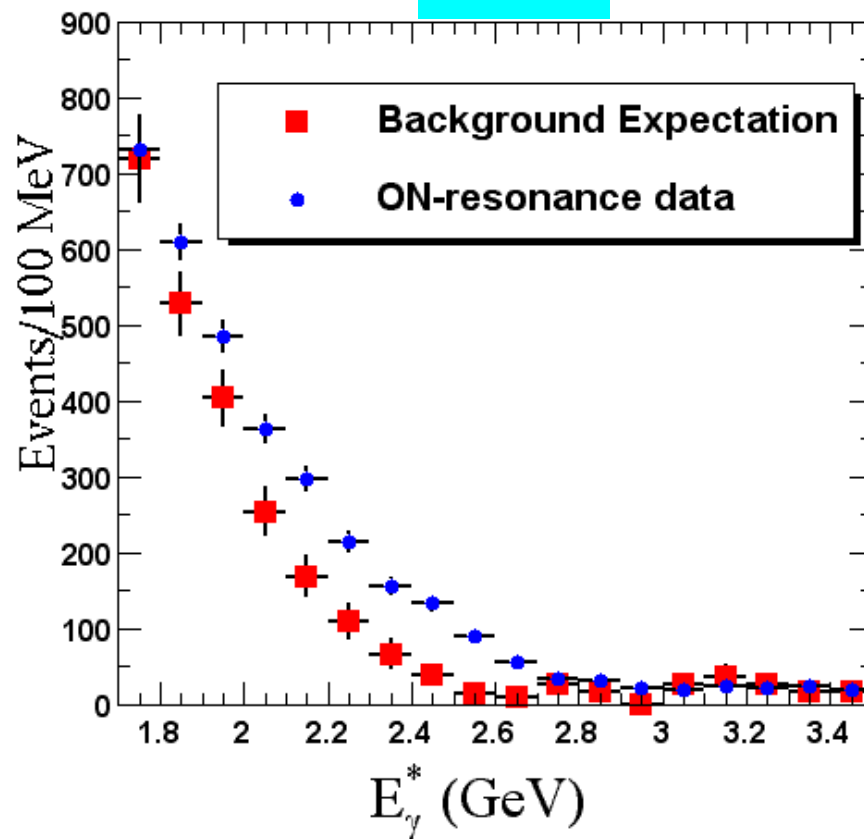
$B(B \rightarrow X_s \gamma)$

61×10^6 BB (54.6 fb^{-1})

MC



DATA



Signal Region $2.1 < E_\gamma < 2.7 \text{ GeV}$

$$B(B \rightarrow X_s \gamma) = 3.88 \pm 0.36(\text{stat.}) \pm 0.37(\text{sys.}) + 0.43 / -0.28 (\text{Model}) \times 10^{-4}$$

Errors

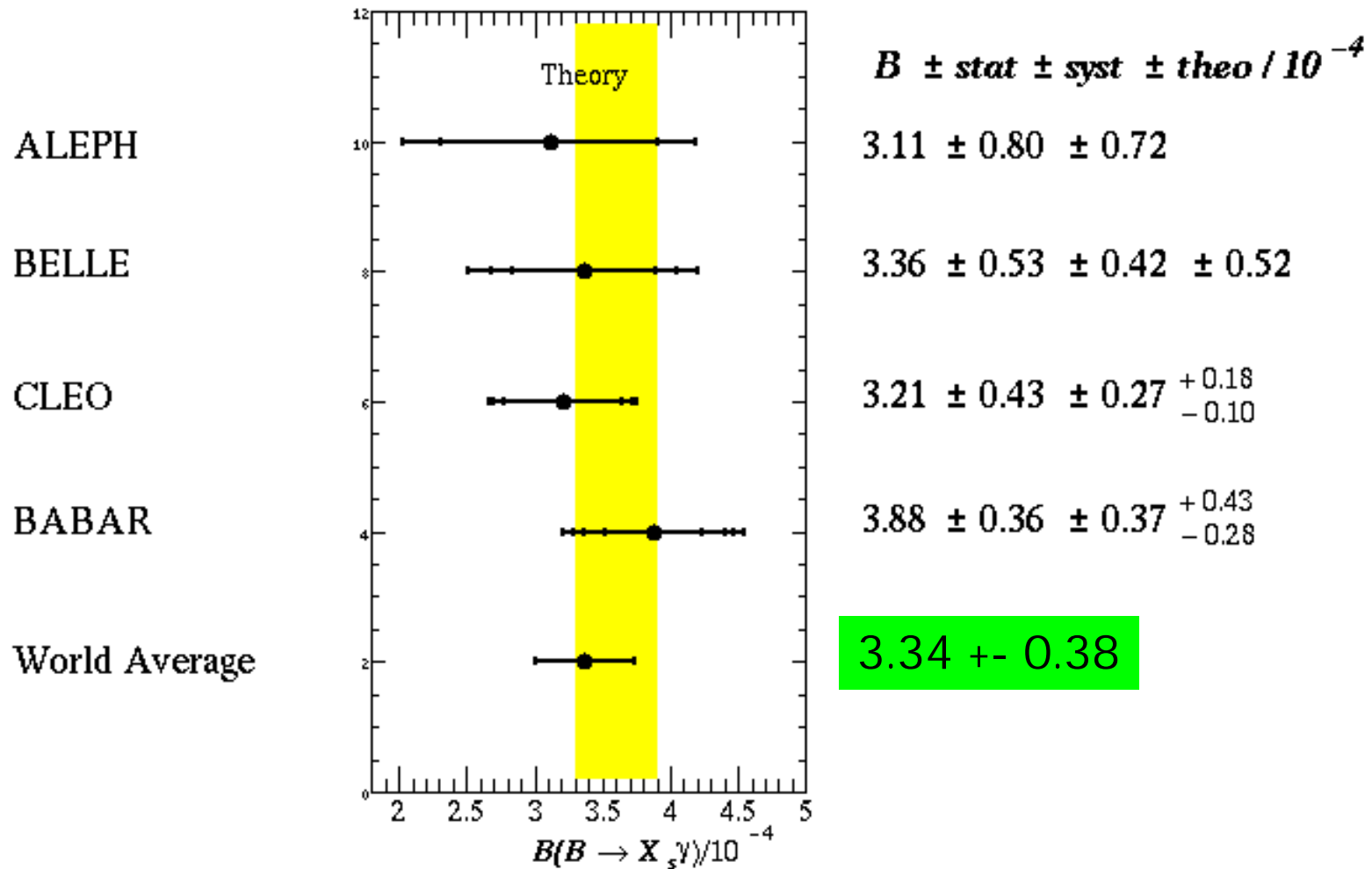
Statistical	9.1 %	Luminosity (On and off resonance)
Systematic	9.4%	Monte Carlo Modelling of BB background
Model	+6 % -11 %	Extrapolation below 2.1 GeV

Extrapolation

Lumi qb-1	Stat %	Sys %	Model %	Total %
0.05 (2002)	9.2	9.4	8.5	15.8
0.1 (now)	7.6	6.4	5.0	11.2
0.5 (2005)	3.1	3.0	5.0	6.6
10.0	0.5	0.5	2.0	2.1

An educated guess, assuming improvements in understanding BB Background and photon systematics (but not improvements in purity)

Br(B → X_sγ)



Theory: Gambino & Misiak:

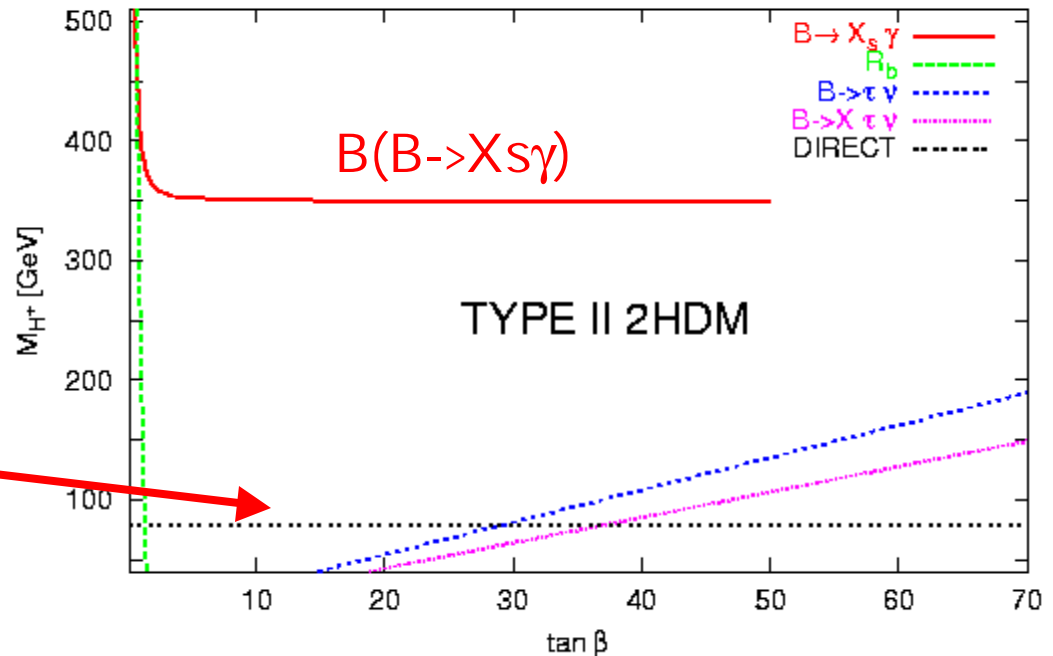
World Average: C.J.

Constraints from $B(B \rightarrow X_s \gamma)$

(from Gambino & Misiak)

e.g Constraint on Charged Higgs in two Higgs Doublet Model

(I.e MSSM type Higgs)



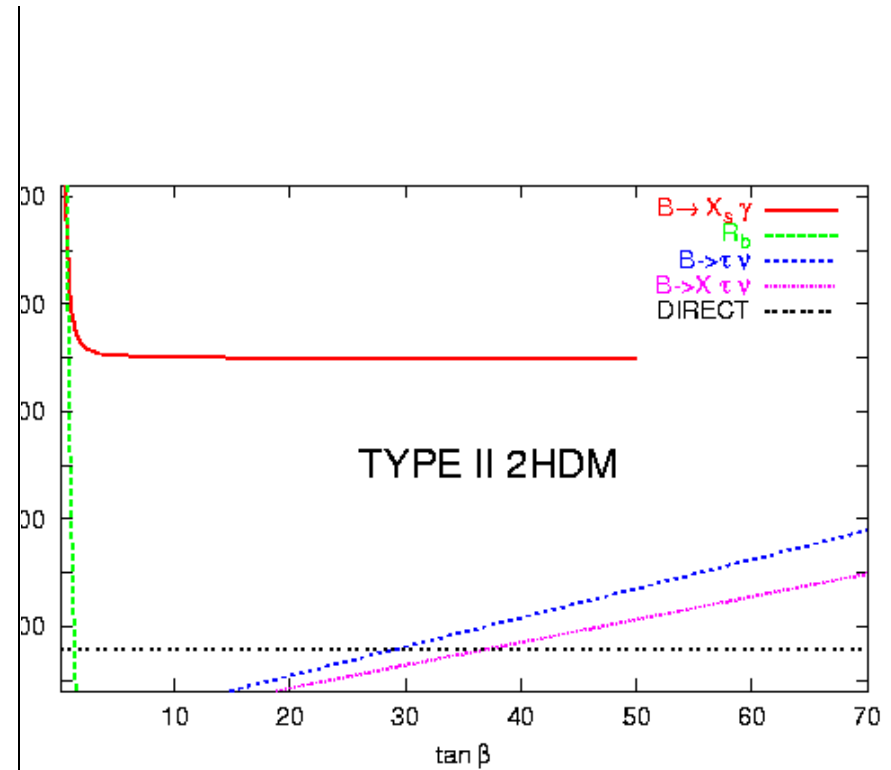
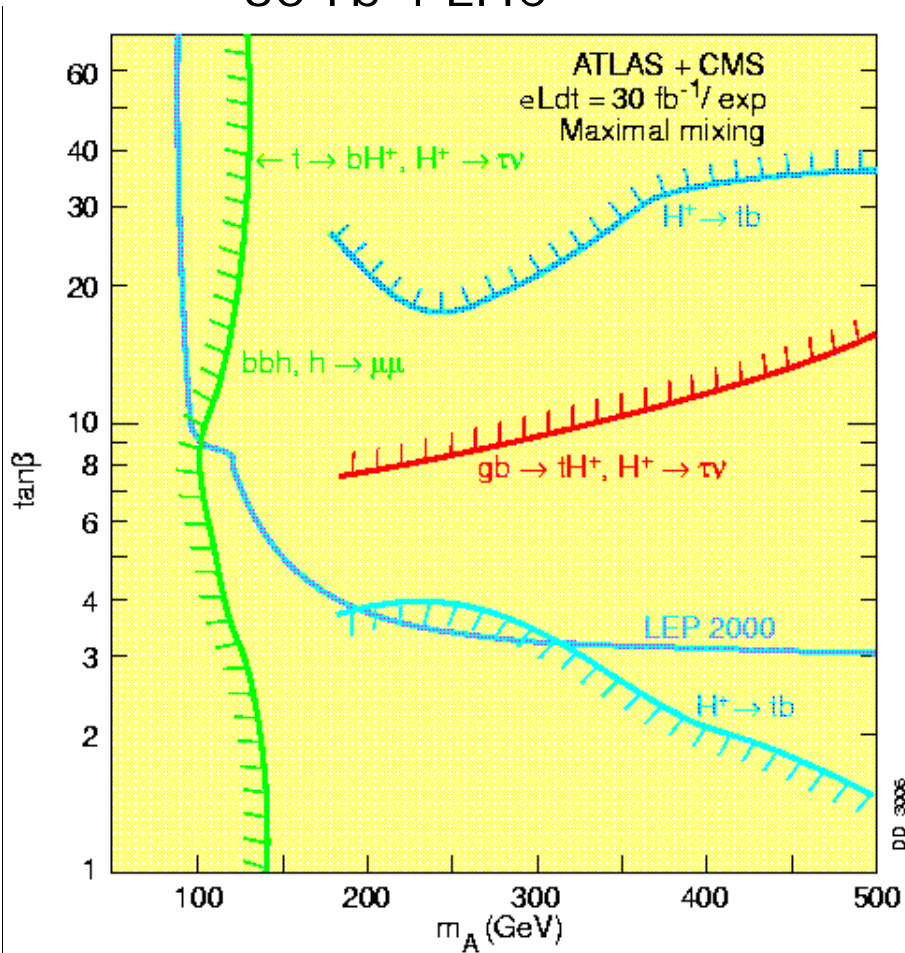
Direct search at lep

Constrain on $M_H > 375$ GeV (99% C.L). A 10% measurement with same BranchingFraction moves this to $M_H > 475$ GeV

Gambino is producing plots for extrapolated scenarios – assuming Some theory improvements (10% \rightarrow 5% \rightarrow ?)

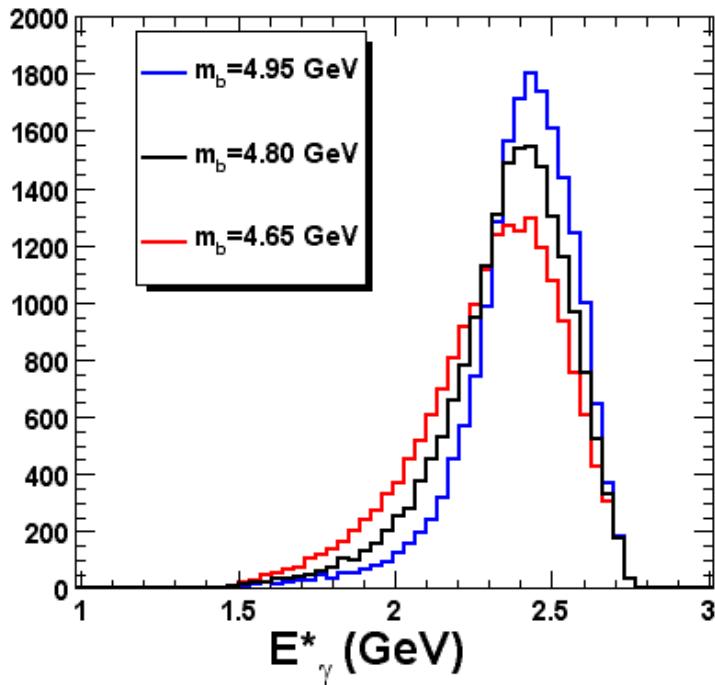
Compare to Direct Search

30 fb-1 LHC



Is $b \rightarrow s \gamma$ limit still relevant in LHC era ? - needs study

Spectrum Measurements



E_γ spectral shape is insensitive to new physics.

Shape arises from hadronic b quark interactions inside B meson and is Universal (like a structure function)

Measurement of first and second moments can be used to extract HQET parameters that can then be used for V_{ub} from $B \rightarrow Xl\nu$

Studies now to quantify this is super BB era

Direct CPV in $b \rightarrow s\gamma$

Detailed analysis for $B \rightarrow Xs\gamma$ at NLO:

In SM $A_{CP}(B \rightarrow Xs\gamma) < 0.5\%$ but $A_{CP}(B \rightarrow Xd\gamma) \sim -10\%$ and

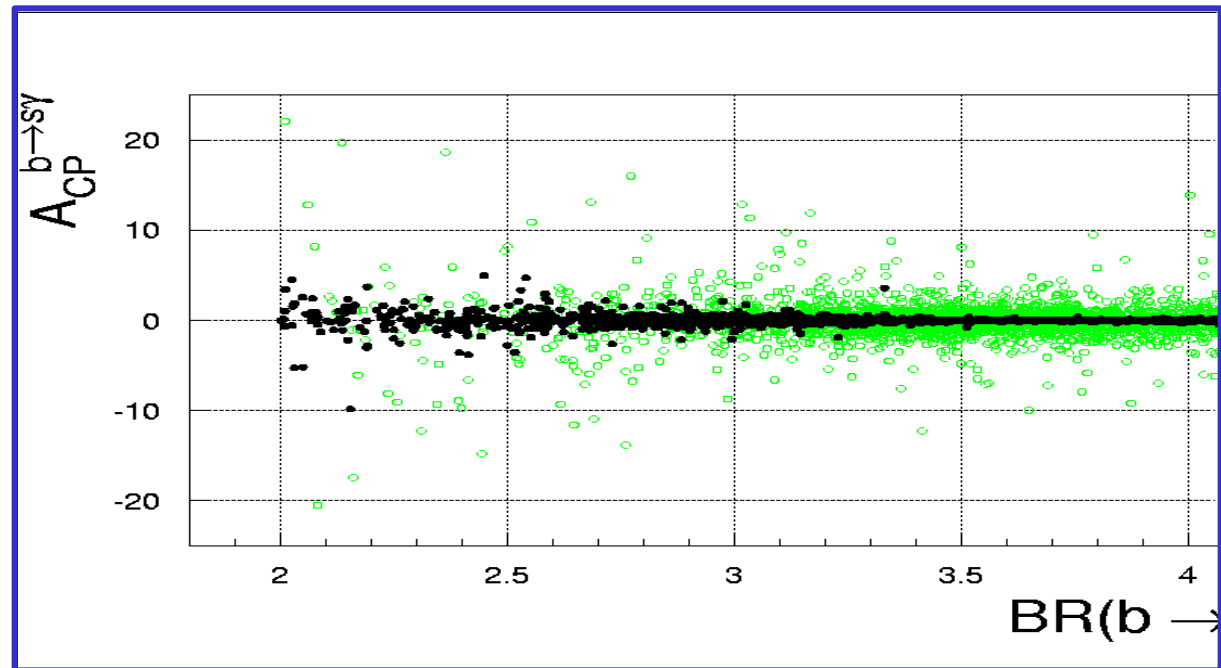
$A_{CP}(B \rightarrow Xs\gamma + B \rightarrow Xd\gamma) = 0.0$ by CKM unitarity

New Physics can either have CKM like couplings (MFV) or not
Must respect constraints on $B(B \rightarrow Xs\gamma)$

MFV constrained
to $< 2\%$



Up to $\sim 10\%$
in non-MFV



(Libby)

$A_{CP}(B \rightarrow X_s, d\gamma)$

Lepton Tag gives Flavor

Measure $X_s + X_d$ (Non -SM Hurth and Mannel, hep-ph/0109041)

Mistags due to oscillations and cascade decays: ($\omega=0.13$)

Sys Err from Detector faking CPV and background

Model Dependence and BB systematic cancels in A_{CP}

Estimated sensitivity

Luminosity [ab ⁻¹]	Statistical error [Δ A_{cp}]	Systematic error [Δ A_{cp}]
0.1	0.1	0.01
1	0.03	0.003
10	0.01	0.001 (?)
50	0.005	0.0005 (?)

Acp(B->Xsγ)

Francesca Lodovico
Steve Playfer
Andrew Eichenbaum

IN Semi-Inclusive Reconstructed final states with a charged kaon
are self-tagging \Rightarrow low mis-tag rate: $\omega = O(0.01)$.

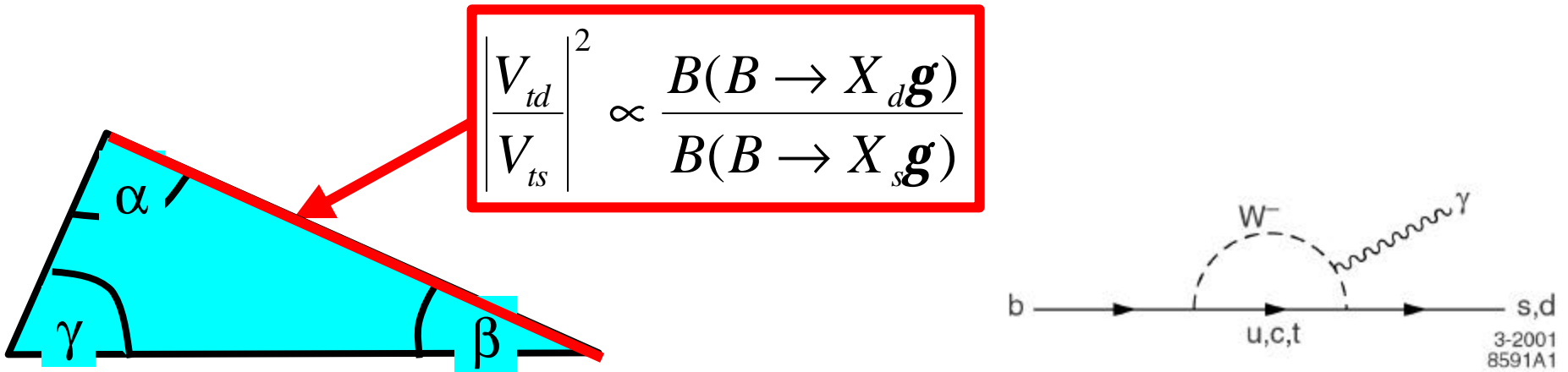
Measure Xs only

In 80fb^{-1} Stat error 0.075 (cf. 0.10 in fully inclusive Xs+Xd)

Scales in same way to higher luminosity

Only 50% inclusive - not clear how to relate result to theory

Rare Penguins $B \rightarrow \rho, \omega \gamma$



Penguin analog of $\Delta M_s / \Delta M_d$ B-mixing to over-constrain CKM ▀

Extensive effort to do this with exclusive modes (see Convery talk)

Exclusive Penguins (15-35% theory error)

$\Delta M_s / \Delta M_d$ B-mixing 7-15% theory error

Inclusive Penguins (< 10% - from discussion no rigorous theory)

Method and Assumptions

Use standard fully inclusive lepton tag technique selection

Assumptions

1. Spectrum X_d and X_s same (Good at High E) \rightarrow efficiency same
2. s-tag with charged kaons and $K_s \rightarrow \pi^0\pi^0$ \rightarrow exact algorithm undefined
3. Assume that K_L and $K_s \rightarrow \pi^0\pi^0$ are not reconstructed

Define

ω_s = probability of mis-tagging $b \rightarrow s\gamma$ as $b \rightarrow d$

ω_d = probability of mis-tagging $b \rightarrow d\gamma$ as $b \rightarrow s\gamma$

$$\left| \frac{V_{td}}{V_{ts}} \right|^2 = \frac{S'_d}{S'_s} = \frac{(1 - \mathbf{w}_s)(N_d - B_d) - \mathbf{w}_s(N_s - B_s)}{(1 - \mathbf{w}_d)(N_s - B_s) - \mathbf{w}_d(N_d - B_d)}$$

S'_d = true number of $b \textcircled{R} d\gamma$ events

S'_s = true number of $b \textcircled{R} s\gamma$ events

N_d = number of selected events without s -tag

$B_d = BB_d + (L_{on}/L_{off})C_d$

BB_d = inclusive b -background without s -tag

C_d = continuum background without s -tag

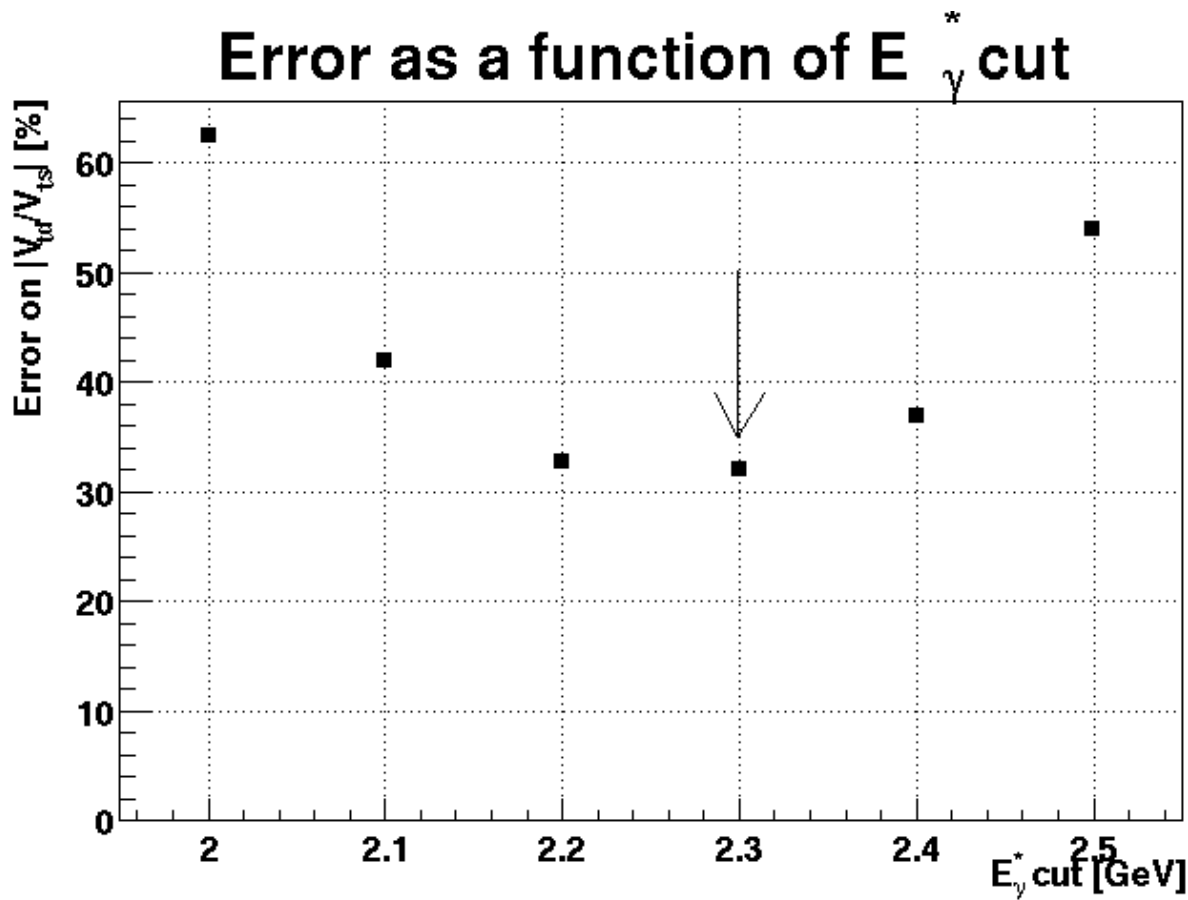
N_s, B_s, BB_s and C_s same as above with s -tag

There might be a theoretical factor required to relate to CKM ratio – ignore at present

Inputs

- $\omega_s=0.33$ - the most optimistic case (25% K_L and 8% $K_S \rightarrow \pi^0\pi^0$ missing)
- $\omega_d=0.05$ - a random number (ss popping and kaons from the other B -decay)
- $\Delta BB = 5\%$ of BB
- $L_{on}/L_{off} = 8.6$ - the present BaBar ratio
- 50% of background has an s -tag
 - Might expect this to be higher given significant amount of charm in background - pessimistic
- No error on mis-tag rates - this is varied later
- Error propagation on previous slides expression and plot the uncertainty as a function of E_γ^* cut and then as a function of luminosity varying inputs

E_γ^* cut

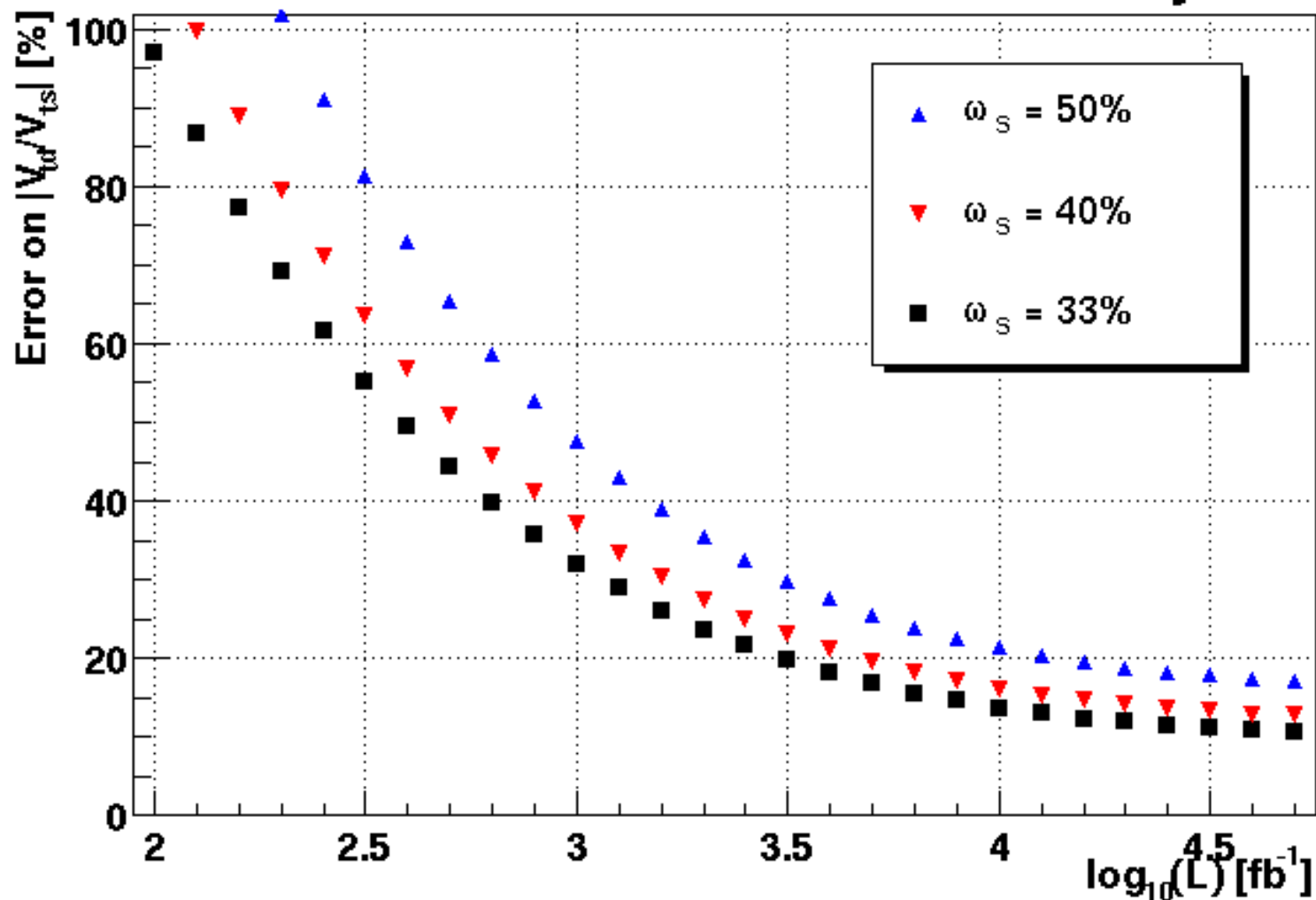


Luminosity = 1 ab^{-1}

- $E_\gamma^* > 2.3 \text{ GeV}$
- Cut used in all remaining plots
- Theoretical issue of 4-quark contribution to $b \rightarrow d \gamma$ related to $|V_{ub}|$ - probably negligible for $E_\gamma^* > 2.3 \text{ GeV}$ (see PRD 60 034019, Ligeti *et al.*)

Variation with ω_s

Error as a function of luminosity L



100 fb^{-1}

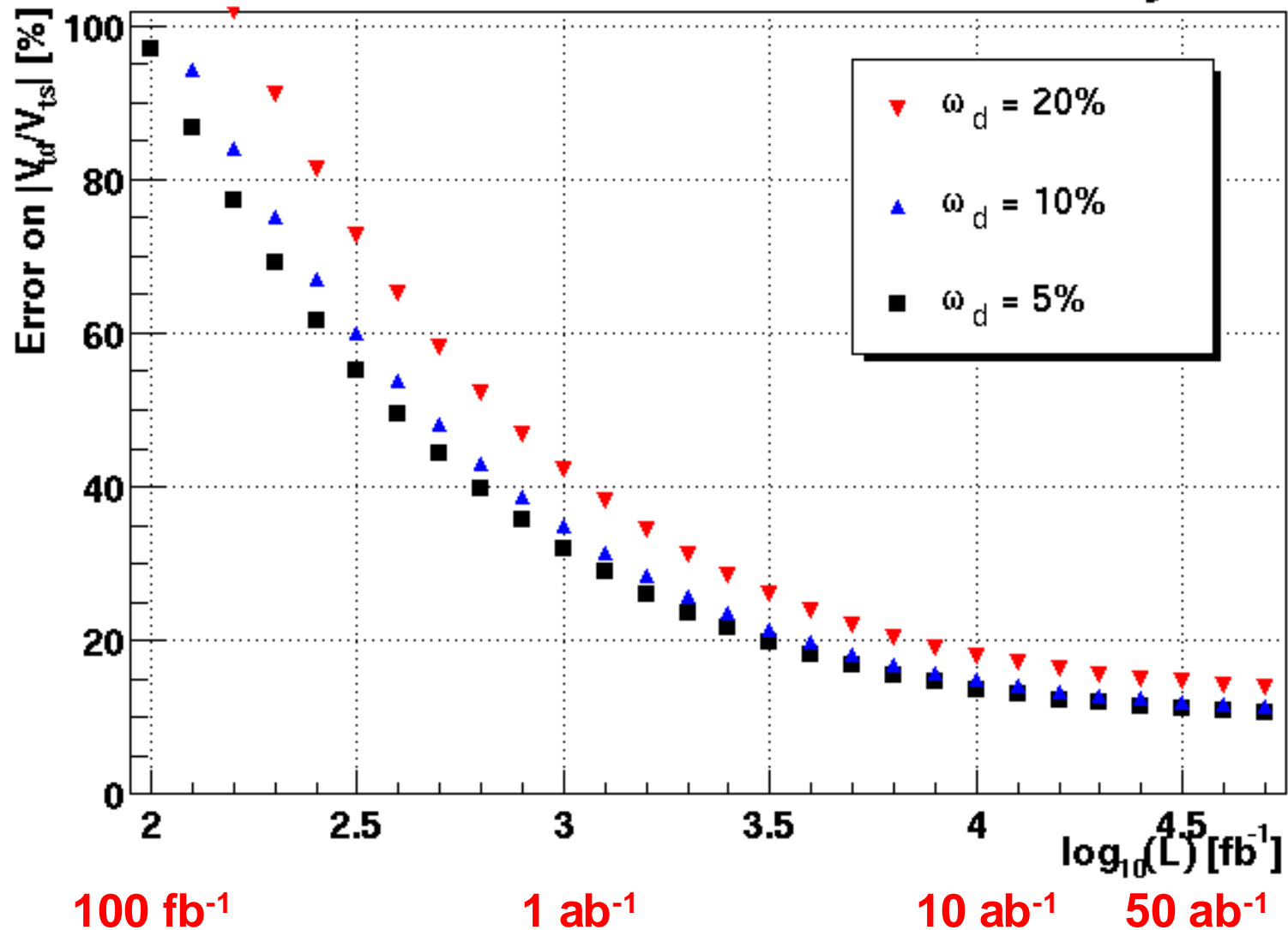
1 ab^{-1}

10 ab^{-1}

50 ab^{-1}

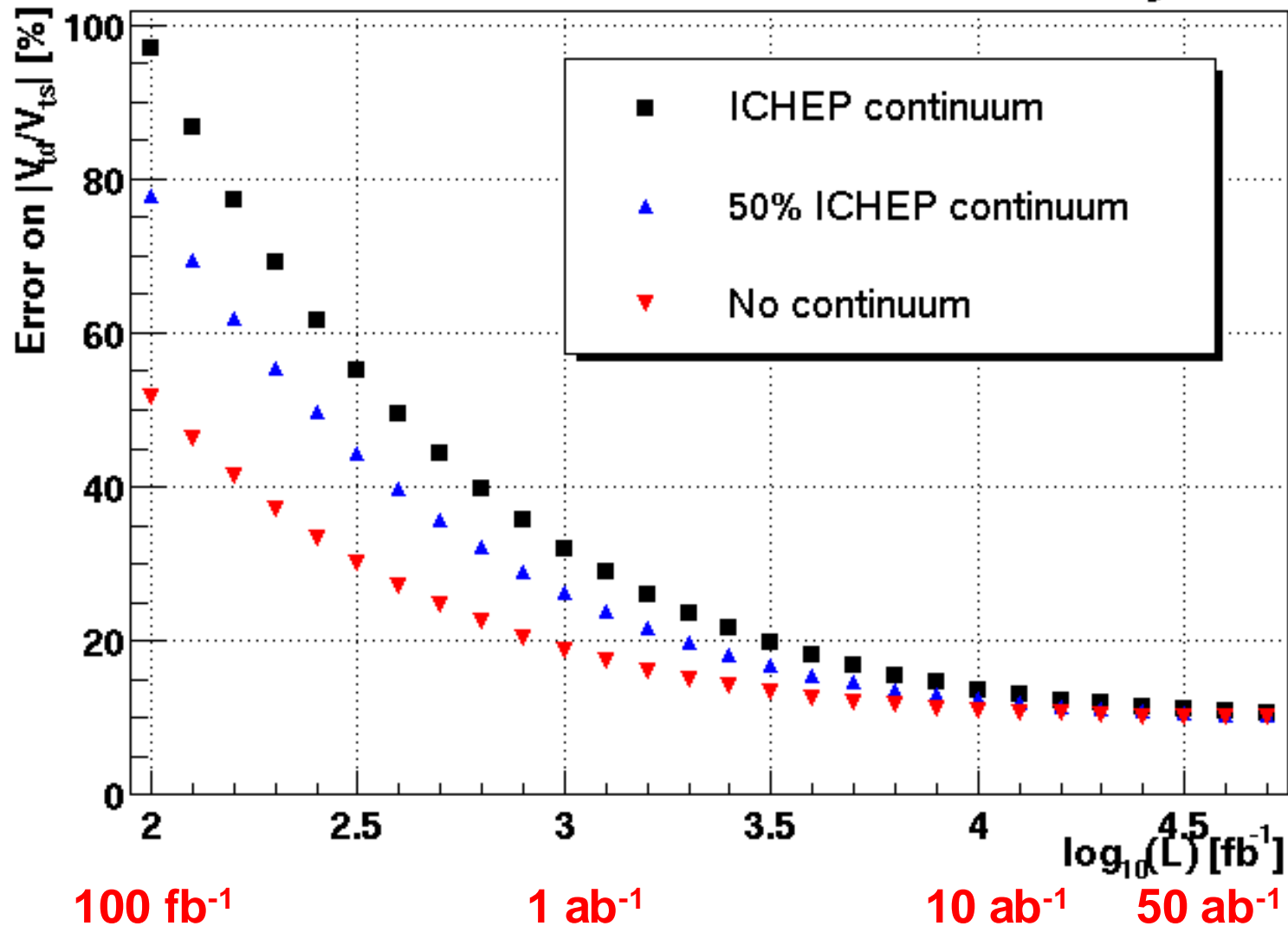
Variation with ω_d

Error as a function of luminosity L



Variation with continuum bkg

Error as a function of luminosity L



Conclusions

Super BaBar offers a unique environment to study inclusive Penguin decays - no competition from LHC

Precision measurements to $< 1\%$ can be achieved

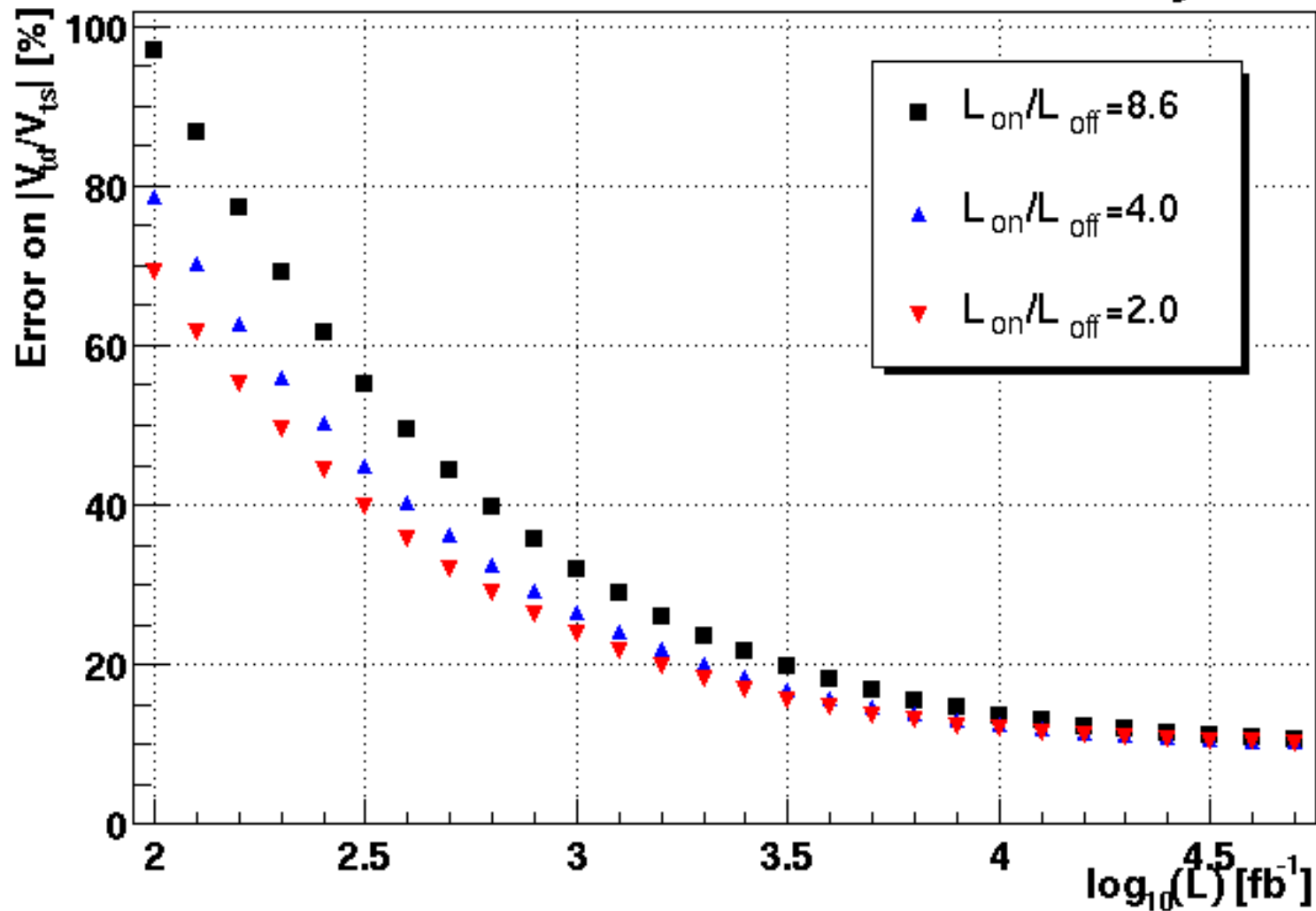
BUT

Interest in such measurements coupled to development of precise SM predictions

Work this summer to provide estimates and evaluate theory

Variation with L_{on}/L_{off}

Error as a function of luminosity L



100 fb^{-1}

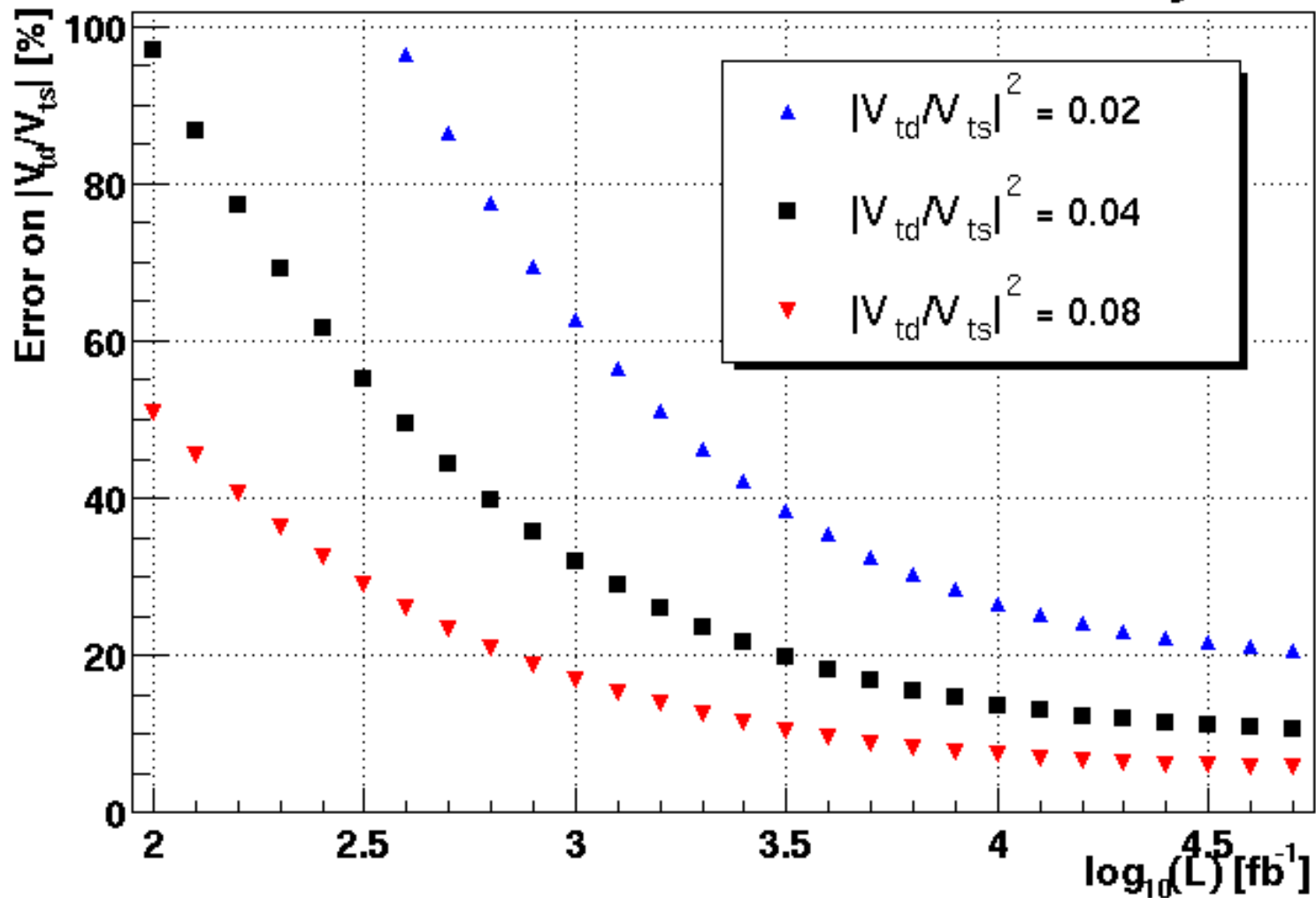
1 ab^{-1}

10 ab^{-1}

50 ab^{-1}

Variation with $|V_{td}|/|V_{ts}|$

Error as a function of luminosity L



100 fb^{-1}

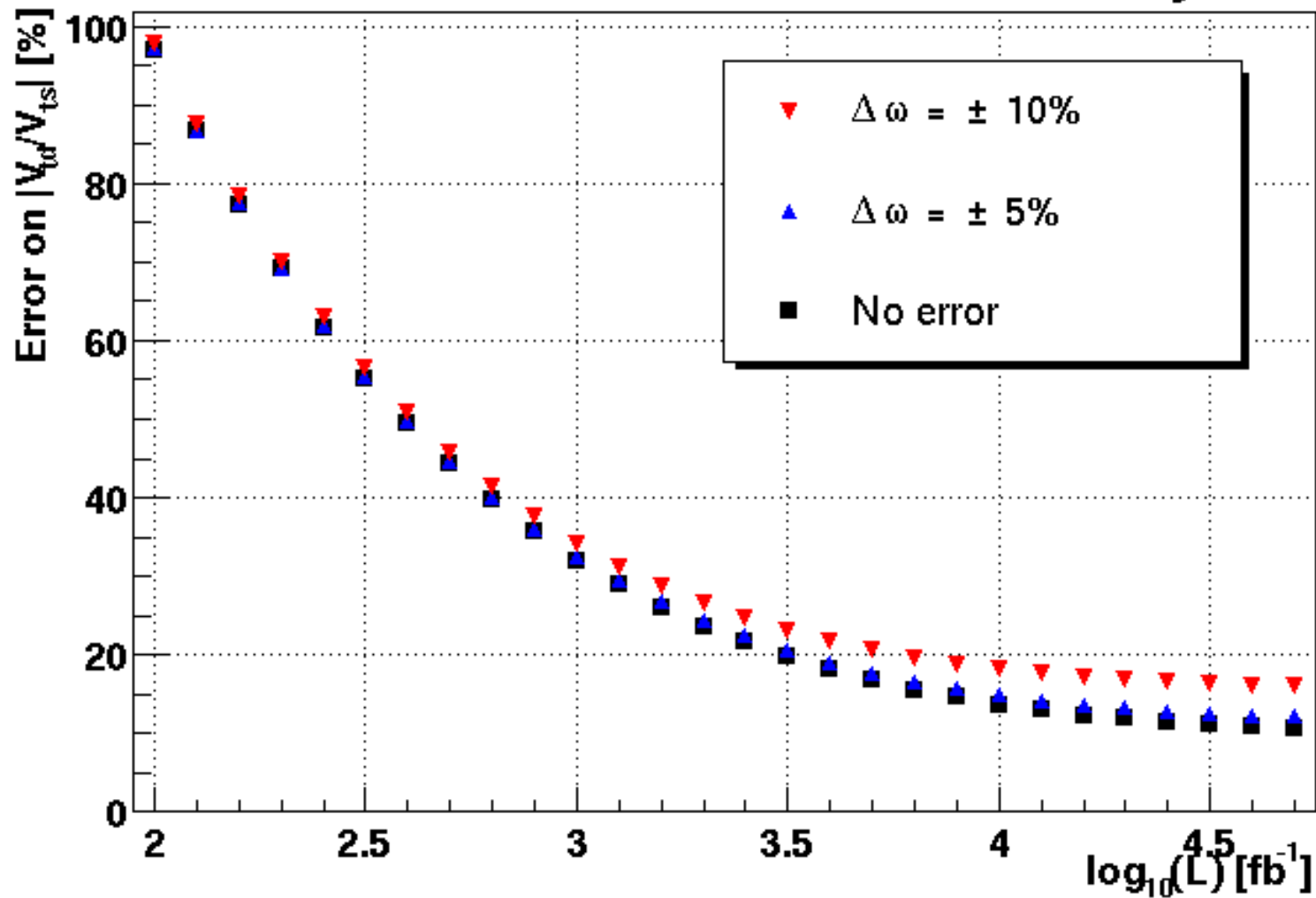
1 ab^{-1}

10 ab^{-1}

50 ab^{-1}

Variation with mis-tag error

Error as a function of luminosity L



100 fb^{-1}

1 ab^{-1}

10 ab^{-1}

50 ab^{-1}

Variation with ΔBB

Error as a function of luminosity L

